



Measurements of azimuthal anisotropies in $^{16}\text{O}+^{16}\text{O}$ and $\gamma+Au$ collisions from STAR

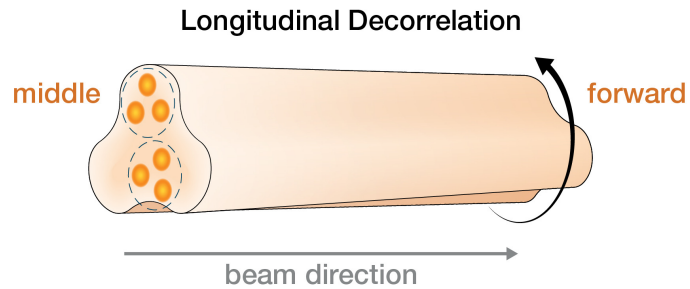
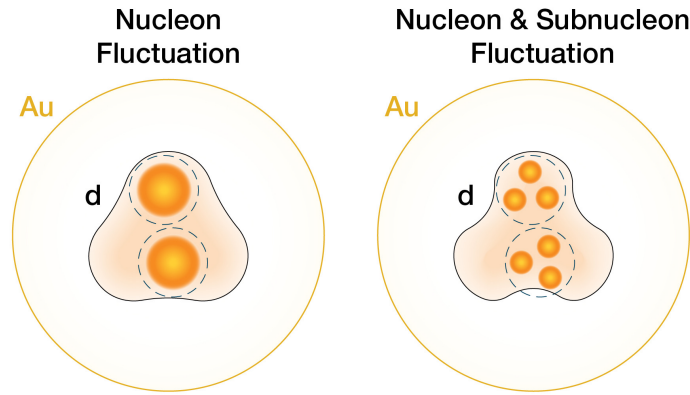
Shengli Huang (for STAR Collaboration)

Stony Brook Chemistry

Outline

- Motivation to study collectivity in O+O
- O+O data set and analysis detail
- $v_n(p_T)$ in different centrality in O+O
- $v_2\{2\}$, $v_2\{4\}$ and $v_3\{2\}$ vs centrality in O+O
- Outlook: anisotropy in γ +Au collision
- Summary

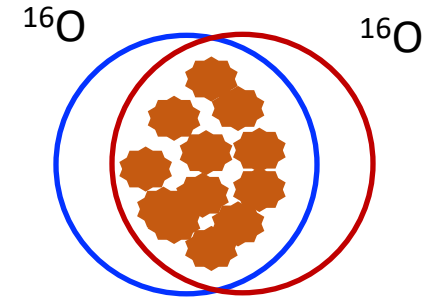
Source of Initial-State Fluctuation in Small System



STAR, PRL 130, 242301

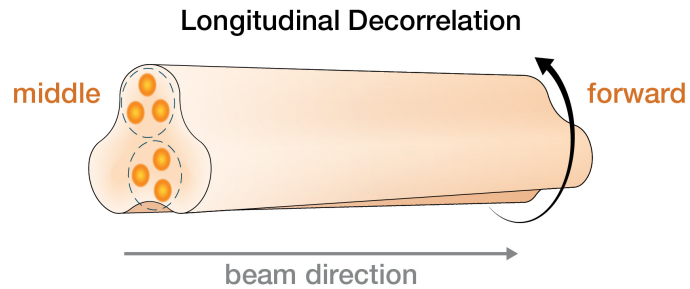
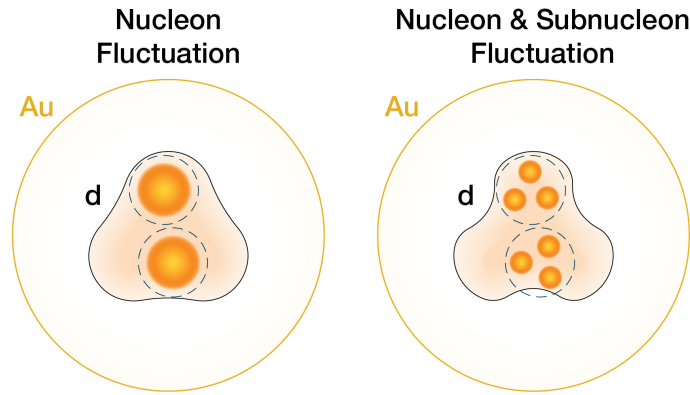
Interplay between several possible sources:

- 1) Fluctuations in nucleon position
- 2) **Fluctuations in nucleon position and its quark and gluon constituents**
- 3) Fluctuations of overlap geometry along the beam direction



Comparing symmetric and asymmetric systems can yield additional insights into sub-nucleon fluctuations.

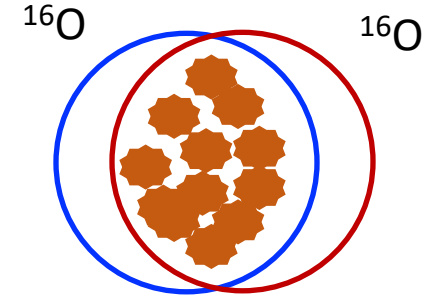
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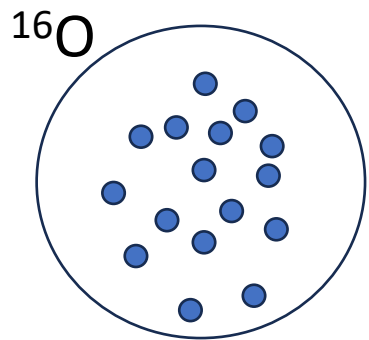
Interplay between several possible sources:

- 1) Fluctuations in nucleon position
- 2) **Fluctuations in nucleon position and its quark and gluon constituents**
- 3) Fluctuations of overlap geometry along the beam direction
- 4) **Fluctuations due to many-nucleon correlation (e.g. α -cluster)**

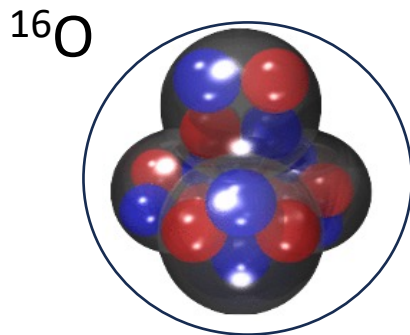


Comparing symmetric and asymmetric systems can yield additional insights into sub-nucleon fluctuations.

Many-nucleon correlations may also influence the fluctuation in eccentricity as: $\epsilon_2\{4\}$.



Woods-Saxon



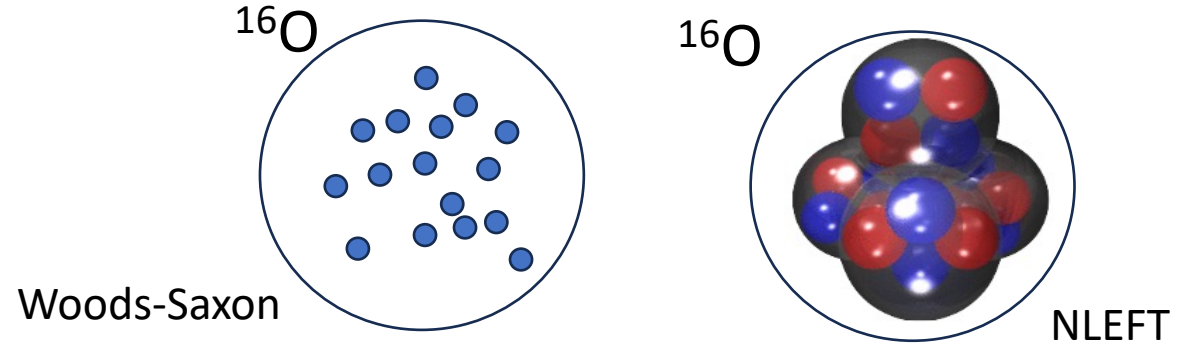
α -cluster

Many-nucleon correlation

NLEFT: model with many-nucleon correlation including α cluster

Lu et al., PLB 797 (2019) 134863

Woods-Saxon: without many-body nuclear correlation



Many-nucleon correlation

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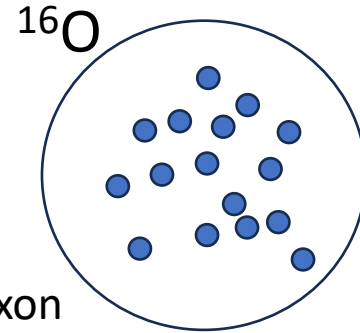
$\epsilon_2\{4\} / \epsilon_2\{2\}$ from three models:

1. TRENTO: WS \approx NLEFT

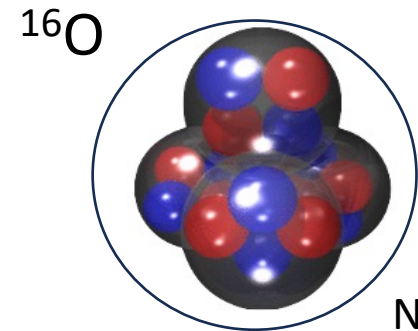
2. Quark Glauber: WS $>$ NLEFT

3. Nucleon Glauber: WS $>$ NLEFT

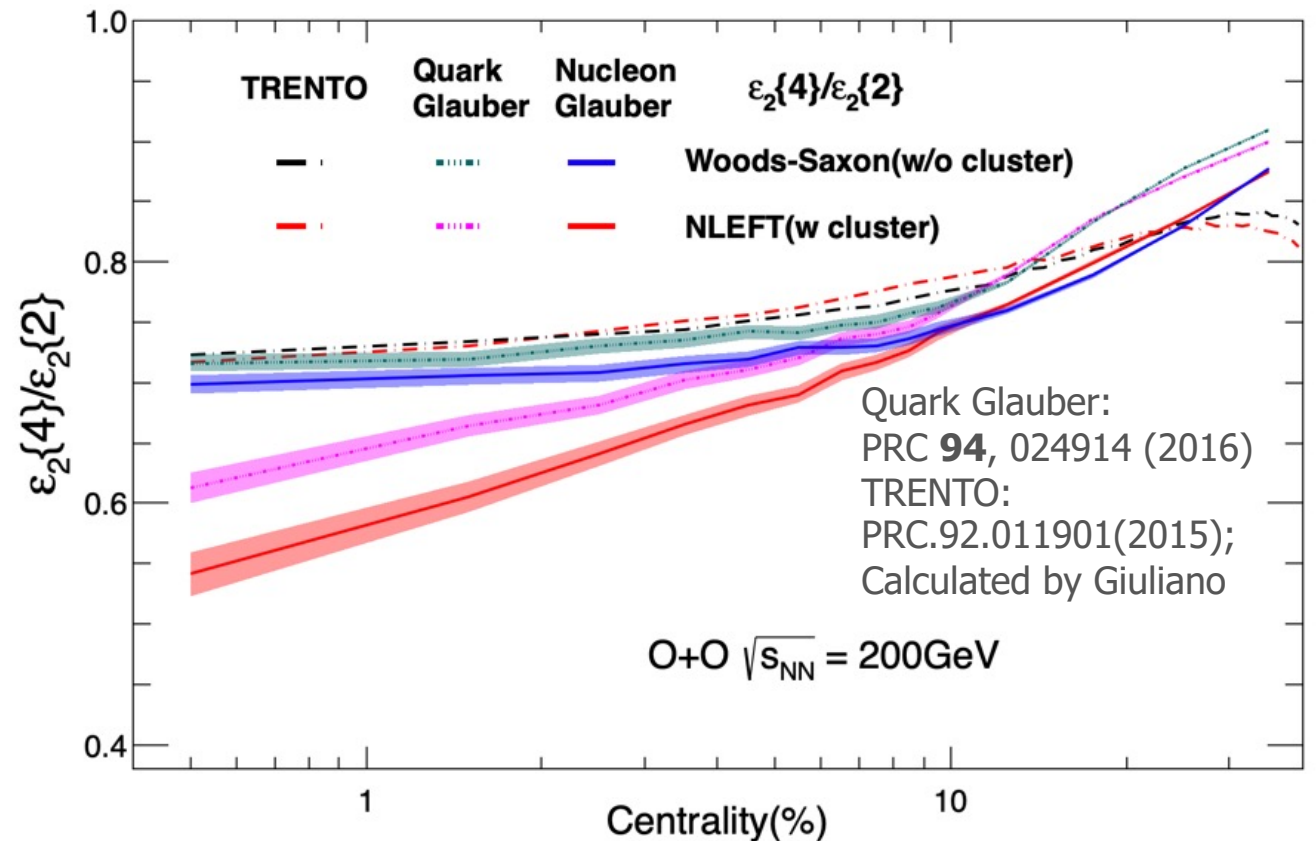
Quark Glauber $>$ Nucleon Glauber for NLEFT



Woods-Saxon



NLEFT



Many-nucleon correlation

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Lu et al., PLB 797 (2019) 134863

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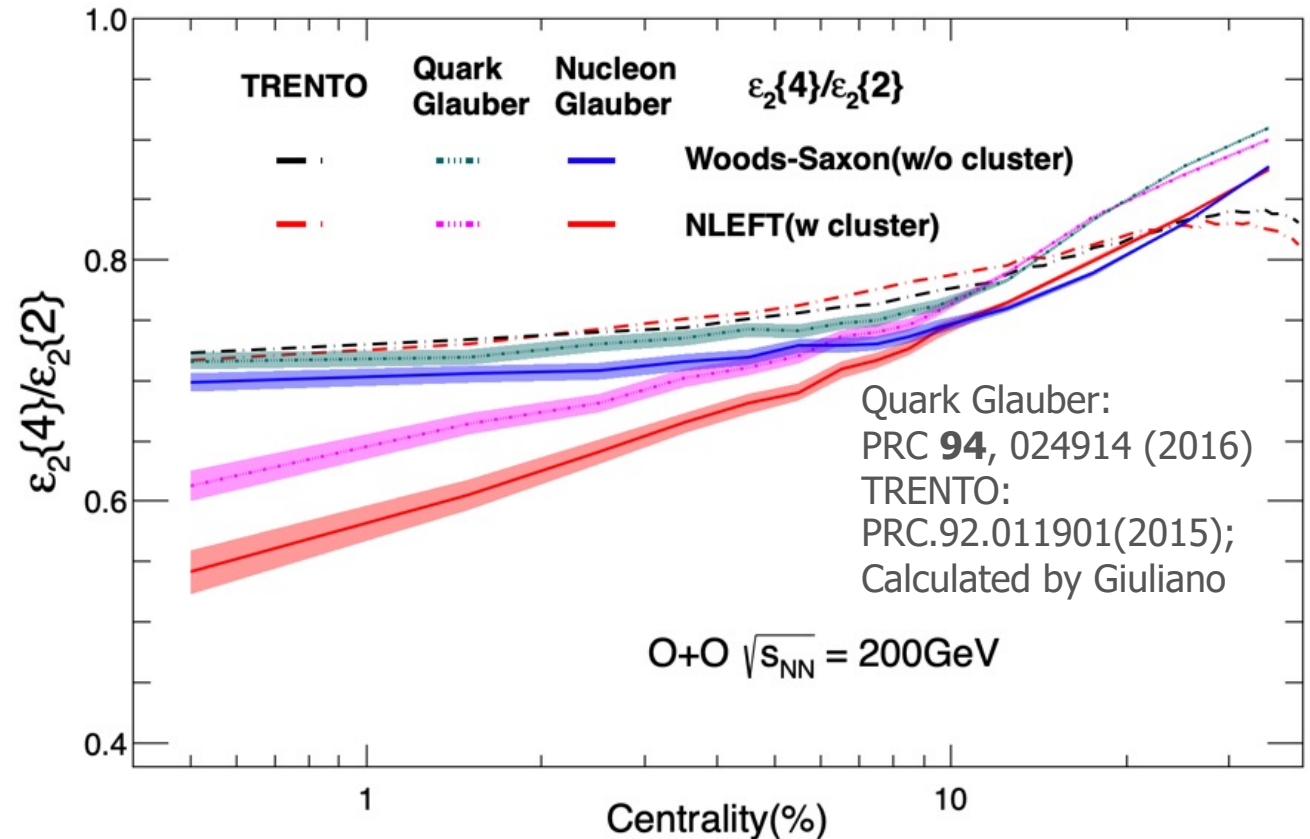
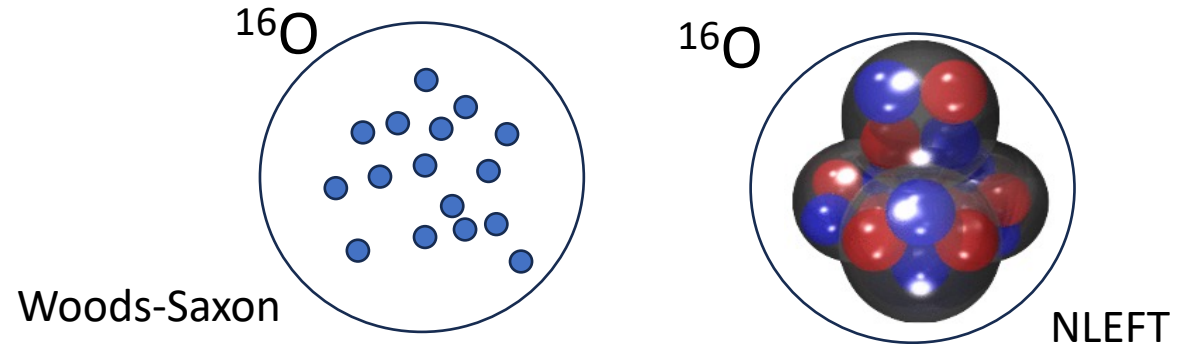
1. TRENTO: WS \approx NLEFT

2. Quark Glauber: WS $>$ NLEFT

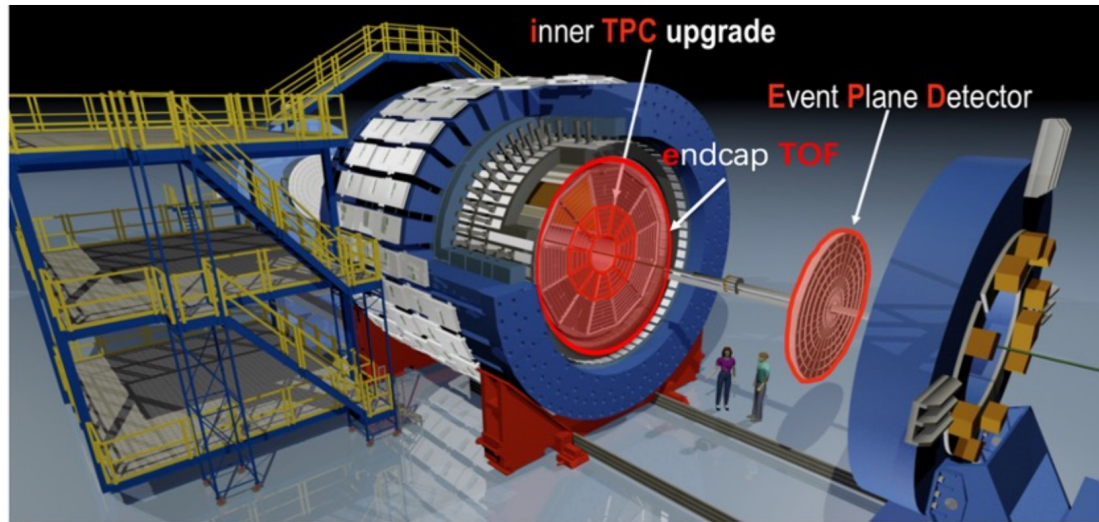
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Quark Glauber $>$ Nucleon Glauber for NLEFT

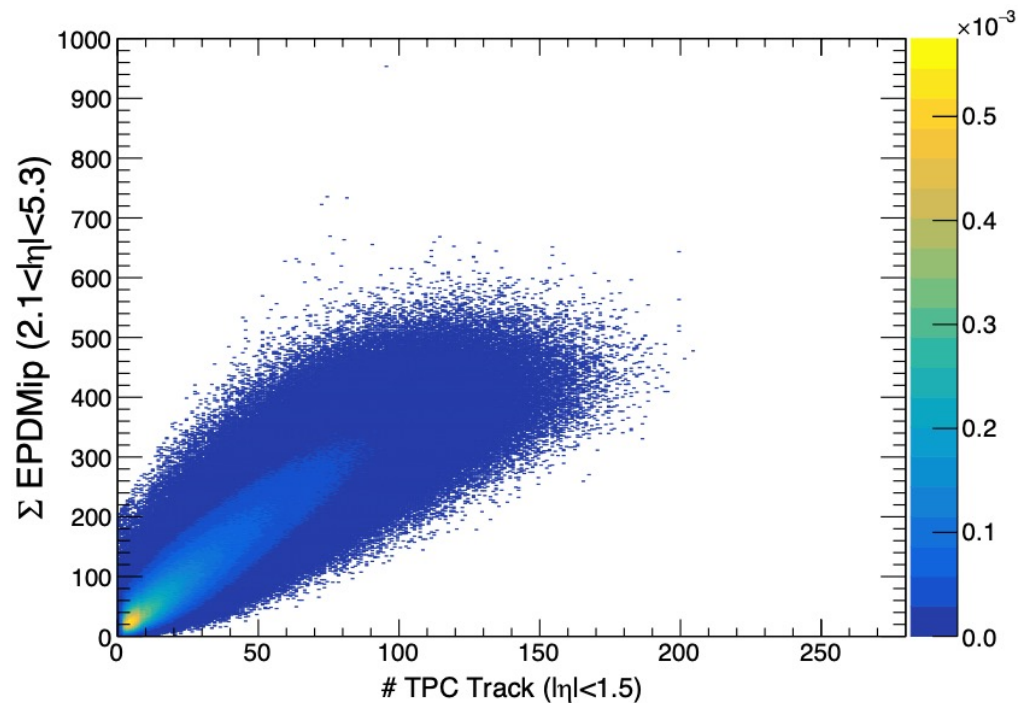
Many-nucleon correlation can significantly impact the eccentricity fluctuations. However, these effects tend to be reduced by sub-nucleon fluctuations.



$^{16}\text{O}+^{16}\text{O}$ Data Set



- **STAR has taken 600M MB and 250M high multiplicity O+O events in 2021**
- ✓ Large rapidity coverage due to iTPC $|\eta| < 1.5$ and EPD ($2.1 < |\eta| < 5.1$)
- ✓ Trigger on high multiplicity event at both middle and forward rapidity regions



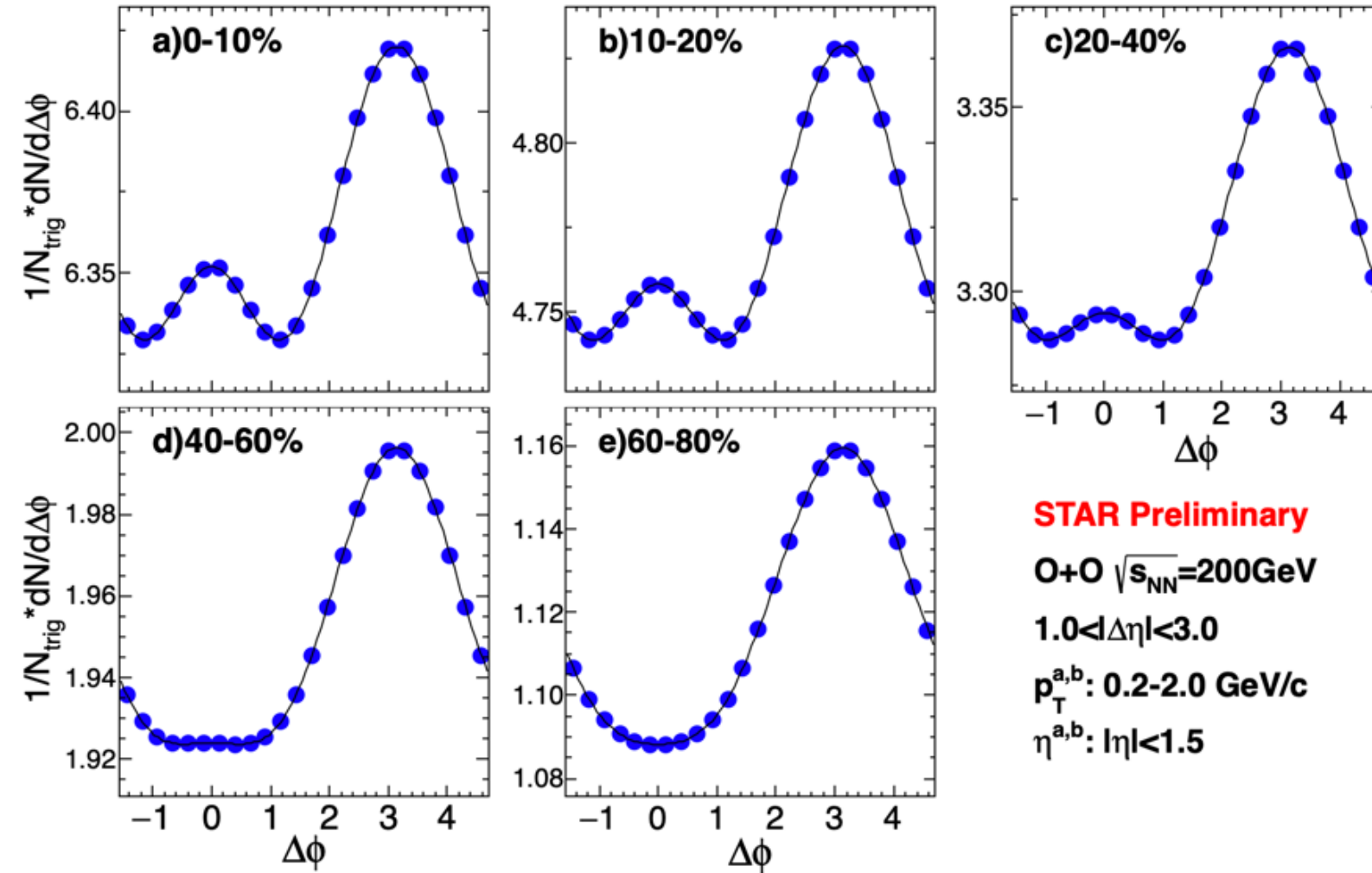
Two types of centrality definitions:
 TPC centrality: $|\eta| < 1.5$, $p_T: [0.2, 2]$ GeV/c
 EPD centrality: $2.1 < |\eta| < 5.1$

$v_2\{2\}$, $v_3\{2\}$: Di-hadron correlation
 p_T associated [0.2, 2.0 GeV/c]
 P_T trigger [0.2, 3.0 GeV/c]

$v_2\{4\}$: Cumulant method

$$(v_2\{4\})^4 = -c_2\{4\} = 2 \langle 2 \rangle^2 - \langle 4 \rangle$$

Di-hadron correlation at middle rapidity in $^{16}\text{O}+^{16}\text{O}$



Ridge is seen in central O+O collisions while not in peripheral collisions

STAR Preliminary

O+O $\sqrt{s_{\text{NN}}}=200\text{GeV}$

$1.0 < |\Delta\eta| < 3.0$

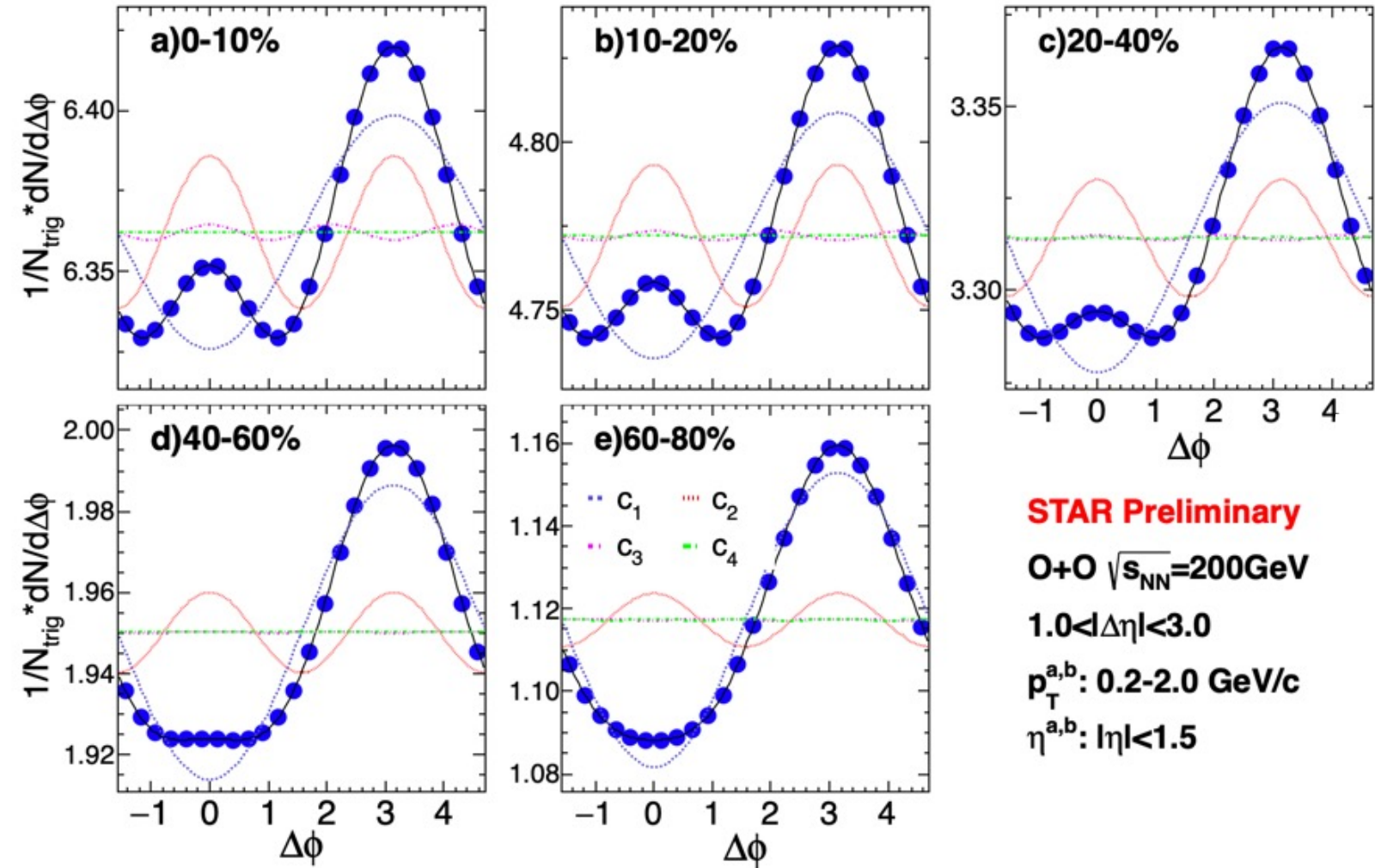
$p_{\text{T}}^{a,b}: 0.2-2.0 \text{ GeV}/c$

$\eta^{a,b}: |\eta| < 1.5$

EPD Centrality: $2.1 < |\eta| < 5.1$

MB dataset only

Di-hadron correlation at middle rapidity in $^{16}\text{O}+^{16}\text{O}$



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Ridge is seen in central O+O collisions while not in peripheral collisions

Flow is extracted with Fourier fitting and nonflow subtraction with 60-80% centrality:

$$Y(\Delta\phi, p_{\text{T}}^{\text{Trig.}}) = c_0 \left(1 + \sum_{n=1}^4 2c_n \cos(n\Delta\phi) \right).$$

$$c_n^{\text{sub}} = c_n - c_n^{\text{nonflow}} = c_n^{\text{cent.}} - c_n^{\text{peri.}} \times f$$

1. C_0 method: $f = c_0^{\text{peri.}} / c_0^{\text{cent.}}$

2. Near-side jet-yield method:

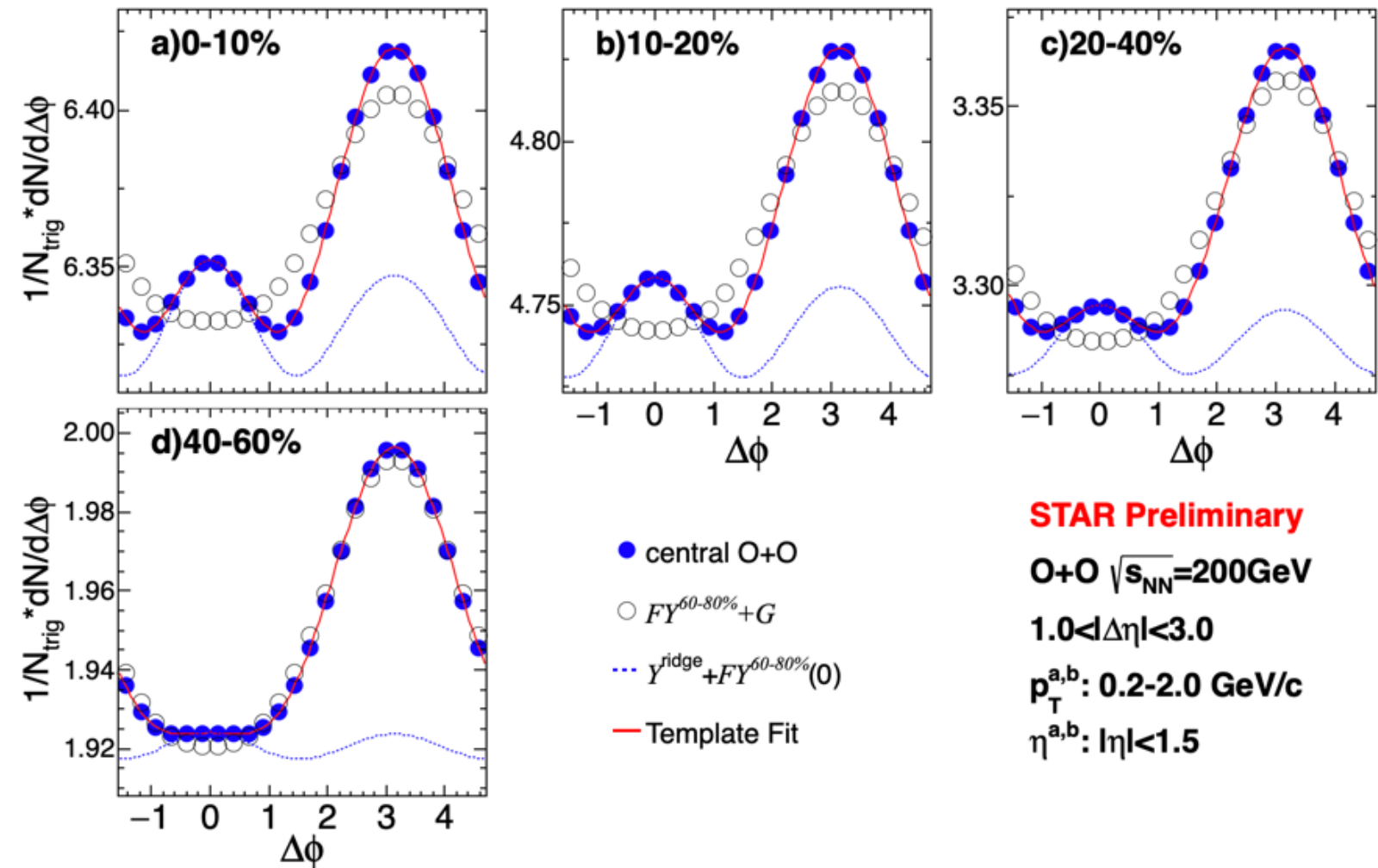
$$f = (Y_{\text{cent.}}^N / Y_{\text{peri.}}^N) \times (c_0^{\text{peri.}} / c_0^{\text{cent.}})$$

3. C_1 method $f = c_1^{\text{cent.}} / c_1^{\text{peri.}}$

EPD Centrality: $2.1 < |\eta| < 5.1$

MB dataset only

Di-hadron correlation at middle rapidity in $^{16}\text{O}+^{16}\text{O}$



STAR Preliminary

O+O $\sqrt{s_{NN}}=200\text{GeV}$

$1.0 < |\Delta\eta| < 3.0$

$p_T^{a,b}: 0.2-2.0 \text{ GeV}/c$

$\eta^{a,b}: |\eta| < 1.5$

4. Template Fit:

$$Y_{templ.}(\Delta\phi) = Y_{ridge}(\Delta\phi) + F Y_{peri.}(\Delta\phi)$$

$$Y_{ridge}(\Delta\phi) = G(1 + 2 \sum_{n=2}^4 c_n^{sub} \cos(n\Delta\phi))$$

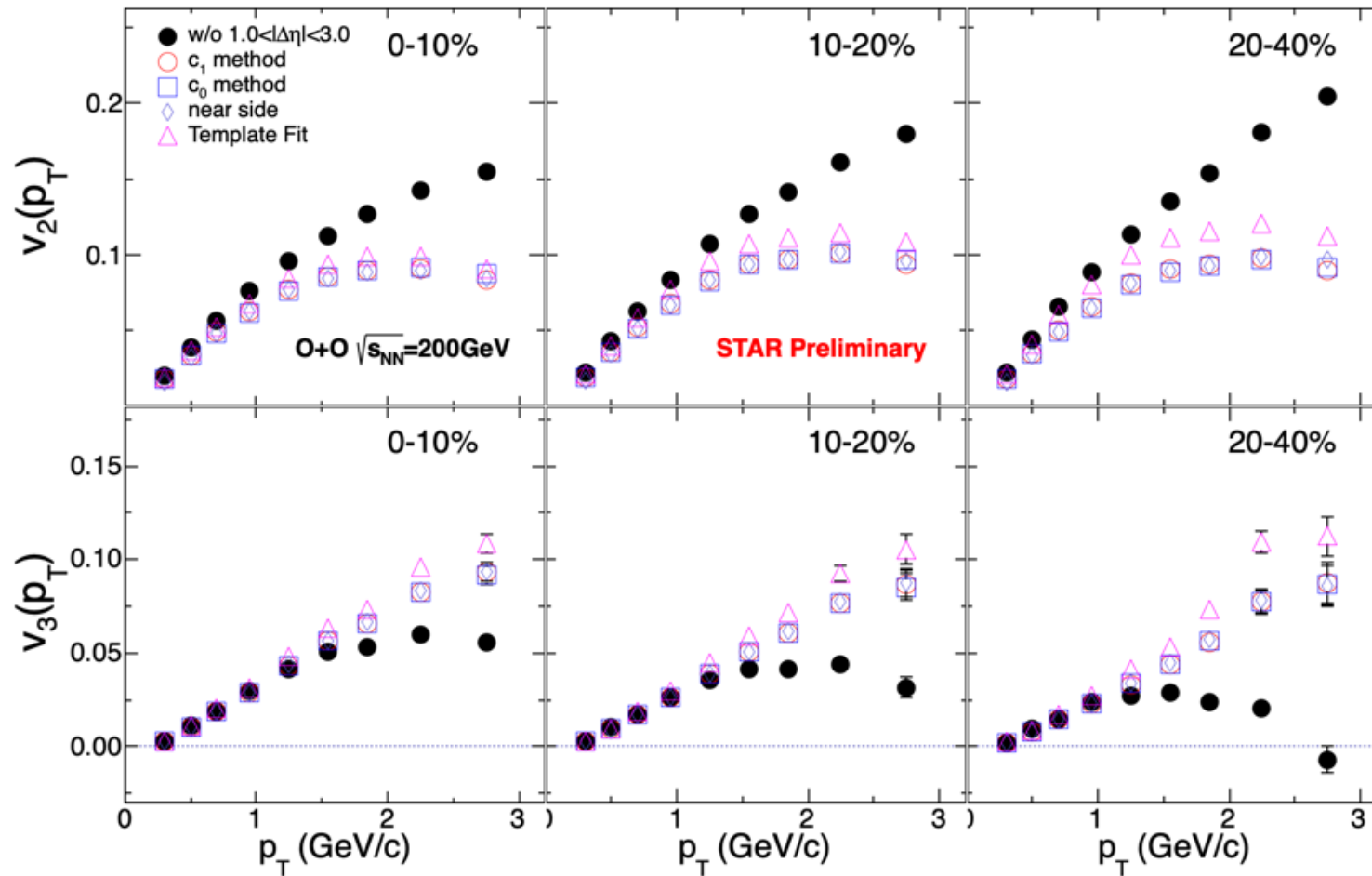
“F” represents the modification for the long-range away-side jet between **cent. and peri.**

ATLAS, PRL 116, 172301 (2016)

EPD Centrality: $2.1 < |\eta| < 5.1$

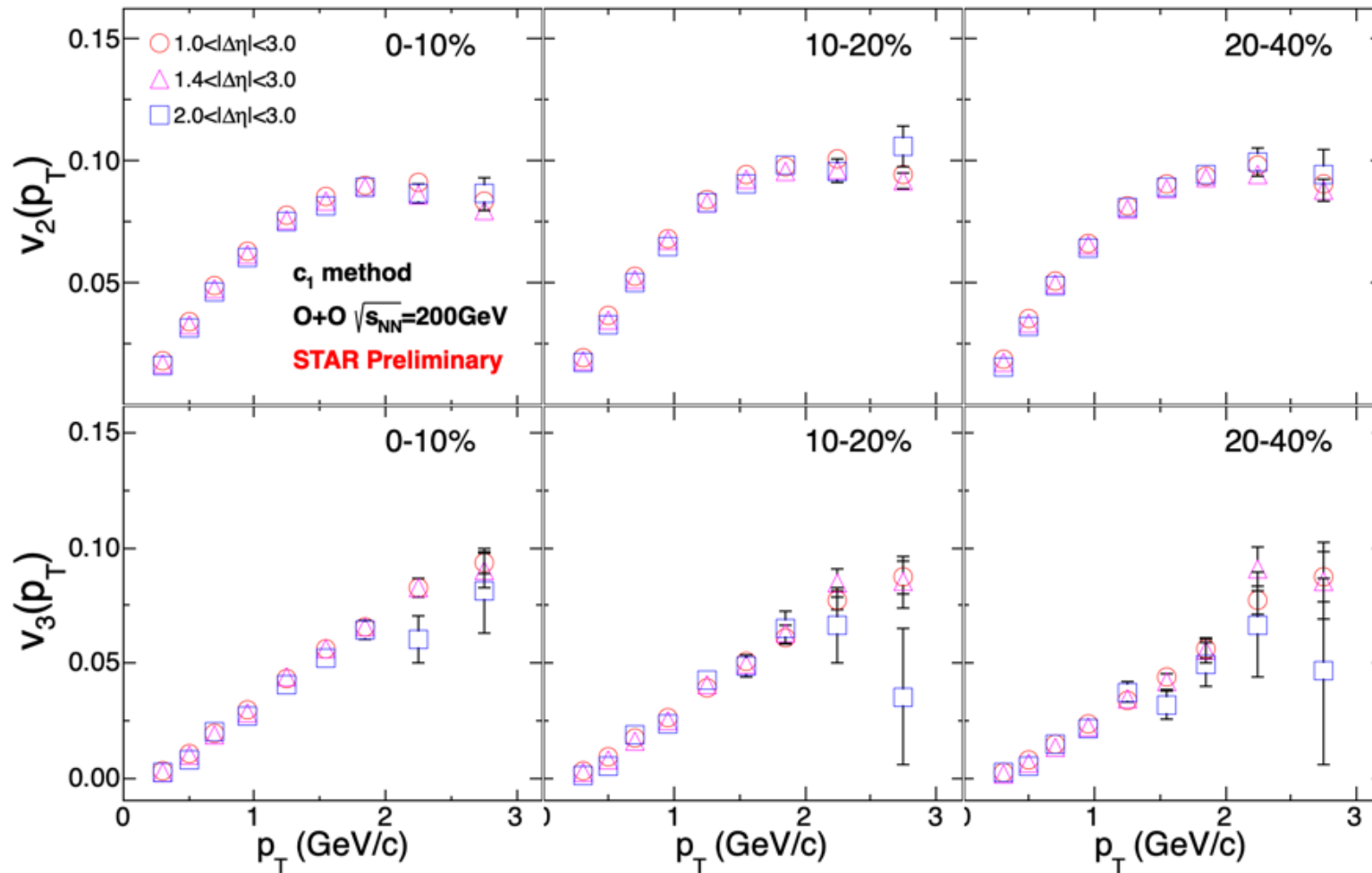
MB dataset only

v_n from different subtraction



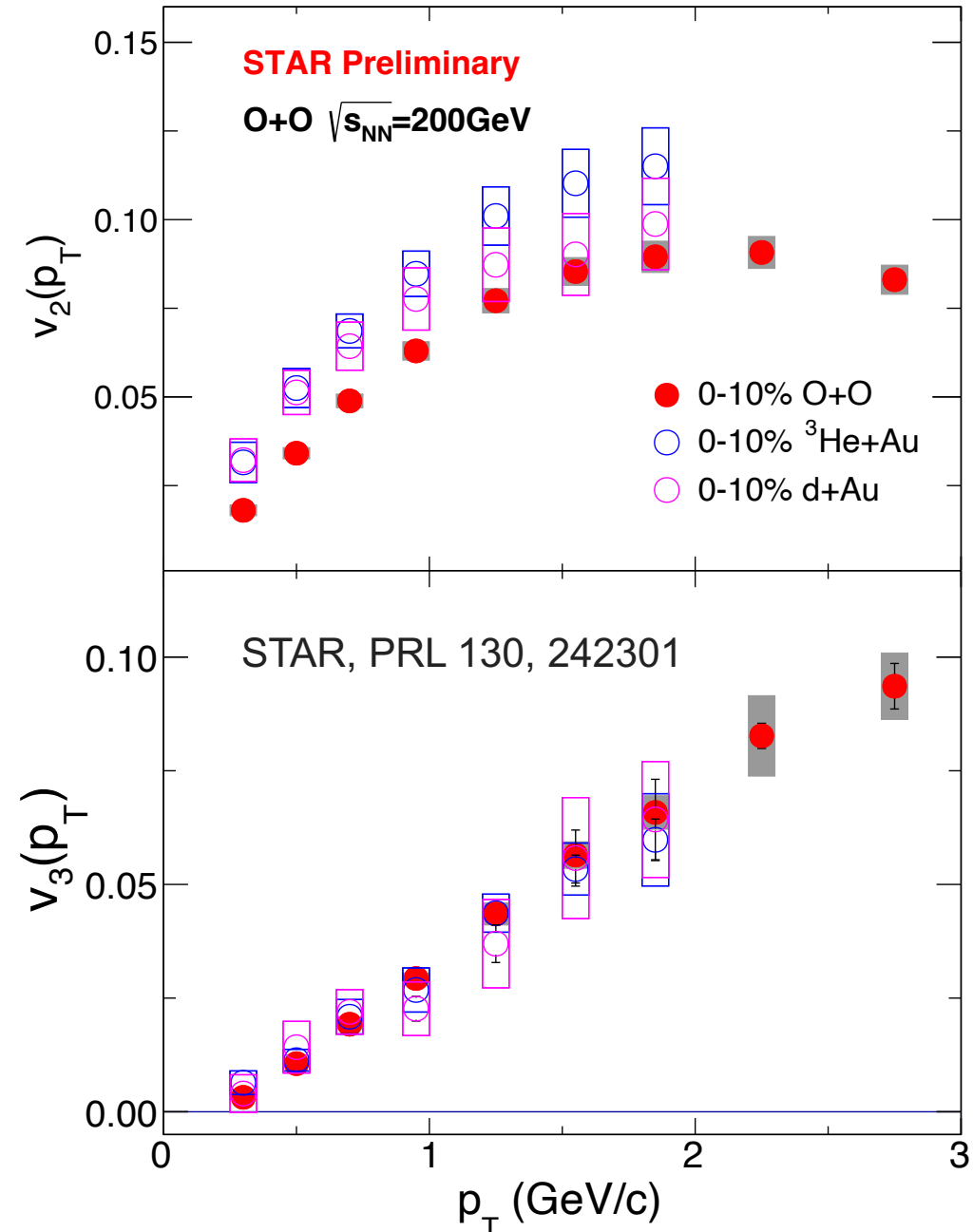
- Non-flow subtraction will always decrease v_2 and increase v_3
- Non-flow subtracted v_2 and v_3 show minimal method dependence

v_2 with different $\Delta\eta$ cut



After nonflow subtraction, v_n are independent of the $|\Delta\eta|$ selection

Compare to asymmetric collisions



Model	point-like quark $\varepsilon_2^c\{2\}(\varepsilon_3^c\{2\})$	fluctuated gluon field $\varepsilon_2^d\{2\}(\varepsilon_3^d\{2\})$
0-10% $^3\text{He+Au}$	0.61(0.47)	0.53(0.38)
0-10% d+Au	0.71(0.45)	0.53(0.36)
0-10% $^{16}\text{O}+^{16}\text{O}$ (NLEFT)	0.44(0.43)	

Quark Glauber:
PRC **94**, 024914(2016)
Gluon field:
PRC **94**, 024919(2016)

$$v_2(\text{O+O}) < v_2(\text{d+Au}) \approx v_2(^3\text{He+Au})$$

$$v_3(\text{O+O}) \approx v_3(\text{d+Au}) \approx v_3(^3\text{He+Au})$$

Sub-nucleon fluctuations:

point-like quark

$$\varepsilon_2(\text{O+O}) < \varepsilon_2(^3\text{He+Au}) < \varepsilon_2(\text{d+Au})$$

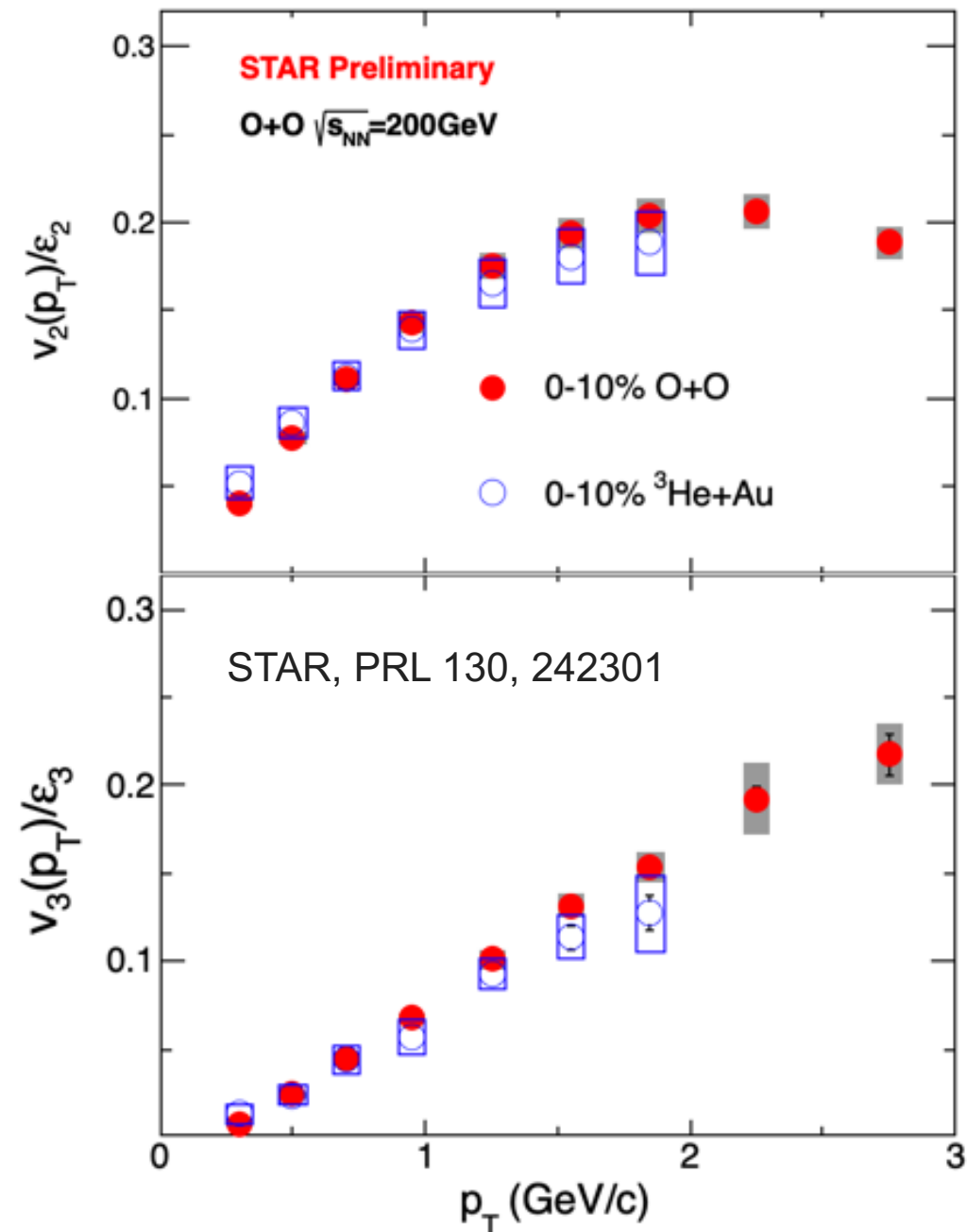
$$\varepsilon_3(\text{O+O}) \approx \varepsilon_3(\text{d+Au}) \approx \varepsilon_3(^3\text{He+Au})$$

Gluon fluctuation around quark

$$\varepsilon_n(\text{d+Au}) \approx \varepsilon_n(^3\text{He+Au}); n=2,3$$

It is consistent as $v_2(\text{d+Au}) \approx v_2(^3\text{He+Au})$

Compare to asymmetric collisions



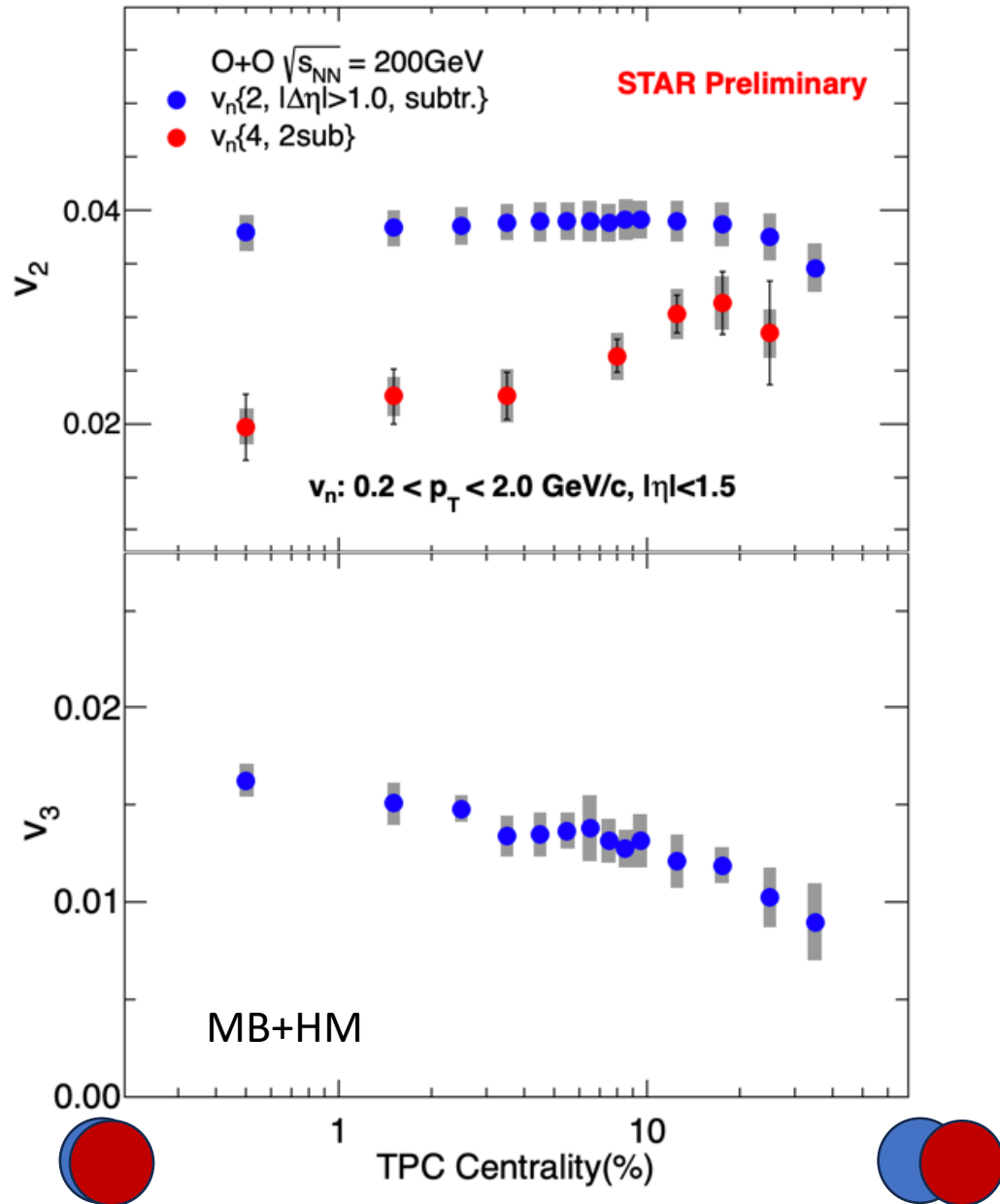
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Gluon field:
PRC **94**, 024919(2016)

$$v_n/\epsilon_n(\text{O+O}) \approx v_n/\epsilon_n(^3\text{He+Au}) \text{ for quark-Glauber}$$

Consistent with expectation of sub-nucleon fluctuation

Four-particle cumulant in O+O



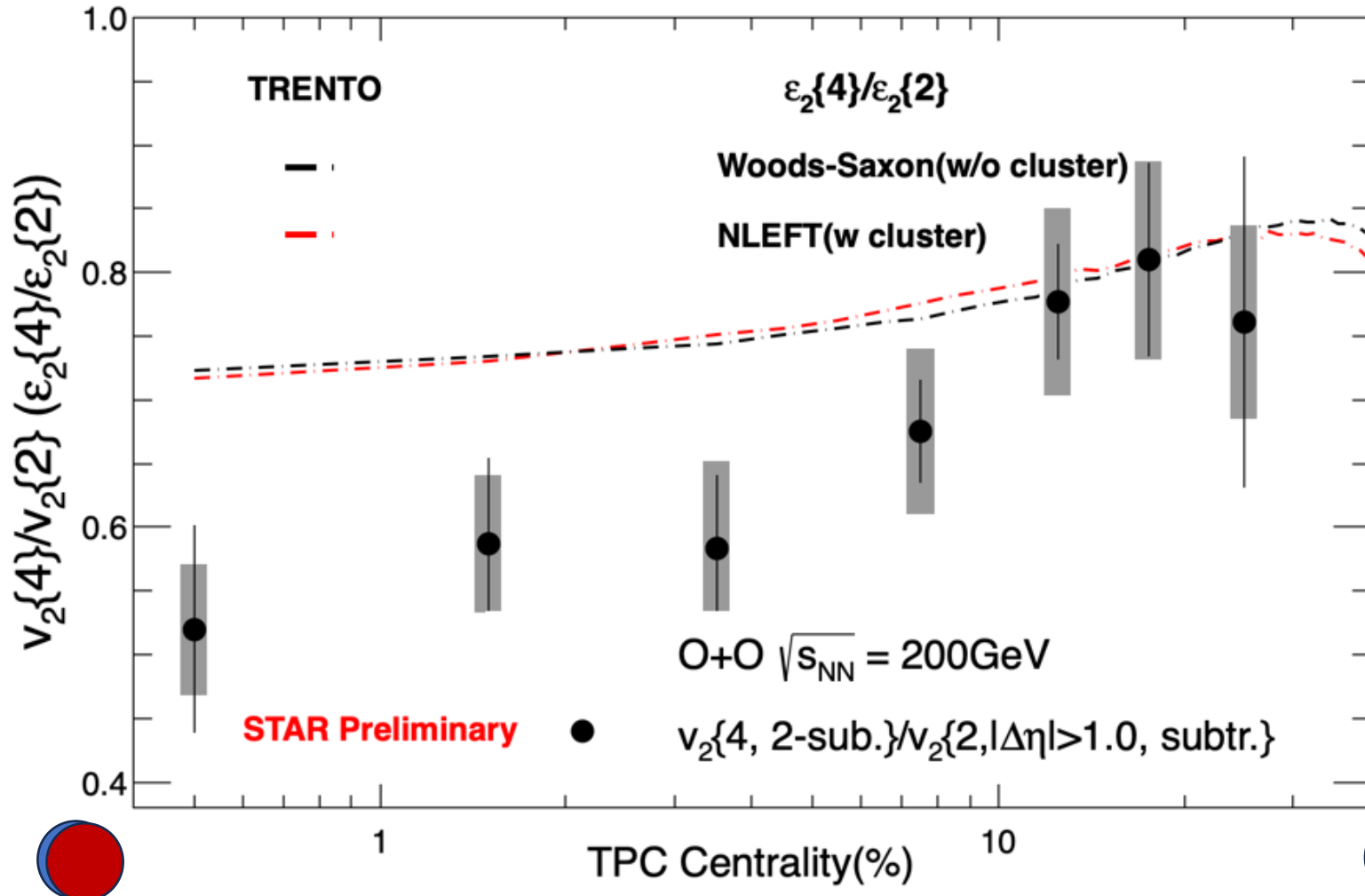
In central collisions:

The $v_2\{2\}$ is nearly flat

The $v_3\{2\}$ increases slightly

However, $v_2\{4\}$ clearly decreases

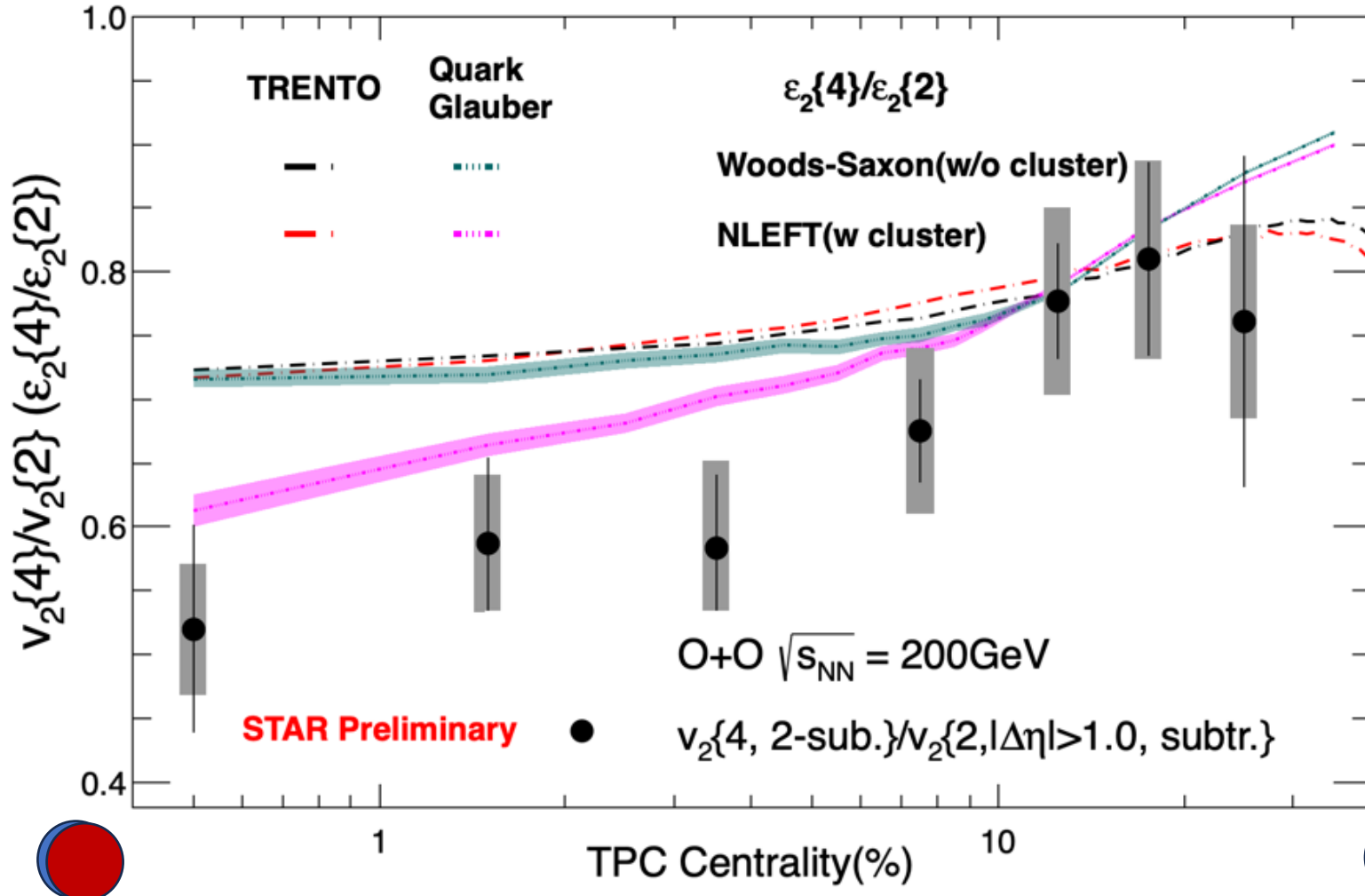
$v_2\{4\}/v_2\{2\}$: Flow fluctuation in central O+O



Quark Glauber:
 PRC **94**, 024914 (2016)
 TRENTO:
 PRC.92.011901(2015)
 Calculated by Giuliano

- $\epsilon_2\{4\}/\epsilon_2\{2\}$ from TRENTO with NLEFT or Woods-Saxon are similar.
- Larger than $v_2\{4\}/v_2\{2\}$.

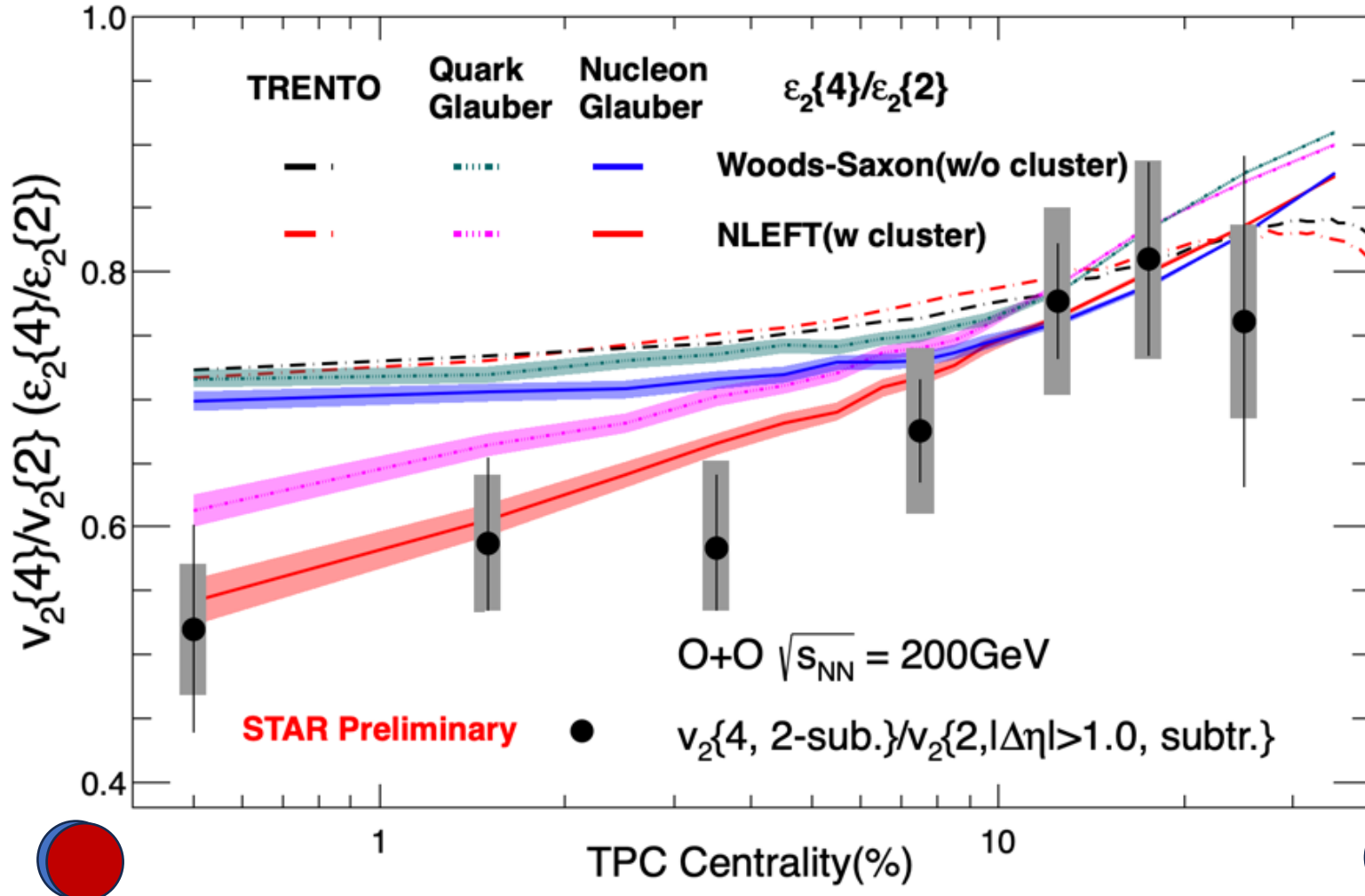
$v_2\{4\}/v_2\{2\}$: Flow fluctuation in central O+O



Quark Glauber:
 PRC **94**, 024914 (2016)
 TRENTO:
 PRC.92.011901(2015)
 Calculated by Giuliano

- $\epsilon_2\{4\}/\epsilon_2\{2\}$ from quark Glauber with Woods-Saxon is similar as TRENTO and larger than $v_2\{4\}/v_2\{2\}$
- $\epsilon_2\{4\}/\epsilon_2\{2\}$ from quark Glauber with NLEFT are much close to $v_2\{4\}/v_2\{2\}$
- many-nucleon correlation (e.g. α cluster) enhances the flow fluctuation?

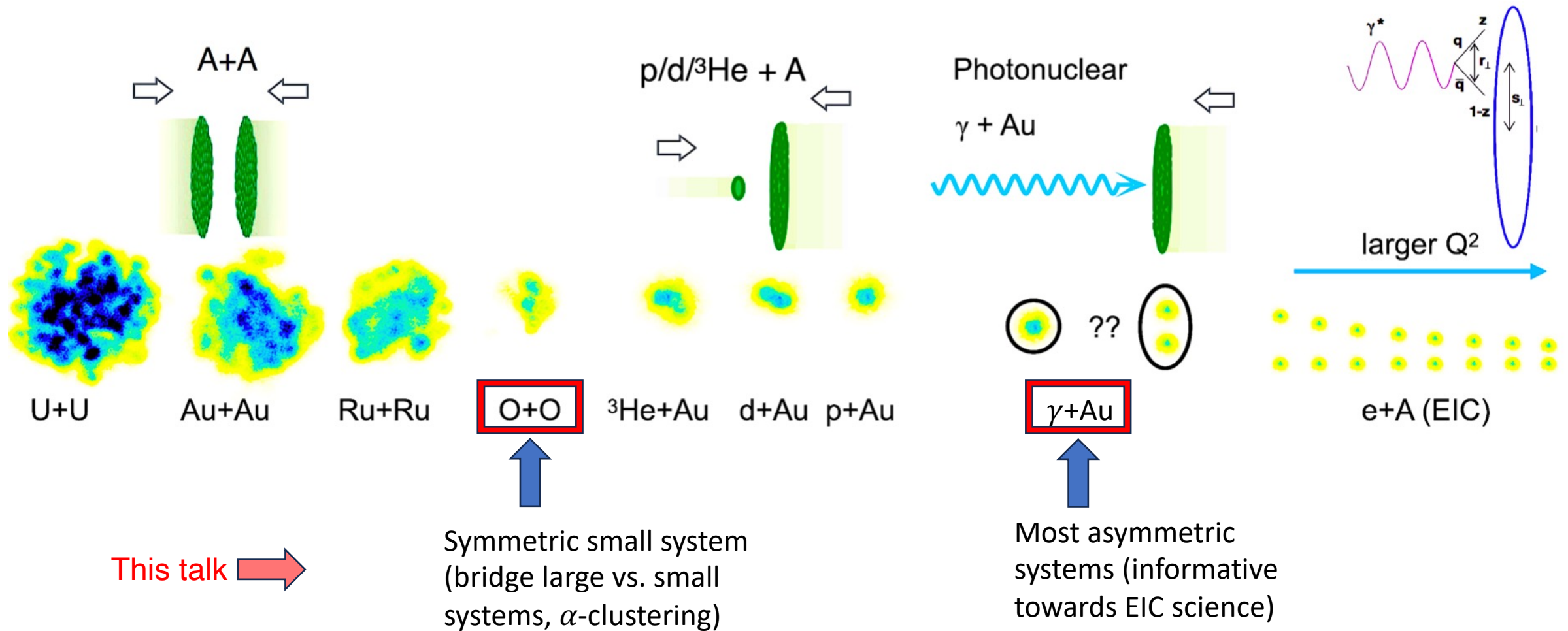
$v_2\{4\}/v_2\{2\}$: Flow fluctuation in central O+O



Quark Glauber:
 PRC **94**, 024914 (2016)
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 Calculated by Giuliano

- ✓ Nucleon Glauber with NLEFT describes the $v_2\{4\}/v_2\{2\}$ better than quark Glauber
- Interplay between sub-nucleon fluctuation and many-nucleon correlation?
- ✓ Detailed hydro calculations can elucidate the role of α cluster in light nuclei

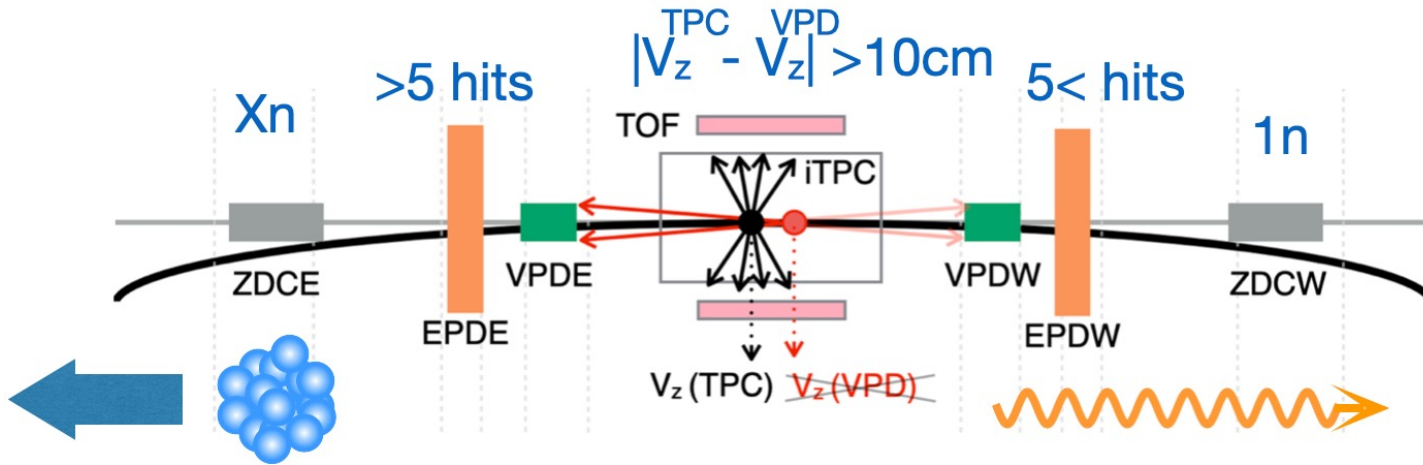
Outlook: γ +Au@STAR



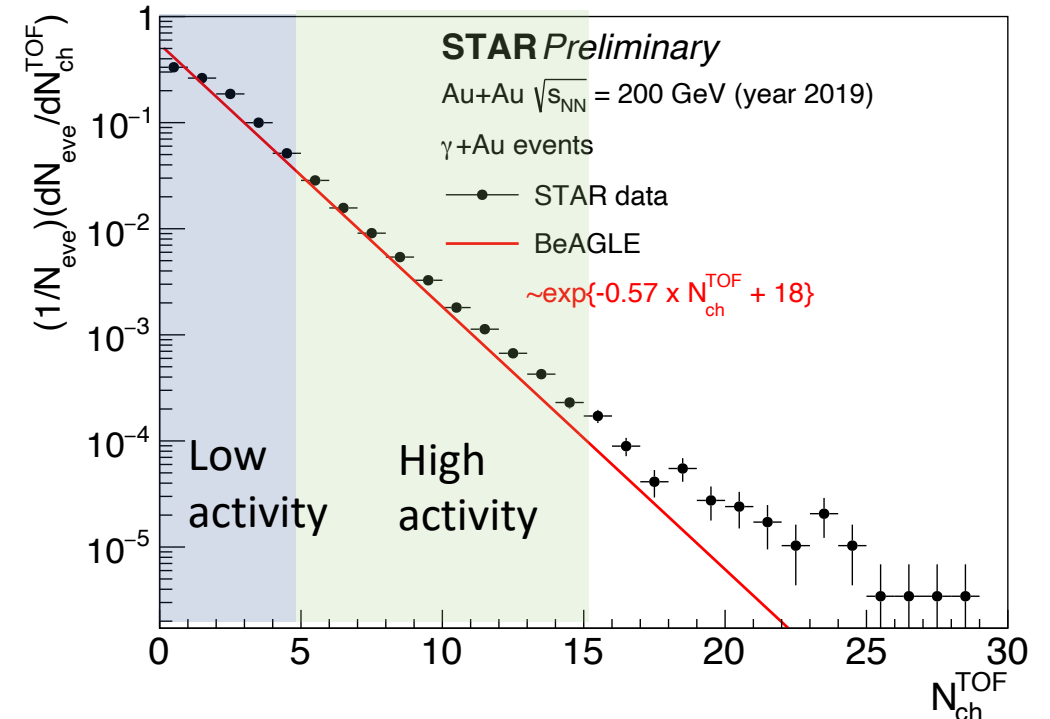
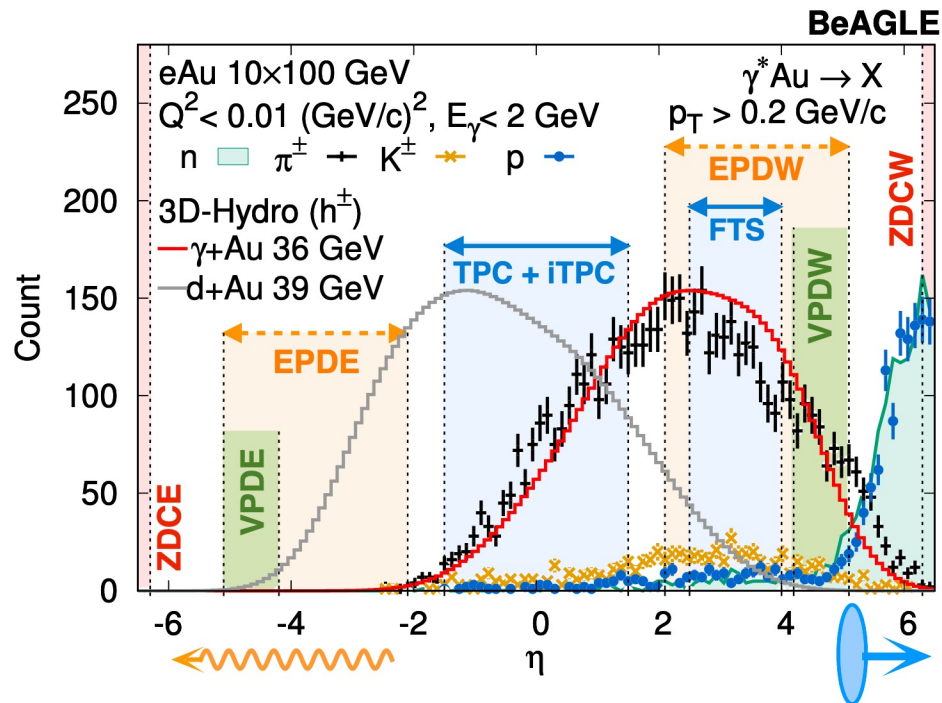
RHIC system scan: unique opportunity to investigate collectivity across various system sizes

Inclusive photonuclear events at STAR

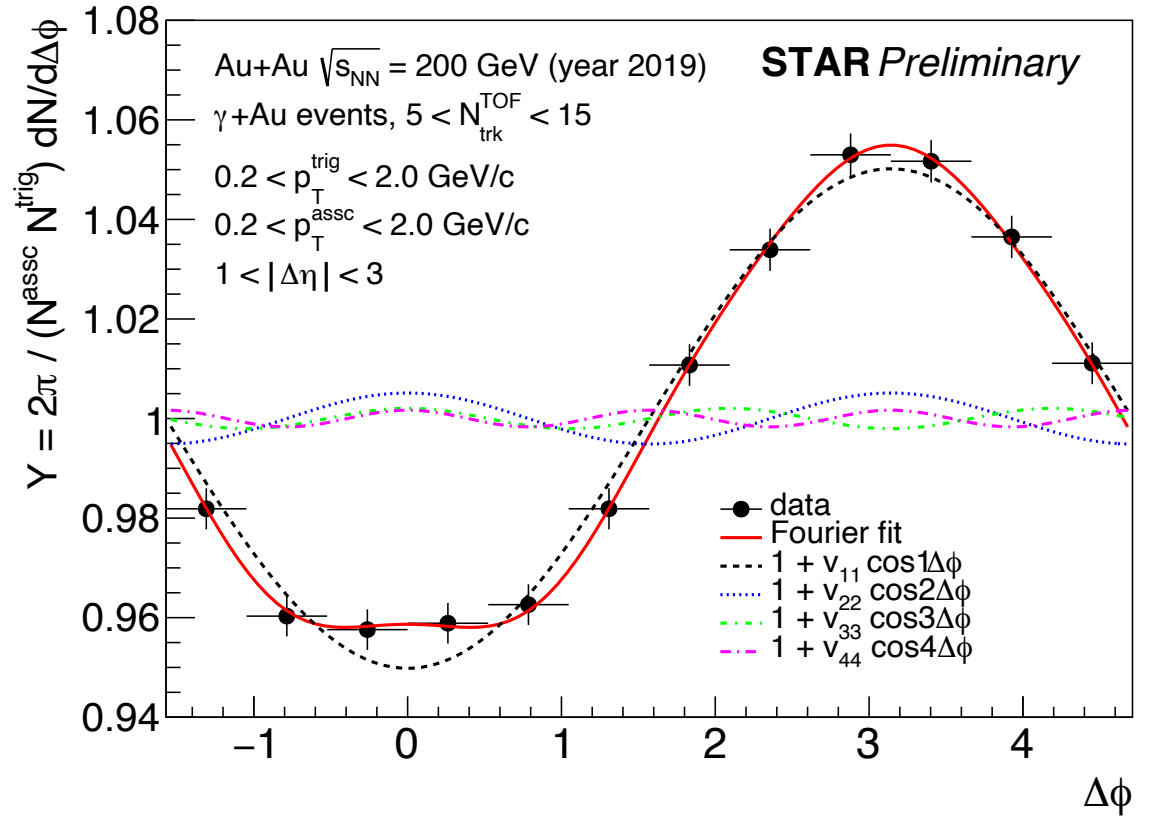
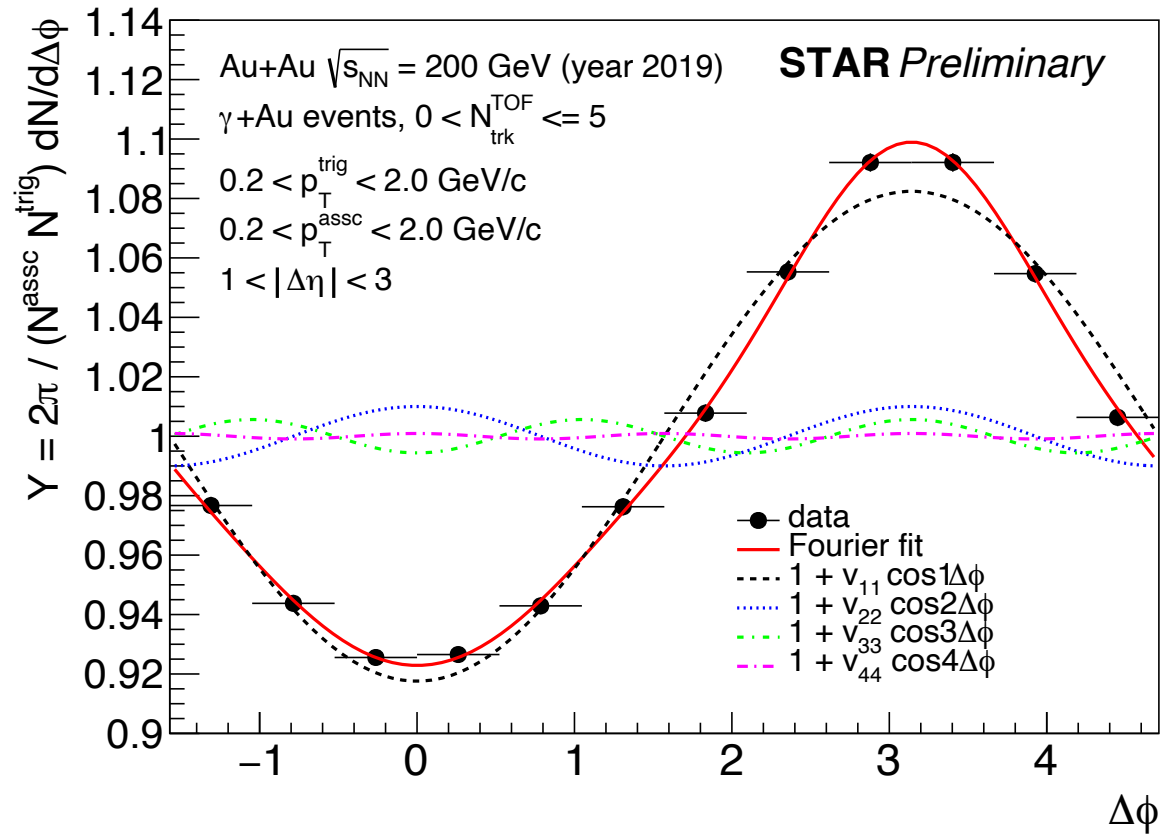
Event selection for γ +Au@STAR



Asymmetric cuts on EPDs & ZDC (1nXn) on Au+Au 200 GeV collisions (year 2019) --> sample of γ +Au ($E_{cm} \sim 40$ GeV) events



Exploratory study for γ +Au collisions



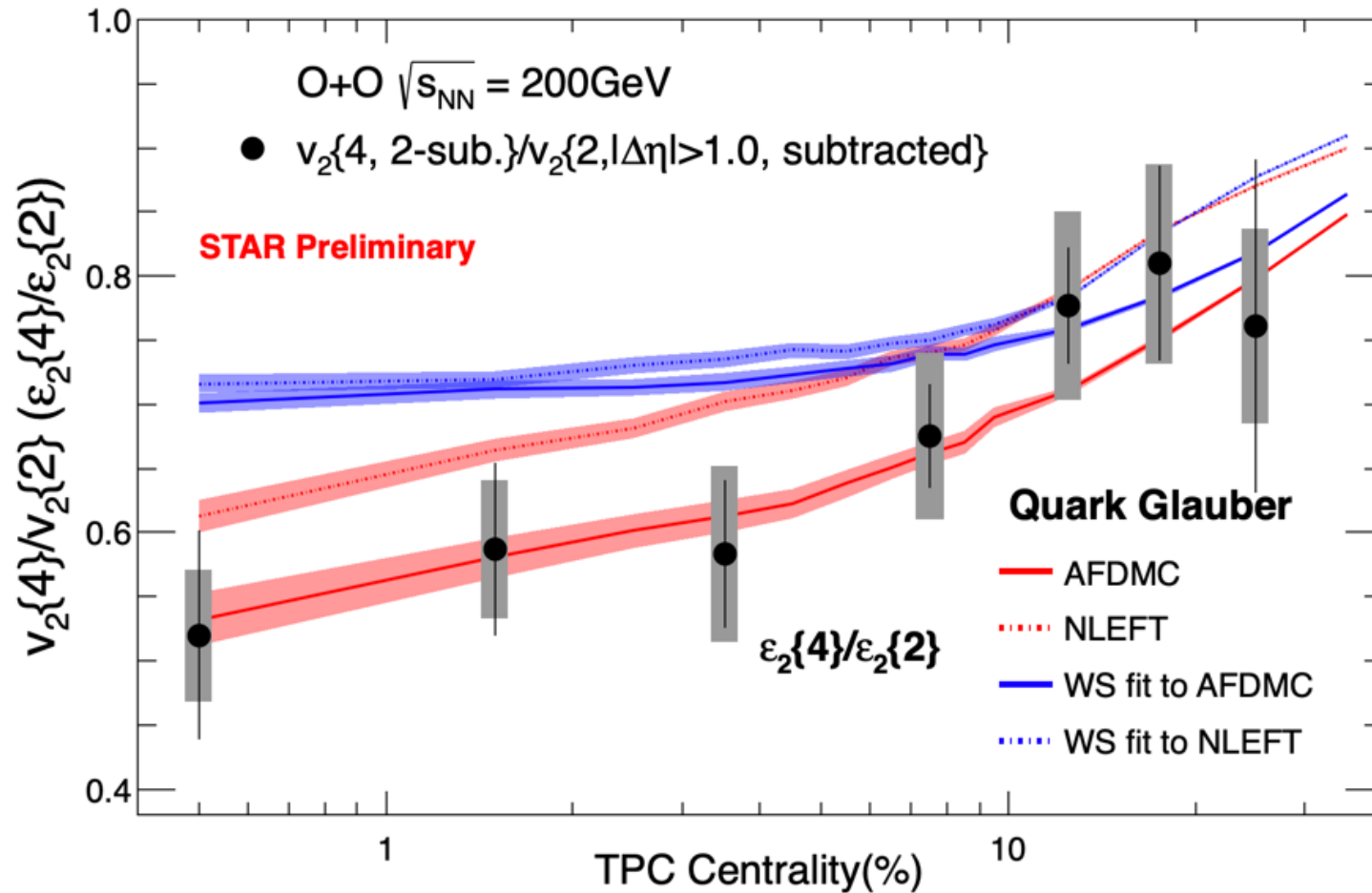
No sign of near side ridge but different near-side di-hadron correlations between low and high activity event class -- nonflow study is under investigation.

Opportunity with Run 2023 data: 6 M (1nXn) and 100 M (0nXn) γ +Au events collected

Summary

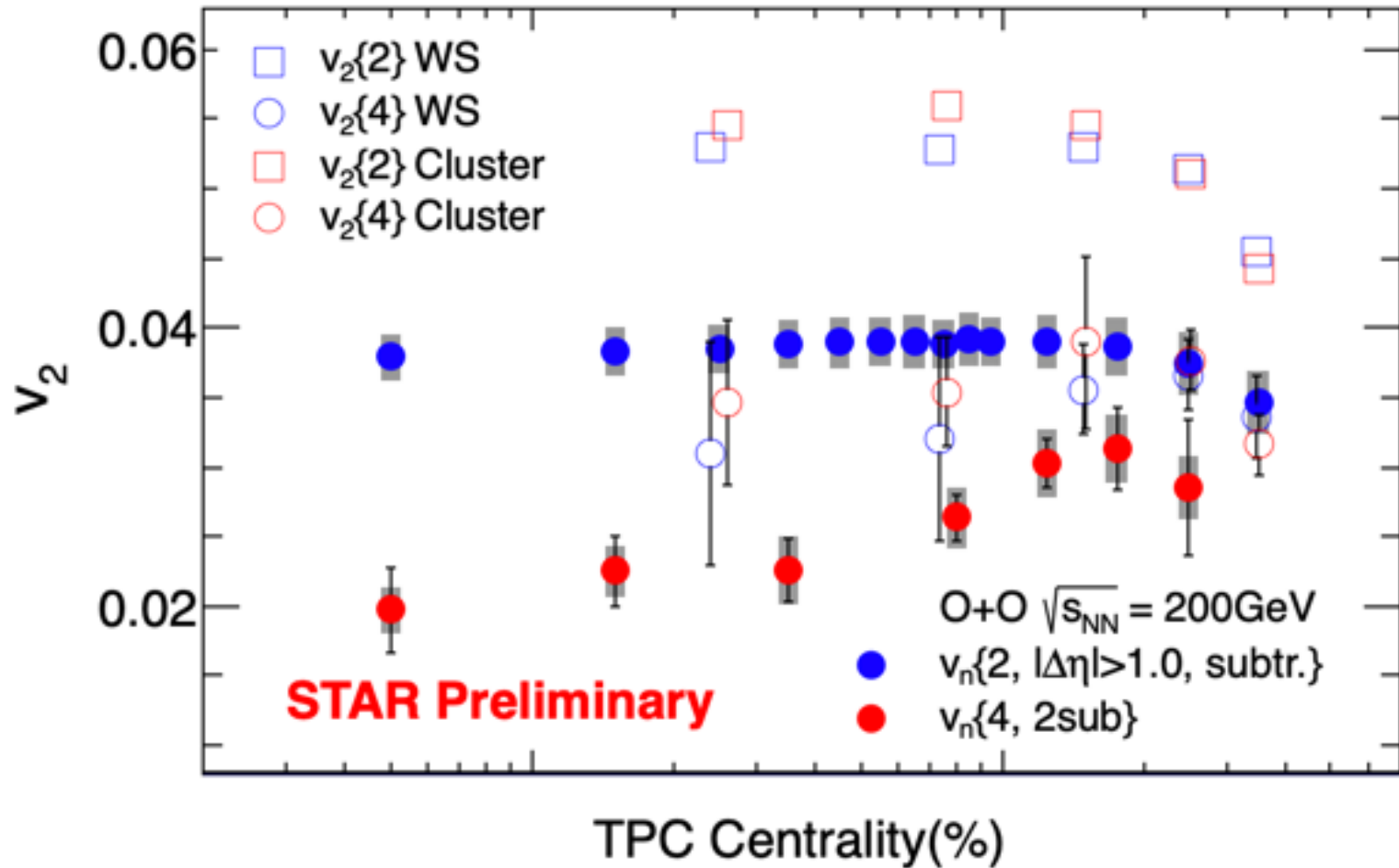
- We measured v_2 and v_3 in O+O collisions via di-hadron correlation and four types of nonflow subtraction methods
- v_n/ε_n are similar between O+O and $^3\text{He}+\text{Au}$, within a quark Glauber model
- $v_2\{4\}/v_2\{2\}$ show clear decrease in ultra-central collisions, consistent with $\varepsilon_2\{4\}/\varepsilon_2\{2\}$, indicating enhanced fluctuations due to possible many-nucleon correlations.
- In future, new $\gamma+\text{Au}@2023$ and $\text{d}+\text{Au}@2021$ will provide more information for anisotropy in small system

$$v_2\{4\}/v_2\{2\}$$



From quark Glauber, the $\epsilon_2\{4\}/\epsilon_2\{2\}$ ratio from AFDMC or NLEFT model with many-nucleon correlations can describe the $v_2\{4\}/v_2\{2\}$

Comparing with Hydro



Nicholas Summerfield et al. PRC **104**, L041901 (2021)