



# Measurements of $v_2, v_3$ at mid-rapidity in p+Au, d+Au and $^3\text{He}+\text{Au}$ collisions at 200 GeV

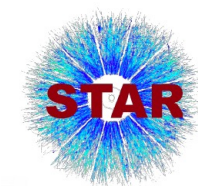
**Shengli Huang**

## Outline:

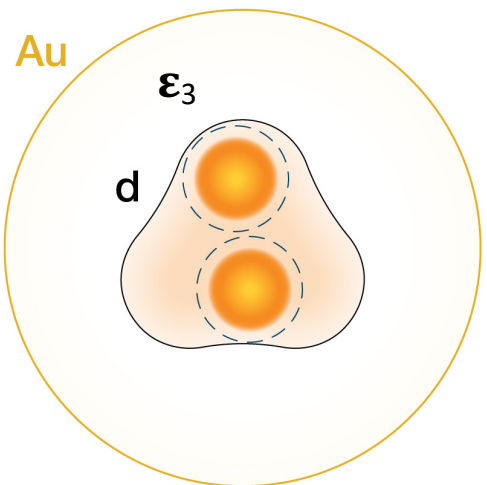
- Introductions and Motivations
- Two-particle correlations at mid-rapidity
- Model Comparison and Discussion
- Summary



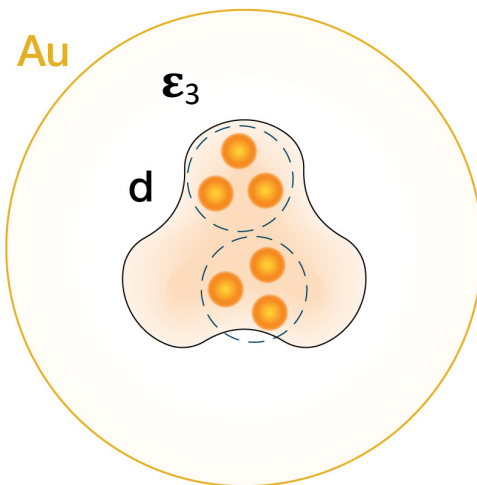
# Initial Geometry in small system



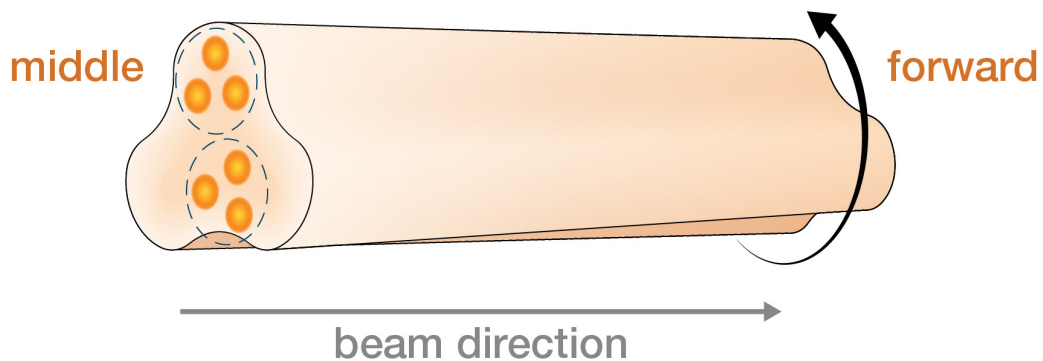
Nucleon Fluctuation



Nucleon & Subnucleon Fluctuation



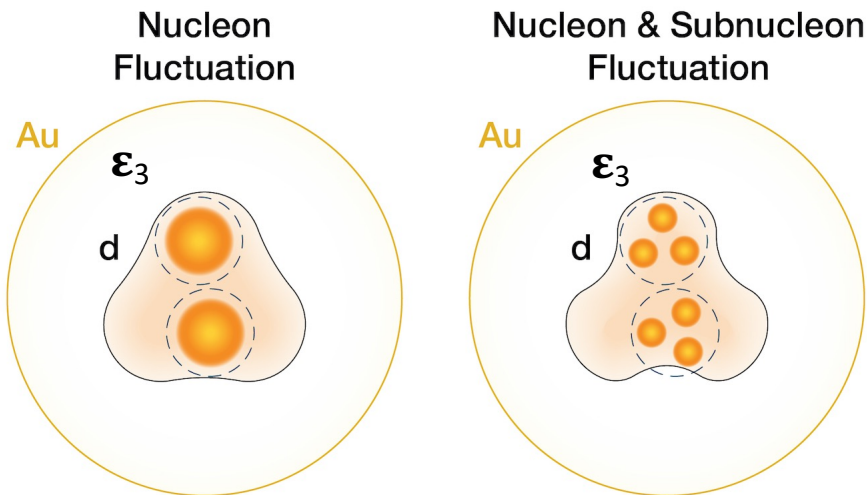
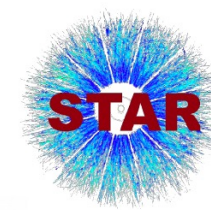
Longitudinal Decorrelation



Interplay between three possible sources:

- 1) Fluctuations in nucleon position
- 2) Fluctuations in nucleon position and its quark and gluon constituents
- 3) Fluctuation of overlap geometry along the beam direction

# Nucleon vs. sub-nucleon fluctuation



## Nucleon Fluctuations:

$$\begin{aligned} \epsilon_2^{p+Au} &\ll \epsilon_2^{d+Au} \approx \epsilon_2^{^3He+Au} \\ \epsilon_3^{p+Au} &\approx \epsilon_3^{d+Au} < \epsilon_3^{^3He+Au} \end{aligned}$$

## Nucleon + Subnucleon Fluctuations:

$$\begin{aligned} \epsilon_2^{p+Au} &< \epsilon_2^{d+Au} \approx \epsilon_2^{^3He+Au} \\ \epsilon_3^{p+Au} &\approx \epsilon_3^{d+Au} \approx \epsilon_3^{^3He+Au} \end{aligned}$$

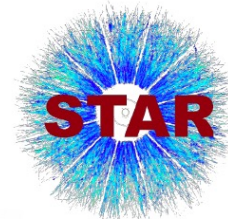
	Nucleon Glauber $\epsilon_2(\epsilon_3)$	Sub-Nucleon Glauber $\epsilon_2(\epsilon_3)$
0-5% pAu	0.23(0.16)	0.38(0.30)
0-5% dAu	0.54(0.18)	0.51(0.31)
0-5% $^3He+Au$	0.50(0.28)	0.52(0.35)

Nucleon Glauber: J. L. Nagle, PRL 113, 112301 331 (2014).

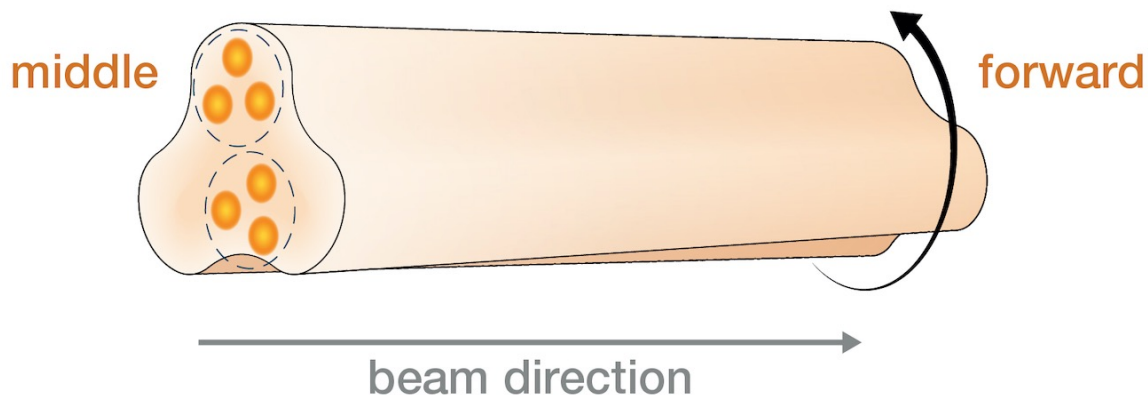
Sub-Nucleon: K. Welsh, J. Singer, and U. Heinz, PRC 94, 334 024919 (2016).

**The eccentricity hierarchy is smeared by sub-nucleon fluctuation**

# Longitudinal Decorrelation

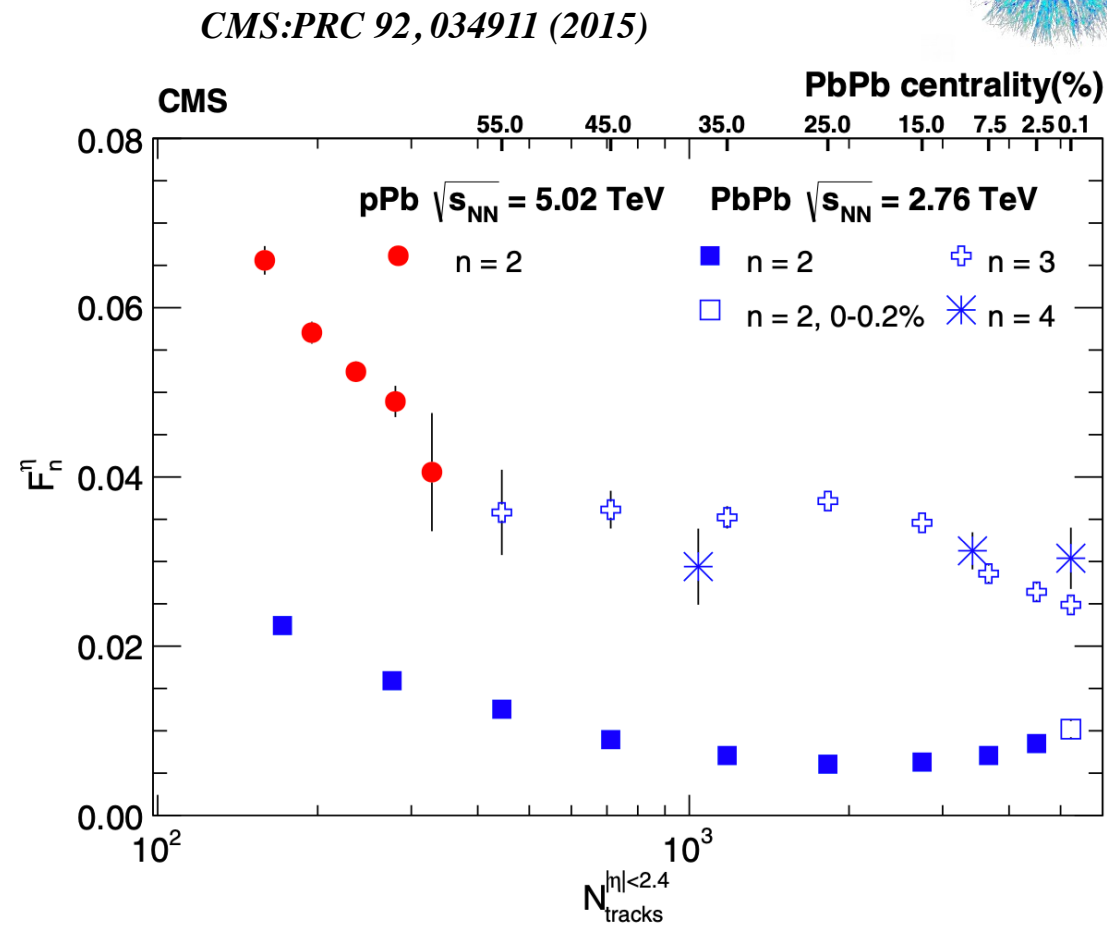


## Longitudinal Decorrelation



The longitudinal decorrelation from mid to forward rapidity complicates the inference of the true initial geometry

Decorrelation is stronger for asymmetric systems (pPb > PbPb) and higher order anisotropy coefficients (for  $v_3 >$  for  $v_2$ )

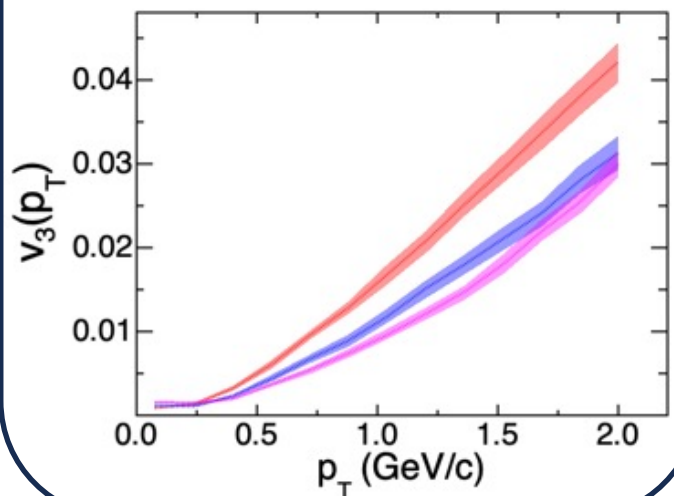
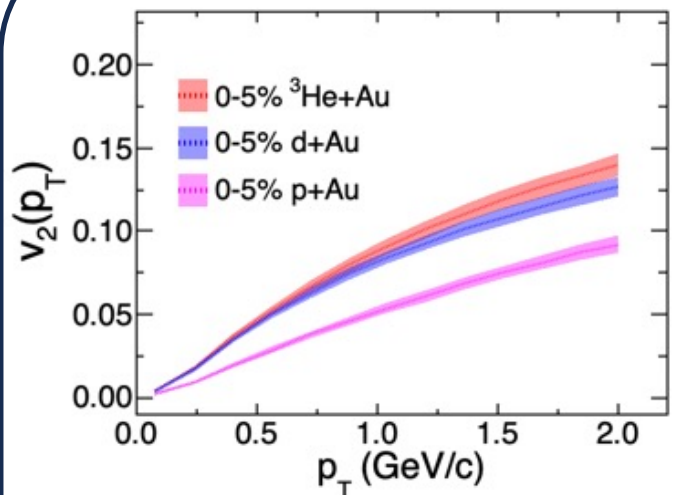


**Decorrelation poses challenges for all boost-invariant hydro model-to-data comparisons**

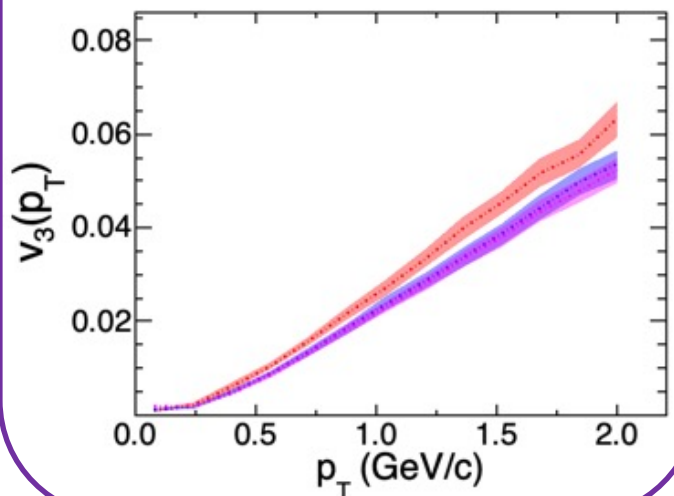
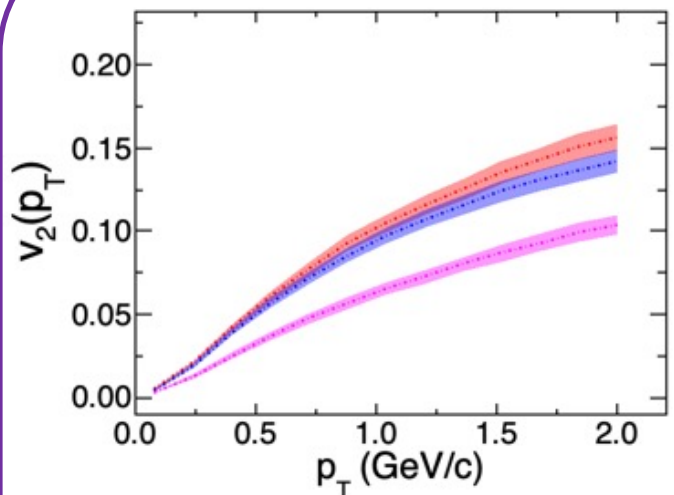
# Pre-Flow Effect



**SONIC**



**superSONIC**



**SONIC: Nucleon Fluctuation**

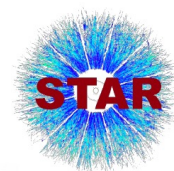
**superSONIC: Nucleon Fluctuation + Pre-Flow**

**SONIC:**  $v_3^{p+\text{Au}} \approx v_3^{d+\text{Au}} < v_3^{^3\text{He}+\text{Au}}$

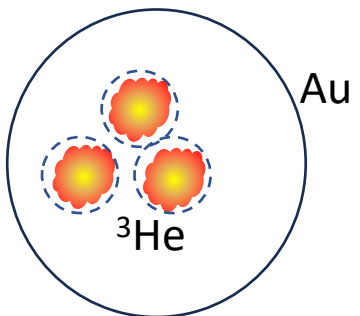
**superSONIC:**  $v_3^{p+\text{Au}} \approx v_3^{d+\text{Au}} \approx v_3^{^3\text{He}+\text{Au}}$

**Pre-Flow effect will change the  $v_3$  magnitude and dilute system hierarchy**

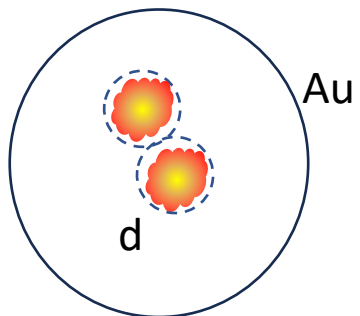
# Differences in STAR-PHENIX Measurement



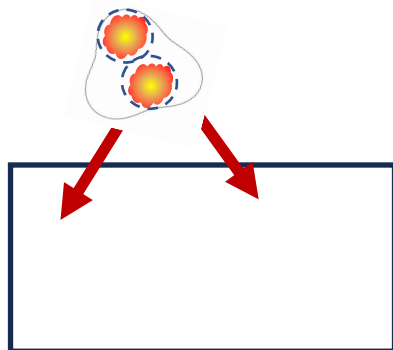
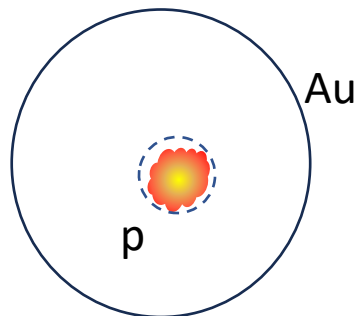
He+Au(2014)



d+Au(2016)



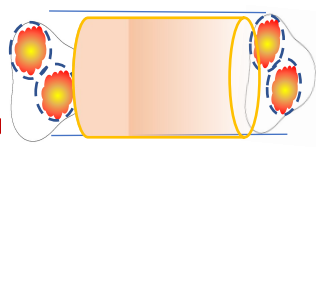
p+Au(2015)



$-0.9 < \eta < 0.9$

STAR

Phys. Rev. Lett. 130, 242301



$-3.9 < \eta < -3.1$

$-0.35 < \eta < 0.35$

PHENIX

Nature Phys. 15, 214 (2019)

**STAR: Mid-mid rapidity correlation**

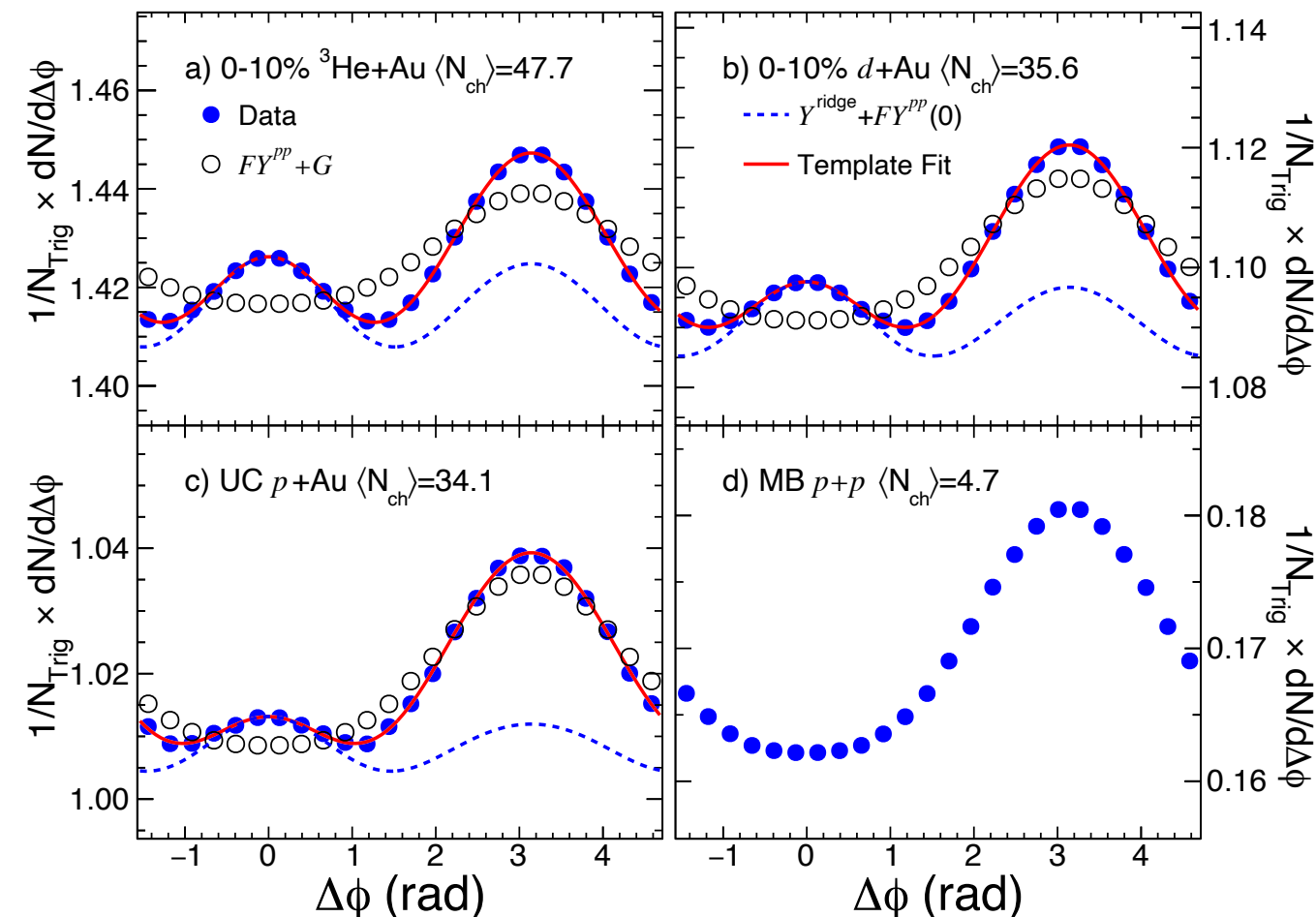
**PHENIX: Mid-backward rapidity correlation**

**STAR:**

1.  $|\Delta\eta| > 1.0$  to suppress the near-side nonflow
2. Small longitudinal decorrelation is expected, boost invariant models can be directly compared
3. Four types of nonflow subtraction methods implemented
4. Centrality: Two types of selections, activity in  $|\eta| < 0.9$  or  $-5.0 < \eta < -3.3$

**PHENIX:**

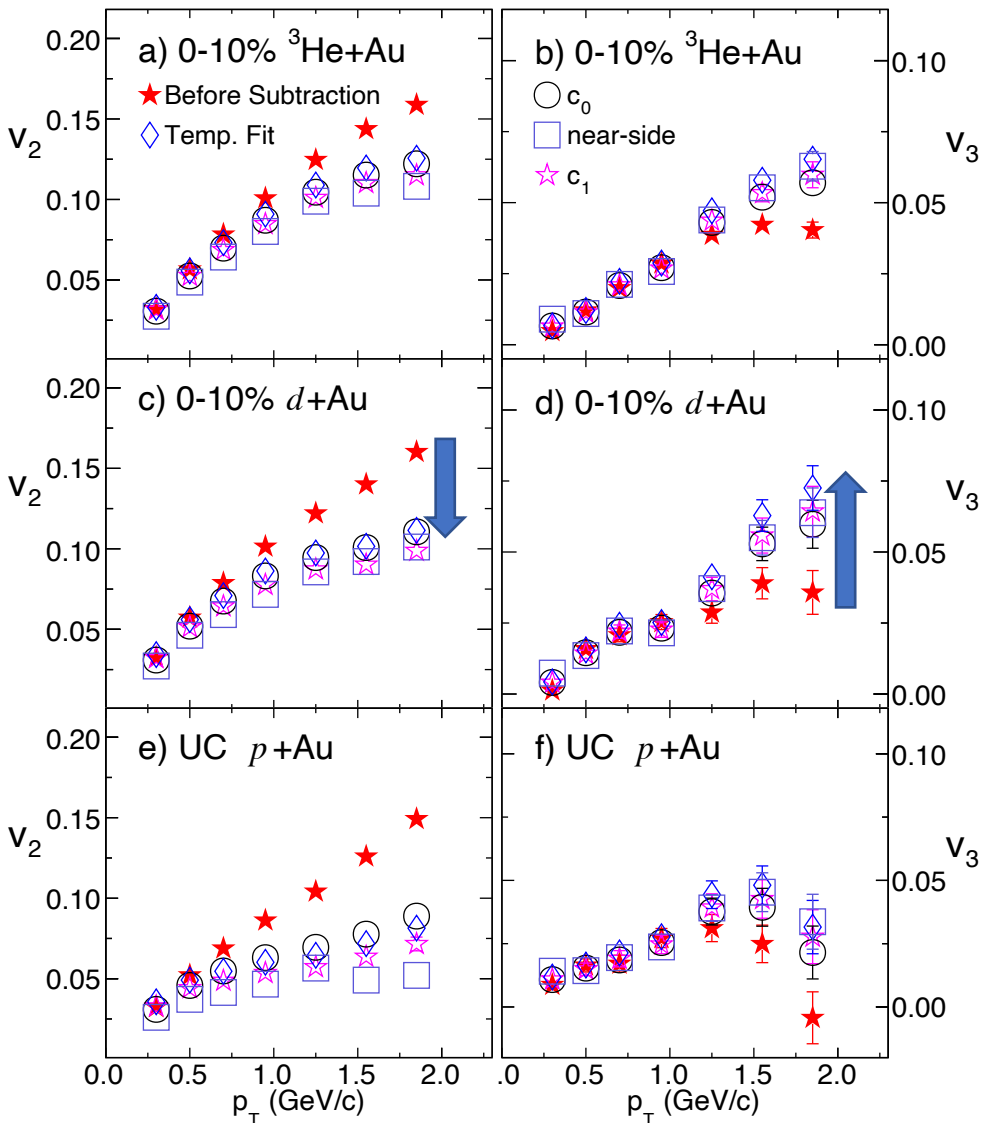
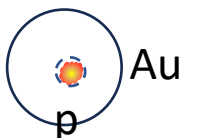
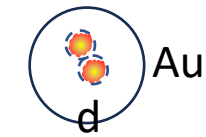
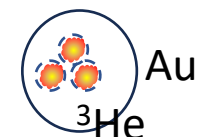
1.  $|\Delta\eta| > 2.75$  to suppress the near-side nonflow
2. Large longitudinal decorrelation is expected
3. Nonflow estimated using multiplicity scaling of p+p  $v_n$
4. Centrality: activity in  $-3.9 < \eta < -3.1$



Correlation function in p+p indicates nonflow is dominated by the away-side jet-like correlation

Four nonflow subtraction methods have been employed using p+p as reference

1.  $c_0$  method: scaled with per trigger yield
2. Near-side method: scaled with near-side jet yield
3.  $c_1$  method: scaled by  $v_1$  from momentum conservation
4. Template Fit method: scaled with away-side jet

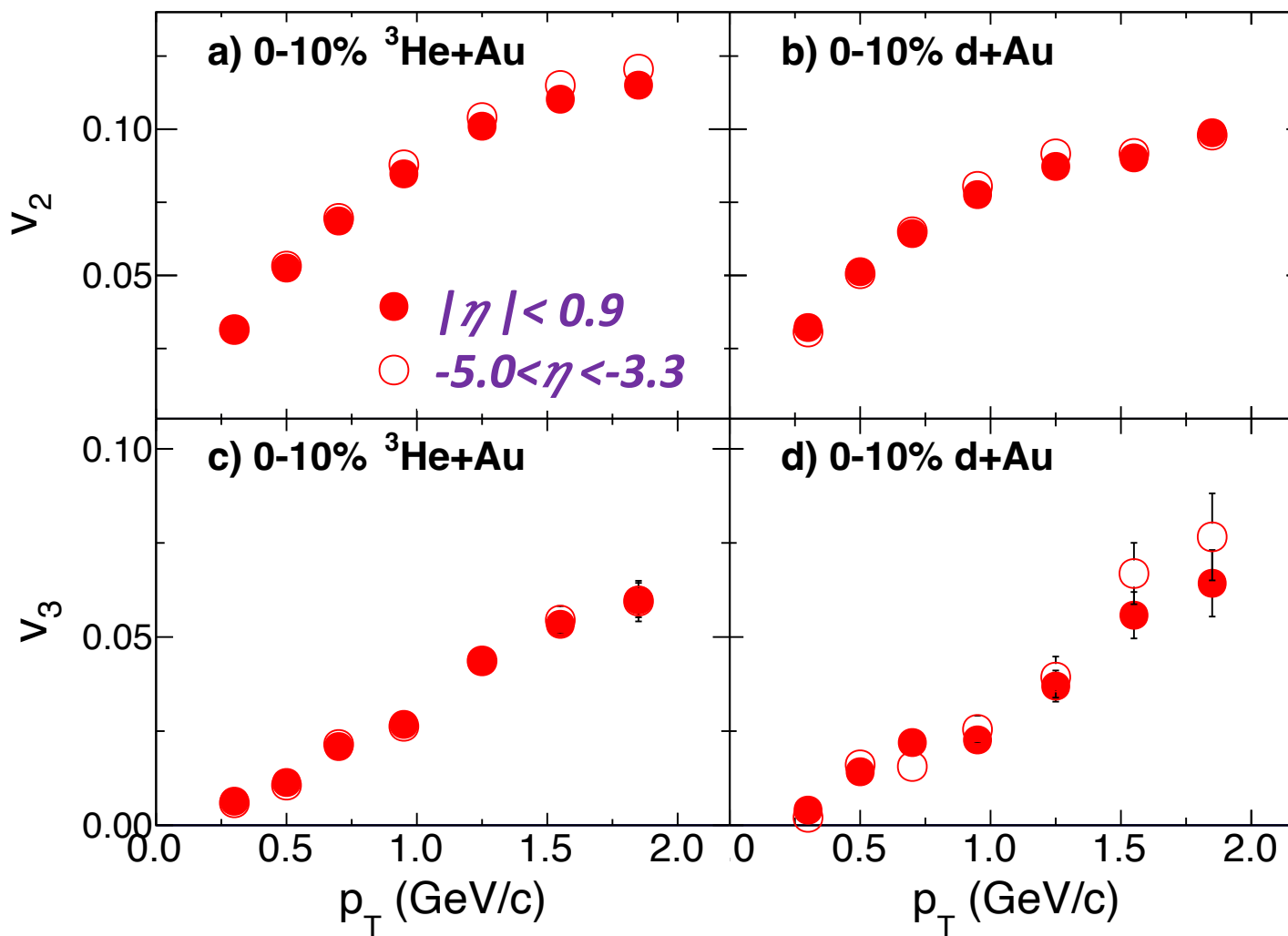
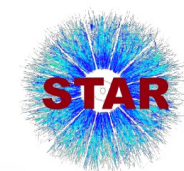


➤ **Non-flow subtraction will only decrease  $v_2$  and increase  $v_3$**

➤ **Non-flow subtracted  $v_2$  and  $v_3$  show minimal method dependence**



# Vn for Different Centrality Selection

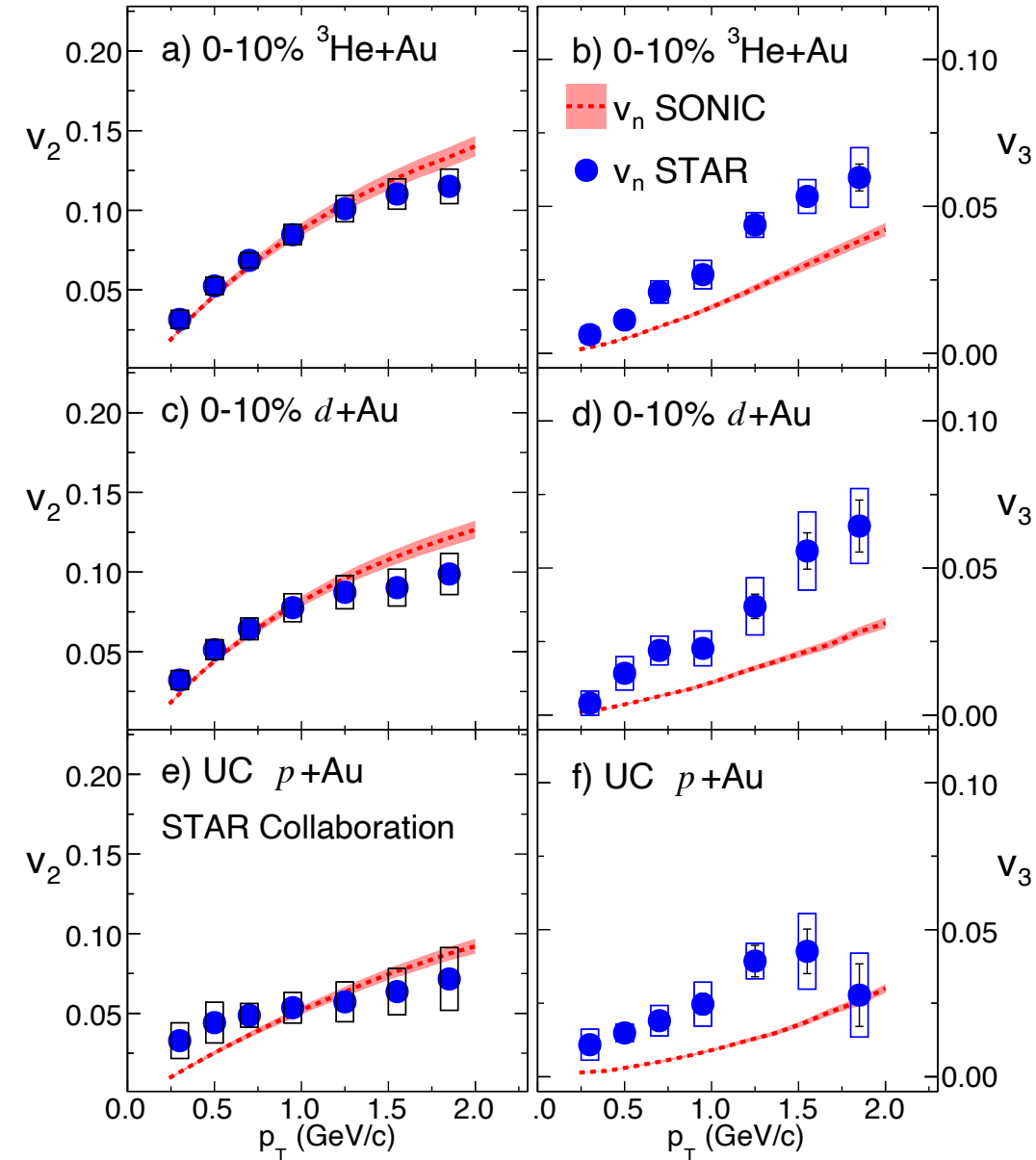


( $c_1$  subtraction)

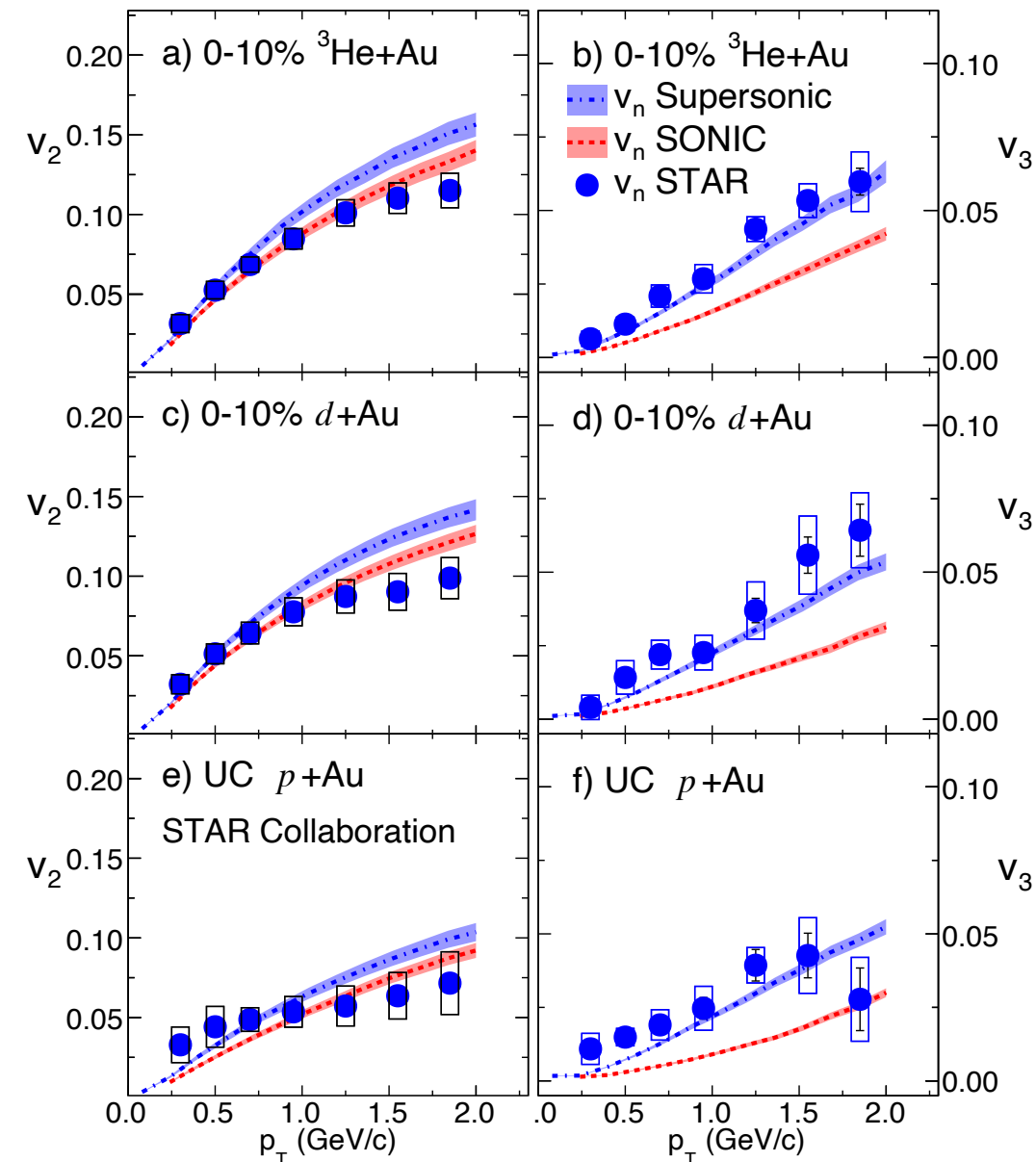
- ✓ Results agree well for both centrality definitions using activity from mid and backward rapidity regions

# Role of Pre-Flow

➤ *SONIC model*, which incorporates initial geometry eccentricity from nucleon position but does not consider sub-nucleon fluctuations, under-predicts the observed  $v_3$  in all systems.



	Nucleon Glauber $\epsilon_2(\epsilon_3)$	Sub-Nucleon Glauber $\epsilon_2(\epsilon_3)$
0-5% pAu	0.23(0.16)	0.38(0.30)
0-5% dAu	0.54(0.18)	0.51(0.31)
0-5% $^3\text{He}+\text{Au}$	0.50(0.28)	0.52(0.35)

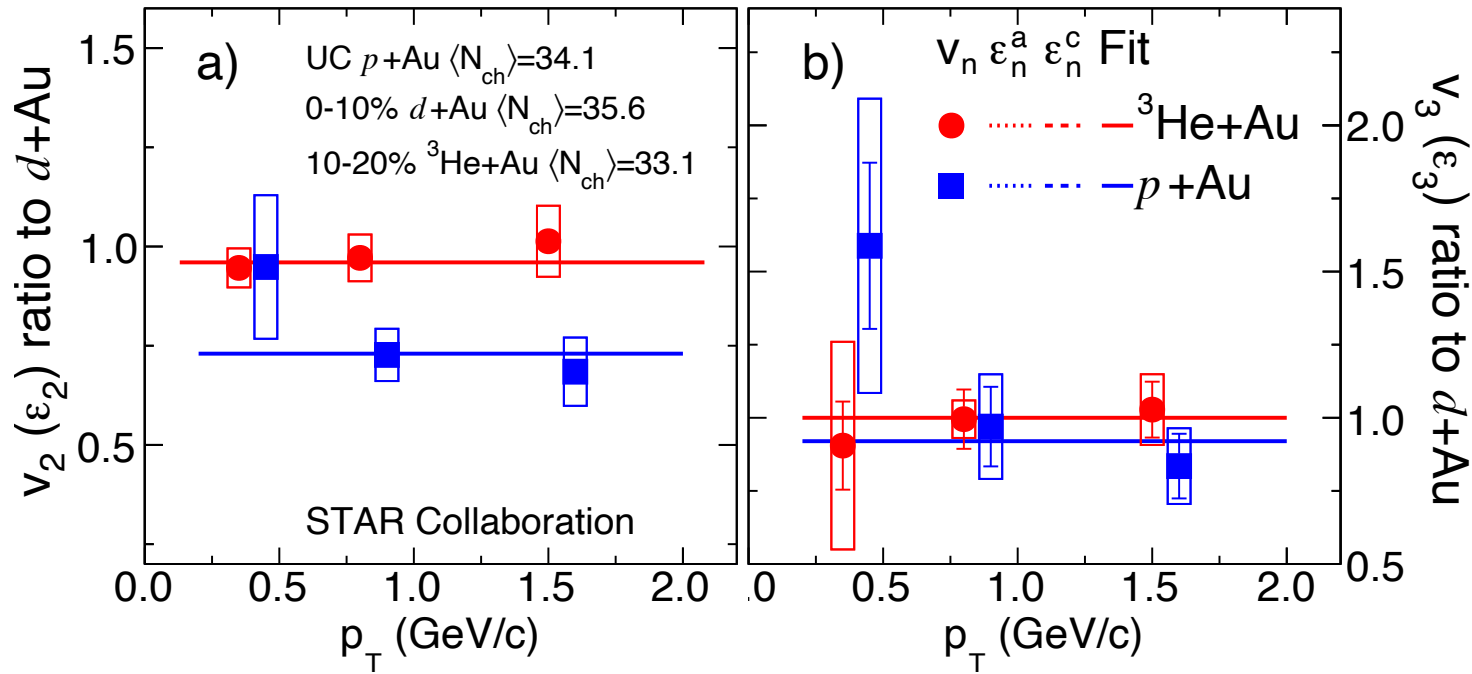


➤ **SONIC model**, which incorporates initial geometry eccentricity from nucleon position but does not consider sub-nucleon fluctuations, under-predicts the observed  $v_3$  in all systems.

➤ **SuperSONIC mode**, which include initial geometry eccentricity from nucleon position and the “pre-flow” can provide better description of  $v_3$

	Nucleon Glauber $\varepsilon_2(\varepsilon_3)$	Sub-Nucleon Glauber $\varepsilon_2(\varepsilon_3)$
0-5% pAu	0.23(0.16)	0.38(0.30)
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# The system dependence



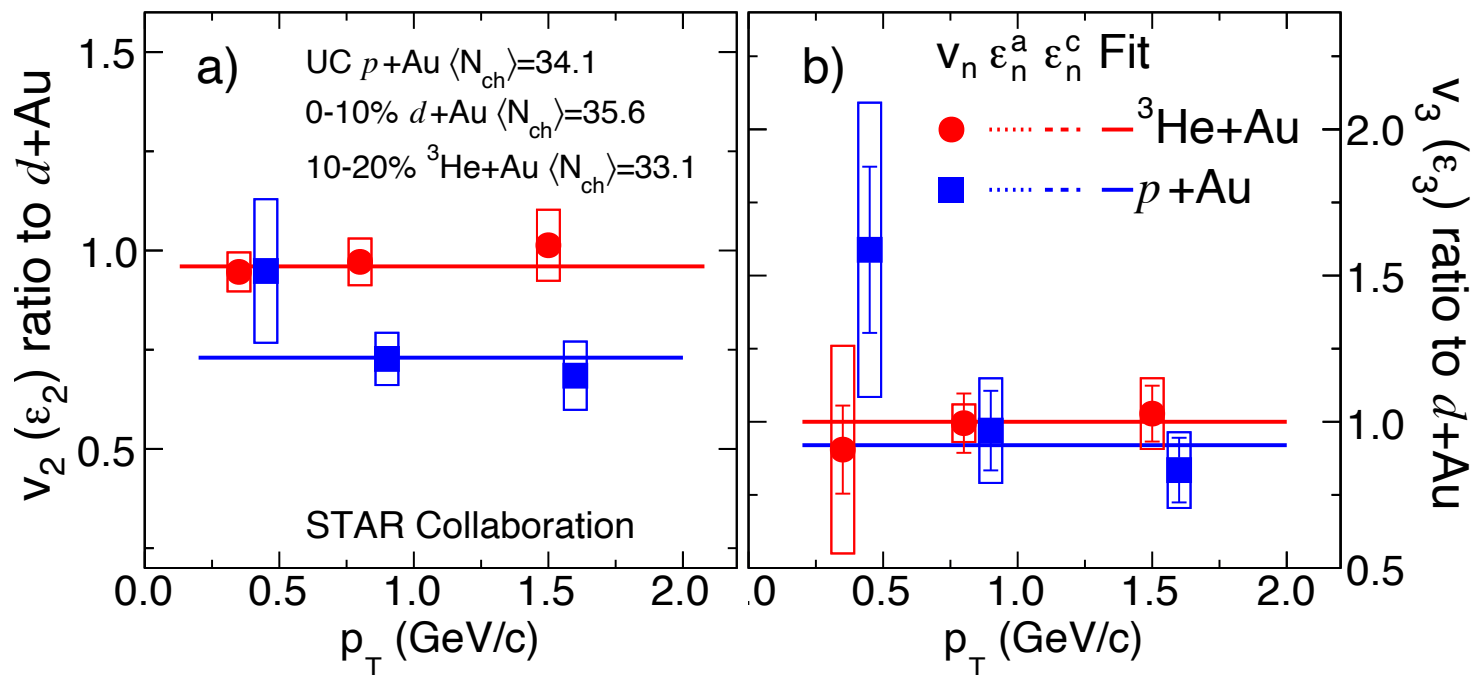
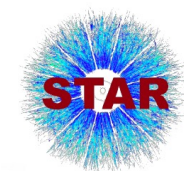
The final state contributions are expected to be largely canceled out when comparing similar multiplicity events

Studying the ratios of flow will be helpful to understand the initial spatial geometry and the contribution from the preflow

$$V_2(\text{HeAu}) \approx v_2(d\text{Au}) > v_2(p\text{Au})$$

$$V_3(\text{HeAu}) \approx v_3(d\text{Au}) \approx v_3(p\text{Au})$$

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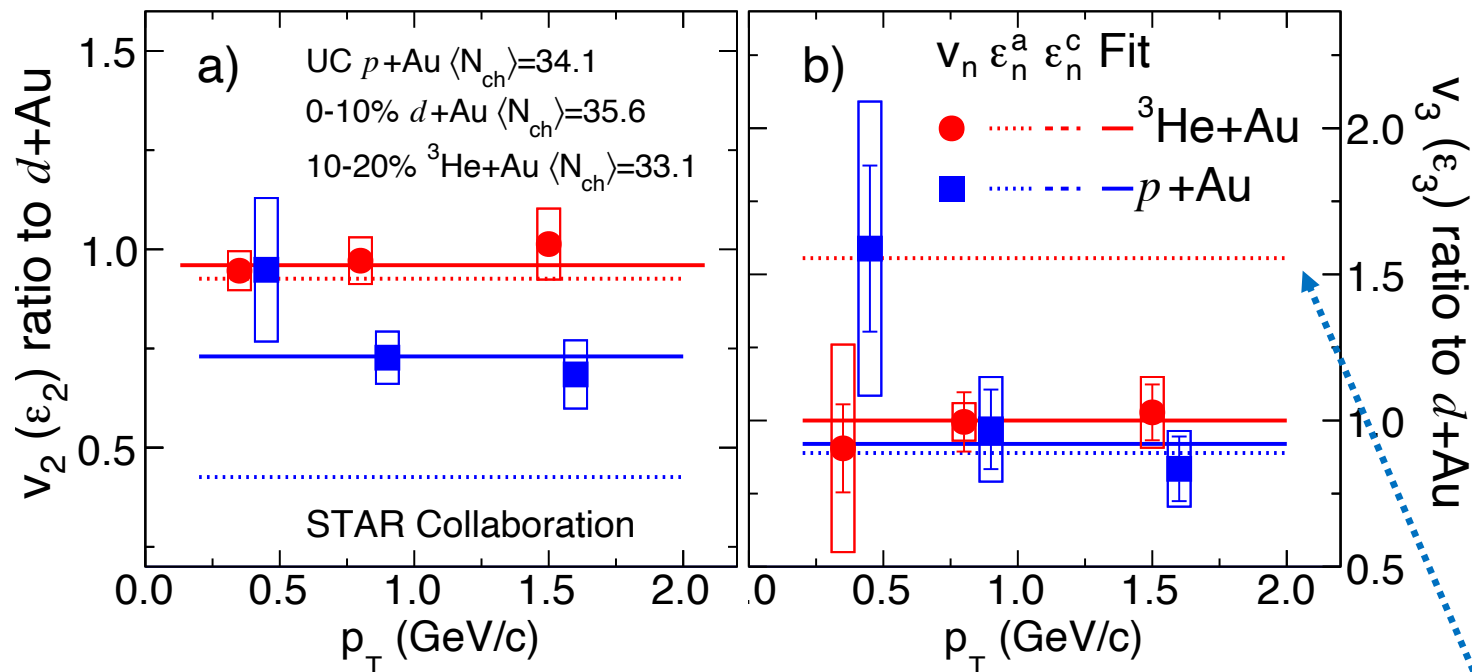
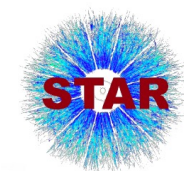
Studying the ratios of flow will be helpful to understand the initial spatial geometry and the contribution from the preflow

$$V_2(HeAu) \approx v_2(dAu) > v_2(pAu)$$

$$V_3(HeAu) \approx v_3(dAu) \approx v_3(pAu)$$

**Midrapidity  $v_3$  implies no difference in triangular fluid shape between systems**

# The system dependence



The final state contributions are expected to be largely canceled out when comparing similar multiplicity events

Studying the ratios of flow will be helpful to understand the initial spatial geometry and the contribution from the preflow

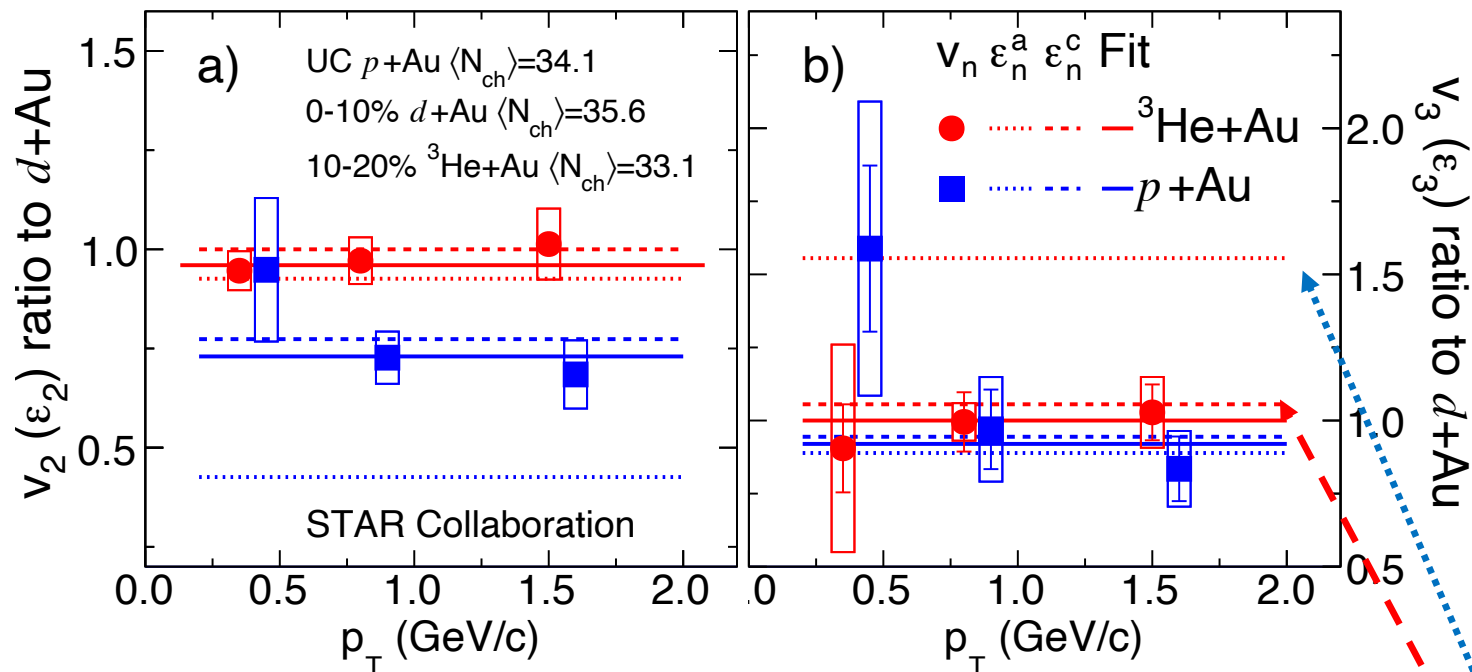
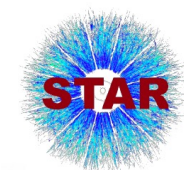
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*Two Base Lines: eccentricity ratios*  
 Eccentricity with nucleon fluctuation

	Nucleon Glauber $\epsilon_2(\epsilon_3)$	Sub-Nucleon Glauber $\epsilon_2(\epsilon_3)$
0-5% pAu	0.23(0.16)	0.38(0.30)
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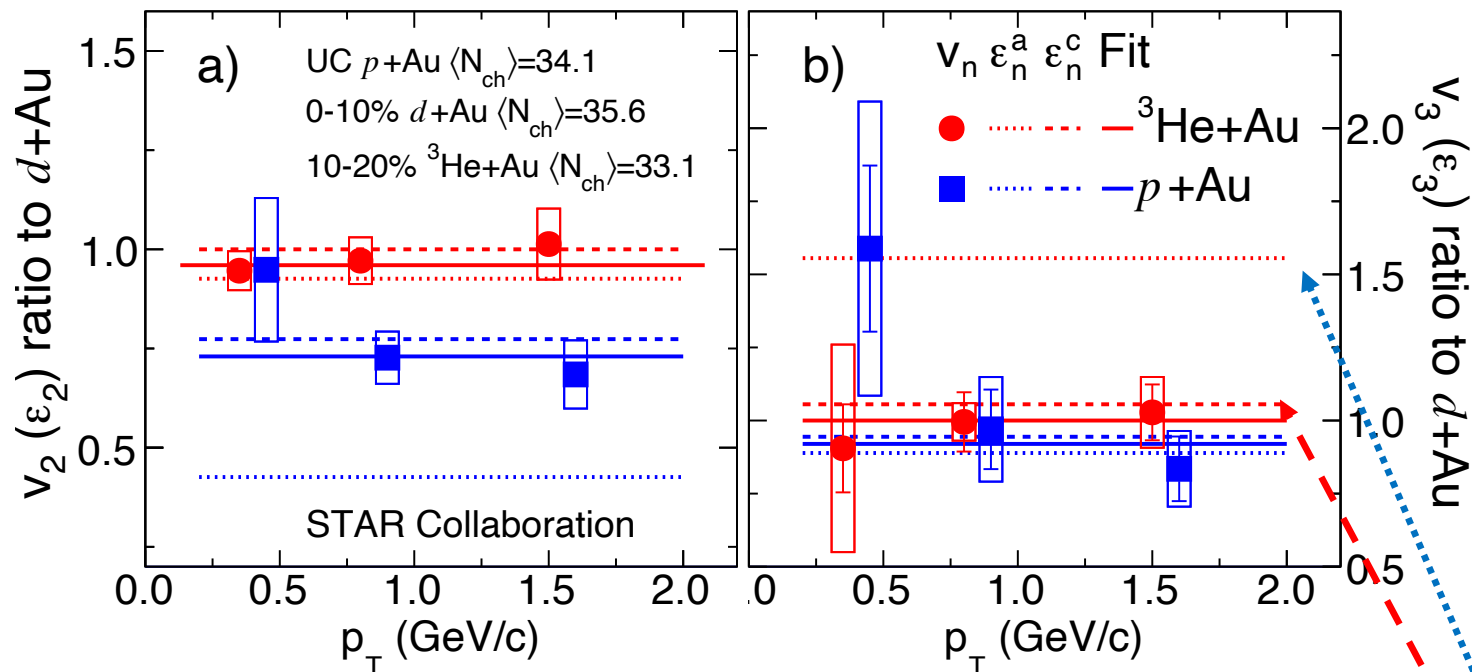
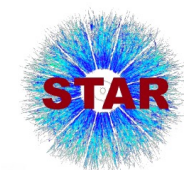
$$V_2(\text{HeAu}) \approx v_2(d\text{Au}) > v_2(p\text{Au})$$

$$V_3(\text{HeAu}) \approx v_3(d\text{Au}) \approx v_3(p\text{Au})$$

*Two Base Lines: eccentricity ratios*  
 Eccentricity with nucleon fluctuation  
 Eccentricity with nucleon+sub-nucleon

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# The system dependence



The final state contributions are expected to be largely canceled out when comparing similar multiplicity events

Studying the ratios of flow will be helpful to understand the initial spatial geometry and the contribution from the preflow

$$V_2(\text{HeAu}) \approx v_2(d\text{Au}) > v_2(p\text{Au})$$

$$V_3(\text{HeAu}) \approx v_3(d\text{Au}) \approx v_3(p\text{Au})$$

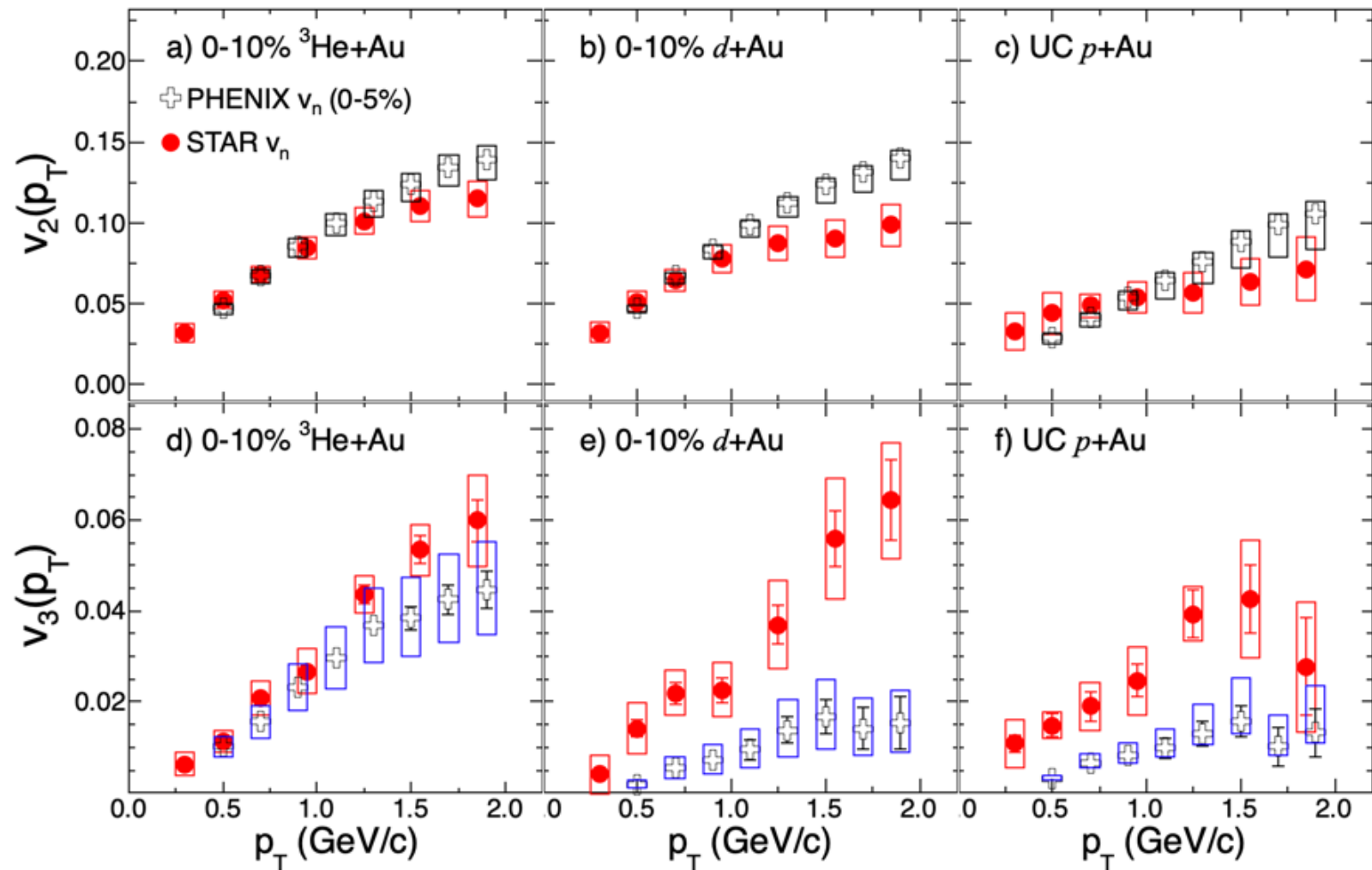
*Two Base Lines: eccentricity ratios*  
 Eccentricity with nucleon fluctuation  
 Eccentricity with nucleon+sub-nucleon

*Sub-nucleon fluctuation?*  
 or  
*Pre-flow?*

	Nucleon Glauber	Sub-Nucleon Glauber
	$\epsilon_2(\epsilon_3)$	$\epsilon_2(\epsilon_3)$
0-5% pAu	0.23(0.16)	0.38(0.30)
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0-5% ${}^3\text{He}+Au$	0.50(0.28)	0.52(0.35)



# Role of longitudinal decorrelation: 3D-Glauber model



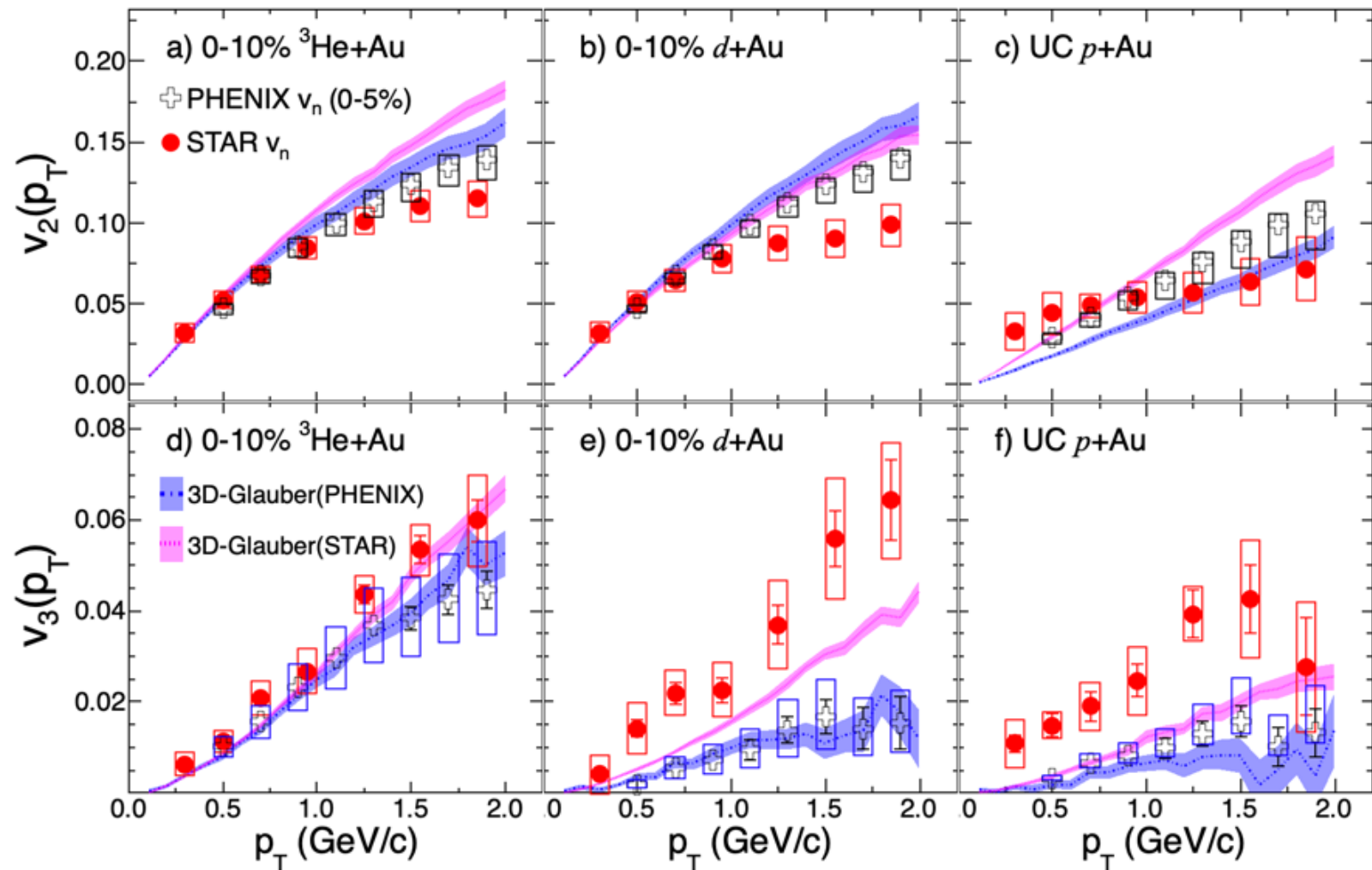
The STAR and PHENIX  $v_3$  for p/d+Au, show similar  $p_T$  dependence

✓ But magnitudes differ by a large factor

✓ System-independent STAR  $v_3$

✓ System-dependent PHENIX  $v_3$

# Role of longitudinal decorrelation: 3D-Glauber+MUSIC



The STAR and PHENIX  $v_3$  for p/d+Au, show similar  $p_T$  dependence

✓ But magnitudes differ by a large factor

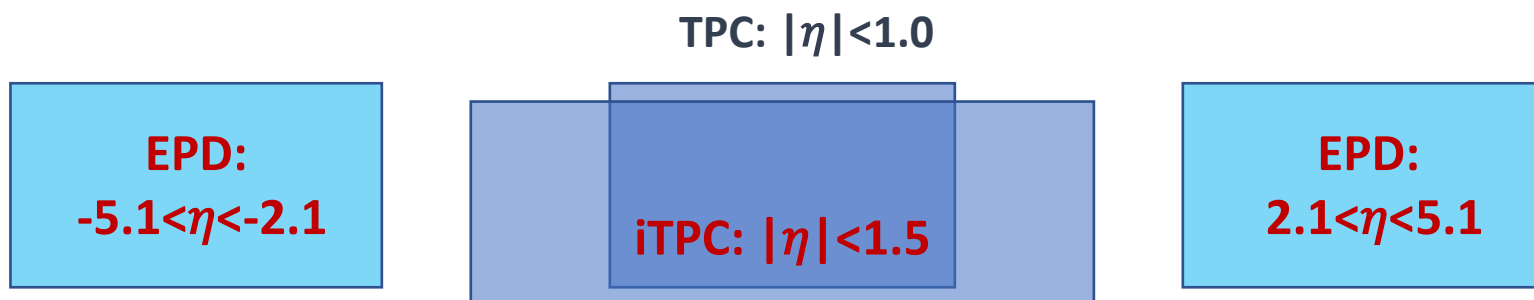
✓ System-independent STAR  $v_3$

✓ System-dependent PHENIX  $v_3$

3D Glauber + MUSIC indicates there are significant de-correlations in PHENIX  $v_3$  measurements

Model underestimates STAR and PHENIX  $v_3$  measurements in p+Au

# New d+Au Data 2021

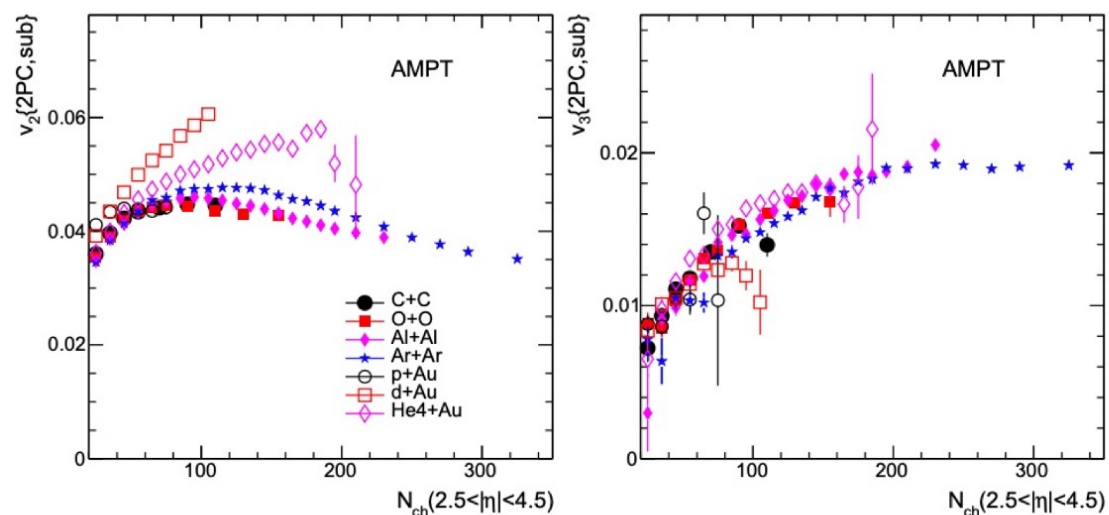
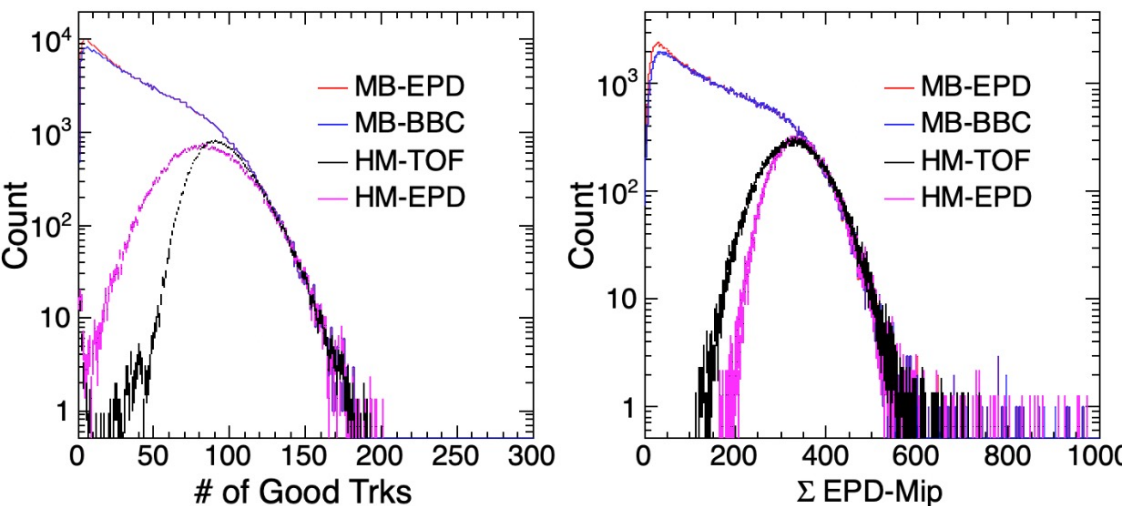


100M MB and 100M HM(0-5% selected by EPD) triggered events have been taken by STAR in 2021

Improved acceptance: iTPC ( $|\eta| < 1.5$ ) + EPD( $2.1 < |\eta| < 5.1$ )

Simultaneously measuring the mid-mid and mid-backward rapidity correlations

Further investigate the longitudinal decorrelation in small-sized system



- **STAR has taken 600M MB and 200M HM O+O events in 2021**
- ✓ Large rapidity coverage due to iTPC  $|\eta|<1.5$  and EPD( $2.1<|\eta|<5.0$ )
- ✓ Trigger on HM event at both middle and forward rapidity regions
- **Different flow behaviors between symmetric and asymmetric collision systems**
- **Disentangle the impact of the subnucleon fluctuations from the nuclear shape**

# Summary

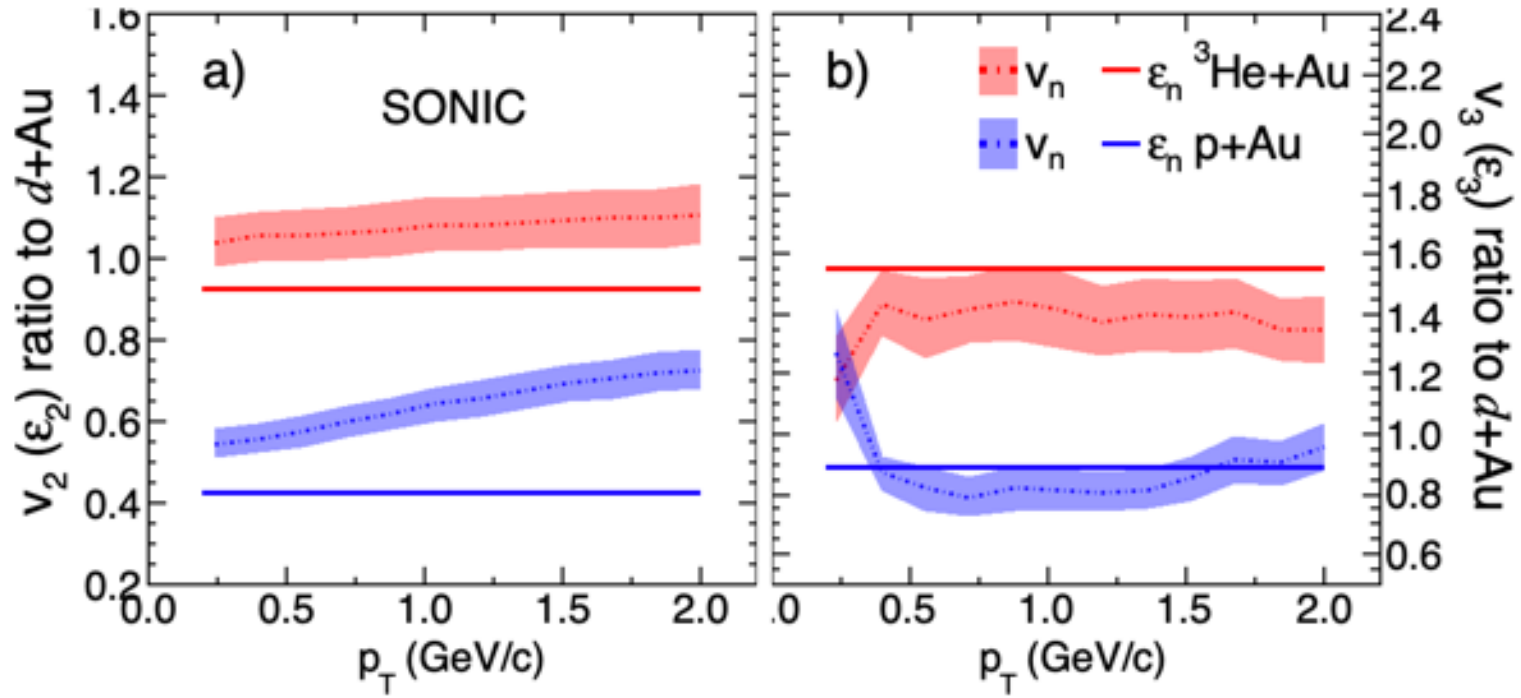
- The STAR experiment conducted measurements of  $v_2$  and  $v_3$  as a function of  $p_T$  in central p+Au, d+Au and  $^3\text{He}+\text{Au}$  collisions. The extracted flow signals were found to be consistent across four different non-flow subtraction methods.
- The observed  $v_3$  is system independent, suggesting a significant influence of sub-nucleon gluon field fluctuations on the initial geometry of small-sized systems. Although, longitudinal decorrelation and pre-flow effects need to be further investigated
- In the future, the availability of new d+Au and O+O data will provide additional information for studying the sub-nucleon structure, pre-flow and longitudinal decorrelations.

*Thanks!*

# Backup

# SONIC Hydro.

SONIC: P. Romatschke *Eur. Phys.J.C* 75, 305 (2015)

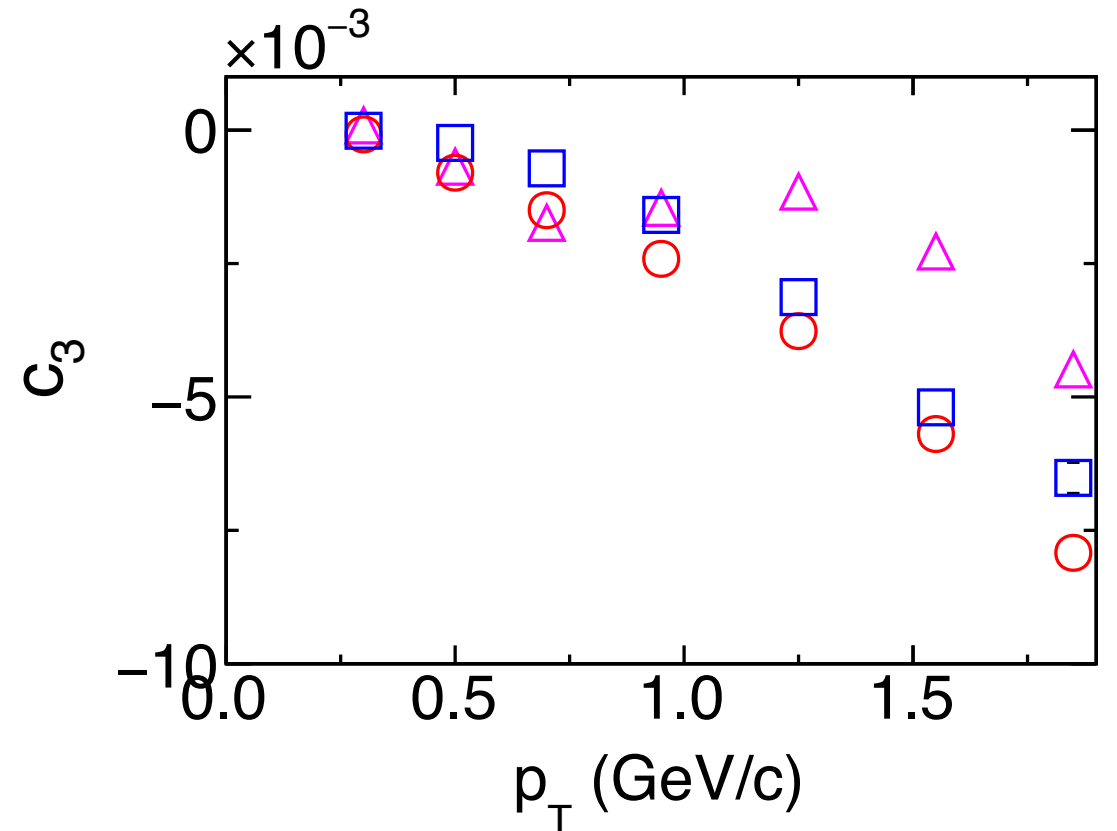
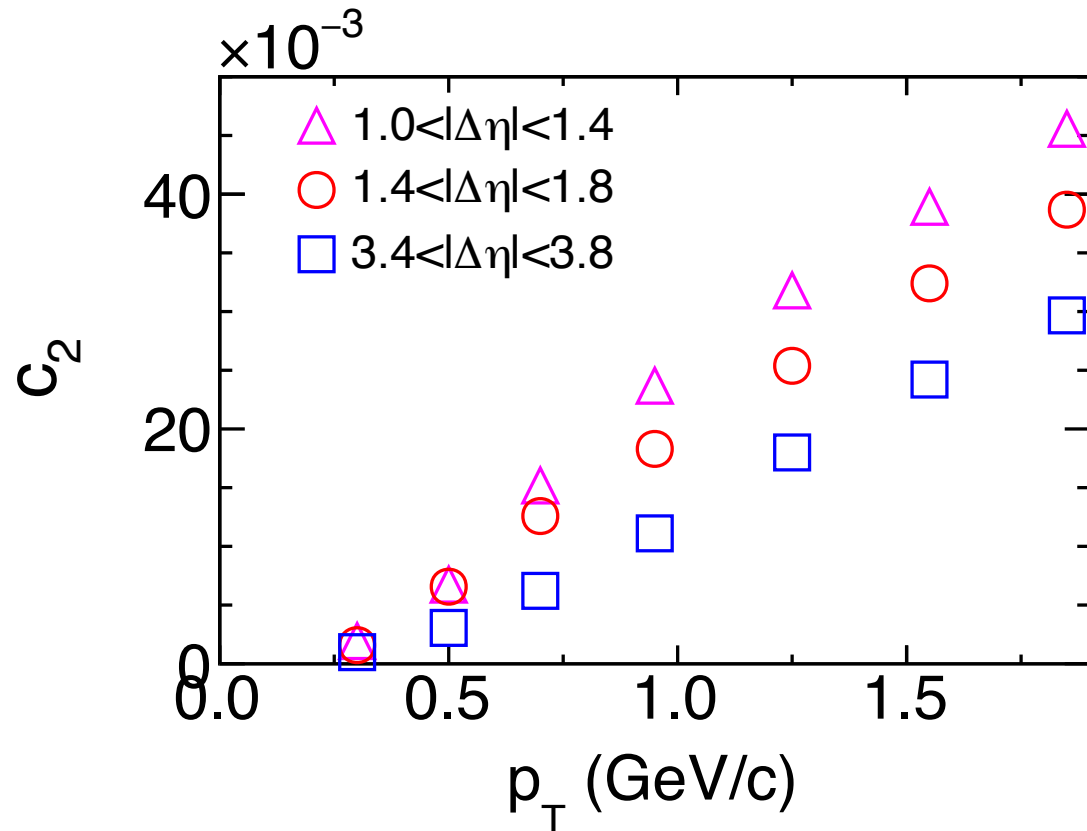


$v_n \propto \epsilon_n$  approximately holds for  $v_3$

On the other hand, the ratio  $v_2(pAu)/v_2(dAu)$  may be affected by different viscous correction functions or other dynamical effects

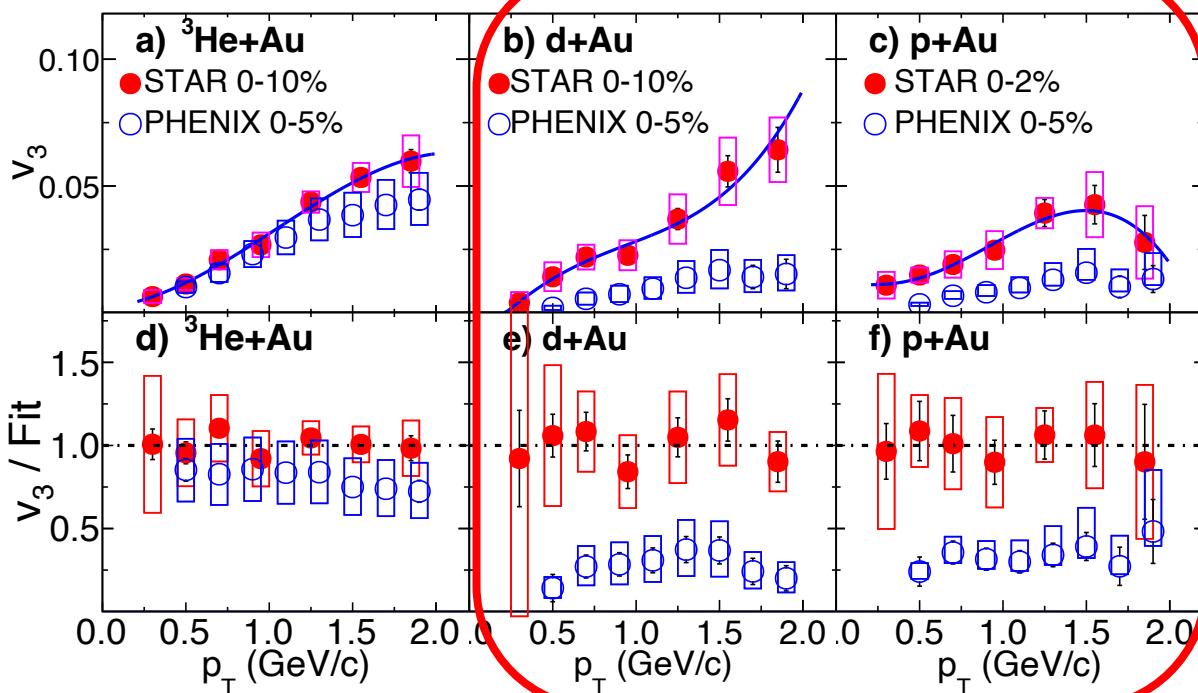
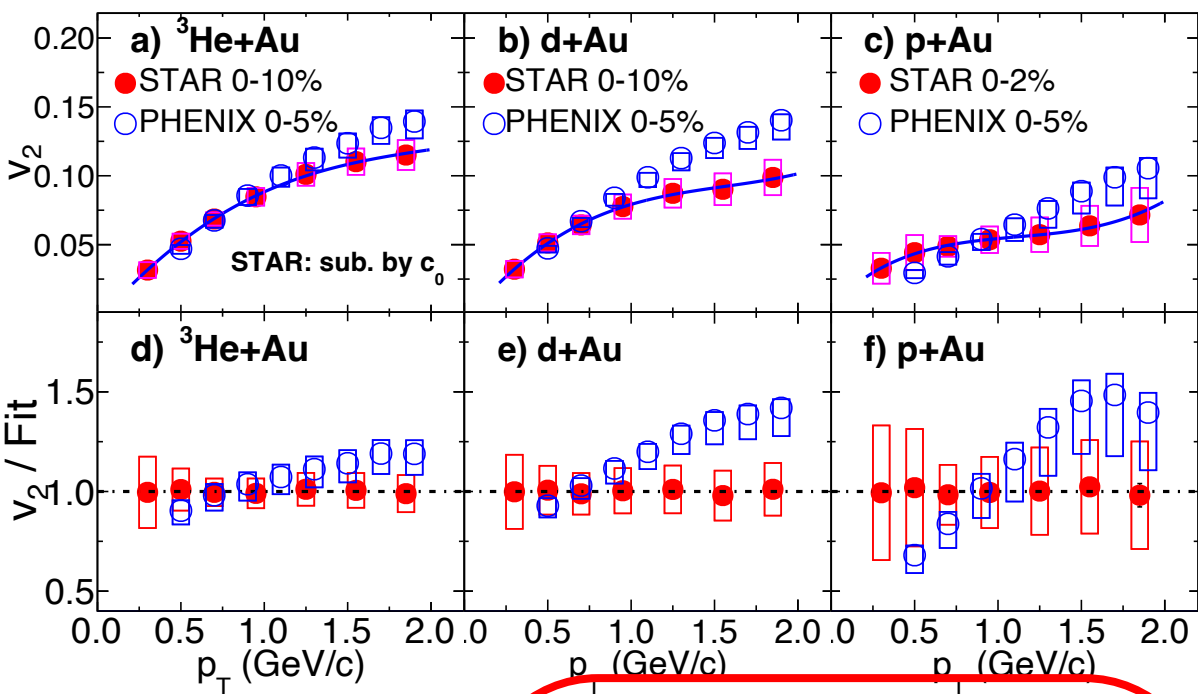
Studying  $v_n$  in  $p/d/{}^3He+Au$  collisions and their ratios can provide valuable insights into the initial spatial geometry and pre-equilibrium dynamics during the initial stage of the collision

# HIJING pp vs. $\eta$ Gap





## Detail Comparisons to PHENIX



➤ The STAR and PHENIX  $v_2$  and  $v_3$  for  $^3\text{He}+\text{Au}$ , show reasonable agreement

➤ The STAR and PHENIX measurements for  $v_2$  are also in reasonable agreement for  $\text{p}/\text{d}+\text{Au}$

- ✓ Some difference ( $\sim 25\%$ ) for  $p_T > 1 \text{ GeV}/c$  in  $\text{d}+\text{Au}$  and  $p_T < 1 \text{ GeV}/c$  in  $\text{p}+\text{Au}$

➤ The STAR and PHENIX  $v_3$  for  $\text{p}/\text{d}+\text{Au}$ , show similar  $p_T$  dependence

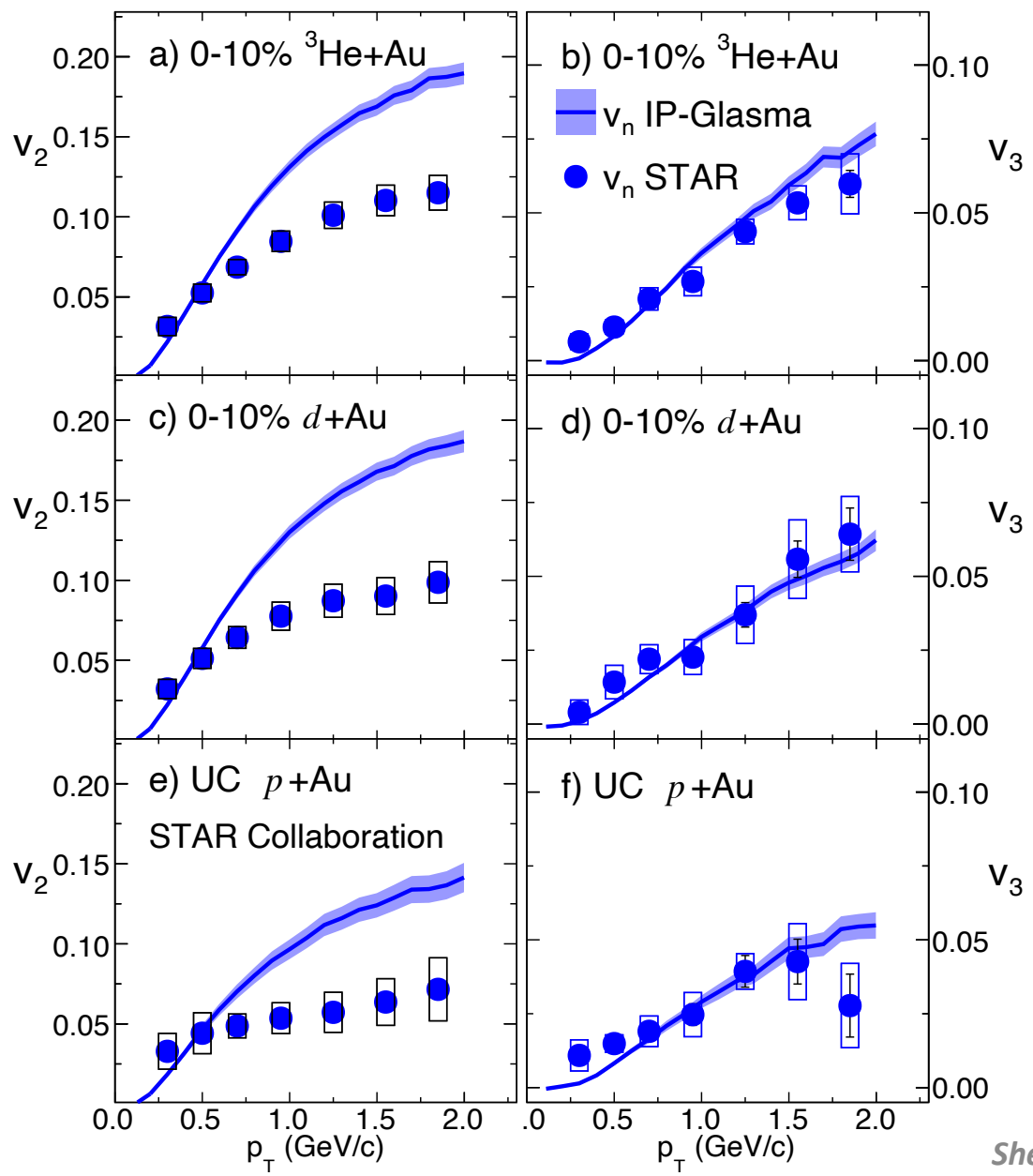
- ✓ But magnitudes differ by a factor of 3
- ✓ System-independent STAR  $v_3$
- ✓ System-dependent PHENIX  $v_3$

➤ *Longitudinal decorrelation effect?*

PHENIX: *Nature Phys.* 15, 214 (2019)

STAR: 2210.11352

# Comparison to IP-Glasma



- **IP-Glasma+Hydro** includes sub-nucleonic gluon field fluctuations + initial momentum correlation + pre-flow.
- It is tuned to describe the data for large-sized systems and then extrapolated to small-sized systems
- It overpredicts  $v_2$  but reproduces  $v_3$ . Larger  $\epsilon_2$  or strong pre-flow from IP-Glasma model ?
- STAR measurements provide useful constraints on model tuning in future

IP-Glasma+Hydro: [Phys. Lett. B 803, 135322 \(2020\)](#)

Model	a	b	c	d
	$\epsilon_2^a(\epsilon_3^a)$	$\epsilon_2^b(\epsilon_3^b)$	$\epsilon_2^c(\epsilon_3^c)$	$\epsilon_2^d(\epsilon_3^d)$
$^3\text{He+Au}$	0.50(0.28)	0.52(0.35)	0.53(0.38)	0.64(0.46)
$d\text{+Au}$	0.54(0.18)	0.51(0.32)	0.53(0.36)	0.73(0.40)
$p\text{+Au}$	0.23(0.16)	0.34(0.27)	0.41(0.34)	0.50(0.32)

# Isobar Vn

