

# Energy and centrality dependence of forward-backward transverse momentum correlation from STAR

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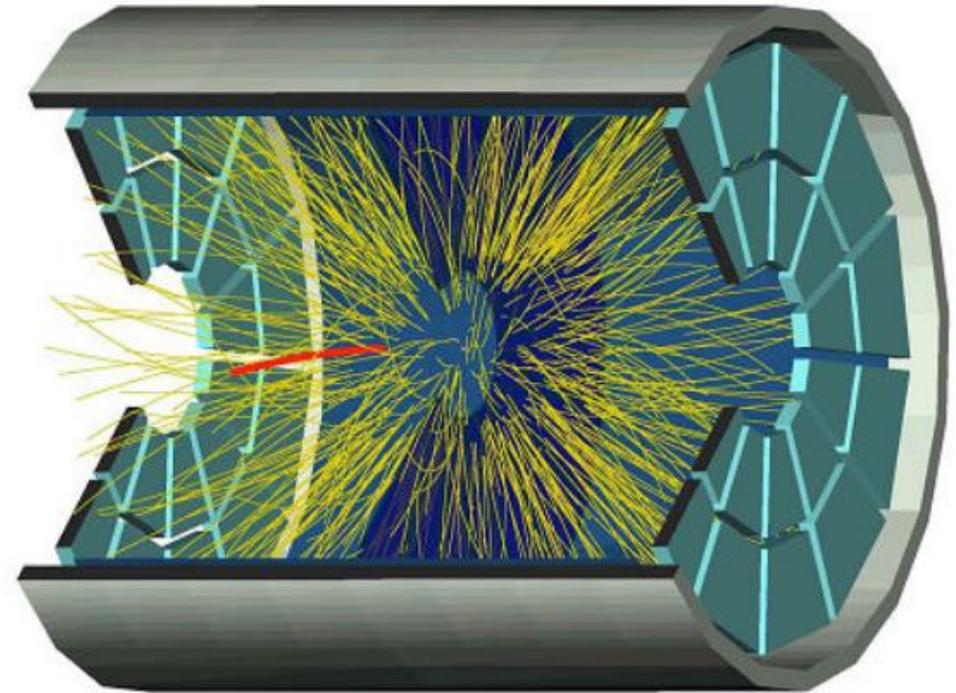


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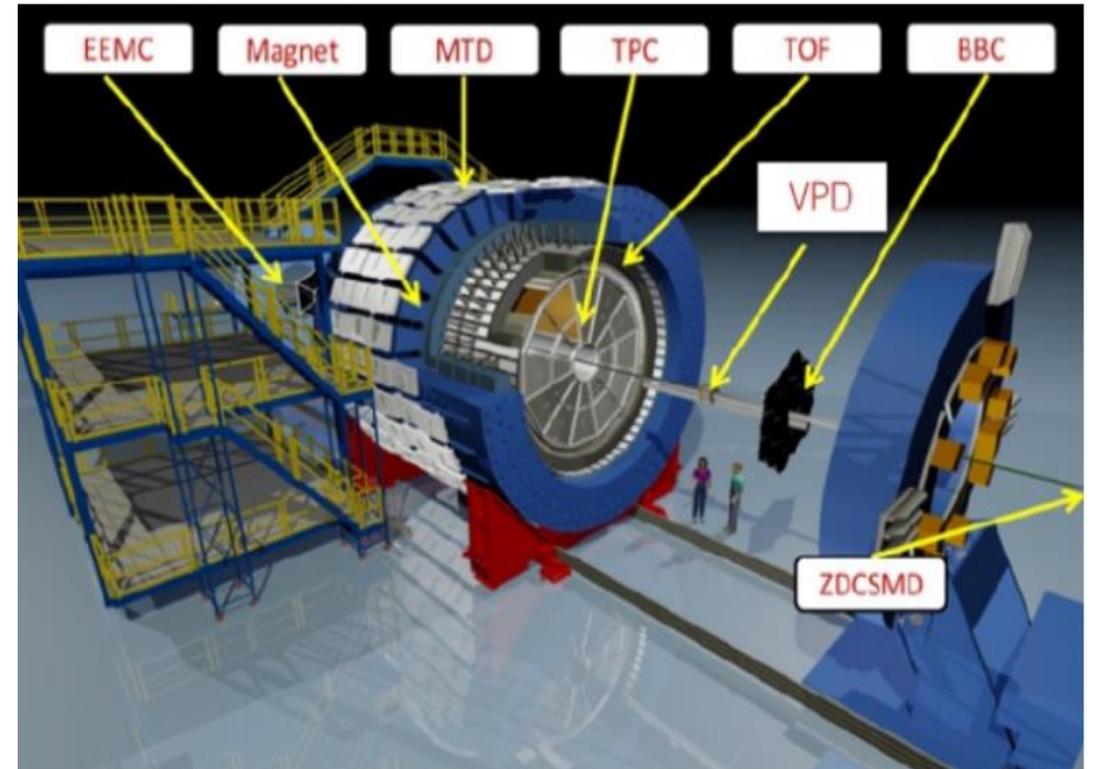
# Outline

- Physical motivations to study the forward-backward transverse momentum ( $p_T$ ) correlations for heavy-ion collisions.
- A quick review for the previous results from ALICE Collaboration.
- Results for energy and centrality dependence of  $p_T$  correlations.
- Results for pseudorapidity ( $\eta$ ) gap width dependence of  $p_T$  correlations.
- Simple conclusions and the outlooks.



## ➤ Physical motivations

- Created predominantly at the early stages, the study of  $p_T$  correlations will lead to a better understanding of the early dynamics for heavy-ion collisions.
- $p_T$  correlations are believed to give insight into the mechanism of energy deposition in heavy-ion collisions.
- Forward-backward  $p_T$  correlations could serve as a probe of the properties of the medium formed.

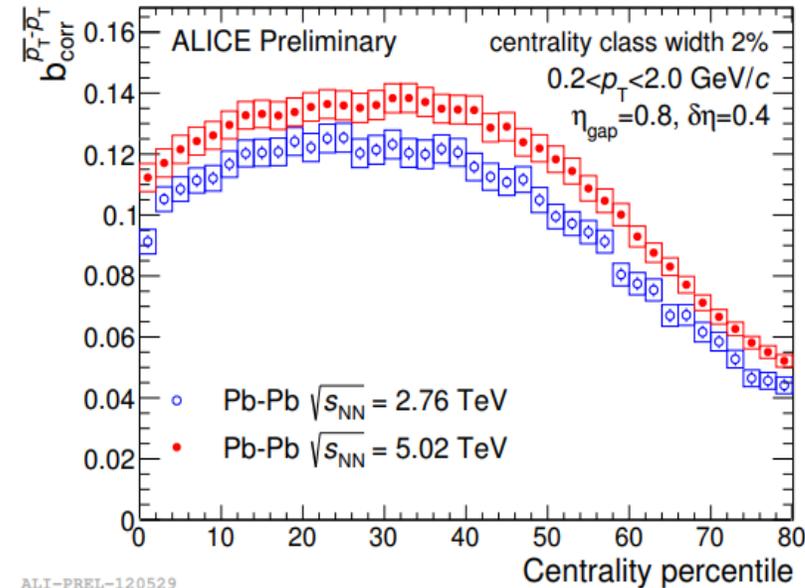
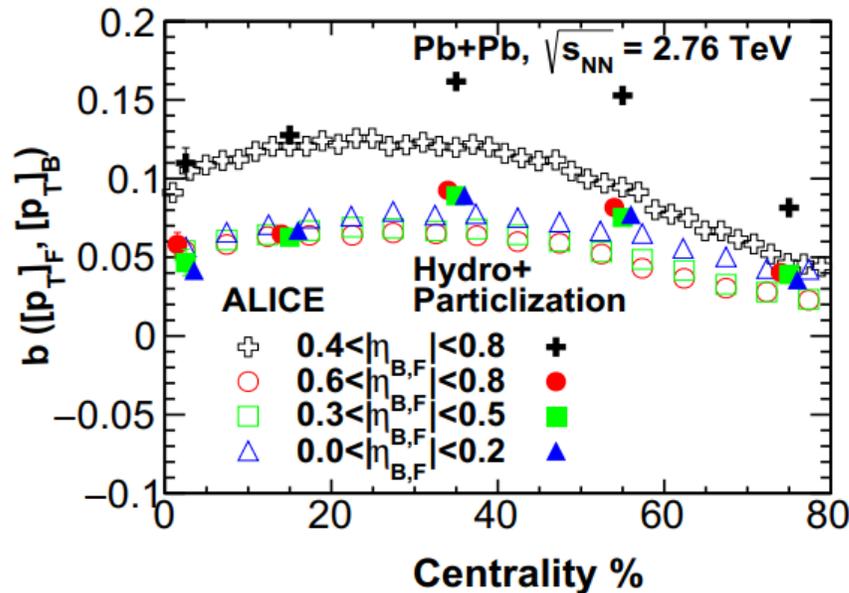


# Previous results from ALICE Collaboration

- The centrality and energy dependence of  $p_T$  correlation coefficient  $b$  has been studied for Pb+Pb 2.76 TeV and 5.02 TeV collisions at ALICE.

- $p_T$  correlation coefficient:  $b([p_T]_F, [p_T]_B) = \frac{Cov([p_T]_F, [p_T]_B)}{\sqrt{Var([p_T]_F)}\sqrt{Var([p_T]_B)}}$  or  $b_{corr}^{\overline{p_T}-\overline{p_T}} = \frac{Cov([p_T]_F, [p_T]_B)}{Var([p_T]_F)}$

- The variance of transverse momentum:  $Var([p_T]) = \left\langle \frac{1}{n(n-1)} \sum_{i,j} (p_T^i - \langle [p_T] \rangle)(p_T^j - \langle [p_T] \rangle) \right\rangle$



- Centrality dependence of  $b$  with different  $\eta$  selections.

Sandeep Chatterjee et al., Phys. Rev. C 96, 014 906 (2017)

- Centrality dependence of  $b$  with different energy levels.

Igor Altsybeev, arXiv:1711.04844v1

## ➤ Observables

- Notations: the event-average  $\mathbf{p}_T$ :  $[p_T] = \frac{1}{n} \sum_{i=1}^n p_T^i$

and the ensemble-average  $\mathbf{p}_T$ :  $\langle [p_T] \rangle = \frac{1}{N} \sum_{ev=1}^N [p_T]_{ev}$ .

- $Cov([p_T]_a, [p_T]_b) = \langle ([p_T]_a - \langle [p_T] \rangle_a)([p_T]_b - \langle [p_T] \rangle_b) \rangle$

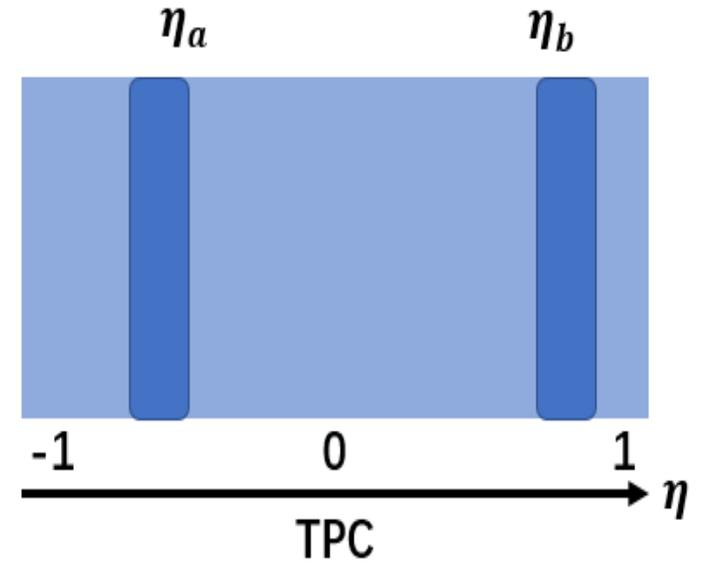
- Variance excluding the self-correlations applied in the

normalization:  $C([p_T]) = \left\langle \frac{1}{n(n-1)} \sum_{i \neq j} (p_T^i - \langle [p_T] \rangle)(p_T^j - \langle [p_T] \rangle) \right\rangle$

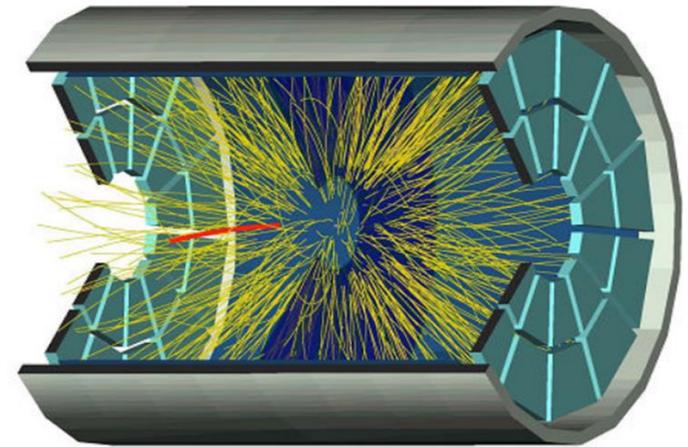
- Pearson coefficient:  $\rho([p_T]_a, [p_T]_b) = \frac{Cov([p_T]_a, [p_T]_b)}{\sqrt{C([p_T]_a)} \sqrt{C([p_T]_b)}}$

- $C([p_T])$  eliminates statistical fluctuations from the estimate of the variance of the transverse flow. It has been used in experimental measurements of the  $\mathbf{p}_T$  fluctuations.

- Applied track cuts:  $|\eta| < 1$   $0.2 < \mathbf{p}_T < 2.0 \text{ GeV}/c$

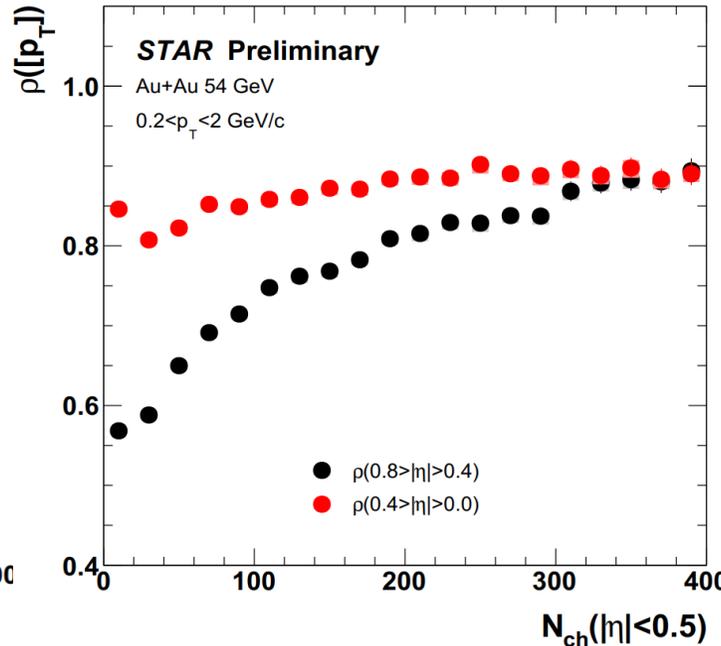
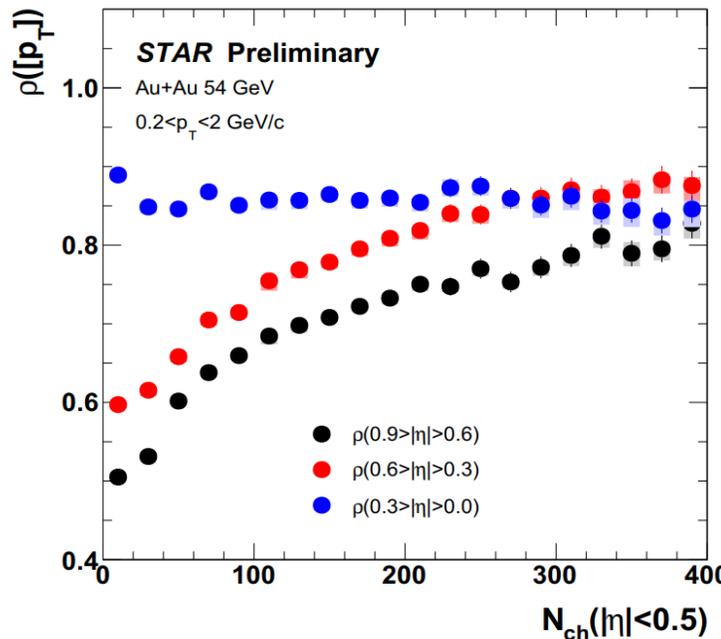
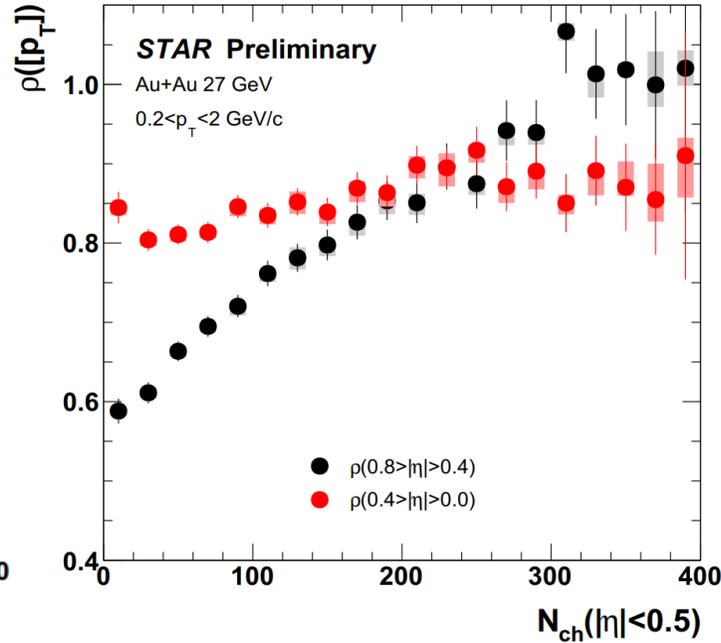
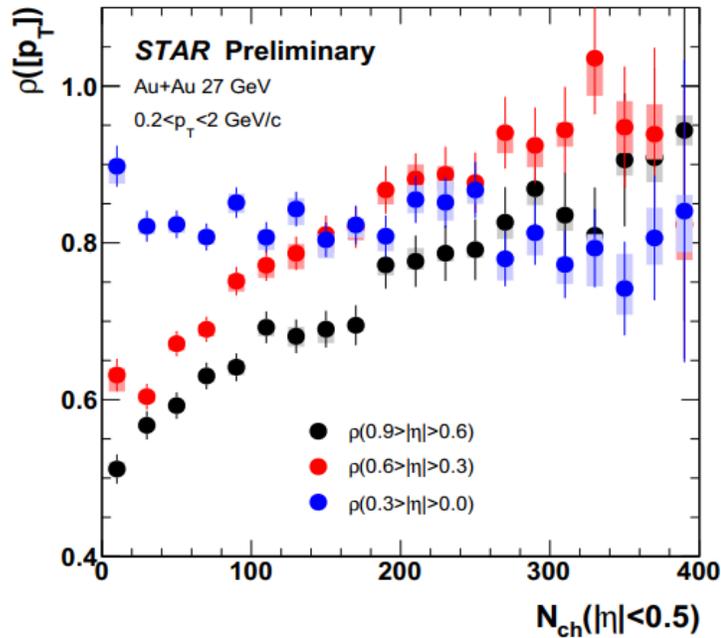


- $\eta_a$  and  $\eta_b$ : two different  $\eta$  regions.



- STAR TPC: measuring the transverse momentum.

# Results for 27 GeV and 54 GeV with different $\eta$ region selections



- Comparisons between different  $\eta$  gap and  $\eta$  region widths.
- The slope is greater with the increasing of  $\eta$  gap width.
- $\rho$  is robust against  $\eta$  region width and volume fluctuations, which means  $\rho$  is an *intensive* observable.
- Comparisons between different collision energies.
- The curves cross each other for 27 GeV, providing a different  $\eta$  gap width dependence for different centralities.
- The statistical (partly due to the total number of events) and systematic errors are much greater for 27 GeV results.

# Pseudorapidity gap width dependence of $p_T$ correlations for 54 GeV

## ➤ Basic methods

- Two-particle covariance:

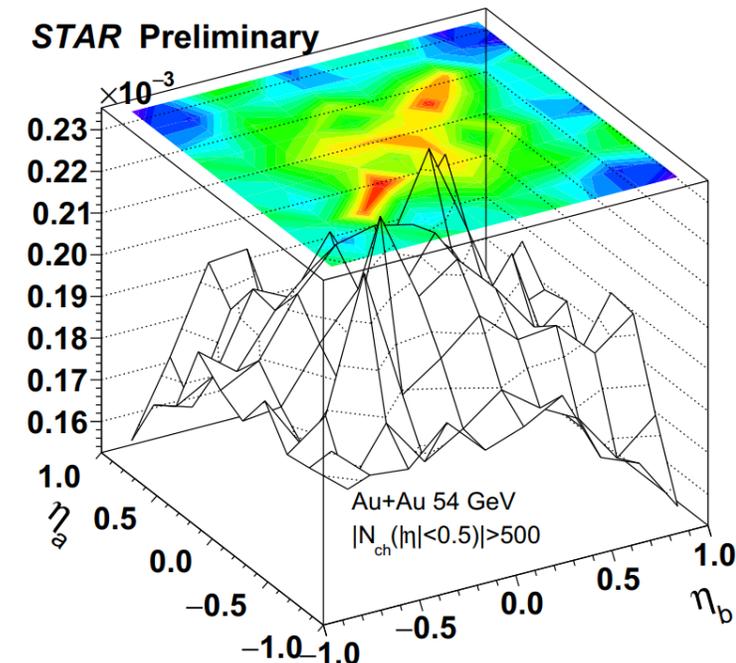
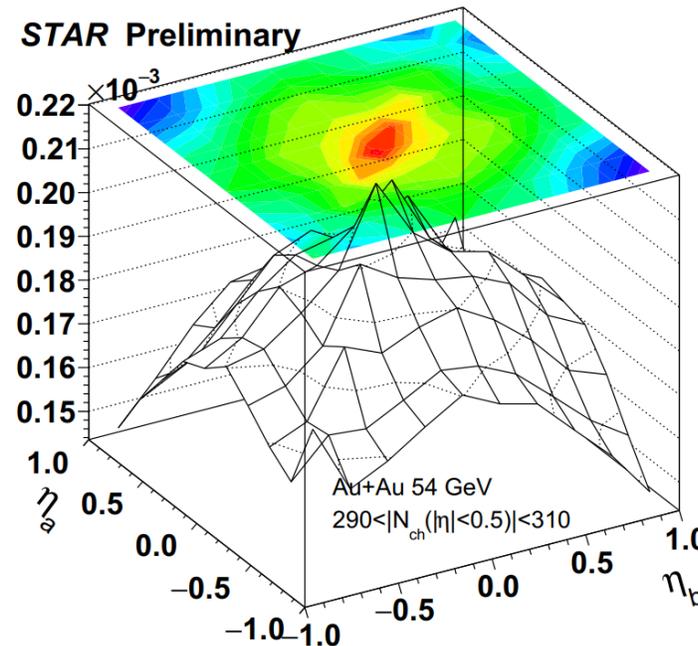
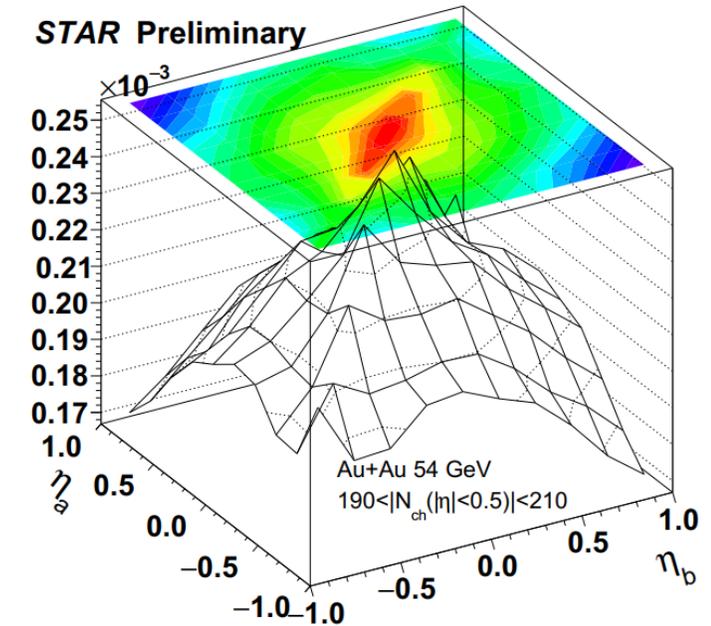
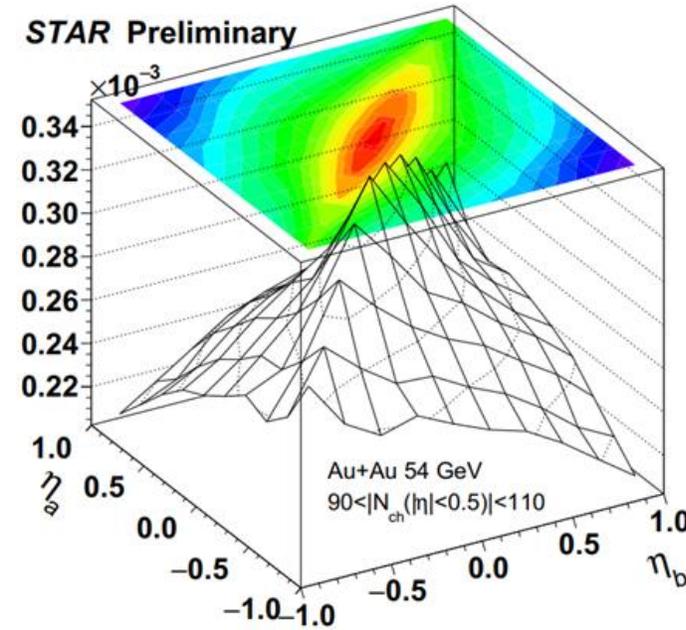
$$Cov(p_T^i, p_T^j) = \frac{1}{n(n-1)} \sum_{i \neq j} (p_T^i - [p_T]_a)(p_T^j - [p_T]_b).$$

- The region of  $|\eta| < 1$  had been divided into 10 regions:  $(-1.0, -0.8)$ ,  $(-0.8, -0.6)$ , ...  $(0.8, 1.0)$ .

- The results are presented with TProfile2D plots for  $(\eta_b, \eta_a, Cov)$ .

## ➤ Quick discussions

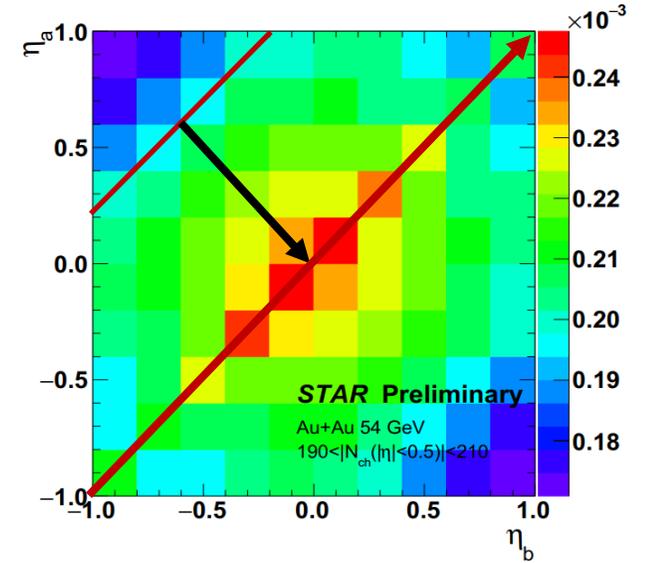
- Due to the commutative law of multiplication,  $\eta_a$  and  $\eta_b$  should be symmetric in pattern.
- The distribution of covariance for  $|N_{ch}(|\eta| < 0.5)| > 500$  is different due to the total number of events in this centrality and possible detector effects.



# Further discussions for $p_T$ correlation effects

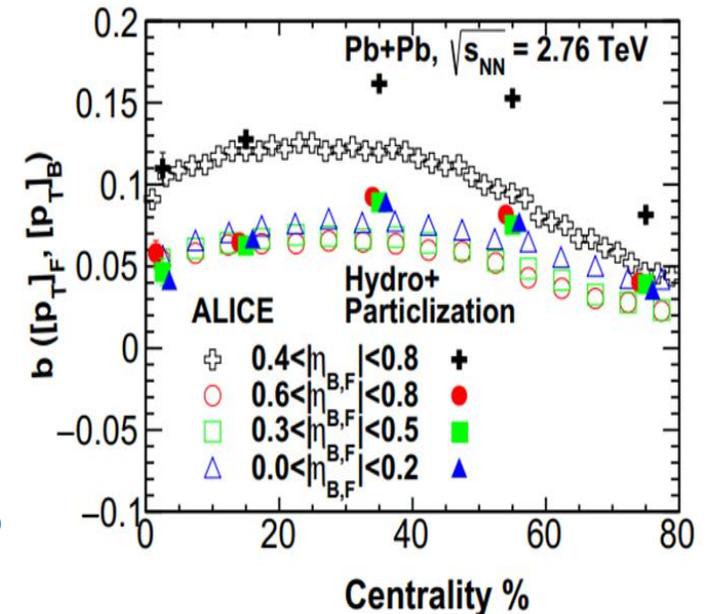
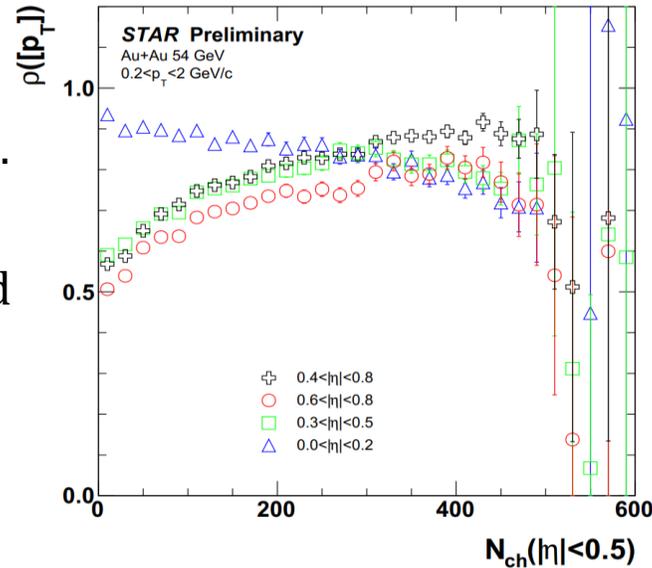
## ➤ Gap width dependence

- Select the centrality  $190 < |N_{ch}(|\eta| < 0.5)| < 210$  and apply the upper-left section:  $\eta_a = \eta_b + \eta_{gap}$
- A short range correlation (correlator increases with the decreasing of  $\eta_{gap}$ ) can be distinguished (black arrow).
- The  $p_T$  correlations are more noticeable for the central  $\eta$  regions (red arrow).



## ➤ A comparison with results from ALICE

- Ignoring the absolute value, the trend of Pearson coefficient  $\rho$  and the correlation coefficient  $b$  are similar for these two systems.
- Due to the small event numbers and large statistical uncertainties, more calculations and discussions are required to clarify the behaviors for high multiplicity regions.
- The correlations for the central  $\eta$  region  $0.0 < |\eta| < 0.2$  are influenced by short range correlations.



## ➤ Conclusions

- A centrality dependence can be observed in forward-backward  $p_T$  correlations.
- The performances of centrality dependence of  $p_T$  correlations are similar for different collision energies (27 GeV and 54 GeV) and different systems (Au+Au and Pb+Pb).
- The short range correlation effects can be distinguished when having small  $\eta$  gaps.

## ➤ Outlooks

- The  $p_T$  correlations for other collision energies should be studied to verify the energy dependence effect.
- Model simulations remain to be performed for Au+Au system.
- A more comprehensive study for forward-backward  $p_T$  correlation effects should start, including the calculations for azimuthal angle difference ( $\Delta\phi$ ) dependence and  $p_T$  correlation effects for PID compositions.

*Thanks for listening!*