

Dynamical higher cumulant ratios of net and total proton at STAR

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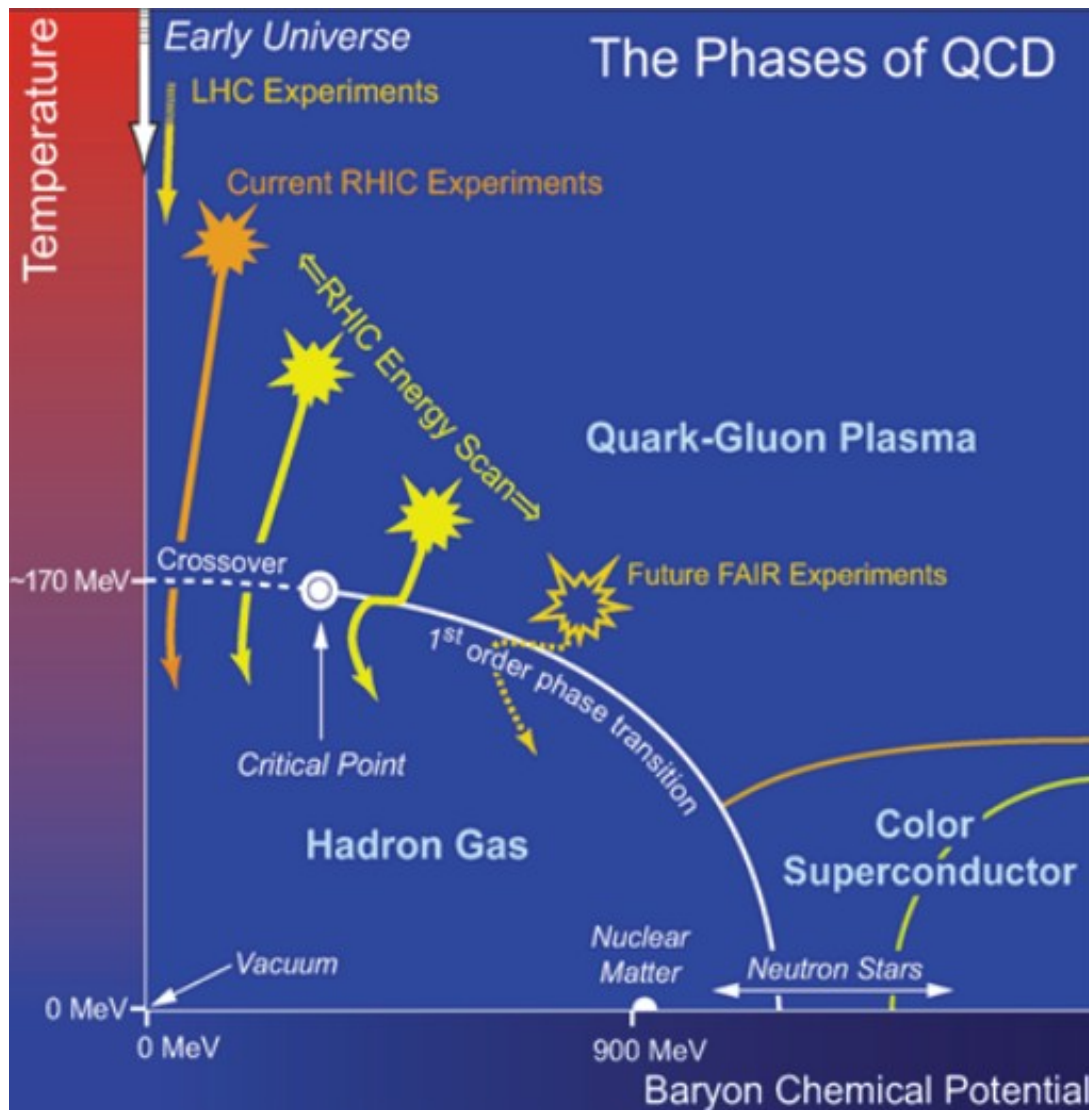
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- Motivation
- STAR detector and data sample
- Results and discussions
- Summary



- ◆ At $\mu_B = 0$, lattice QCD predict a crossover transition.

Y. Aoki et al., *Nature* 443, 675 (2006).

- ◆ QCD-based models indicate a first-order phase transition at large μ_B .

S. Ejiri et al., *Phy. Rev. D* 78, 074507 (2008).

- ◆ QCD critical point (QCP): The end point of the first-order phase transition boundary.

M. Stephanov, *Prog. Theor. Phys. Suppl.* 153, 139 (2004).
Z. Fodor et al., *J. High Energy Phys.* 050 (2004).

Experimental exploring:

RHIC Beam Energy Scan Program to search for the signatures of the QCP.

M. Aggarwal et al. (STAR Coll.), arXiv: 1007.2613.

◆ Sensitive observables of critical fluctuations: Higher cumulants of baryon distribution

Standard deviation: $\sigma = \sqrt{\langle (N - \langle N \rangle)^2 \rangle}$

M. Stephanov, Phys. Rev. Lett. 102, 032301 (2009).
C. Athanasiou et al. Phys. Rev. D 82, 074008 (2010).

Kurtosis: $\kappa = \frac{\langle (N - \langle N \rangle)^4 \rangle}{\sigma^4} - 3$

N : the net or total proton number in an event

$\langle \dots \rangle$: the average over the event sample

◆ Dynamical cumulant ratios:

Dynamical kurtosis = measured kurtosis – Poisson statistical part

Lizhu Chen, et al., J. Phys. G: Nucl. Part. Phys. 38, 115004 (2011).
M. Stephanov, arXiv: 1104.1627; Phys. Rev. Lett. 107, 052301(2011).
C. Athanasiou, K. Rajagopal, and M. Stephanov, arXiv:1006.4636.

◆ Poisson statistical parts:

● For net-proton, the ratios of Skellam distribution:

$$\kappa_{stat} = \frac{1}{\langle N_p \rangle + \langle N_{\bar{p}} \rangle},$$

● For total-proton, the ratios of Poisson distribution:

$$\kappa_{stat} = \frac{1}{\langle N_p \rangle + \langle N_{\bar{p}} \rangle}$$

Expected critical behavior

By describing fluctuations of the order parameter field σ near the critical point, the calculations of the Sigma model predicts that:

M. Stephanov, Phys. Rev. Lett. 107, 052301 (2011).

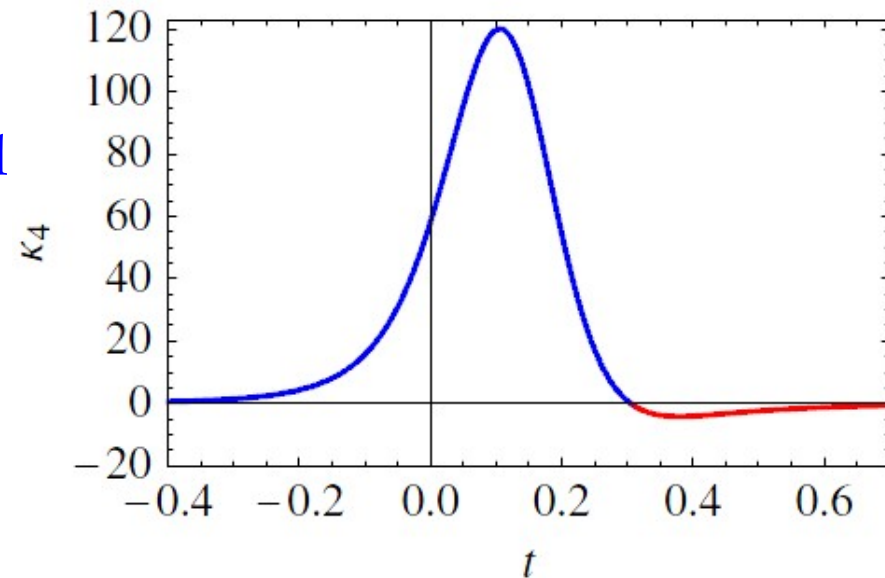
M. Stephanov, Phys. Rev. Lett. 102, 032301 (2009).

- Dynamical kurtosis is **universally negative** when the critical point is approached from the crossover side of the phase separation line.

critical contribution of the cumulant in the σ field

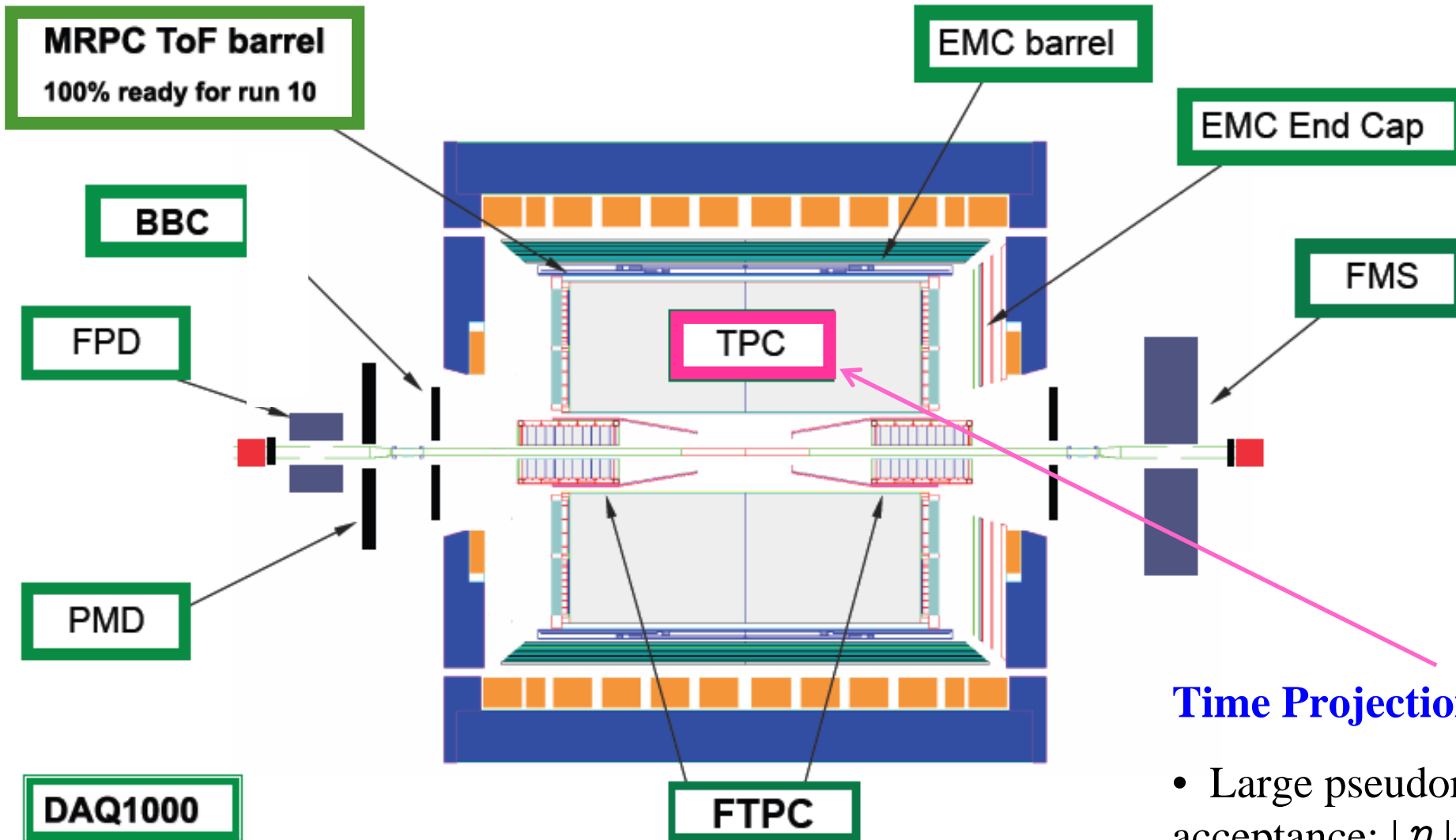
$$\langle (\delta N)^4 \rangle_c = \langle N \rangle + \langle \sigma_V^4 \rangle_c \left(\frac{gd}{T} \int_p \frac{n_p}{\gamma_p} \right)^4 + \dots$$

measured cumulant Poisson contribution



- The negative kurtosis should be firstly observed in **more peripheral collisions**, and/or sign change at low incident energy.

$t = \frac{T - T_c}{T_c}$ is the reduced temperature



Time Projection Chamber

- Large pseudorapidity acceptance: $|\eta| < 1$
- PID: Ionization Energy Loss (dE/dx).

Full azimuthal particle identification!

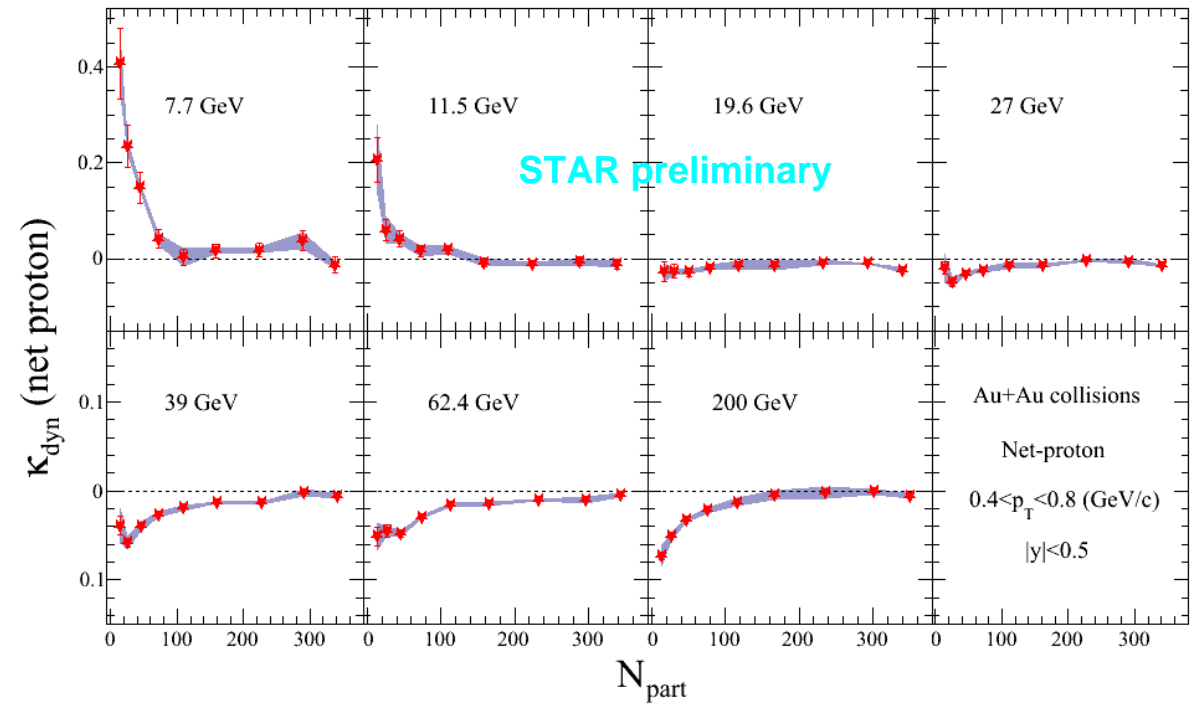
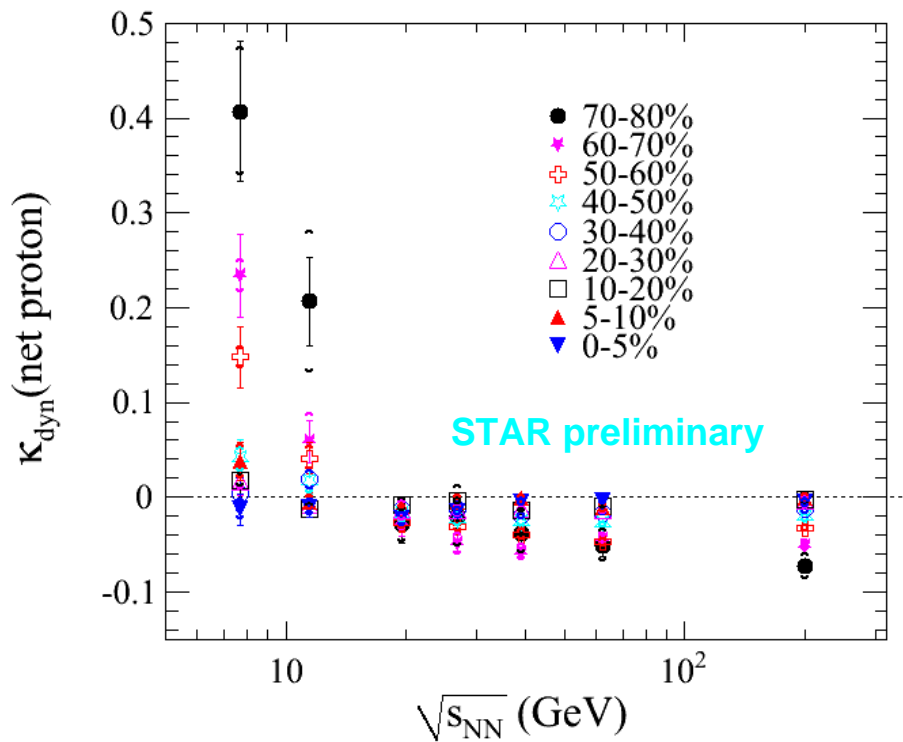
Au+Au collisions from 7.7 to 200 GeV
at RHIC/BES of year 2010 and 2011

- ◆ Particle Identification with Time Projection Chamber:
Protons/antiprotons are identified by ionization energy loss measured in
 $|y| < 0.5, 0.4 < p_T < 0.8 \text{ GeV}/c$.
- ◆ Centrality definition:
Use the multiplicity in $|\eta| < 0.5$, but excluding the protons/antiprotons to avoid auto-correlations.
- ◆ Statistical error estimation:
Delta theorem method

Used statistics

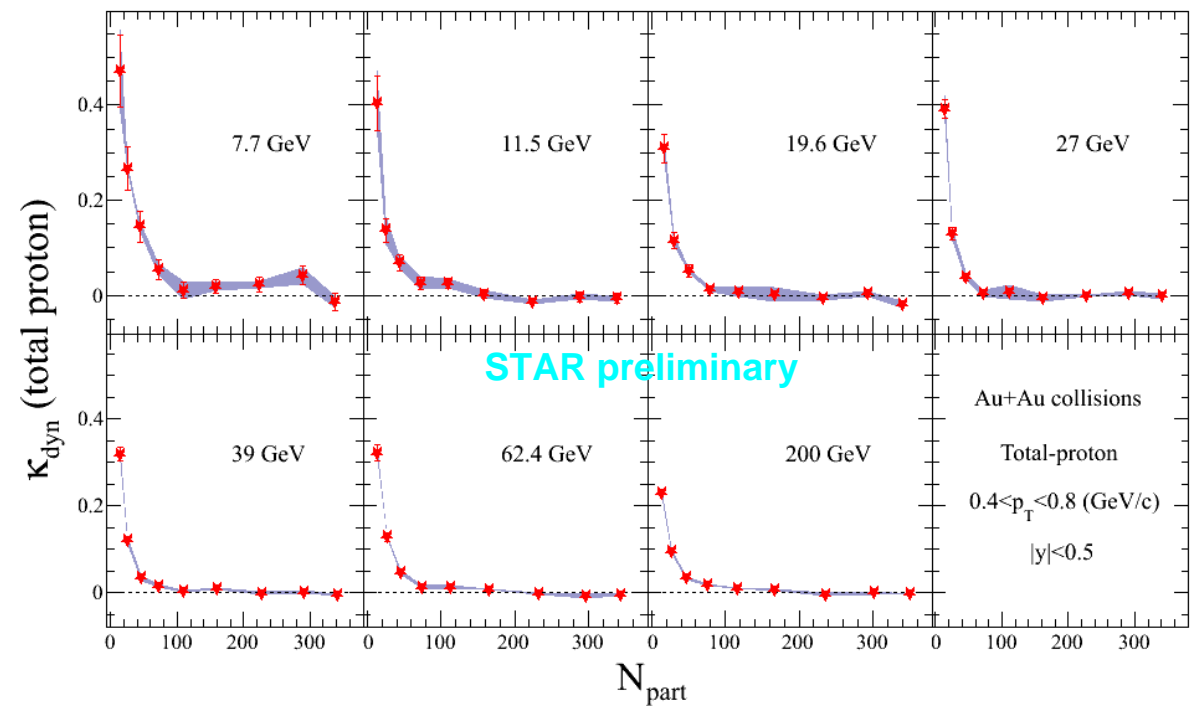
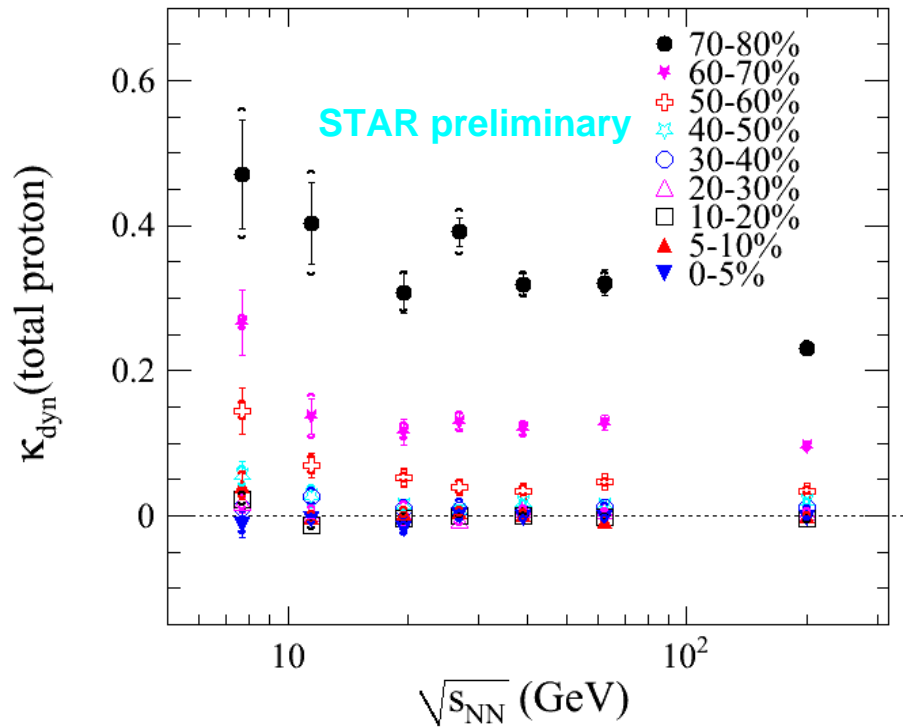
$\sqrt{s_{NN}}$ (GeV)	No. of Events (0-80%)
7.7	~2M
11.5	~7M
19.6	~15M
27	~30M
39	~87M
62.4	~47M
200	~242M

X. Luo, J. Phys. G 39, 025008 (2012) [arXiv: 1109.0593].

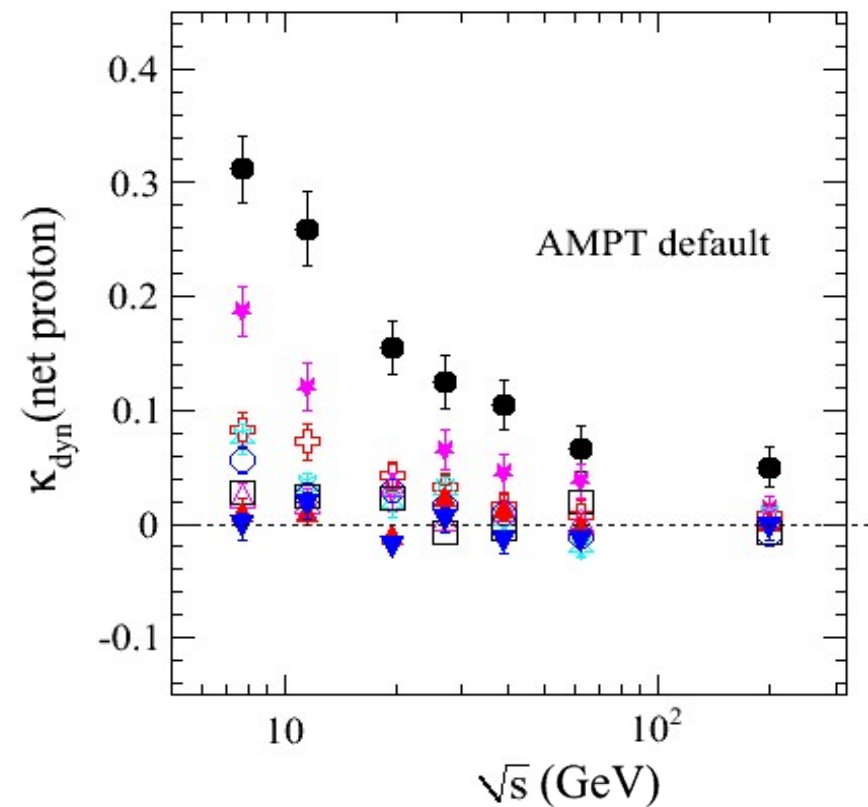
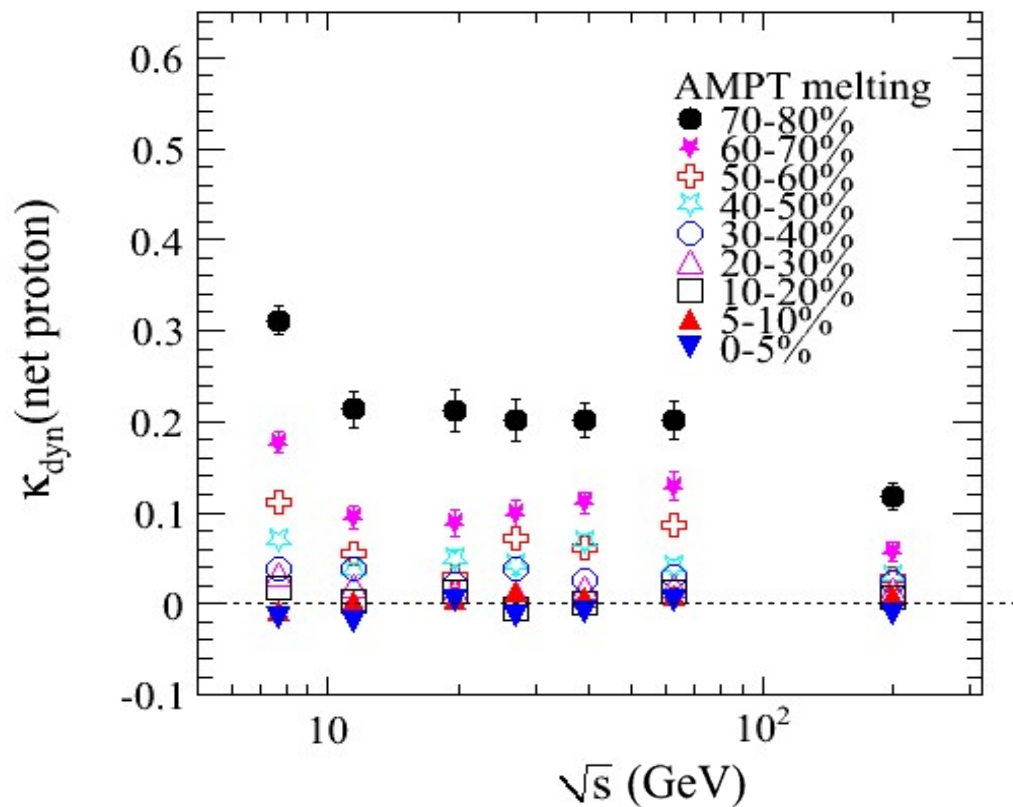


- Below 19.6 GeV, the dynamical kurtosis is **positive** in peripheral collisions, and increase towards more peripheral collisions.
- Above 19.6 GeV, the dynamical kurtosis turns to be **negative** in peripheral collisions.

M. Stephanov, Phys. Rev. Lett. 107, 052301 (2011).



- We observe a positive dynamical kurtosis for peripheral collisions at all energies.
- In central collisions, the dynamical kurtosis is around zero at all incident energies.
- In contrary to net-proton we **do NOT observe a sign change** for total-proton.



- The dynamical kurtosis is positive in non-central collisions at all incident energies.
- **No sign change** is observed for two settings of the AMPT model.

- In peripheral collisions, the sign of dynamical kurtosis of net-proton changes from negative to positive when incident energy decreases.
- In the contrary, the sign of dynamical kurtosis of total-proton in peripheral collisions keeps positive at all incident energies.
- From AMPT model calculations where no critical behavior is included, the dynamic kurtosis for net-proton is found to be positive in non-central collisions for all energies.

Thank you!