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# Determining the Longitudinal Double-Spin Asymmetry ( $A_{LL}$ ) for $\pi^0$ and $\eta$ Production from STAR 2013 Endcap Calorimeter Data

Emily Nelson

Undergraduate student at Valparaiso University

On Behalf of the STAR Collaboration

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Supported in part by



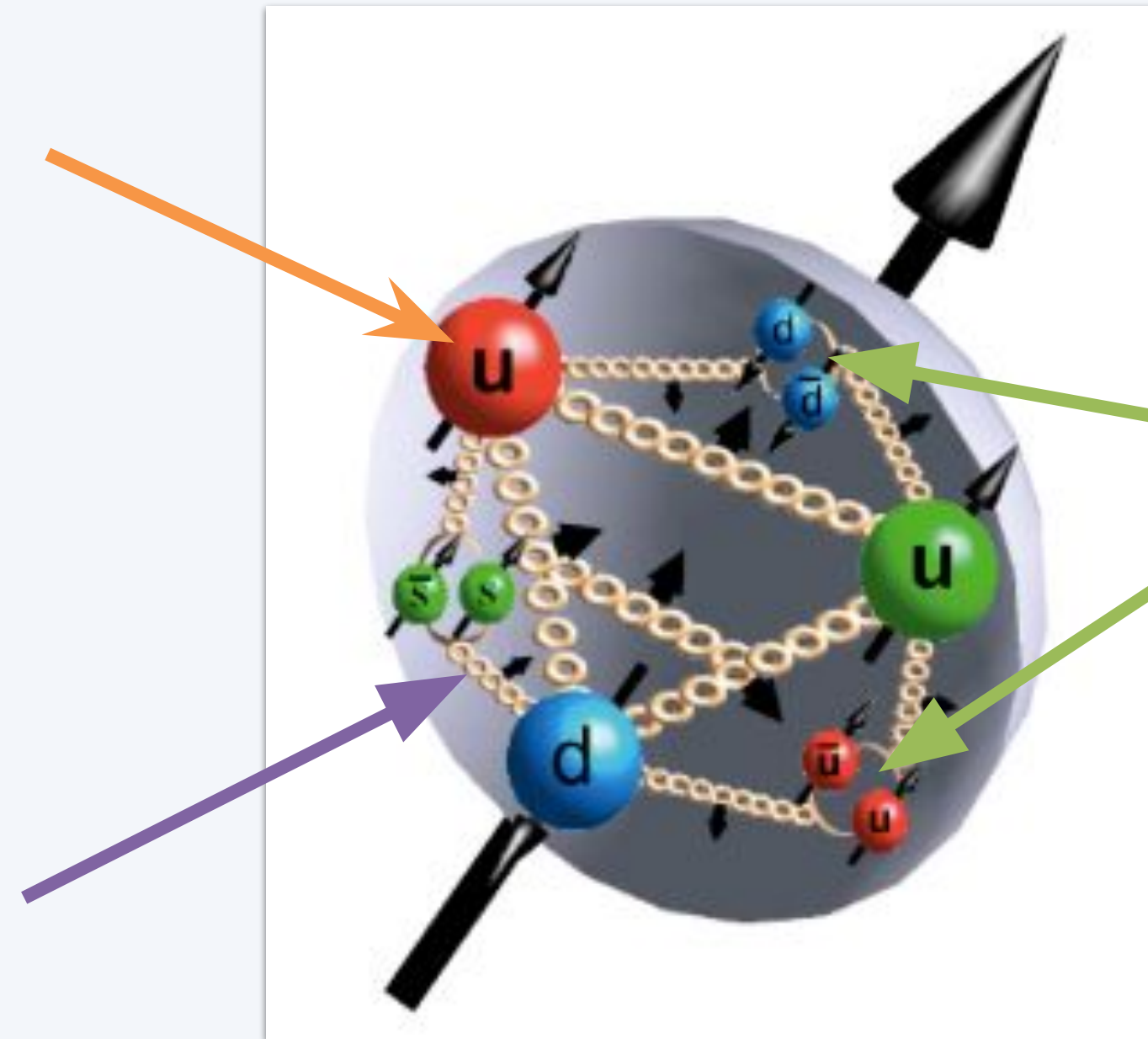
# Proton Composition

## Valence Quarks

- Up, Up, Down
- Always present

## Gluons

- Carry the strong force
- Hold valence quarks together



## Sea quarks

- Virtual particles
- Additional quark-antiquark pairs
- Pop in and out of existence in the proton

# Proton Spin Composition

- Proton spin is known to be  $\frac{1}{2} \hbar$ 
  - Quark spin contributes  $\sim 30\%$  of proton spin
  - Gluon spin contributions could be substantial
  - There could be additional contributions from quark and gluon orbital angular momenta



Quark  
spin

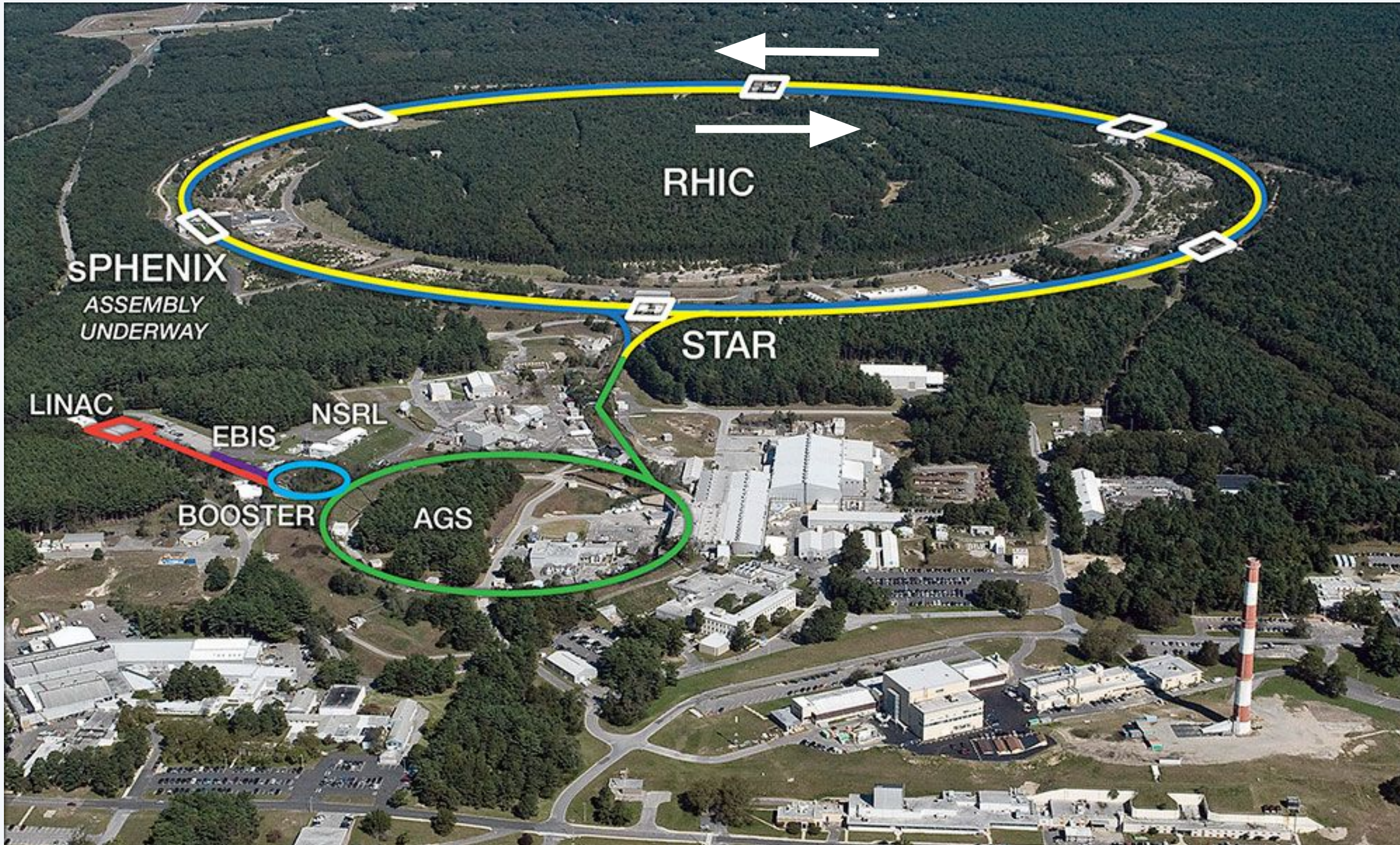
Quark orbital angular  
momentum

$$\frac{1}{2} \hbar = \frac{1}{2} \overbrace{\Delta\Sigma} + \underbrace{\Delta G}_{\text{Gluon spin}} + \overbrace{L_q} + \underbrace{L_g}_{\text{Gluon orbital angular momentum}}$$

Gluon  
spin

Gluon orbital angular  
momentum

# RHIC Ring

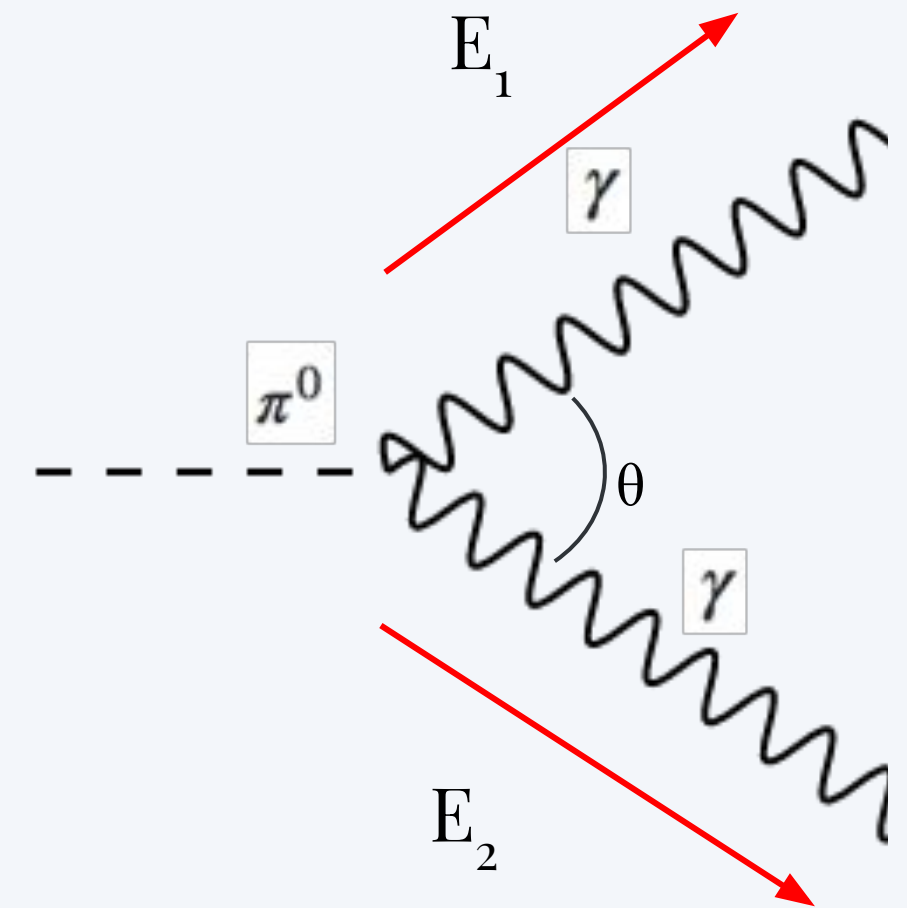


Relativistic  
Heavy  
Ion  
Collider

Solenoidal  
Tracker  
At  
RHIC

# Particle Reconstruction

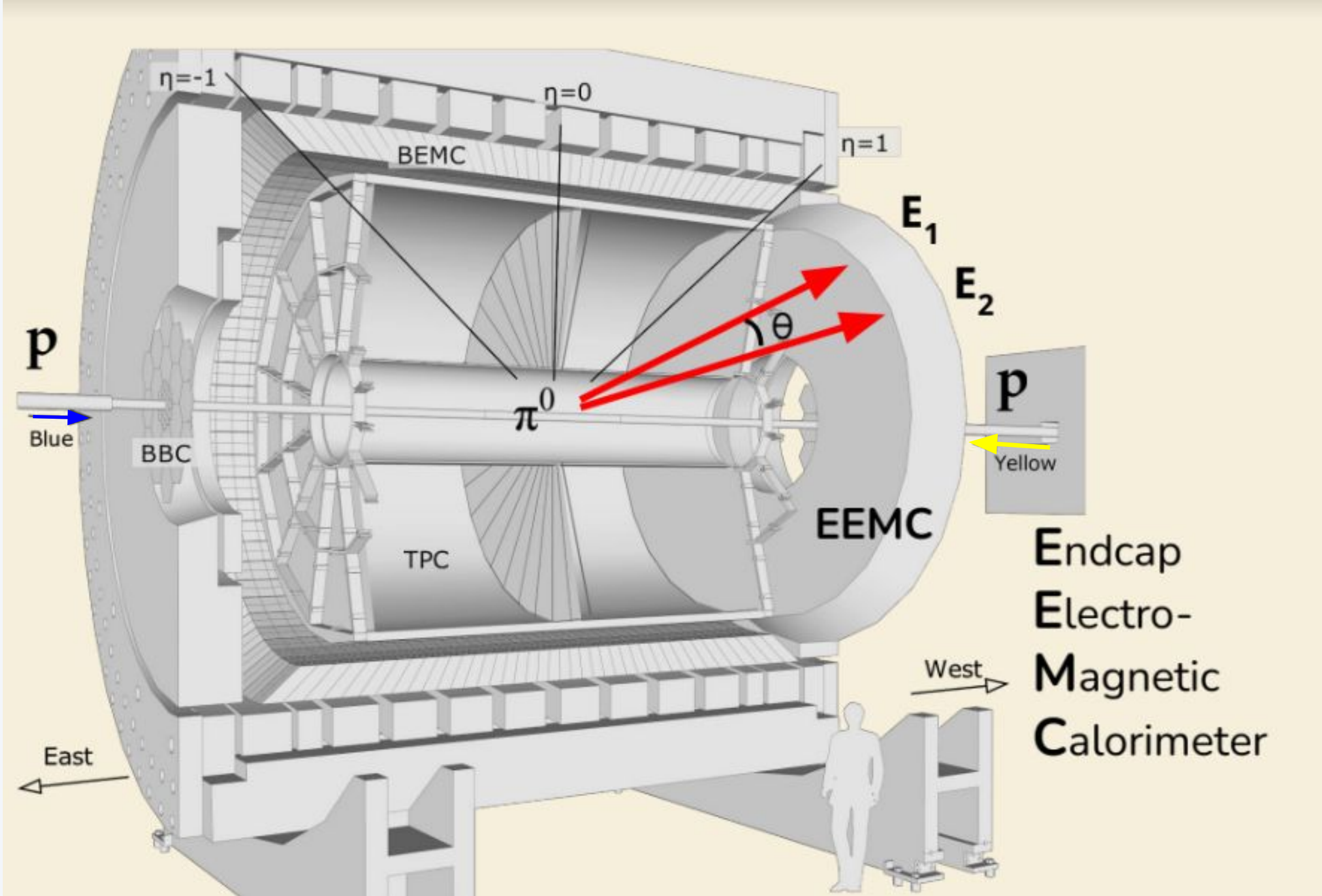
- $\pi^0$ s (neutral pions) and  $\eta$ s (eta mesons) are two of the many particles produced in the collisions
- $\pi^0$ s and  $\eta$ s rapidly decay into 2 photons
- The energy and position of the photons are measured by the Endcap Electromagnetic Calorimeter (EEMC)
- If the two photons come from a  $\pi^0$  or  $\eta$ , the invariant mass ( $M_{\gamma\gamma}$ ) will be equal to the mass of the  $\pi^0$  or  $\eta$  particle
  - $\pi^0$  mass = 0.135 GeV/c<sup>2</sup> (~14% proton mass)
  - $\eta$  mass = 0.548 GeV/c<sup>2</sup> (~58% proton mass)



Invariant Mass Formula

$$M_{\gamma\gamma} = (E_1 + E_2) \sqrt{1 - \left(\frac{E_1 - E_2}{E_1 + E_2}\right)^2} \sin\left(\frac{\theta}{2}\right)$$

# STAR Detector

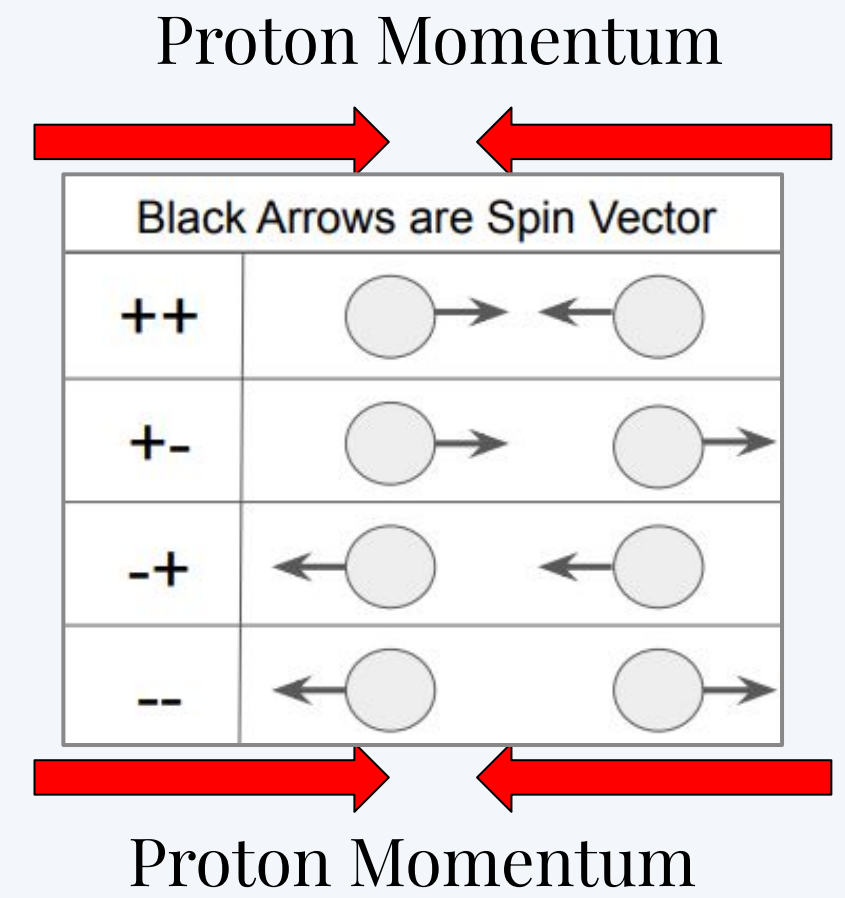
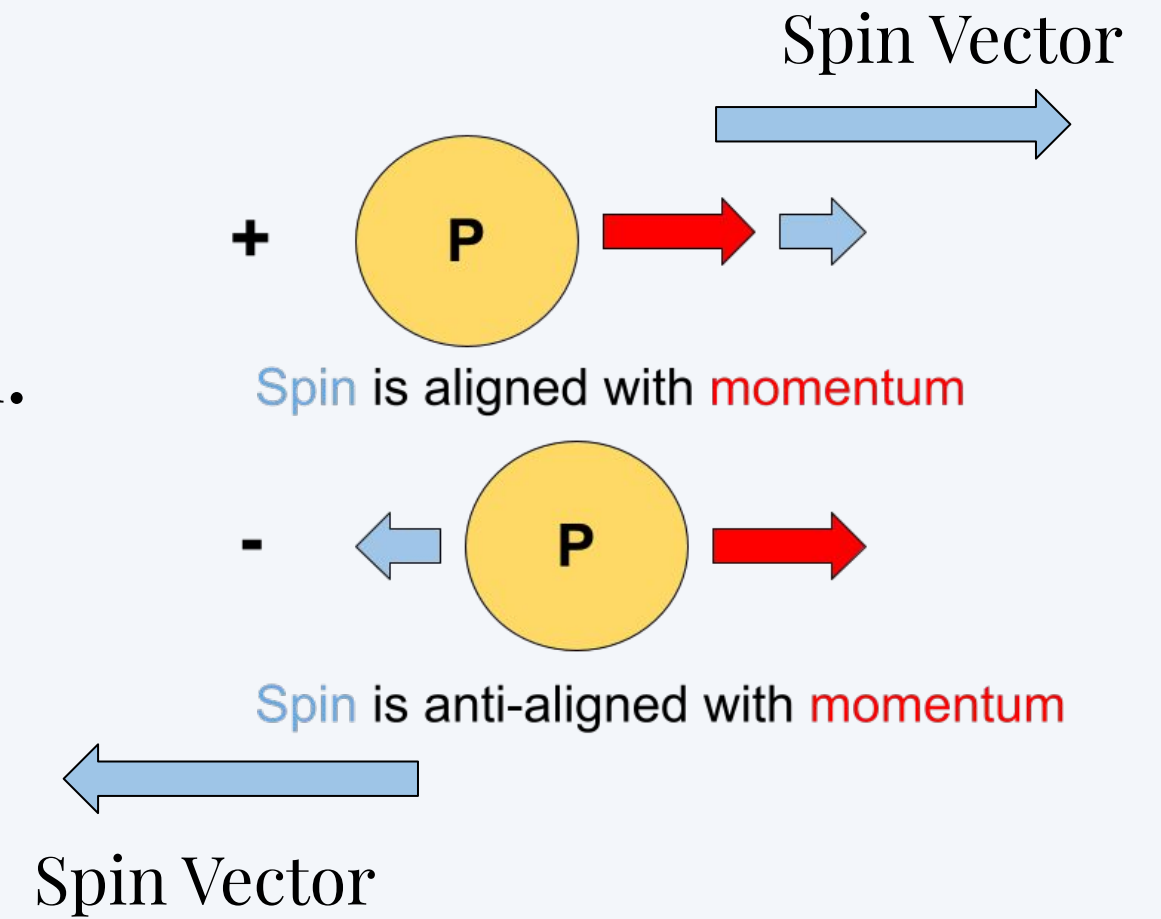


# Asymmetry

- This is one of the goals of STAR's physics program as  $A_{LL}$  can be related to the gluon spin contribution to proton spin.
- Asymmetry is given by:

$$A_{LL} = \frac{1}{P_B P_Y} \frac{(N^{++} - R_3 N^{+-})}{(N^{++} + R_3 N^{+-})}$$

- where:
  - N = Total number of  $\pi^0$ s ( $\eta$ s) measured for different spin alignments
  - $P_B$  = "Blue" beam polarization
  - $P_Y$  = "Yellow" beam polarization
  - $R_3$  = Luminosity ratio
  - $N^{++}$  includes both  $N^{++}$  and  $N^{-}$
  - $N^{+-}$  includes both  $N^{+-}$  and  $N^{-+}$



# Fills and Runs

## Fill:

- A number of bunches of protons that travel through the accelerator rings
- When the polarization and number of protons become lower than a certain point, the current fill is dumped and a new fill is started
- Each fill lasts roughly 6 hours

## Run:

- Subset of a fill that contains a certain number of proton-proton collisions
- Breaks data into manageable pieces
- Many runs make up a fill (usually from 2-20, averaging around 12)
- Each run is comprised of roughly 30 minutes of data-taking within a fill



# Two Photon Invariant Mass Fitting

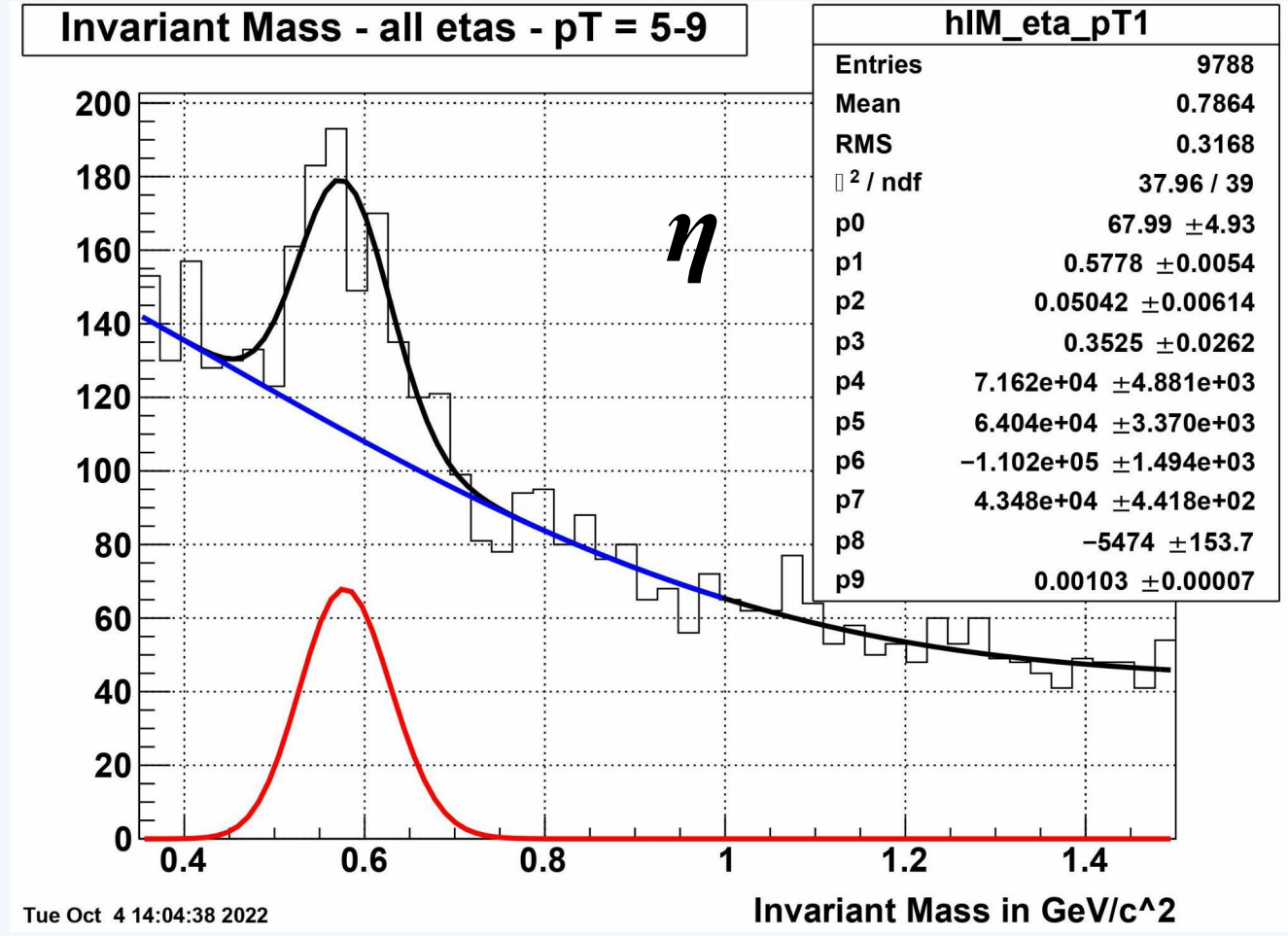
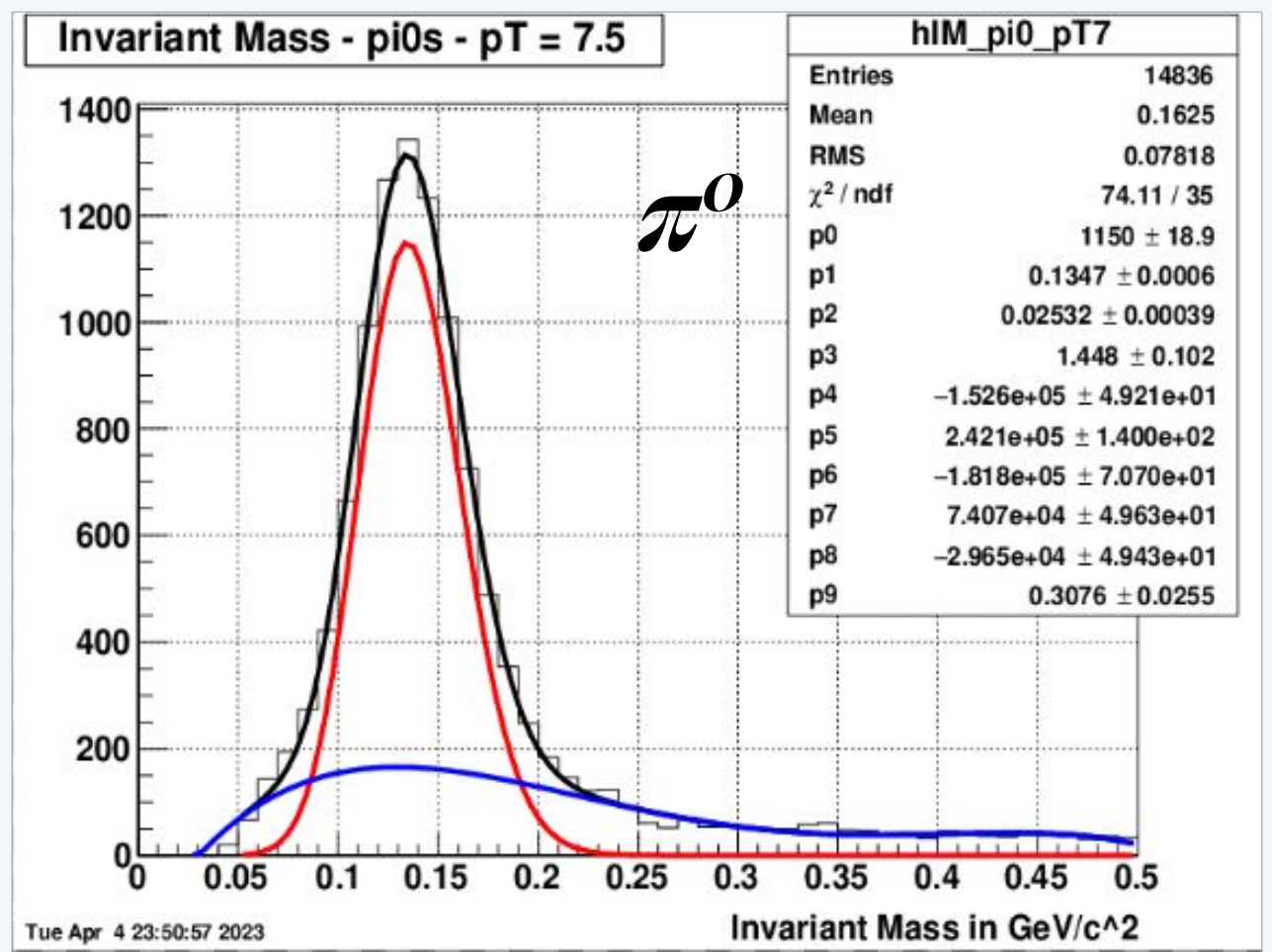
- Signal ( $\pi^0$  or  $\eta$ ) is fit using a skewed Gaussian function (red line)

$$f(x) = p_0 \cdot \exp\left(-0.5 \left(\frac{x - p_1}{p_2(1 + p_3(x - p_1))}\right)^2\right)$$

- Background of the graph is fit using the Chebyshev polynomial (blue line)

$$B = p_9 \cdot (p_4 \cdot T_0 + p_5 \cdot T_1 + p_6 \cdot T_2 + p_7 \cdot T_3 + p_8 \cdot T_4)$$

- The black line is the sum of the two functions and represents the fit to the data

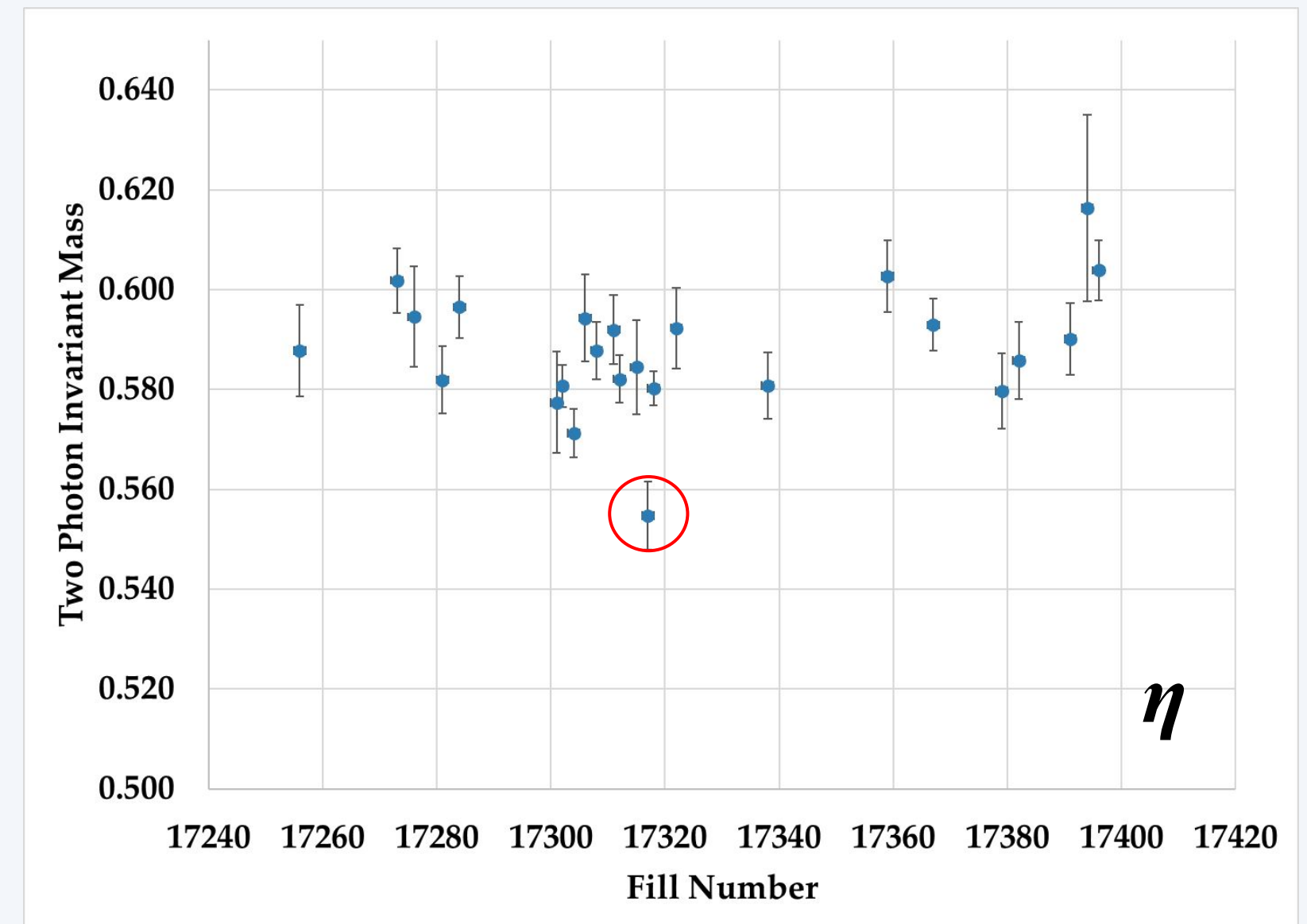
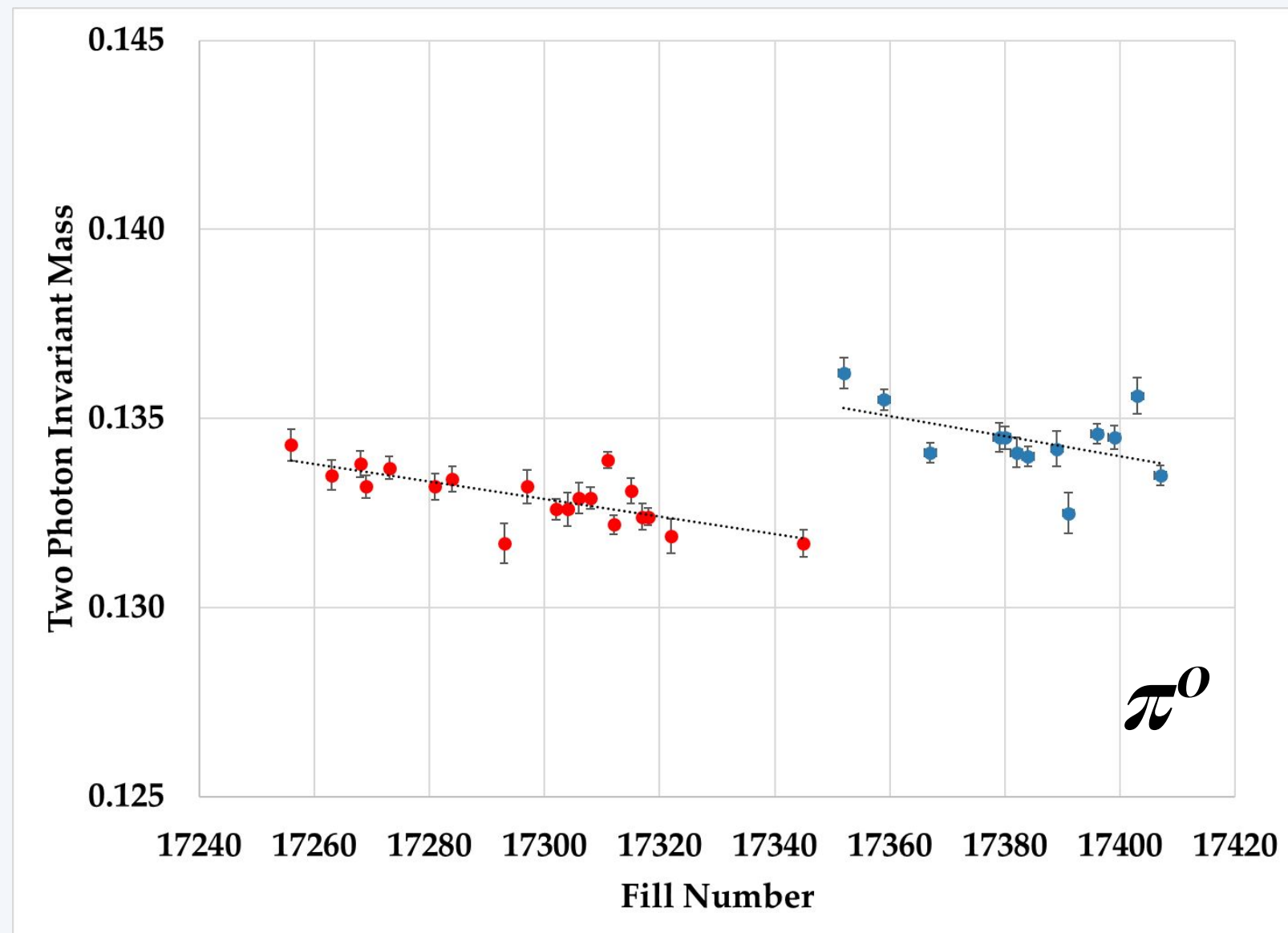


# Quality Assurance (QA)

- Done first at the run level and then at the fill level
- QA on the runs ensures quality data
  - Gather all runs from all fills ( $\sim 12$  runs per fill)
  - Look at values related to  $\pi^0$  ( $\eta$ ) mass, segments in the detector hit, and the signal to background ratio
  - Remove any outlier runs  $4\sigma$  away from the mean of that value for all runs
- QA on the fills takes place after run QA with remaining data
  - Remove fills that are “bad” or inconsistent with the data set
  - Fit the measured two-photon invariant mass spectrum with the sum of two functions: a  $\pi^0$  ( $\eta$ ) signal function (represented by a skewed gaussian) plus a background function (5th order Chebyshev polynomial).

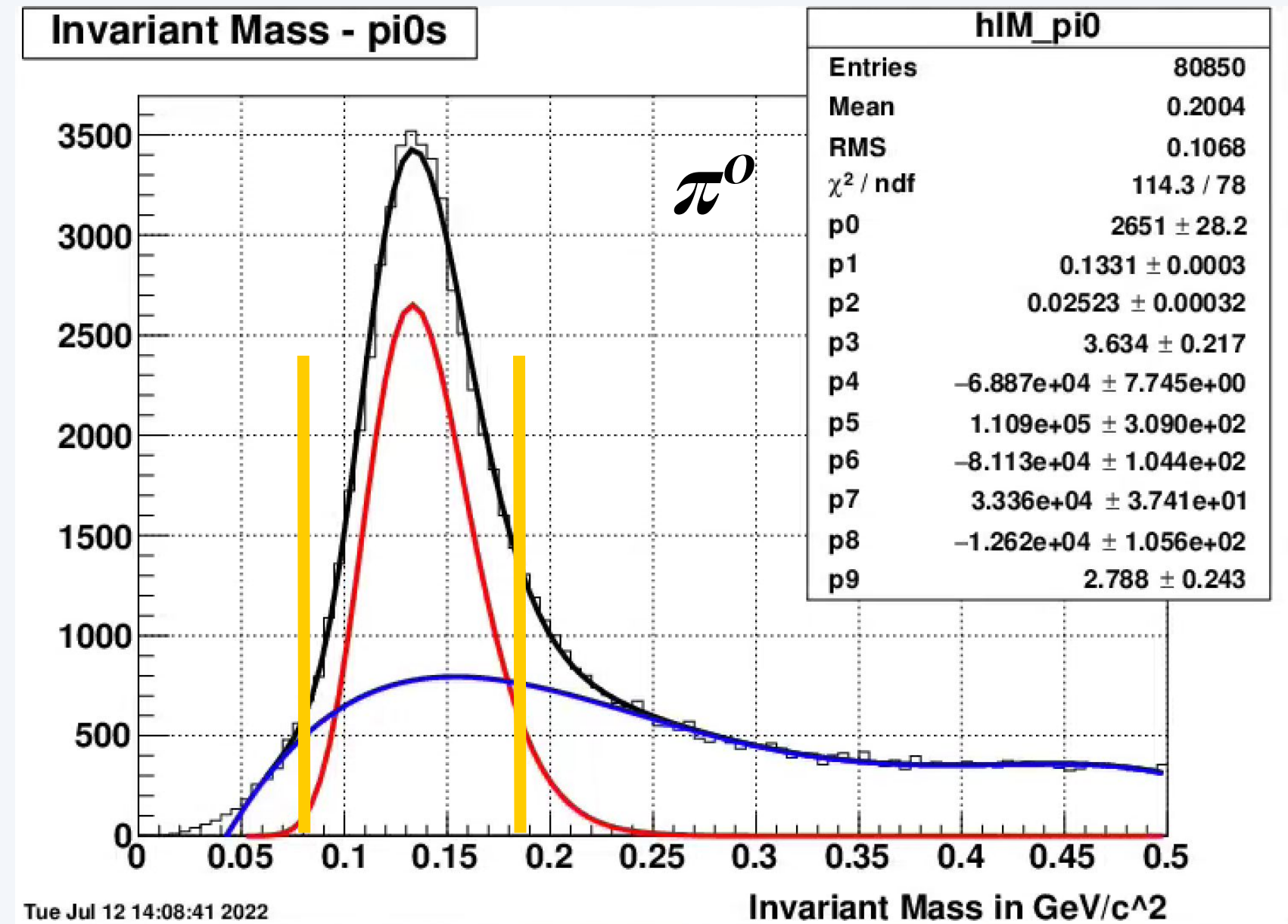
# Fitted Invariant Mass Spectrum

- Plot important information such as  $\pi^0$  ( $\eta$ ) mass,  $\pi^0$  ( $\eta$ ) width, number of  $\pi^0$ s ( $\eta$ s), etc.
  - Look for deviations from the norm
  - The plots show the mean of the signal portion of the two photon invariant mass vs fill number



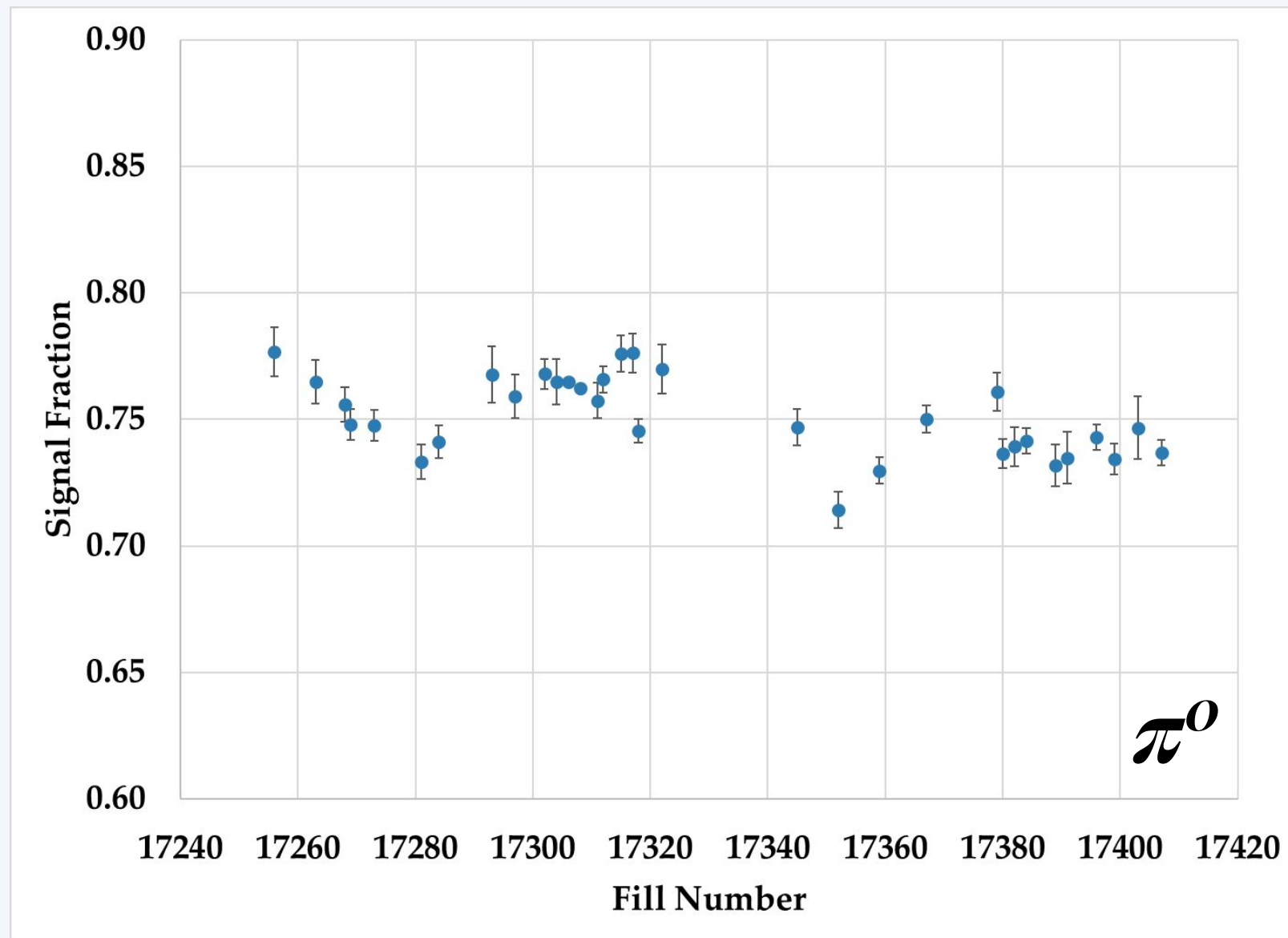
# Signal Fraction

- The signal fraction is the number of  $\pi^0$ s ( $\eta$ s) within  $2\sigma$  of the  $\pi^0$  ( $\eta$ ) peak divided by the total number of events in this region.
- $\pi^0$  candidates that are within  $2\sigma$  of the mean (gold lines)
- The signal fraction is used as an analysis tool to ensure a good ratio of the signal to the background noise

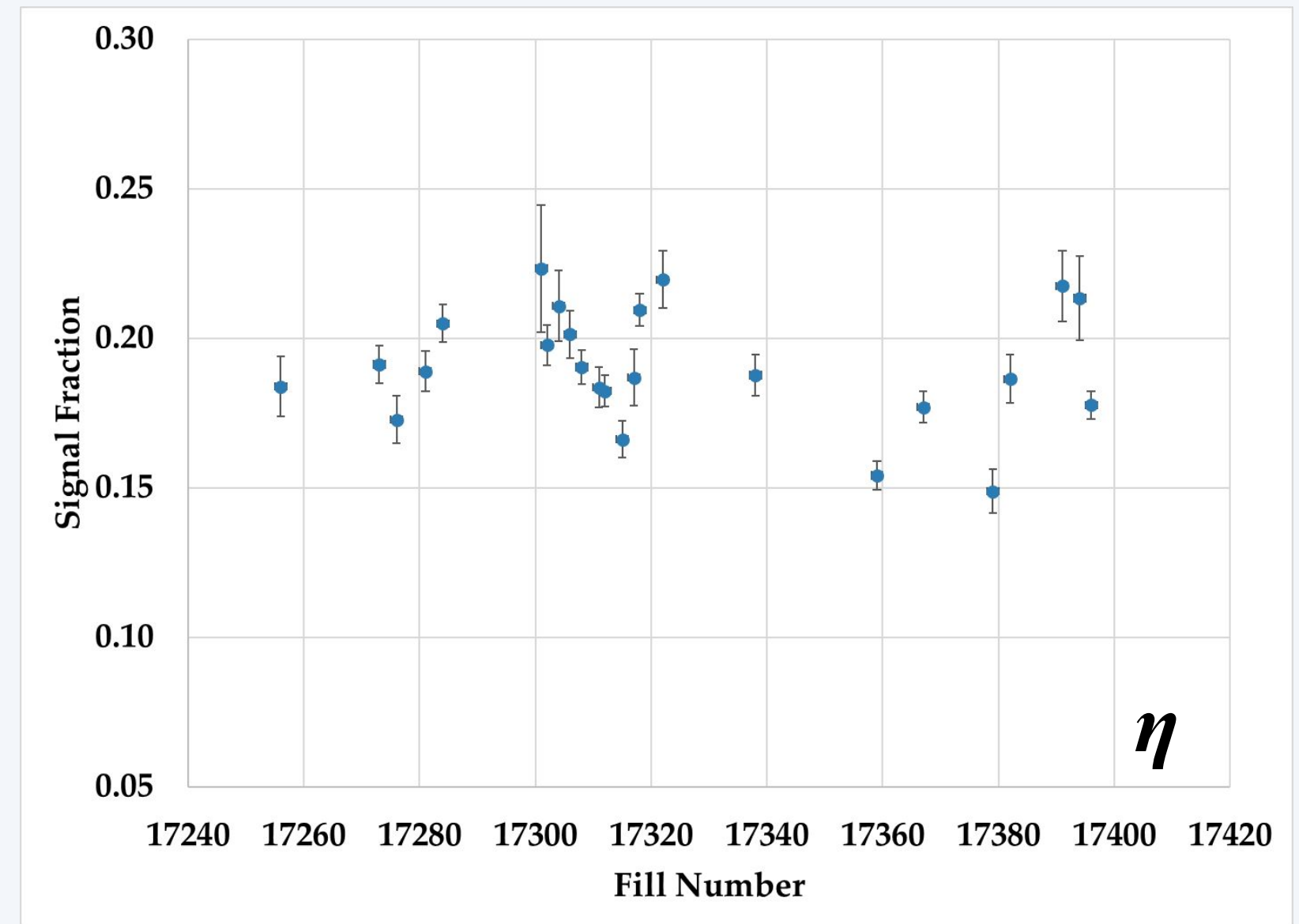


# Signal Fraction vs. Fill Number

- The signal fraction is one of the parameters used to remove “bad” fills



$\pi^0$  signal fraction vs. fill number, where the observed signal fraction is about 0.75



$\eta$  signal fraction vs. fill number, where the observed signal fraction is about 0.20

# Summary

- Run level QA has been completed for the 2013 data set
  - For both  $\pi^0$ s and  $\eta$ s
- Fill level QA in progress
  - Total of 121 fills
  - $\sim 30\%$  fills analyzed for  $\pi^0$ s
  - $\sim 25\%$  fills analyzed for  $\eta$ s
- Next steps:
  - Finish fill level QA for  $\pi^0$ s and  $\eta$ s
  - Begin asymmetry ( $A_{LL}$ ) analysis for  $\pi^0$ s and  $\eta$ s to constrain gluon contribution to proton spin
  - To be completed in the summer of 2023

# Acknowledgements

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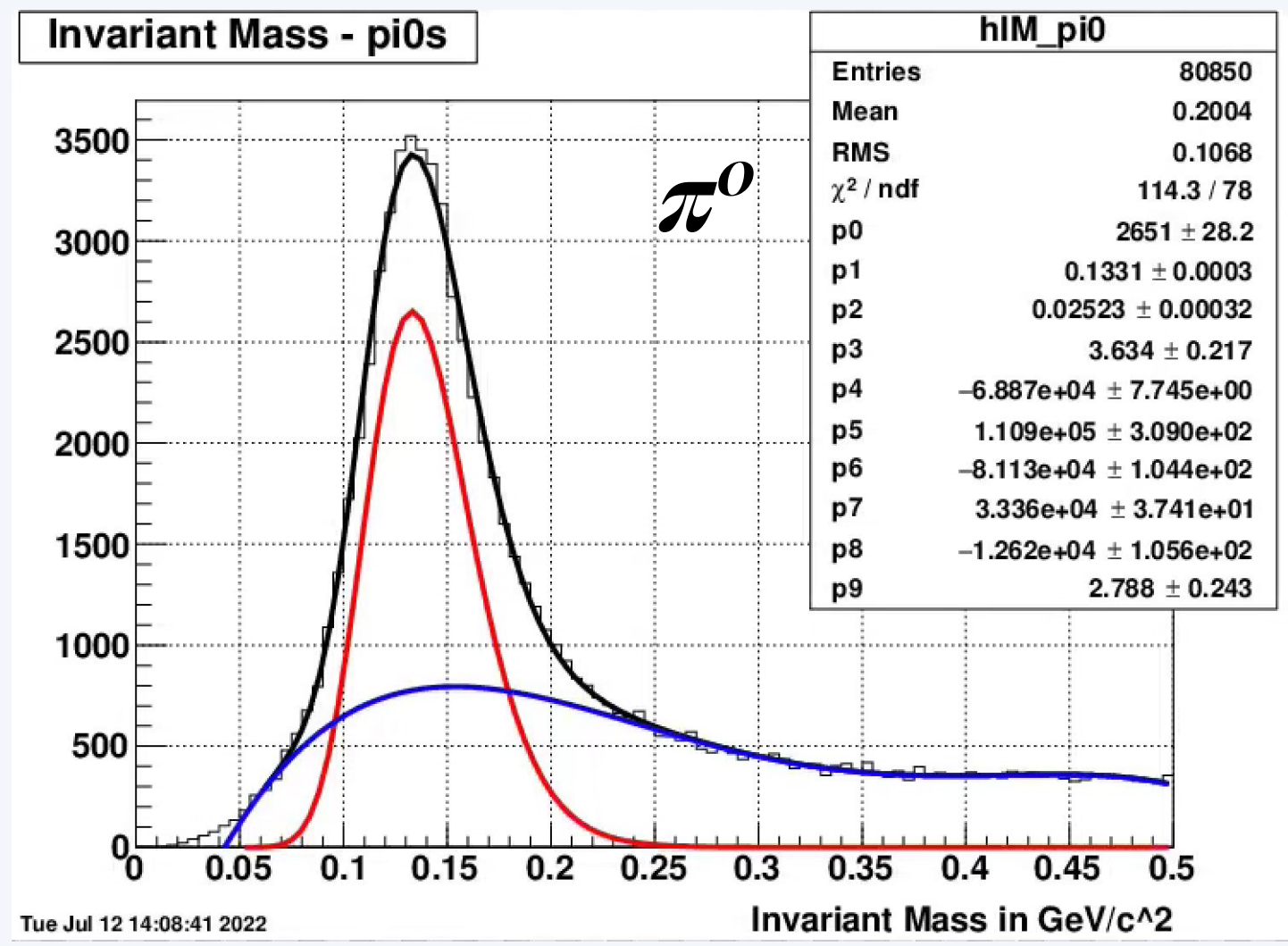


# Two Photon Invariant Mass Fitting

$$f(x) = a \cdot \exp\left(-0.5 \left(\frac{x-b}{c(1+d(x-b))}\right)^2\right)$$

$$B = c_0 T_0 + c_1 T_1 + c_2 T_2 + c_3 T_3 + c_4 T_4$$

- p0 = related to the height (a)
- p1 = related to the mass of pio (b)
- p2 = related to width of graph (sigma) (c)
- p3 = skewing parameter (d)
- p4 = c0
- p5 = c1
- p6 = c2
- p7 = c3
- p8 = c4
- p9 = moves the chebyshev polynomial (blue line) up and down to better match the function



$$T_0(x) = 1$$

$$T_1(x) = x$$

$$T_2(x) = 2x^2 - 1$$

$$T_3(x) = 4x^3 - 3x$$

$$T_4(x) = 8x^4 - 8x^2 + 1$$

b = mean  
 c = sigma  
 d = 'skewing' parameter



# Eta Signal Fraction

