



# Elliptic flow of identified particles in Au + Au collisions at $\sqrt{s_{NN}} = 14.6$ GeV in BESII

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**for the STAR Collaboration**

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*CPOD 2022 - Critical Point and Onset of Deconfinement*



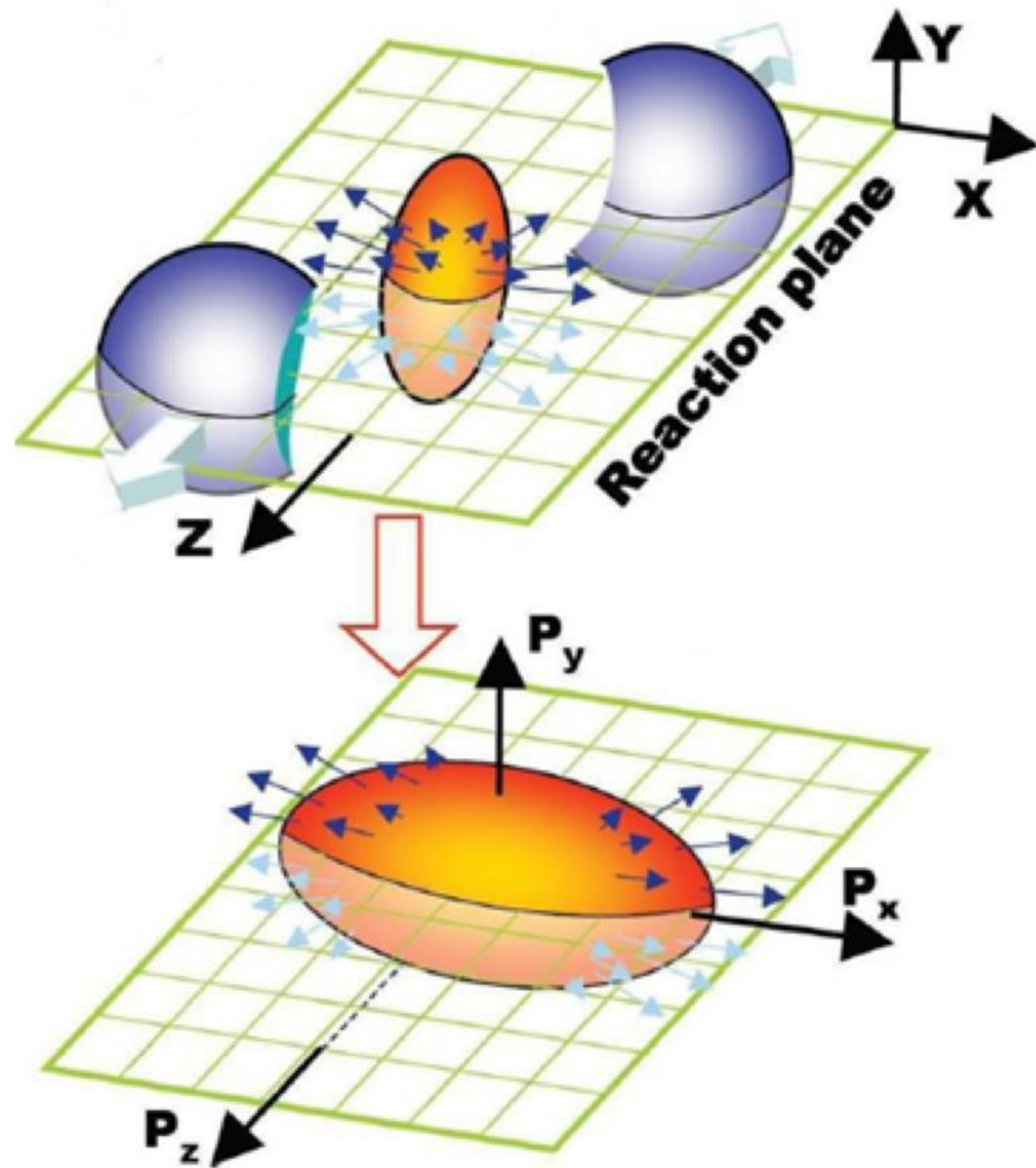
# Outline

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- Motivation
- Experimental Setup
- Analysis Method
- Results and Discussion
- Summary



# Motivation



Initial spatial anisotropy in coordinate space exists in non-central heavy-ion collisions.

Pressure gradient and interaction among constituents lead to conversion from initial spatial anisotropy to final momentum-space anisotropy.

Elliptic flow is sensitive to the degree of freedom and thermalization of the medium

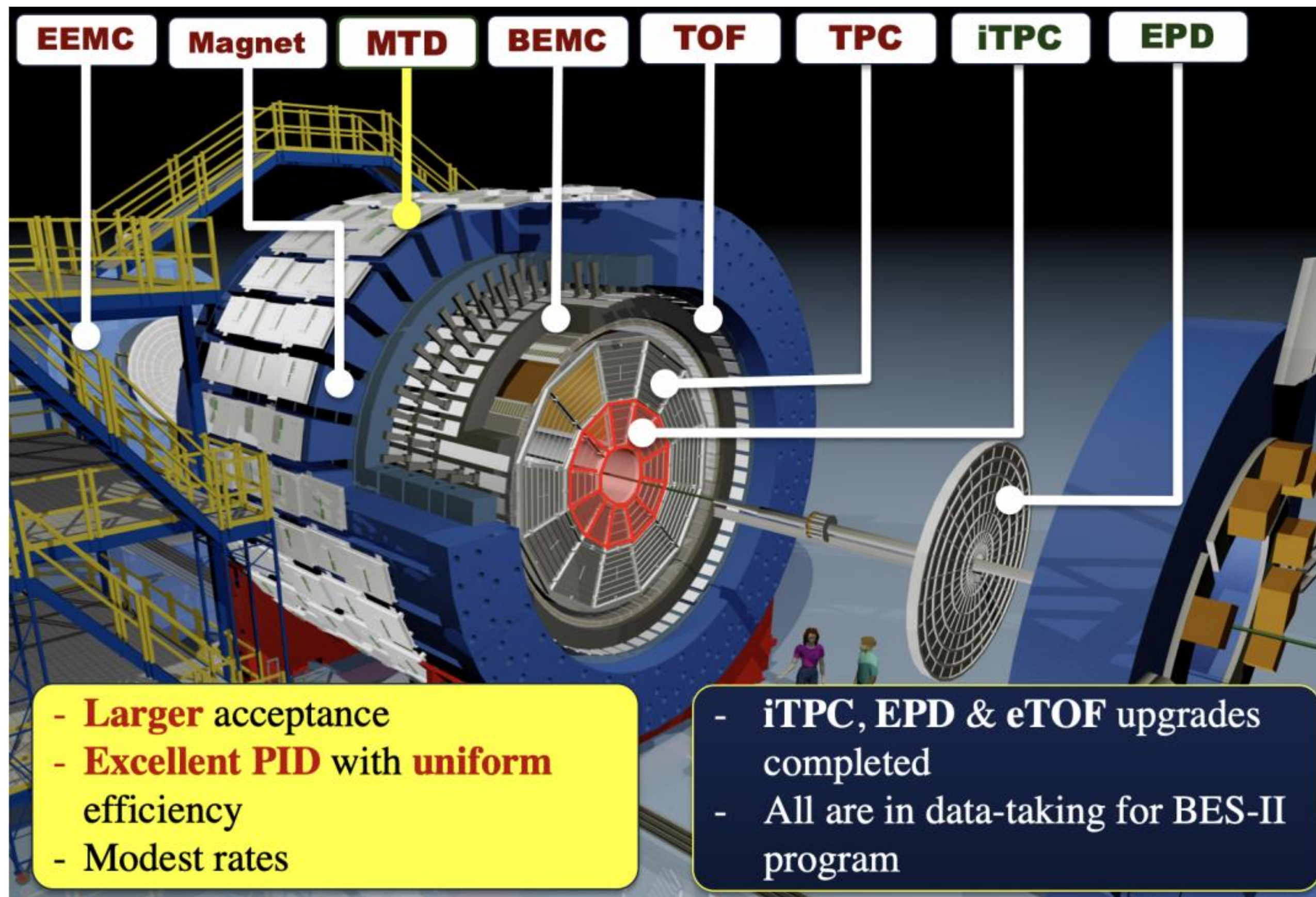
$$E \frac{d^3N}{d^3p} = \frac{1}{2\pi p_T dp_T dy} \left( 1 + \sum_{n=1}^{\infty} 2v_n \cos(n(\phi - \psi_{RP})) \right)$$

$$v_2 = \langle \cos(2(\phi - \psi_{RP})) \rangle$$

A. M. Poskanzer and S. A. Voloshin, PHYSICAL REVIEW C 1671–1678 (1998)



# STAR Detector



The artistic view of the STAR detector

## Time Projection Chamber (**TPC**)

- ✓ Particle identification from ionization energy loss ( $dE/dx$ )
- ✓ Charged Particle Tracking

## Time-of-Flight (**TOF**)

- ✓ Particle identification using  $m^2$



# Event Plane Method

$$E \frac{d^3 N}{d^3 p} = \frac{1}{2\pi p_T dp_T dy} \left( 1 + \sum_{n=1}^{\infty} 2v_n \cos(n(\phi - \Psi_{RP})) \right)$$

## Sub-event method:

(-1.0,-0.05)

East

(0.05,1.0)

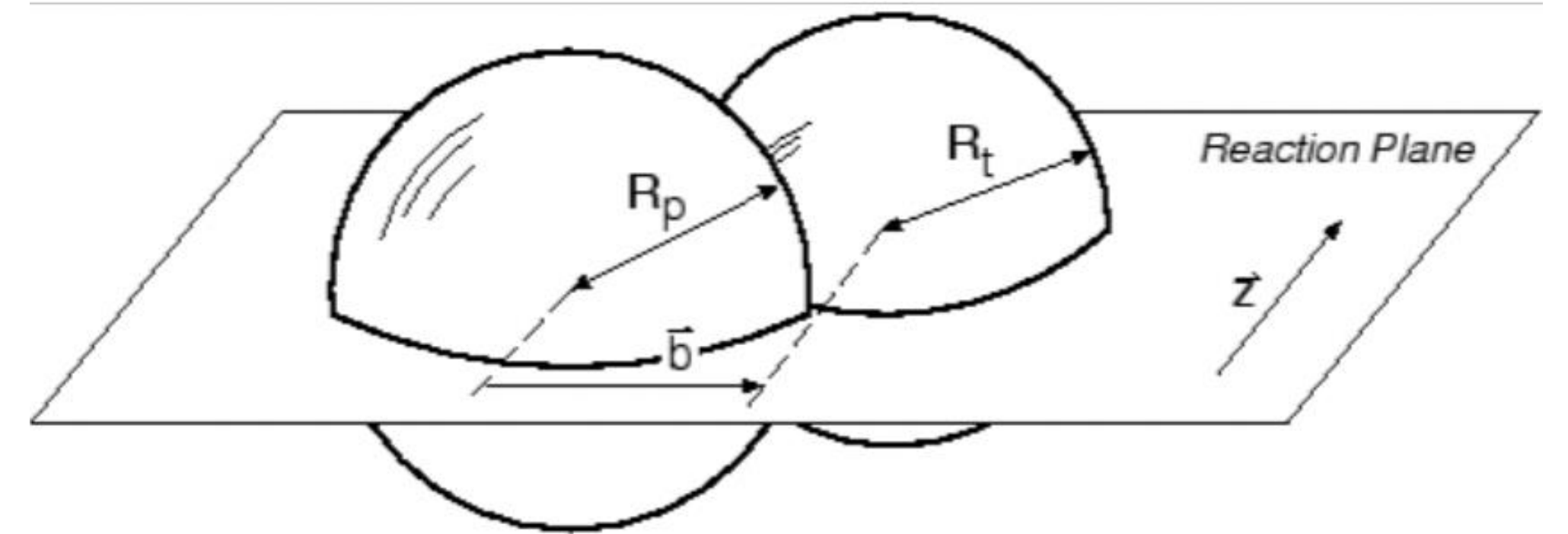
West

$\eta$

$$q_x = \sin(n\phi_i) \quad Q_{n,x} = \sum_i w_i \cos(n\phi_i) = Q_n \cos(n\Psi_n)$$

$$q_y = \cos(n\phi_i) \quad Q_{n,y} = \sum_i w_i \sin(n\phi_i) = Q_n \sin(n\Psi_n)$$

$$\text{Shift: } n\Delta\psi_{n,shift} = \sum_{i=1}^{imax} \frac{2}{i} [\langle \sin(in\psi_{n,rc}) \rangle \cos(in\psi_{n,rc}) + \langle \cos(in\psi_{n,rc}) \rangle \sin(in\psi_{n,rc})]$$



Reaction plane is spanned by the vector of impact parameter and beam direction

We introduce event plane which is the estimate of the true reaction plane

Recentering:

$$Q_{x,n,rc} = \sum_i^n (q_{n,i,x} - \langle q_x \rangle),$$

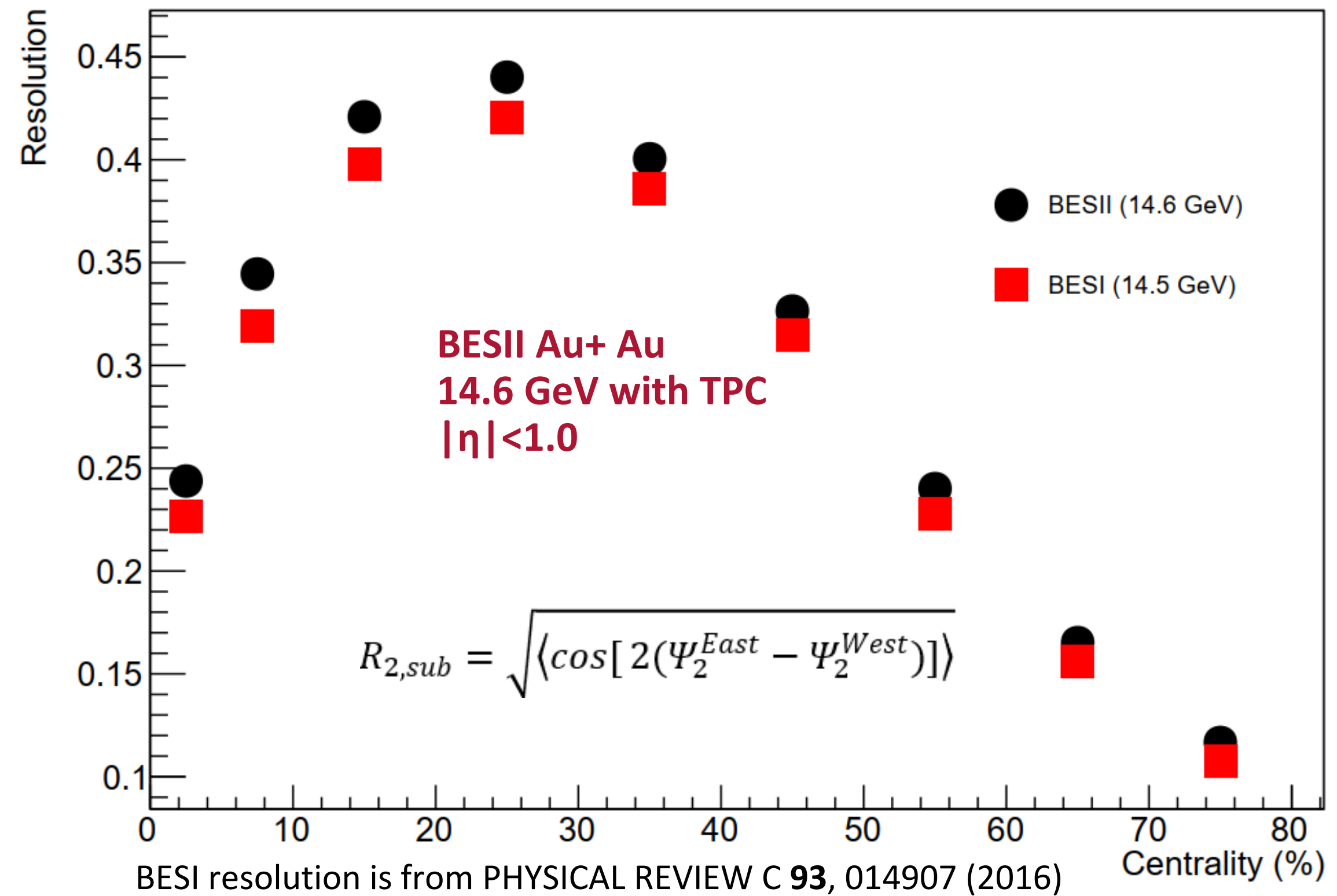
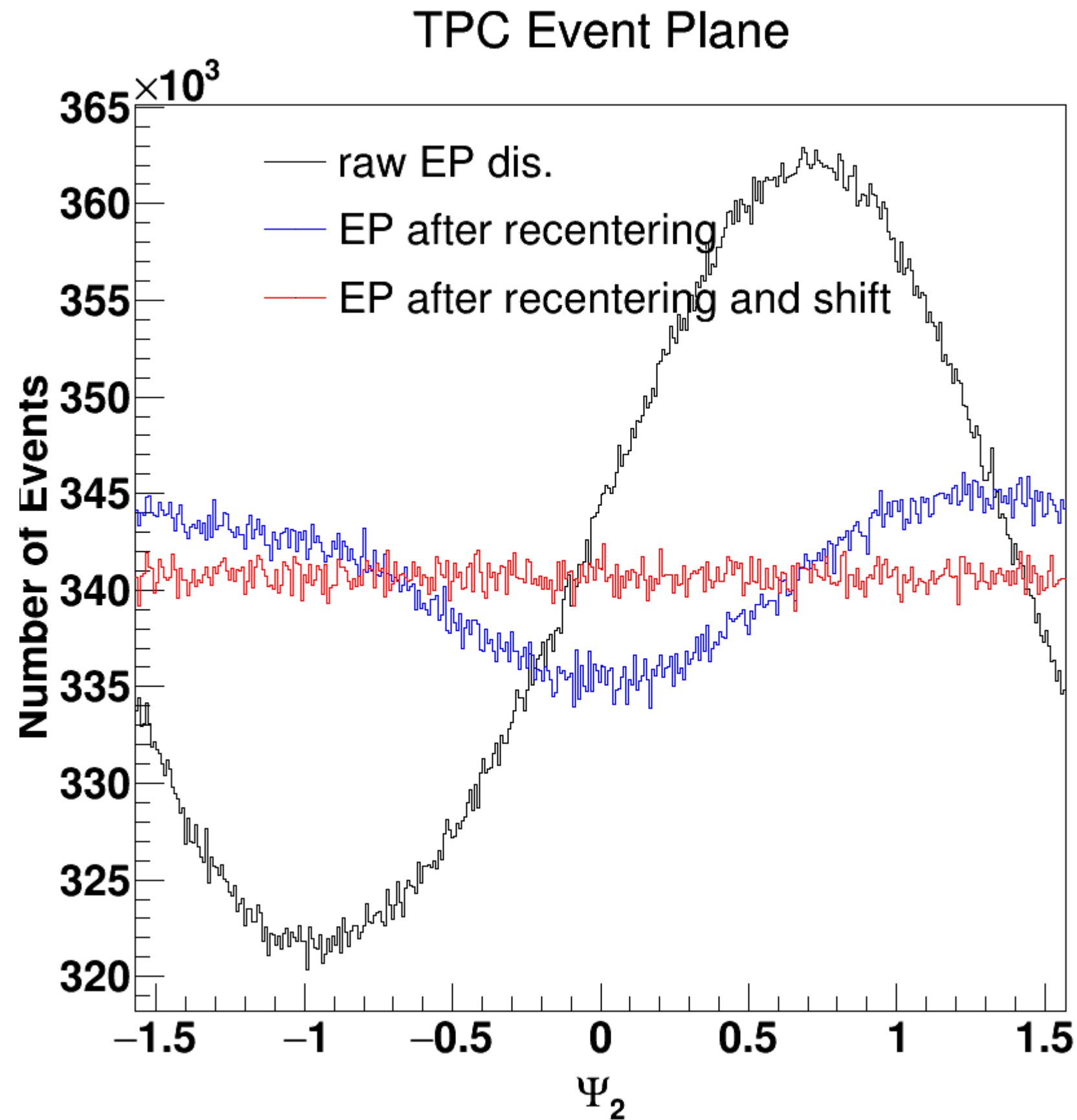
$$Q_{y,n,rc} = \sum_i^n (q_{n,i,y} - \langle q_y \rangle),$$

$$\Psi_{n,rc} = \frac{1}{n} \left[ \tan^{-1} \frac{Q_{x,n,rc}}{Q_{y,n,rc}} \right],$$

A. M. Poskanzer and S. A. Voloshin, PHYSICAL REVIEW C 1671–1678 (1998)



# Event Plane and Resolution

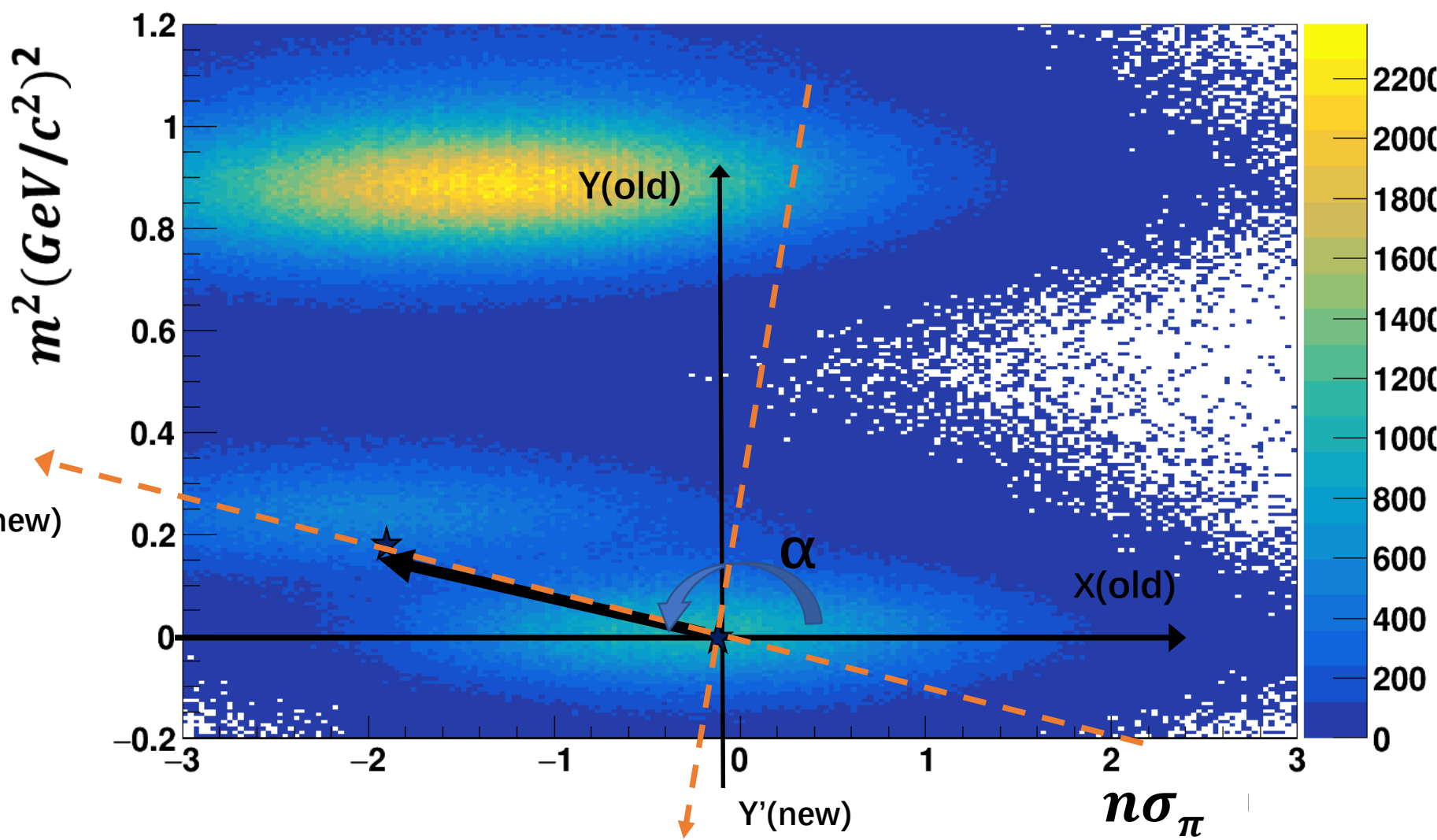
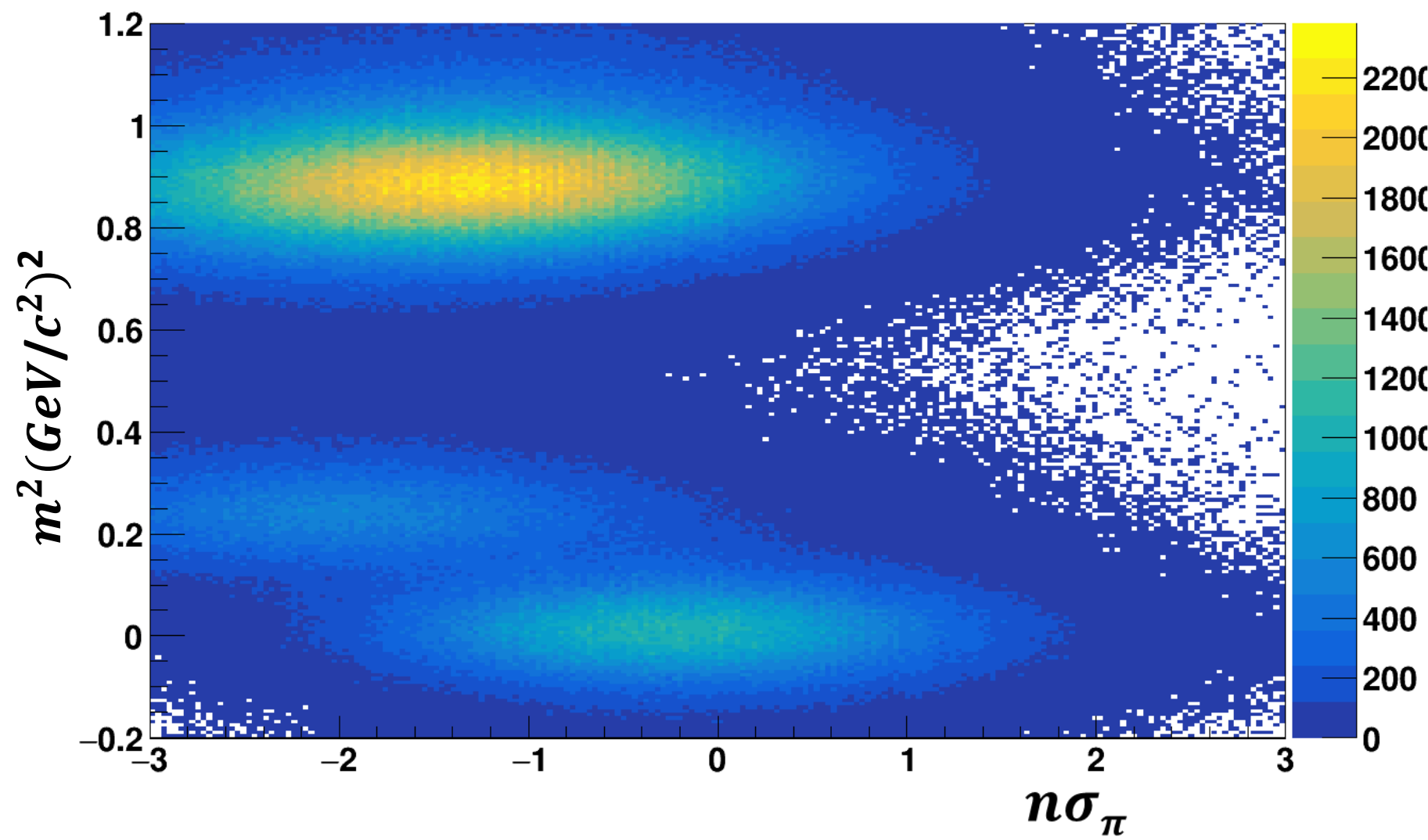


A uniform event plane distribution obtained by recentering and shift calibration  
The observed  $v_2$  corrected by event plane resolution

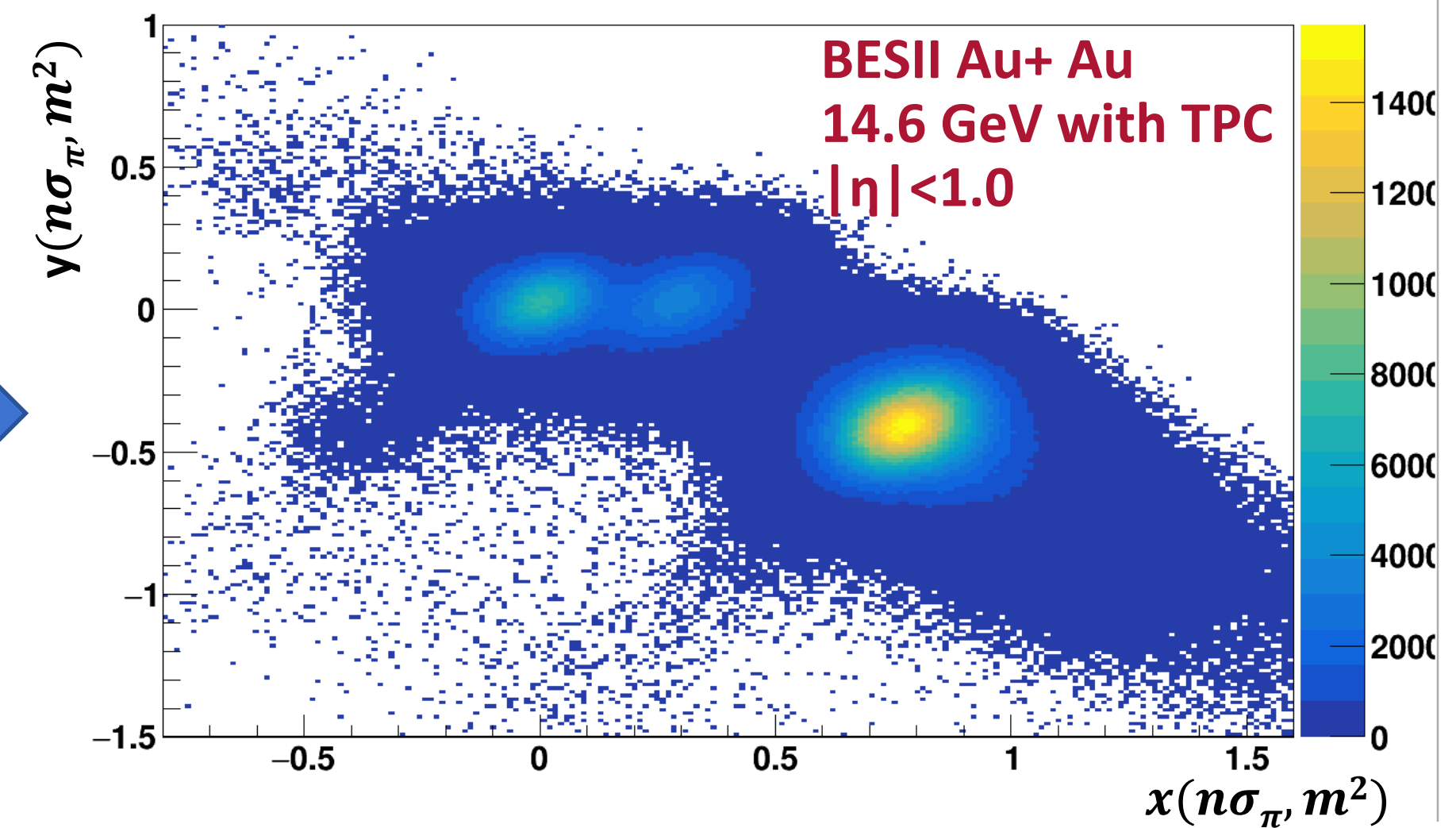


# $\pi$ and K Identification

$1.8 < p_T < 2.0$  GeV/c, 0-80%



$1.8 < p_T < 2.0$  GeV/c, 0-80%



Rotate

Shift and scale:  $(\mu_\pi(n\sigma_\pi), \mu_\pi(m^2)) = (0, 0.019)$

$$f_{scale} = \sigma_\pi(n\sigma_\pi / n\sigma_\pi(m^2))$$

$$\alpha = -\tan^{-1}\left(\frac{y_k}{x_k}\right) = -\tan^{-1}\left(\frac{\mu_k(m^2) - \mu_\pi(m^2)}{\mu_k(n\sigma_\pi) - \mu_\pi(n\sigma_\pi) * f_{scale}}\right)$$

Rotation:

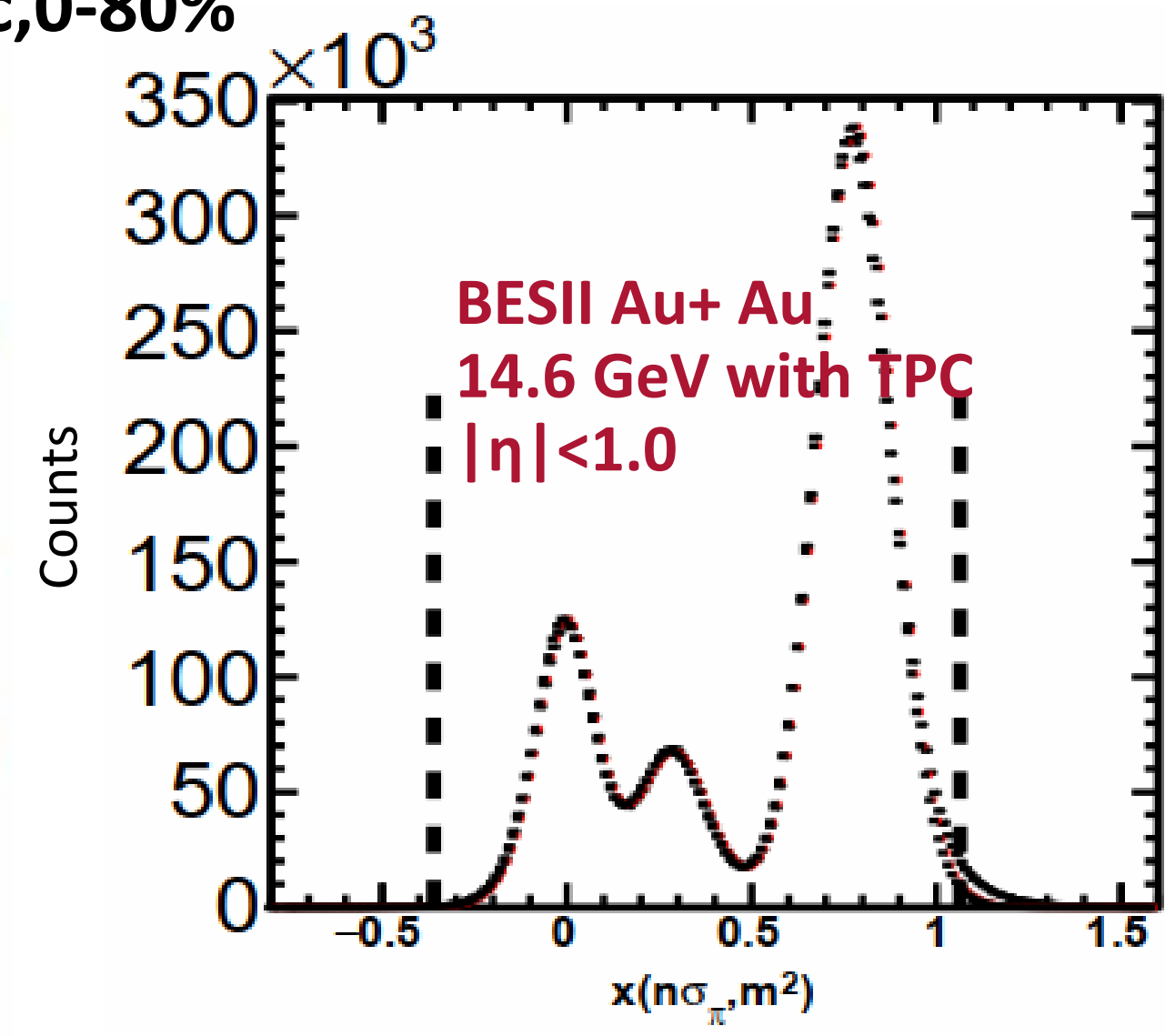
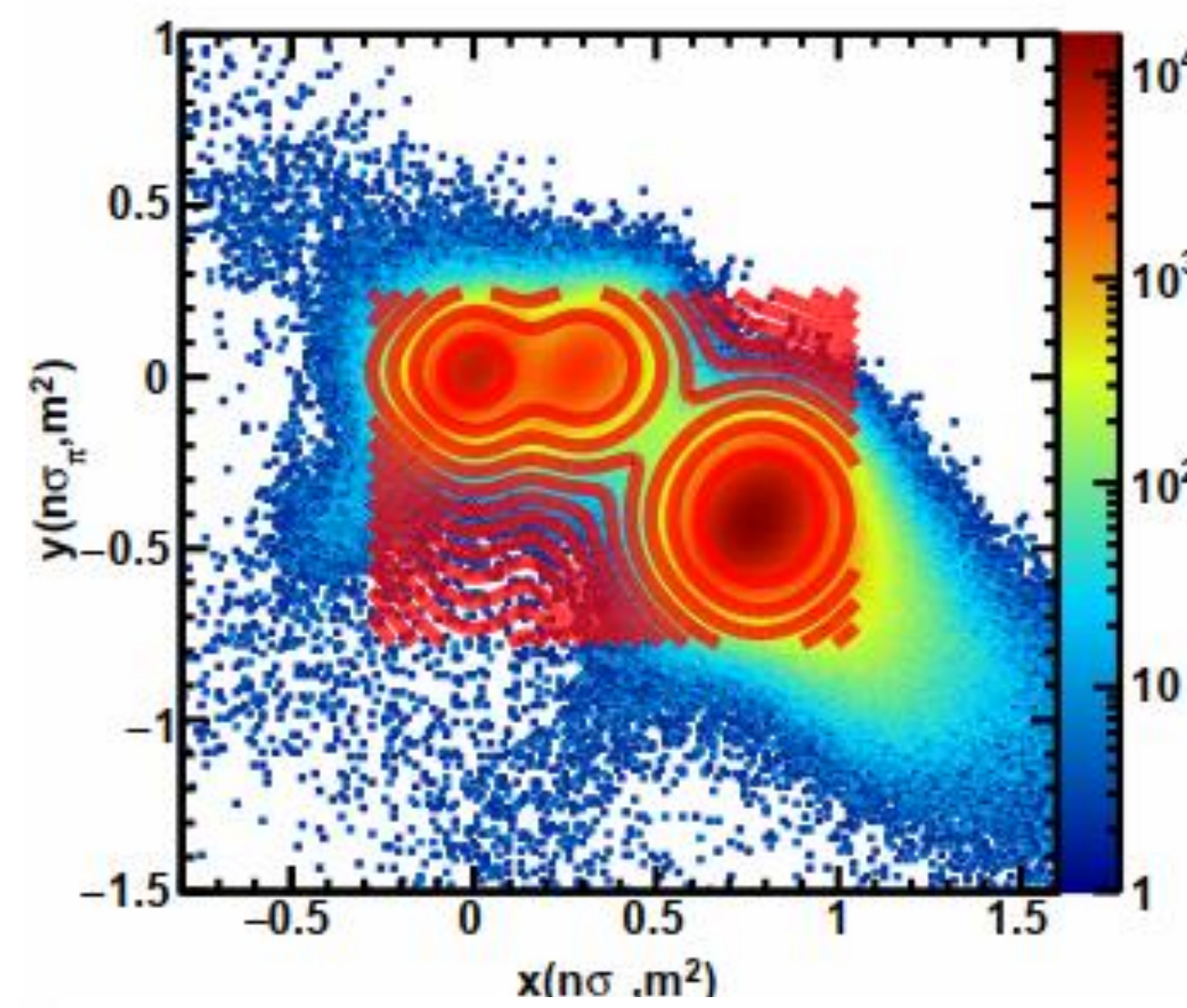
$$\begin{pmatrix} x' \\ y' \end{pmatrix} = \begin{pmatrix} \cos \alpha & -\sin \alpha \\ \sin \alpha & \cos \alpha \end{pmatrix} \begin{pmatrix} x \\ y \end{pmatrix} = \begin{pmatrix} \cos \alpha & -\sin \alpha \\ \sin \alpha & \cos \alpha \end{pmatrix} \begin{pmatrix} n\sigma_\pi * f_{scale} \\ m^2 - \mu_\pi(m^2) \end{pmatrix}$$

STAR, PHYSICAL REVIEW C 88, 014902 (2013)

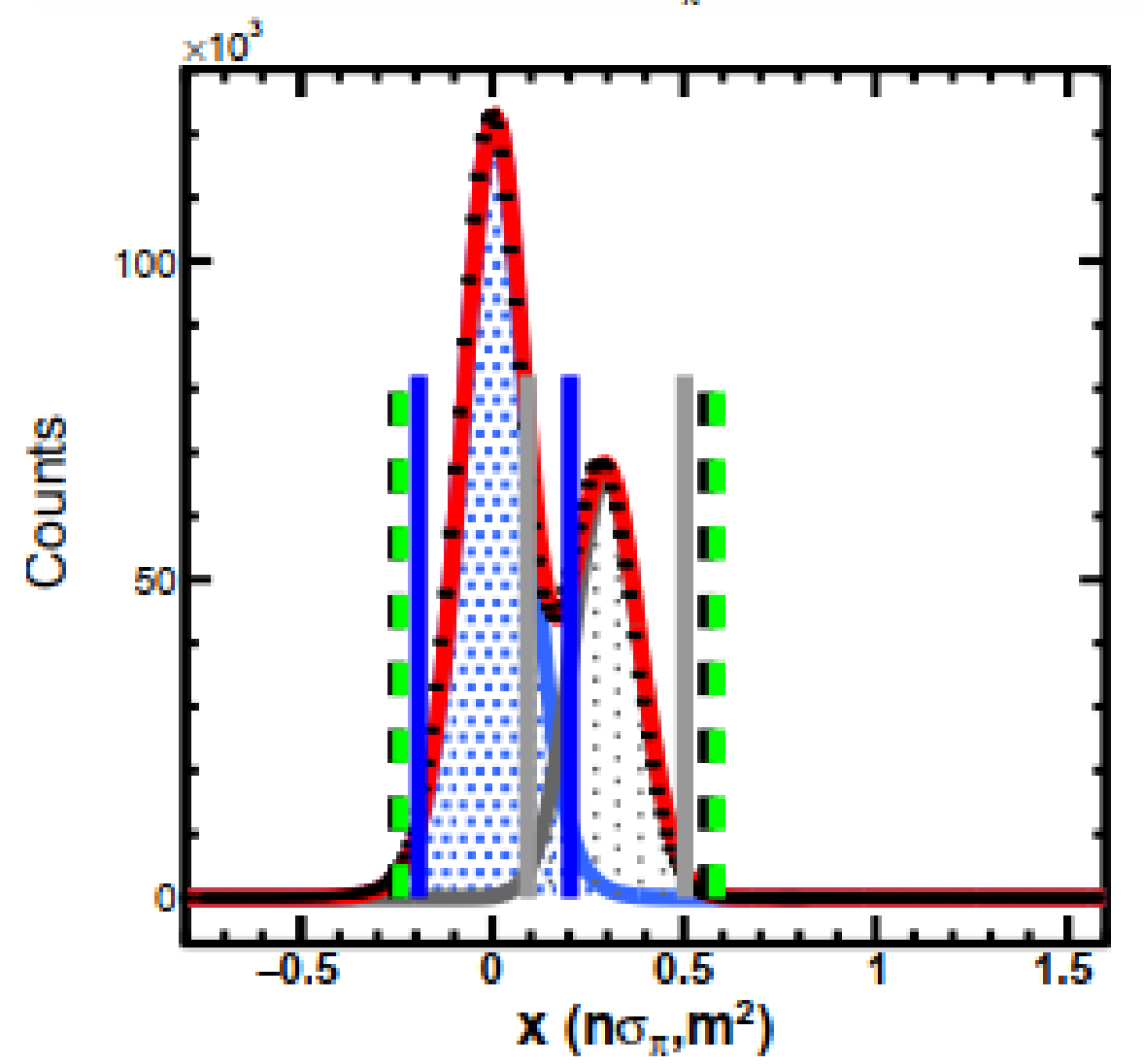
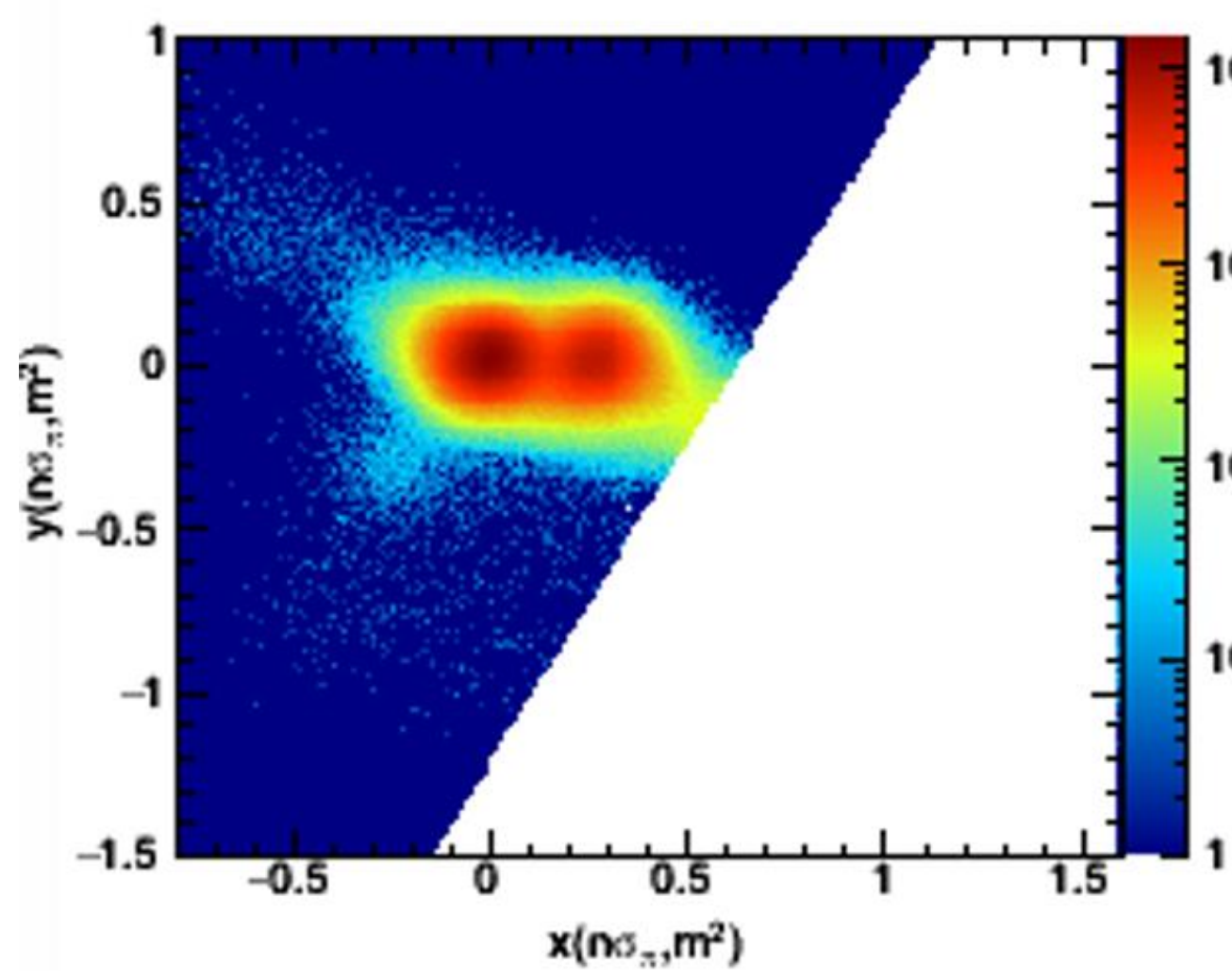


# 2D( $n\sigma_\pi + m^2$ ) PID for $\pi^\pm, K^\pm$

1.8 <math>p\_T</math> <math>2.0</math> GeV/c, 0-80%



The goal of this transformation is to have a maximal separation between pion and kaon distribution.



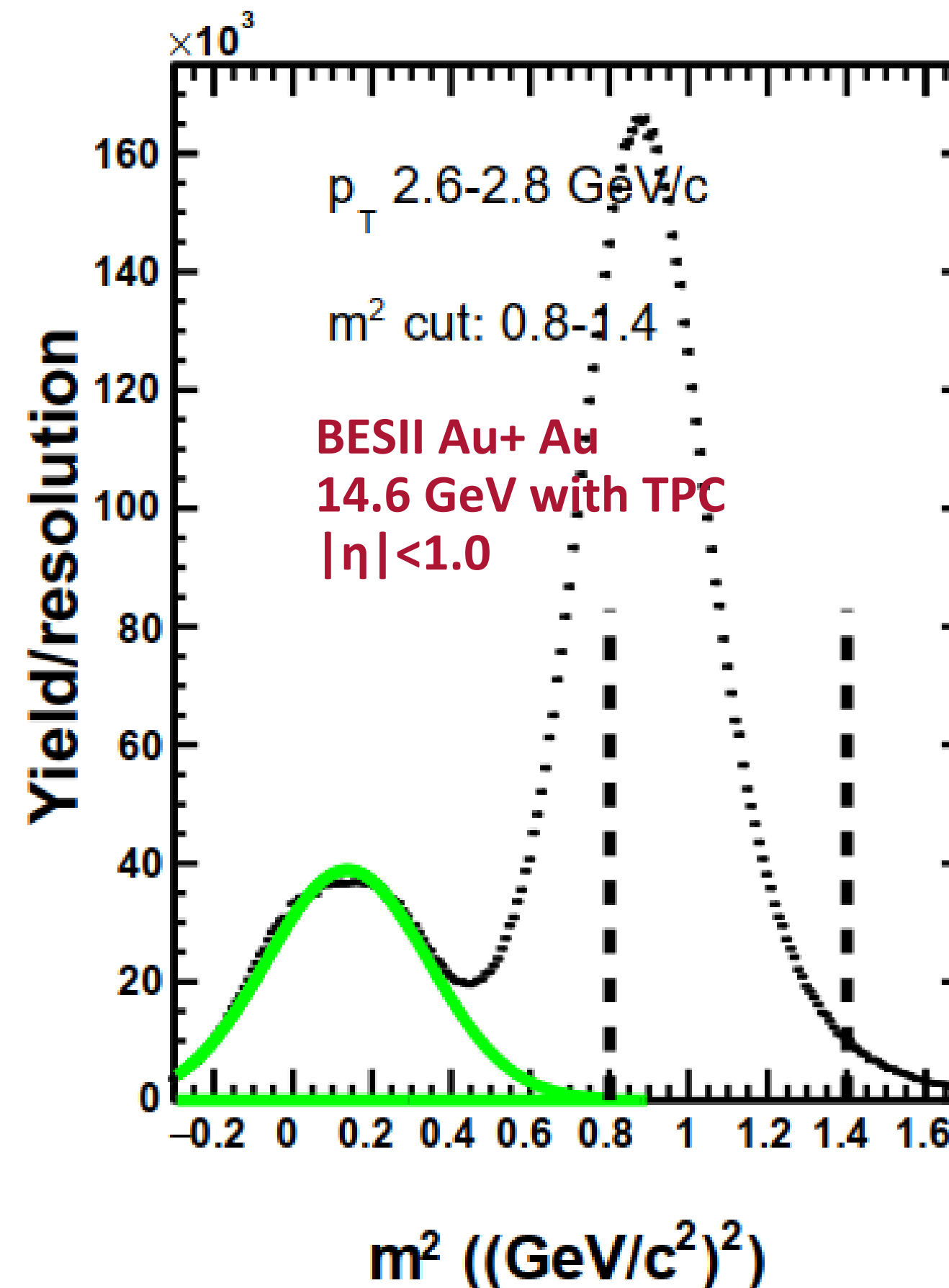
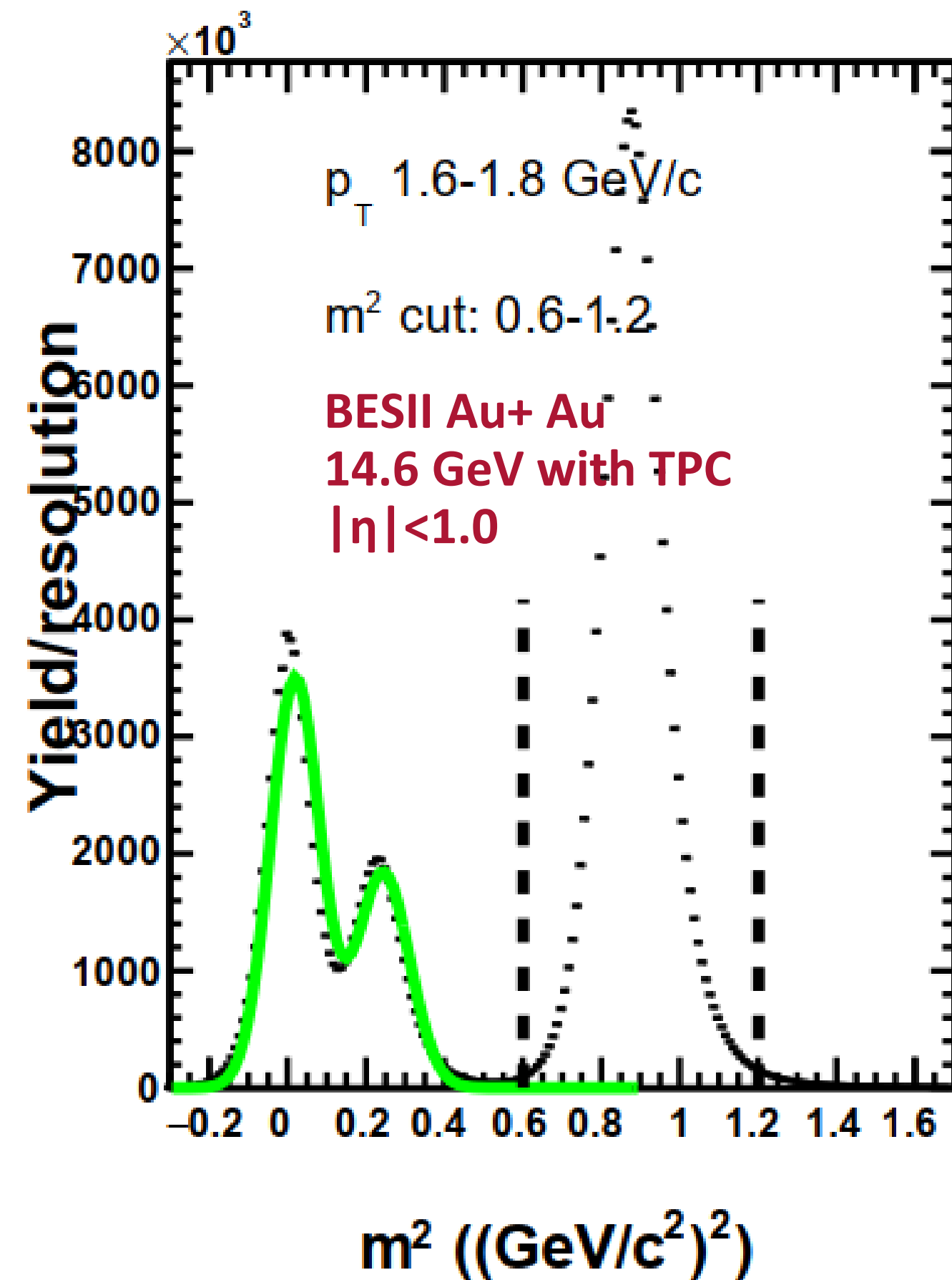
Projection on x-axis of 2D distribution after excluding proton contamination

Using the student-t function to fit the distribution





# Proton Identification



Protons are identified by  $m^2$  up to  $p_T$  3.2 GeV/c

Event-by-event resolution correction: H. Masui, et. al., Nucl. Instrum. Meth. A 833 (2016) 181-185



# Systematic Uncertainties

Systematic cuts for $p, \bar{p}$			
Cuts	Default	var1	var2
nHitsFit(>)	15	12	18
Dca(<)	1	0.7	1.3
$n\sigma_{\text{particles}}$	2.5	2	3

Systematic cuts for $\pi, K$			
Cuts	Default	var1	var2
nHitsFit(>)	15	12	18
Dca(<)	3	2	2.5
$n\sigma_{\text{particles}}$	2.5	2	3

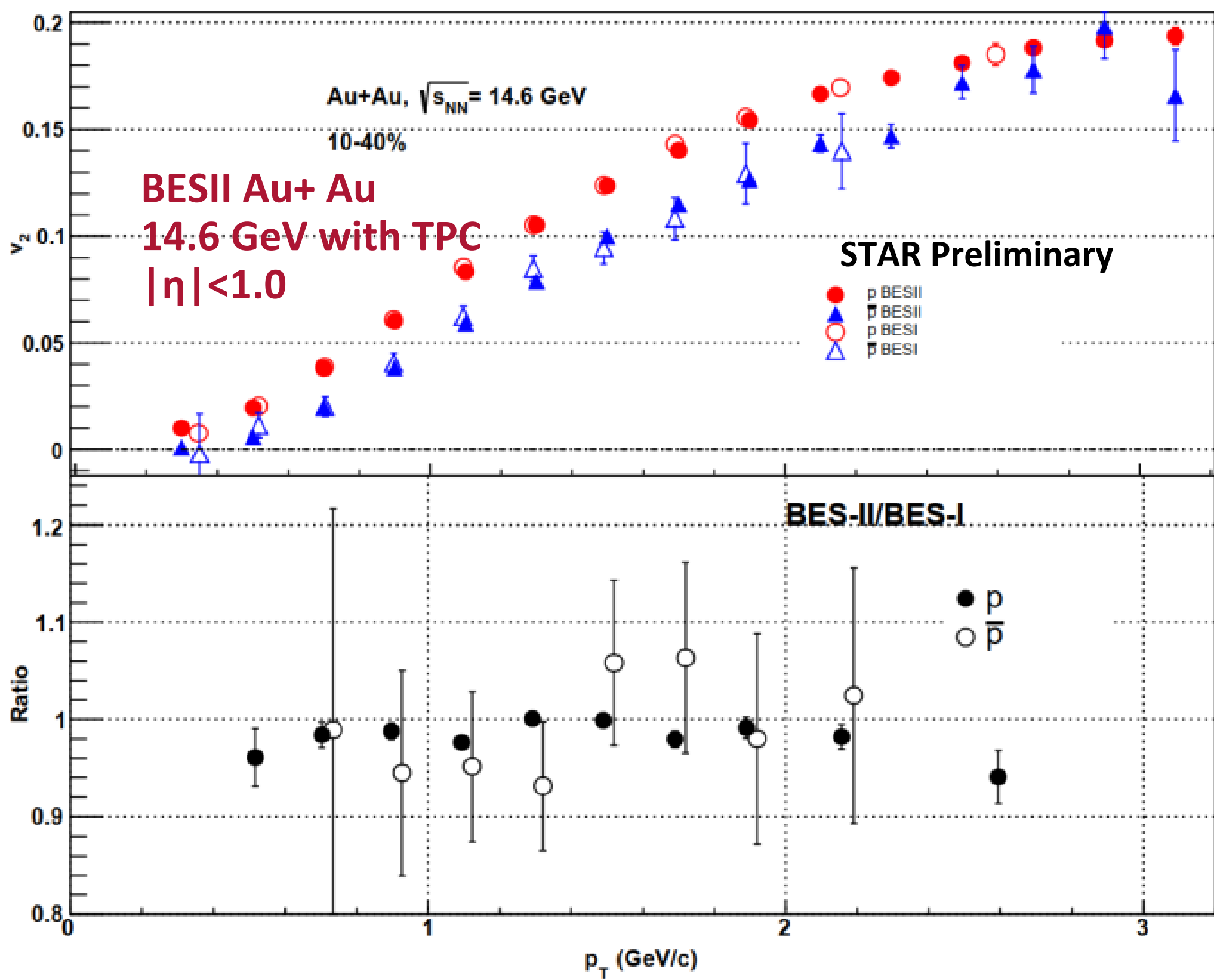
We use the maximum deviation from default value and assume these sources are uncorrelated for nHitsFit , dca ,  $n\sigma$

$$s_{\text{sys total}} = \sqrt{(y_{\text{dca}} - y_{\text{def}})^2 + (y_{\text{nHit}} - y_{\text{def}})^2 + (y_{\text{n}\sigma} - y_{\text{def}})^2}$$

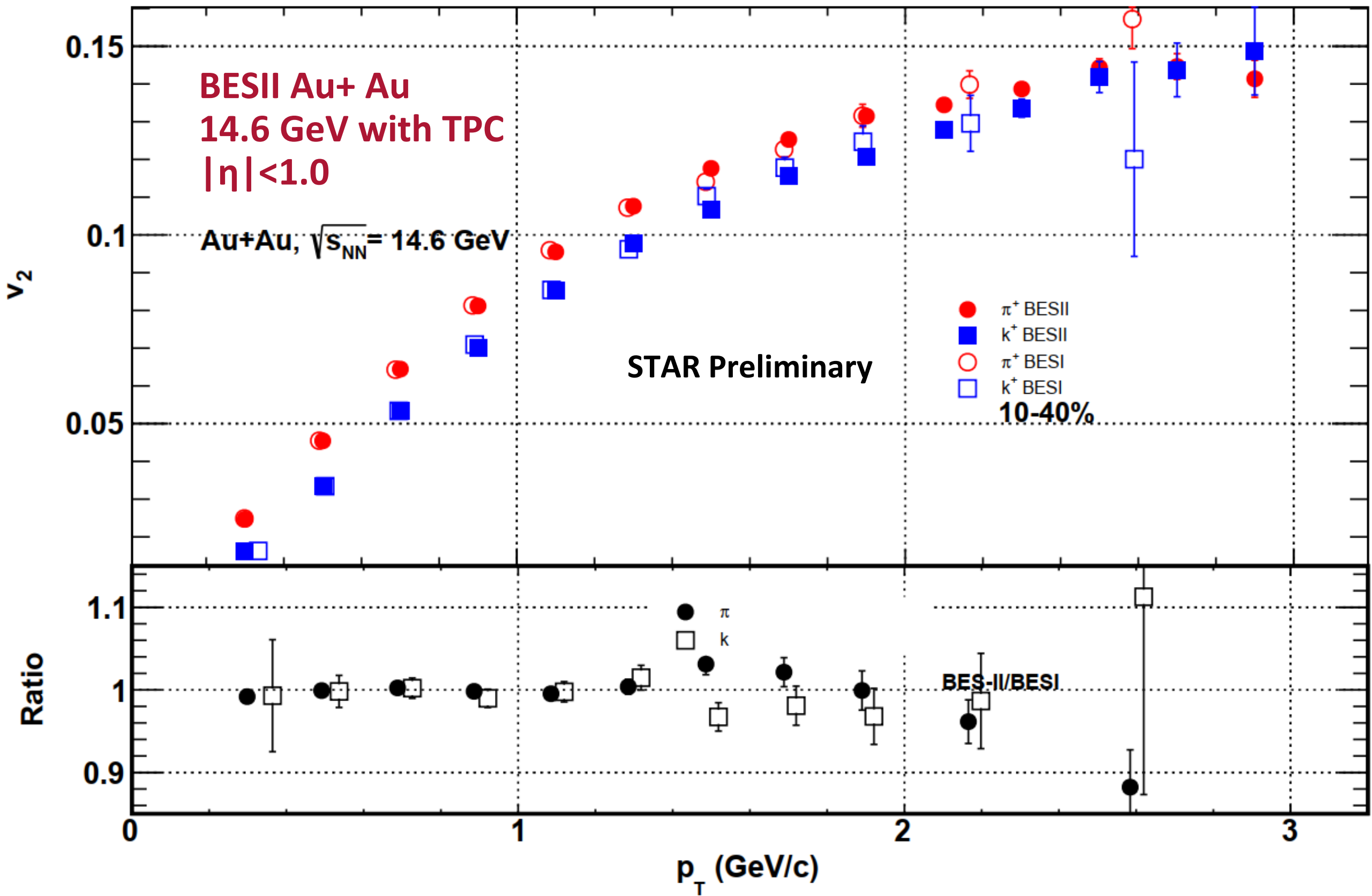


# Comparison to BESI

## Protons



## Pions and Kaons



The results are consistent with BESI

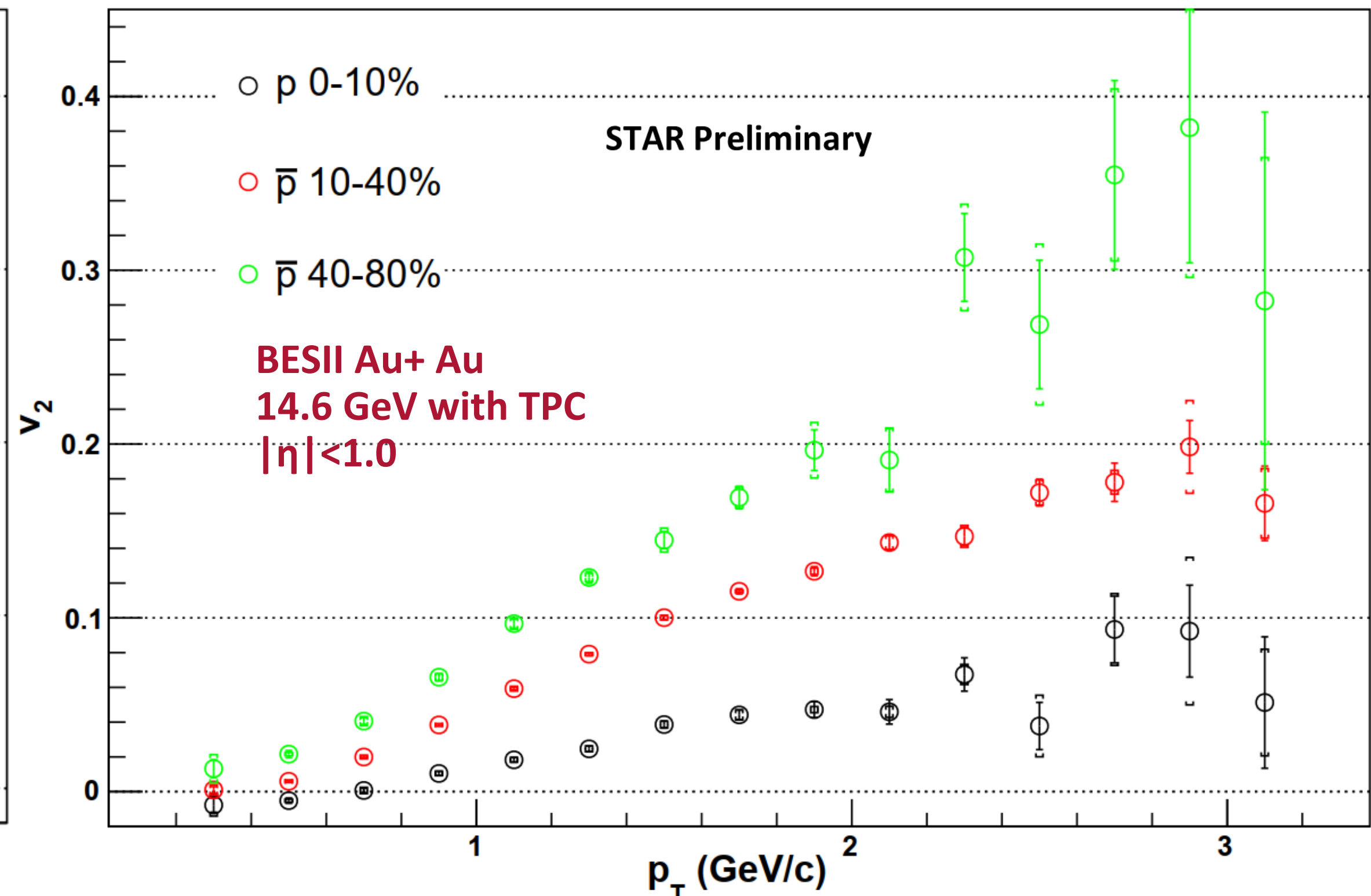
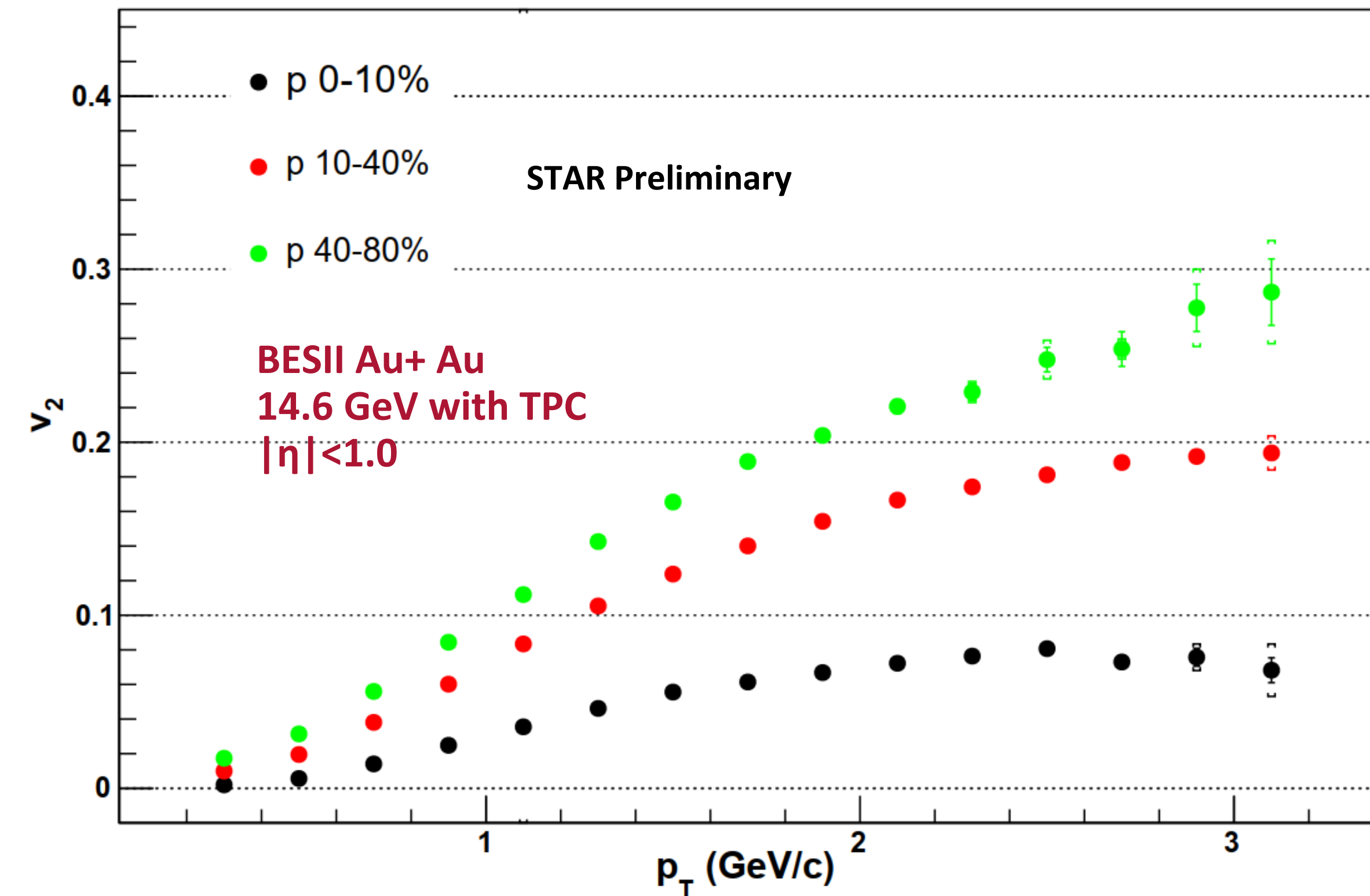
The statistical errors are reduced by a factor of  $\sim 3$  compared to BES-I



# Centrality Dependence of $v_2$

## Protons

## Anti-Protons

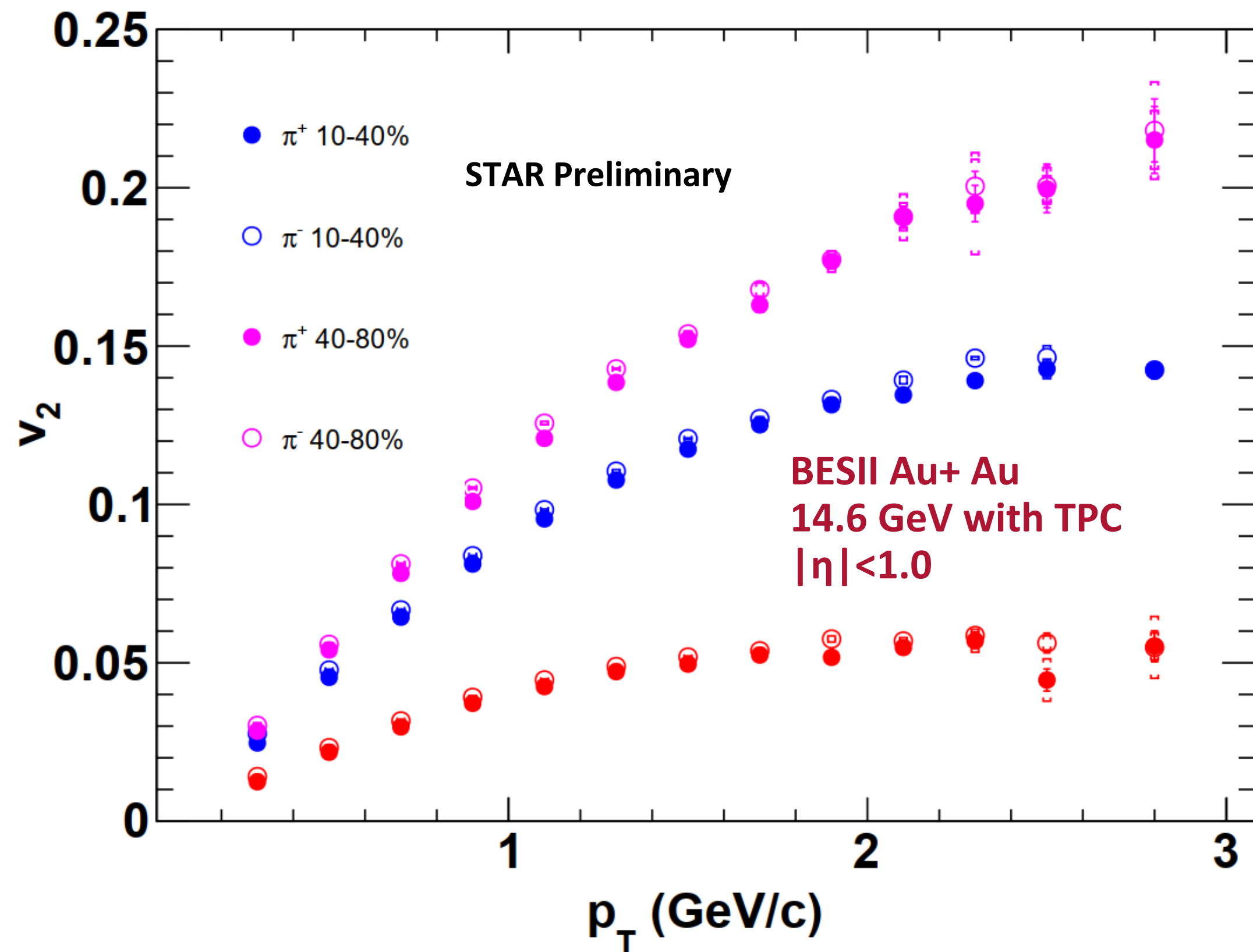


Clear centrality dependence:  $v_2$  driven by initial anisotropy of the participants  
Proton  $v_2 >$  anti-Proton  $v_2$

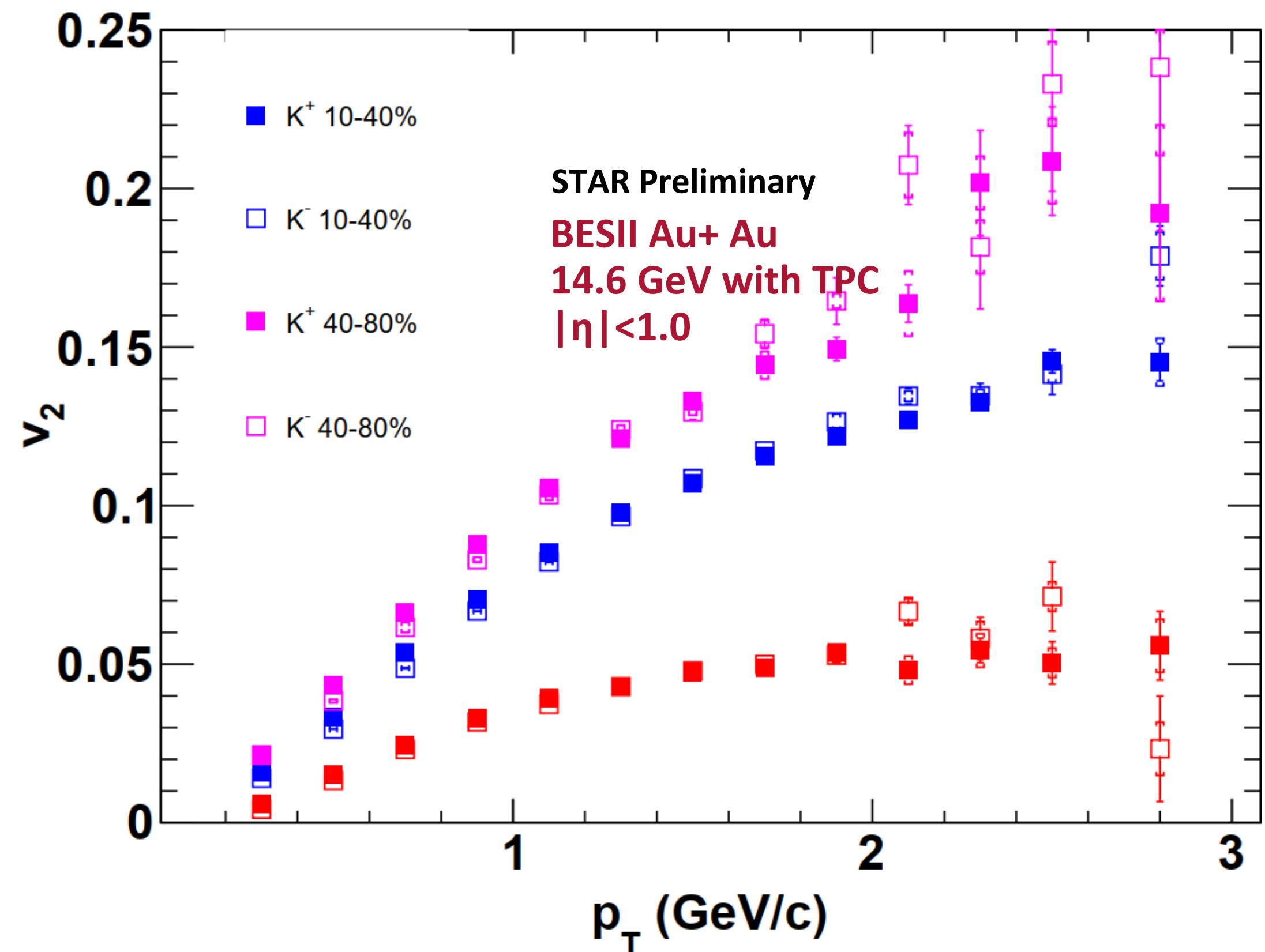


# Centrality Dependence of $v_2$

## Pions



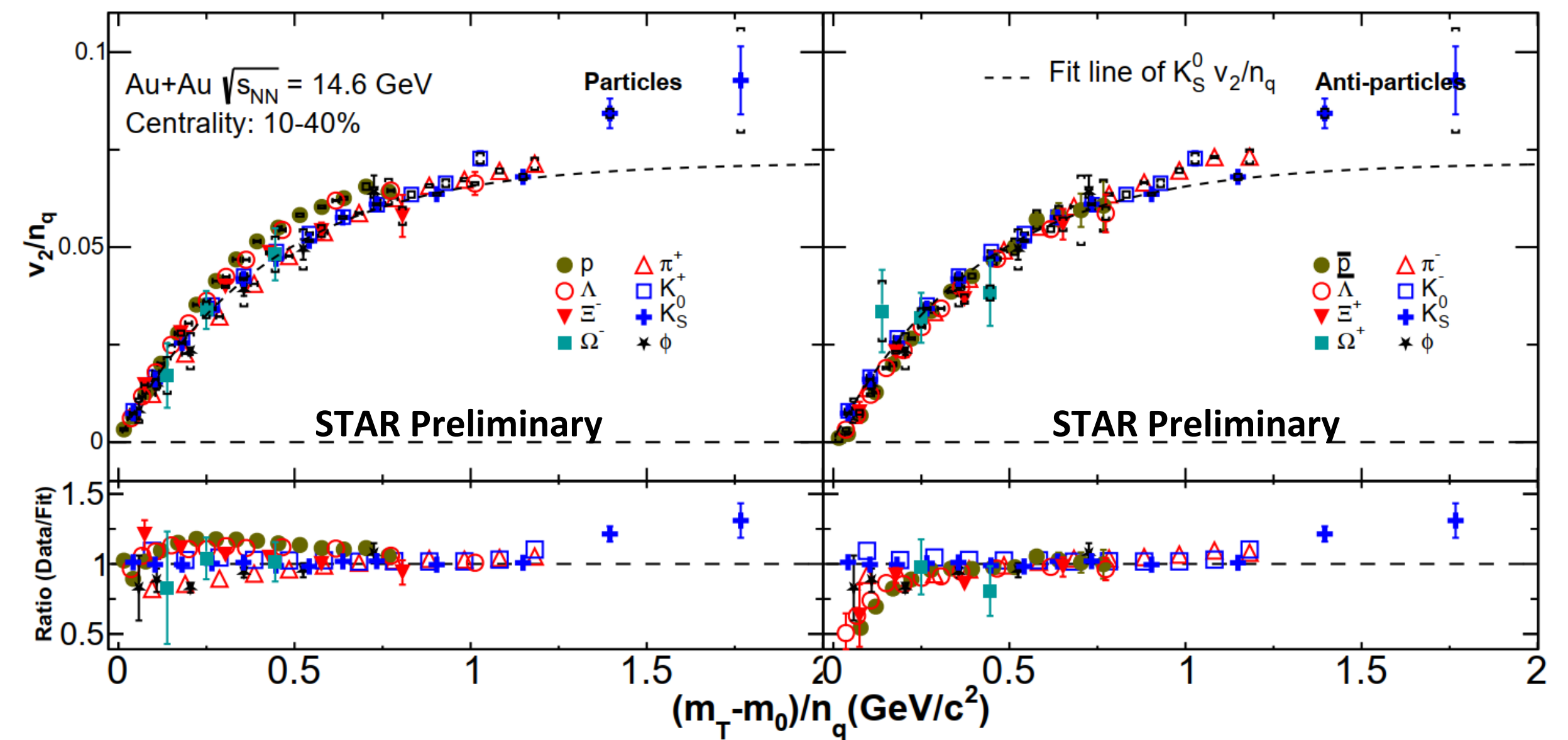
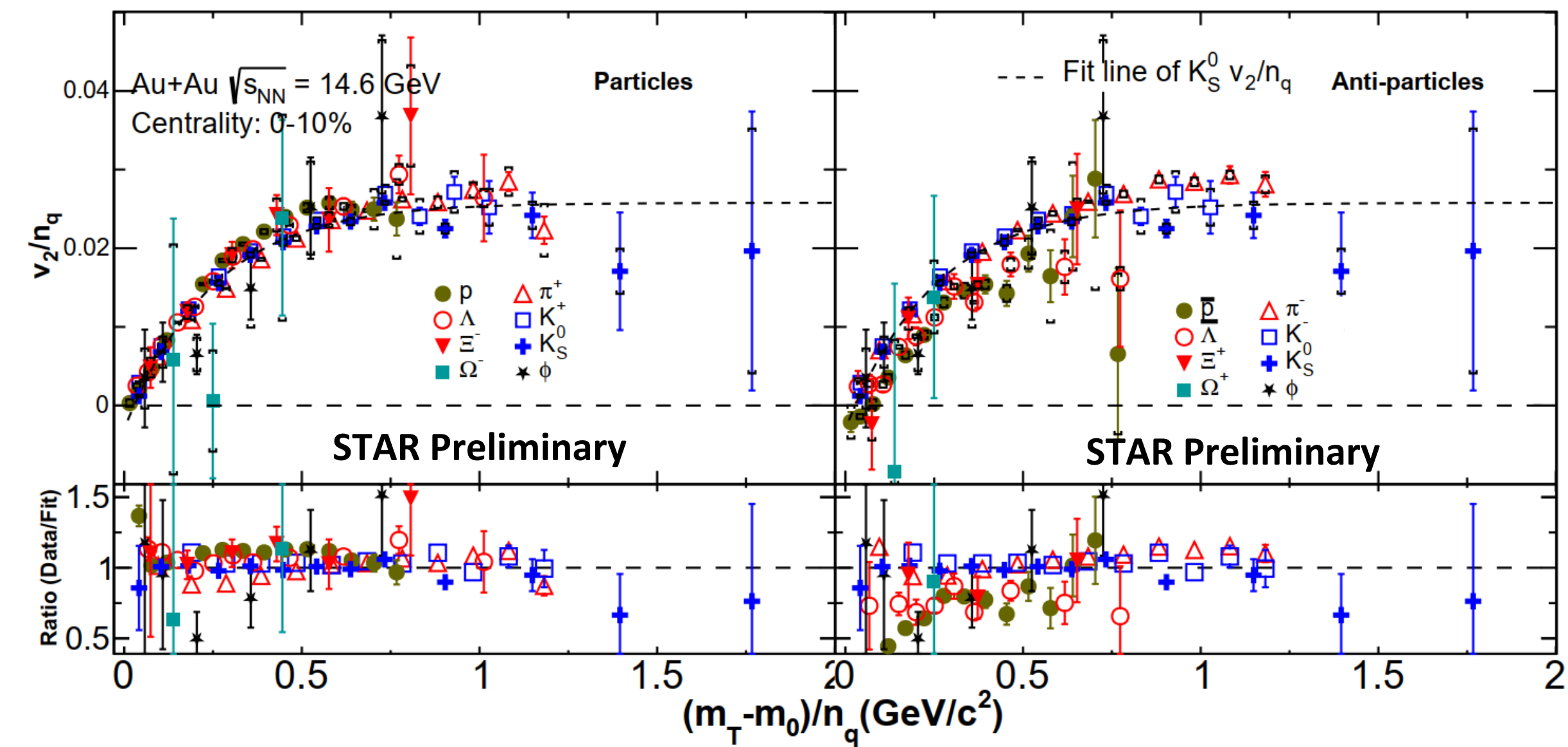
## Kaons



Clear centrality dependence:  $v_2$  driven by initial anisotropy of the participants  
 $v_2$  difference between particles and anti-particles observed



# NCQ Scaling: Centrality Dependence



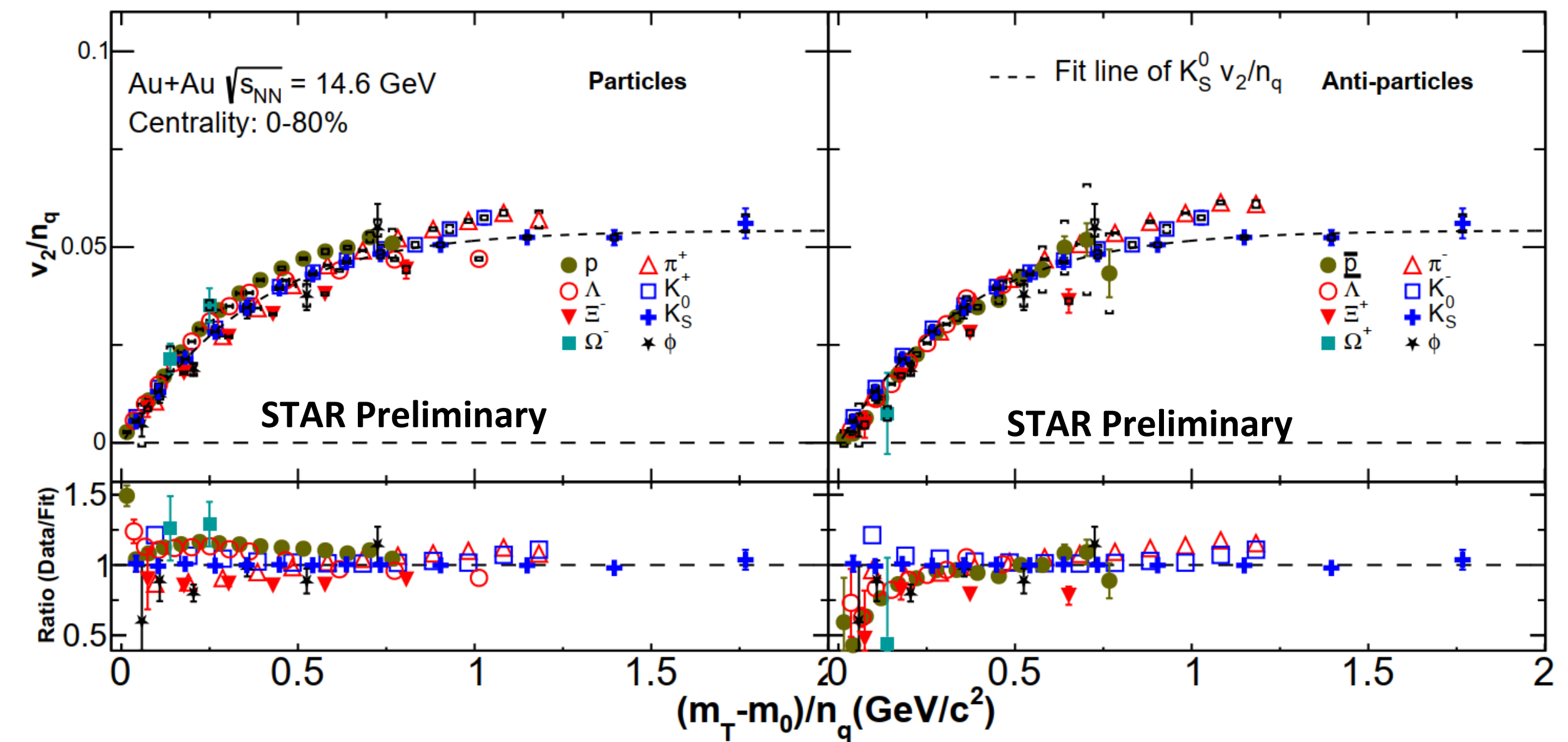
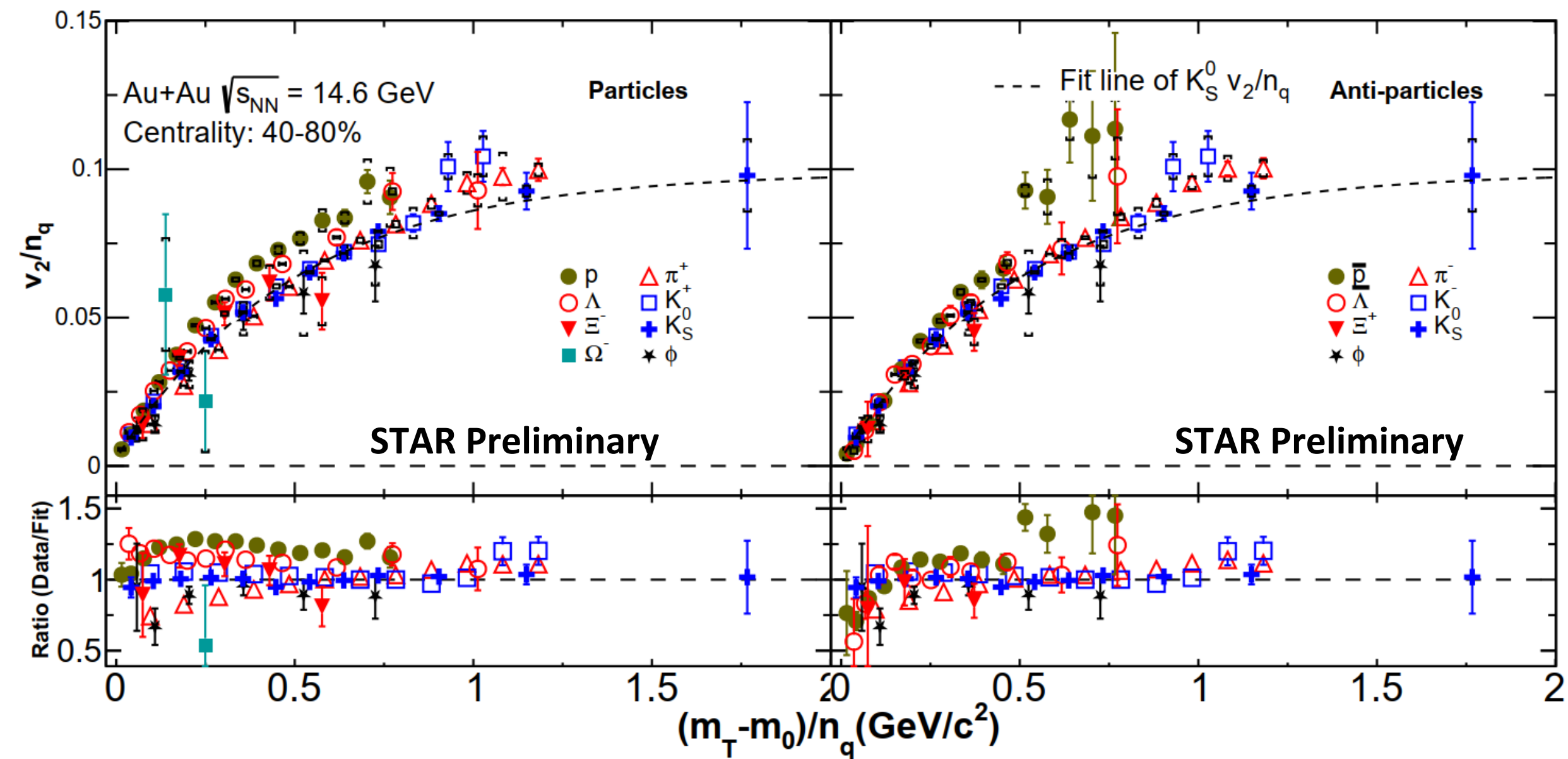
Fit function:  $f(x) = a / (1.0 + \exp(-\frac{x-b}{c})) - d$

NCQ scaling holds at 20% level except low  $p_T$  anti-proton and anti- $\Lambda$

P. Dixit, Wed, 11/30 for strangeness



# NCQ Scaling: Centrality Dependence



NCQ scaling holds at 20% level

NCQ scaling works in all centralities



# Summary

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- Centrality dependence  $v_2$  of pions, kaons and protons at 14.6 GeV

The statistical errors are reduced by a factor of  $\sim 3$  compared to BES-I

$v_2$  is driven by initial geometry of participants

- NCQ scaling test at 14.6 GeV

Scaling holds for light, strange and multi-strange particles within 20%

- Medium produced at 14.6 GeV

Partonic collectivity is built-up

**Thank you!**