



Measurements of K^+K^+ correlation function in $\sqrt{s_{NN}} = 3.0$ GeV Au+Au Collisions at RHIC-STAR

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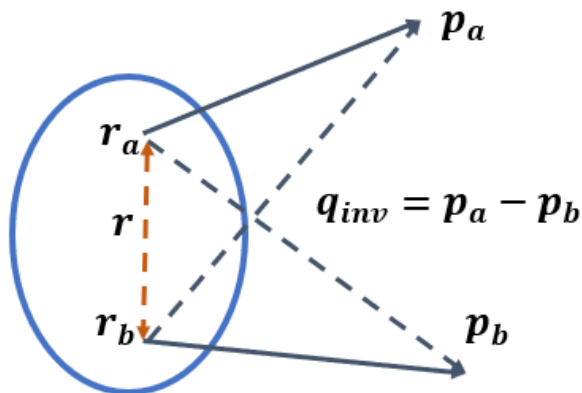
The 18th National Conference on Nuclear Physics



- Introduction and motivation
- K^+K^+ correlation function
- Systematic uncertainty
- Extracting parameters of correlation function
- Summary and outlook

Femtoscscopy (inspired by Hanbury Brown and Twiss interferometry)
the method to probe geometric and dynamic properties of the source.

Koonin-Pratt equation: $C(q_{inv}) = \int dr |\psi(q_{inv}, r)|^2 S(r)$ Steven E. Koonin.
PRC,1990,42(6)



Invariant relative momentum: $q_{inv} = |\Delta \vec{P}^\mu|$

Pair wave function: $\psi(q_{inv}, r)$

Emission function: $S(r)$

Theory Method

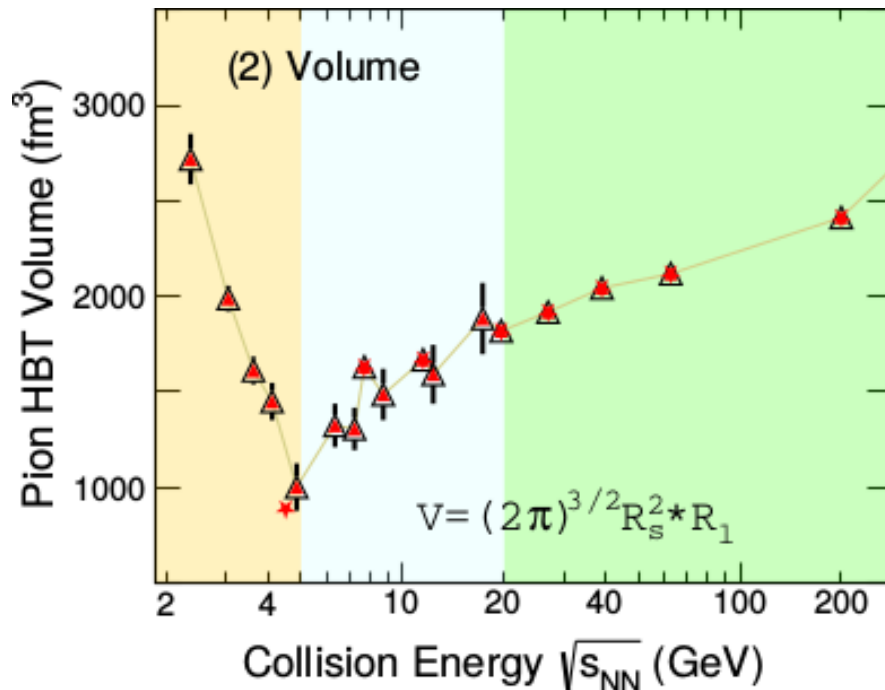
$$C_{\text{theory}}(\vec{P}_a, \vec{P}_b) = \frac{P_2(\vec{P}_a, \vec{P}_b)}{P_1(\vec{P}_a)P_1(\vec{P}_b)}$$

Experimental Method

$$C_{\text{exp}}(q_{inv}) = \frac{\text{Same events}(q_{inv})}{\text{Mixed events}(q_{inv})}$$

Nonmonotonic energy dependence for pion source size.

Leszek Adamczyk. PRC 92,014904(2015)



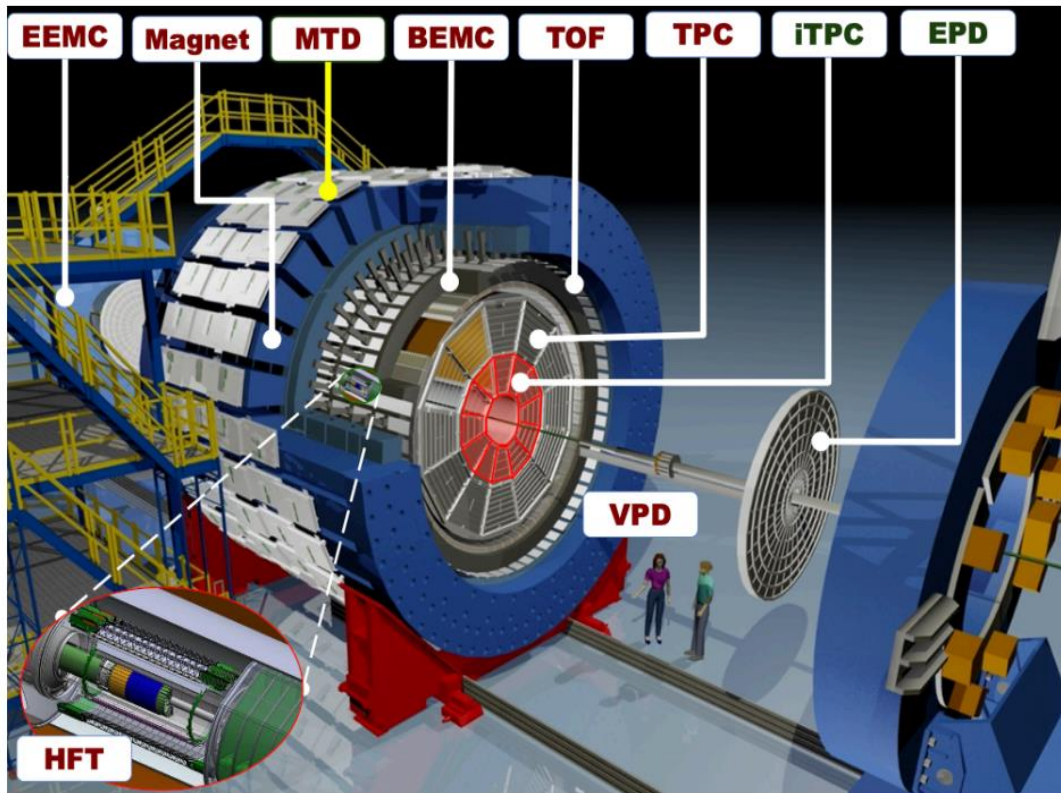
Why do we analyse kaons?

Kaons can provide complementary information to pions:

- Smaller cross section with the hadronic matter.
- Less affected by the feed-down from resonance decays.
- The production of strange quark is related to QGP formation.

How about the collision energy dependence of kaon source size?

STAR detector and dataset



Dataset	Au+Au $\sqrt{s_{NN}} = 3.0 \text{ GeV}$
Year	2018
Number of events	~260M

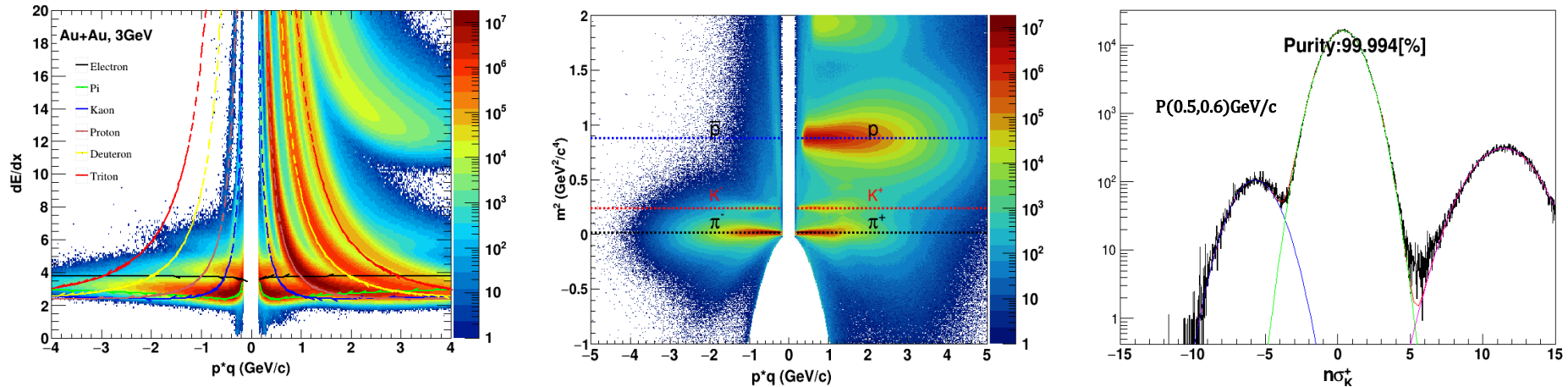
V_z (cm)	198~202
V_r (cm)	< 2
p_T (GeV/c)	0.15~2.0
p (GeV/c)	0.2~5.0
η	-2~0
DCA(cm)	< 3

The STAR Detector

- Full 2π azimuthal coverage
- Large acceptance at midrapidity
- Excellent particle identification

K⁺ selection

Tri-gaussian (Gaussian_{blue} + Gaussian_{green} + Gaussian_{purple}) is used to fit the $n\sigma_{K^+}$ distribution.

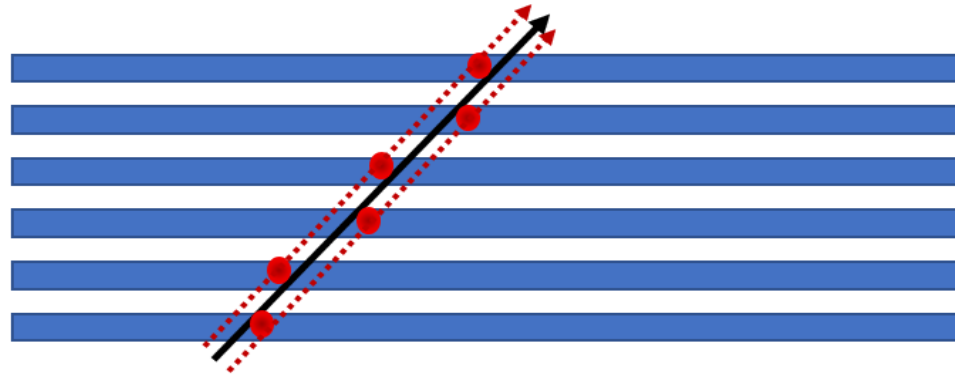


$$\text{Purity} = \frac{\int_{\mu-3}^{\mu+3} \text{Gaussian}(K^+)}{\int_{\mu-3}^{\mu+3} [\text{Gaussian}(\pi^+) + \text{Gaussian}(K^+) + \text{Gaussian}(p)]}$$

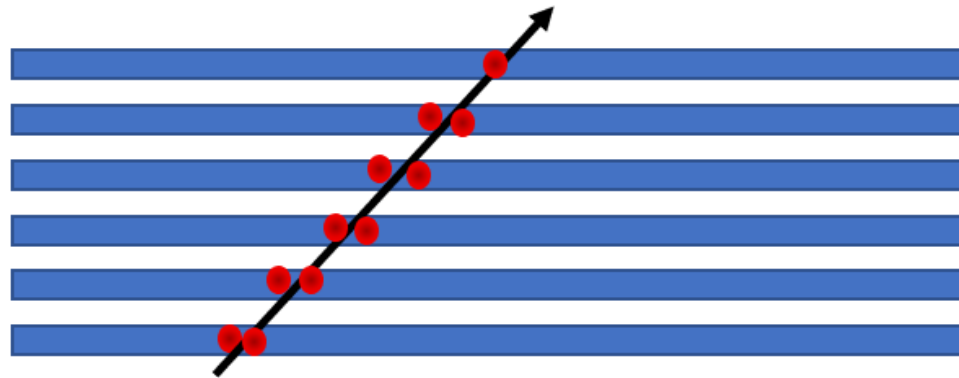
PID Cuts (Purity >95%)

$|n\sigma_{K^+}| < 3$ $0.16 < \text{mass}^2 < 0.36$ for $0.2 < \text{momentum} < 2.0$ GeV/c

Track splitting and merging effects



Track splitting: shifts of pad-rows, a single track is reconstructed as two tracks with similar momenta.



Track merging: two tracks with close θ and ϕ are reconstructed as a single one.
(θ and ϕ determined by p_x , p_y and p_z)

Momentum smearing effect

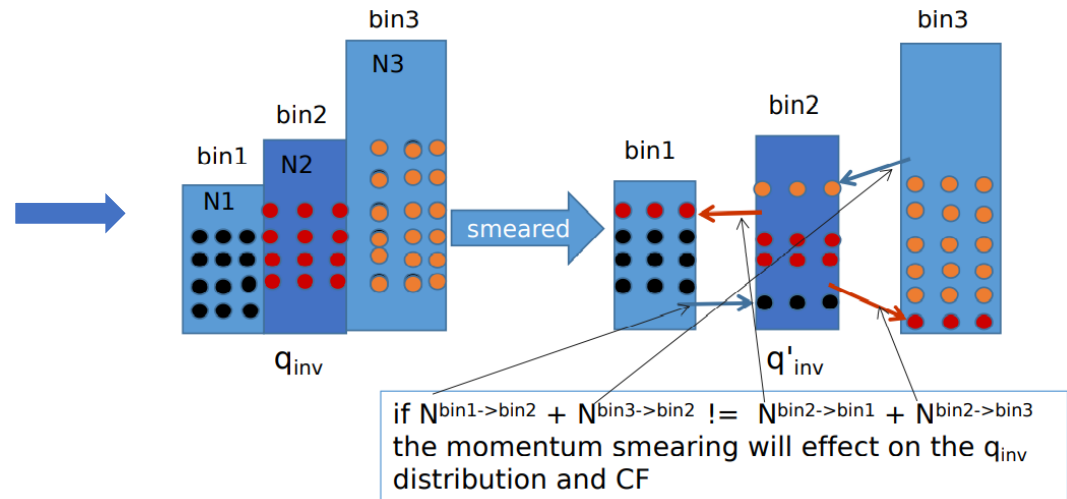
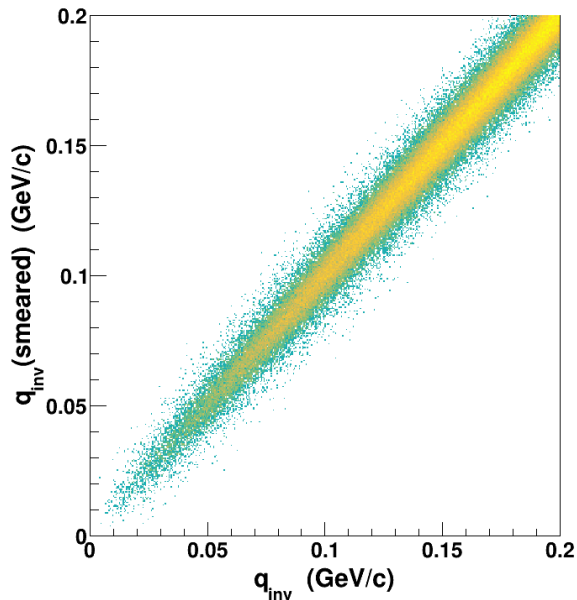
The detector has a momentum resolution for measuring the particle momentum.

$$p_T^{\text{smear}} = p_T^{\text{meas}} + \Delta p_T$$

$$\theta^{\text{smear}} = \theta^{\text{meas}} + \Delta\theta$$

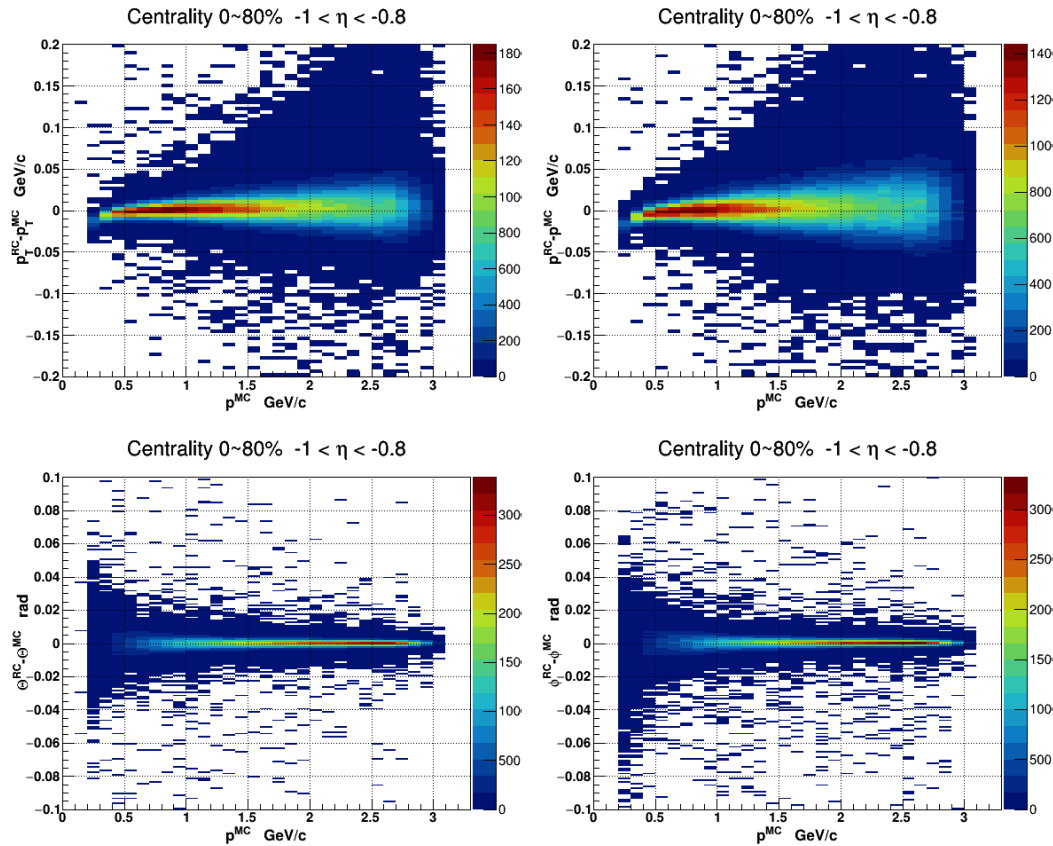
$$\phi^{\text{smear}} = \phi^{\text{meas}} + \Delta\phi$$

The measured q_{inv} is a Gaussian distribution with the real q_{inv} as the mean.



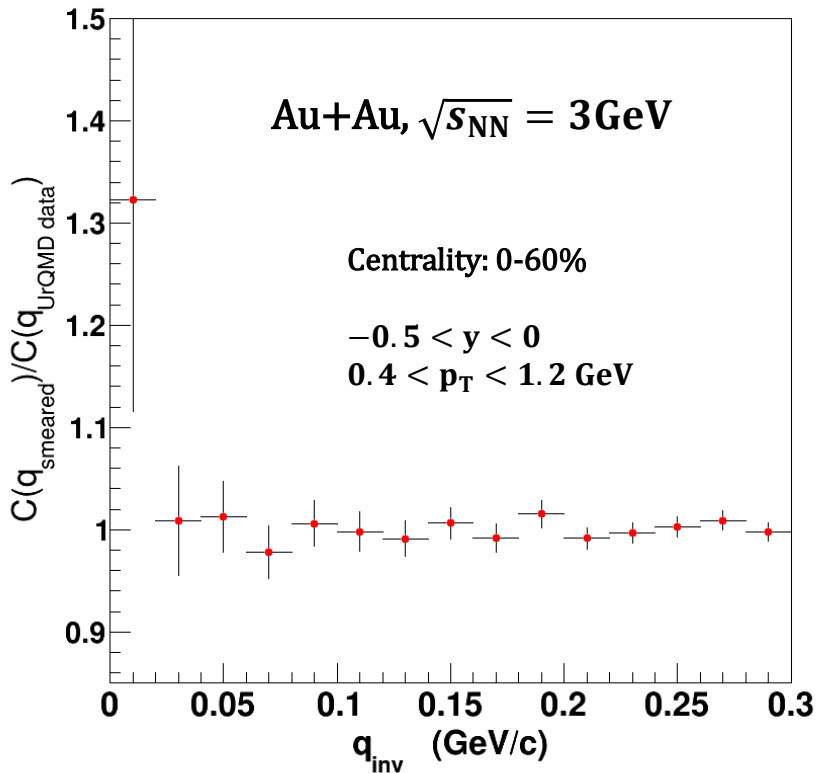
MC: Monte-Carlo simulation RC: Detector reconstruction

Number of events from MC:531300



Take the σ of the Gaussian distribution of p_T , θ , ϕ as the resolution.

Momentum smearing effect



$$\text{Correction: } CF(q_{\text{data}}) * \frac{CF(q_{\text{smeared}})}{CF(q_{\text{URQMD data}})}$$

The momentum smearing effect is tiny, the statistics need to be increased to make corrections.

Systematic uncertainty

sys. error source	dca	nhitsFit	$ \Delta\phi $	$ n\sigma $
Default	< 3 cm	> 23	> 0.005	< 3
Varied	< 2 cm	> 27	> 0.01	< 2
			> 0.015	

$$\Delta CF = (|CF_{\text{default}} - CF_{\text{varied}}|) / CF_{\text{default}}$$

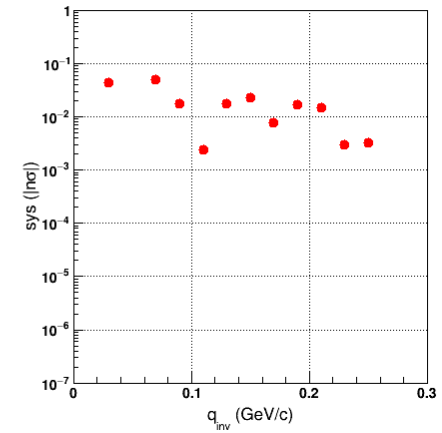
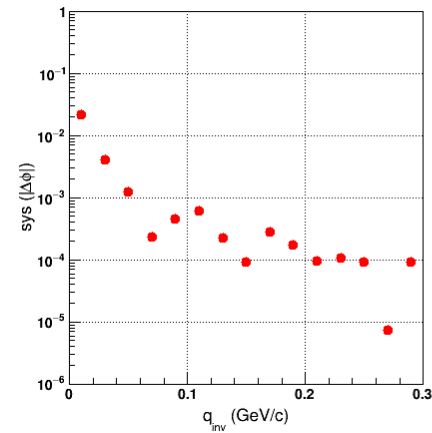
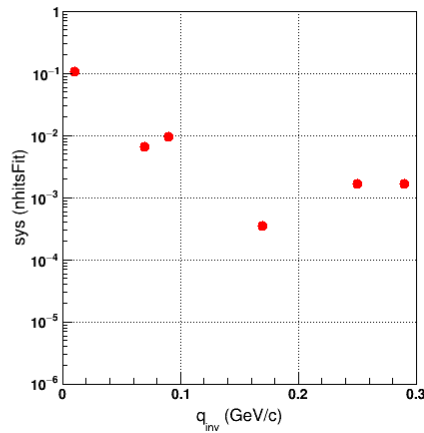
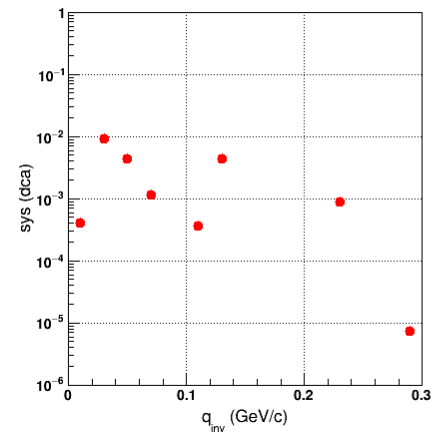
$$\Delta\sigma(\text{Stat. fluctuation}) = \left(\sqrt{|\text{err}_{\text{default}}^2 - \text{err}_{\text{varied}}^2|} \right) / CF_{\text{default}}$$

same source with different cut:

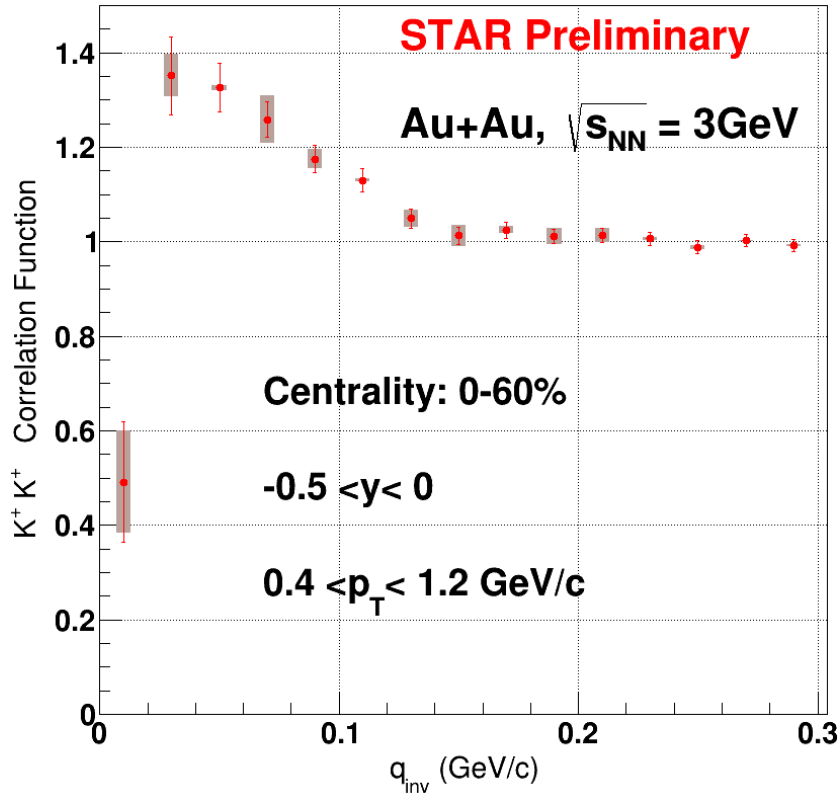
$$\text{sys. err} = \sqrt{(\text{sys. err}_1^2 + \text{sys. err}_2^2) / 2}$$

sys. err = $\Delta CF - \Delta\sigma$; if $\Delta CF < \Delta\sigma(\text{Stat. fluctuation})$, sys. err = 0

$$\text{sys. err}_{\text{final}} = \sqrt{\text{sys. err}_{\text{dca}}^2 + \text{sys. err}_{\text{nhitsFit}}^2 + \text{sys. err}_{|\Delta\phi|}^2 + \text{sys. err}_{|n\sigma|}^2}$$



At low q_{inv} , systematic uncertainty of track splitting effect (nhitsFit) dominates.



At $q_{inv} < 0.02 \text{ GeV}/c$, Coulomb interaction (repulsive) is dominant.

With the increase of q_{inv} , Coulomb interaction becomes weak, quantum statistics (attractive) is dominant.

At $q_{inv} > 0.15 \text{ GeV}/c$, Coulomb interaction and quantum statistics can be ignored.

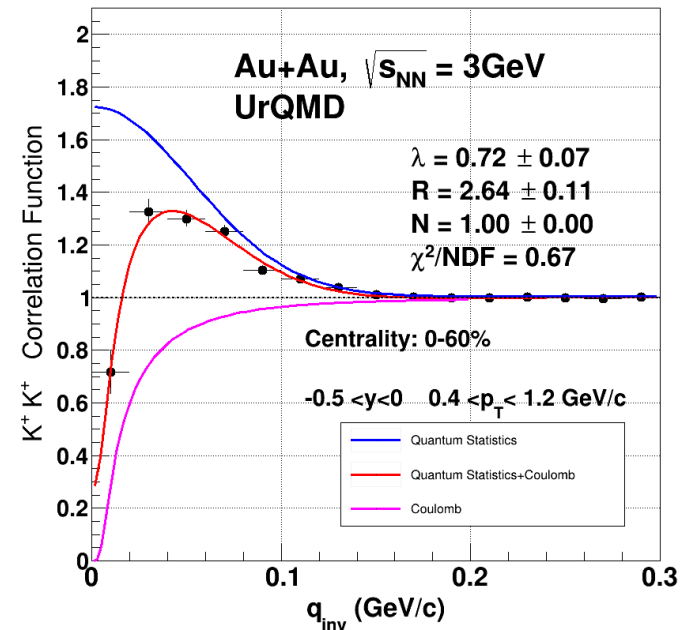
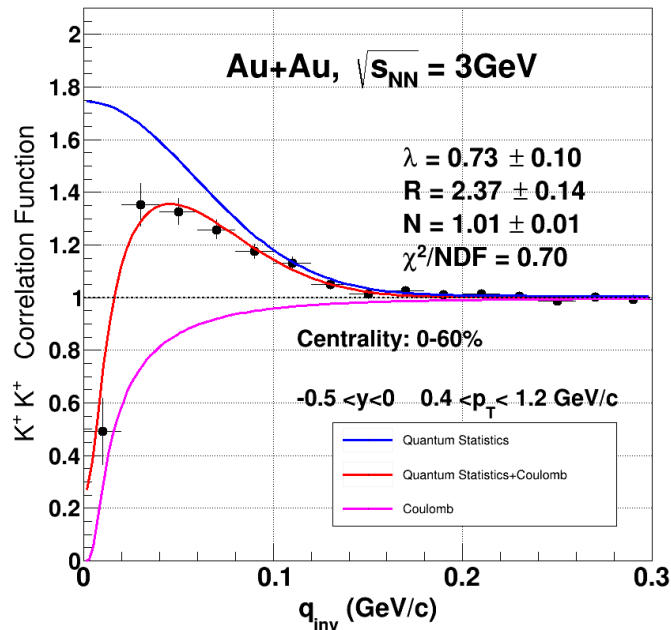
Extraction of R and λ

Sinyukov-Bowler method:
$$C(q) = N \left[(1 - \lambda) + K_{\text{coul}}(q, R) \lambda \left(e^{-q^2 R^2} + 1 \right) \right]$$

Y. Sinyukov et al. Phys. Lett. B 432 (1998)

λ - correlation strength parameter R – Gaussian source size N - normalization factor

Quantum Statistics: $C^{(0)}(q) = N(1 + \lambda e^{-q^2 R^2})$ - interaction-free particles



Within the statistical error, R and λ extracted from the experiment and model are similar.

Summary

- K^+K^+ CF measurements in Au+Au collisions at $\sqrt{s_{NN}} = 3 \text{ GeV}$
- Extraction of the parameters source size R and λ
- The CF from data can be reproduced by UrQMD model

Outlook

- Collision energy dependence

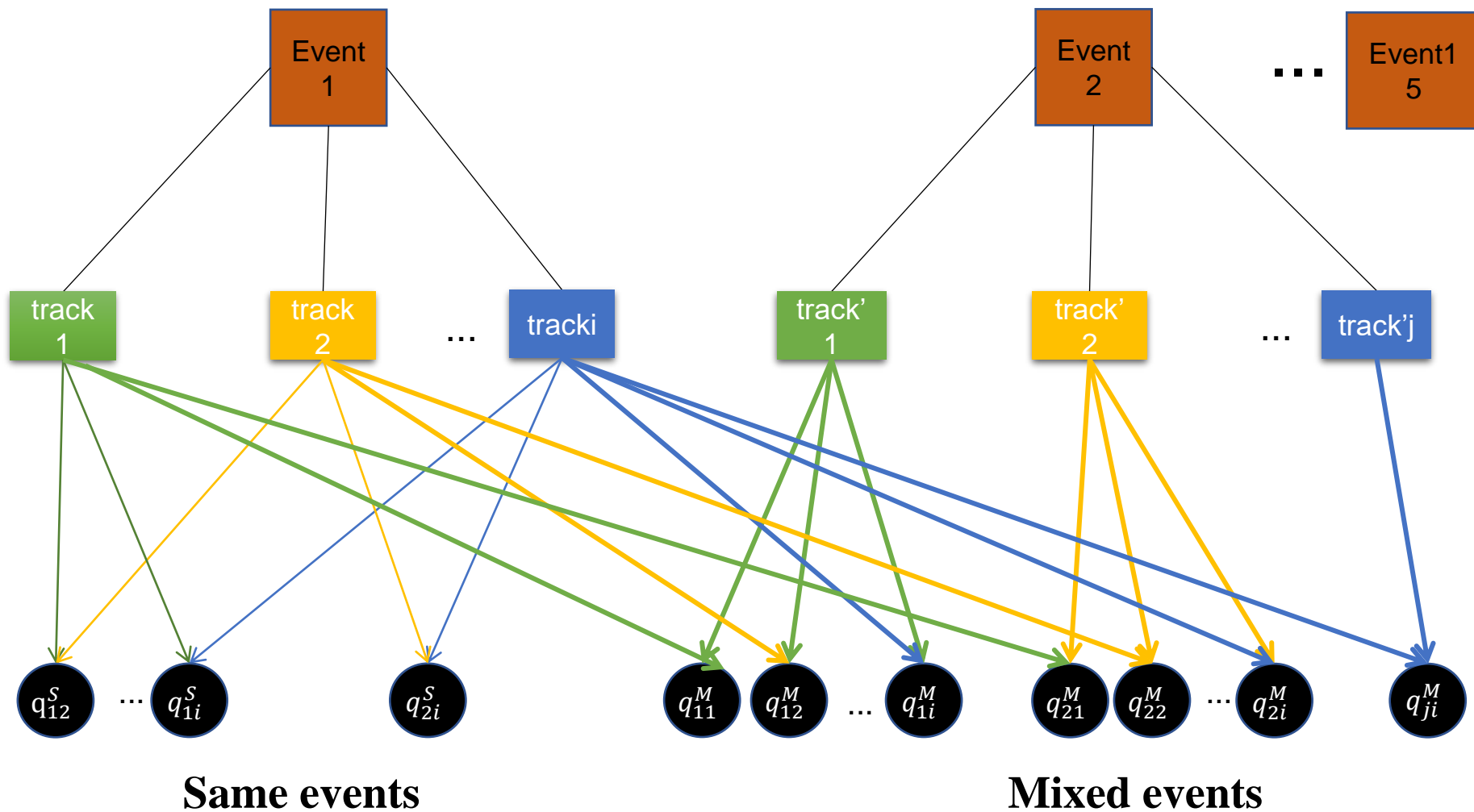


Thanks for your attention!



Backup

We mixed particles from different events which come from same V_z bin and centrality bin. Every 15 events are mixed as a group.



Simulation of correlation function

