

# Local Polarimetry for Proton Beams with STAR ZDC Calorimeters



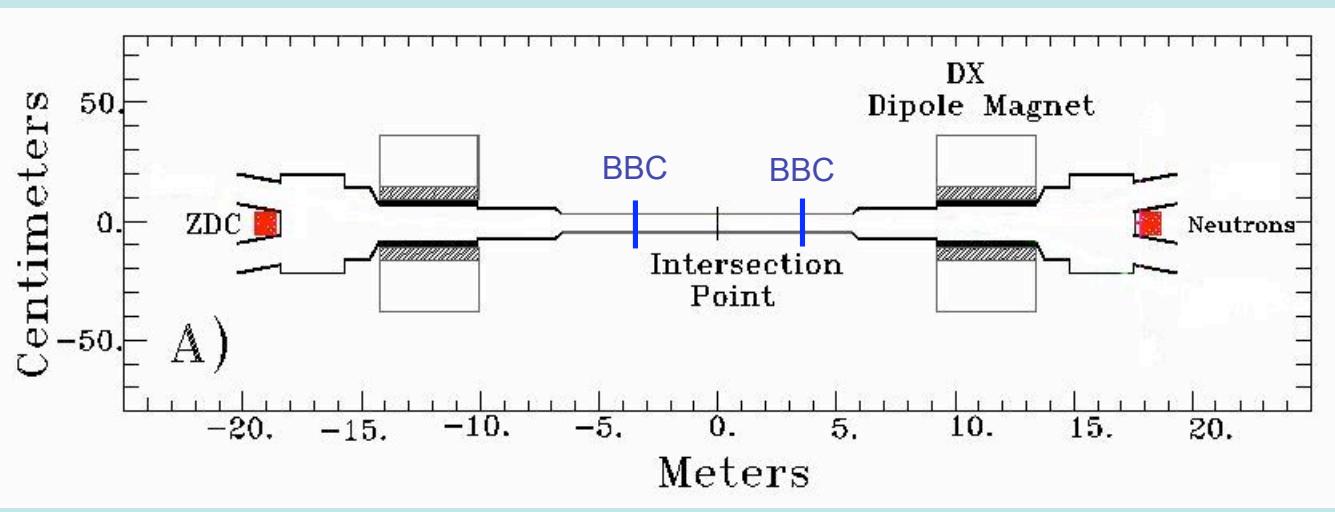
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Valparaiso University  
for the STAR collaboration



Division of Nuclear Physics Meeting  
25 October 2008

# Local Polarimeters at STAR

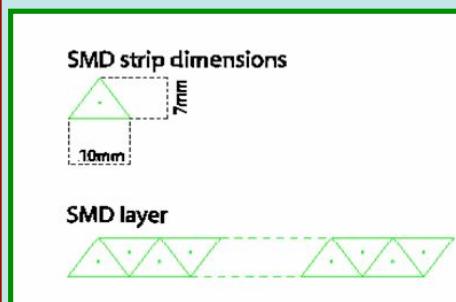
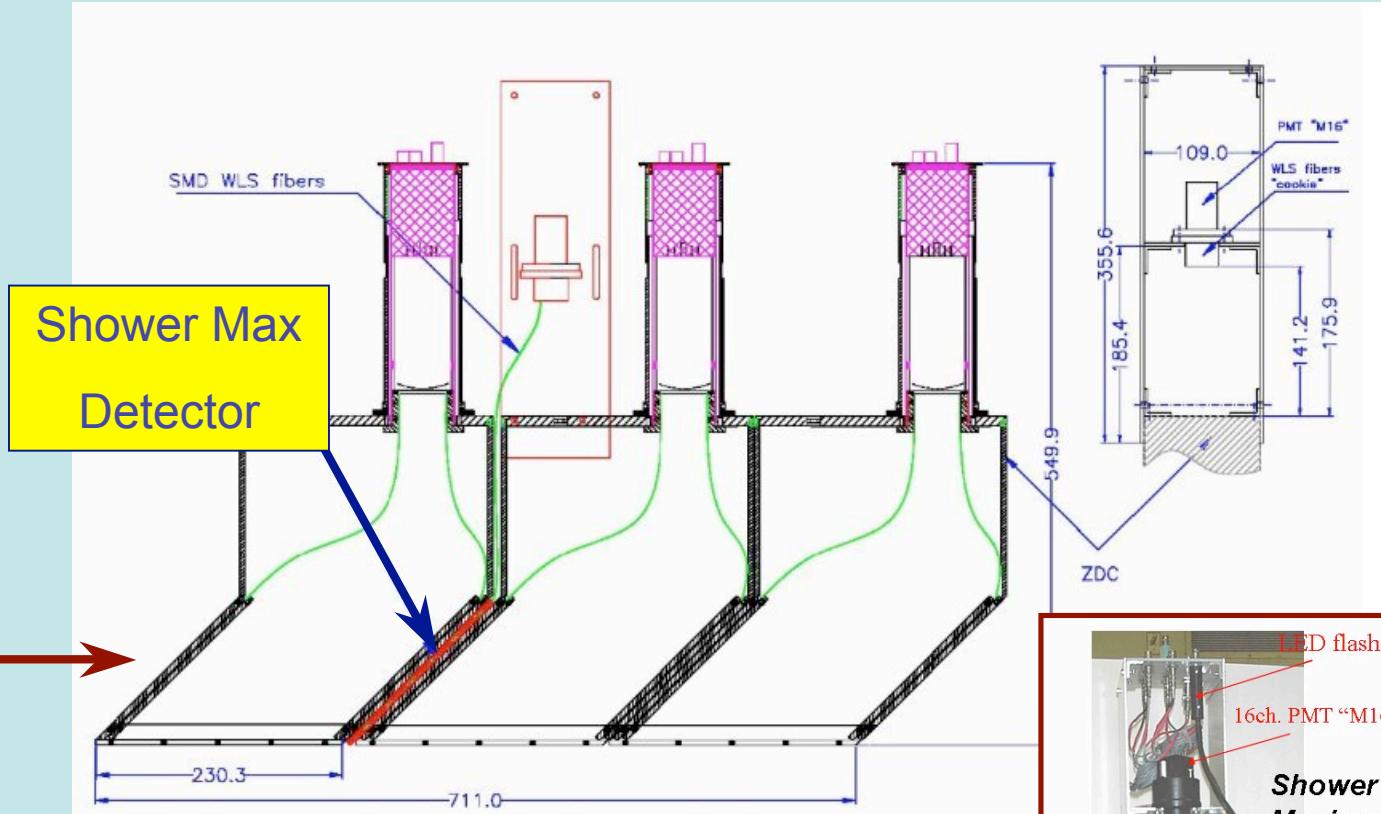
- Currently, beam-beam counters used as local polarimeter at STAR for  $\sqrt{s} = 200$  GeV
- At higher beam energies, BBCs may have decreasing analyzing power → **insufficient polarization measurement**
- Need detector located at larger distance from intersection point → **Zero-Degree Calorimeters**
- Detects forward (< 2 mrad) neutral particles



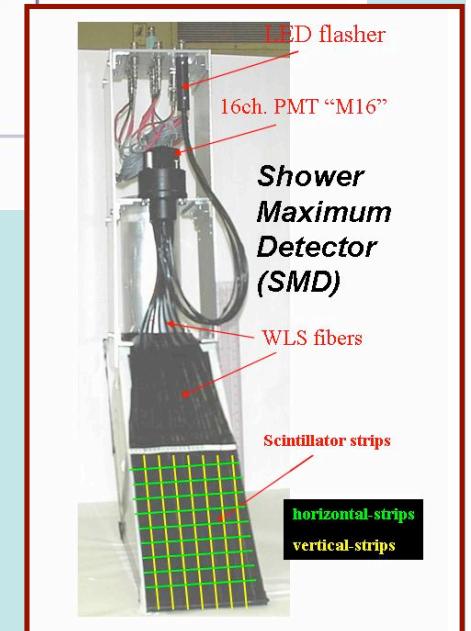
# Zero-Degree Calorimeters (ZDC) at STAR

Sampling calorimeter

Beam



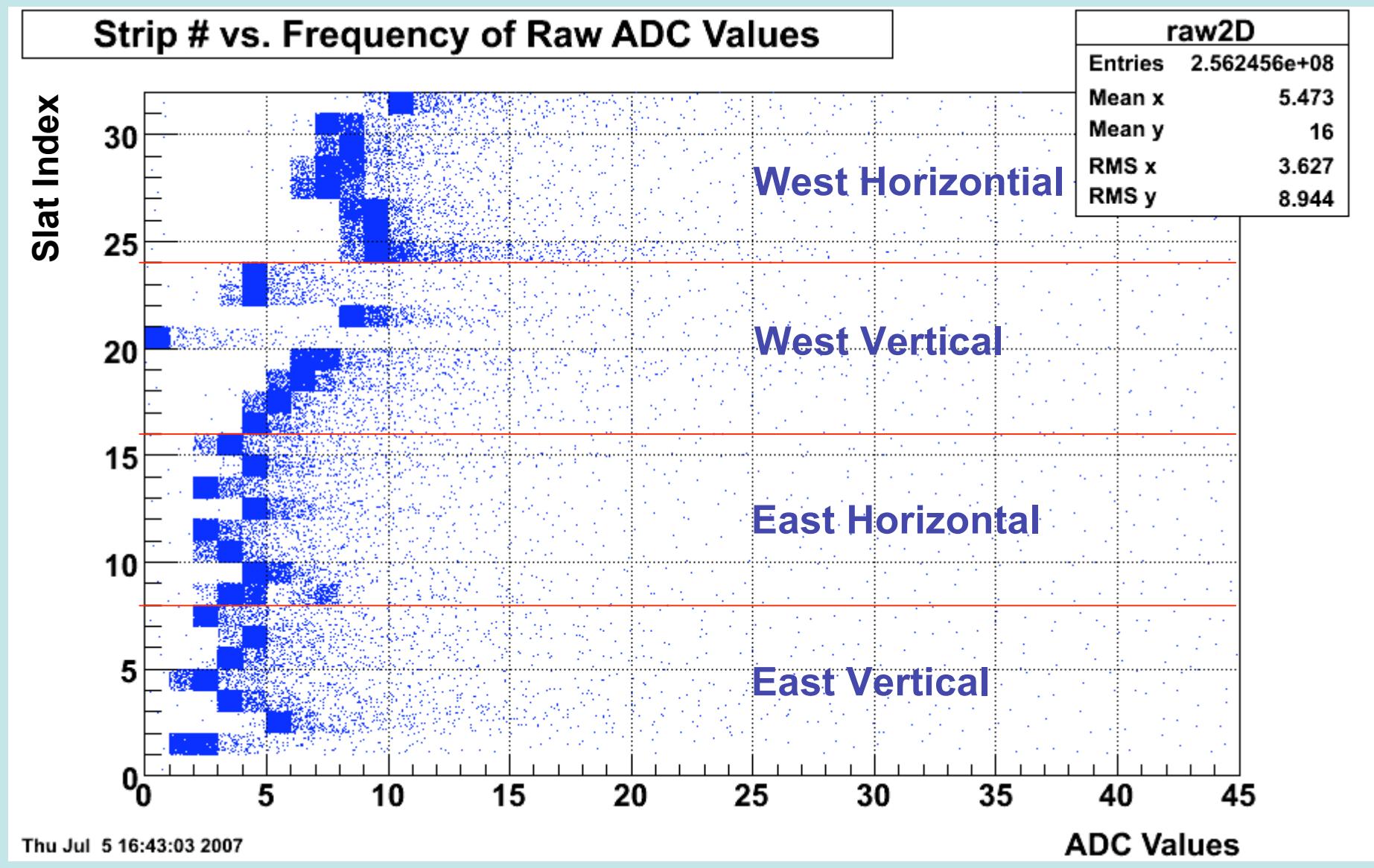
**Shower Max Detector**  
8 horizontal slats (4 strips)  
7 vertical slats (3 strips)



# Available Data from Dedicated Runs

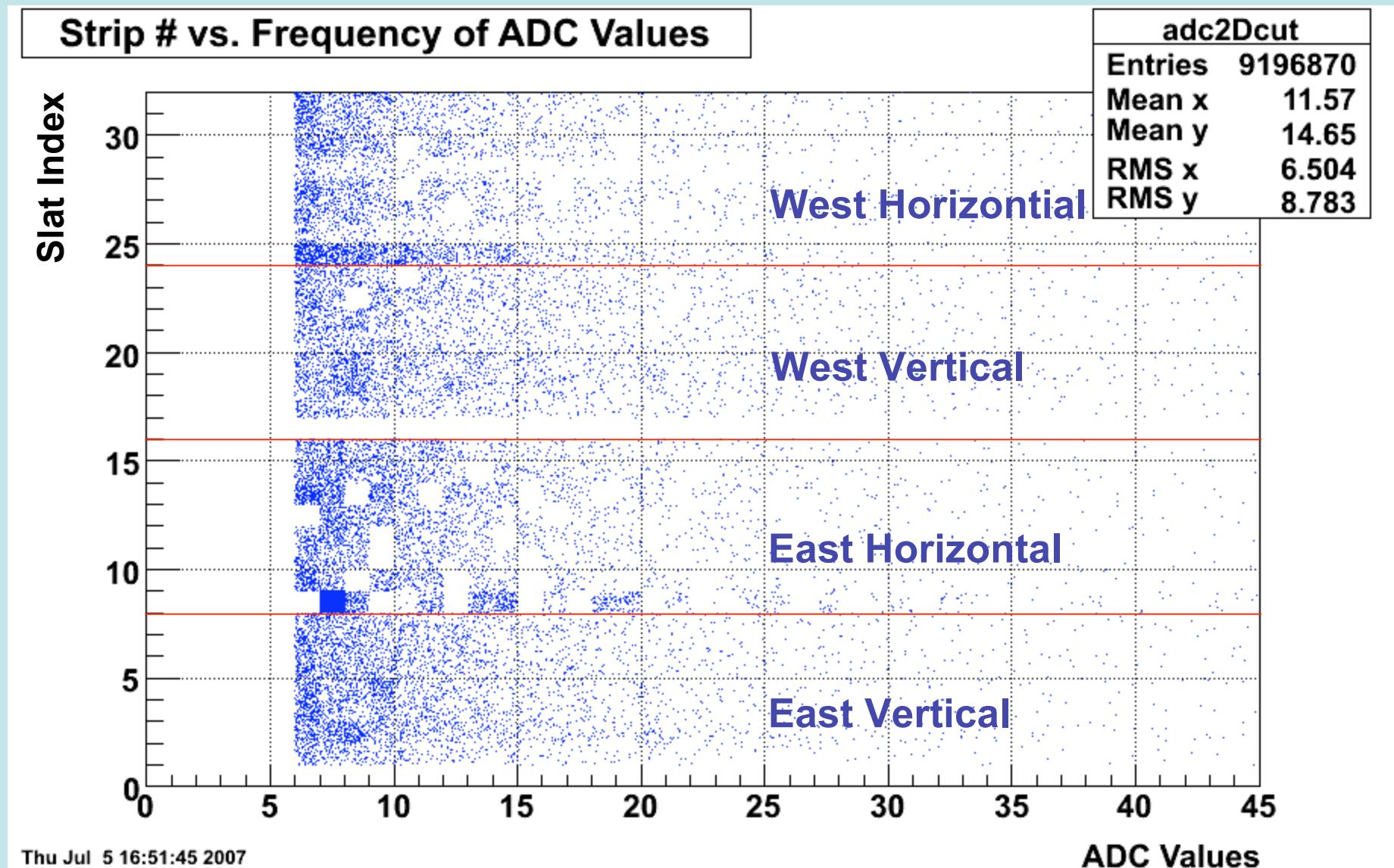
- Determine feasibility of using ZDC SMDs as local polarimeter
- Small data sample from limited no. dedicated runs
- Limited quality of data: not all spin states present and not all spin rotator states available
- Method: gain-match and pedestal-subtract ADC values from each vertical and horizontal SMD slat
- Good hits are used to calculate left-right and up-down asymmetries for beam spin states in each east and west ZDC
- Used square-root asymmetries

# ZDC Shower Max Detector Data



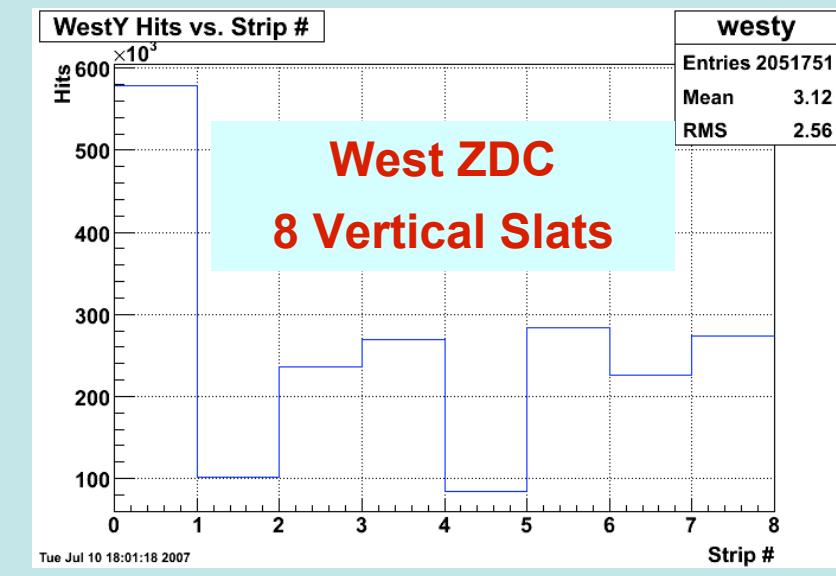
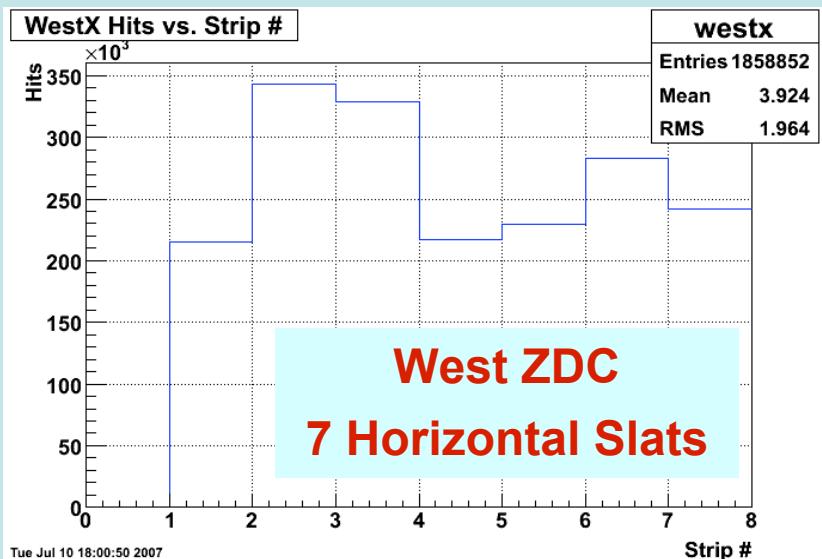
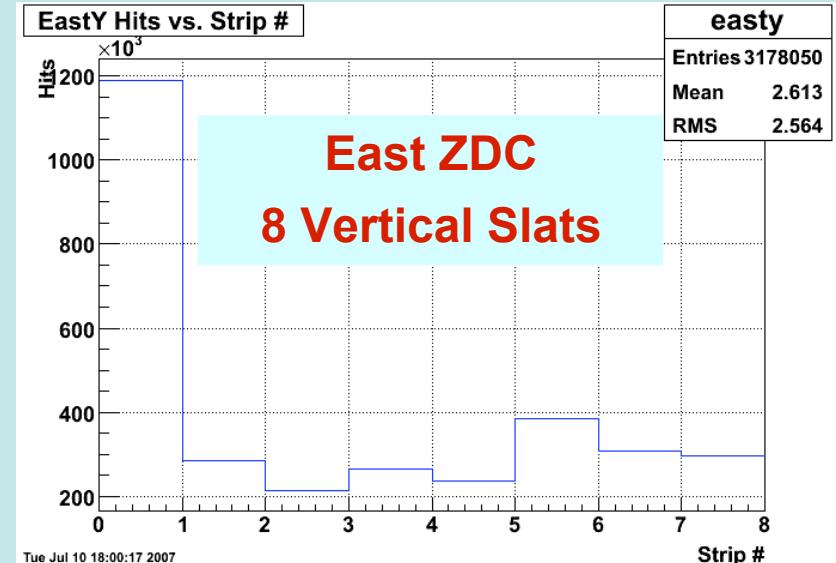
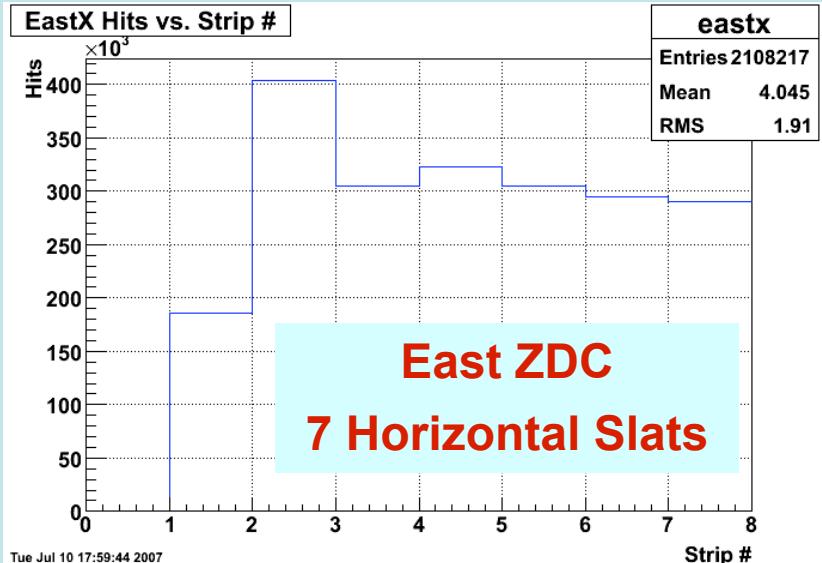
Plot of raw ADC values for given slat index

# ZDC Shower Max Detector Data

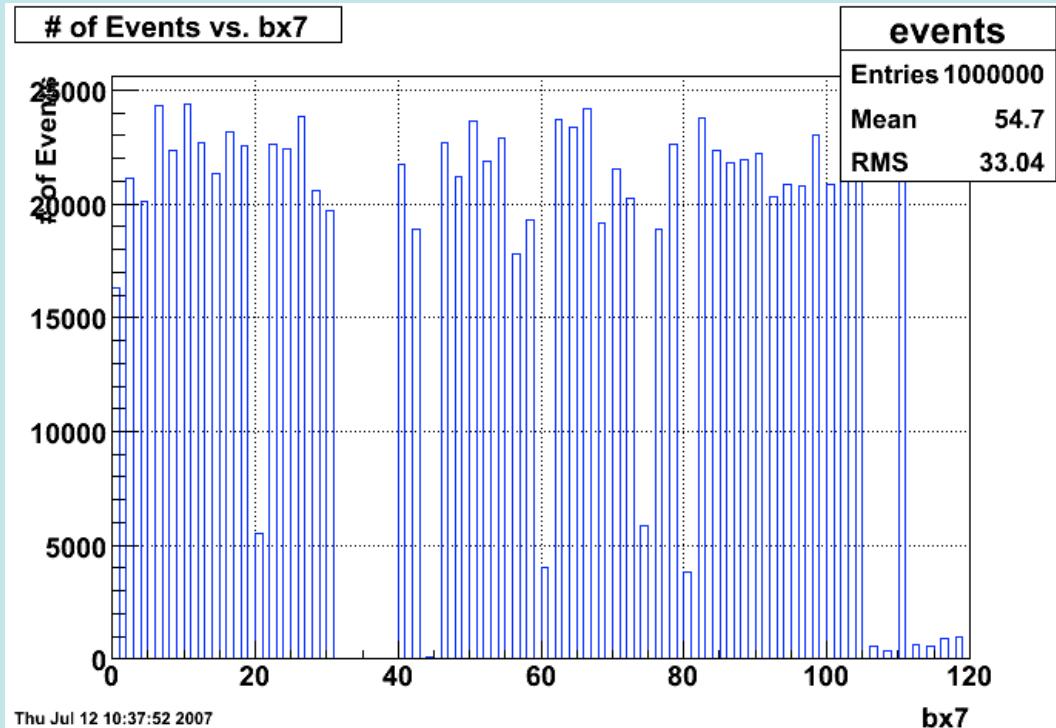


Plot of corrected ADC values for given slat index

# SMD Hit Patterns – East and West ZDC



# Spin Patterns in Bunches Per Spill



No. Events in ZDC per bunch crossing

Can still measure physics asymmetry with limited polarization states

Corrected spin patterns in bunch

Fill 5170										Shifted blue bunches by 32 later (80 earlier)																									
Bunch	1	2	3	4	5	6	7	8	9	0	1	2	3	4	5	6	7	8	9	0	1	2	3	4	5	6	7	8	9	0					
Blue	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-				
Yellow	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-				
Bunch	6	7	8	9	0	1	2	3	4	5	6	7	8	9	0	1	2	3	4	5	6	7	8	9	0	1	2	3	4	5	6	7	8	9	0
Blue	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.			
Yellow	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.	+	.	-	.			

Note:  
missing spin  
patterns

# Physics Asymmetry Calculation

Calculated assuming that only 2 of 4 usual spin states are available

$$\begin{aligned}\varepsilon_{phys}^e &= \frac{\sqrt{N_{Le}^{\uparrow\uparrow} N_{Re}^{\downarrow\downarrow}} - \sqrt{N_{Le}^{\downarrow\downarrow} N_{Re}^{\uparrow\uparrow}}}{\sqrt{N_{Le}^{\uparrow\uparrow} N_{Re}^{\downarrow\downarrow}} + \sqrt{N_{Le}^{\downarrow\downarrow} N_{Re}^{\uparrow\uparrow}}} \\ &= \frac{P_Y A_{fe} - P_B A_{be}}{1 + P_Y P_B A_{NN,e}} + \text{higher-order terms}\end{aligned}$$

where

$$P_Y = \frac{1}{2}(P_Y^\uparrow + P_Y^\downarrow)$$

Average beam  
polarizations

$$P_B = \frac{1}{2}(P_B^\uparrow + P_B^\downarrow)$$

$$A_{fe} = \frac{1}{2}(A_{Lfe} + A_{Rfe})$$

Average analyzing  
powers and 2-spin  
parameter

$$A_{be} = \frac{1}{2}(A_{Lbe} + A_{Rbe})$$

$$A_{NN,e} = \frac{1}{2}(A_{NN,Le} + A_{NN,Re})$$

Differences in beam polarizations (U,D) and analyzing powers (L,R) enter calculation as higher-order corrections

# Calculated Asymmetries from ZDC SMDs

Used square-root asymmetries:

$$\epsilon_{lum} = \frac{\sqrt{N_L^\uparrow N_R^\uparrow} - \sqrt{N_L^\downarrow N_R^\downarrow}}{\sqrt{N_L^\uparrow N_R^\uparrow} + \sqrt{N_L^\downarrow N_R^\downarrow}}$$

$$\epsilon_{phys} = \frac{\sqrt{N_L^\uparrow N_R^\downarrow} - \sqrt{N_L^\downarrow N_R^\uparrow}}{\sqrt{N_L^\uparrow N_R^\downarrow} + \sqrt{N_L^\downarrow N_R^\uparrow}}$$

L,R = left, right

U, D = up, down

e,w = east, west;

$\uparrow, \downarrow$  = spins up, down

## Luminosity Asymmetry:

LRe = -0.0911 +/- 0.0012

UDe = -0.0918 +/- 0.0013

LRw = -0.0986 +/- 0.0013

UDw = -0.0955 +/- 0.0012

## Physics Asymmetry:

LRe = 0.0137 +/- 0.0012

UDe = 0.0049 +/- 0.0013

LRw = 0.0140 +/- 0.0013

UDw = -0.0039 +/- 0.0012

# Slat-by-Slat Physics Asymmetry

Calculated assuming that only 2 of 4 usual spin states are available

$$\begin{aligned}\mathcal{E}_{phys,i}^e &= \frac{N_{Le,i}^{\uparrow\uparrow} - R N_{Le,i}^{\downarrow\downarrow}}{N_{Le,i}^{\uparrow\uparrow} + R N_{Le,i}^{\downarrow\downarrow}} \\ &= \frac{P_Y A_{Lf,i} - P_B A_{Lb,i}}{1 + P_Y P_B A_{NN,Li}} + \text{higher-order terms} \\ &\approx \frac{N_{Le,i}^{\uparrow\uparrow} / L^{\uparrow\uparrow} - N_{Le,i}^{\downarrow\downarrow} / L^{\downarrow\downarrow}}{N_{Le,i}^{\uparrow\uparrow} / L^{\uparrow\uparrow} + N_{Le,i}^{\downarrow\downarrow} / L^{\downarrow\downarrow}}\end{aligned}$$

where

$$R = \frac{1 + \langle \mathcal{E}_{lum} \rangle}{1 - \langle \mathcal{E}_{lum} \rangle} \approx \frac{L^{\uparrow\uparrow}}{L^{\downarrow\downarrow}}$$

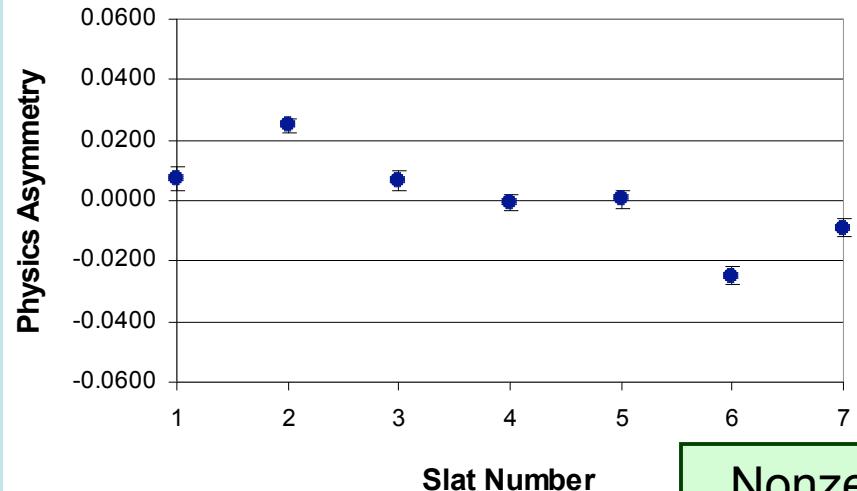
Ratio of  
luminosities

Higher-order terms above are second-order in small quantities, rather than fourth-order in square-root asymmetry

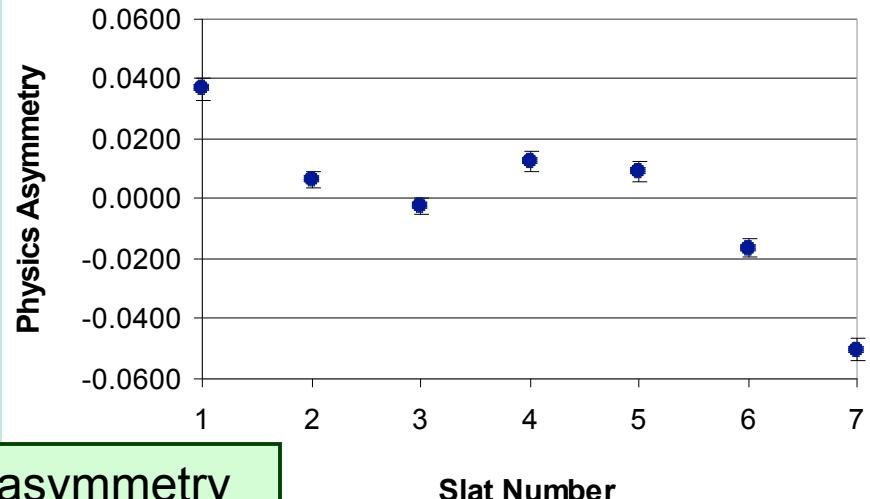
# Individual Slat Asymmetries

STAR Preliminary

Asymmetry for Vertical Slats East X

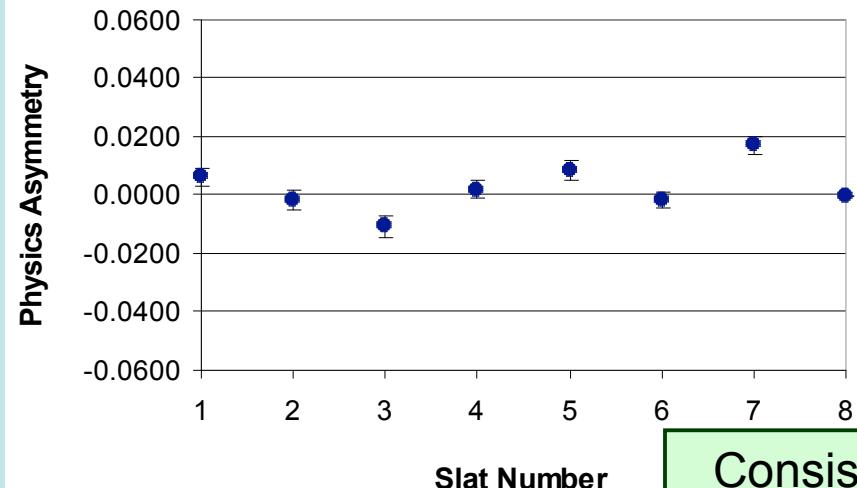


Asymmetry for Vertical Slats West X

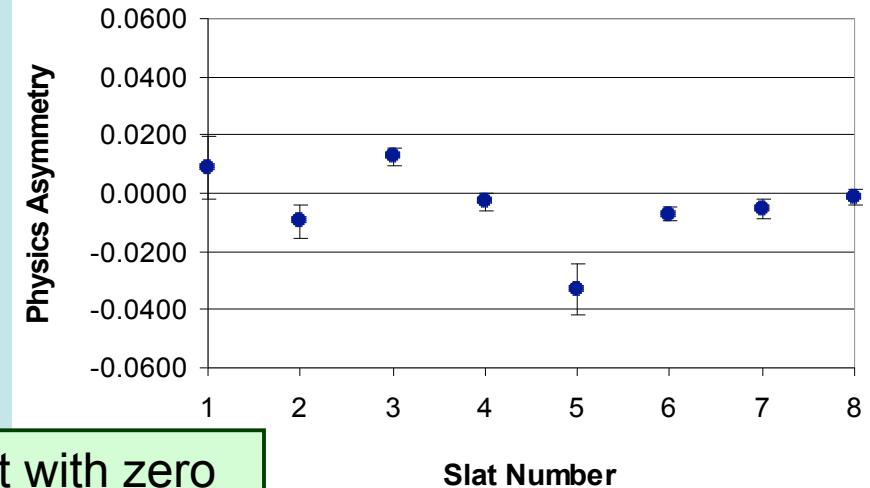


Nonzero asymmetry

Asymmetry for Horizontal Slats East Y

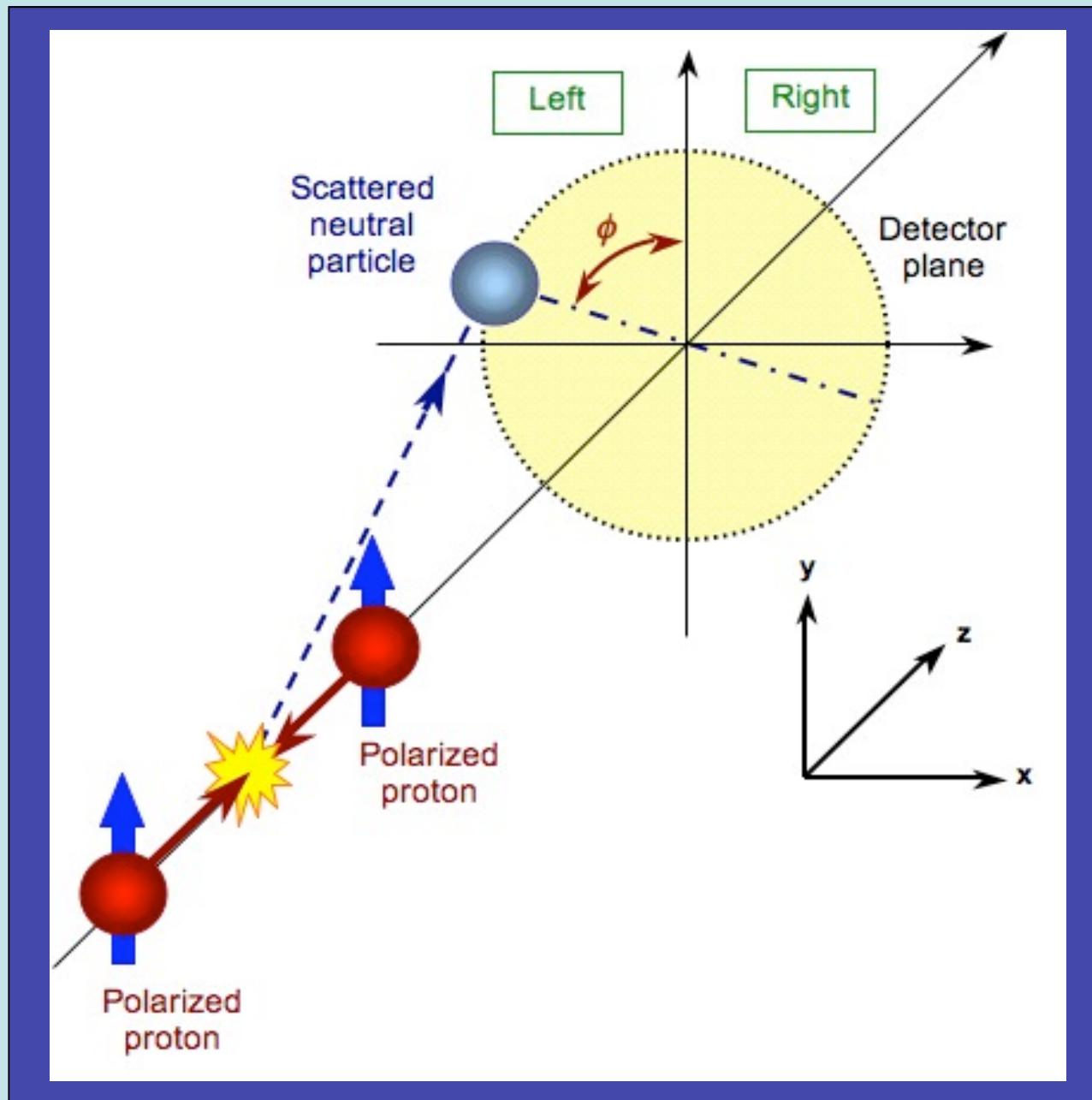


Asymmetry for Horizontal Slats West Y

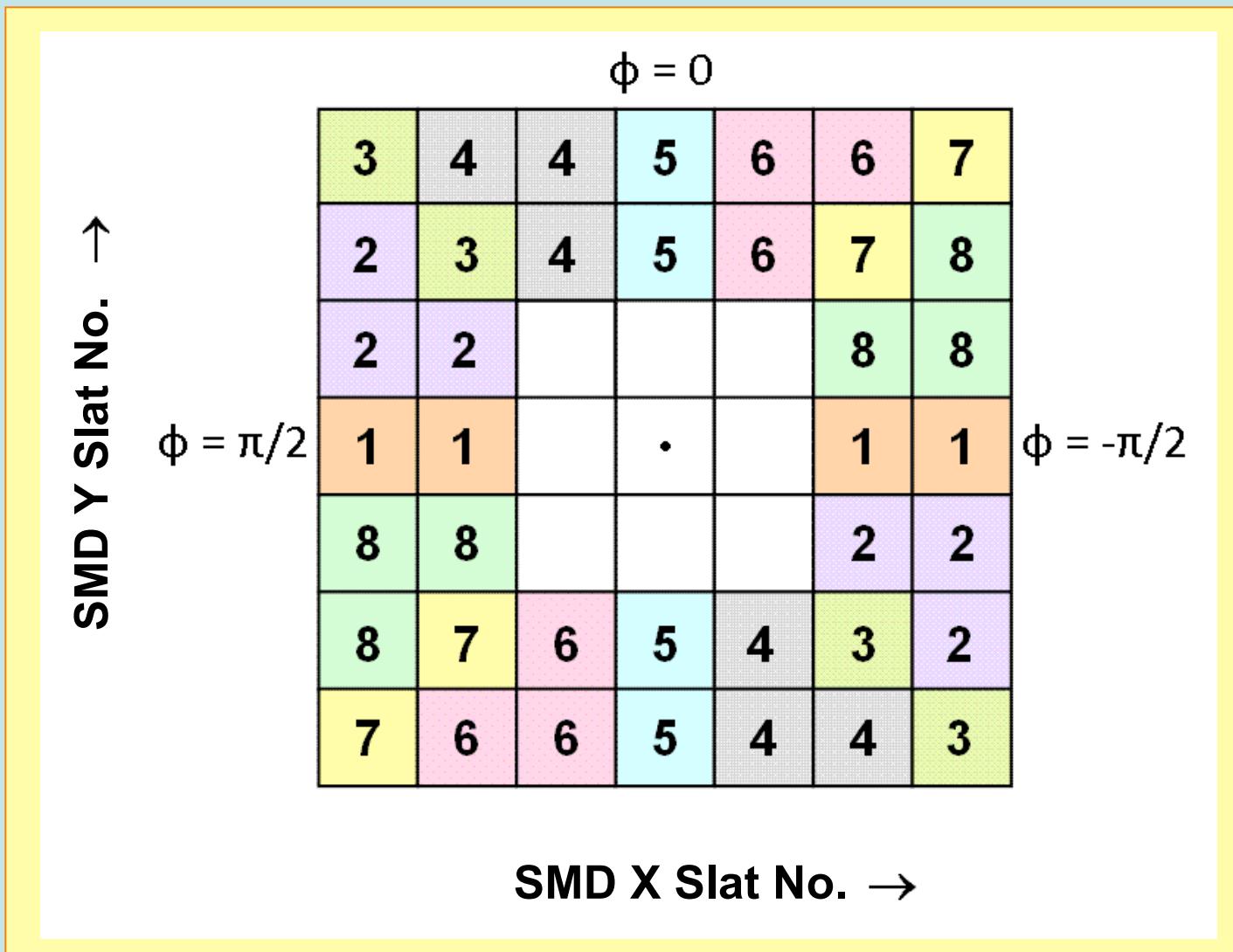


Consistent with zero

# Definition of the Phi Asymmetry

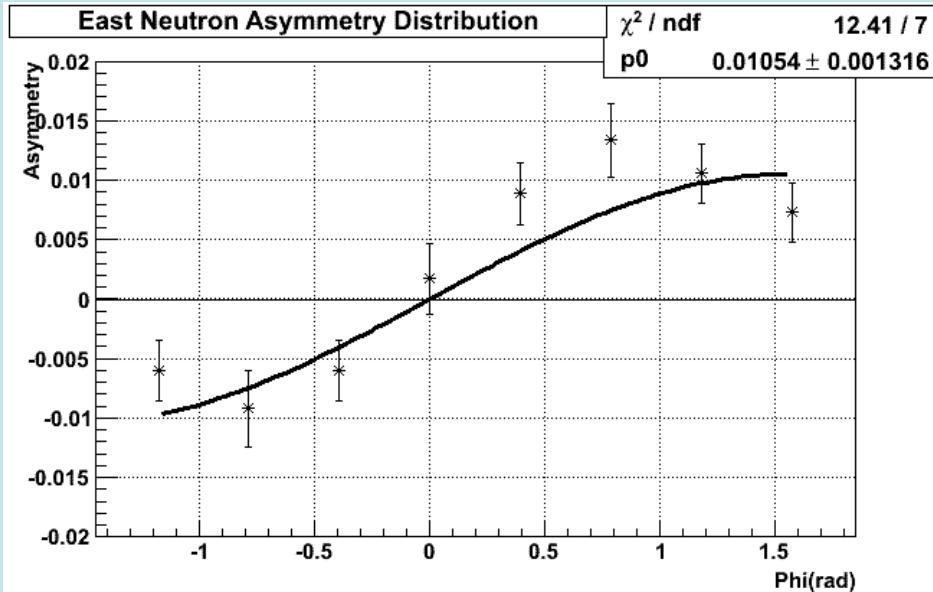


# SMD Bin Map for Phi Asymmetry



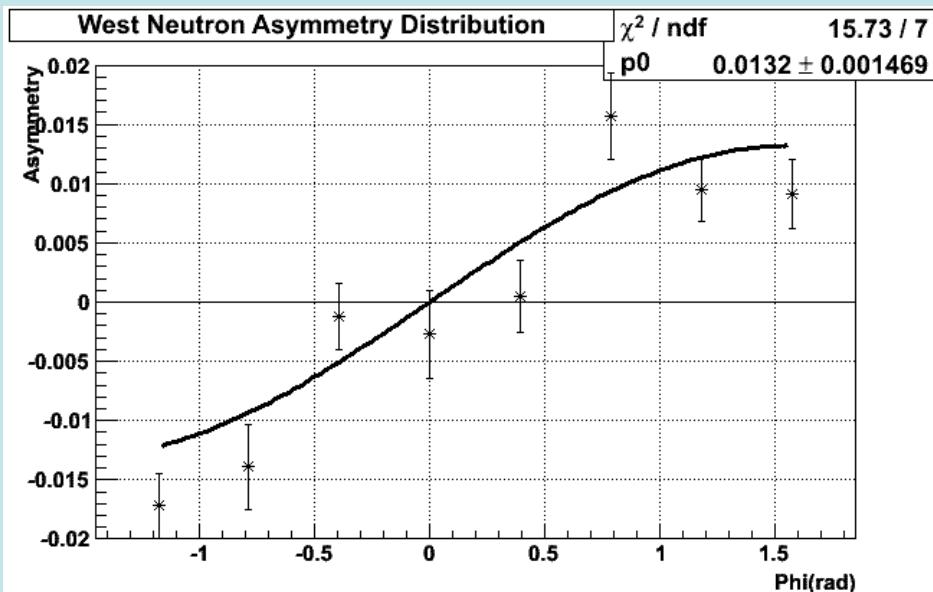
Form “left-right” asymmetries from opposite bins as function of angle  $\phi$

# Phi Asymmetry of Neutral Particles



East ZDC Phi  
Asymmetry Distribution

STAR Preliminary



West ZDC Phi  
Asymmetry Distribution

Asymmetry of sum of  
vertical and horizontal slats  
for given SMD bin

# Summary

- ZDCs tested for feasibility as local polarimeter at STAR
- Limited data sample analyzed using dedicated runs
- Results:
  - Observe significant L-R physics asymmetry
  - Small U-D asymmetry - consistent with beam proton spins both up or down
  - Results similar to other experiments
- Future: need further studies at high energies