Baryon Stopping and Associated Production of Mesons in Au+Au Collisions at $\sqrt{s_{NN}} = 3.0$ GeV at STAR^{*}

BENJAMIN KIMELMAN (FOR THE STAR COLLABORATION)

University of California, Davis

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In these proceedings, we present the first measurements of identified charged hadrons in Au+Au collisions at $\sqrt{s_{NN}} = 3.0$ GeV. Results of baryon stopping, associated production of kaons, and the Coulomb potential of stopped protons are presented. Physics implications of these measurements are discussed.

1. Introduction

Relativistic heavy-ion collisions are a prime tool to probe the phase structure of strongly interacting matter under extreme conditions. The RHIC Beam Energy Scan II (BES-II) program has three primary goals: searching for the onset of the Quark-Gluon Plasma (QGP), studying the properties of the produced QCD matter, and locating the possible QCD phase boundary and critical endpoint [1].

Particle production has long been used to investigate the properties of 8 the produced QCD matter in heavy-ion collisions. The BES-II program g covers a wide range of energies, including the transition from a hadronic 10 dominated medium to a partonic dominated one, which has been predicted 11 to occur around $\sqrt{s_{NN}} = 7.7 \text{ GeV} [2]$. The BES-II program was designed to 12 improve and extend upon the results from the BES-I program. Of particular 13 interest is the high baryon density region which is accessible through the 14 STAR fixed-target program that extends the energy reach from $\sqrt{s_{NN}} = 7.7$ 15 GeV to $\sqrt{s_{NN}} = 3.0$ GeV. In these proceedings, the first measurements of 16 charged particle production in Au + Au collisions at $\sqrt{s_{NN}} = 3.0$ GeV are 17 presented. These data were collected in 2018 and contain 275M minimum-18 bias events. 19

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2. Charged Hadron Spectra

Charged hadron spectra are obtained using a combination of data from 21 the Time Projection Chamber (TPC) and barrel Time of Flight (bTOF). 22 The specific energy loss (dE/dx) can be obtained from the TPC and the 23 mass squared (m^2) can be obtained from the bTOF, both of which are 24 binned in rapidity (y), transverse mass $(m_T - m_0)$, and centrality. Each 25 bin is fit with multiple Gaussian distributions to determine the yield of the 26 particle of interest while accounting for contamination from other particle 27 species. 28

Invariant yields are obtained after correcting for the limited detector ac-29 ceptance and efficiency, which are obtained by embedding simulated tracks, 30 after passing through the GEANT simulation of the detector response, into 31 real data. Pion spectra are fit with a double thermal function in order to 32 extrapolate to the unmeasured region at low $m_T - m_0$; this same fit function 33 was used by the E895 experiment to describe the pion production from the 34 Δ -resonance at low $m_T - m_0$ and thermal production at high $m_T - m_0$ [3]. 35 Kaons are fit with a m_T-Exponential function to extrapolate to low $m_T - m_0$, 36 which assumes that enhancement effects due to Bose-Einstein statistics are 37 mostly canceled out by suppression effects from radial flow. Proton spectra 38 are fit with a Blast-Wave model [4] which describes the radial expansion 39 of the fireball assuming a cylindrical expansion. By integrating the yields 40 over the measured $m_T - m_0$ region and extrapolating to low $m_T - m_0$ the 41 rapidity density distributions (dN/dy) are obtained. 42

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3. Particle Production

In low energy collisions, particle production of hadrons has various different mechanisms and can be affected by final state effects. In this section, we discuss the Coulomb potential and its effect on the pion spectra, the ratio of K^-/K^+ and its implications for different hadron production mechanisms, and measurements of baryon stopping.

3.1. Coulomb Potential

The Coulomb potential of the fireball, while small, can affect the mo-50 menta distributions of charged hadrons. This effect will be most evident 51 for the charged pions as they are the lightest hadrons. Additionally, the 52 Coulomb potential should affect positively and negatively charged pions in 53 opposite ways: shifting π^+ to higher $m_T - m_0$ and π^- to lower $m_T - m_0$. By 54 taking a ratio of π^+/π^- as a function of $m_T - m_0$, the Coulomb potential can 55 be extracted using a model fit. The model incorporates the Bose-Einstein 56 nature of pions and an effective potential to account for the momentum 57

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Fig. 1: (a) Ratio of π^+/π^- at midrapidity in central Au+Au collisions at $\sqrt{s_{NN}} = 3.0$ GeV. The pion ratio is fit with a model accounting for the Bose-Einstein nature of pions and an effective potential to account for the momentum distribution of stopped protons [5]. (b) Coulomb potential extracted from the pion ratio at midrapidity plotted against the midrapidity proton dN/dy for the corresponding centrality bins. Power law fits are performed with free parameters (red) and with the power fixed based on a spherical source assumption (blue), indicating the source is non-spherical.

distribution of stopped protons [5] (which will be discussed further in Sec. 58 3.3). An example fit of the pion ratio with this model can be seen in Fig. 59 1a. From this fit, the Coulomb potential (V_C) and initial pion ratio (R_{init}) 60 can be extracted. This same procedure can be applied to all centralities to 61 obtain the Coulomb potential, which has been plotted against the midra-62 pidity proton dN/dy for each corresponding centrality bin in Fig. 1b. The 63 two curves represent power law fits, following a similar study done by the 64 HADES collaboration [6], indicating the source is non-spherical. 65

3.2. Associated Production of Kaons

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Production of kaons is more difficult than pions due to their strangeness 67 content. K^+ (which contain a \bar{s} quark) can be produced in association with 68 a Λ baryon $(N + N \rightarrow N + \Lambda + K)$, which is more energetically favorable 69 compared to pair production $(N + N \rightarrow N + N + K + K)$; however, both 70 production mechanisms are available for K^+ . K^- (which contain a s quark) 71 will not be produced via this associated mechanism as it would require the 72 production of a $\overline{\Lambda}$, which requires much more energy; therefore, K^- are 73 only produced in pairs with the K^+ . The ratio of K^-/K^+ indicates the 74 fraction of K^+ that are produced in pairs with the K^- , with the remainder 75 being produced in association with a Λ baryon. Figure 2 shows this ratio at 76

⁷⁷ midrapidity as a function of collision energy, which follows the trend seen in ⁷⁸ previous measurements [7–11]. It also shows that approximately 5% of K^+ ⁷⁹ are produced in a pair with a K^- , while the remaining 95% are produced ⁸⁰ in association with a Λ baryon at $\sqrt{s_{NN}} = 3.0$ GeV.

3.3. Baryon Stopping

Baryon stopping 82 when occurs par-83 ticipating nucleons 84 interact with each 85 other and lose en-86 ergy in the form of 87 rapidity. Measure-88 ments of this ra-89 pidity loss provide 90 a straight-forward way 91 to quantify the amount 92 of stopping. Fig-93 ure 3a shows the 94 proton dN/dy distri-95 bution for all cen-96 tralities, which ex-97 hibits a clear trend 98 of the peak shifting 99 from midrapidity in 100 central collisions to 101



Fig. 2: Ratio of K^-/K^+ at midrapidity in central collisions. This ratio indicates the fraction of K^+ produced in pairs with a K^- , which is only about 5% at $\sqrt{s_{NN}} = 3.0$ GeV, and approaches unity for higher energy collisions. The remaining K^+ are produced in association with a Λ baryon.

beam/target rapidity in peripheral collisions, indicating a change in the baryon stopping. Figure 3b shows the proton dN/dy in 0-5% central collisions, which is fit with two mirrored peaks determined by counting the number of collisions each participating nucleon takes part in a Monte-Carlo Glauber models, and smoothed using a Gaussian kernel. Stopping (δy) is defined as the shift of the projectile participant peak from beam rapidity, as demonstrated in Fig. 3b.

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The amount of stopping is obtained for all centrality classes and plotted in Fig. 4 against the average number of binary collisions divided by the average number of participants divided by two $\left(\frac{\langle N_{Coll} \rangle}{\langle N_{part} \rangle/2}\right)$ for the corresponding centrality class. This can be used to estimate the average rapidity loss of a nucleon for each binary collision. In central and mid-central collisions, a clear linear trend exists which, when fit with a line, has a slope of 0.19, indicating that in these centrality classes, each binary nucleon-nucleon collision

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Fig. 3: (a) Proton dN/dy for all centralities. The change in shape, with the peak shifting from midrapidity toward beam/target rapidity from central to peripheral collisions, indicates a change in the baryon stopping. (b) Proton dN/dy in central collisions fit with two mirrored peaks representing the projectile (blue) and target (green) participants. The stopping, δy , is defined as the shift of the projectile participant peak from beam rapidity.

causes an average loss of 0.19 ± 0.01 units of rapidity. In contrast, periph-



Fig. 4: Baryon stopping (δy) plotted against the average number of binary collisions per participant for all centrality classes. The linear trend in central and mid-central collisions indicates a constant average rapidity loss per binary collision of 0.19 ± 0.01 units. Peripheral collisions being above this average may indicate a larger rapidity loss from the first binary collision.

eral collisions fall above this linear trend, indicating each binary collision causes a larger rapidity loss. This could be explained by the first binary collision having a higher $\sqrt{s_{NN}}$ compared to successive ones, and therefore would cause a larger loss of rapidity. In these peripheral collisions where each nucleon undergoes very few binary collisions, we are perhaps seeing the larger impact of the first binary collision, which gets averaged out with more binary collisions seen in central collisions.

4. Summary

Spectra of identified π^{\pm} , K^{\pm} , and p have been measured in Au+Au 126 Fixed-Target collisions at $\sqrt{s_{NN}} = 3.0$ GeV with STAR. The final-state 127 Coulomb potential has been measured using the ratio of π^+/π^- , which 128 plotted against the proton dN/dy indicates that the source of the potential 129 is non-spherical. The ratio of K^-/K^+ has been measured and indicates 130 that only 5% of K^+ are produced thermally in pairs with K^- , and the 131 remaining 95% are produced in association with the Λ baryon. Finally, 132 baryon stopping has been measured using protons and indicates that each 133 participant has an average loss of 0.19 units of rapidity per nucleon-nucleon 134 collision in central and mid-central collisions, whereas peripheral collisions 135 have a higher average rapidity loss, possibly due to a larger rapidity loss 136 from the first binary collision. 137

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