

Systematics of Kinetic Freeze-out Properties in High Energy Collisions from STAR

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### Outline:

- Introduction & Motivation
- STAR Experiment and Particle Identification
- Invariant Yields and Average Transverse Mass
- Blast Wave Fits
- Summary





# **RHIC BES Program: Motivation**

Explore QCD Phase Diagram: - Search signals of possible phase boundary

- Search for softening of EOS
- Search for the possible QCD Critical Point

#### **BES-I** findings:

Many interesting features as a function of beam energy/chemical potential







## Freeze-out in Heavy-ion

### **Chemical Freeze-out:**

Inelastic collisions among particles cease

- Particle yields and ratios get fixed
- Chemical freeze-out temperature and baryonic chemical potential

### Kinetic Freeze-out:

Elastic collisions among particles cease

- Particle spectral shapes get fixed
- Kinetic freeze-out temperature
  And average transverse flow velocity
  1. J. Steinheimer et al. PRL 110, 042501 (2013)
  2. S. Chatterjee et al. PLB 727, 554 (2013)
  3. K. Bugaev et al., EPL 104, 22002 (2013)



Beyond single (chemical) freeze-out:

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## **STAR Experiment**







### **Particle Identification**







**Invariant Yield** 







### Average Transverse Mass



<m<sub>T</sub>> - m is almost constant around BES energies for π, K, p
Thermodynamic system: T ~ <m<sub>T</sub>> - m, Entropy ~ dN/dy ∝ log( $\sqrt{s_{NN}}$ )
L. Van Hove, Phys. Lett. B 118, 138 (1982)



# **STAR** Kinetic Freeze-out: Blast Wave Model

Elastic collisions among the particles stop and the momentum distribution gets fixed

Blast-Wave (BW) Model:

$$\frac{dN}{p_T dp_T} \propto \int_0^R r dr m_T I_0 \left(\frac{p_T \sinh \rho(r)}{T_{kin}}\right) \times K_1 \left(\frac{m_T \cosh \rho(r)}{T_{kin}}\right)$$

I0, K1: Modified Bessel functionsE. Schnedermann, J. Sollfrank, and U.<br/>W. Heinz, Phys. Rev. C 48, 2462 (1993). $\rho(r) = tanh^{-1}\beta$ , r/R: relative radial position; R: radius of fireball<br/> $\beta$ : transverse radial flow velocity, Tkin: Kinetic freeze-out temperature

- Hydrodynamic based model
- Assumes particles are locally thermal at a kinetic freeze-out temperature and moving with a common radial flow velocity
- ↔ Momentum distributions are fitted simultaneously with BW ↔ Two main parameters: T<sub>kin</sub> and <β>





## Blast Wave Fits: π, K, p







### Centrality Dependence: $T_{kin}$ and $<\beta>$



#### T<sub>kin</sub> decreases from peripheral to central collisions -- Longer lived fireball in central collisions

<β> increases from peripheral to central collisions -- More rapid expansion in central collisions





 $T_{kin}$  versus < $\beta$ >



STAR : PRC 79 (2009) 034909; ALICE: PRC 88, 044910 (2013)

Anti-correlation:  $T_{kin}$  increases,< $\beta$ > decreases and vice-versa





### Energy Dependence: $T_{kin}$ and $<\beta>$



 $\diamond$  <  $\!\beta\!\!>$  similar at low BES energies and then increases for higher energies up to LHC







### BW Fits: Including $\Lambda$ and $\Xi$







Particles:  $\pi^+$ , K<sup>+</sup>, p,  $\Lambda$ ,  $\Xi^-$ ; Antiparticles:  $\pi^-$ , K<sup>-</sup>, pbar,  $\Lambda$ bar,  $\Xi^+$ 



♦ Interesting trends at lower energies but errors are large
 ♦ More detailed studies underway…





### **Current Status of Phase Diagram**



chemical and kinetic freeze-out

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## Summary

❑ Systematic study of kinetic freeze-out properties in heavy-ion collisions (µ<sub>B</sub>: 20-400 MeV)

 $\Box$  T<sub>kin</sub> and < $\beta$ > show anti-correlation:

- T<sub>kin</sub> decreases towards central collisions
   -- longer lived fireball
- < $\beta$ > increases towards central collisions
  - -- more rapid expansion
- $\hfill\Box\hfill\hf$ 
  - Decreases for higher energies
  - Difference b/w  $T_{ch}$  and  $T_{kin}$  is large at lower  $\mu_B$ 
    - -- effect of hadronic interactions b/w chemical and kinetic FO



 $\Box$  < $\beta$ > is almost constant for lower BES energies and increases for higher energies : <m<sub>T</sub>> - m for  $\pi$ , K, p also shows similar behavior





## Thanks to STAR Collaboration







## Back up





Statistical-Thermal Model (THERMUS):

$$n = \frac{1}{V} \frac{\partial (T \ln Z)}{\partial \mu} = \frac{V T m_i^2 g_i}{2\pi^2} \sum_{k=1}^{\infty} \frac{(\pm 1)^{k+1}}{k} \left( e^{\beta k \mu_i} \right) K_2 \left( \frac{k m_i}{T} \right)$$

 $\beta$ =1/T; -1(+1) for fermions (bosons), Z=partition function; m<sub>i</sub> = mass of hadron species i; V = volume; T = Temperature;

 $K_2 = 2^{nd}$  order Bessel function;

 $g_i^-$  = degeneracy;  $\mu_i$  = chemical potential

Fitted particle ratios with THERMUS

Used grand-canonical approach

> Two main parameters: 
$$T_{ch}$$
 and  $\mu_B$ 





## BW fits (data/model)







# BW fits (data/model)







### Energy dependence: fits with $\Lambda$ and $\Xi$

BW fits include:  $\pi$ , K, p,  $\Lambda$ ,  $\Xi$  and corresponding antiparticles







BW fits include:  $\pi$ , K, p only and corresponding antiparticles



