

STAR Detector Upgrades for BES-II

W.J. Llope for the STAR Collaboration

Wayne State University

Why (do a) **Beam Energy Scan (BES)**?

- #1. Search for the disappearance of QGP signatures
- #2. Search for the existence of a QCD critical point

Where & Who? ☆ at **BNL**

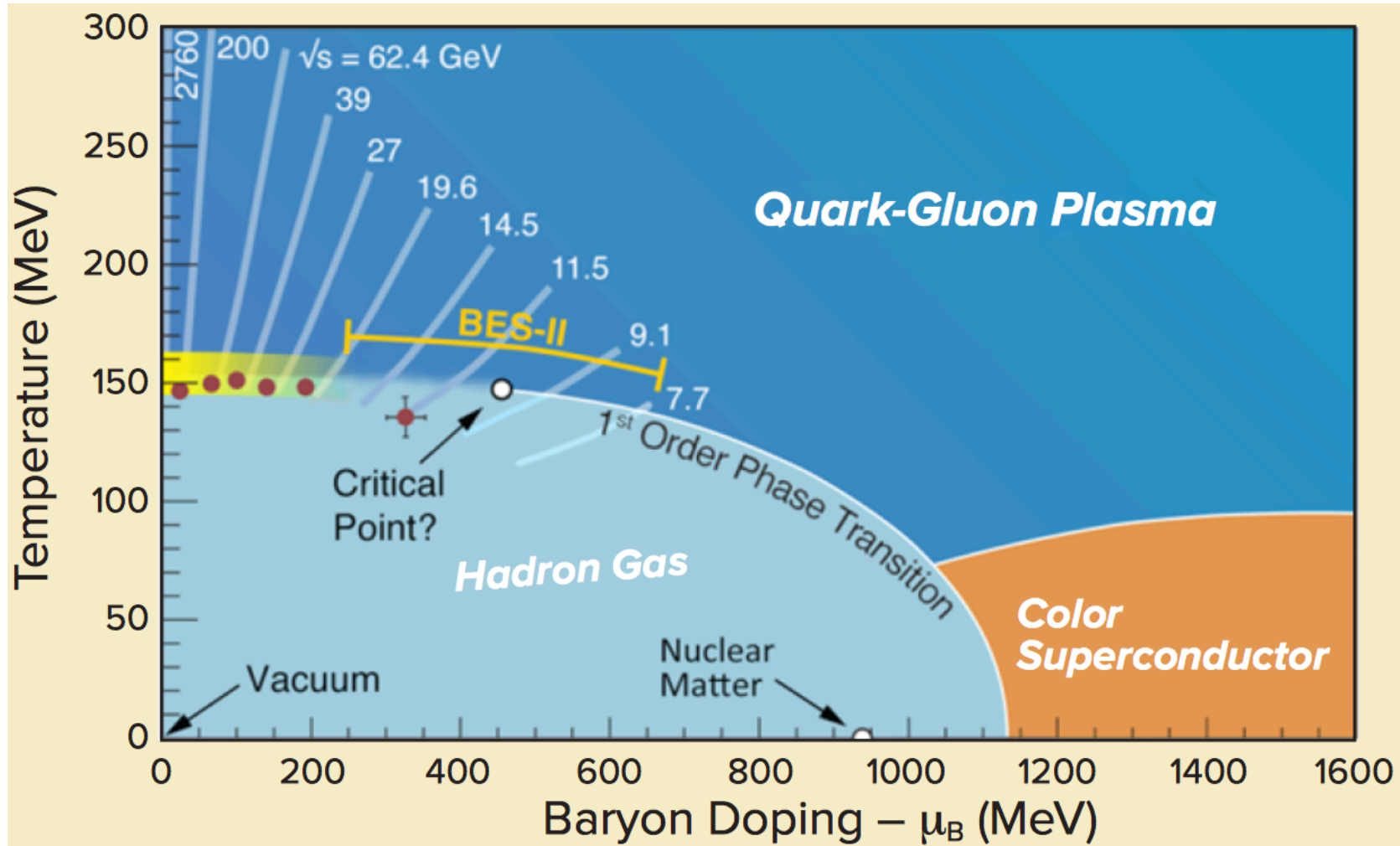
What (was seen in) BES-I?

Why (do it again in) BES-II?

How (to optimize ☆ for) BES-II?

This talk will discuss these questions while focussed on motivation #2.
See Rosi Reed's talk Thursday morning: same topic but different spin!

Top beam energy at RHIC (200 GeV): crossover transition from QGP to HG.
Decreasing the beam energy increases the baryochemical potential



Systematic study of the data as a function of the beam energy allows a “scan” in streaks across the phase diagram...

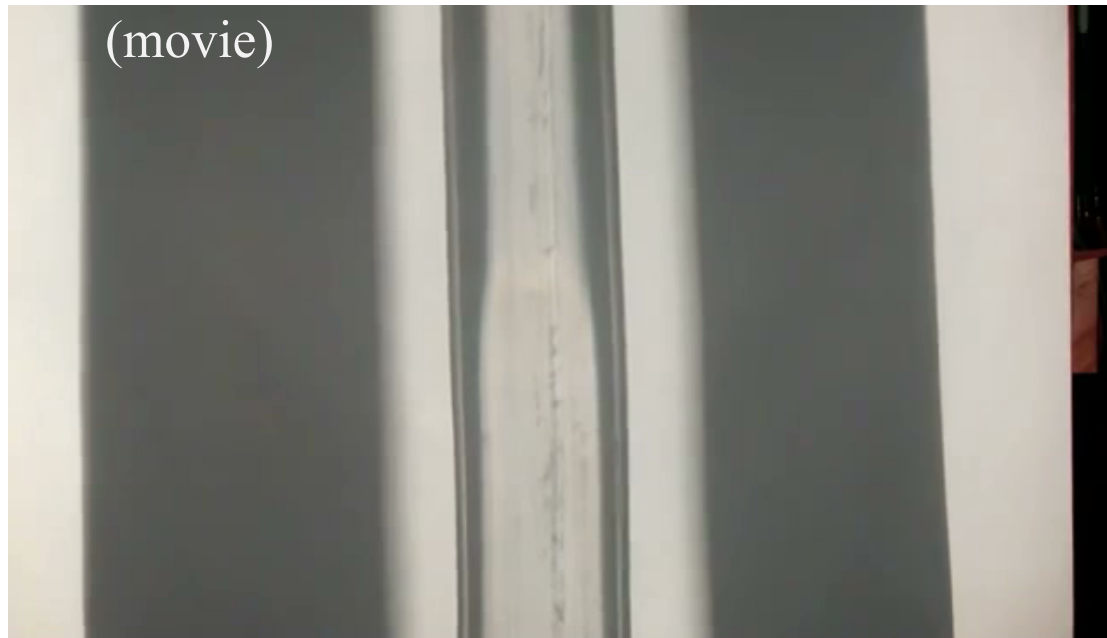
So how could we find a Critical Point if it exists?

Assume that it's going to have the same basic features of other CPs

divergence of the susceptibilities, χ ... e.g. magnetism transitions 0801.4256v2

divergence of the correlation lengths, ξ ... e.g. critical opalescence

liquid SF_6 at 37atm heated to ~ 43.9 C, then cooled



CO_2 near its liquid-gas transition



T. Andrews. *Phil. Trans. Royal Soc.*, 159:575, 1869

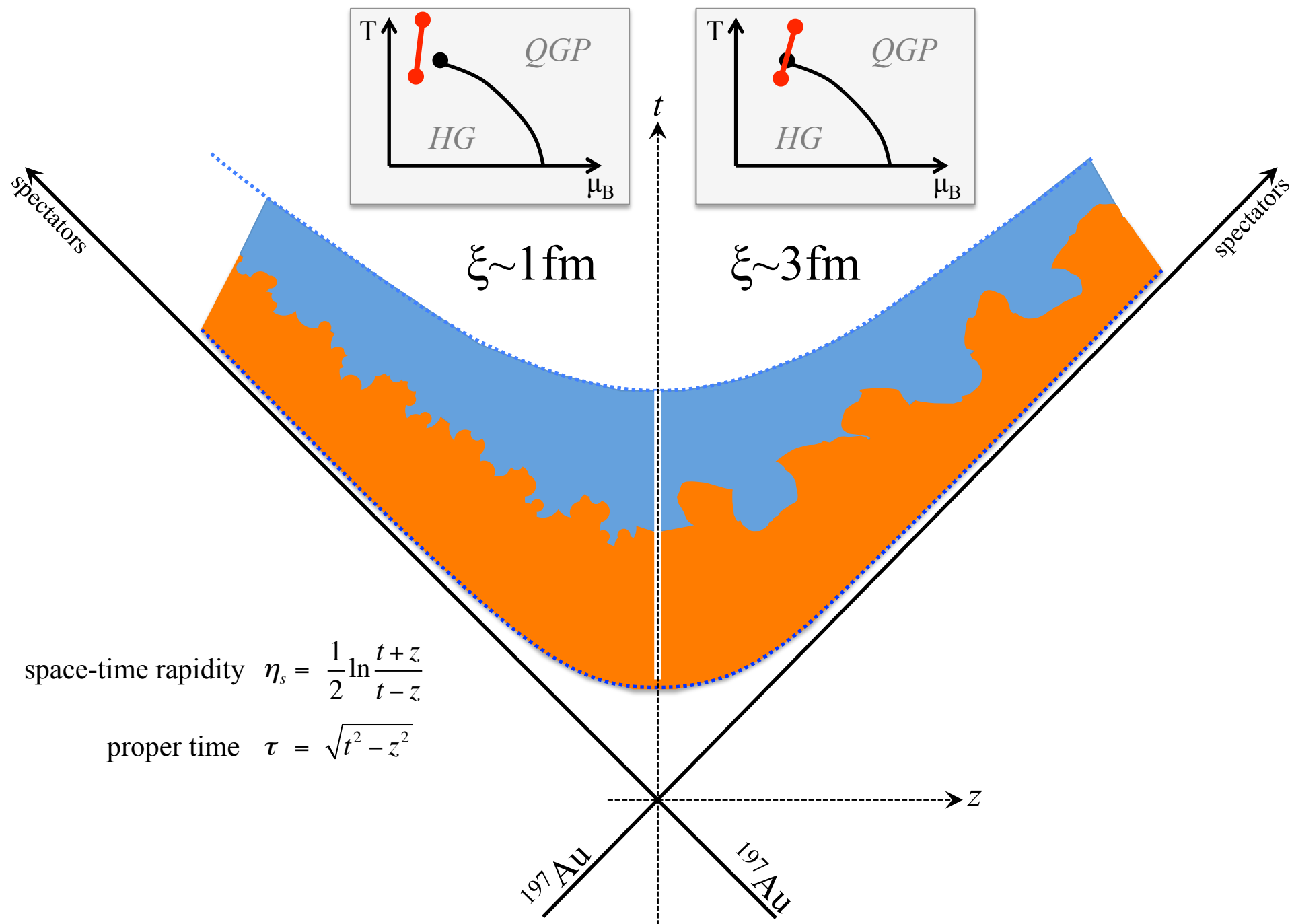
M. Smoluchowski, *Annalen der Physik*, 25 (1908) 205 - 226

A. Einstein, *Annalen der Physik*, 33 (1910) 1275-1298

$T > T_C$ $T \sim T_C$ $T < T_C$

Formation of large domains of the two phases (hadronic, QGP)

Large domains mean large correlation length, ξ – canonical signature of a critical point



space-time rapidity $\eta_s = \frac{1}{2} \ln \frac{t+z}{t-z}$

proper time $\tau = \sqrt{t^2 - z^2}$

The ratios of cumulants of the net-particle multiplicity distributions, e.g. C_4/C_2 , should diverge if the correlation length diverges...

No. of particles in a single event...

Average No. of particles in all "similar" events...

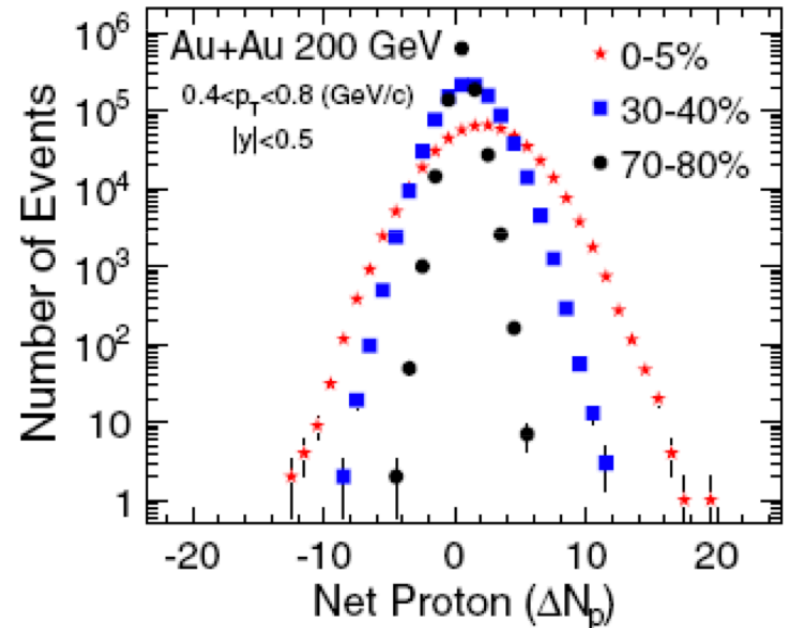
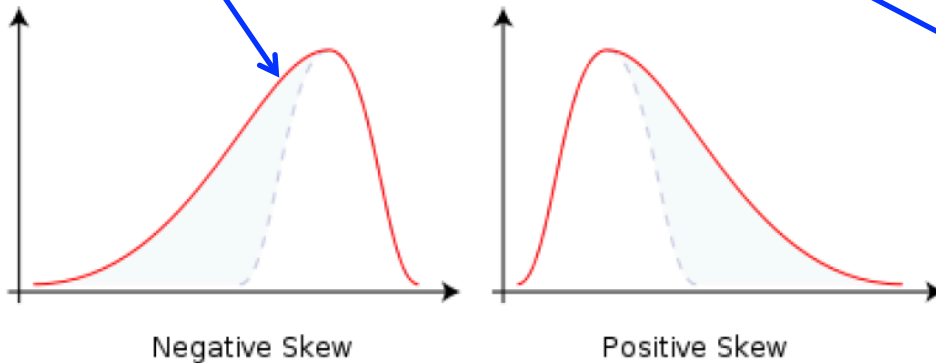
$$\delta x \equiv x - \langle x \rangle$$

$$C_2 \quad \kappa_{2x} \equiv \langle \langle x^2 \rangle \rangle \equiv \langle (\delta x)^2 \rangle$$

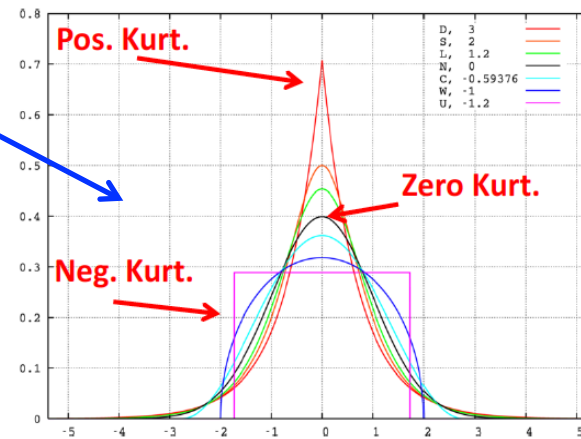
$$C_3 \quad \kappa_{3x} \equiv \langle \langle x^3 \rangle \rangle \equiv \langle (\delta x)^3 \rangle$$

$$C_4 \quad \kappa_{4x} \equiv \langle \langle x^4 \rangle \rangle \equiv \langle (\delta x)^4 \rangle - 3 \langle (\delta x)^2 \rangle^2$$

$$\text{skewness} = \frac{\kappa_3}{\kappa_2^{3/2}}, \quad \text{kurtosis} = \frac{\kappa_4}{\kappa_2^2}$$



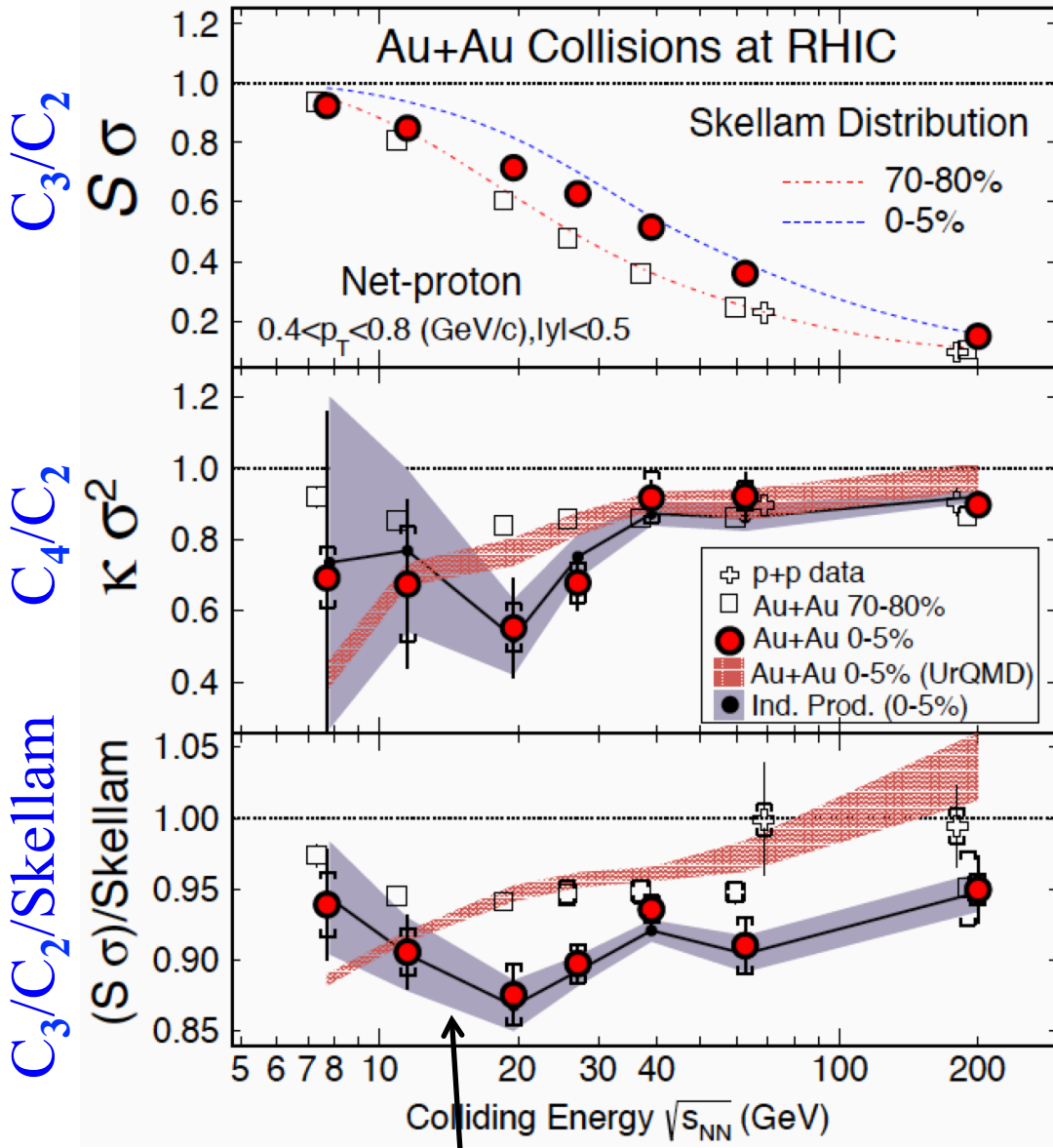
STAR, Phys. Rev. Lett. 105 (2010) 022302



Deviations of the cumulant ratios from Poisson expectations is "interesting"

0.4 P_T 0.8 GeV/c STAR net-p PRL

L. Adamczyk, et al., [STAR Collaboration], Phys. Rev. Lett. 112 (2014) 032302.



Poisson expectation is effectively that obtained from the Skellam distribution (difference of two Poissons)

There do seem to be 2-3σ deviations from the Poisson... but with large uncertainties...

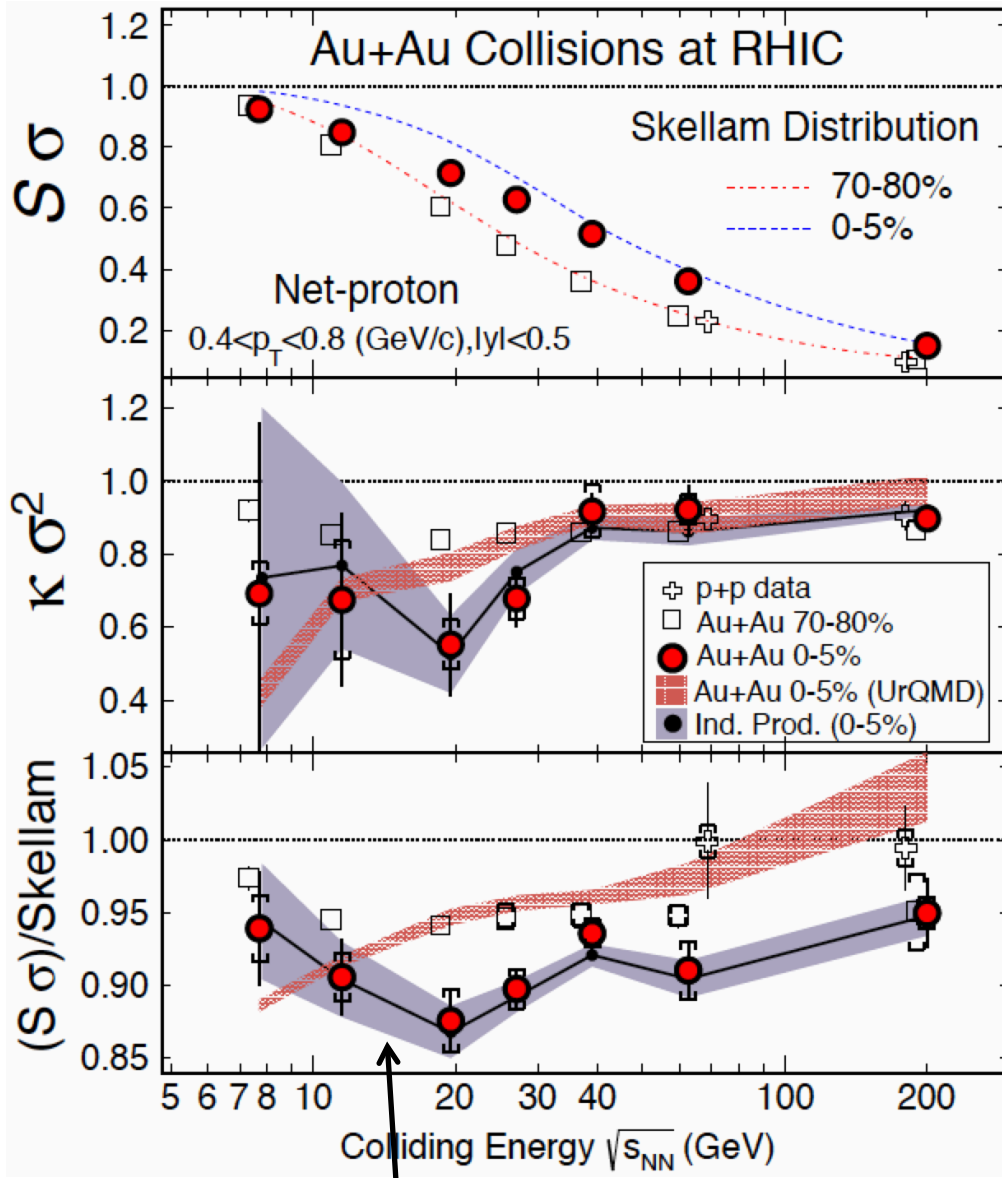
~100 MeV gap in μ_B ...

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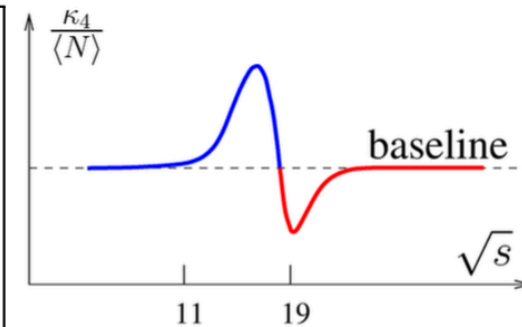
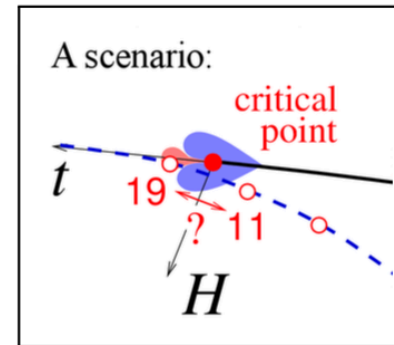
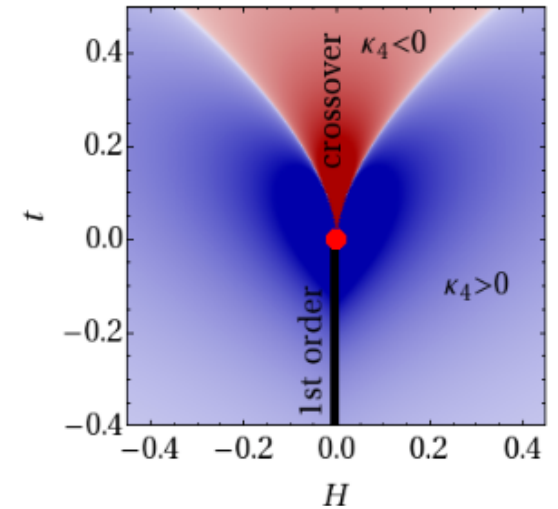
C. Athanasiou et al., PRD 82, 074008 (2010)
M.A. Stephanov, PRL 107, 052301 (2011)

C_3/C_2
 C_4/C_2
 $C_3/C_2/\text{Skellam}$



~100 MeV gap in μ_B ...

Non-linear σ model:

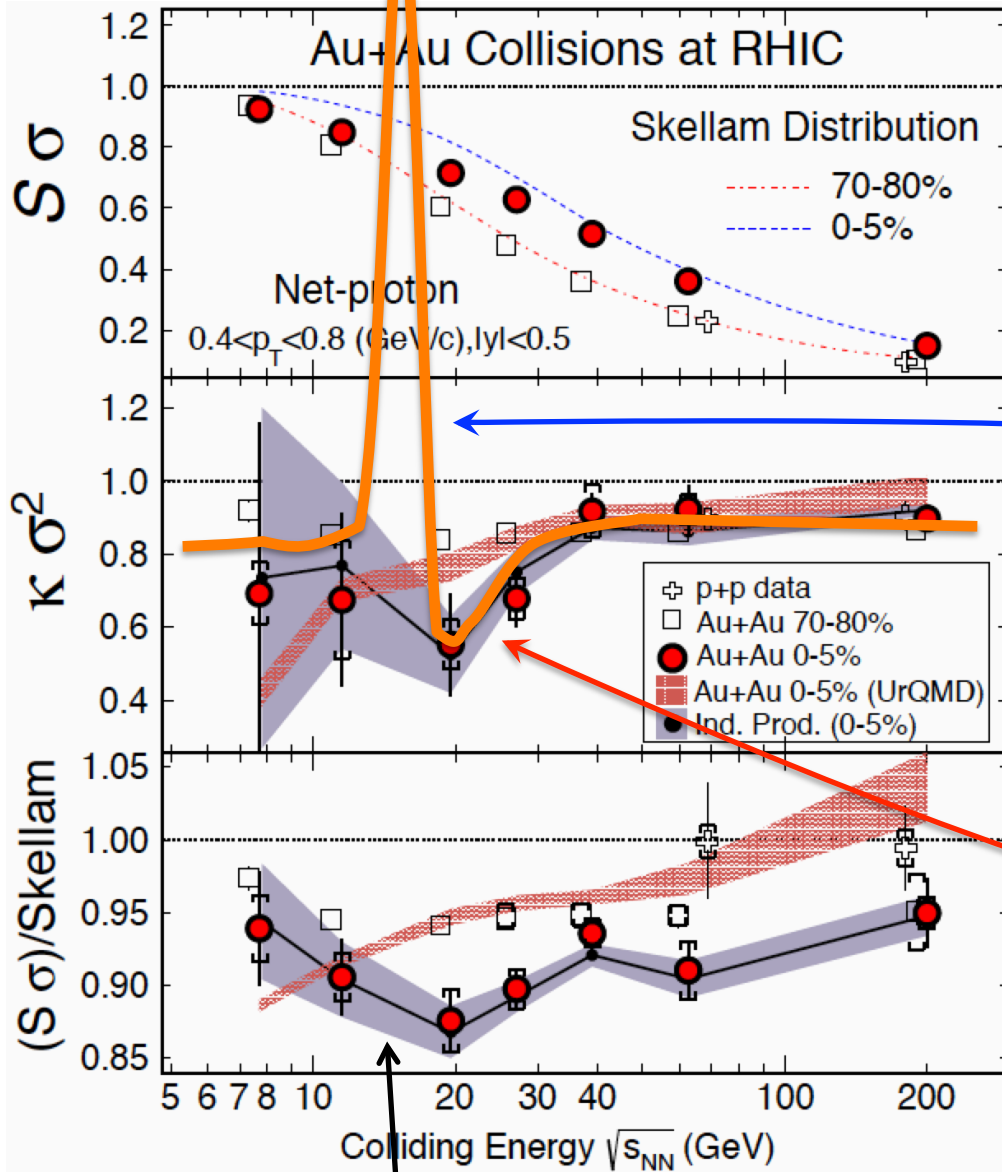


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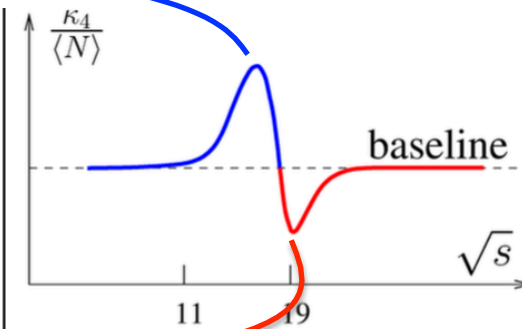
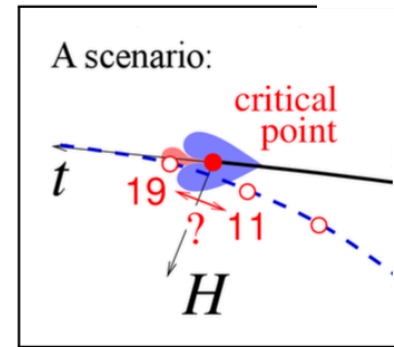
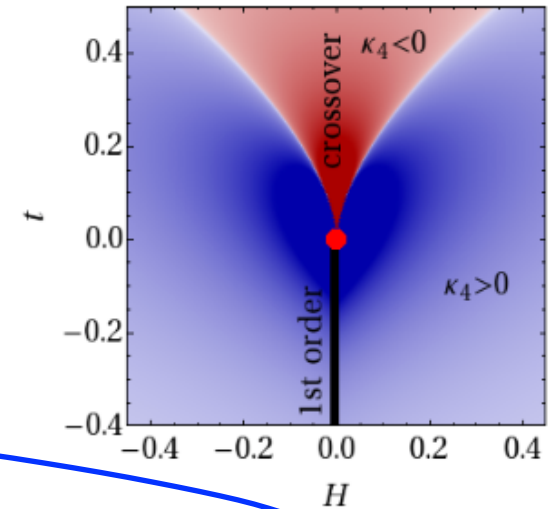
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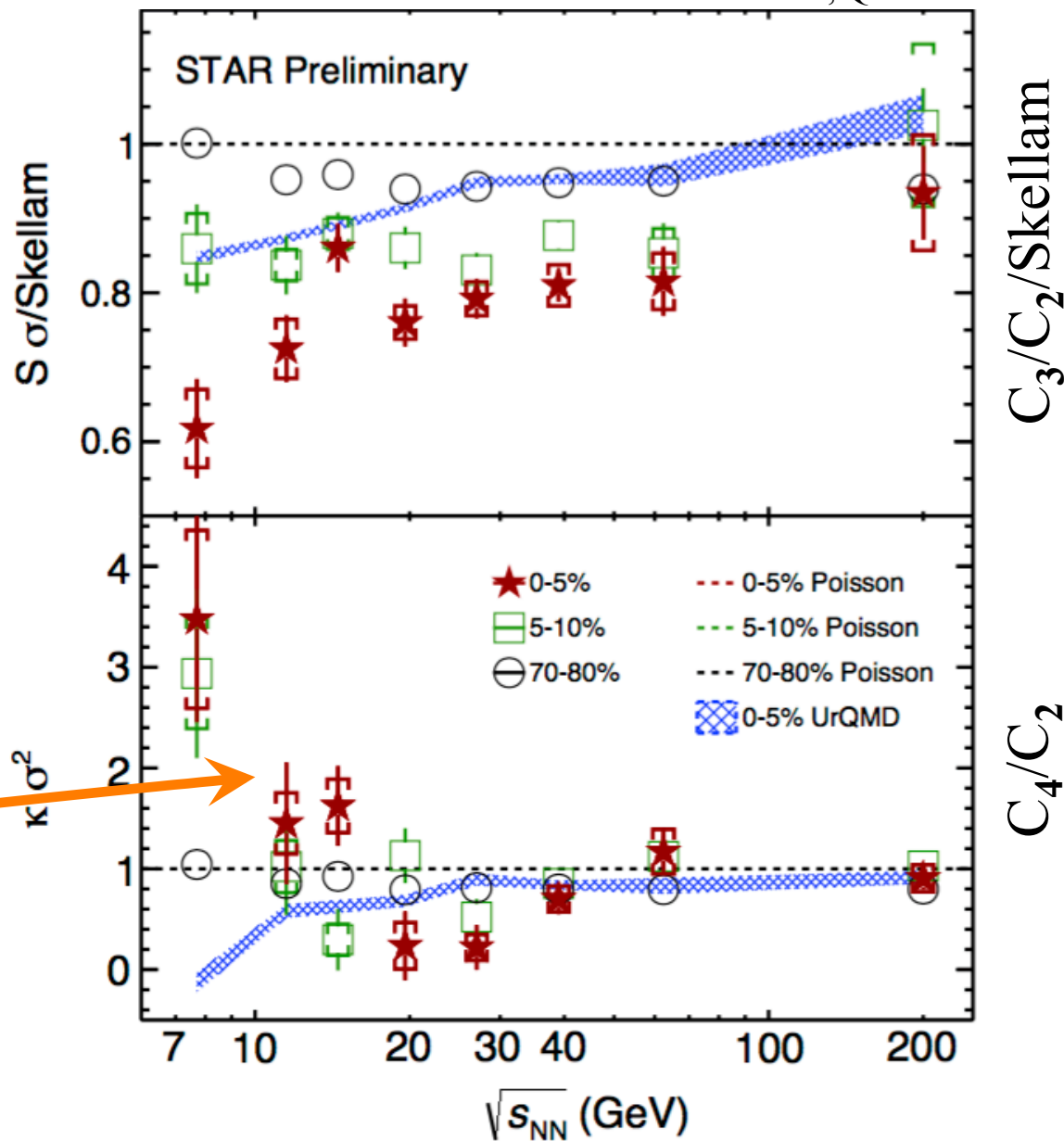
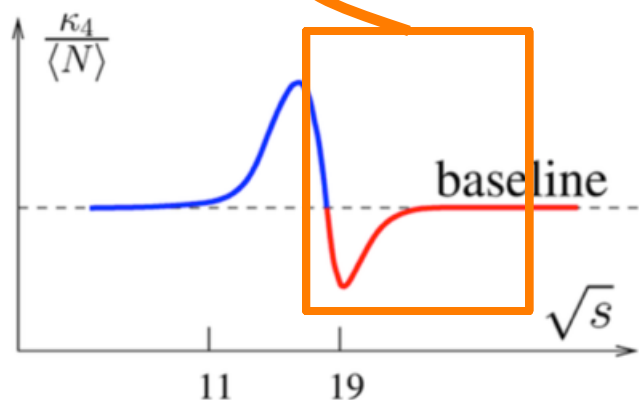
~100 MeV gap in μ_B ... Data at 14.5 GeV was collected in 2014!

Jochen Thäder for ☆, QM2015

Widen the acceptance!

from $0.4 < P_T < 0.8$ to $0.4 < P_T < 2.0$...

critical opalescence?



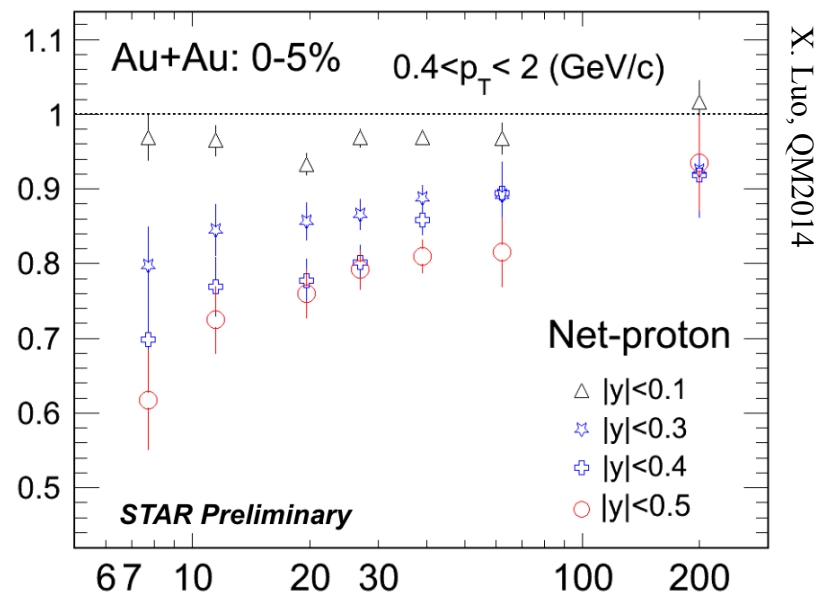
A wider P_T acceptance made the deviations from Poisson much larger!

In a small acceptance, you will see Poissonian cumulant ratios, CP or not....

V. Koch, RIKEN BNL Research Center Workshop on Fluctuations, Correlations and RHIC Low Energy Runs, October 3-5, 2011
<http://quark.phy.bnl.gov/~htding/fcrworkshop/Koch.pdf>

decreasing rapidity acceptance
 in the analysis also drives the
 C_4/C_2 values to Poisson:

see also D. Mahapatra *et al.*,
 arXiv nucl-ex/0108011v2



Net-baryon Acceptance:

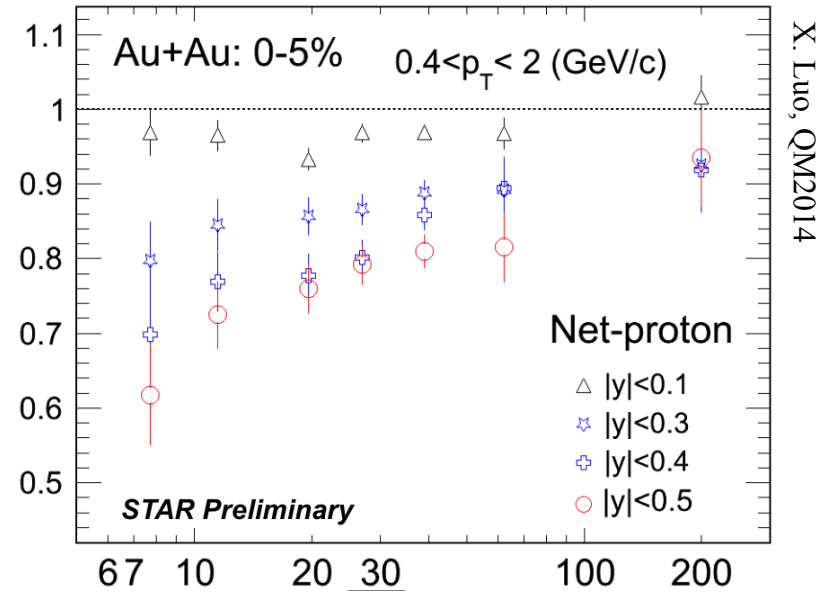


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Net-baryon Acceptance:

0%

100%

Poisson
 fluctuations

Zero fluctuations
 (baryon # conservation)

Maximum signal?

No signal!

B. Ling & M. Stephanov, arXiv 1512.09125

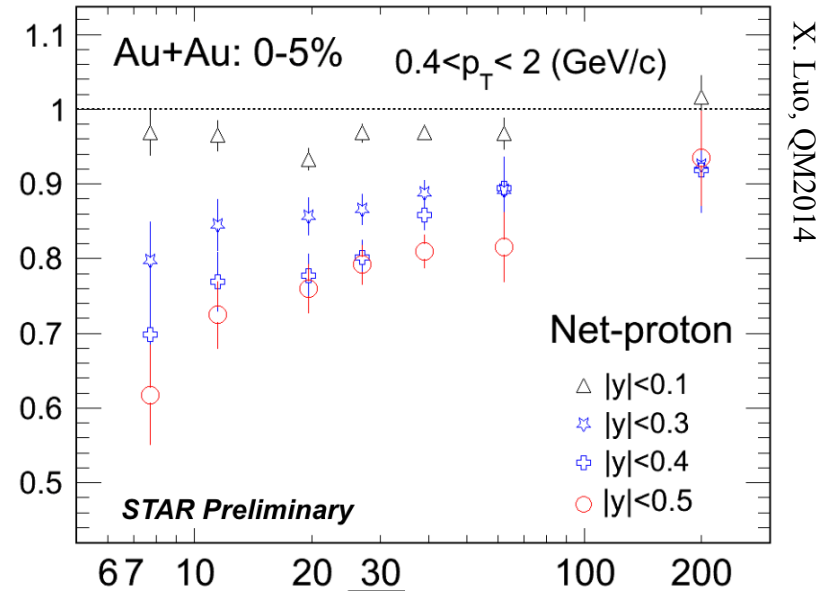
No signal!

In a small acceptance, you will see Poissonian cumulant ratios, CP or not...

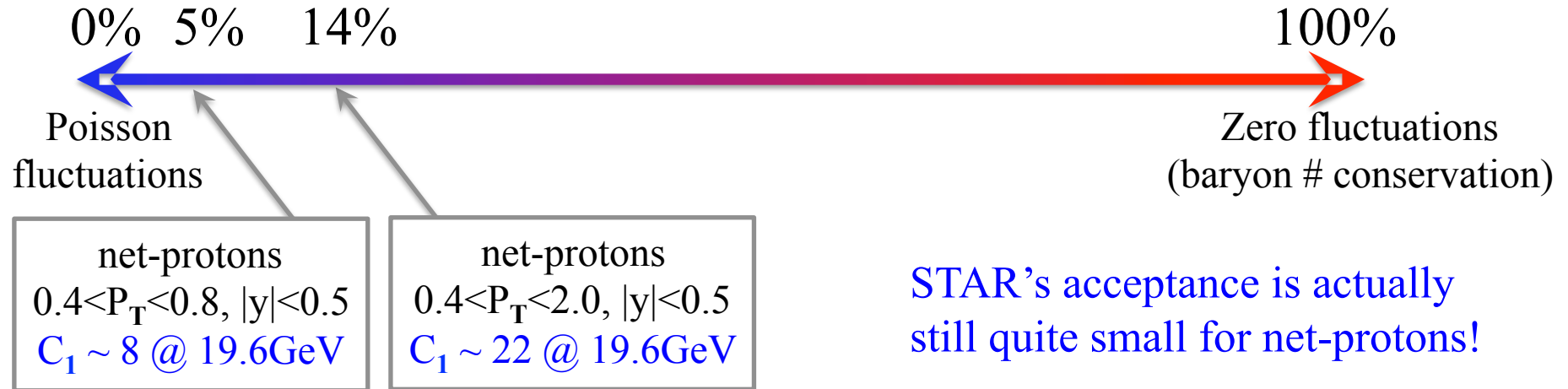
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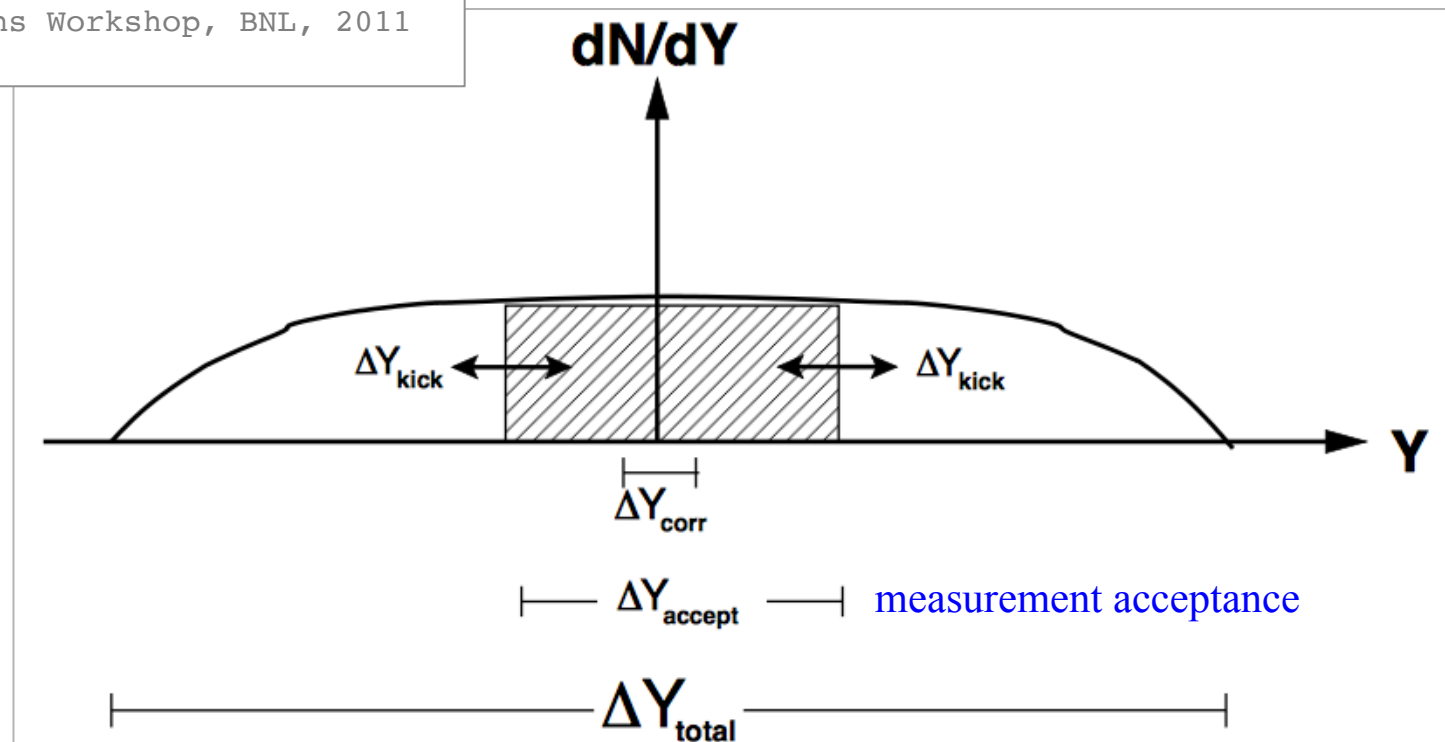
Net-baryon Acceptance:



V. Koch, BNL Riken Fluctuations Workshop, BNL, 2011
and arXiv:0810.2520v1

In a perfect acceptance, conserved quantities do not fluctuate.

But the observation of an appropriately-sized subsystem, then the fluctuations are interesting.

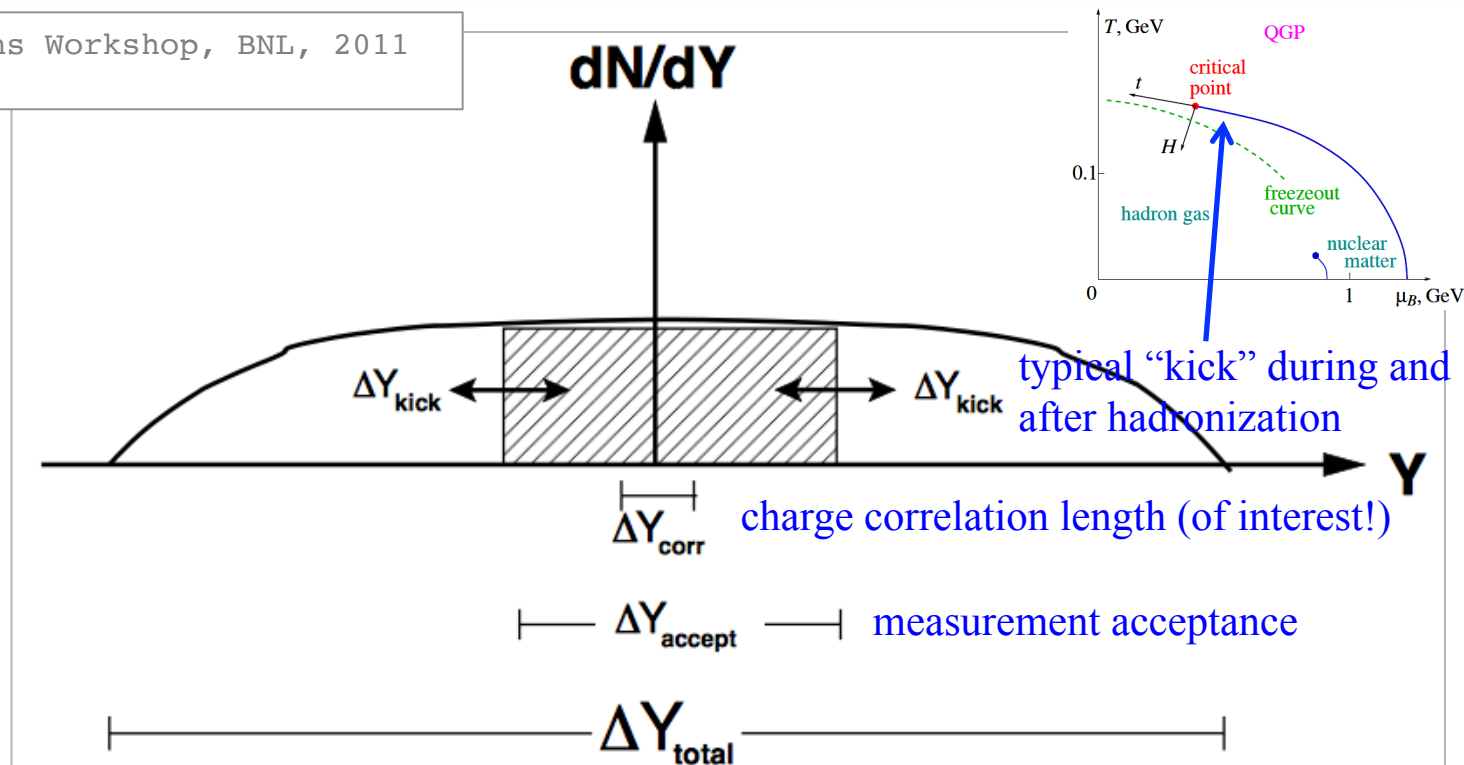


Here, the subsystem can exchange conserved quanta with the rest of the system. Similar to assumptions governing a thermal system in the grand canonical ensemble, & LQCD

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For fluctuations of conserved charges to be meaningful, these scales need to be well-separated:

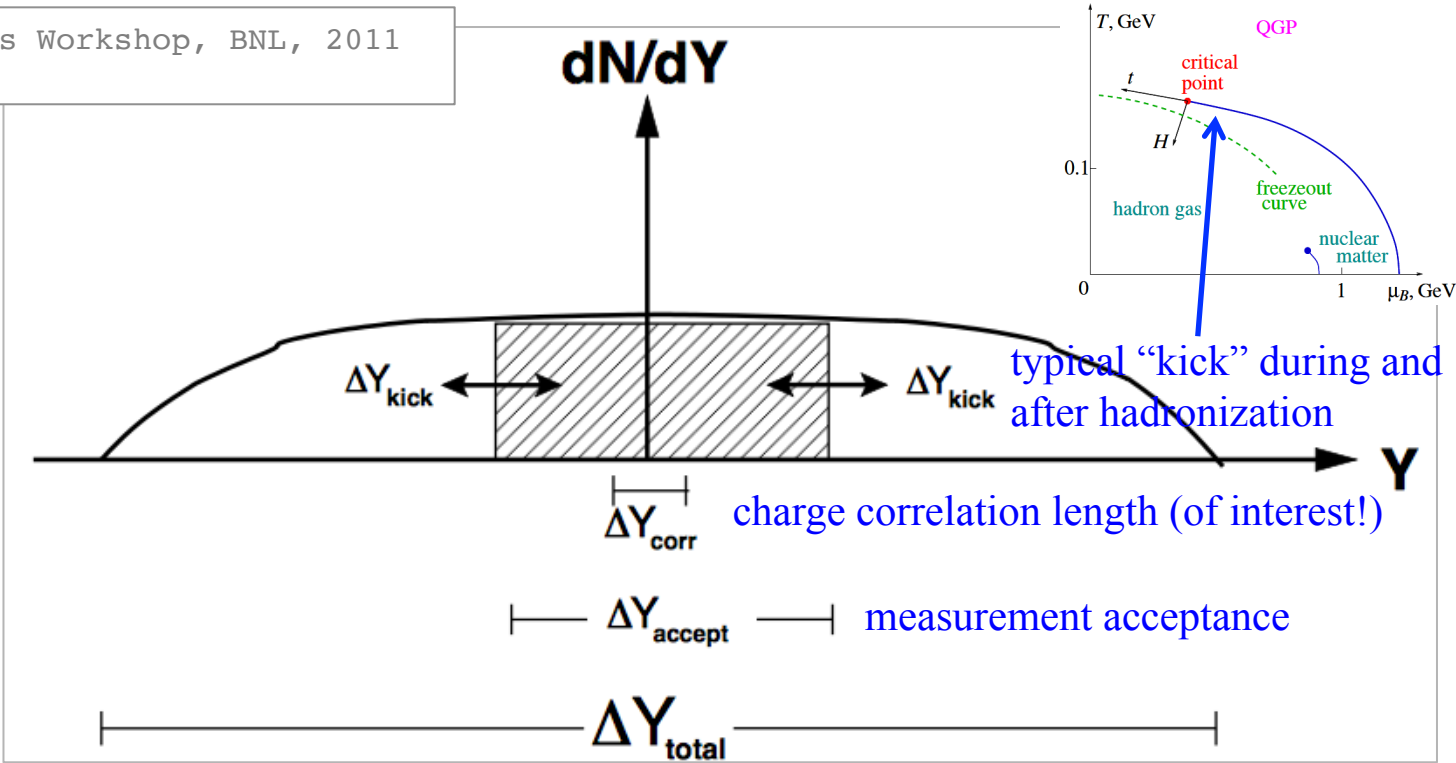
$$\Delta Y_{accept} \gg \Delta Y_{corr} \quad \text{ensures measurement is sensitive to the physics}$$

$$\Delta Y_{total} \gg \Delta Y_{accept} \gg \Delta Y_{kick} \quad \text{ensures that charge conservation does not suppress the signal, and that it survives hadronization}$$

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At low $\sqrt{s_{NN}}$: $\Delta Y_{total} \approx \Delta Y_{kick} \sim 1.5$

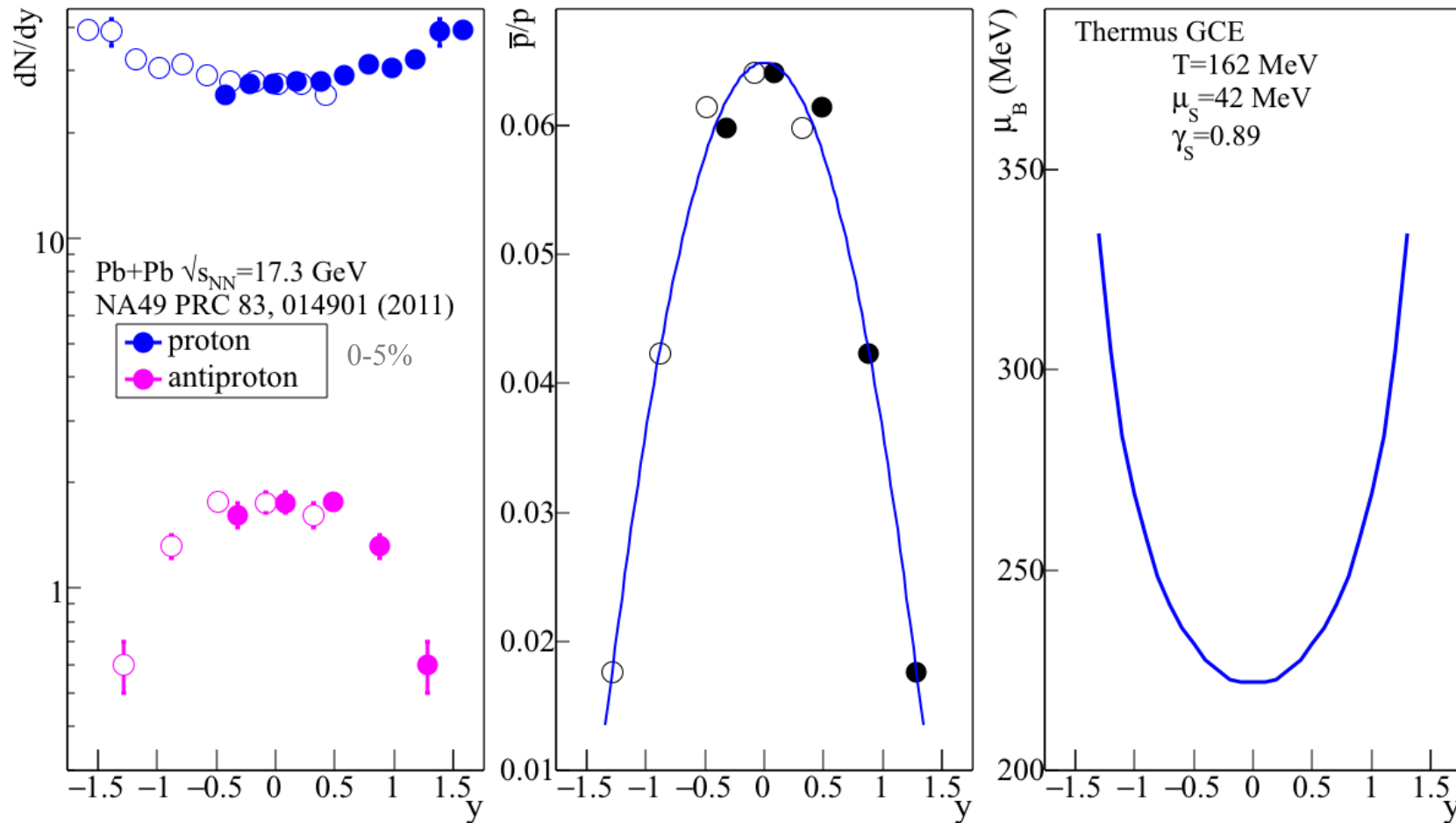
There's also "thermal blurring"

need a wider rapidity acceptance!

M Asakawa, QM2015
Ling & Stephanov arXiv 1512.09125

STAR needs a wider rapidity acceptance.

Expanding in y has another benefit: Varying μ_B either by $|y|$ or $\sqrt{s_{NN}}$

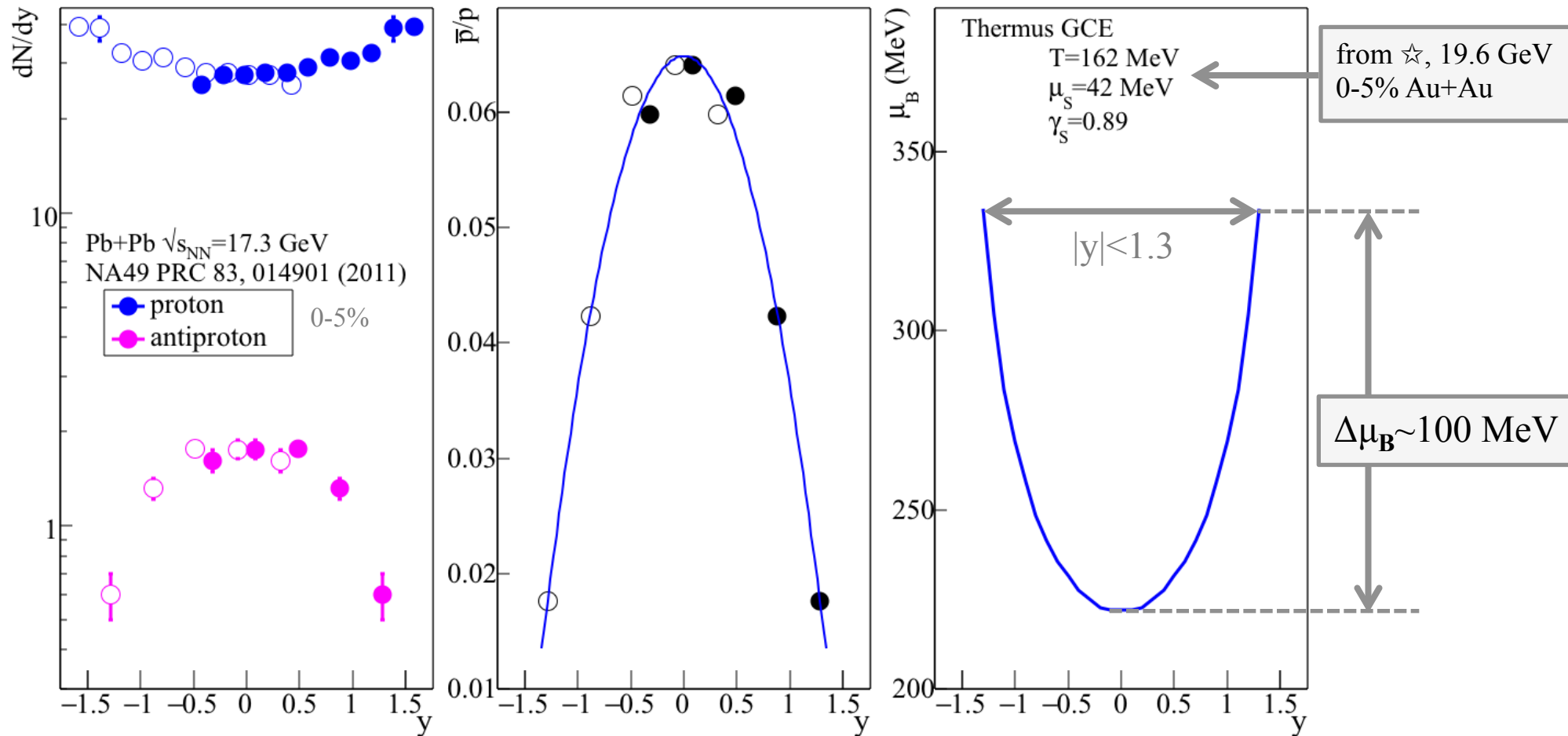


Variation in μ_B via the rapidity out to $|y| \sim 1.3$ at fixed $\sqrt{s_{NN}}$ is as large as the variation in μ_B from the different $\sqrt{s_{NN}}$ values...

Allows disentangling of (μ_B, T) dependence from quark transport to $y \sim 0$.

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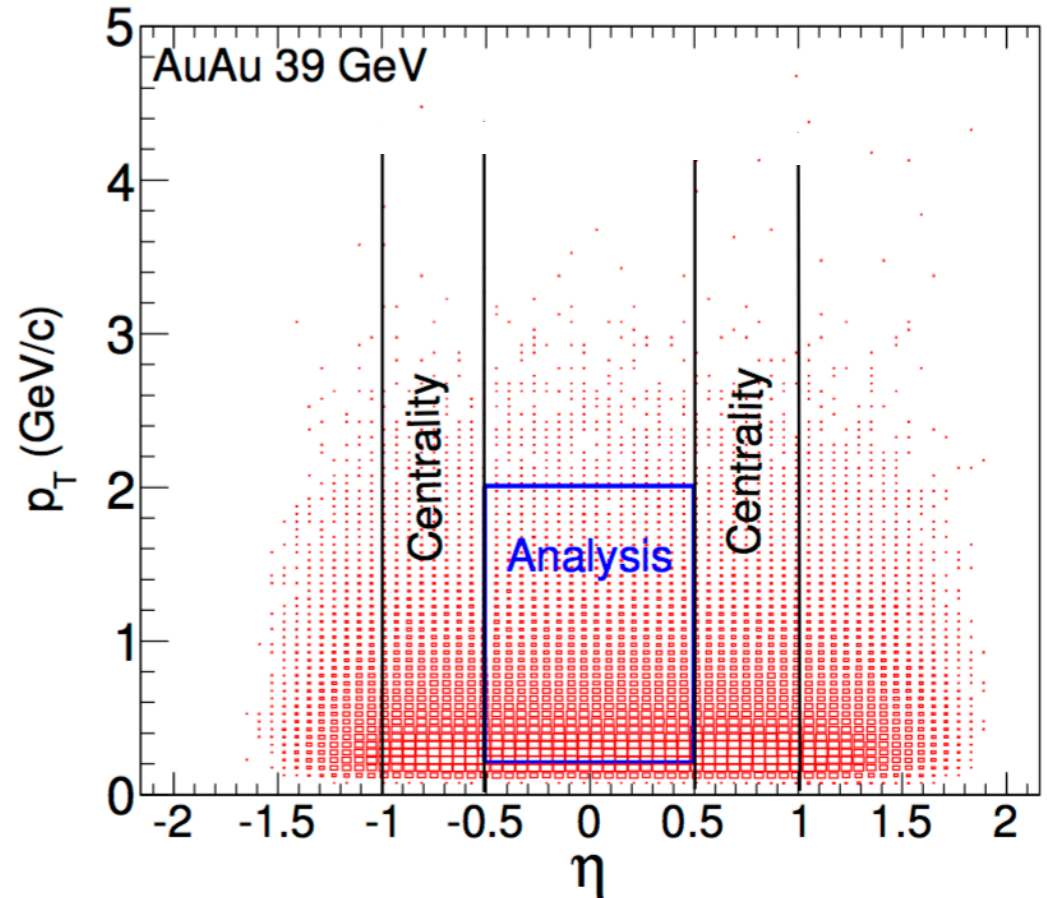
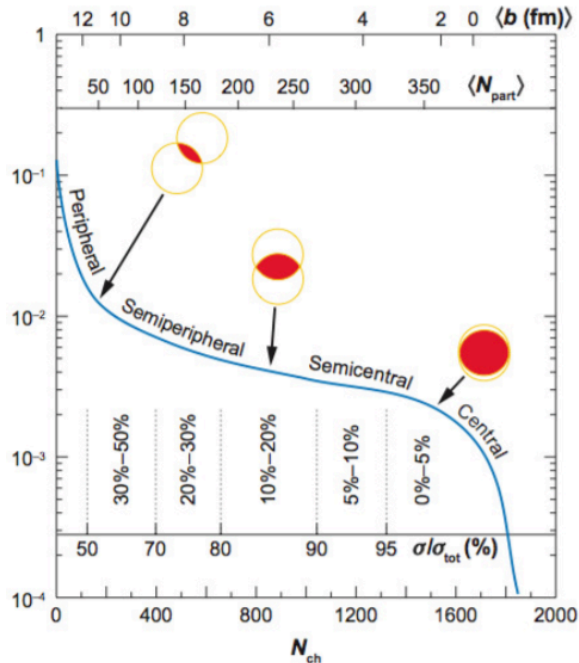
Allows disentangling of (μ_B, T) dependence from baryon # transport *etc.*

Why do all ☆ net-p, net-K, & net-h multiplicity cumulant results only use $|y| < 0.5$ or $|\eta| < 0.5$?

Doesn't the TPC cover all the way out to $|\eta| < 1.0$???

Yes, it does, but **we had to sacrifice some of the TPC acceptance to define the centrality!**

There are *bad* autocorrelations when studying multiplicity cumulants while cutting on the multiplicity for centrality!



The ability to define the centrality using tracks with $|\eta| \gtrsim 1.5$ would allow the use of the full acceptance of the TPC for the physics analyses...

BES-II as envisioned now:

- 2019: Au+Au at 19.6, 14.5, 11.5 GeV
& commission electron cooling
- 2020: Au+Au at 9.1 and 7.7 GeV

What's different w.r.t. BES-I?

1. Take advantage of excellent C-AD experience from BES-I to deliver higher luminosity beams for $\sqrt{s_{NN}} < 20$ GeV

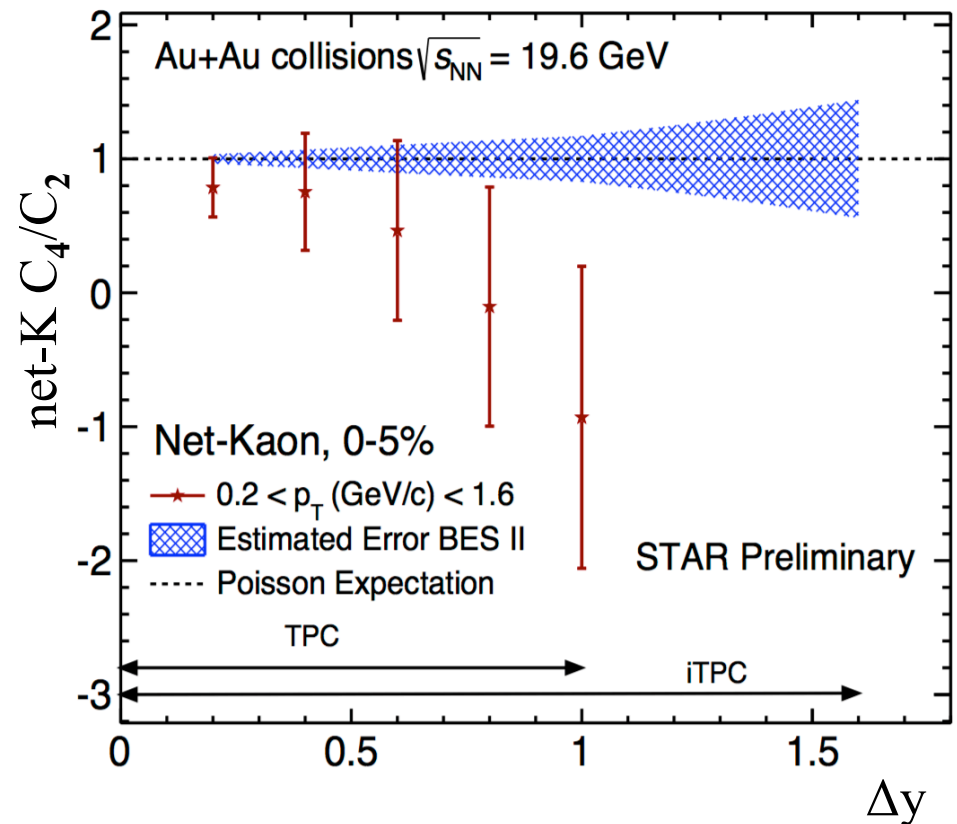
Collect more events in roughly the same real-time

2. Upgraded STAR detectors!

improved track reconstruction in TPC, extend tracking reach to $|\eta| < 1.7$...

new charged hadron PID capabilities for $1.1 < |\eta| < 1.6$

improved centrality definition (and event plane resolution) with $|\eta| > 1.7$



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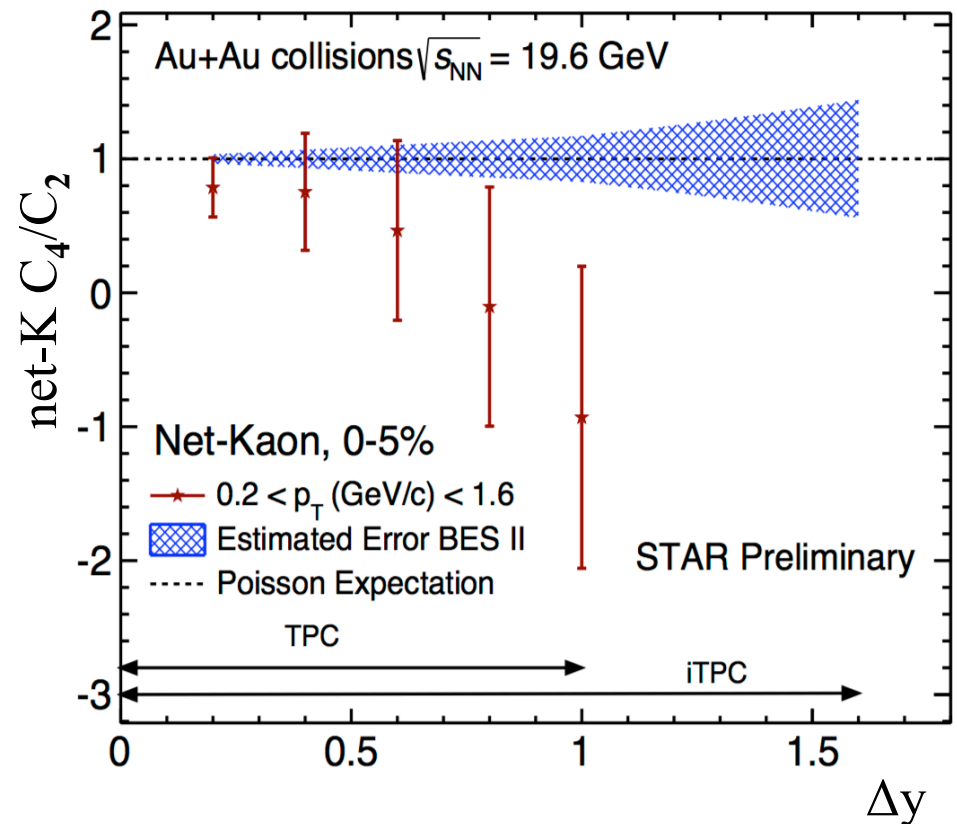
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iTPC improved track reconstruction in TPC, extend tracking reach to $|\eta| < 1.7...$

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EPD improved centrality definition (and event plane resolution) with $|\eta| > 1.7$

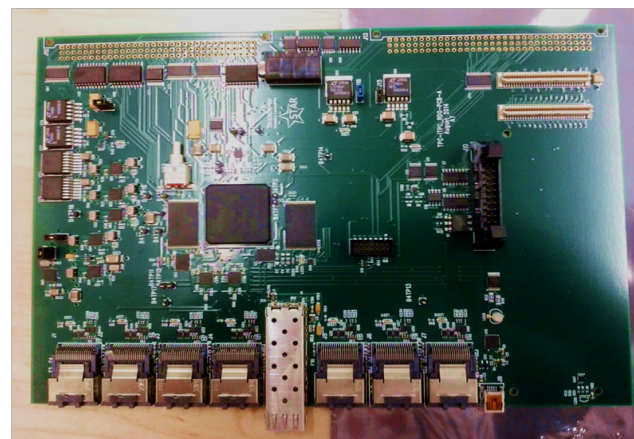
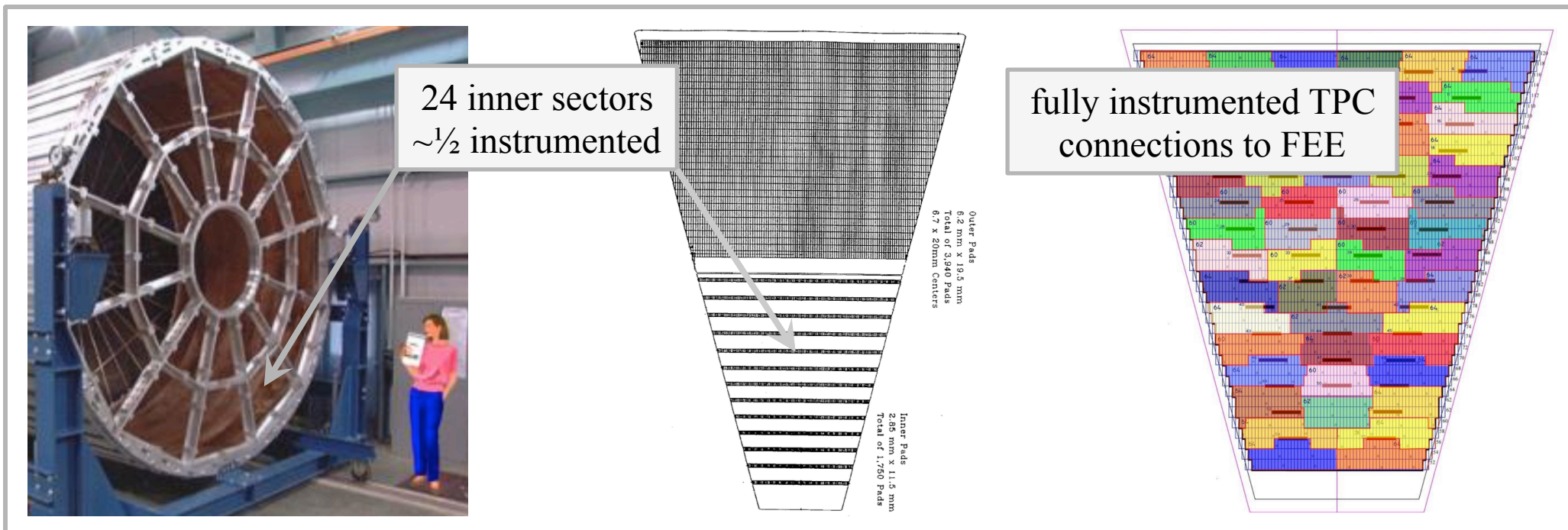


iTPC – fully instrument the inner padrows of the Time Projection Chamber

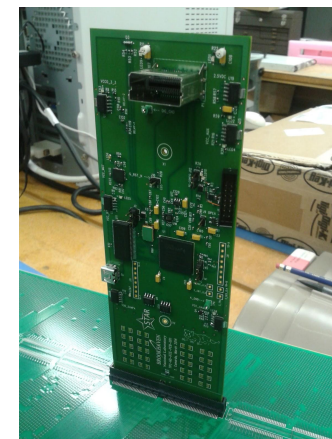
will extend pseudorapidity acceptance from $|\eta| < 1$ to $|\eta| < 1.5$

& transverse momentum acceptance from $P_T > 125$ MeV to $P_T > 60$ MeV/c

while improving track dE/dx resolution from 7.5% to 6.2%

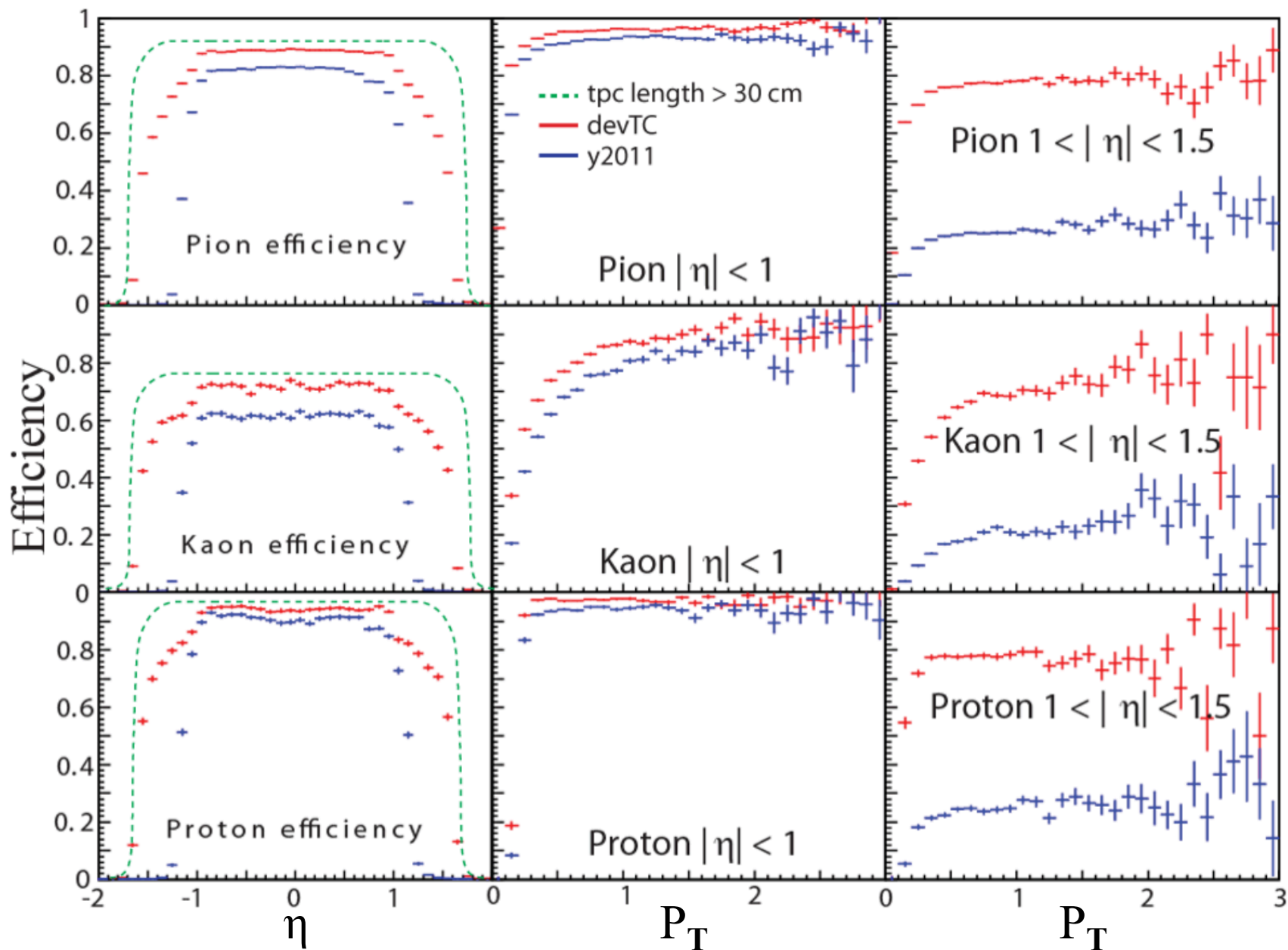


RDO



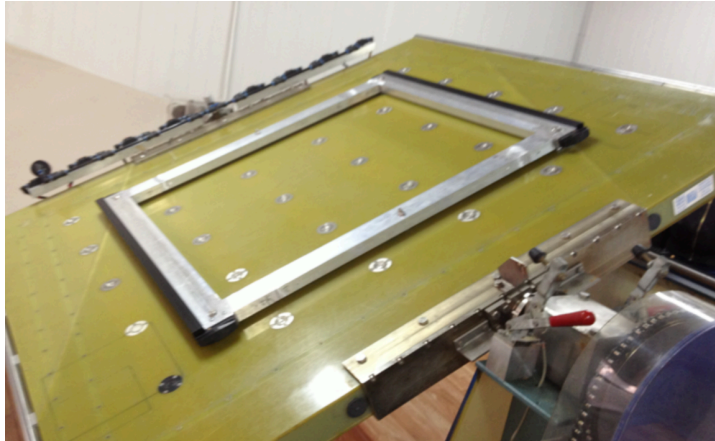
FEE & Pad Plane

iFEE based on current FEE,
but uses ALICE SAMPA chip...
Twice the # of channels per card...



>50% efficient for π , K, p tracking at $|\eta|=1.5$

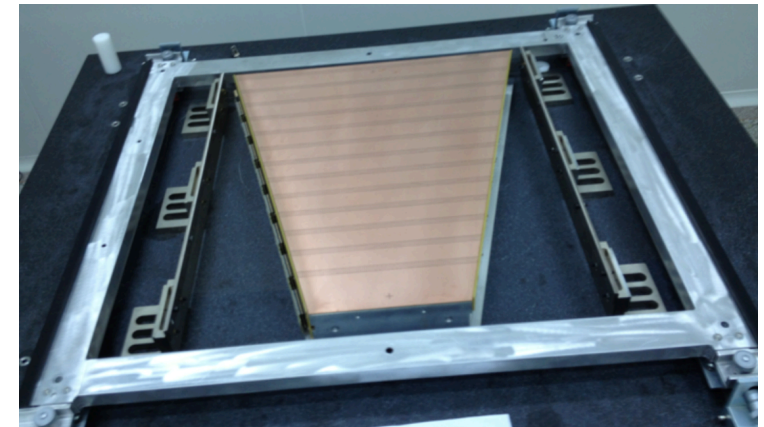
MWPC prototyping underway at Shandong University – ~1M\$ contribution from China with USTC (Hefei) & SINAP (Shanghai)



Wire winding

wire tension determined via laser system that measures the vibration frequency...

Wire plane and pad plane



Director's review at BNL Jan 25, 2016...

<https://indico.bnl.gov/conferenceDisplay.py?confId=1711>

From the ALD's Desk
A Quarterly RHIC News Bulletin
March 2016



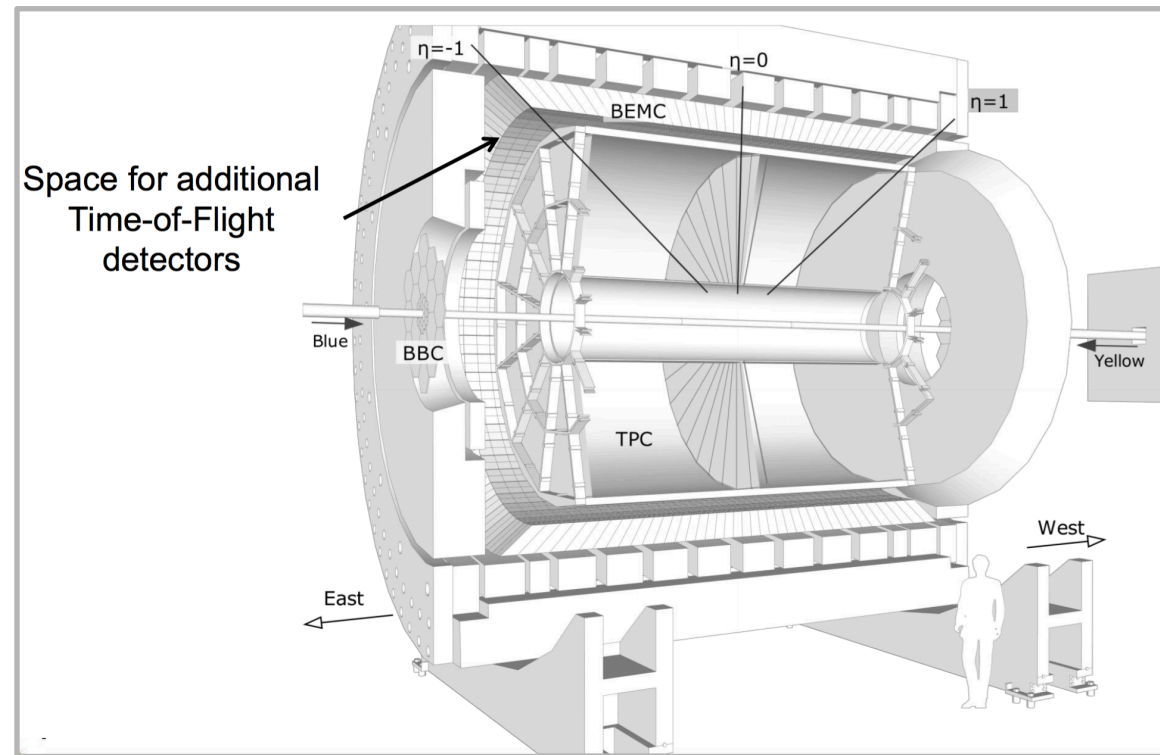
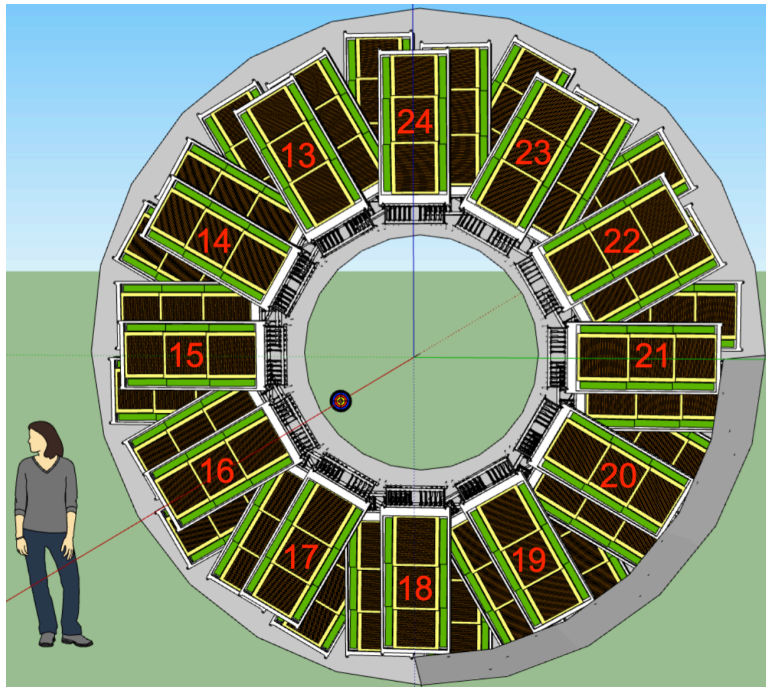
Berndt Müller

Berndt Müller

STAR iTPC Upgrade: Following a successful cost, schedule, and risk review in January, the DOE Office of Nuclear Physics approved our request to begin with the STAR iTPC upgrade. The first components have been ordered, and the project team led by Flemming Videbaek expects to complete the upgrade on schedule for the planned 2019 low energy RHIC run.

☆ and CBM institutions proposed installing CBM TOF modules inside East pole-tip.

- Would provide TOF PID for eastern iTPC tracks in $1.09 < |\eta| < 1.62$
- Brings low- $\sqrt{s_{NN}}$ experts into RHIC physics program (GSI SIS, CERN SPS)
- Provides important detector operations experience to CBM effort



36 Modules in 3 layers, 6912 channels...

Modules arranged to match 12 TPC sectors...

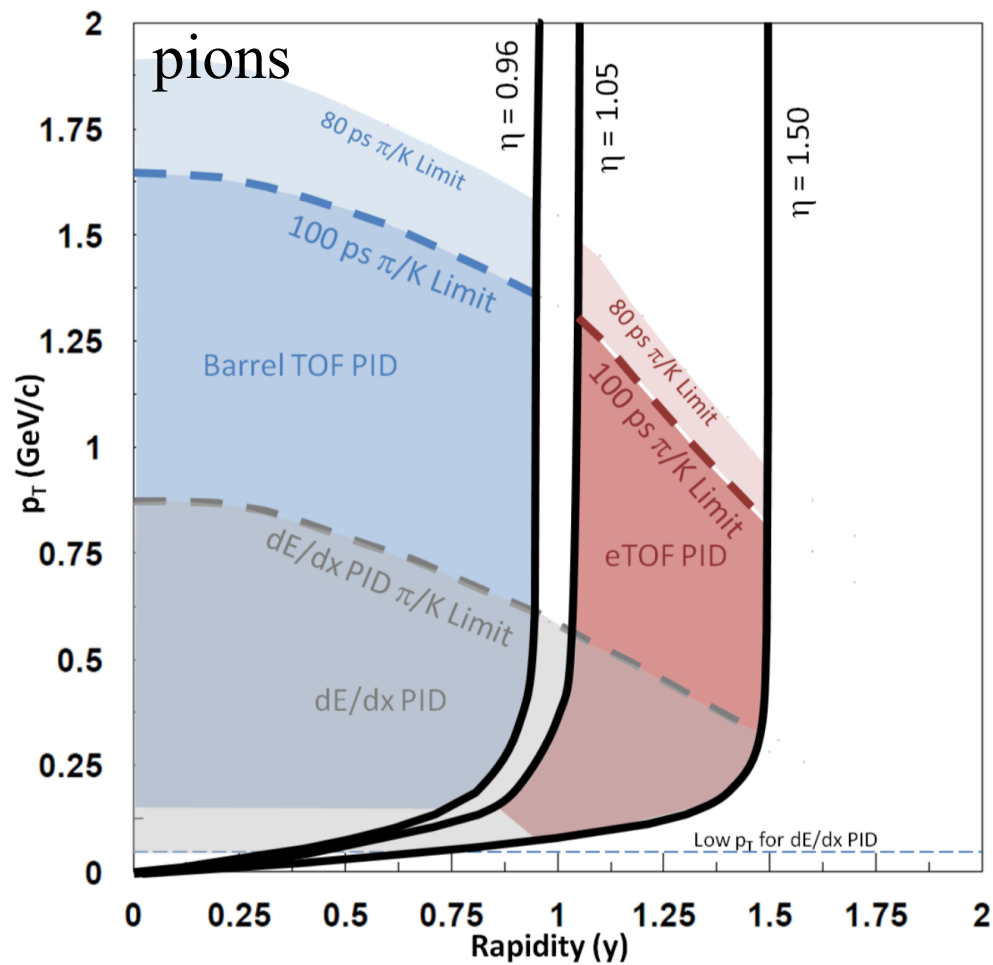
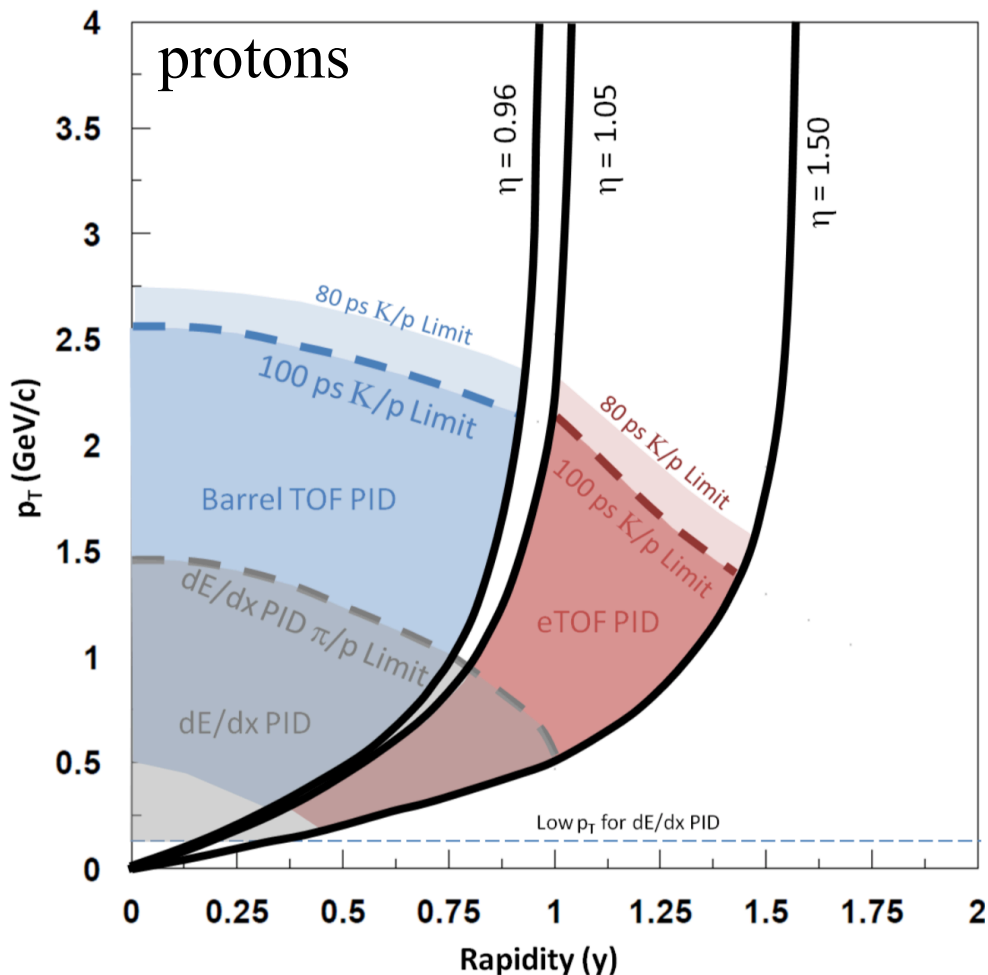
Each module is long-strip MRPC read-out at both ends. Similar to existing STAR MTD.

Considerable MRPC expertise already in ☆

Multiple hit probability per strip $< 7.4\%$

Prototypes installed during 2017 & 2018 RHIC runs.

Significant extension of TOF PID acceptance beyond the barrel TOF ($|\eta| < 0.94$)



Detectors and electronics loaned from CBM

Installation and facilities from ☆

~100k\$ support requested

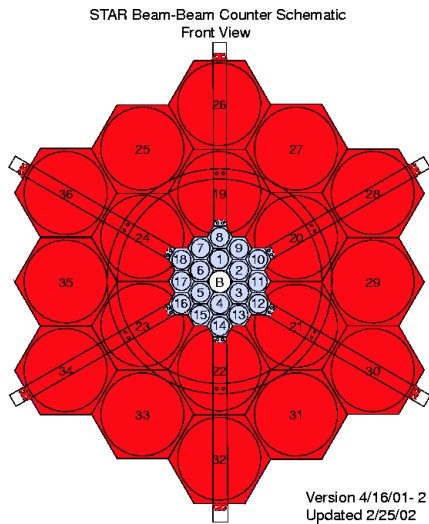
Successful STAR internal review March 2016.

Replace the Beam-Beam Counter (BBC)...

2×36 channels, small & large ($3.3 < |\eta| < 5$) hexagonal tiles

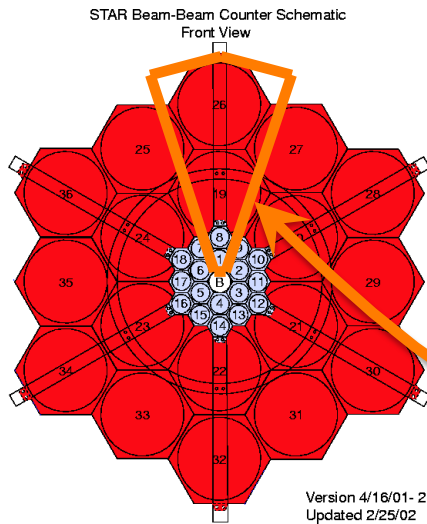
PMT read-out over long fibers

timing resolution ~ 2 ns, poor centrality resolution



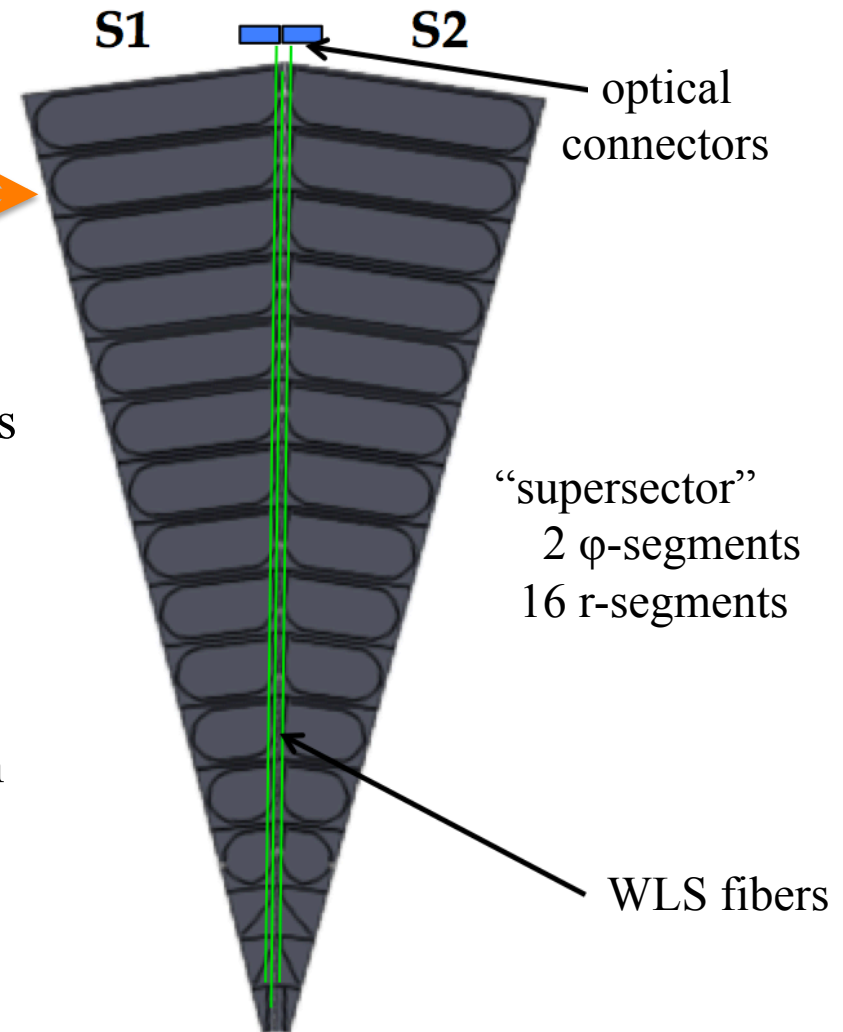
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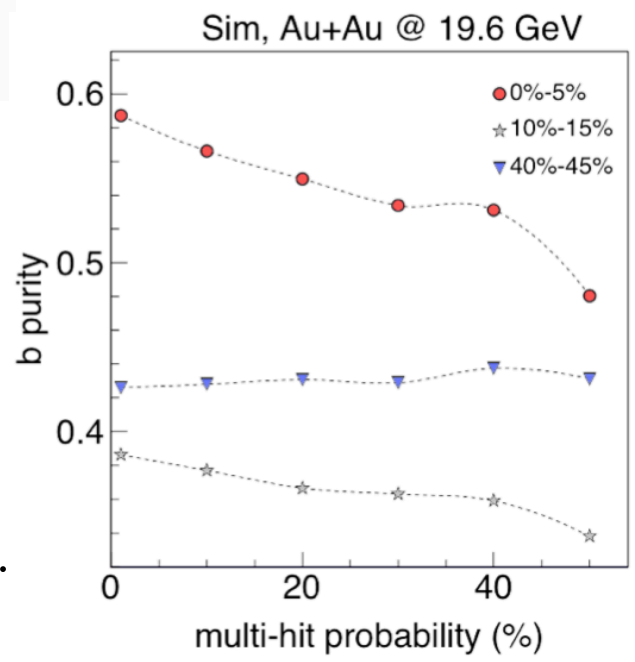
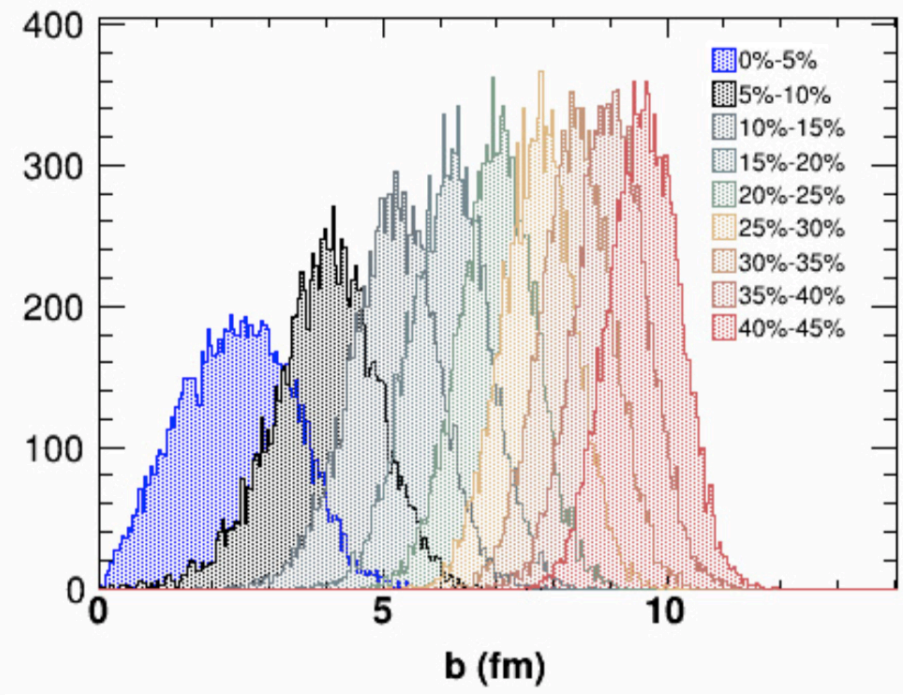
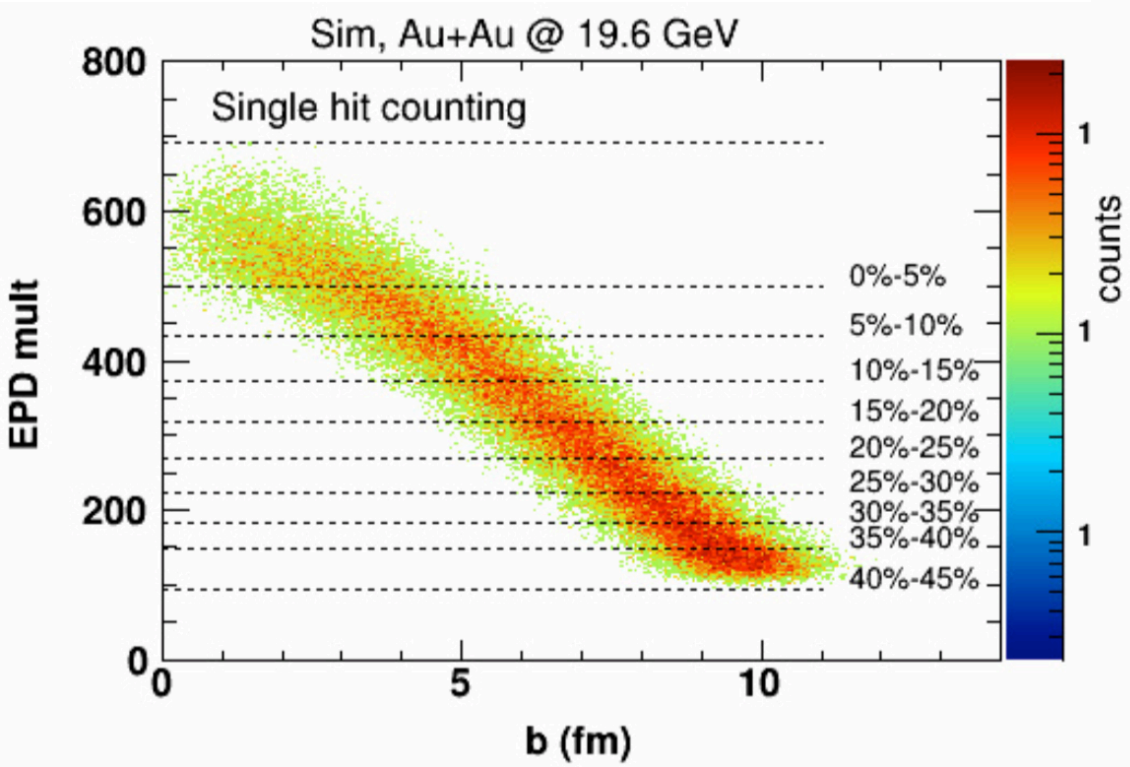


...with the Event Plane Detector (EPD)

2 × 384 channels, trapezoidal tiles of various sizes
 16 radial sections, 24 azimuthal sections
 arranged as 2 × 12 supersectors
 $4.5 < r < 90$ cm, $|Z| = 375$ cm, $2.1 < |\eta| < 5$
 SiPM readout over shorter fibers
 timing resolution < 1 ns, good centrality resolution
 $< 10\%$ multi-hit probability at 19.6 GeV
 to optimize centrality resolution
 & event plane determination



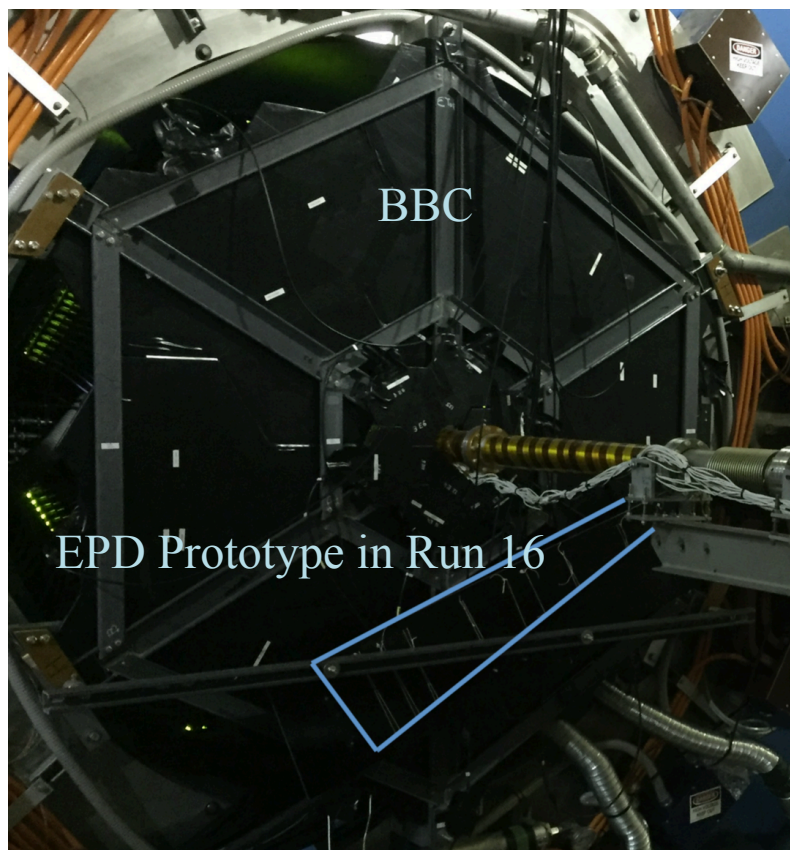
EPD centrality resolution



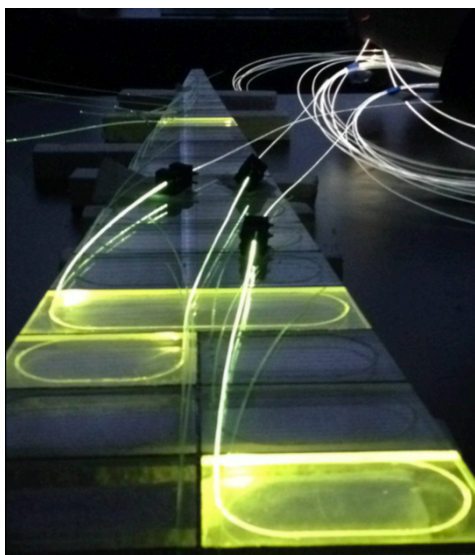
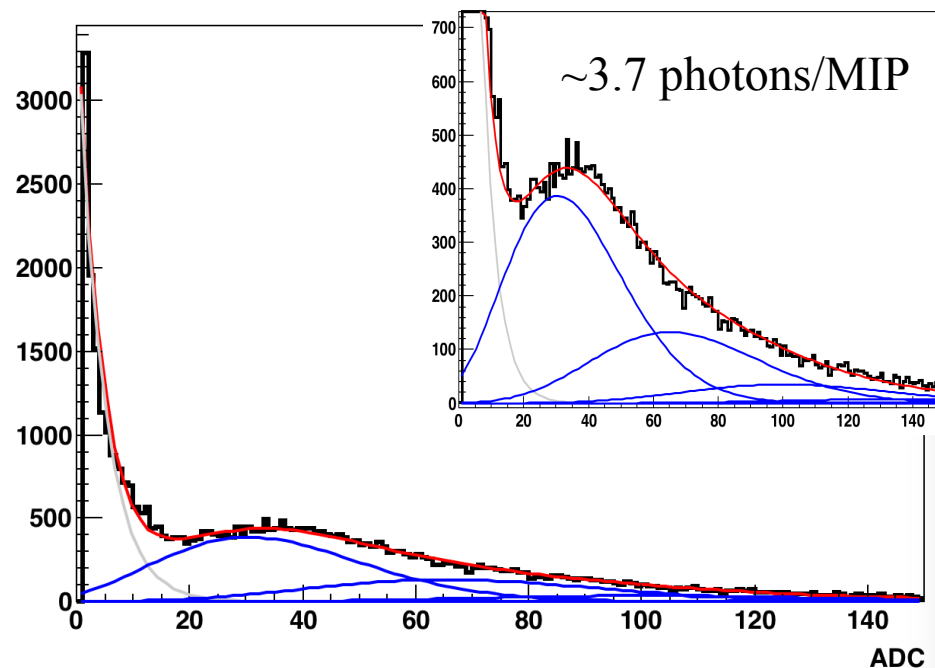
Impact parameter resolution looks good even when simply counting lit detectors...

degrades significantly for more peripheral collisions...

Possible additional improvement if pulse size (ADC) information is used instead..



Single ϕ -section installed in Run 16
 operated throughout entire run...
 24 channels (8 with timing information)...
 sub-1ns timing resolution shown...



Successful STAR internal review April 2016
 Seeking ~330 k\$
 242 k\$ for EPD, 90k\$ for digitizer boards “QT”
 Full quadrant installed for 2017 run (1/8th of full detector)

The iTPC, ETOF, and EPD detectors will significantly extend the acceptance of ☆ in both P_T and y directions, making possible signatures of a 1st order phase transition and critical point more apparent.

With the expected higher beam luminosities from C-AD, we expect to make strong statements on the phase diagram using the BES-II data.

We thank C-AD for their usual excellent machine performance and we very much look forward to BES-II in 2019-2020!

We look for increased correlation length, ξ , from ~ 1 to 2-3 fm

This translates to space-time rapidity correlation length of $\Delta\eta_s = \xi/\tau_f$

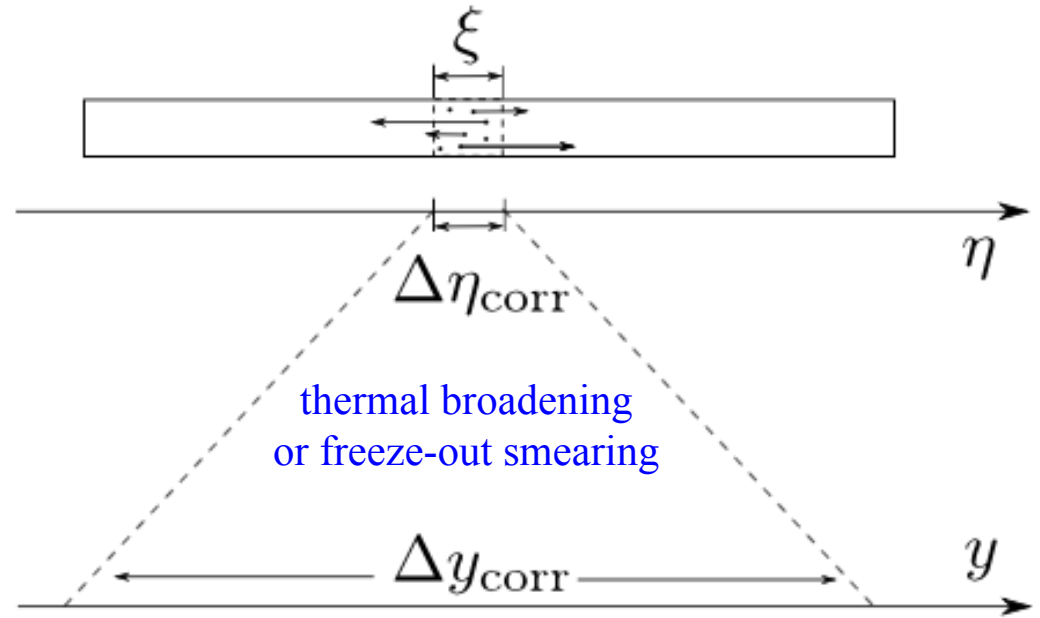
and if τ_f is 10 fm/c, then the **critical space-time rapidity correlation length $\Delta\eta_s$ is 0.2-0.3**

B. Ling & M. Stephanov
<http://arxiv.org/pdf/1512.09125.pdf>

But, we cannot measure η_s

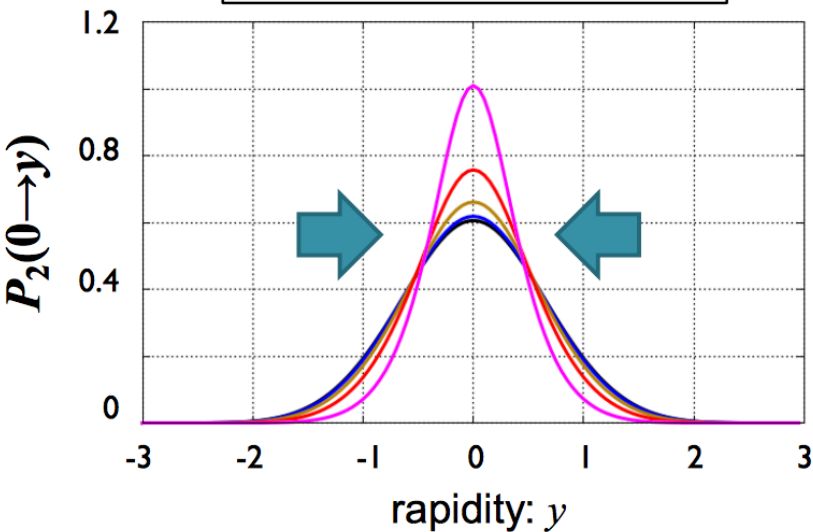
And there is a **smearing of order 1 unit of rapidity** in what we *can* measure...

Bjorken scaling broken. $y \neq \eta_s$



M. Asakawa, QM2015

Probability that a particle at $\eta = 0$ has rapidity y



$m = 140$ MeV
 $T = 100$ MeV

- $\beta = 0$
- $\beta = 0.2$
- $\beta = 0.4$
- $\beta = 0.6$
- $\beta = 0.8$

