

Event-shape engineering of chargedhadron spectra in heavy-ion collisions at $\sqrt{s_{NN}} = 200$ GeV at STAR



Isaac Mooney (isaac.mooney@yale.edu), Yale University / BNL, for the STAR Collaboration

Abstract

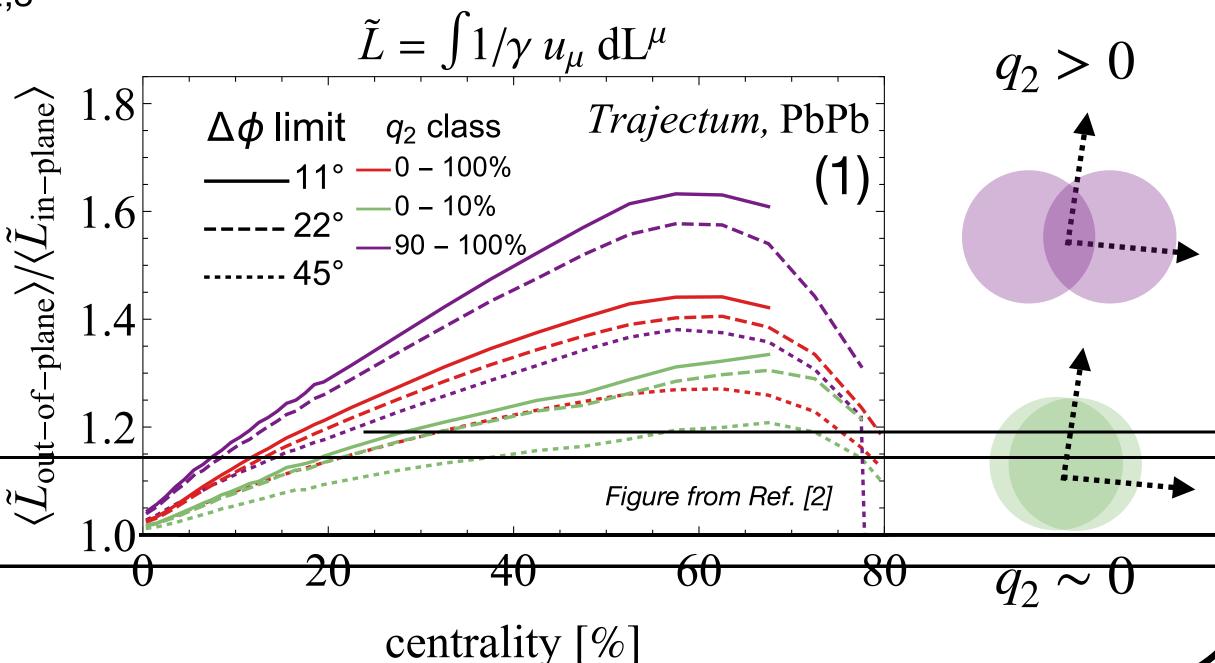
Partonic scatterings with high momentum transfer occur before the formation of the quark-gluon plasma (QGP) in heavy-ion collisions and result in collimated collections of hadrons, called jets. The modification of the high-virtuality parton shower in the QGP compared to that in proton-proton collisions offers insight into the nature of colored probes' interaction with the medium. To study the path-length-dependent effects on high-momentum partons traveling through the QGP, we apply a technique known as event-shape engineering to data from Au+Au collisions at $\sqrt{s_{NN}} = 200 \text{ GeV}$ at STAR. Charged-hadron spectra are compared within a given eccentricity and centrality class. By selecting on the centrality, we minimize the effect from variation in energy density. Work is ongoing to compare charged-hadrons traveling in the event-plane direction (having shorter path length) to those traveling perpendicular to it (having longer path length) in different eccentricity classes to access the dependence of energy loss on the collision geometry.

Motivation

Jet-medium interaction influenced by path length, L Goal: control system geometry at fixed energy density.

→ fix centrality, vary geometry with "event shape engineering" 1 Possible by relation between final-state flow (q_2 , 2nd order reduced flow vector) and initial-state eccentricity (ε)

Access path-length dependence: comparing yields in/out of event plane^{2,3}



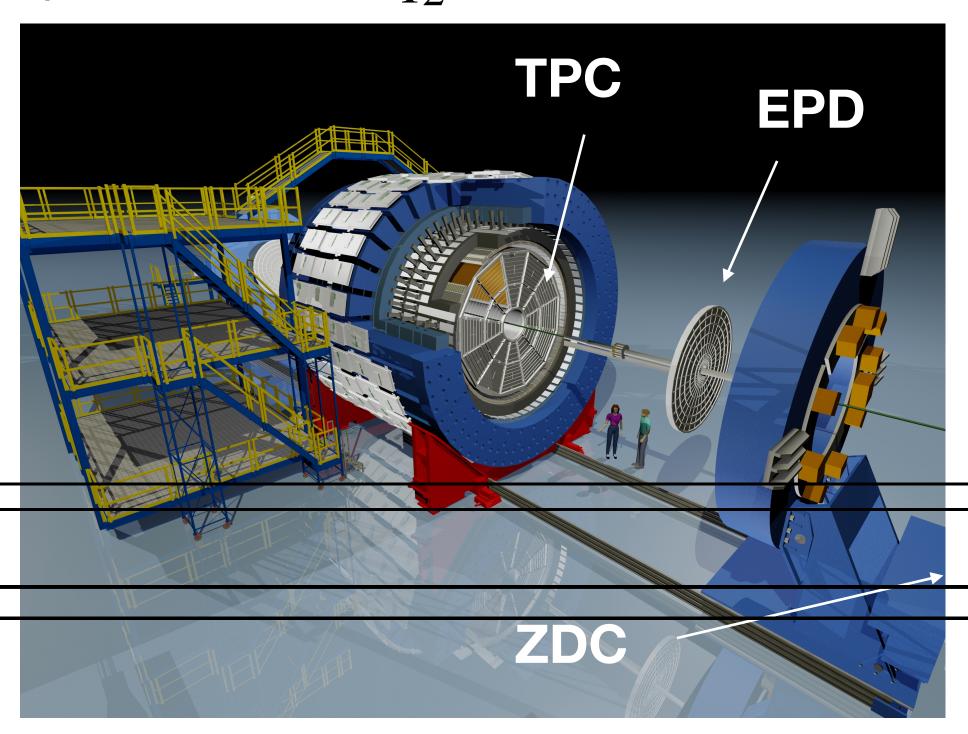
The STAR Experiment

<u>Time Projection Chamber</u> (iTPC) ($|\eta| < 1.5$):

Charged-track POI (particles of interest) reconstruction + momentum determination

Zero Degree Calorimeter (ZDC) (18 m): Triggering Event Plane Detector (EPD):

West $(2.15 < \eta < 5.09)$: flow (q_2) determination East: EP angle (Ψ_2)



Event characterization

$$Q_2 = (\sum_{i=1}^{N} w_i \cos(2\phi_i), \sum_{i=1}^{N} w_i \sin(2\phi_i)), q_2 = |Q_2|/\sqrt{M},$$

$$w_i : \text{nMIP weight}, M: \text{multiplicity}$$

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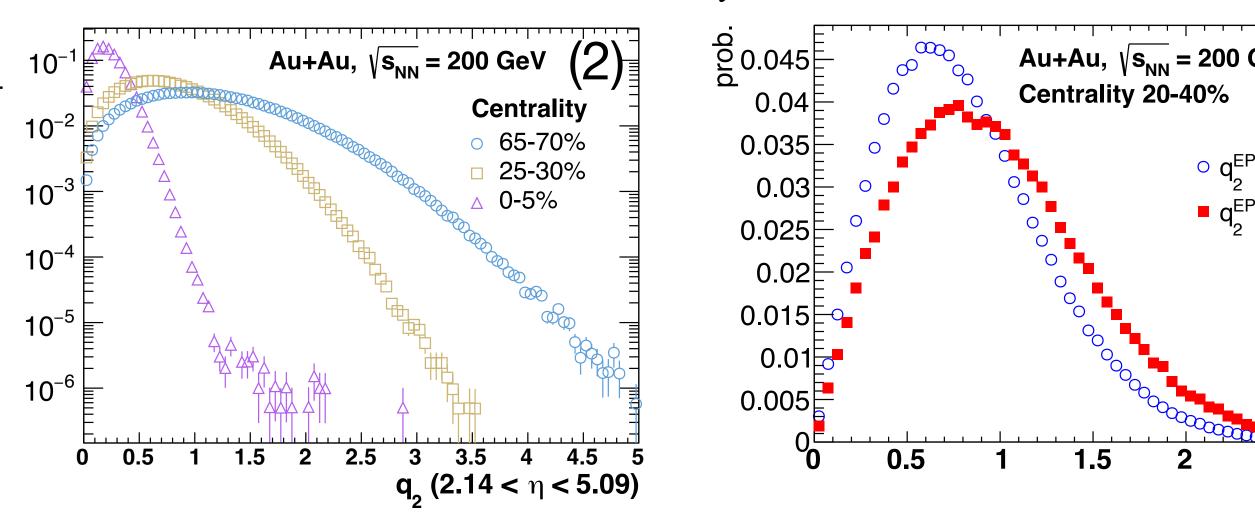
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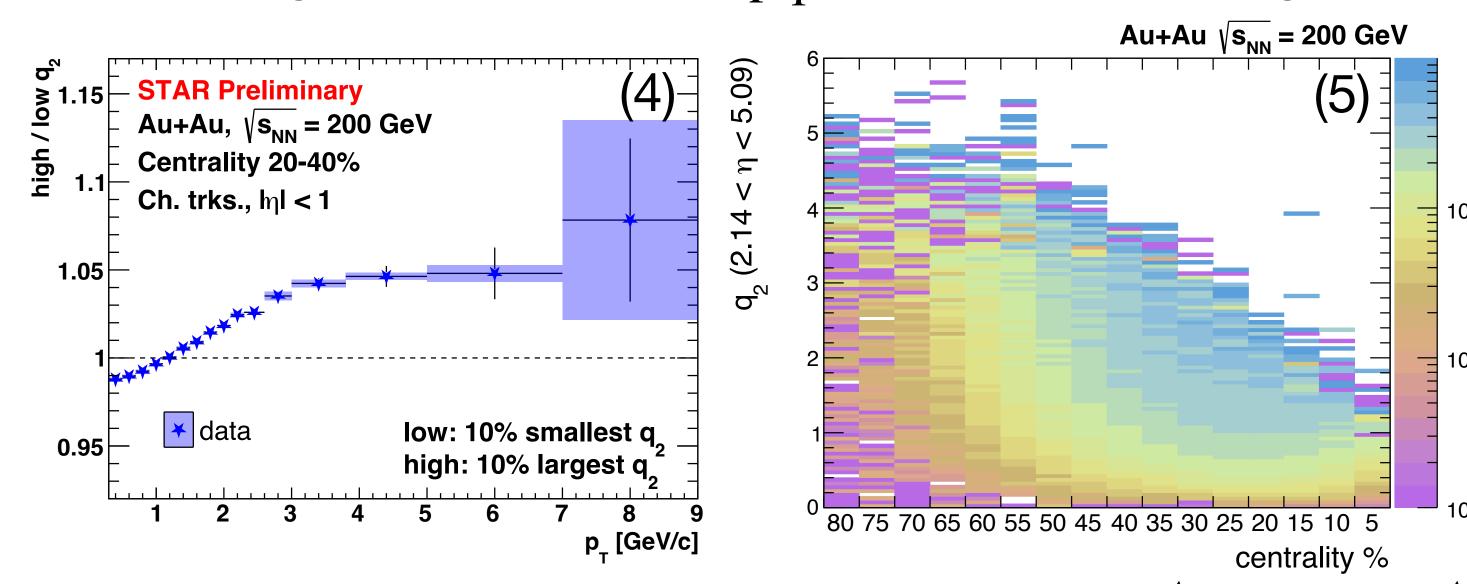
$$Q_4 = (\sum_{i$$



- Centrality and $\langle q_2 \rangle$ are correlated. For given centrality, large variation in event shapes (fig. 2).
- Avoid autocorrelation: EPDW (q_2) , TPC (POI), EPDE (Ψ_2)
- Select on 10% highest/lowest q_2 (eccentricity) events, and compare charged-hadron spectra
- Systematic uncertainty on spectrum ratio (switch East, West q_2 ; correlation observed — fig. 3)

Charged-hadron spectra comparisons

 Fig. 4: Interplay between elliptic and radial flow → hardening of spectra at mid- $p_{\rm T}$. Ratio flattens at high-p_T



- Analysis steps to access L dependence: Flatten EP distribution, divide spectra:
- $\phi_{\rm EP} \pm \pi/6$ ('in'), $(\phi_{\rm EP} + \pi/2) \pm \pi/6$ ('out')
- Apply resolution correction (based on fig. 5)
- Determine full set of systematics (3-subevent⁵, etc.)
- Outlook: out/in ratio for mid-central low- vs. high- q_2 events: difference in ratio would indicate path-length-dep. $E_{\rm loss}$
- Results: hardening of spectra in high- q_2 events; flatten at high- p_T where differential quenching expected to be minimal by average path-length argument. Consistent with ALICE 2.76 TeV⁴.
- · Work ongoing to select on the event plane angle to allow for comparison between longer and shorter path length

¹Schukraft, Timmins, Voloshin, PLB 719 (2013), 394-398 ²Beattie, Nijs, Sas, van der Schee, PLB 836 (2023), 137596 ³ALICE, PLB 851 (2024), 138584 ⁴ALICE, PRC 93 (2016) 3, 034916 ⁵Festanti, PhD thesis







