

# Collision-system dependence of charge separation relative to the second- and third-order event planes; Implications for the Chiral Magnetic Effect in STAR

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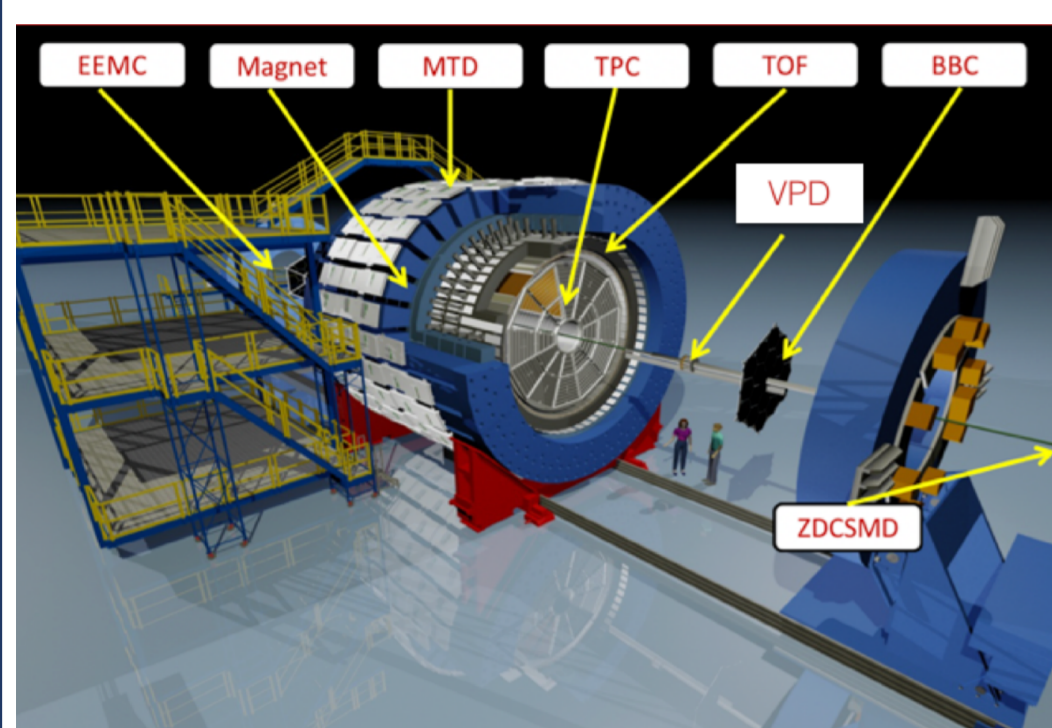
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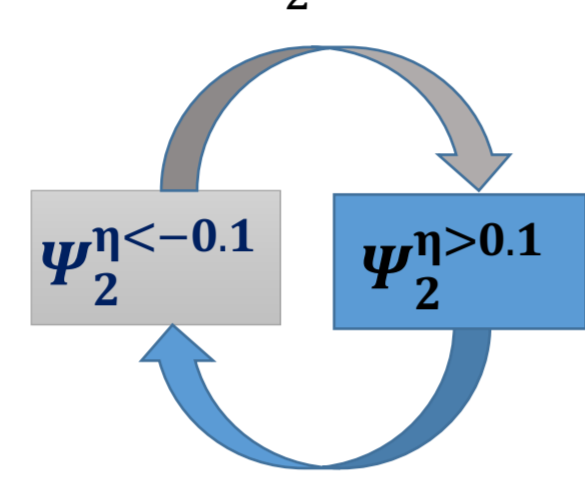
## Abstract

A charge-sensitive correlator ( $R_{\Psi_m}(\Delta S)$ ) is used to detect and characterize charge separation associated with the Chiral Magnetic Effect (CME) in heavy-ion collisions. The correlator gives a concave-shaped response relative to the second-order event plane,  $\Psi_2$ , and a null response relative to the third-order plane,  $\Psi_3$ , for CME-driven charge separation [1]. We present and discuss  $R_{\Psi_m}(\Delta S)$  measurements relative to  $\Psi_2$  and  $\Psi_3$ , for collisions of U+U at  $\sqrt{s_{NN}} = 193$  GeV, Au+Au, Cu+Au and p(d)+Au at  $\sqrt{s_{NN}} = 200$  GeV. The  $R_{\Psi_2}(\Delta S)$  measurements are also presented for different event-shape selections.

## The STAR experiment at RHIC



- The TPC detector is used in the current analysis
- Charged hadrons with  $0.2 < p_T < 2.0$  GeV/c are used to construct  $\Psi_2^{\eta > 0.1}$  and  $\Psi_2^{\eta < -0.1}$



- Particles with  $0.35 < p_T < 2.0$  GeV/c and  $\eta < 0$  are analyzed using  $\Psi_2^{\eta > 0.1}$
- Particles with  $0.35 < p_T < 2.0$  GeV/c and  $\eta > 0$  are analyzed using  $\Psi_2^{\eta < -0.1}$

## $R_{\Psi_m}(\Delta S)$ correlator

As outlined in Ref. [1], the correlators can be expressed as the ratio:

$$R_{\Psi_m}(\Delta S) = \frac{C_{\Psi_m}(\Delta S)}{C_{\Psi_m}^{\perp}(\Delta S)}$$

$$C_{\Psi_m}(\Delta S) = \frac{N(\Delta S)}{N(\Delta S_{sh})}$$

$$\Delta\phi = \phi - \Psi_m$$

$$C_{\Psi_m}^{\perp}(\Delta S) = \frac{N(\Delta S^{\perp})}{N(\Delta S_{sh}^{\perp})}$$

Sensitive to charge separation (CME and Background):

$$N(\Delta S) = N(\langle S_{\Psi_m}^+ \rangle - \langle S_{\Psi_m}^- \rangle)$$

$$N(\Delta S^{\perp}) = N(\langle S_{\Psi_m}^{\perp+} \rangle - \langle S_{\Psi_m}^{\perp-} \rangle)$$

$$\langle S_{\Psi_m}^+ \rangle = \frac{\sum_1^p w_p \sin(\frac{m}{2} \Delta\phi)}{w_p}$$

$w_i$ : charge-dependent detector acceptance  
p/n: number of positive/negative hadrons per event

$$\langle S_{\Psi_m}^{\perp+} \rangle = \frac{\sum_1^p w_p \cos(\frac{m}{2} \Delta\phi)}{p}$$

$$\langle S_{\Psi_m}^- \rangle = \frac{\sum_1^n w_n \sin(\frac{m}{2} \Delta\phi)}{w_n}$$

$$\langle S_{\Psi_m}^{\perp-} \rangle = \frac{\sum_1^n w_n \cos(\frac{m}{2} \Delta\phi)}{n}$$

Shuffling of charges within an event breaks the charge separation sensitivity:

$$N(\Delta S_{sh}) = N(\langle S_{\Psi_m}^+ \rangle_{sh} - \langle S_{\Psi_m}^- \rangle_{sh})$$

$$N(\Delta S_{sh}^{\perp}) = N(\langle S_{\Psi_m}^{\perp+} \rangle_{sh} - \langle S_{\Psi_m}^{\perp-} \rangle_{sh})$$

$$\langle S_{\Psi_m}^+ \rangle_{sh} = \frac{\sum_1^p w_p \sin(\frac{m}{2} \Delta\phi)}{w_p^{sh}}$$

$$\langle S_{\Psi_m}^{\perp+} \rangle_{sh} = \frac{\sum_1^p w_p \cos(\frac{m}{2} \Delta\phi)}{w_p^{sh}}$$

$$\langle S_{\Psi_m}^- \rangle_{sh} = \frac{\sum_1^n w_n \sin(\frac{m}{2} \Delta\phi)}{w_n^{sh}}$$

$$\langle S_{\Psi_m}^{\perp-} \rangle_{sh} = \frac{\sum_1^n w_n \cos(\frac{m}{2} \Delta\phi)}{w_n^{sh}}$$

## Corrections for number fluctuations and the event plane resolution effects on the $R_{\Psi_m}(\Delta S)$

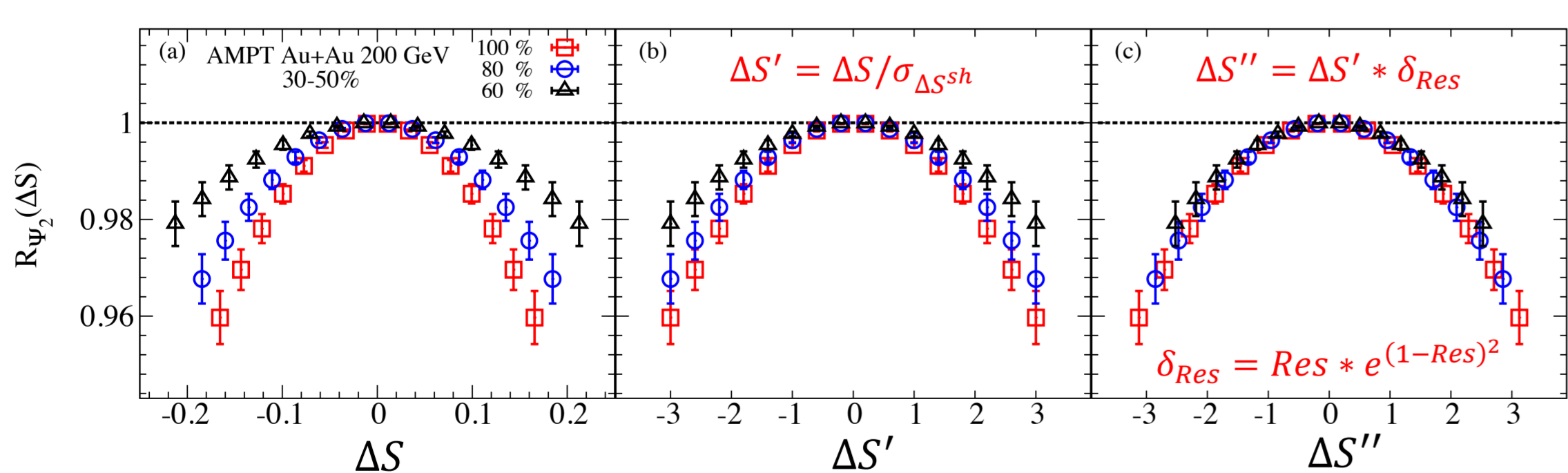
Charge separation magnitude is reflected in the width of the  $R_{\Psi_m}(\Delta S)$  distribution which is influenced by number fluctuations and event plane resolution. A scaling procedure was developed to mitigate both of these effects. This procedure was validated with the Au+Au data by selectively modifying the number fluctuations and the event plane resolution. Such modifications were accomplished by selecting a fraction of the particles in the sub-events used to (i) evaluate the event plane, (ii) measure charge separation relative to the event plane and (iii) both. Here we show a similar example using the AMPT model for case (iii).

✓ Number fluctuations

The influence of the particle number fluctuations can be minimized by empirically scale the  $\Delta S$  by  $\sigma_{\Delta S^{sh}}$  to be  $\Delta S'$ .

✓ Event plane resolution

The influence of the event plane resolution can be minimized by empirically scaling the  $\Delta S'$  by  $\delta_{Res}$  to be  $\Delta S''$ .

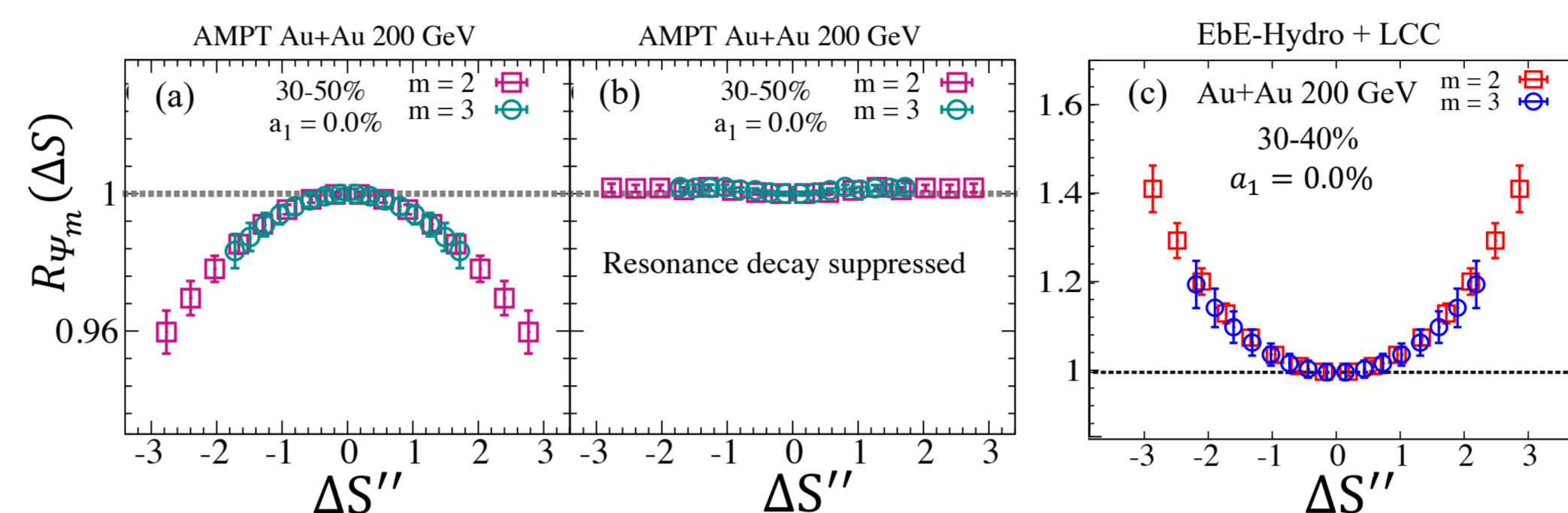


The different percentage represent the fraction of the event statistics used to create the  $R_{\Psi_m}(\Delta S)$  correlator. The empirical formula suggested can account for both the number fluctuations and the plane resolution effects on  $R_{\Psi_m}(\Delta S)$  [1].

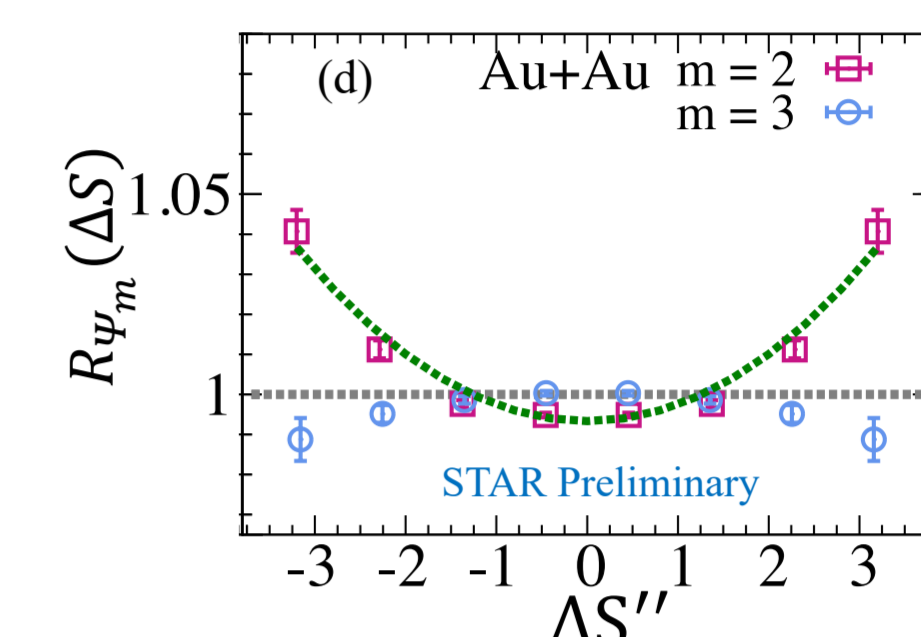
## Reference

- [1] N. Magdy, et al., Phys. Rev. C97, 061901 (2018)
- [2] V. Khachatryan et al. (CMS Collaboration) Phys. Rev. Lett. 118, 122301 (2017)

## $R_{\Psi_m}(\Delta S)$ response



- The  $R_{\Psi_2}(\Delta S)$  and  $R_{\Psi_3}(\Delta S)$  give similar response to the background irrespective of the correlator shape.



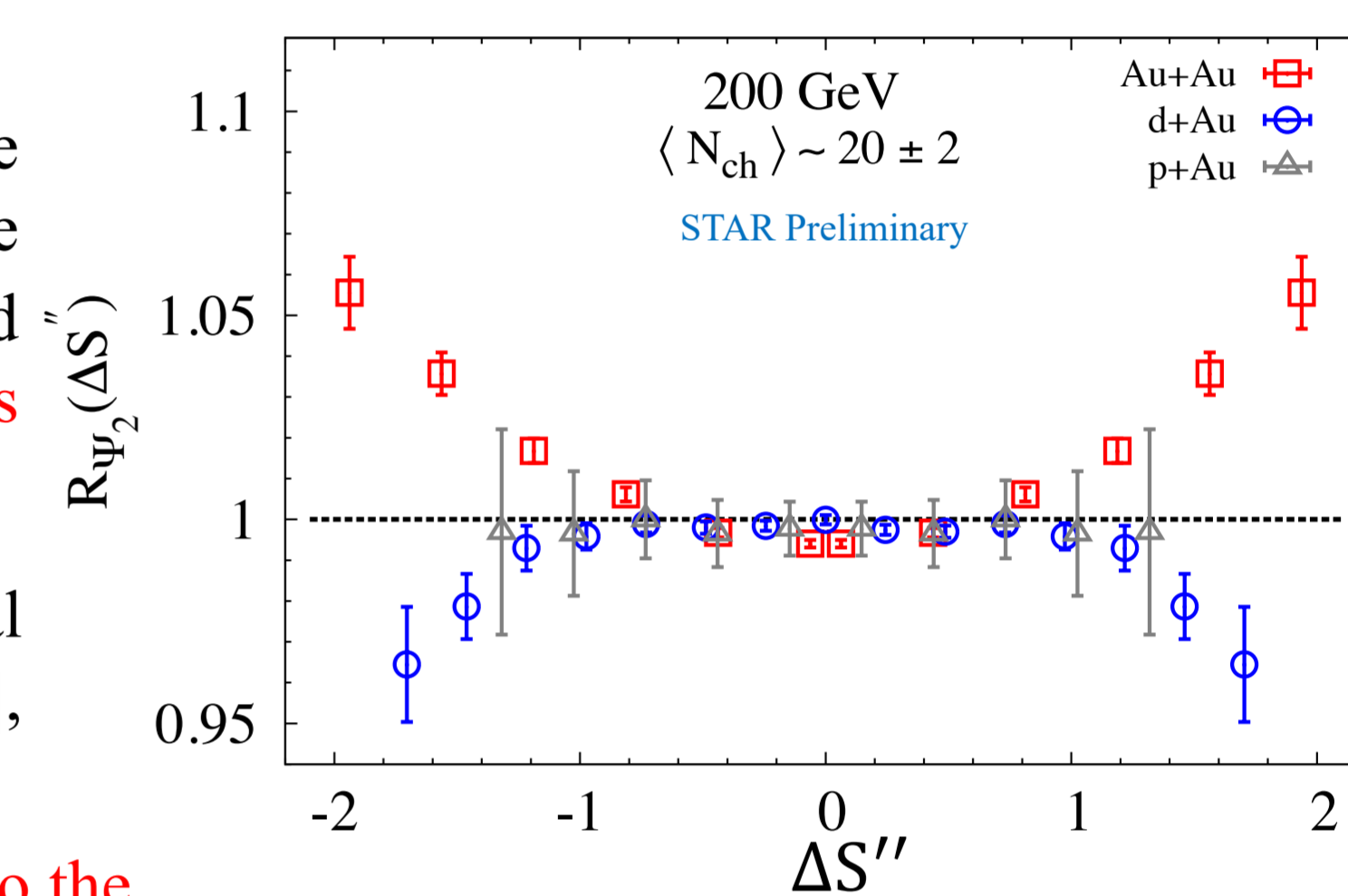
- The distinct difference in the measured response for  $R_{\Psi_2}(\Delta S)$  and  $R_{\Psi_3}(\Delta S)$  panel (d) are in contrast with the CME-driven charge separation.

## $R_{\Psi_m}(\Delta S)$ response for small and large systems

- The noticeably flat/convex distributions for p(d)+Au collisions are consistent with the reduced magnetic field strength and the approximately random  $\vec{B}$ -field orientations (relative to  $\Psi_2$ ) expected in these collisions. The distribution for peripheral Au+Au collisions is decidedly concave-shaped.

- These observations contrast with the large background-driven signal observed for p+Pb and peripheral Pb+Pb collisions at the LHC [2], with the  $\gamma$  correlator.

- These results suggest that the  $R_{\Psi_2}(\Delta S')$  correlator is less sensitive to the backgrounds than the  $\gamma$  correlator.

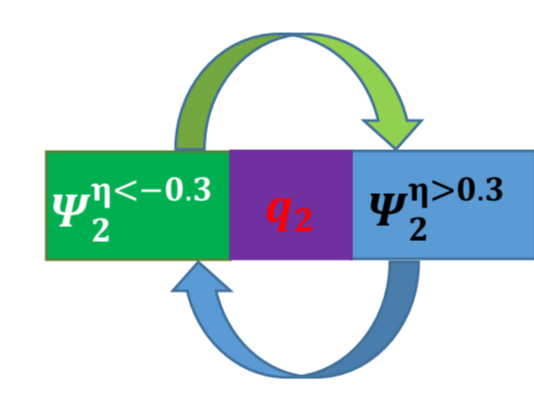


## $R_{\Psi_m}(\Delta S)$ response to event-shape selections

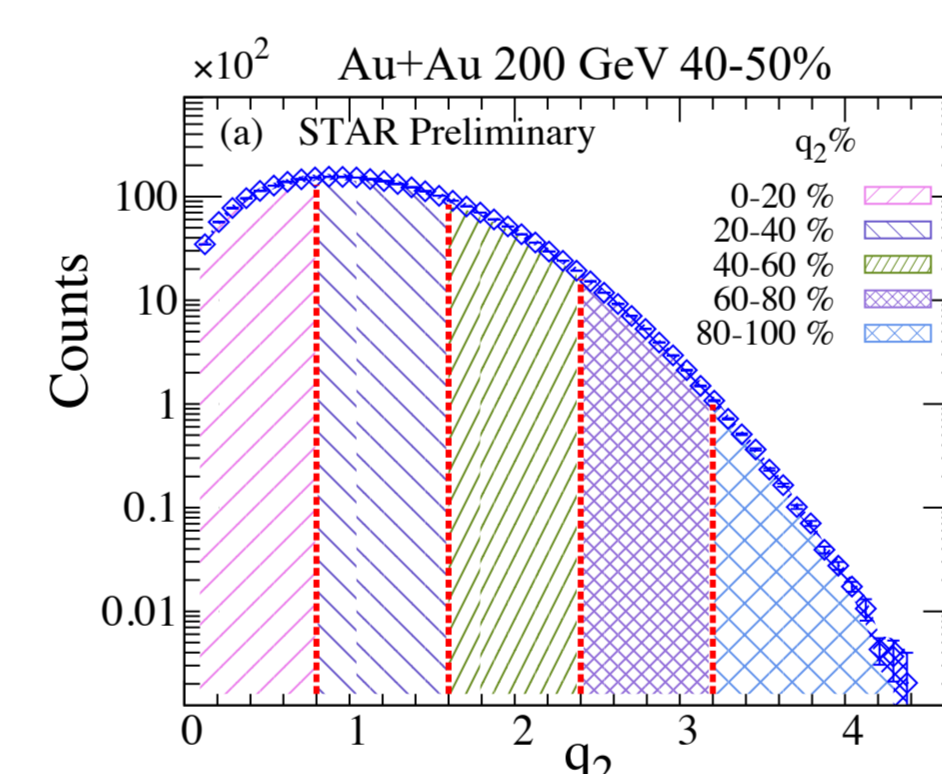
- Events are further subdivided into groups with different  $q_2$  magnitude:

$$Q_{2,x} = \sum_{i=1}^M \cos(2\phi_i) \quad Q_{2,y} = \sum_{i=1}^M \sin(2\phi_i)$$

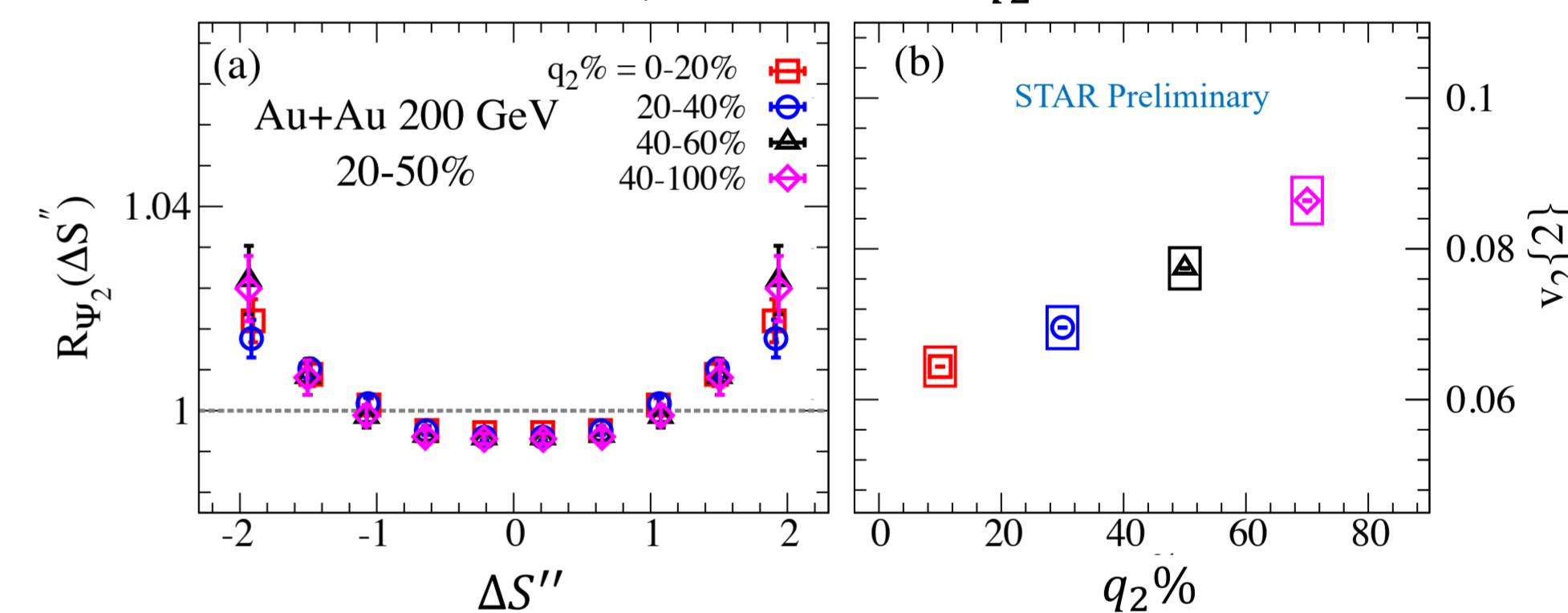
$$|Q_2| = \sqrt{Q_{2,x}^2 + Q_{2,y}^2} \quad q_2 = \frac{|Q_2|}{\sqrt{M}}$$



- The  $q_2$  distribution for 40-50% Au+Au collisions at 200 GeV, for the sub-event sample with  $|\eta| < 0.3$



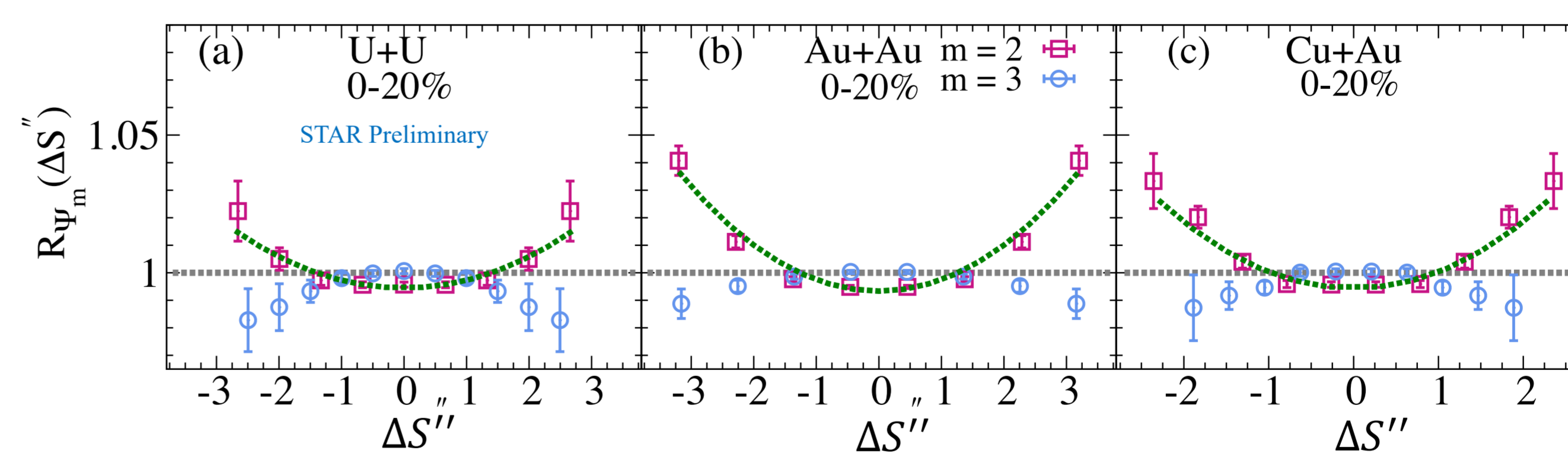
- $R_{\Psi_2}(\Delta S)$  correlators obtained for 20-50% central Au+Au collisions, for different  $q_2$  selections.



- Different  $q_2$  selections (right panel) suggests that  $R_{\Psi_2}(\Delta S)$  is not strongly influenced by the  $v_2$  background-driven charge separation.

## Collision-system dependence of the $R_{\Psi_m}(\Delta S)$

The  $R_{\Psi_2}(\Delta S)$  and  $R_{\Psi_3}(\Delta S)$  for 0-20% centrality selection in different collision systems.



- The  $R_{\Psi_2}(\Delta S)$  correlators for different collision systems is strikingly different from those for  $R_{\Psi_3}(\Delta S)$  correlators.
- The  $R_{\Psi_2}(\Delta S)$  decidedly concave-shaped, as would be expected for CME-driven charge separation with limited influence from background-driven charge separation.

## Conclusions

Charge separation correlator,  $R_{\Psi_m}$  (for  $m = 2, 3$ ), is investigated in, U+U collisions at  $\sqrt{s_{NN}} = 193$  GeV, Au+Au, Cu+Au and p(d)+Au collisions at  $\sqrt{s_{NN}} = 200$  GeV using the STAR detector.

- $R_{\Psi_m}$  measurements show:
  - ✓ Expected difference in the response for  $\Psi_2$  and  $\Psi_3$
  - ✓ Expected difference in the response for small (p(d)+Au) and large systems (Au+Au)
  - ✓  $R_{\Psi_2}$  width is  $q_2$  independent (weak  $v_2$ -driven background sensitivity)

The presented  $R_{\Psi_m}$  results are consistent with the expectation for CME-driven charge separation.