



Search for QCD Critical Point: Higher Moments of Net-proton Multiplicity Distributions at RHIC



Xiaofeng Luo

(For the STAR Collaboration)

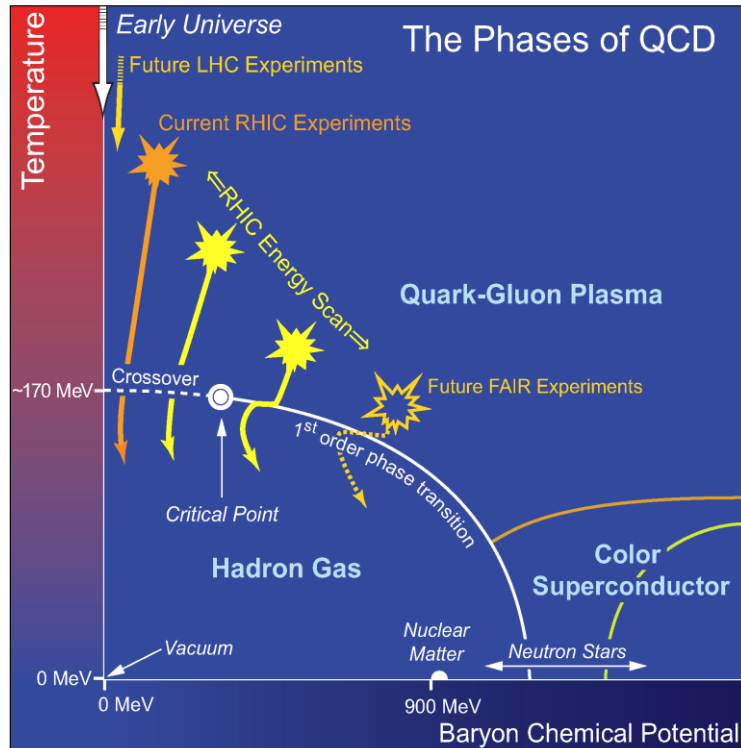
Lawrence Berkeley National Lab(LBNL)

University of Science and Technology of China(USTC)

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QCD Phase Diagram

A type of chart to show condition at which thermodynamically distinct phases can occur at equilibrium.



Explore the structure of the QCD phase diagram.

- Map the QCD Phase Boundary.
- Find the QCD Critical Point (CP).

Signatures of the QCD Critical Point (CP):

- Divergence of the correlation length (ξ) and thermodynamic susceptibilities.
- Non-Gaussian fluctuations.

Observable (T, μ_B):



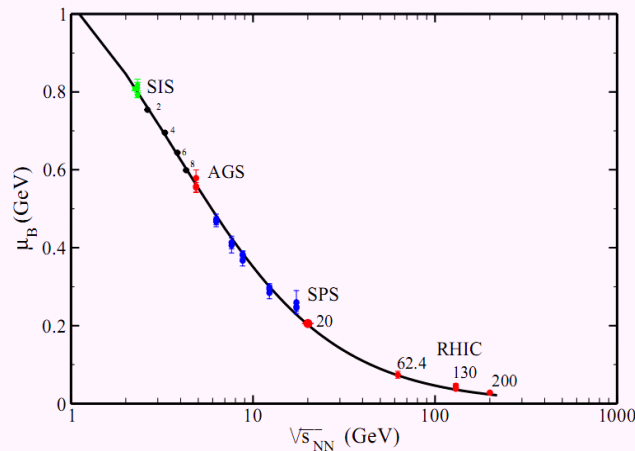
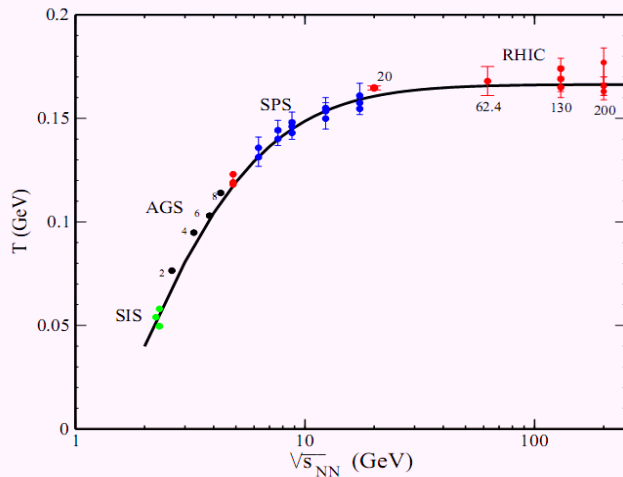
Schematic QCD Phase diagram of Nuclear Matter

No-monotonic signal is need for CP.

- Particle ratio fit with Thermal Model:
Chemical freeze out temperature (T)
and baryon chemical potential (μ_B).

J. Cleymans et al, Phys. Rev. C73 (2006) 034905

- Varying the colliding energy, we can access different region (T, μ_B) on the QCD phase diagram.



- RHIC Bean Energy Scan Program:

- STAR Detector : Large Uniform Acceptance.

Year	$\sqrt{s_{NN}}$ (GeV)
2010	7.7, 11.5, 39, 62.4, 200 (μ_B Coverage : 20~550 MeV)
2011	6 (?), 18, 27, 200

Good opportunities to search for CP !

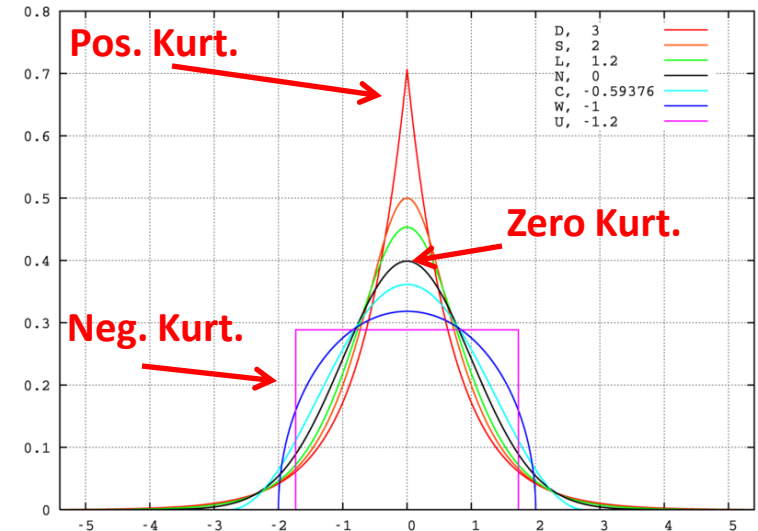
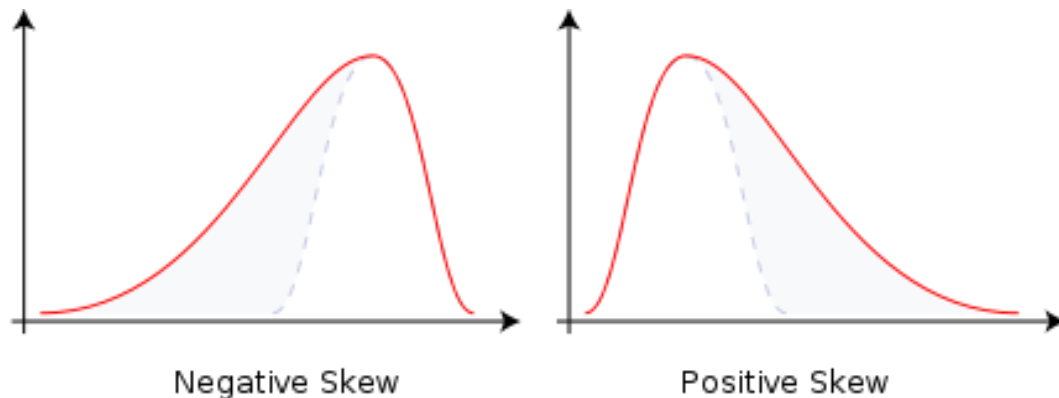
Definition : **N: Event by Event Multiplicity Distribution**

Mean: $Y = \langle N \rangle$

St. Deviation: $\sigma = \sqrt{\langle (N - \langle N \rangle)^2 \rangle}$

Skewness: $s = \frac{\langle (N - \langle N \rangle)^3 \rangle}{\sigma^3}$

Kurtosis: $\kappa = \frac{\langle (N - \langle N \rangle)^4 \rangle}{\sigma^4} - 3$



➤ For Gaussian Distribution, the skewness and kurtosis are equal to zero. **Ideal probe of the non-Gaussian fluctuation at CP.**

(I): Link to Thermodynamics Susceptibilities in Hadron Resonance Gas (HRG) Model and Lattice QCD.

$$\chi_q^2 = \frac{1}{VT^3} \langle \delta N_q^2 \rangle$$

$$\chi_q^3 = \frac{1}{VT^3} \langle \delta N_q^3 \rangle$$

$$\chi_q^4 = \frac{1}{VT^3} (\langle \delta N_q^4 \rangle - 3 \langle \delta N_q^2 \rangle^2)$$



$$(\kappa\sigma^2)_q = \chi_q^4 / \chi_q^2$$

$$(S\sigma)_q = \chi_q^3 / \chi_q^2$$

q=Conserved Quantities.

such as Charge, Baryon, Strangeness Number

M.Cheng et al, arXiv: 0811.1006

F. Karsch and K. Redlich, arXiv:1007.2581

Experimental measurable net-proton numbers fluctuations can reflect baryon and charge number fluctuations.

Y. Hatta et al, PRL 91, 102003 (2003)

(II): Link to Correlation Length (ξ) :

Due to Finite size effects , Finite time and Critical slowing down effects, $\xi \sim 2-3$ fm.

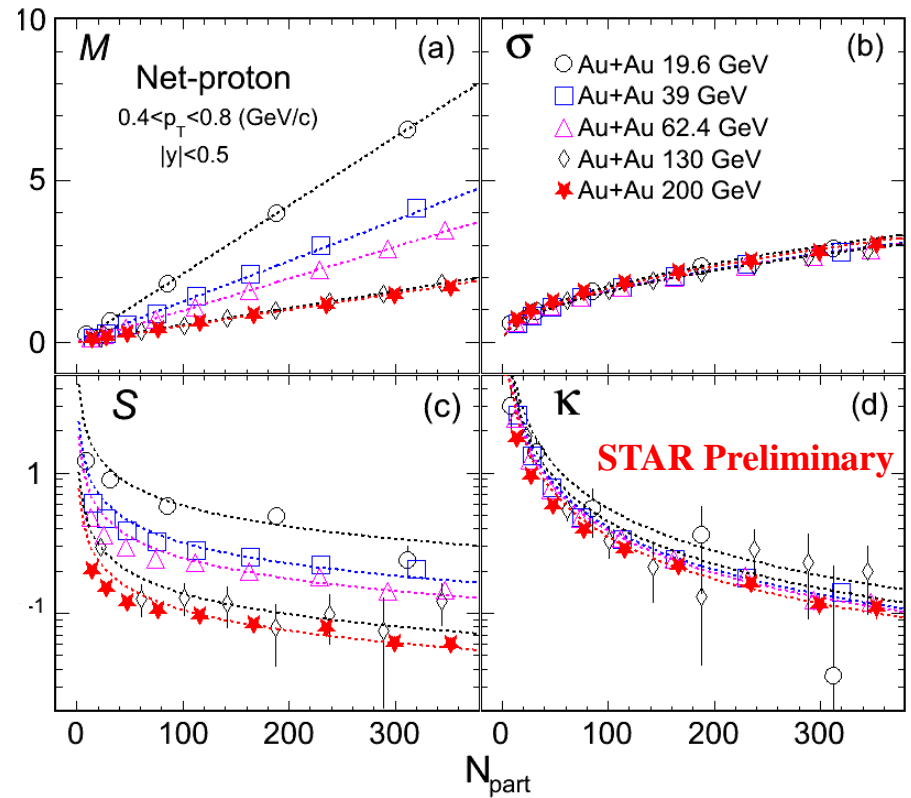
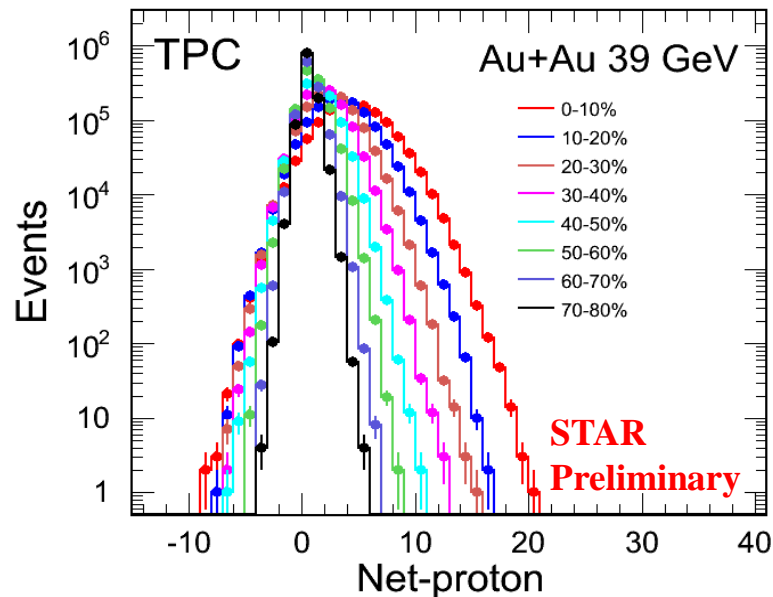
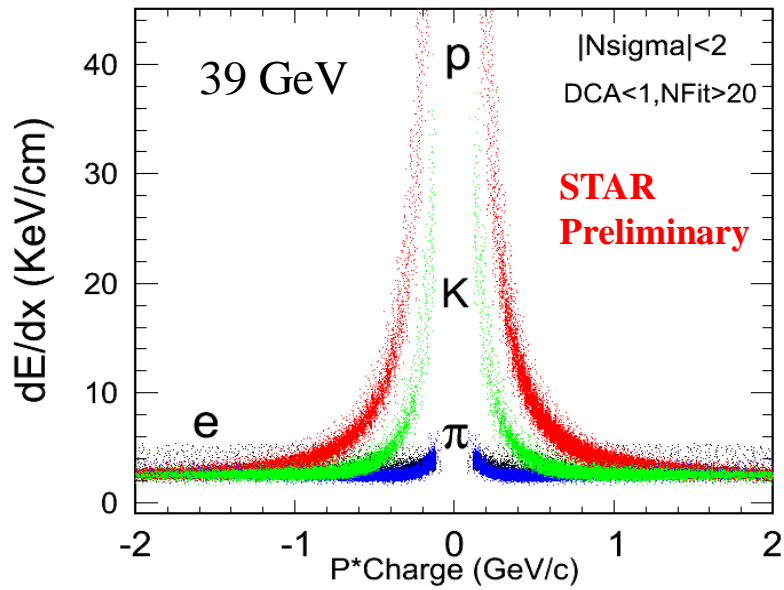
QCD Based Model:

$$\langle (\delta N)^2 \rangle \approx \xi^2, \langle (\delta N)^3 \rangle \approx \xi^{4.5}$$

$$\langle (\delta N)^4 \rangle - 3 \langle (\delta N)^2 \rangle^2 \approx \xi^7$$

Higher Order Moments with Higher Sensitivity.

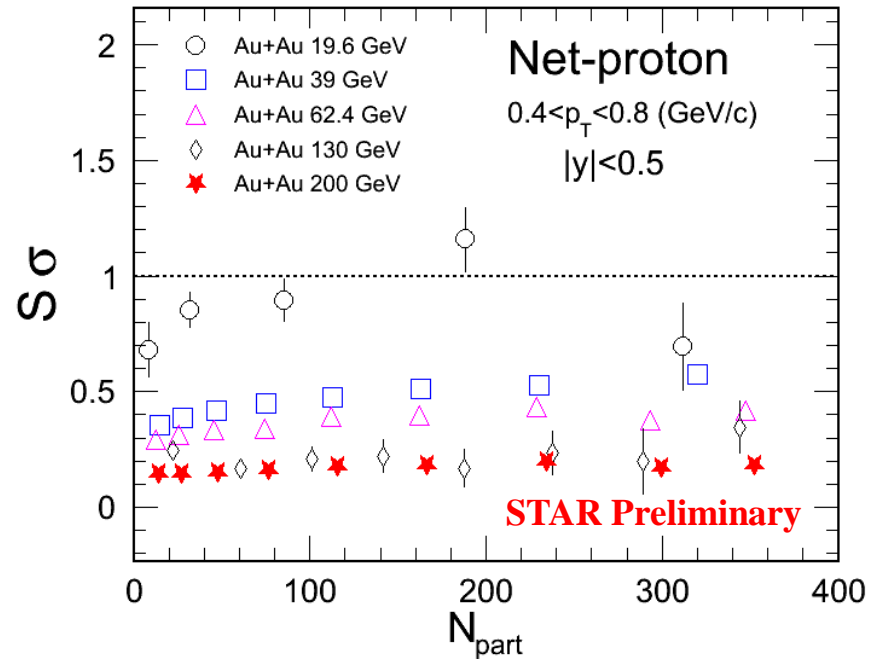
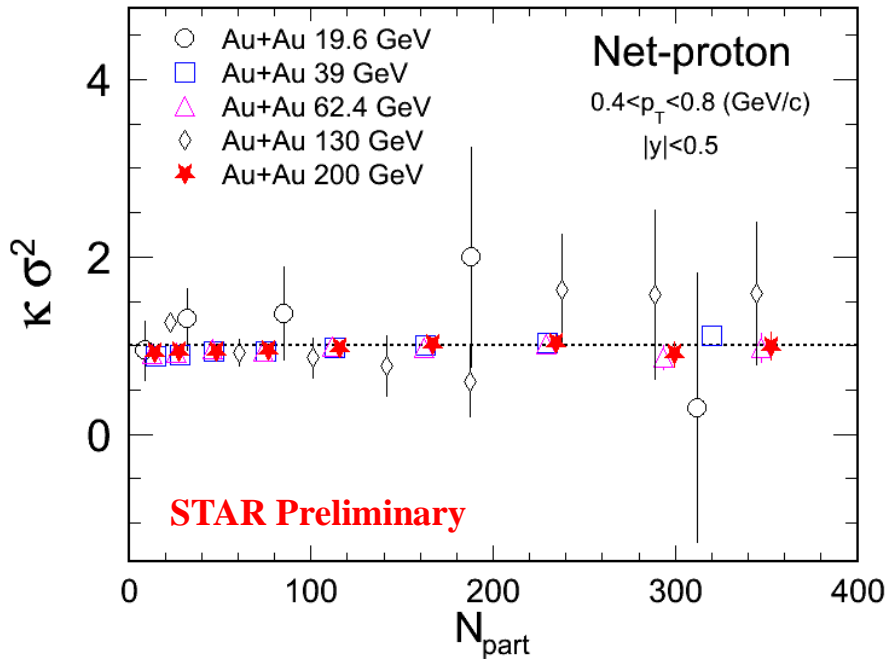
Higher Moments of Net-proton Distributions



STAR: PRL 105 (2010) 022302

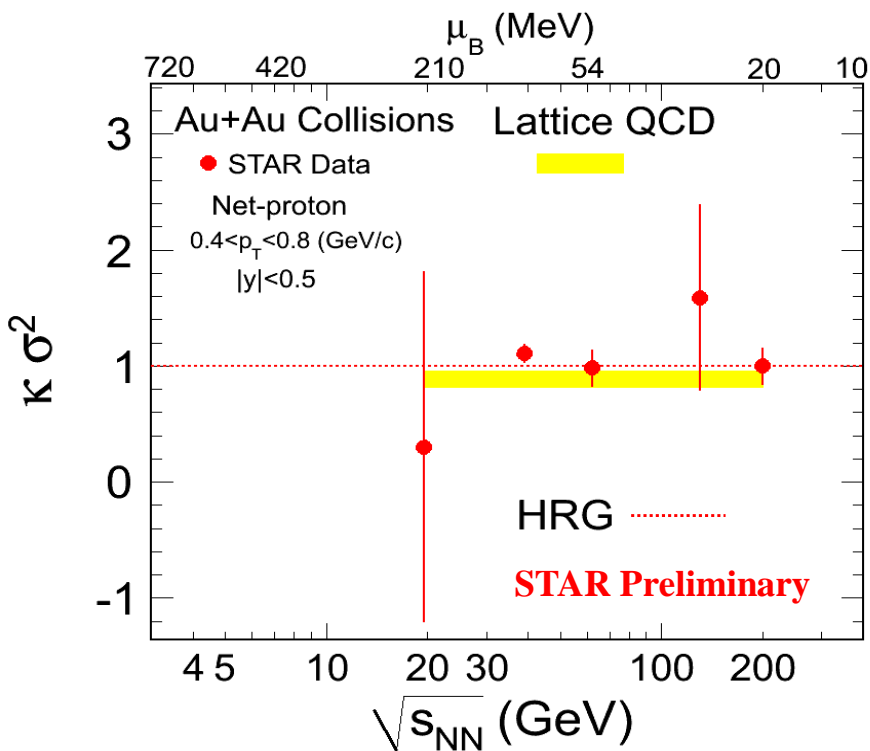
- TPC dE/dx: Clean Proton and Anti-proton Identification at $0.4 < p_T < 0.8$ (GeV/c), $|y| < 0.5$.
- Various moments of net-proton distributions vary with number of participants.

Moments Product of Net-proton Distributions

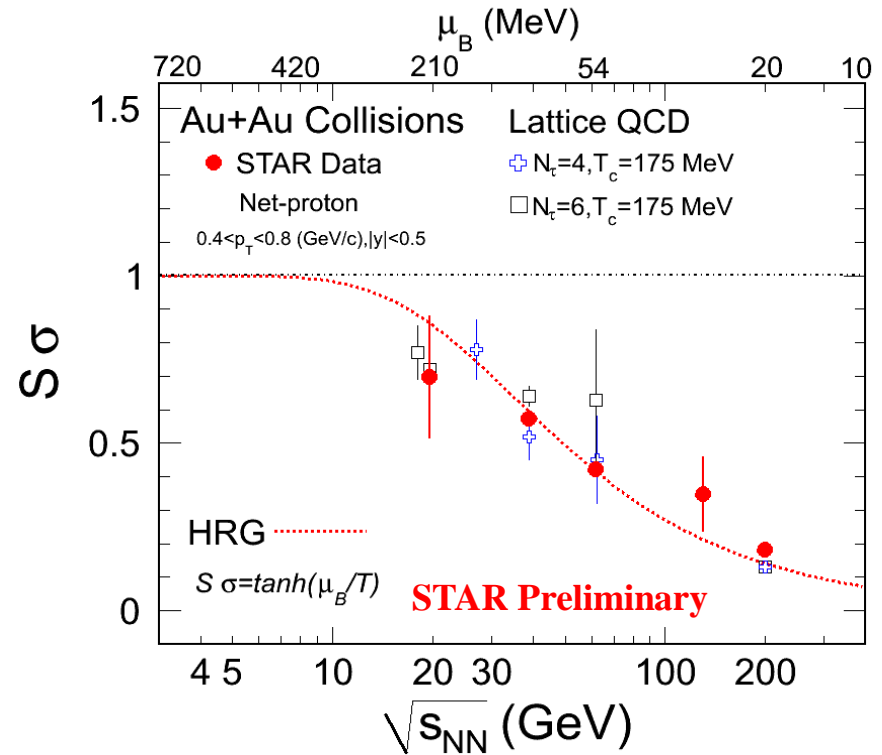


- Moment products of net-proton distribution are directly related to the **baryon number susceptibility ratio** and **sensitive to the correlations length**.
- Kurtosis*Variance: No energy dependence and small system size dependence.
 Skewness*Sigma: With energy dependence and small system size dependence.

STAR Excitation Function of $S\sigma$ and $\kappa\sigma^2$ for Central Net-proton Distributions



$$\text{HRG} : \kappa_B \sigma_B^2 = \frac{\chi_B^{(4)}}{\chi_B^{(2)}} = 1$$



$$\text{HRG} : S_B \sigma_B = \frac{\chi_B^{(3)}}{\chi_B^{(2)}} = \tanh\left[\frac{\mu_B}{T}(\sqrt{s})\right] < 1$$

- Currently, the STAR Au+Au high energy data are in agreement with Lattice QCD and HRG model. Analysis is on going for $\sqrt{s}=11.5$ and 7.7 GeV.

Summary

- Higher moments of net-proton distributions are sensitive to QCD critical point related non-Gaussian fluctuations and correlation length.
- Higher moments and moment products of net-proton distributions are presented for STAR Au+Au data with colliding energy down to $\sqrt{s}=19.6$ GeV.
- Moment products of $S\sigma$ and $\kappa\sigma^2$ for Net-proton distributions are found to be consistent with Lattice QCD and HRG model for high energy data. **Looking for non-monotonic signature for CP at lower energy ($\sqrt{s}=11.5$, 7.7 GeV...).**