

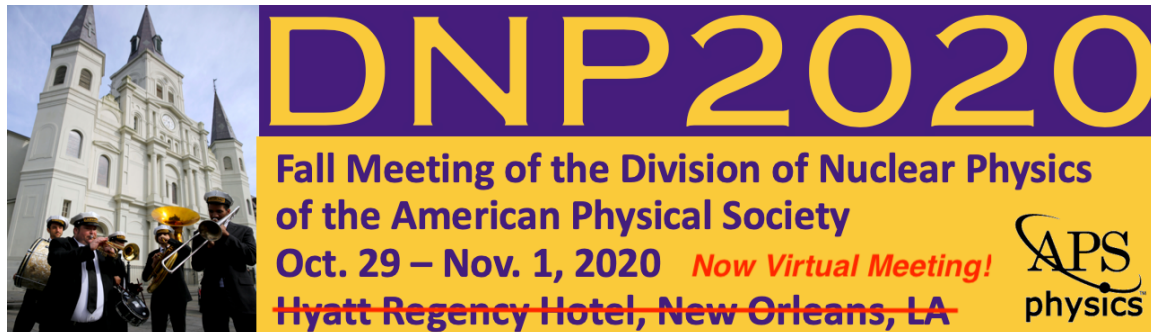
# Beam-energy dependence of flow correlations in heavy-ion collisions

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Science

## ➤ Introduction

- ✓ Motivation
- ✓ The STAR experiment
- ✓ Analysis methods

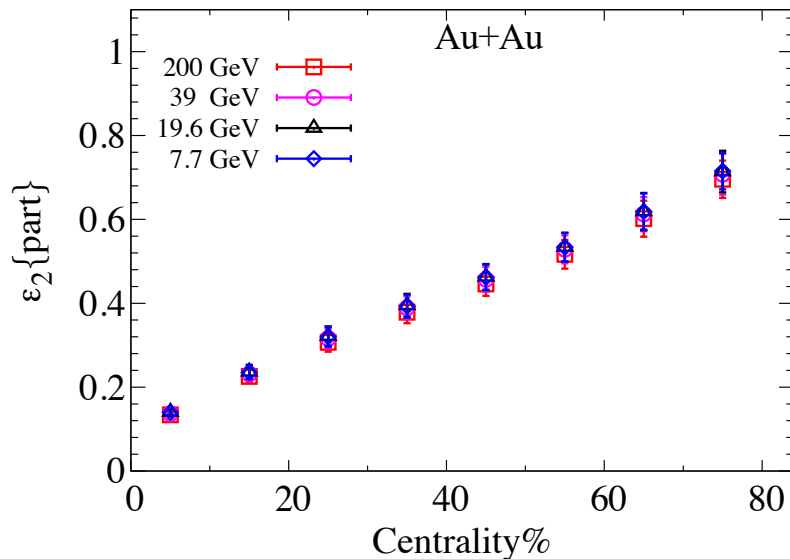
## ➤ Results

- ✓ Beam-energy dependance of flow correlations
- ✓ Beam-energy dependance of transverse momentum-flow correlations

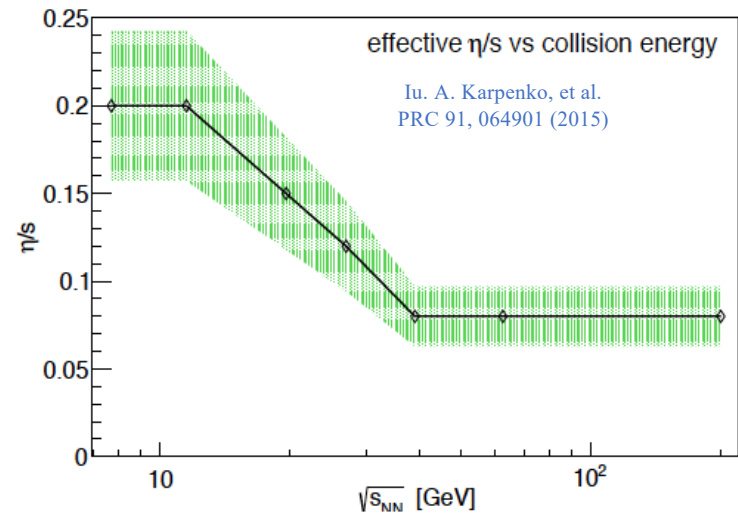
## ➤ Conclusion

- Higher order flow harmonics are sensitive probes for  $\frac{\eta}{s}(T)$  due to the enhanced viscous response
- The beam-energy dependence of flow ( $p_T$ -flow) correlations will reflect the respective roles of  $\epsilon_n$  and its fluctuations and  $\frac{\eta}{s}$  as a function of  $T$  and  $\mu_B$

Beam energy dependence for a given collision system:



Initial-state  $\epsilon_2$  is approximately energy independent



Viscous attenuation ( $\propto \frac{\eta}{s}(T)$ ) is beam energy dependent

## ➤ Data set:

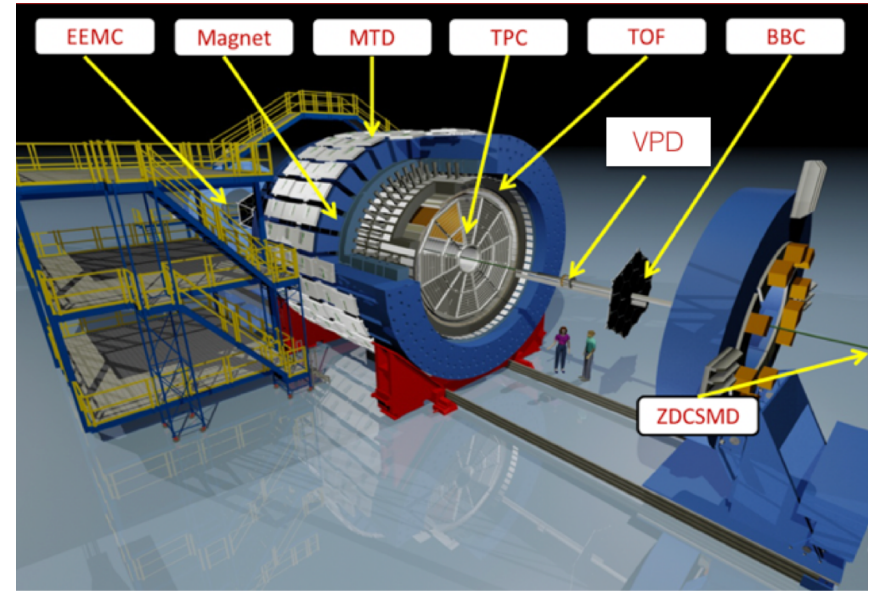
✓ Au +Au BES-I  $\sqrt{s_{NN}} = 27 - 200$  GeV

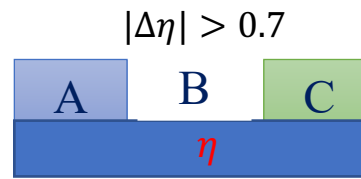
## ➤ Time Projection Chamber:

Tracking of charged particles with:

- ✓ Full azimuthal coverage
- ✓  $|\eta| < 1$  coverage

## The STAR experiment at RHIC





## ❖ Flow correlations

$$v_n^{Inclusive} = \left\langle \left\langle \cos(n\varphi_1^A - n\varphi_2^C) \right\rangle \right\rangle^{1/2}$$

$$v_{n+2}^{Non\ Linear} = \left\langle \left\langle \cos((n+2)\varphi_1^A - 2\varphi_2^C - n\varphi_3^C) \right\rangle \right\rangle / \sqrt{\langle v_2^2 v_n^2 \rangle}$$

Assume the orthogonality between  
linear and non-linear contributions

$$v_{n+2}^{Linear} = \sqrt{(v_{n+2}^{Inclusive})^2 - (v_{n+2}^{Non\ Linear})^2}$$

## ➤ EP angular correlations

Weak viscous effect expected

$$\rho_{n+2,2n} = \frac{v_{n+2}^{Non\ Linear}}{v_{n+2}^{Inclusive}} \sim \langle \cos((n+2)\Psi_{n+2} - 2\Psi_2 - n\Psi_n) \rangle$$

## ➤ Eccentricity coupling

$$\chi_{n+2,2n} = \frac{v_{n+2}^{Non\ Linear}}{\sqrt{\langle v_2^2 v_n^2 \rangle}}$$

## ❖ Transverse momentum-flow correlations

$$\rho(v_n^2 - [p_T]) = \frac{cov(v_n^2 - [p_T])}{\sqrt{Var(v_n^2)_{dyn} C_{\{k\}}}}$$

$$cov(v_n^2 - [p_T]) = Re \left( \left\langle \frac{\sum_{a,c} w_a w_c e^{in(\phi_a - \phi_c)} ([p_T] - \langle [p_T] \rangle)_b}{\sum_{a,c} w_a w_c} \right\rangle \right)$$

$$C_k = \left\langle \frac{\sum_b \sum_{b'} w_b w_{b'} (p_{T,b} - \langle [p_T] \rangle) (p_{T,b'} - \langle [p_T] \rangle)}{((\sum_b w_b)^2 - \sum_b (w_b)^2)} \right\rangle$$

$$\Delta\eta_{b\hat{b}} > 0.2$$

$$Var(v_n^2)_{dyn} = v_n^4\{2\} - v_n^4\{4\}$$

The Pearson correlation coefficient (PCC) measure the strength  
of the  $v_n, [p_T]$  correlation

The beam-energy dependence of :

- ✓ The linear and non-linear flow harmonics decomposition
- ✓ The mode-coupling coefficients  $\chi_{k,nm}$  and the EP angular correlations  $\rho_{k,nm}$
- ✓ The transverse momentum-flow correlations

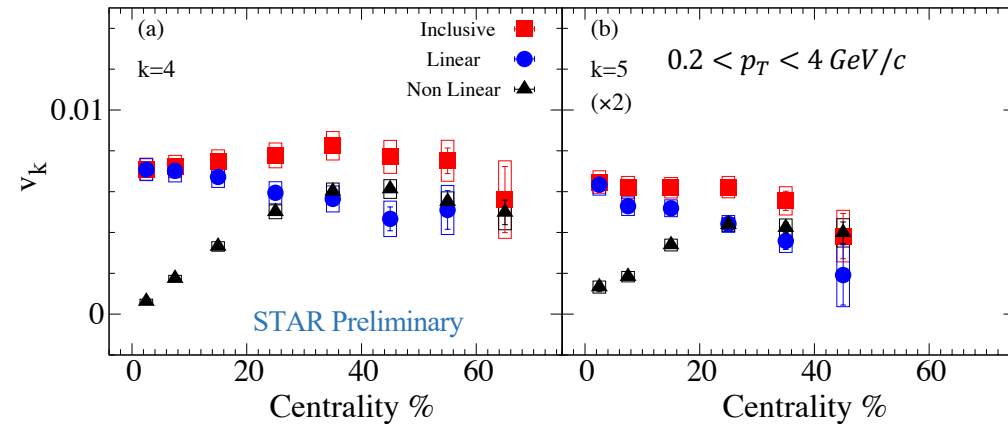
## Models Comparisons

|                    | Hydro-1                   | Hydro-2                      |
|--------------------|---------------------------|------------------------------|
| $\eta/s$           | 0.05                      | 0.12                         |
| Initial conditions | TRENTO Initial conditions | IP-Glasma Initial conditions |
| Contributions      | Hydro + Direct decays     | Hydro + Hadronic cascade     |

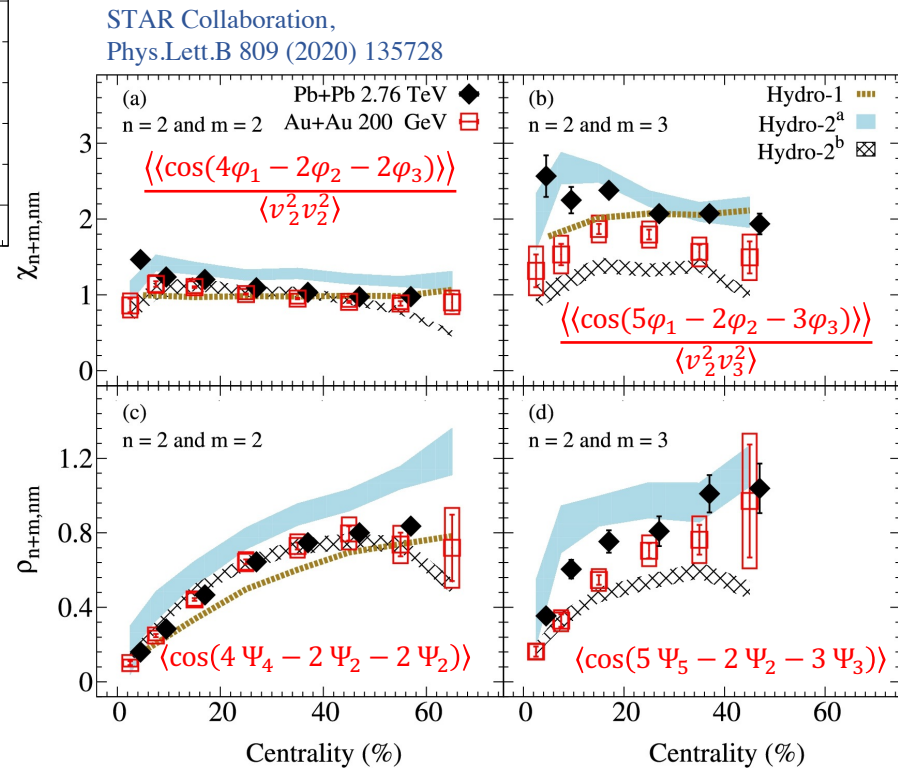
➤ (1) P. Alba, et al.  
PRC 98 , 034909 (2018)

➤ (2) B.Schenke, C.Shen, and P.Triedy  
PRC 99, 044908 (2019)

## Linear and non-linear flow $v_{4,5}$ decomposition, the $\chi_{knm}$ and the $\rho_{k,nm}$ for Au+Au at 200 GeV

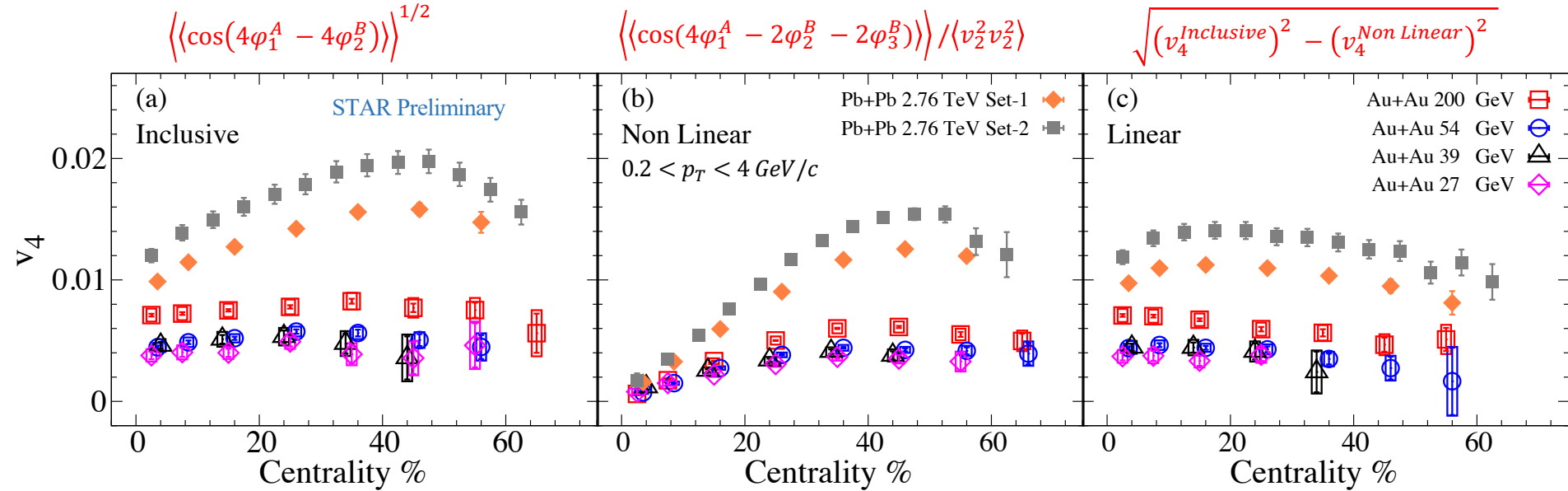


- The linear  $v_k$  ( $k=4,5$ ) terms dominate in central collisions, while the non-linear terms take over or are comparable in peripheral collisions
- $\chi_{k,nm}$  shows a weak centrality dependence
- $\rho_{k,nm}$  shows a strong centrality dependence



The influence from final-state is less than the one from initial-state?

## The beam-energy dependence of the linear and non-linear flow $v_4$ decomposition



- The inclusive, linear and non-linear  $v_4$  show strong beam-energy dependence
- The linear terms dominates the central collisions

## Possible temperature dependence of viscous effects

Set-1  
The ALICE collaboration  
PLB 773 68-80, (2017)

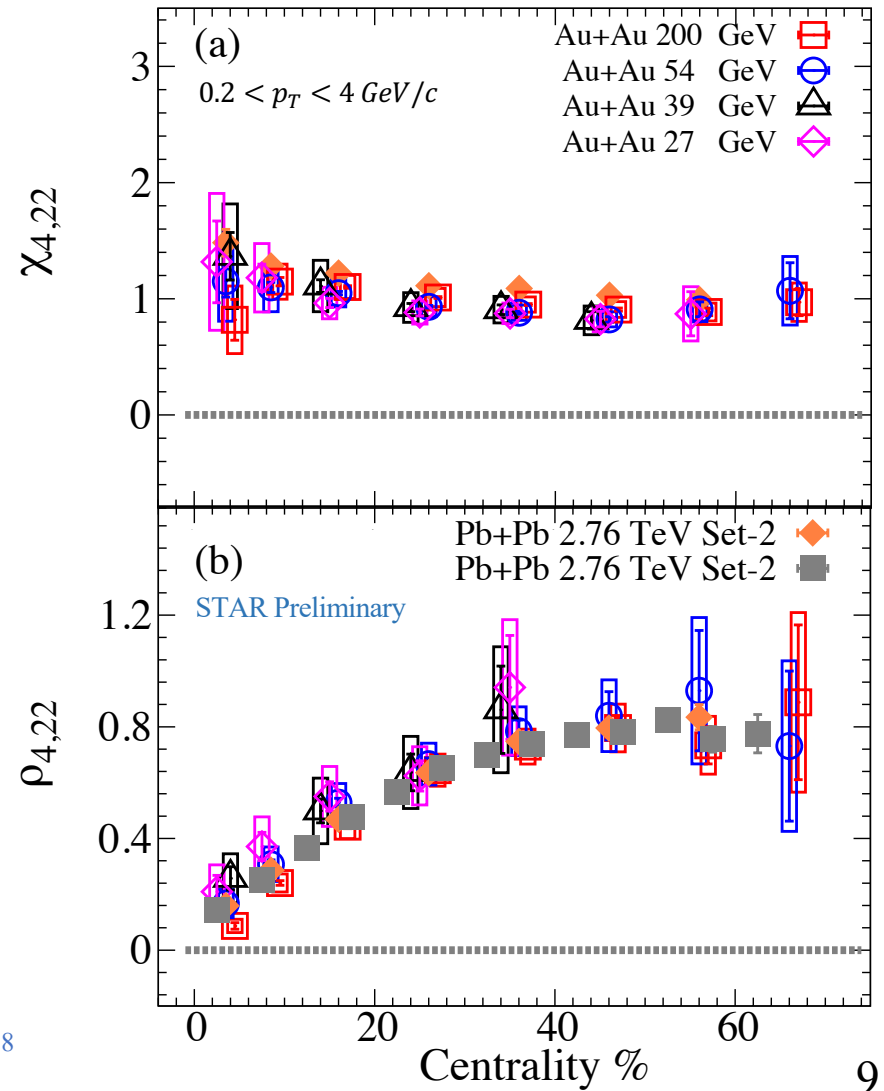
Set-2  
The ATLAS collaboration  
PRC 92, 034903 (2015)

STAR Collaboration,  
Phys.Lett.B 809 (2020) 135728

The beam-energy dependance of the mode-coupling coefficients  $\chi_{4,22}$  and the EP angular correlations  $\rho_{4,22}$

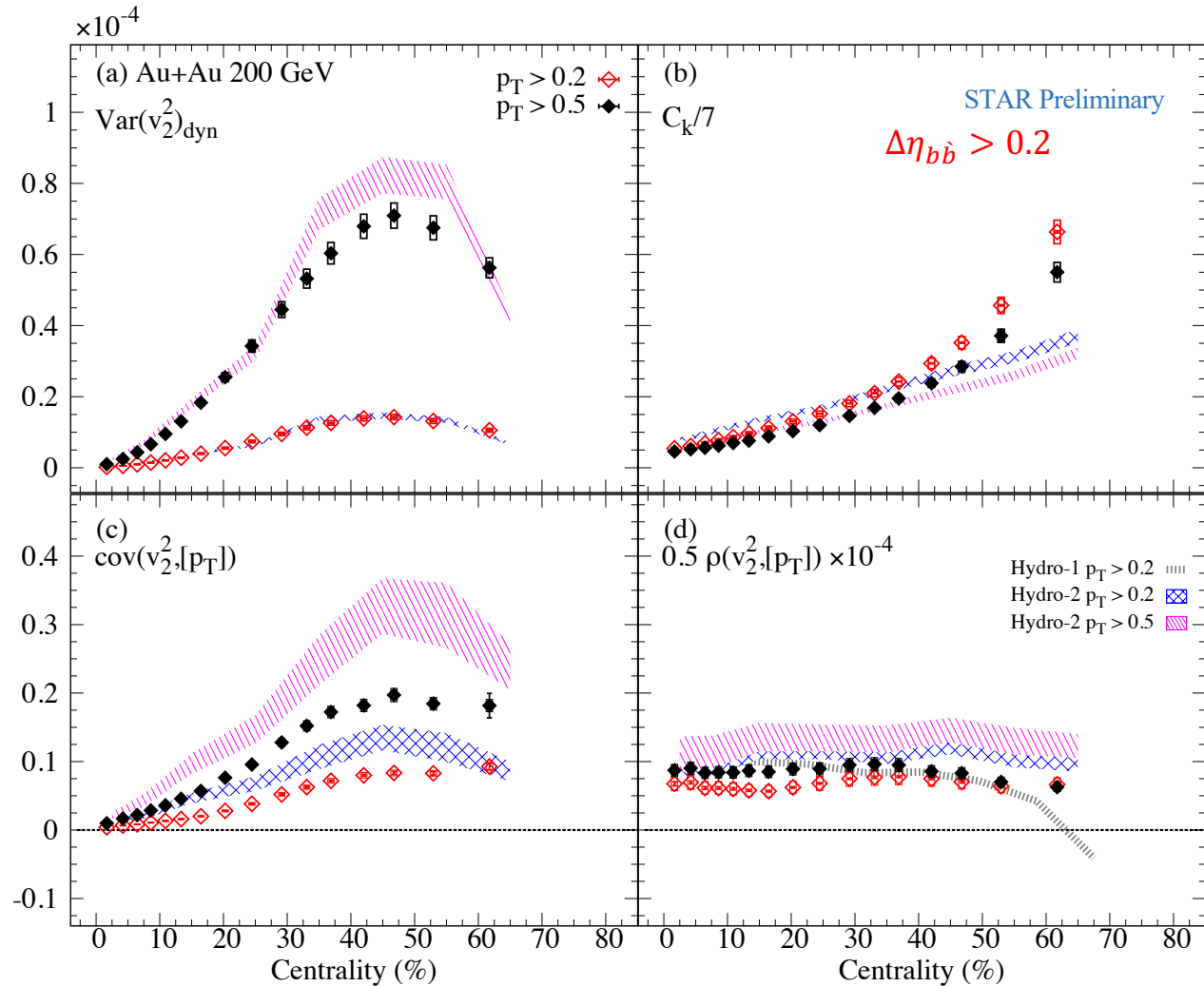
- The non-linear mode-coupling coefficients  $\chi_{4,22}$  show similar values and trends for different beam energies, and a weak centrality dependence.
- The EP angular correlations  $\rho_{4,22}$  show similar values and trends for different beam energies, and a strong centrality dependence.

Dominated by the initial-state effects



## The transverse momentum-flow correlations for Au+Au at 200 GeV

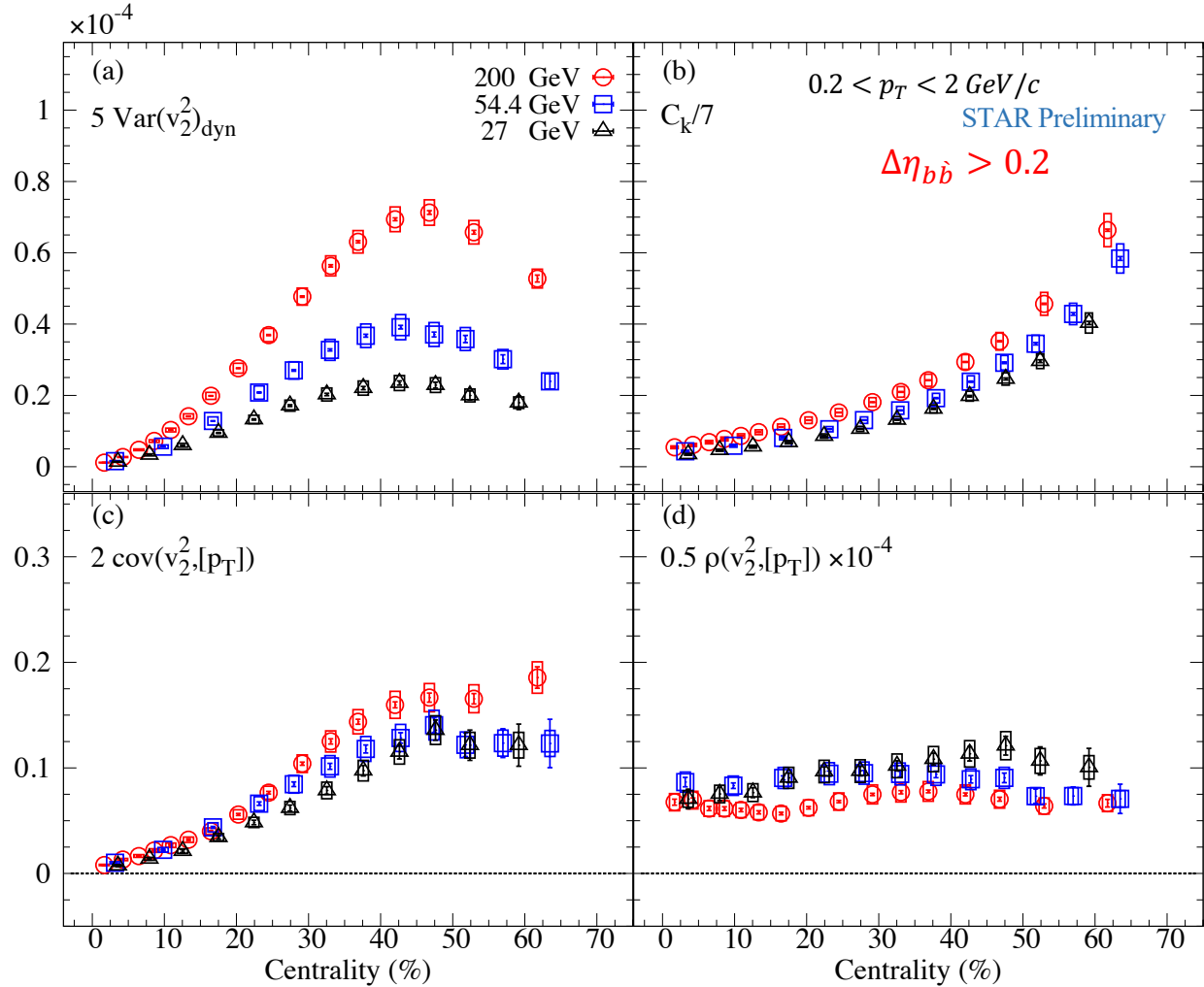
- $Var(v_2^2)_{dyn}$  increases with  $p_T$
- $C_k$  decreases with  $p_T$  increas
- $cov(v_2^2, [p_T])$  increases with  $p_T$
- The Pearson correlation,  $\rho(v_2^2, [p_T])$ , increases with  $p_T$



➤ Hydro models can qualitatively describe the data

## The beam-energy dependance of the transverse momentum-flow correlations

- $Var(v_2^2)_{dyn}$  decreases with beam-energy
- $C_k$  decreases with beam-energy
- $cov(v_2^2, [p_T])$  decreases with beam-energy



- The Pearson correlation,  $\rho(v_2^2, [p_T])$ , increases with decreasing the beam-energy

The two- and multi-particle correlations are used to study the flow correlations and the transverse momentum-flow correlations dependence on beam-energies.

➤ Flow correlations:

- ✓ The linear component of  $v_n$  ( $n>3$ ) dominates in central collisions
- ✓ The inclusive, linear and non-linear  $v_4$  show strong beam energy dependence
- ✓ The mode-coupling coefficients and the EP angular correlations show similar values and trends for different beam energy

➤ Transverse momentum-flow correlations:

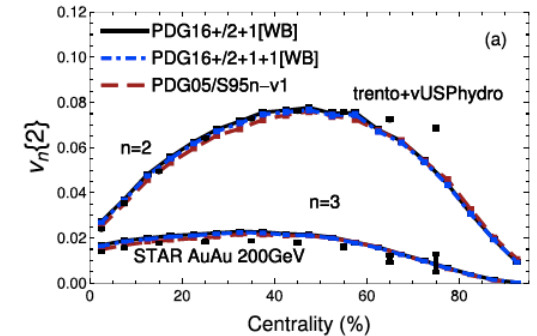
- ✓ The  $cov(v_2^2, [p_T])$  increases with the mean  $p_T$  and beam energy
- ✓ The normalized  $\rho(v_2^2, [p_T])$ :
  - Increases with increasing the mean  $p_T$
  - Increases with decreasing the beam-energy

These measurements compared to viscous hydrodynamic model calculation will provide constraints on the initial conditions and  $\frac{\eta}{s}(T)$

*Thank You*

## (1) P. Alba, et al. PRC 98 , 034909 (2018)

- The model use event-by-event fluctuating initial conditions generated by the TRENTO model with free parameters calibrated to fit experimental observables.
- The model use the smoothed particle hydrodynamics (SPH) Lagrangian code, v-USPhydro, to solve the viscous hydrodynamic equations taking into account shear viscous effects.
- The viscosity is determined by fitting  $v_2\{2\}$  and  $v_3\{2\}$  across centrality for different equation of state individually.



## (2) B.Schenke , et al. PRC 99, 044908 (2019)

- The model used the impact parameter-dependent Glasma model to initialize the viscous hydrodynamic simulation MUSIC and employ the UrQMD transport model for the low-temperature region of the collisions.

Width, height, and position of  $\zeta/s$  are free parameters

