Observation of ${}^{3}_{\Lambda}H$ **and** ${}^{3}_{\overline{\Lambda}}\overline{H}$ **@ RHIC**

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- Introduction & Motivation
- Evidence for first antihypernucleus
 - ${}^{3}_{\Lambda}H$ and ${}^{3}_{\overline{\Lambda}}\overline{H}$ signal (for discovery)
 - Mass and Lifetime measurements
- Production rate and ratios
 - Yields as a measure of correlation
 - A case for RHIC energy scan
- Conclusions and Outlook



a passion for discovery





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What are hypernuclei?

Nucleus which contains at least one hyperon in addition to nucleons.



The first hypernucleus was discovered by Danysz and Pniewski in 1952. It was formed in a cosmic ray interaction in a balloon-flown emulsion plate. *M. Danysz and J. Pniewski*, *Phil. Mag.* 44 (1953) 348

> No one has ever observed any antihypernucleus

Hypernuclei of lowest A $^{3}_{\Lambda}H(n+p+\Lambda)$ $^{3}_{\overline{\Lambda}}\overline{H}(\overline{n}+\overline{p}+\overline{\Lambda})$

- Y-N interaction: a good window to understand the baryon potential
- Binding energy and lifetime are very sensitive to Y-N interactions
- Hypertriton: **△B=130±50 KeV**; r~10fm
- Production rate via coalescence at RHIC depends on overlapping wave functions of n+p+Λ in final state
- Important first step for searching for other exotic hypernuclei (double-Λ)

STAR from Hypernuclei to Neutron Stars

hypernuclei $\leftarrow \Lambda$ -B Interaction \rightarrow Neutron Stars



M ~ 1.4 M.

- Kaon condensate, hyperons, strange quark matter
- **Single** and **double** hypernuclei in the laboratory:

J.M. Lattimer and M. Prakash, "The Physics of Neutron Stars", Science 304, 536 (2004) J. Schaffner and I. Mishustin, *Phys. Rev. C* 53 (1996): Hyperon-rich matter in neutron stars

- study the strange sector of the baryon-baryon interaction
- provide info on EOS of neutron stars



Current hypernucleus experiments



STAR Can we observe hypernuclei at RHIC?

- Low energy and cosmic ray experiments (wikipedia): hypernucleus production via
 - Λ or K capture by nuclei
 - the direct strangeness exchange reaction
 - hypernuclei observed
 - energetic but delayed decay,
 - measure momentum of the K and π mesons?
- In high energy heavy-ion collisions:
 - nucleus production by coalescence, characterized by penalty factor.
 - AGS data^[1] indicated that hypernucleus production will be further suppressed.
 - What's the case at RHIC?







 $^{3}\mathrm{He}$

 π^+



Data-set and track selection

³ H mesonic decay, m=2.991 GeV, B.R. 0.25; ${}_{\overline{A}}^{3}\overline{H} \rightarrow {}^{3}\overline{H}e + \pi^{+}$ $^{3}_{\Lambda}H \rightarrow ^{3}He + \pi^{-}$ Data-set used, Au+Au 200 GeV ✓~67M Run7 MB, ✓~23M Run4 central. ✓~22M Run4 MB. √|VZ| < 30cm • Track quality cuts, global track \checkmark nFitsPts > 25, nFitsPts/Max > 0.52 \checkmark nHitsdEdx > 15 $\checkmark P_t > 0.20$, |eta| < 1.0 ✓ Pion n-sigma (-2.0, 2.0)

Secondary vertex finding technique



³He & anti-³He selection



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Select pure ³He sample: -0.2 < Z < 0.2 & dca < 1.0 cm & p > 2 GeV

³He: 2931(MB07) + 2008(central04) + 871(MB04) = 5810

Anti-³He: 1105(MB07) + 735(central04) + 328(MB04) = 2168



- background shape determined from rotated background analysis;
- Signal observed from the data (bin-by-bin counting): 157 \pm 30 ;
- Projection on antihypertriton yields: $\frac{{}^{3}}{\Lambda}\overline{H} = {}^{3}_{\Lambda}H^{*}\overline{He}/{}^{3}He = 157 * 2168/5810 = 59 \pm 11$ constraint on antihypertriton yields without direct observation



 $\frac{3}{\Lambda}\overline{H}$ signal from the data



Signal observed from the data (bin-by-bin counting): 70±17;
 Mass: 2.991±0.001 GeV; Width (fixed): 0.0025 GeV;

Combined signals

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 \diamond Theory input: the Λ is lightly bound in the hypertriton

[1] R. H. Dalitz, Nuclear Interactions of the Hyperons (Oxford Uni. Press, London, 1965).

[2] R.H. Dalitz and G. Rajasekharan, Phys. Letts. 1, 58 (1962).

[3] H. Kamada, W. Glockle at al., Phys. Rev. C 57, 1595(1998).



Measured invariant yields and ratios



TABLE I: Particle ratios from Au+Au collisions at $\sqrt{s_{NN}} = 200 \text{ GeV}/c$. The ³He (³He) yield have been corrected for ³_AH ($^{3}_{\bar{A}}\bar{H}$) feed-down contribution.

Particle type	Ratio
${}^3_{ar\Lambda} {ar H}/{}^3_{\Lambda} { m H}$	$0.49 \pm 0.18 \pm 0.07$
$^{3}\bar{\mathrm{He}}/^{3}\mathrm{He}$	$0.45 \pm 0.02 \pm 0.04$
${}^3_{ar\Lambda} ar{\mathrm{H}}/{}^3 ar{\mathrm{He}}$	$0.89 \pm 0.28 \pm 0.13$
$^3_{\Lambda}{ m H}/^3{ m He}$	$0.82 \pm 0.16 \pm 0.12$

In a coalescence picture:

$${}^{3}_{\Lambda}\overline{H}/{}^{3}_{\Lambda}H \propto (\overline{p}/p)(\overline{n}/n)(\overline{\Lambda}/\Lambda)$$
$${}^{3}\overline{H}e/{}^{3}He \propto (\overline{p}/p)^{2}(\overline{n}/n)$$

 $0.45 \sim (0.77)^3$

Antinuclei in nature (new physics)

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To appreciate just how rare nature produces antimatter (strange antimatter)



Matter and antimatter are not created equal **STAR**

But we are getting there !





J. Rafelski and B. Muller, Phys.Rev.Lett.48:1066,1982



STAR Yields as a measure of correlation

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probability $F_d(p)$, which is determined by the deuteron internal wave function ψ_d and the spatial distribution functions D_p and D_n through eq. (9). If the k-dependences of $P_p(k)$ and $P_n(k)$ are weak compared with the p-dependence of $F_d(p)$, eq. (8) becomes equivalent to eq. (1) for Z = N = 1 with

$$\tfrac{4}{3}\pi p_0^3=\int\mathrm{d}\boldsymbol{p}\,F_{\rm d}(\boldsymbol{p})$$

Using eq. (9), one can express the coalescence volume in terms of ψ_d , D_p and D_n as

$$\frac{4}{3}\pi p_0^3 = 2^3 \cdot \frac{3}{4} \cdot (2\pi)^3 \int d\mathbf{r} \, |\psi_d(\mathbf{r})|^2 D_2(\mathbf{r}) , \quad D_2(\mathbf{r}) \equiv \int d\mathbf{r}' \, D_p(\mathbf{r} - \mathbf{r}') D_n(\mathbf{r}') \,. \tag{11.12}$$

 $D_2(r)$ gives the distribution of the p-n relative coordinate in the HX and is closely related to the interaction volume introduced by Mekjian [6]. In fact, if the spatial size of the internal wave function ψ_d is much smaller than that of the HX, then eq. (11) gives

$$A=2 \rightarrow Baryon \ density <\rho_B > (13)$$

 $D_2(0)$ thus corresponds to the inverse of the interaction volume. In the actual situation, however, the size of the deuteron is comparable to that of the HX and therefore one has to use eq. (11) to relate the coalescence volume with the spatial size of the HX.

Expressions analogous to eqs. (8-10) can be obtained for the other composite particles such as ³H, ³He and ⁴He. In the case of triton (³H) one gets

$$P(1, 2; k) = \int dp_1 dp_2 F_t(p_1, p_2) P_p(k + p_1) P_n(k - \frac{1}{2}p_1 + p_2) P_n(k - \frac{1}{2}p_1 - p_2),$$

$$F_{t}(\boldsymbol{p}_{1},\boldsymbol{p}_{2}) = 3^{3} \cdot \frac{1}{4} \int \frac{d\boldsymbol{q}_{1} d\boldsymbol{q}_{2}}{(2\pi)^{6}} \widetilde{\psi}_{t}^{*}(\boldsymbol{p}_{1} + \frac{1}{2}\boldsymbol{q}_{1},\boldsymbol{p}_{2} + \frac{1}{2}\boldsymbol{q}_{2}) \widetilde{\psi}_{t}(\boldsymbol{p}_{1} - \frac{1}{2}\boldsymbol{q}_{1},\boldsymbol{p}_{2} - \frac{1}{2}\boldsymbol{q}_{2}) \\ \times \widetilde{D}_{n}(\boldsymbol{q}_{1}) \widetilde{D}_{n}(-\frac{1}{2}\boldsymbol{q}_{1} + \boldsymbol{q}_{2}) \widetilde{D}_{n}(-\frac{1}{2}\boldsymbol{q}_{1} - \boldsymbol{q}_{2}),$$

where
$$\tilde{\psi}_t$$
 is the Fourier transform of the triton internal wave function ψ_t . The coalescence volume is related to F_t as

$$\frac{1}{2} (\frac{4}{3} \pi p_0^3)^2 = \int dp_1 dp_2 F_t(p_1, p_2). \qquad A=3 \rightarrow <\rho_B^2 >; <\rho_A \rho_B >$$





Caution:

measurements related to local (strangeness baryon)-baryon correlation

Simulations of (all strangeness)-(all baryon) correlation



$({}^{3}\text{He}, t, {}^{3}_{\Lambda}\text{H}) \rightarrow (u, d, s)$



•A=3, a simple and perfect system
9 valence quarks,
(³He, t, ³_∆H)→(u, d, s)+4u+4d

•Ratio measures Lambda-nucleon correlation

- RHIC: Lambda-nucleon similar phase space
- AGS: systematically lower than RHIC
- → Strangeness phase-space equilibrium

 $^{3}\Lambda H$

• ³He/t measures charge-baryon correlation

$\int_{\Lambda}^{3} H/^{3} He$: Primordial Λ -B correlation



Energy scan to establish the trend

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Conclusions

- $4 \frac{3}{\Lambda} \overline{H}$ has been observed for 1st time; significance ~4 σ .
- Consistency check has been done on $^3_{\Lambda}H$ analysis; significance is ~5 σ
- The lifetime is measured to be $\tau = 182 \pm \frac{89}{45} \pm 27 \ ps$
- The $\frac{{}^{3}\overline{H}}{{}^{3}\overline{H}}$ ratio is measured as 0.49±0.18, and ${}^{3}\overline{H}e$ / ${}^{3}He$ is 0.45±0.02, favoring the coalescence picture.
- The $\frac{3}{\Lambda}\overline{H}/3\overline{H}e$ ratio is determined to be 0.89 \pm 0.28, and $\frac{3}{\Lambda}H/3He$ is 0.82 \pm 0.16. No extra penalty factor observed for hypertritons at RHIC. Strangeness phase space equilibrium



Outlook

Lifetime:

- data samples with larger statistics

Production rate:

- Strangeness and baryon correlation
 Need specific model calculation for this quantity
- Establish trend from AGS—SPS—RHIC—LHC
- ${}_{\Lambda}{}^{3}H \rightarrow d + p + \pi$ channel measurement: *d* and dbar via ToF.
- Search for other hypernucleus: ${}^{4}_{\Lambda}$ H, double Λ -hypernucleus.

Search for anti-α

RHIC: best antimatter machine ever built

STAR International Hyper-nuclear network

