



# Experimental Investigations of Chiral Magnetic Effects

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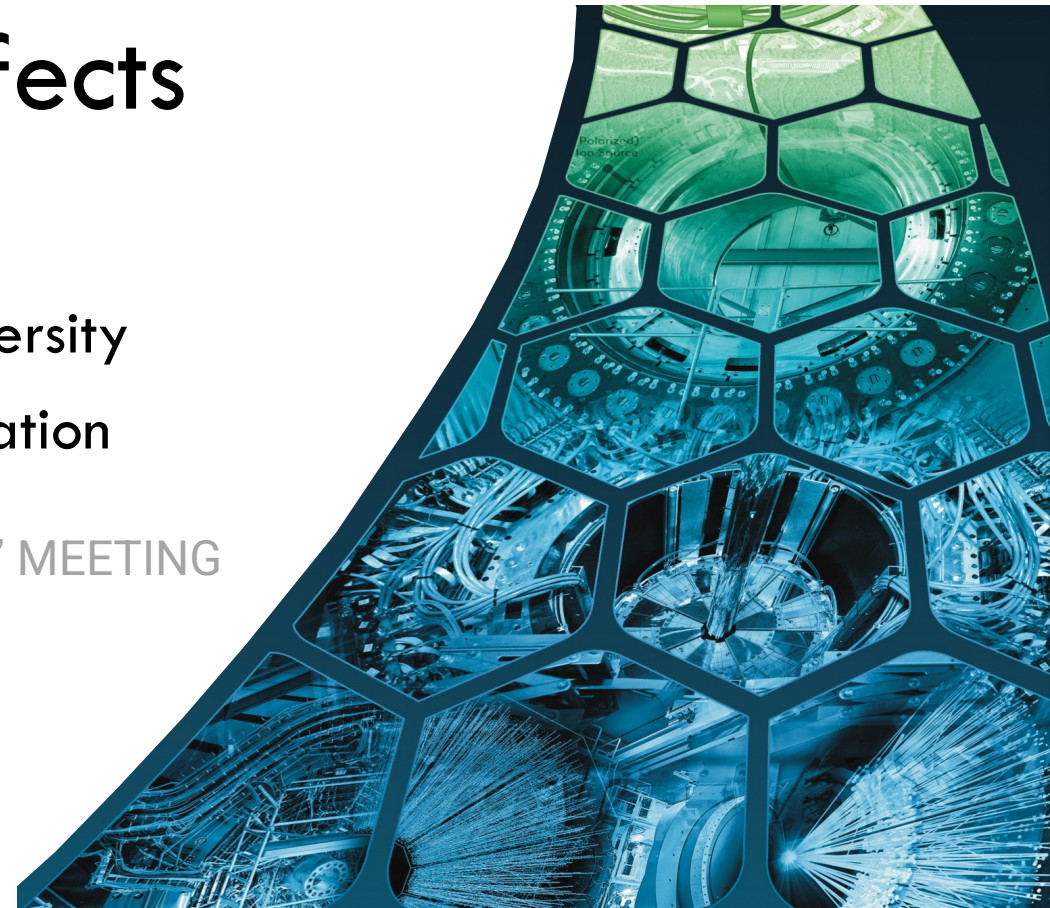
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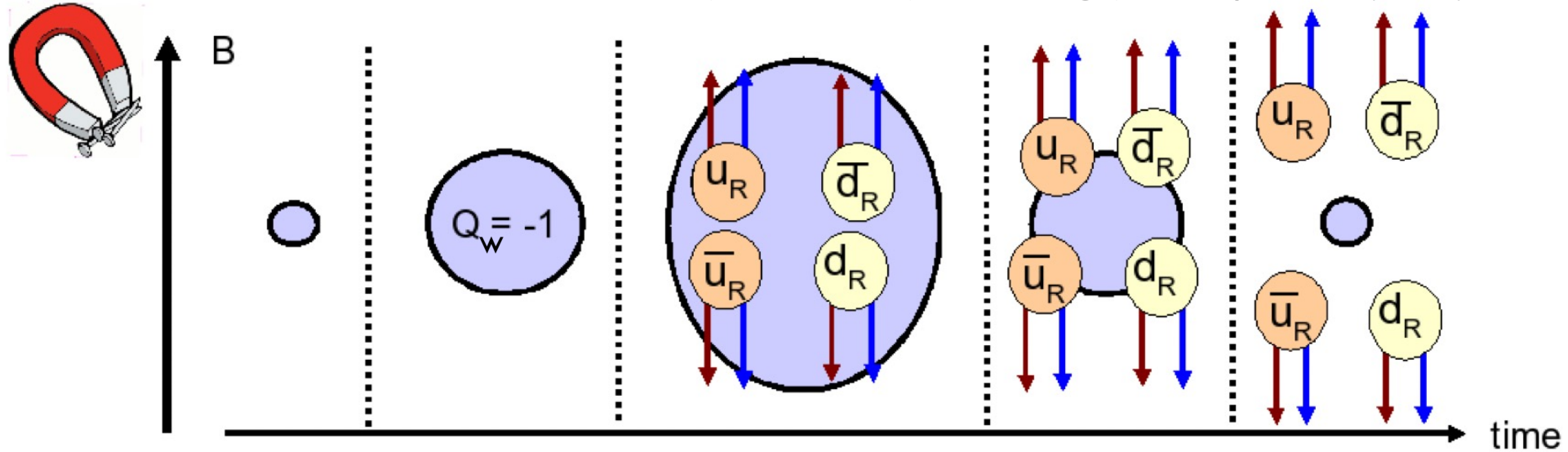
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Science



# Chiral Magnetic Effect

D E Kharzeev, L D McLerran, H J Warringa, Nucl Phys A 803 (2008)

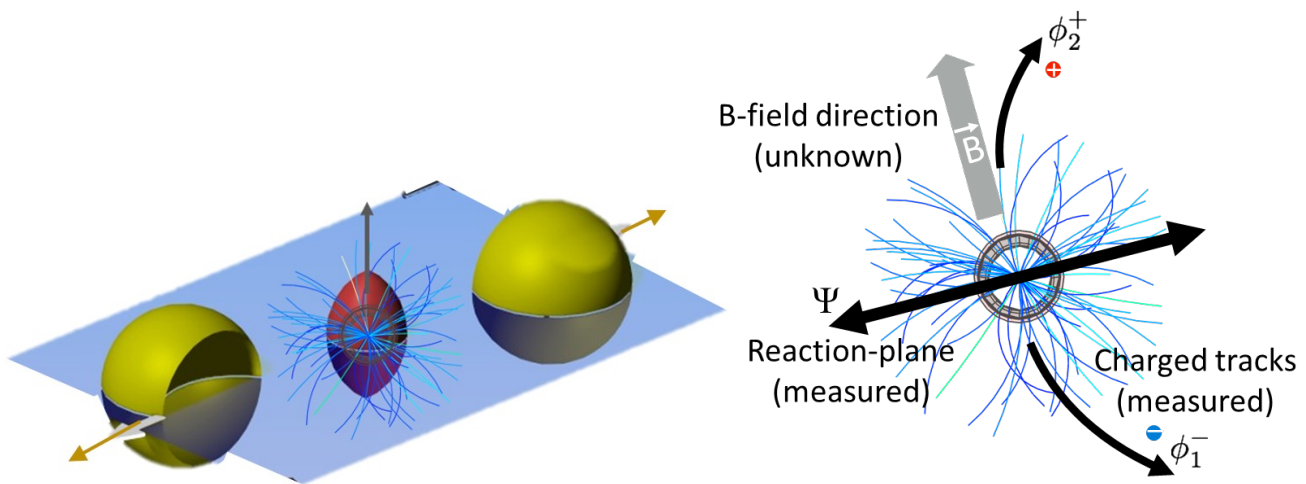


1) Chirality imbalance among all light quark flavor from topological fluctuations of gluon fields  $(N_L^f - N_R^f) = 2Q_w$  i.e. “Local Parity Violation”

2) Large magnetic field, generated mostly by spectator protons

Combine to give the CME: net electric charge flow along (or opposite to, depending on sign of  $Q_w$  in this event) the magnetic field direction

# CME Sensitive Observables : $\Delta\gamma$

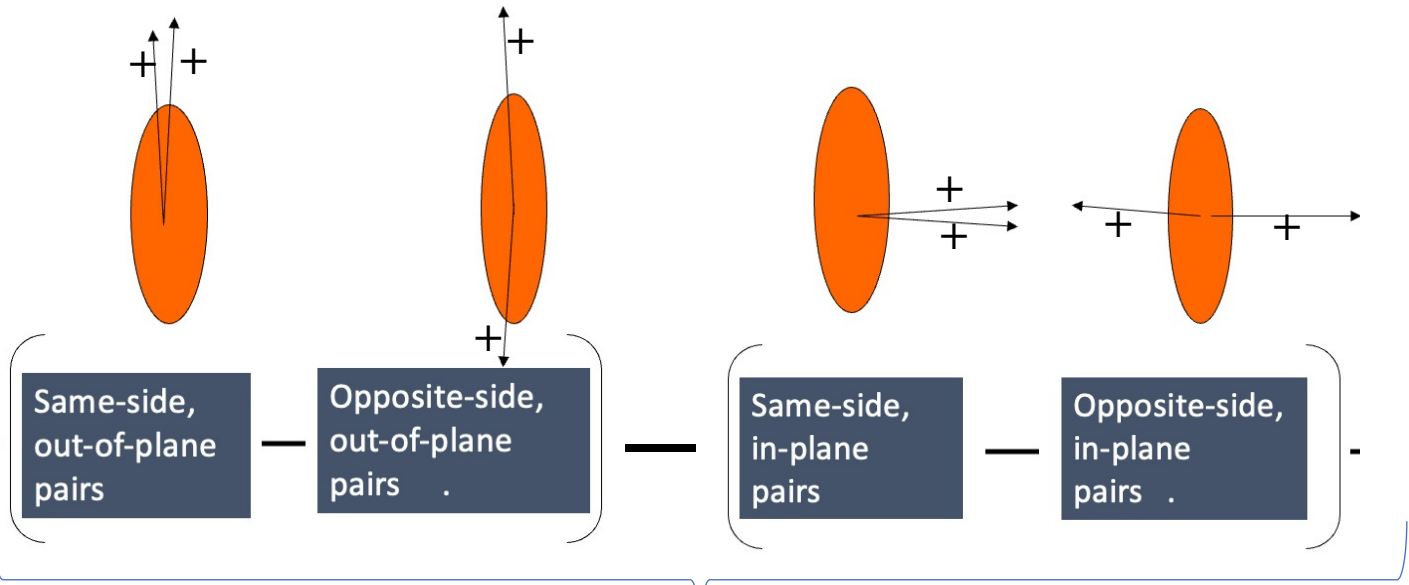


S. A. Voloshin, Phys. Rev. C 70, 057901 (2004)

$$\gamma^{\alpha,\beta} \equiv \langle \cos(\phi^\alpha + \phi^\beta - 2\psi_2) \rangle$$

$$\Delta\gamma = \gamma^{OS} - \gamma^{SS}$$

2<sup>nd</sup> order event plane (1<sup>st</sup> order adds no more information here)!

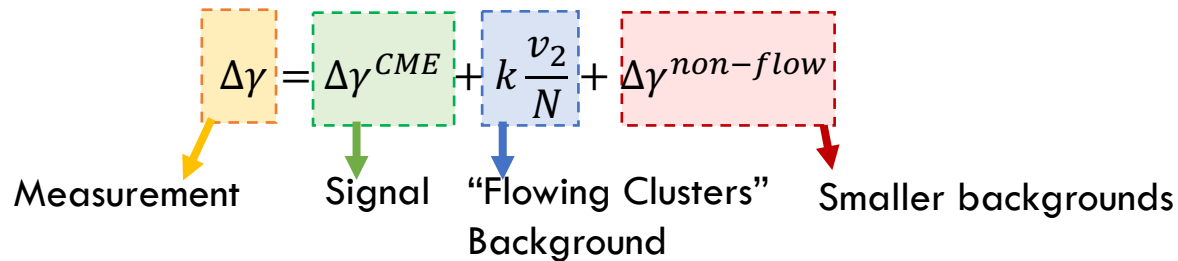
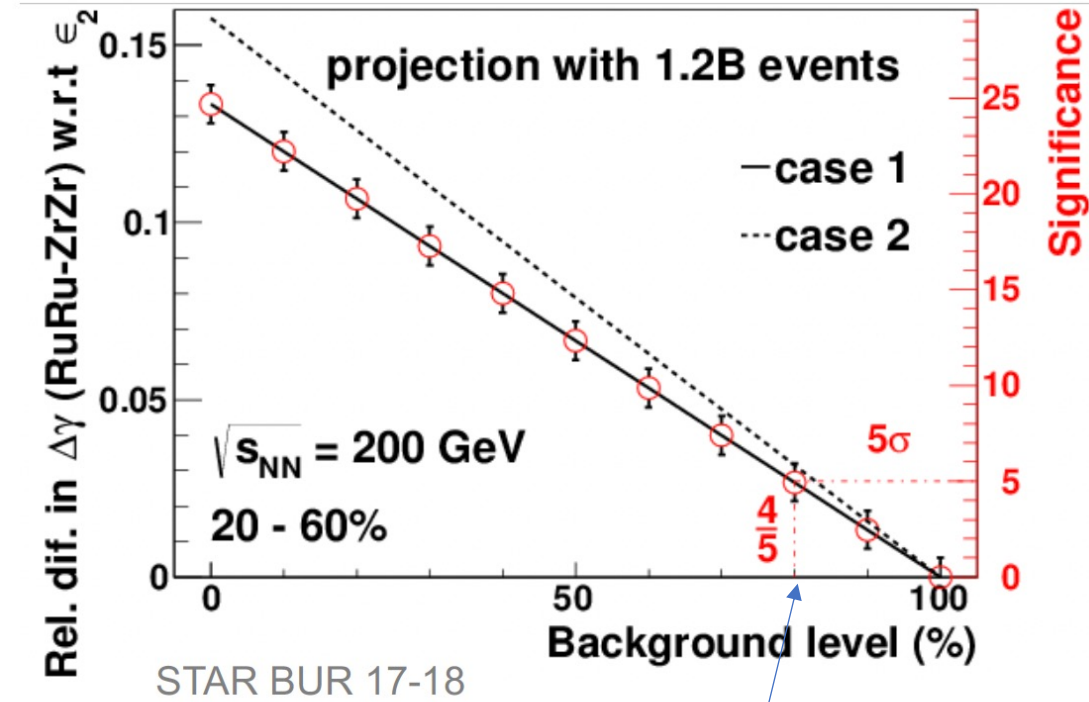
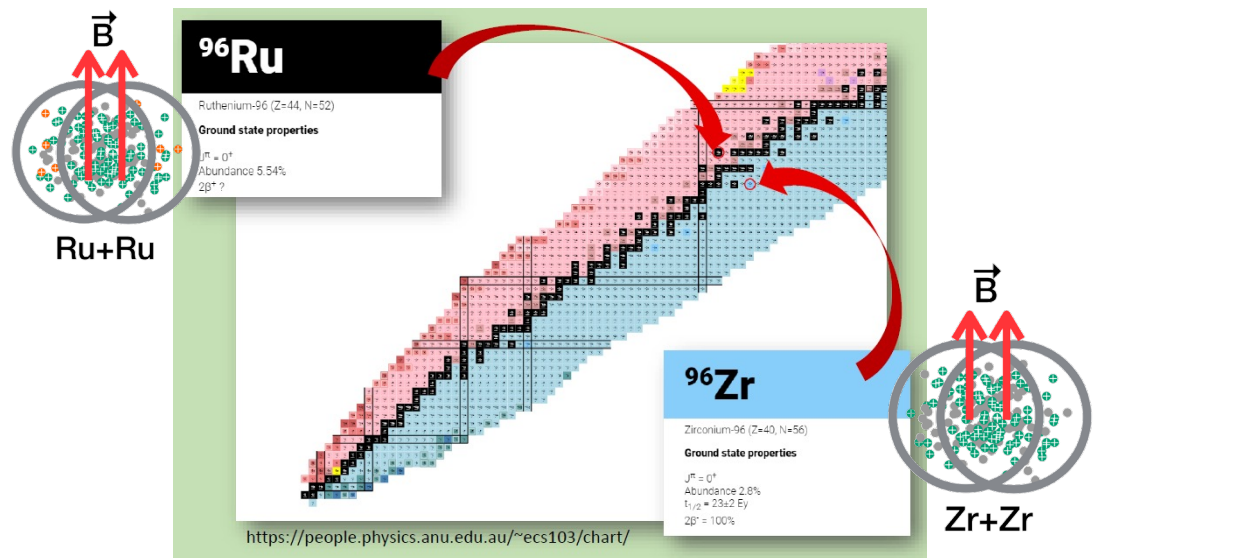


$\Delta\gamma$  : Same-sign pairs – Opposite-sign pairs

Key backgrounds:

- $v_2^+$ (clusters, local charge conservation)
- 3-particle correlations

# Experimental Search With Isobar Collisions



$$\Delta\gamma^{Ru+Ru} = \Delta\gamma^{CME} + k \frac{v_2}{N} + \Delta\gamma^{non-flow}$$

$$\Delta\gamma^{Zr+Zr} = \Delta\gamma^{CME} + k \frac{v_2}{N} + \Delta\gamma^{non-flow}$$

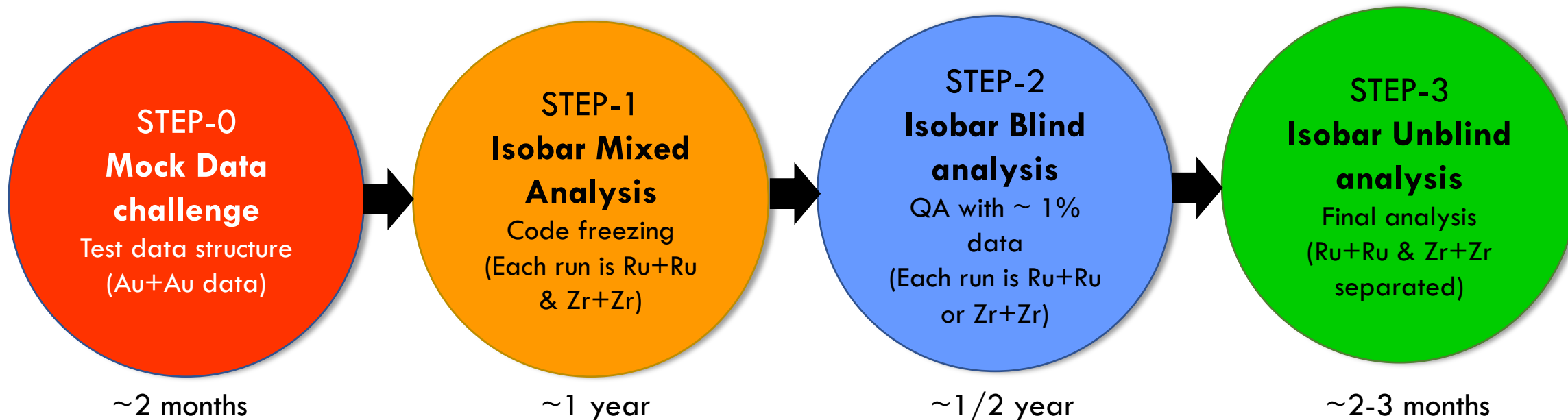
$B^2$  is ~15% different

$f_{CME} = 20\%$

S. A. Voloshin, Phys. Rev. C70 (2004) 057901; S. A. Voloshin, Phys. Rev. Lett. 105 (2010) 172301; W.-T. Deng, et al Phys. Rev. C94 (2016) 041901; Khachatryan Vet al.(CMS) Phys. Rev. Lett.118 (2017) 122301; Adam J et al.(STAR) Phys. Lett. B 798 (2019) 134975



# Details of Isobar Blind Analysis

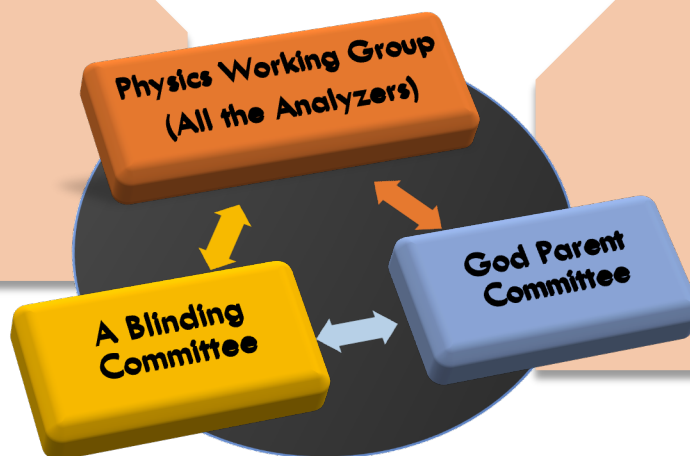


## Blind analyses (5 groups):

- ❖  $\Delta\gamma, \Delta\delta$  and  $\kappa$
- ❖  $\Delta\gamma, \Delta\delta, \Delta\gamma(\Delta\eta)$
- ❖  $\Delta\gamma$  in PP/SP,  $\Delta\gamma(M_{inv})$
- ❖  $\Delta\gamma$  in PP/SP
- ❖  $R(\Delta S)$  Correlator.

A large, collective effort

Connections between the methods are studied

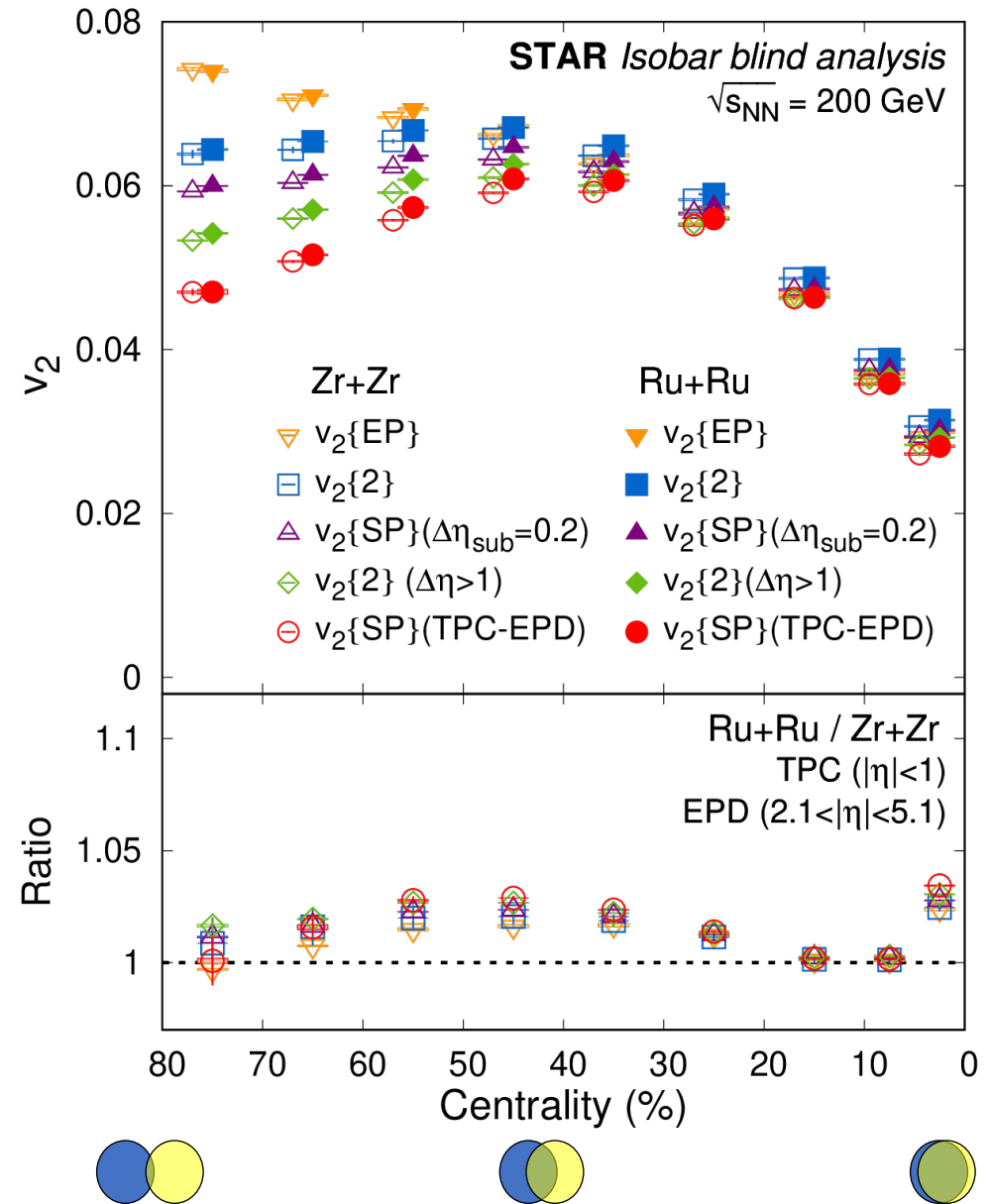
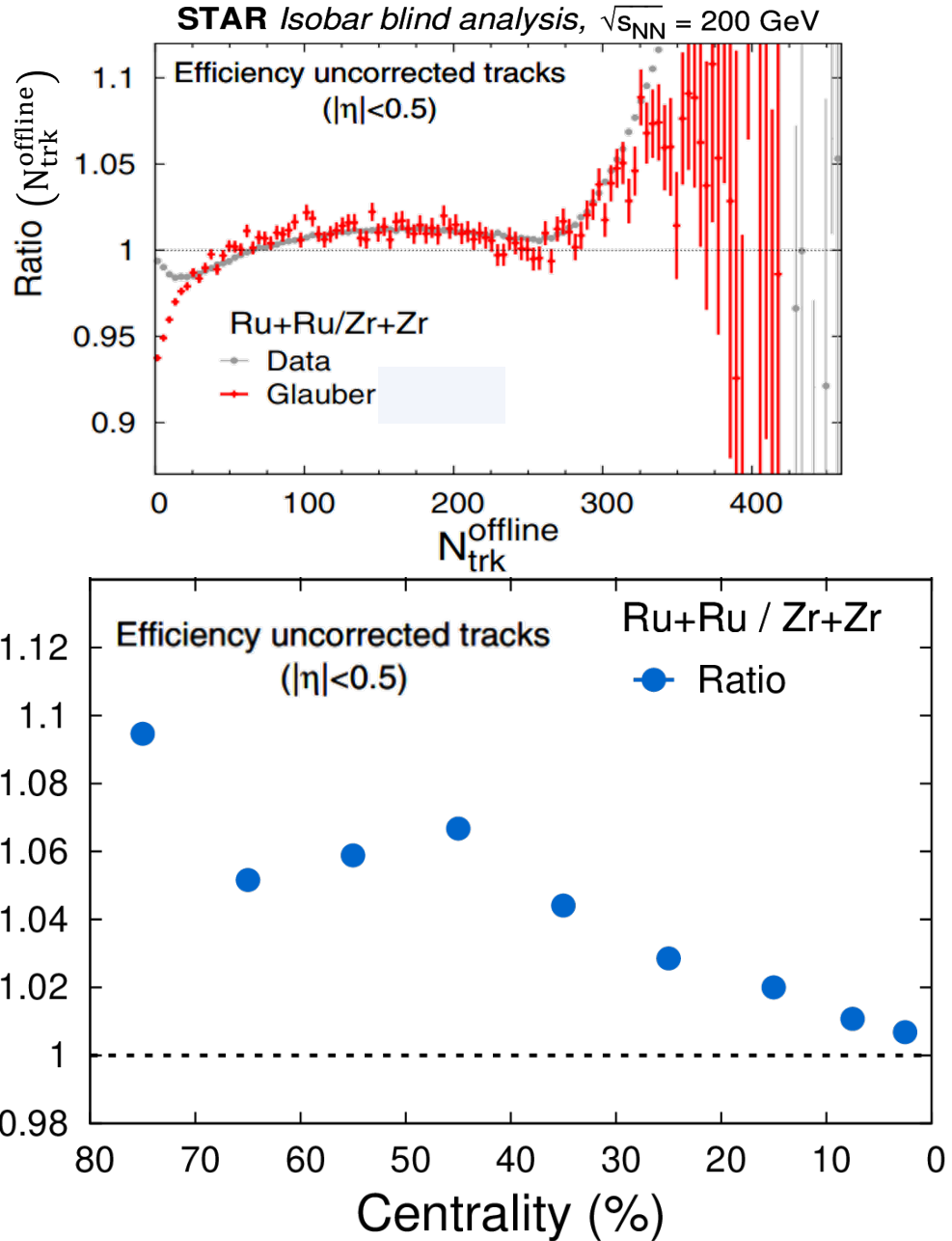


## Using the frozen code from STEP-1:

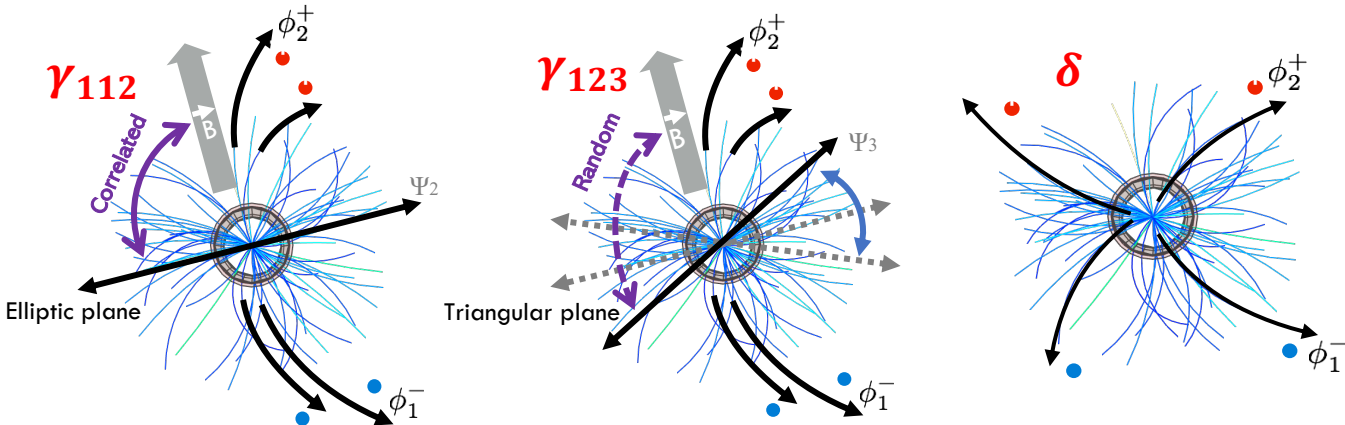
- ❖ Sensitivity of observables tested using AVFD simulation
- ❖ Similar sensitivities are found in all observables

S. Choudhury et al. Chin. Phys. C, 46 (2022) 014101

# Isobars: Multiplicity and $v_2$



# Isobar: $\Delta\gamma$ Measurement Using Full TPC



$$\gamma_{112} \equiv \langle \cos(\Phi_1(\eta_1) + \Phi_2(\eta_2) - 2\psi_2^{|\eta|<1}) \rangle$$

$$\gamma_{123} \equiv \langle \cos(\Phi_1(\eta_1) + 2\Phi_2(\eta_2) - 3\psi_3^{|\eta|<1}) \rangle$$

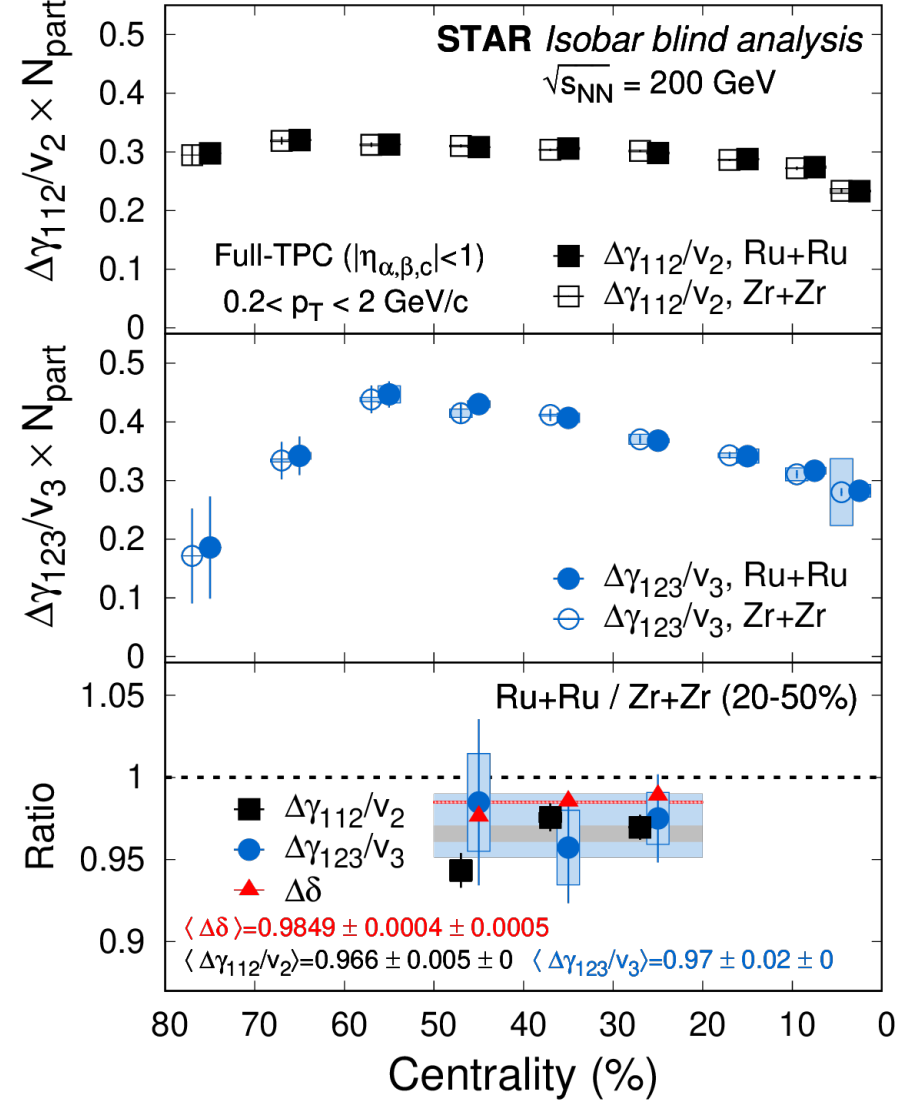
$$\delta = \langle \cos(\Phi_1 - \Phi_2) \rangle$$

**Pre-defined CME criteria:**

$$\frac{(\Delta\gamma_{112}/v_2)^{Ru+Ru}}{(\Delta\gamma_{112}/v_2)^{Zr+Zr}} > 1$$

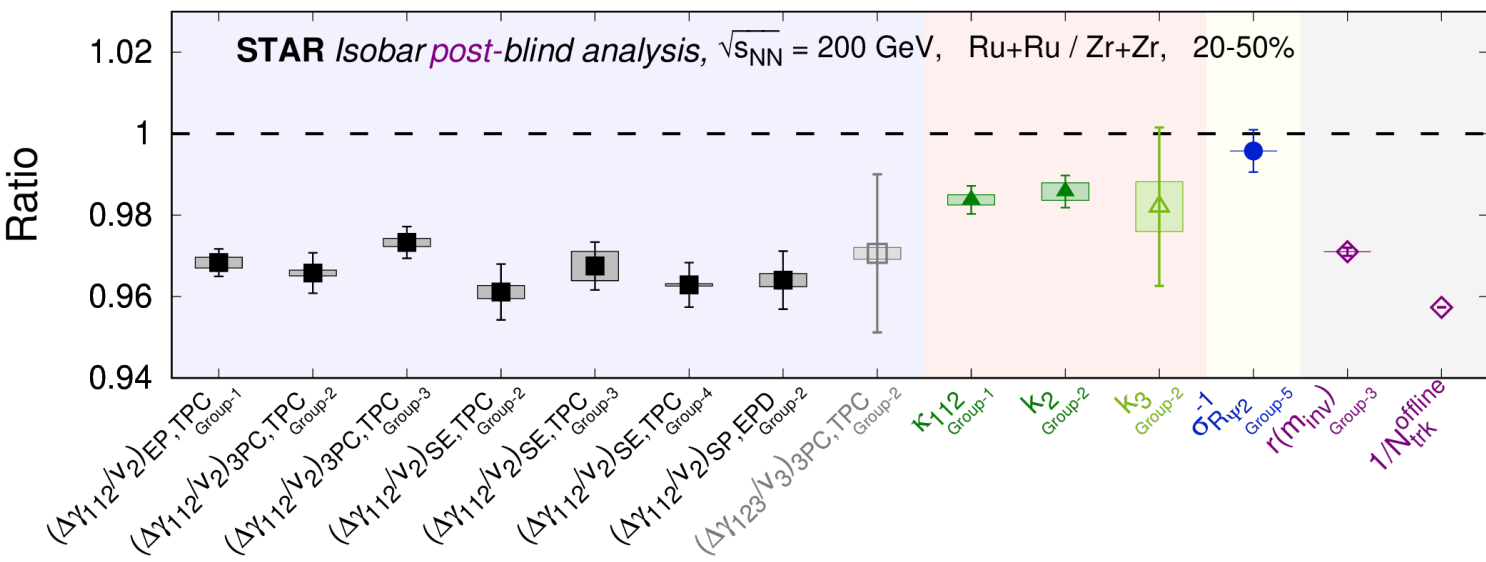
$$\frac{(\Delta\gamma_{112}/v_2)^{Ru+Ru}}{(\Delta\gamma_{112}/v_2)^{Zr+Zr}} > \frac{(\Delta\gamma_{123}/v_3)^{Ru+Ru}}{(\Delta\gamma_{123}/v_3)^{Zr+Zr}}$$

$$\frac{(\Delta\gamma_{112}/v_2)^{Ru+Ru}}{(\Delta\gamma_{112}/v_2)^{Zr+Zr}} > \frac{(\Delta\delta)^{Ru+Ru}}{(\Delta\delta)^{Zr+Zr}}$$



Data not consistent with pre-defined CME criteria

# Summary of the Isobar **Blind** Analysis

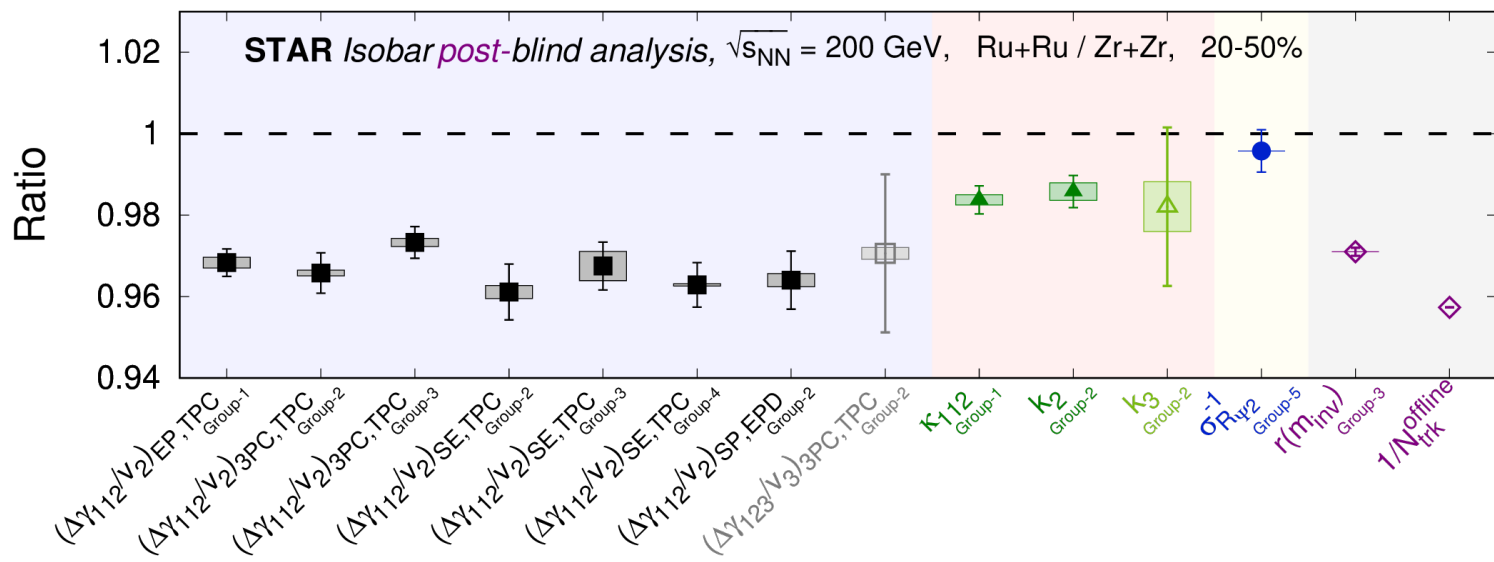


From the **blind** analysis

- No pre-defined criterion is satisfied for the observation of CME
- Precision of 0.4% is reached in the ratio of observables between the two systems.
- $\Delta\gamma/v_2$  ratios are below unity - mainly driven by the multiplicity difference between the two isobars



# Summary of the Isobar **Blind** Analysis



- From the blind analysis
- No pre-defined criterion is satisfied for the observation of CME
  - Precision of 0.4% is reached in the ratio of observables between the two systems.
  - $\Delta\gamma/v_2$  ratios are below unity - mainly driven by the multiplicity difference between the two isobars

Important **post-blinding** points:

If background comes from flowing clusters, we'd expect  $\Delta\gamma/v_2$  to scale as  $1/N$  (with some caveats...)

See STAR poster by Yicheng Feng

Additional Correction: (PRELIMINARY)

$$\frac{(N\Delta\gamma/v_2^*)_{Ru}}{(N\Delta\gamma/v_2^*)_{Zr}} \approx 1 + \frac{\Delta\epsilon_2}{\epsilon_2} - \frac{\Delta\epsilon_{nf}}{1 + \epsilon_{nf}} + \frac{\epsilon_3/\epsilon_2/(Nv_2^2)}{1 + \epsilon_3/\epsilon_2/(Nv_2^2)} \left( \frac{\Delta\epsilon_3}{\epsilon_3} - \frac{\Delta\epsilon_2}{\epsilon_2} - \frac{\Delta N}{N} - \frac{\Delta v_2^2}{v_2^2} \right)$$

$\epsilon_2 = \langle \cos(\phi_a + \phi_b - 2\phi_{cluster}) \rangle \frac{N_{2p}v_{2,2p}}{Nv_2}$

Flowing cluster background scales with  $N_{2p}/N^2$

Estimated by measuring  $N_{2p}$  directly in data

$$\frac{\Delta\epsilon_2}{\epsilon_2} = (1.45 \pm .08)\%$$

$\epsilon_{nf} = v_{2,nf}^2/v_{2,true}^2$

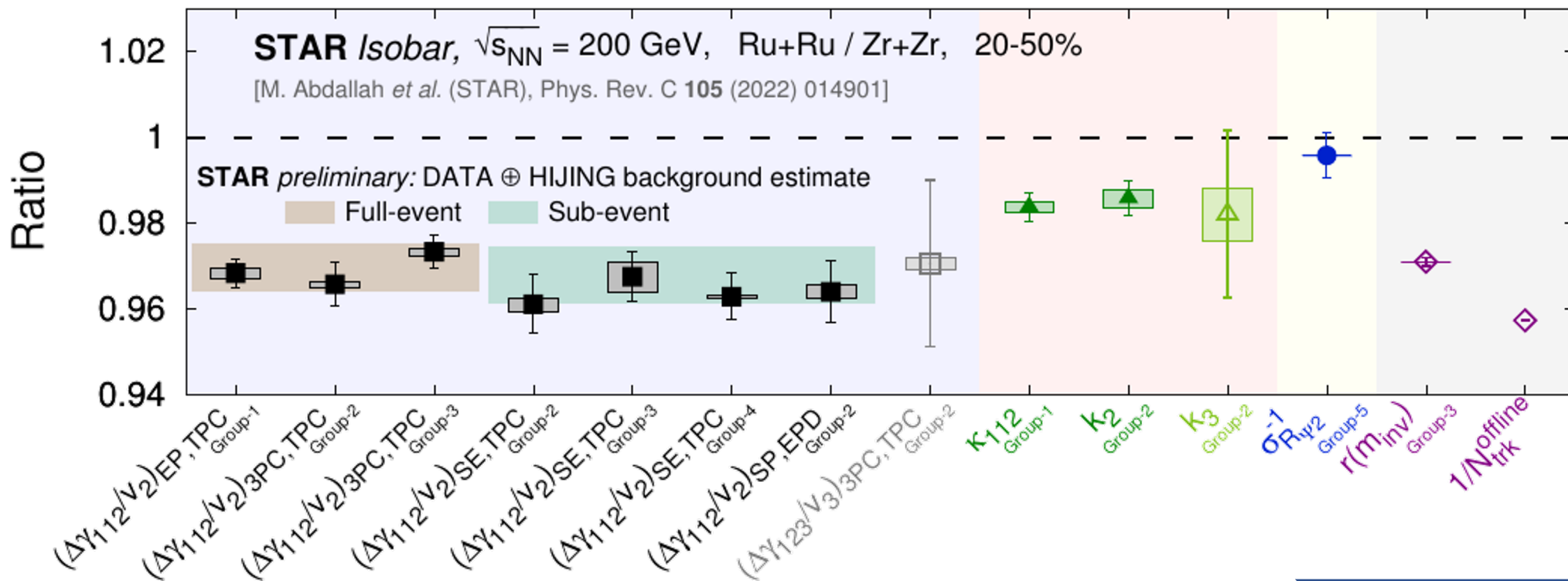
Estimation by 2-D decomposition of 2-particle correlations gives

$$\frac{-\Delta\epsilon_{nf}}{1 + \epsilon_{nf}} = (0.65 \pm 0.11 \pm 0.22)\%$$

Contribution of direct 3-particle correlations.

Estimation from HIJING gives  $-(0.85 \pm 0.26 \pm 0.44)\%$

# Preliminary Isobar Background Estimate (Post-Blinding)



See STAR poster by Yicheng Feng

Isobar post-blinding:  $\Delta\gamma$  results consistent with preliminary background estimate within current uncertainty.

# Isobar: Charge Separation Measurement with $R_{\psi_2}$

N. Magdy *et al.* Phys. Rev. C, 97 (2018) 061901

$$R_{\psi_2}(\Delta S) = C_{\psi_2}(\Delta S) / C_{\psi_2}^{\perp}(\Delta S)$$

$$C_{\psi_2} = \frac{N_{\text{real}}(\Delta S)}{N_{\text{shuffled}}(\Delta S)}$$

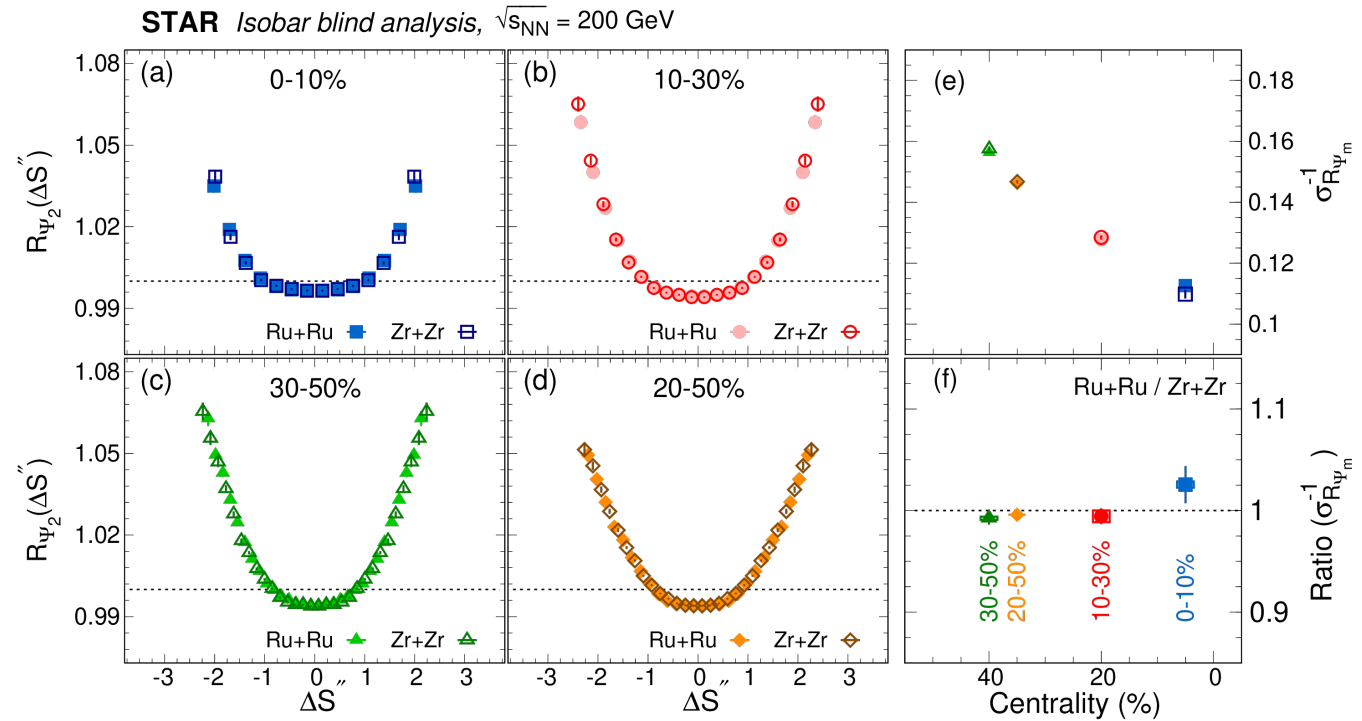
$$\Delta S = \left\{ \frac{\sum_{i=1}^{n^+} w_i^+ \sin(\phi_i - \psi_2)}{\sum_{i=1}^{n^+} w_i^+} - \frac{\sum_{i=1}^{n^-} w_i^- \sin(\phi_i - \psi_2)}{\sum_{i=1}^{n^-} w_i^-} \right\}$$

$\sigma_{\psi_2}$  is the Gaussian width of the respective  $R(\Delta S)$

Measurement of the in-plane and out-of-plane distributions of the dipole separation event-by-event

Pre-defined CME criterion in blind analysis:

$$1/\sigma_{\psi_2}^{\text{Ru+Ru}} > 1/\sigma_{\psi_2}^{\text{Zr+Zr}}$$



No significant difference is observed between two isobar systems

In studies with frozen code for blind analysis,  $R_{\psi_2}$  and  $\Delta\gamma$  have similar sensitivities to CME signal and background;  $1/\sigma_{R_{\psi_2}}^2 \approx N\Delta\gamma$

M. S. Abdallah *et al.* (STAR) Phys. Rev. C, 105 (2022) 014901

# Isobar: $\kappa_{112}$ Measurement with Full TPC

## Pre-defined CME criteria:

$$\frac{(\Delta\gamma_{112}/v_2)^{\text{Ru+Ru}}}{(\Delta\gamma_{112}/v_2)^{\text{Zr+Zr}}} > \frac{(\Delta\delta)^{\text{Ru+Ru}}}{(\Delta\delta)^{\text{Zr+Zr}}}$$

The background contributions due to local charge conservation (LCC) and transverse momentum conservation (TMC) have a similar characteristic structure that involves the coupling between  $v_2$  and  $\delta$ .

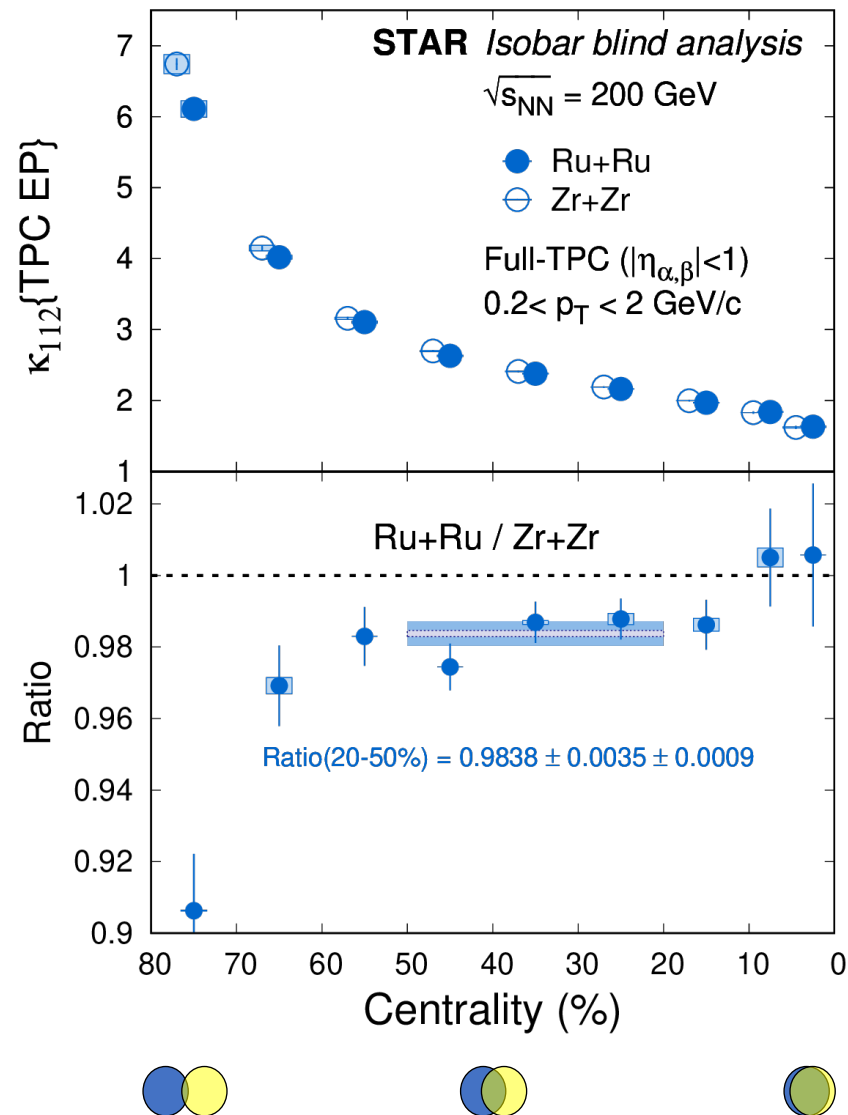
So, we studied the the normalized quantity:

$$\kappa_{112} \equiv \frac{\Delta\gamma_{112}}{v_2\Delta\delta}$$

## Pre-defined CME criterion:

$$\frac{(\kappa_{112})^{\text{Ru+Ru}}}{(\kappa_{112})^{\text{Zr+Zr}}} > 1$$

Data not compatible with pre-defined CME criterion





# 200 GeV Au-Au Data, Using Participant and Spectator Planes

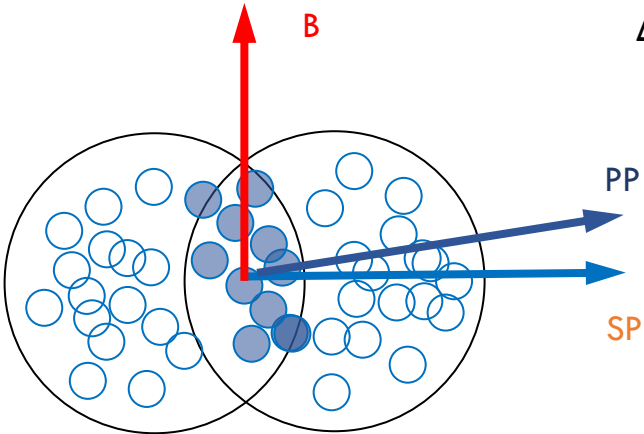
M. S. Abdallah et al. (STAR) Phys. Rev. Lett, 128 (2022) 092301

$$\Delta\gamma\{\text{PP}\} = \Delta\gamma_{\text{CME}}\{\text{PP}\} + \Delta\gamma_{\text{BKG}}\{\text{PP}\}$$

$$\Delta\gamma\{\text{SP}\} = \Delta\gamma_{\text{CME}}\{\text{PP}\}/a + \Delta\gamma_{\text{BKG}}\{\text{PP}\}a$$

$$a = \langle \cos 2(\Psi_{\text{PP}} - \Psi_{\text{SP}}) \rangle$$

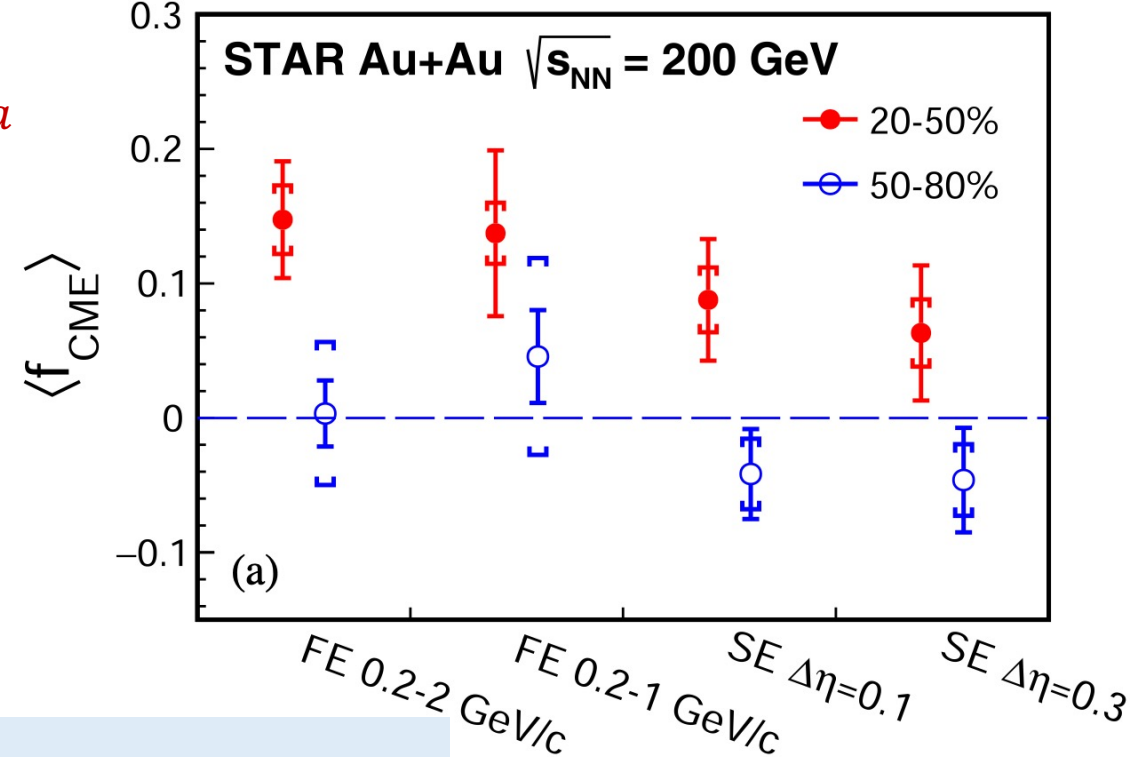
$$f_{\text{CME}}^{\text{PP}} = \frac{\frac{\Delta\gamma\{\text{SP}\}}{\Delta\gamma\{\text{PP}\}}/a - 1}{1/a^2 - 1}$$



PP(TPC) : maximum background

SP(ZDC-SMD) : maximum signal

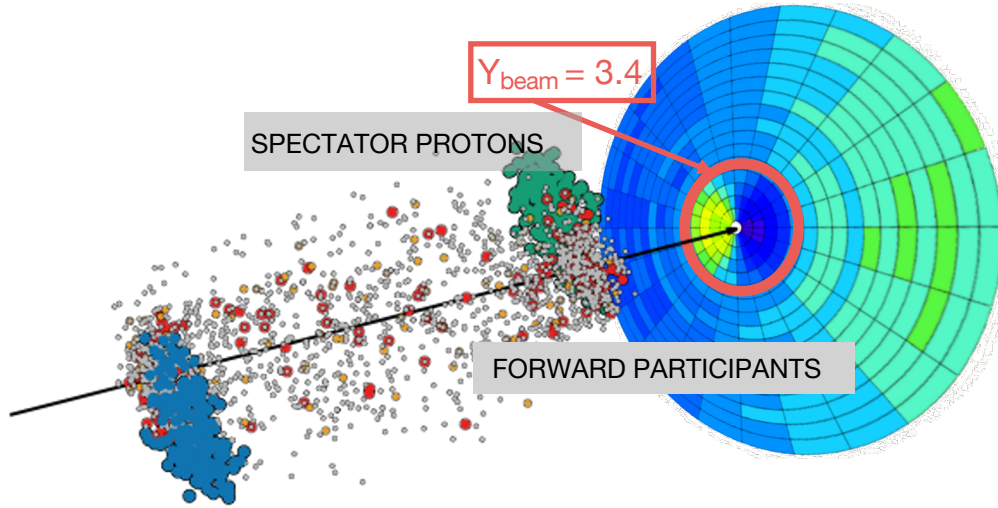
H-J. Xu, et al, CPC 42 (2018) 084103; S. A. Voloshin, Phys. Rev. C 98 (2018) 054911



- Can we reconcile this  $f_{\text{CME}}$  in Au-Au with isobar results? In isobar system, smaller B-field ( $\sim A^{1/3}$ ), larger  $\Delta\gamma$  “flowing clusters” background ( $\sim 1/A$ ), would argue for a smaller  $f_{\text{CME}}$  in isobar compared to Au-Au. Y. Feng et. al., Phys. Lett. B820 (2021) 136549

- STAR 2022 BUR: with 20B events from runs 23 and 25, we can achieve better than  $5\sigma$  significance provided the possible CME signal fraction remains at 8%

# New Work: Measurement with STAR EPD @ 27 GeV



We measure the elliptic flow and the charge separation, using  $\Delta\gamma$  w.r.t. **EPD-inner first harmonic plane** and the **EPD-outer second harmonic plane**.

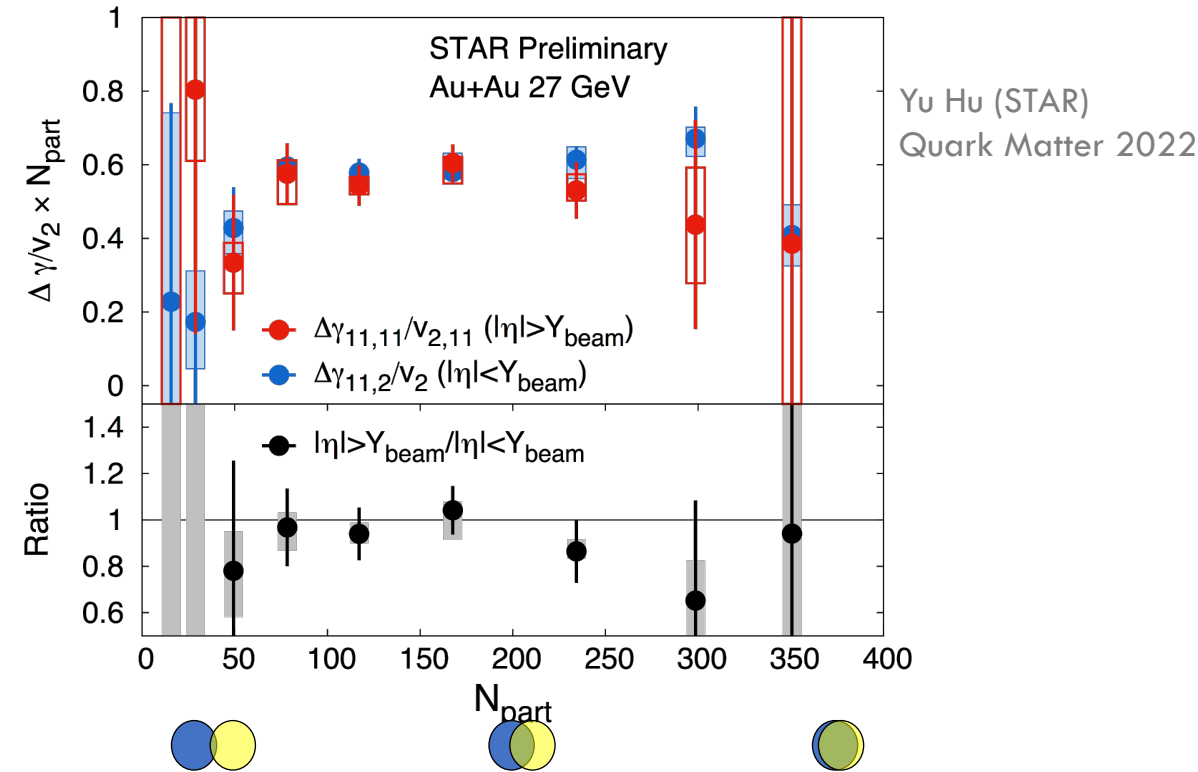
$$\Delta\gamma = \Delta\gamma^{BG} + \Delta\gamma^{CME}$$

If  $\Delta\gamma^{BG} = b v_2$

$$\left(\frac{\Delta\gamma}{v_2}\right) = \frac{\langle \cos(\alpha + \beta - 2\Psi) \rangle}{\langle \cos(2\alpha - 2\Psi) \rangle}$$

RP, PP, SP...

Under a 'pure background' scenario, all these ratios are equal. If different measurements yield different ratios, this would indicate a CME signal.



The ratio of  $\Delta\gamma/v_2$  between spectator-proton rich EPD  $\Psi_1$  plane and participant-dominated  $\Psi_2$  plane. CME-driven correlations will make this ratio  $> 1$ .

# New Work: Correlations with Other Parity-Odd Signals ( $\Lambda$ helicity)

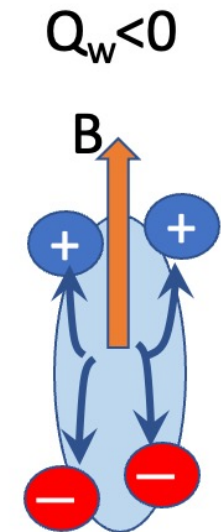
Another observable sensitive to Local Parity Violation is net helicity of  $\Lambda$ s in each event.

F. Becattini *et al.* Phys.Lett.B 822 (2021) 136706

F. Du *et al.* Phys.Rev.C 78 (2008) 044908

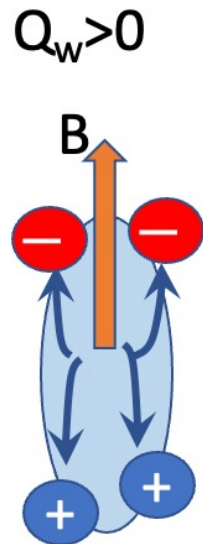
In each event, sign of charge separation dipole and net helicity are **both determined by same  $Q_w$**  !  $(N_L^f - N_R^f) = 2Q_w$

→ In events where positive charges flow in B-field direction, expect  $N_L^\Lambda - N_R^\Lambda > 0$



$$N_L^\Lambda > N_R^\Lambda$$

$$N_L^{\bar{\Lambda}} > N_R^{\bar{\Lambda}}$$



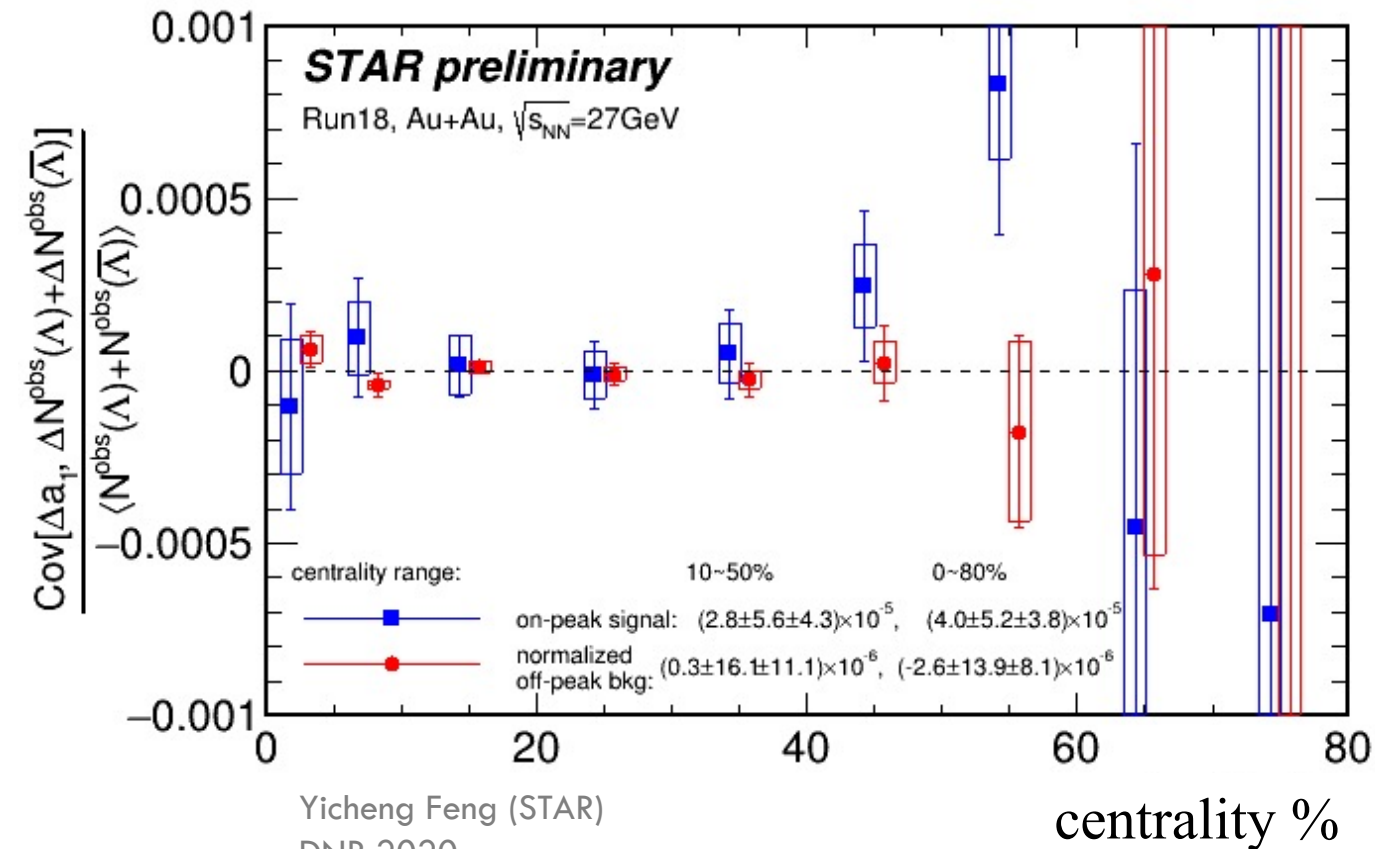
$$N_R^\Lambda > N_L^\Lambda$$

$$N_R^{\bar{\Lambda}} > N_L^{\bar{\Lambda}}$$

Can look for a correlation between sign of CME in each event and net handedness of  $\Lambda$  in that event. Two parity-odd observables with very different background sources (can also observe  $\bar{\Lambda}$  as further systematics check and/or to increase statistical power)

Need 1<sup>st</sup> order event plane (STAR EPD or ZDC/SMD)

# New Work: Correlations with Other Parity-Odd Signals ( $\Lambda$ helicity)



In 27GeV Au+Au data, we use EPD for  $\psi_1$

Measure covariance between

$$a_1^+ - a_1^- \quad \text{and} \quad N_L^\Lambda > N_R^\Lambda$$

“positive charge flow along B-field”

“Excess of left-helicity  $\Lambda$ ”

Positive covariance (blue points above zero, 20-60% centrality) would indicate presence of two parity-odd effects tied to local parity violation

In 27GeV run 18 data, signal consistent with zero within uncertainty

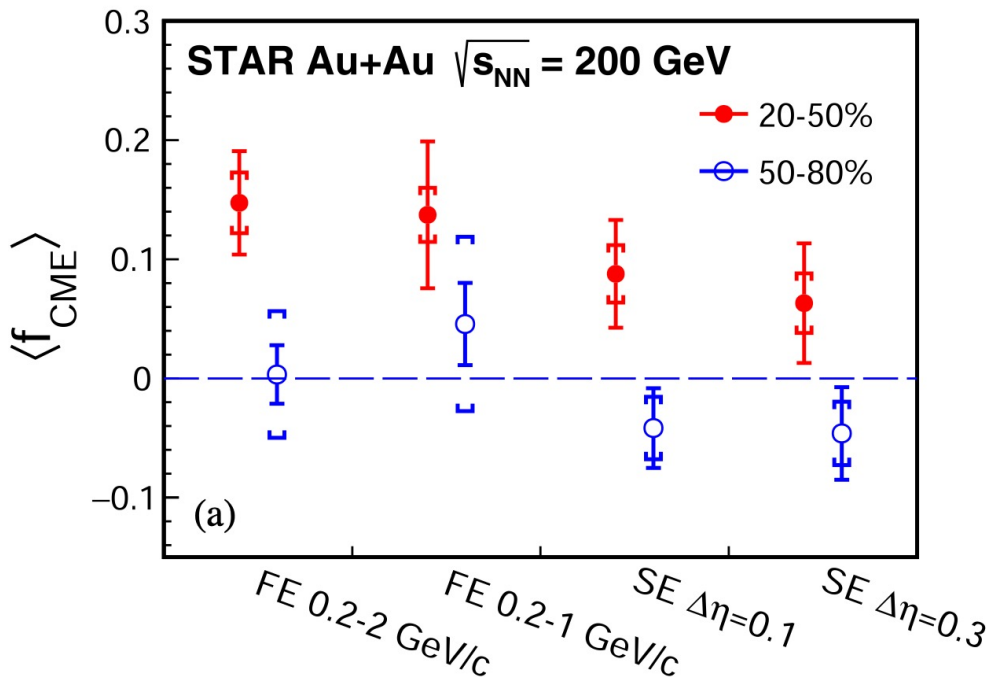
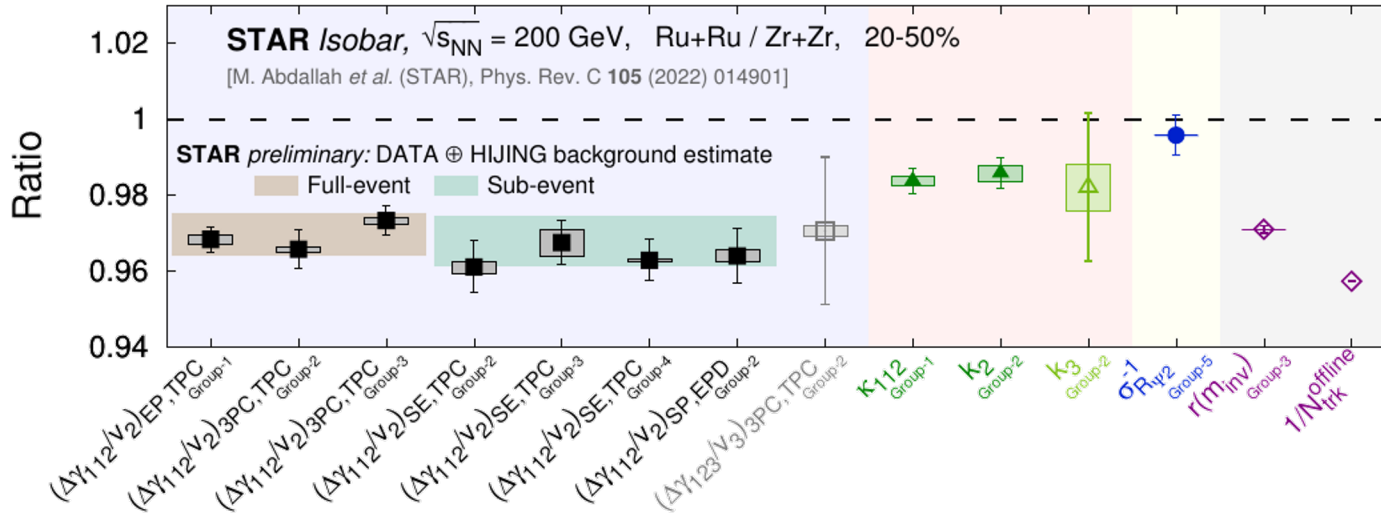
2022 STAR BUR: This method will be target for future high-statistics Au-Au runs.

$$a_1^\pm = \langle \sin(\phi_\pm - \Psi_{\text{RP}}) \rangle \quad \Delta N = N_L^\Lambda > N_R^\Lambda$$

$$\Delta a_1 = \frac{N_+}{N_+ + N_-} a_1^+ - \frac{N_-}{N_+ + N_-} a_1^-$$



# Summary: Current Experimental Status of CME in STAR



Isobar blind analysis: no method shows evidence for CME using pre-defined criteria.

Isobar post-blinding:  $\Delta\gamma$  results consistent with preliminary background estimate within current uncertainty. We are working to reduce this uncertainty.

In 200GeV Au+Au data, spectator versus participant plane analysis shows signal 1-3 $\sigma$  above zero; working to better understand possible remaining non-flow contributions.

More novel analyses underway, including using 1st-order plane to investigate correlations with another parity-odd observable ( $\Lambda$  helicity)

# ADDITIONAL SLIDES

# Isobar: Extraction of CME fraction: approach II

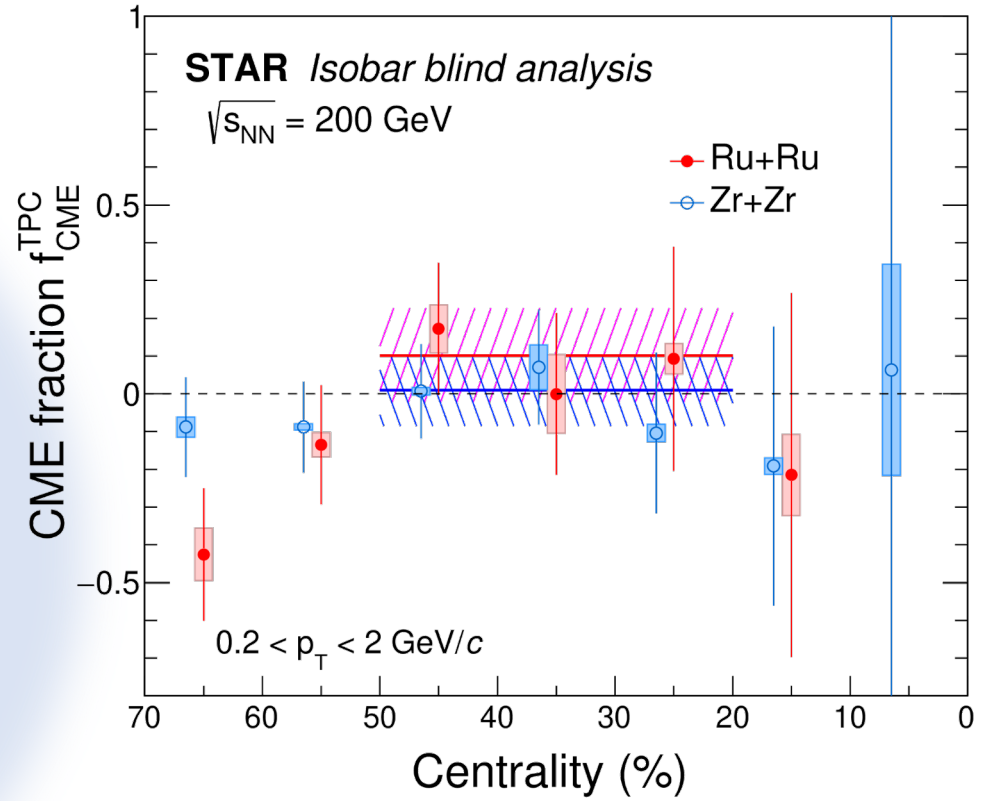
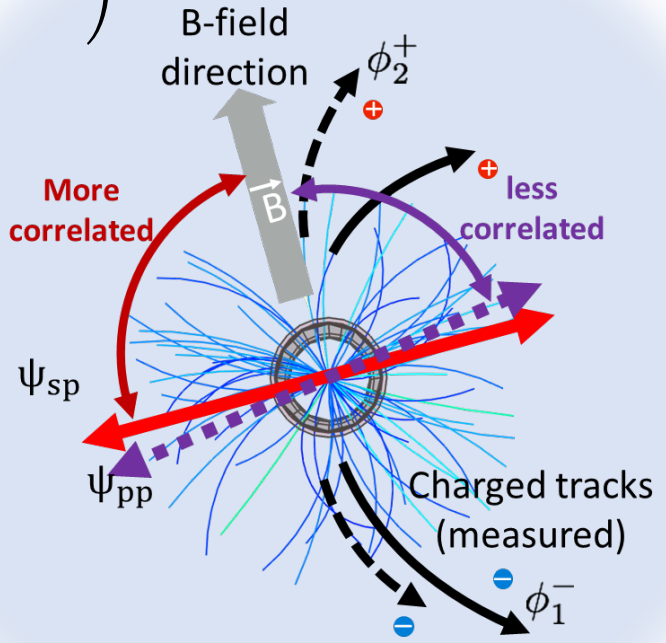
$$\frac{(\Delta\gamma/v_2)^{\text{Ru+Ru}}}{(\Delta\gamma/v_2)^{\text{Zr+Zr}}} = 1 + f_{\text{CME}}^{\text{Zr+Zr}} \left[ \left( \frac{B^{\text{Ru+Ru}}}{B^{\text{Zr+Zr}}} \right)^2 - 1 \right]$$

$$\frac{(\Delta\gamma/v_2)_{\text{ZDC}}}{(\Delta\gamma/v_2)_{\text{TPC}}} = 1 + f_{\text{CME}}^{\text{TPC}} \left( \frac{v_2^2\{\text{TPC}\}}{v_2^2\{\text{ZDC}\}} - 1 \right)$$

Pre-defined CME criterion:

$$f_{\text{CME}}^{\text{TPC}} > 0$$

Differences in the method of estimating  $v_2\{\text{ZDC}\}$  and  $v_2\{\text{TPC}\}$  compared with the approach-I



Uncertainty dominated, no significant difference is observed between two isobar systems



# Isobar Extraction of CME fraction: approach I

- TPC  $\Psi_{EP} \rightarrow$  proxy of  $\Psi_{PP}$
  - ZDC  $\Psi_1 \rightarrow$  proxy of  $\Psi_{RP}$
- $\Delta\gamma$  w.r.t. TPC  $\Psi_{EP}$  and ZDC  $\Psi_1$  contain different fractions of CME and Bkg.

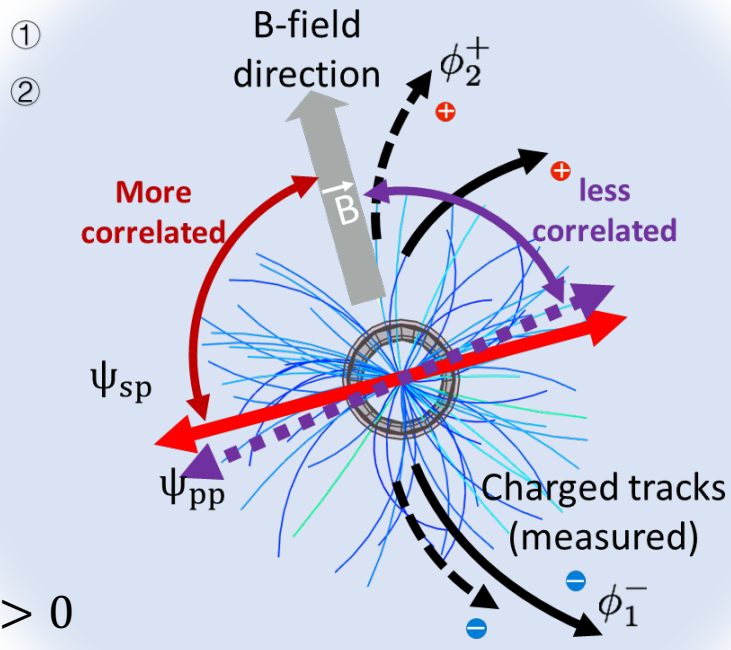
$$\Delta\gamma(\Psi_{TPC}) = \Delta\gamma^{BG}(\Psi_{TPC}) + \Delta\gamma^{CME}(\Psi_{TPC}) \quad ①$$

$$\Delta\gamma(\Psi_{ZDC}) = \Delta\gamma^{BG}(\Psi_{ZDC}) + \Delta\gamma^{CME}(\Psi_{ZDC}) \quad ②$$

$$\frac{\Delta\gamma^{BG}(\Psi_{TPC})}{\Delta\gamma^{BG}(\Psi_{ZDC})} = \frac{v_2(\Psi_{TPC})}{v_2(\Psi_{ZDC})} \quad ③$$

$$\frac{\Delta\gamma^{CME}(\Psi_{TPC})}{\Delta\gamma^{CME}(\Psi_{ZDC})} = \frac{v_2(\Psi_{ZDC})}{v_2(\Psi_{TPC})} \quad ④$$

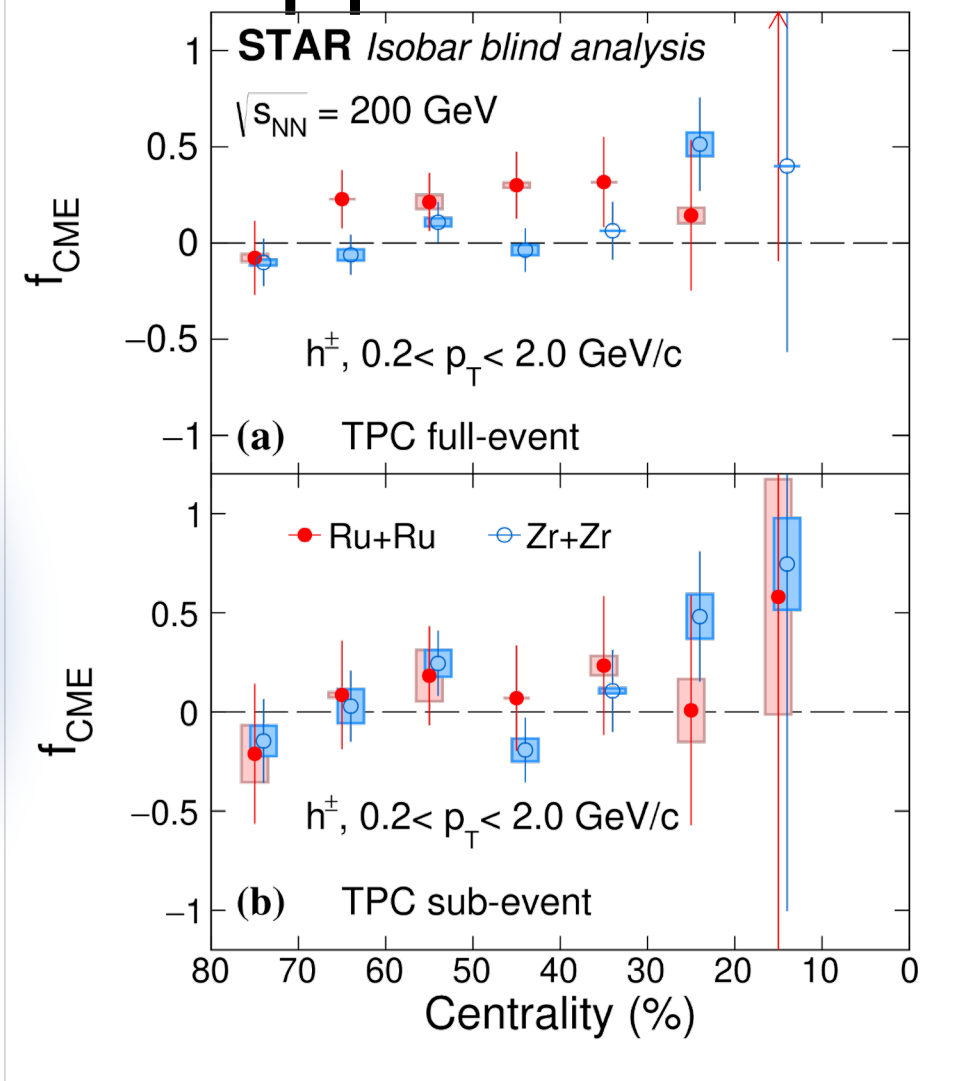
$$f_{CME} = \frac{\Delta\gamma^{CME}(\Psi_{TPC})}{\Delta\gamma(\Psi_{TPC})} \quad ⑤$$



Pre-defined CME criterion:

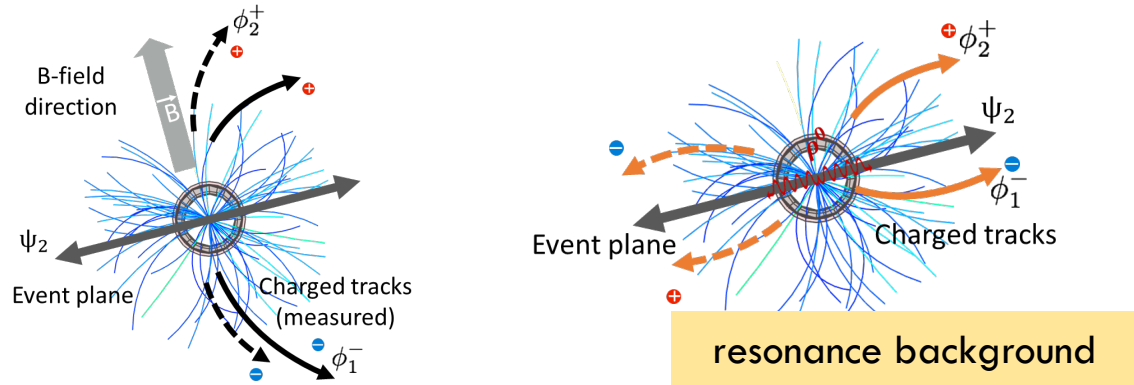
$$f_{CME}^{Ru+Ru} > f_{CME}^{Zr+Zr} > 0$$

Uncertainty dominated, no significant difference is observed between two isobar systems





# Isobar: $\Delta\gamma$ vs. invariant mass



$$\Delta\gamma^{bkgd} \propto \langle \cos(\underbrace{\phi^\alpha + \phi^\beta}_{\text{resonance decay daughters}} - \underbrace{2\phi^{res}}_{\text{azimuthal angle of the resonance}}) \rangle v_2^{res}$$

resonance decay daughters

azimuthal angle of the resonance

Focus on contrasting two isobar systems. Assuming the background is proportional to  $v_2$ , then:

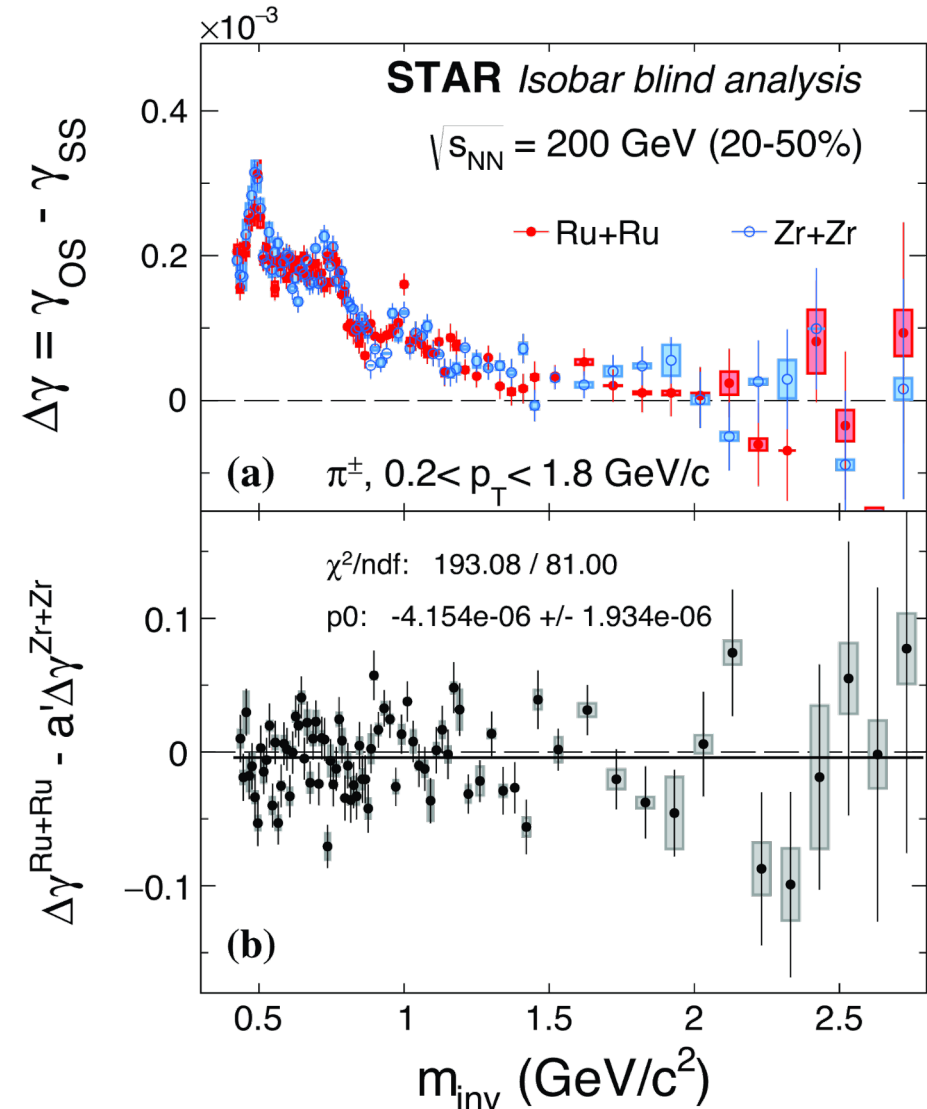
$$\Delta\gamma^{Ru+Ru} - a' \Delta\gamma^{Zr+Zr} = \Delta\gamma_{CME}^{Ru+Ru} - a' \Delta\gamma_{CME}^{Zr+Zr}$$

Where:  $a' = v_2^{Ru+Ru} / v_2^{Zr+Zr}$

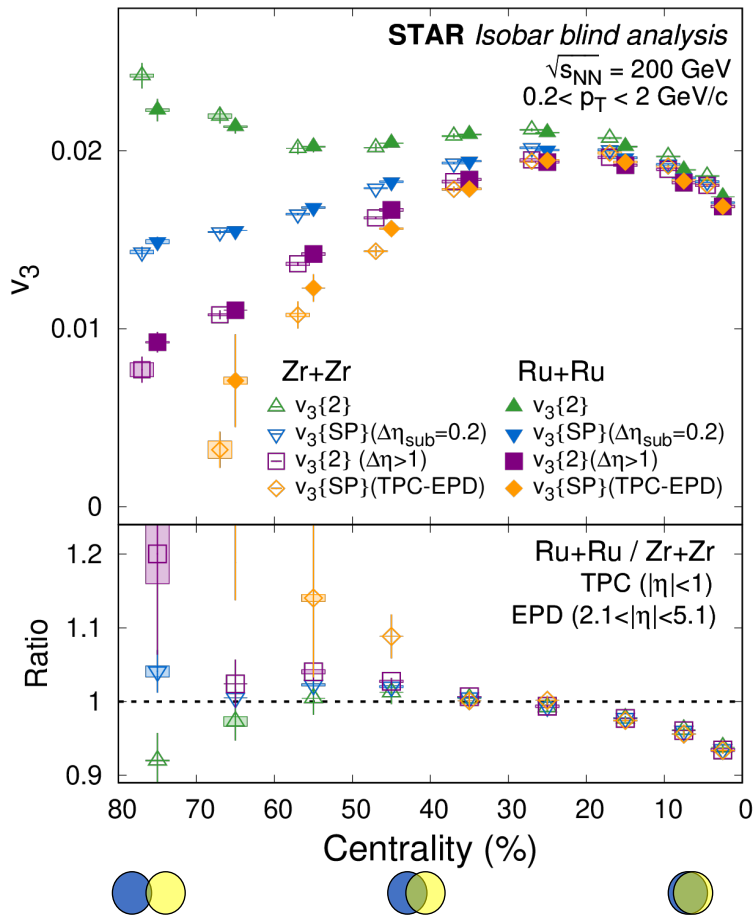
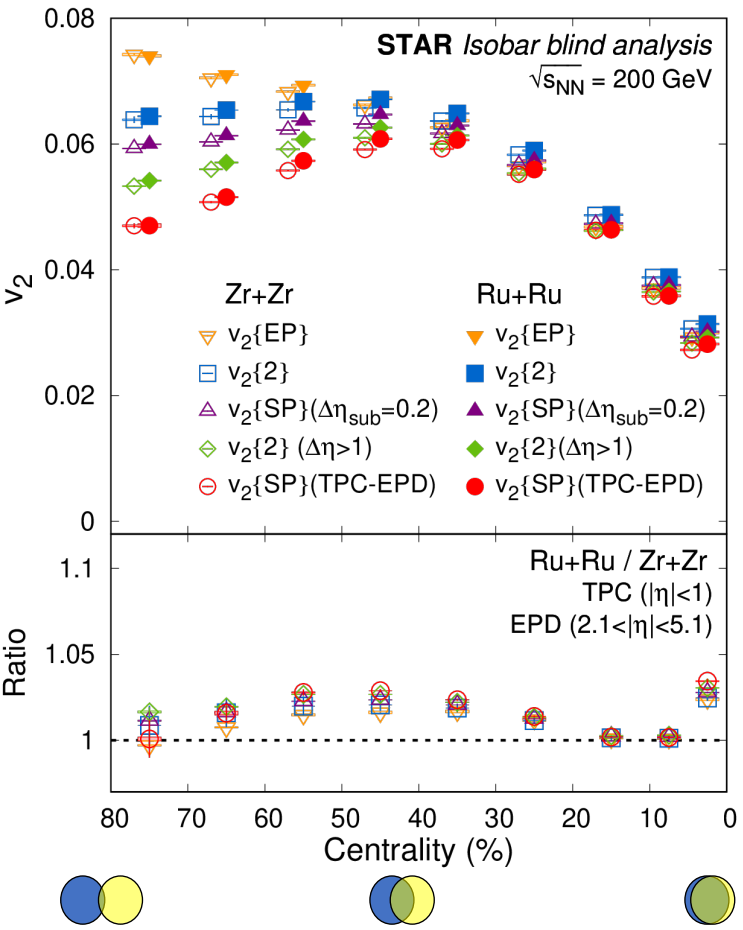
Pre-defined CME criterion in the differential measurement:

$$\Delta\gamma^{Ru+Ru} - a' \Delta\gamma^{Zr+Zr} > 0$$

Do not see a significant difference between systems

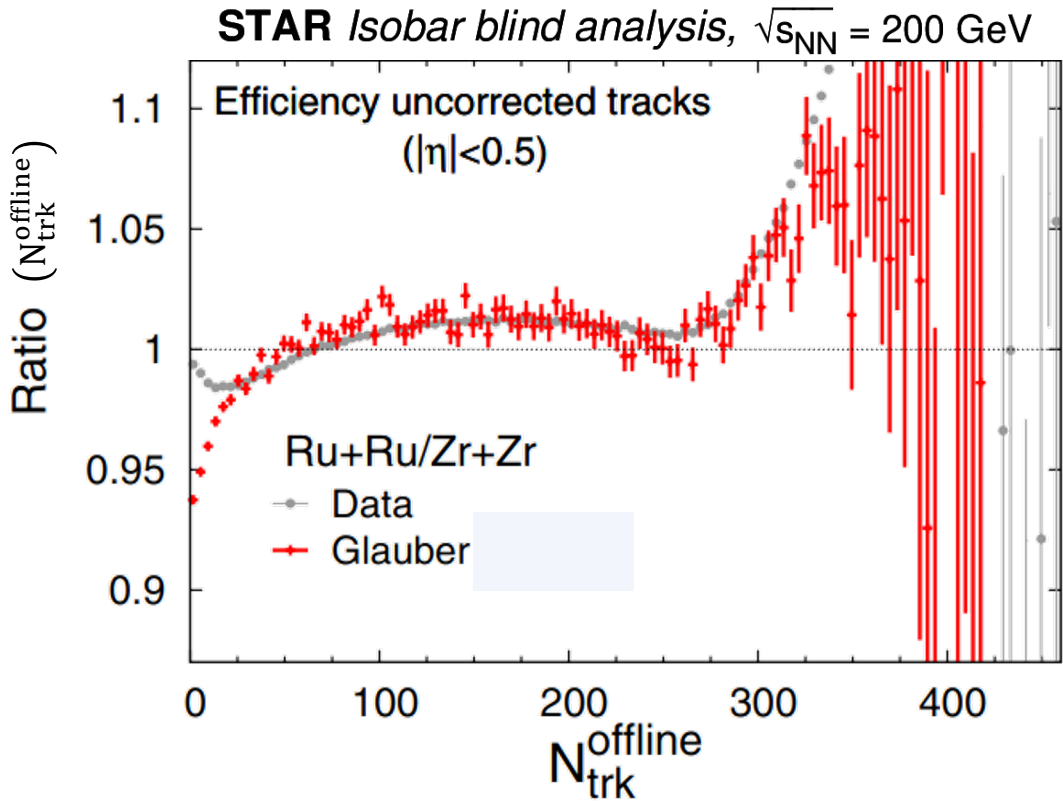


# Isobar: Elliptic flow & triangular flow measurements

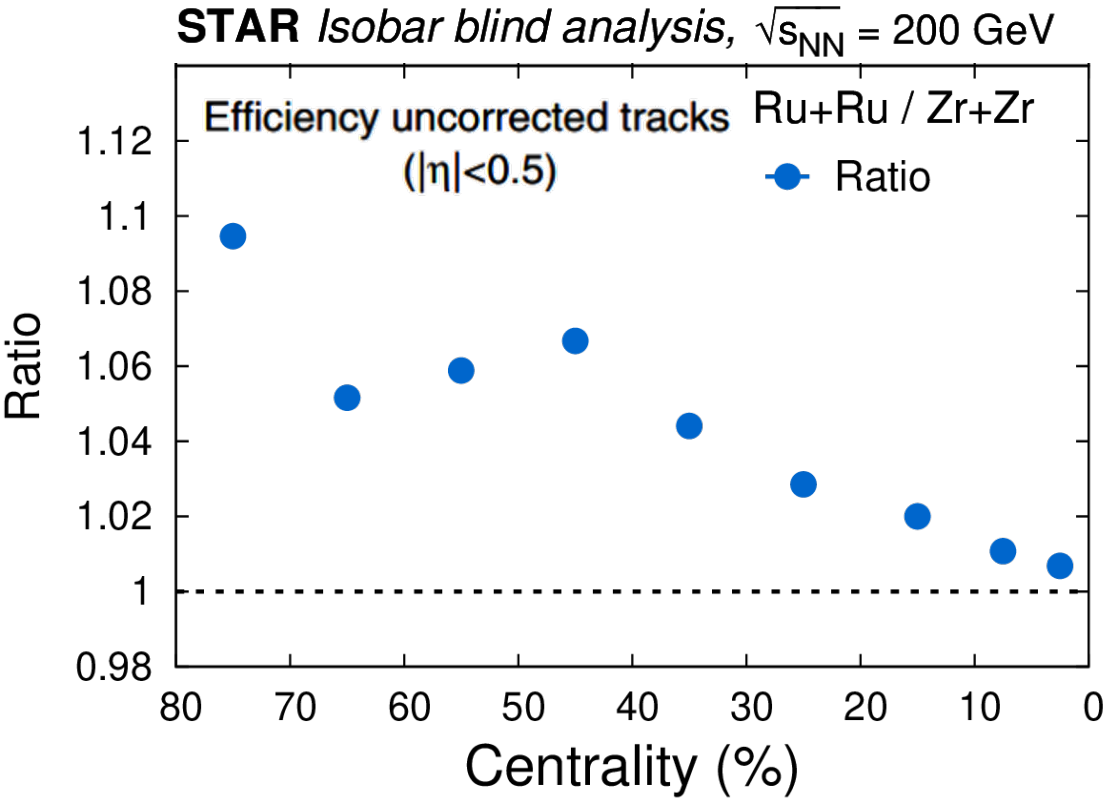


# Isobar: Multiplicity and Centrality

Nucleus	R (fm)	Glauber	
		a (fm)	$\beta_2$
$^{96}_{44}\text{Ru}$	5.067	0.500	0
$^{96}_{40}\text{Zr}$	4.965	0.556	0



❖ Glauber model including larger size of Ru and smaller size of Zr provides a good fit to the multiplicity distribution.



❖ Mean raw multiplicity density in Ru+Ru is larger than in Zr+Zr at matching centrality

# New Work: Measurement with EPD @ 27 GeV

$$\gamma_{\alpha\beta} = \cos(\phi^\alpha + \phi^\beta - 2\Psi)$$

$$\Delta\gamma = \Delta\gamma^{BG} + \Delta\gamma^{CME}$$

**If**  $\Delta\gamma^{BG} = b v_2$

**→**  $\left(\frac{\Delta\gamma}{v_2}\right) = \frac{\langle \cos(\alpha + \beta - 2\Psi) \rangle}{\langle \cos(2\alpha - 2\Psi) \rangle}$  *RP, PP, SP...*

Under a 'pure background' scenario, all these ratios are equal. If different measurements yield different ratios, this would indicate a CME signal.

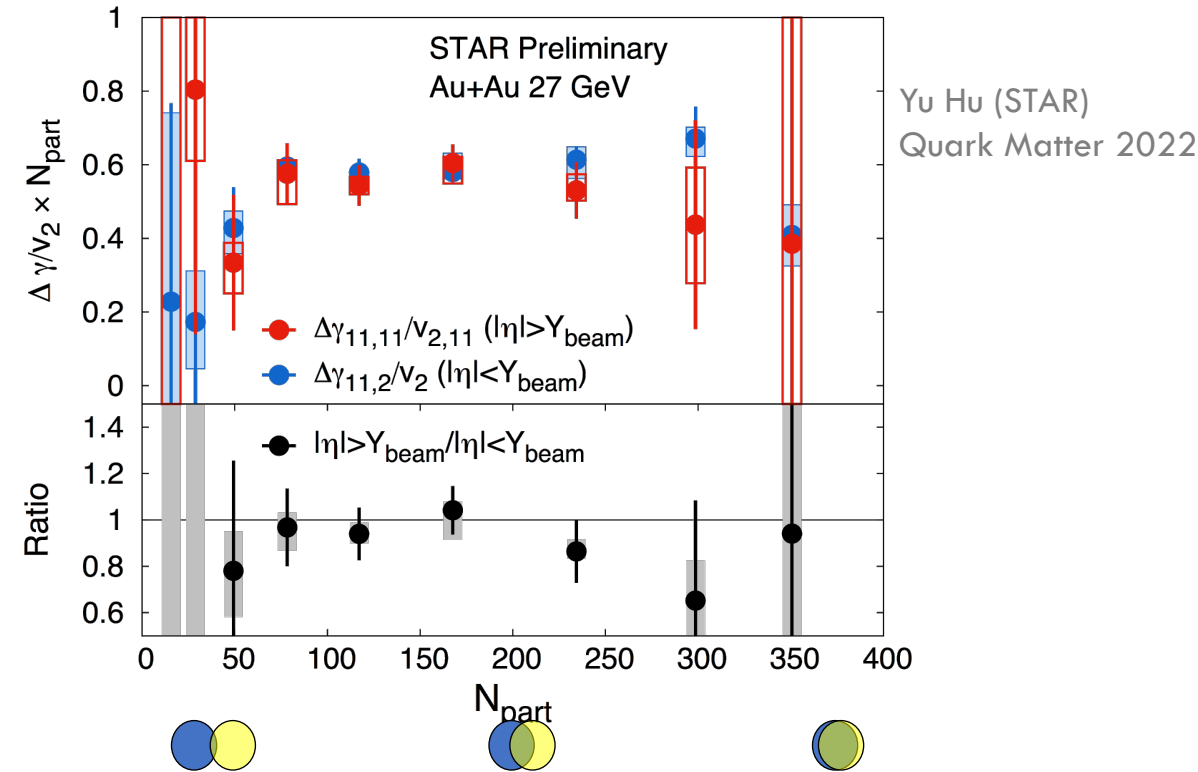
S. A. Voloshin, Phys. Rev. C 98 (2018) 054911

In a flow-driven background scenario, we expect

$$\frac{\Delta\gamma}{v_2}(\Psi_A) = \frac{\Delta\gamma}{v_2}(\Psi_B) = \frac{\Delta\gamma}{v_2}(\Psi_C) = \dots$$

Where the  $\Psi_A, \Psi_B, \Psi_C \dots$  are different planes at same/similar rapidities

We measure the elliptic flow and the charge separation, using  $\Delta\gamma$  w.r.t. **TPC-EPD-inner first harmonic planes** and the **TPC-EPD-outer second harmonic plane**.



The ratio of  $\Delta\gamma/v_2$  between spectator proton rich EPD  $\Psi_1$  plane and participant dominated  $\Psi_2$  plane is presented — CME driven correlations will make this ratio  $> 1$ .