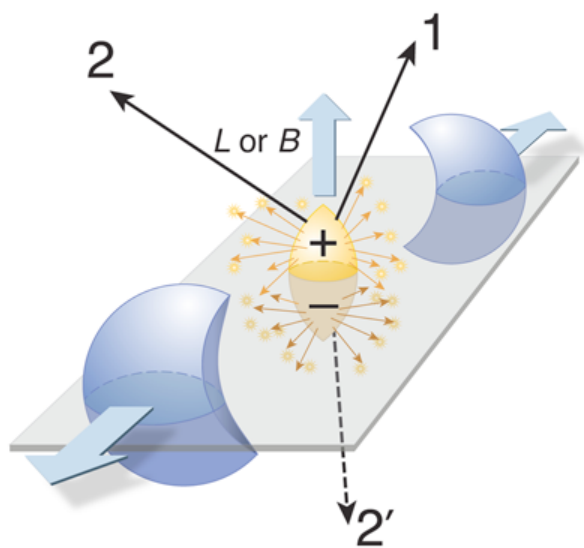
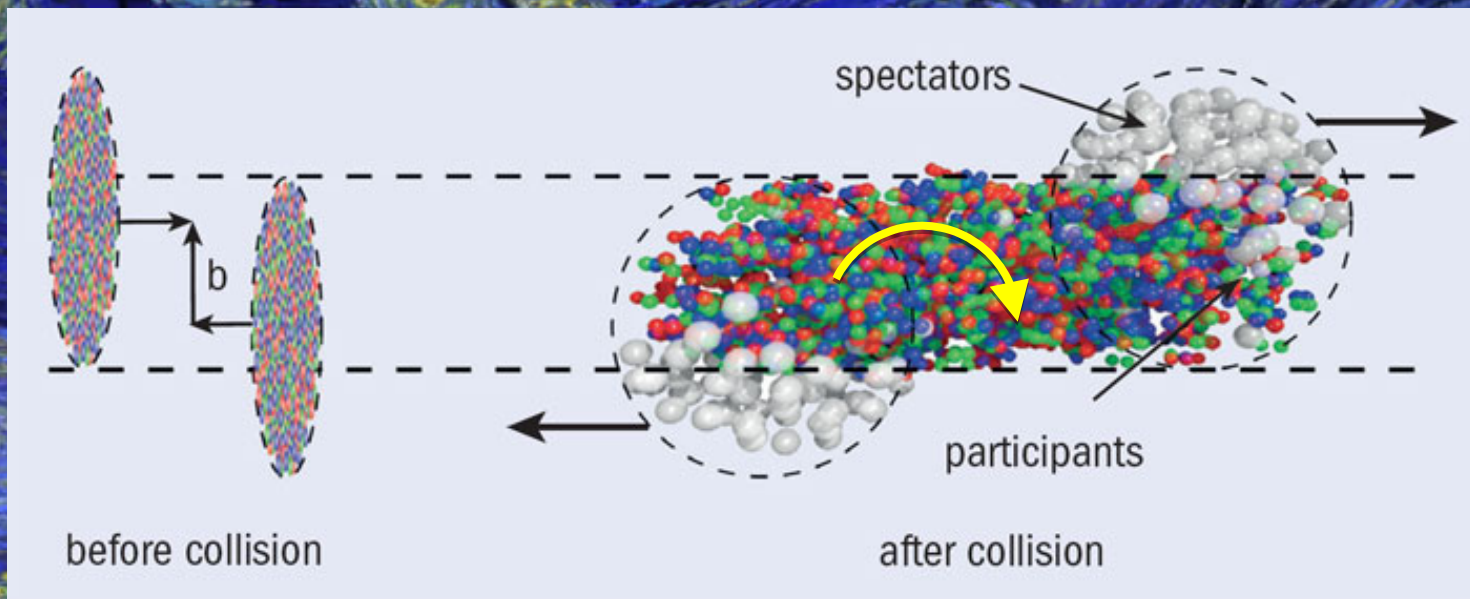




Global polarization of Lambda hyperons in Au+Au Collisions at RHIC BES

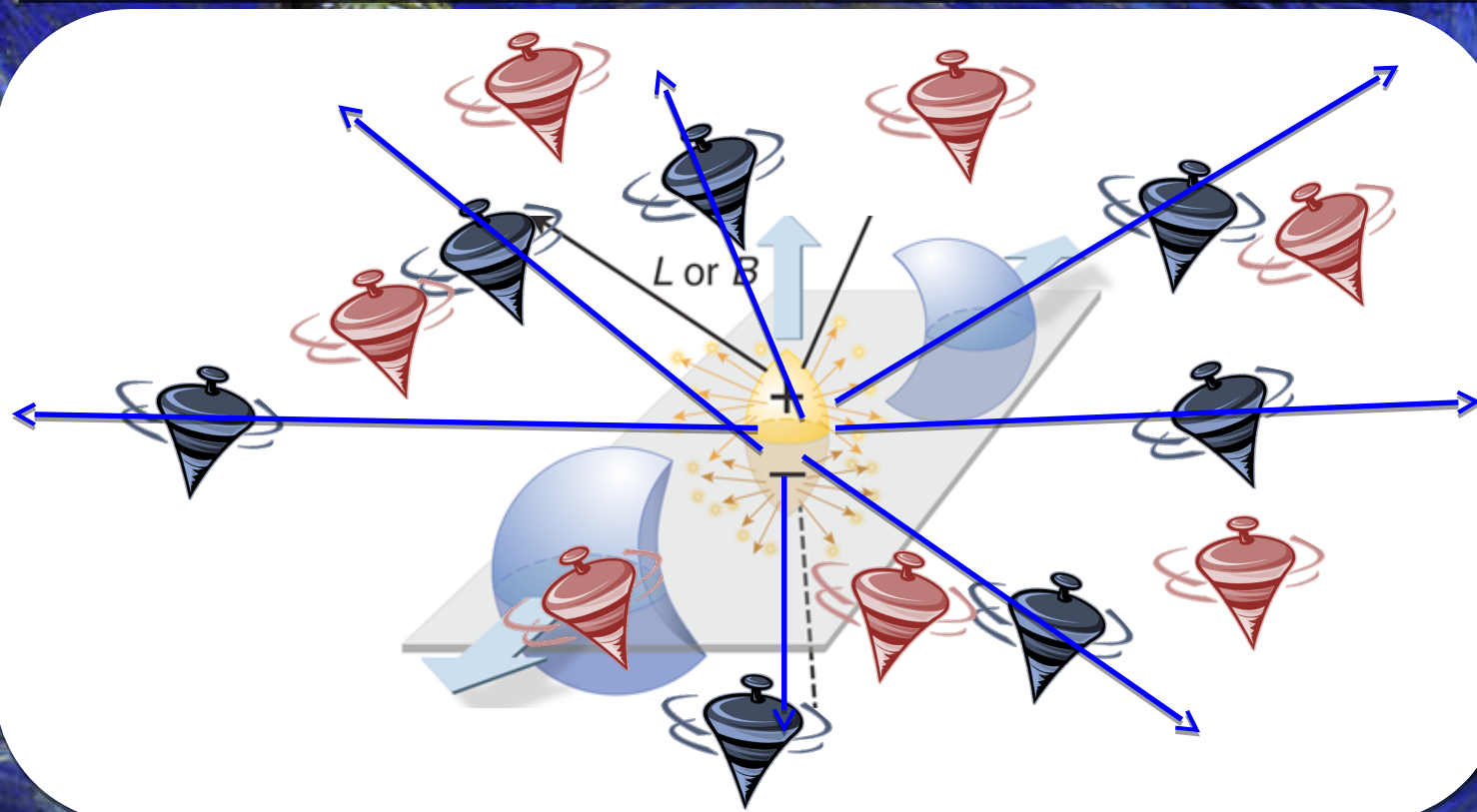
Isaac Upsal (OSU)
For the STAR collaboration
02/07/17





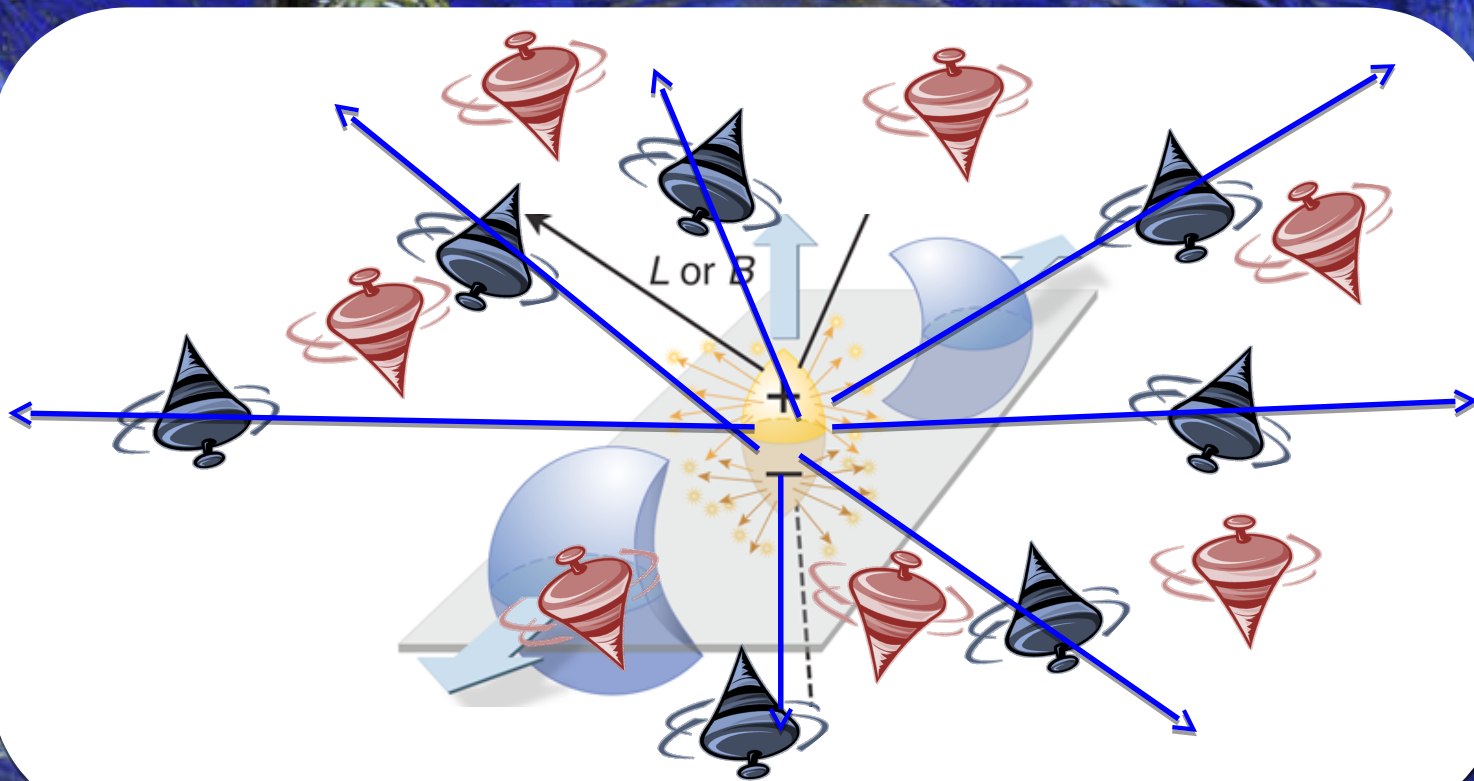
- $|L| \sim 10^3 \hbar$ in non-central collisions
- How much is transferred to particles at mid-rapidity?
- Does angular momentum get distributed thermally?
- Does it generate a “spinning QGP?”
 - consequences?
- How does that affect fluid/transport?
 - Vorticity: $\vec{\omega} \equiv \frac{1}{2} \vec{\nabla} \times \vec{v}$
- How would it manifest itself in data?

Vorticity \rightarrow Global Polarization



- Vortical or QCD spin-orbit: Lambda and Anti-Lambda spins aligned with L

Magnetic field \rightarrow Global Polarization



- Vortical or QCD spin-orbit: Lambda and Anti-Lambda spins aligned with L
- (electro)magnetic coupling: Lambdas *anti*-aligned, and Anti-Lambdas aligned

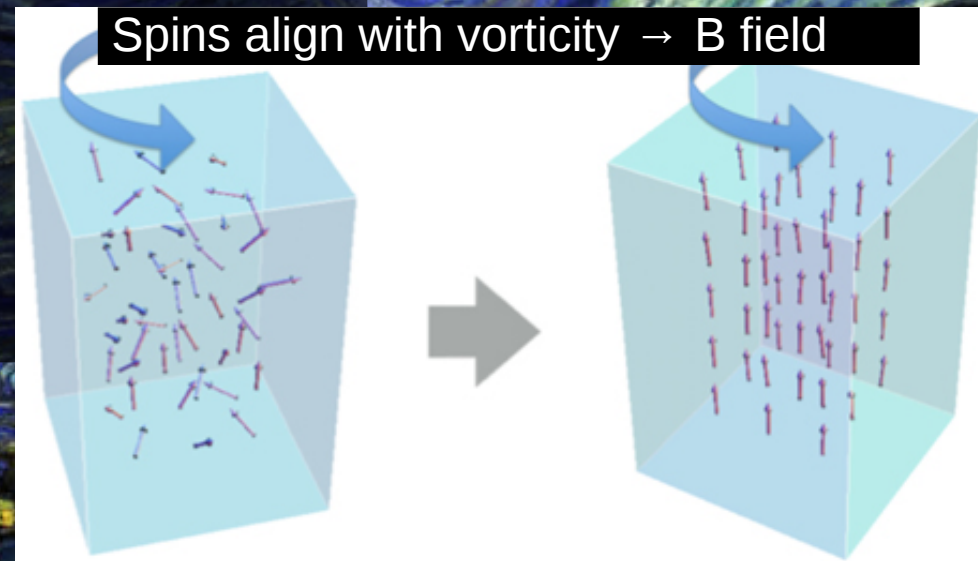
Both may contribute

Barnett effect

- Nice correspondence in Barnett effect
- BE: uncharged object rotating with angular velocity ω magnetizes

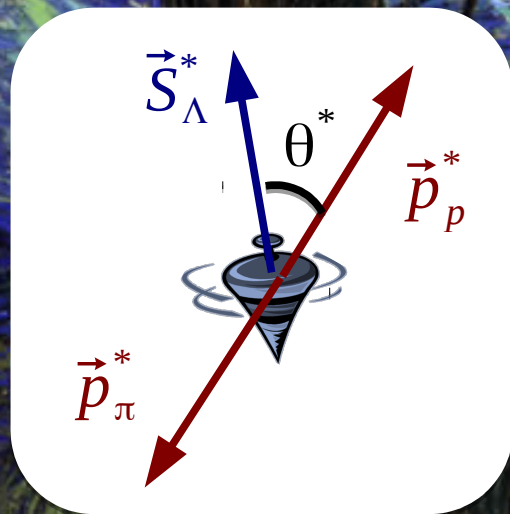
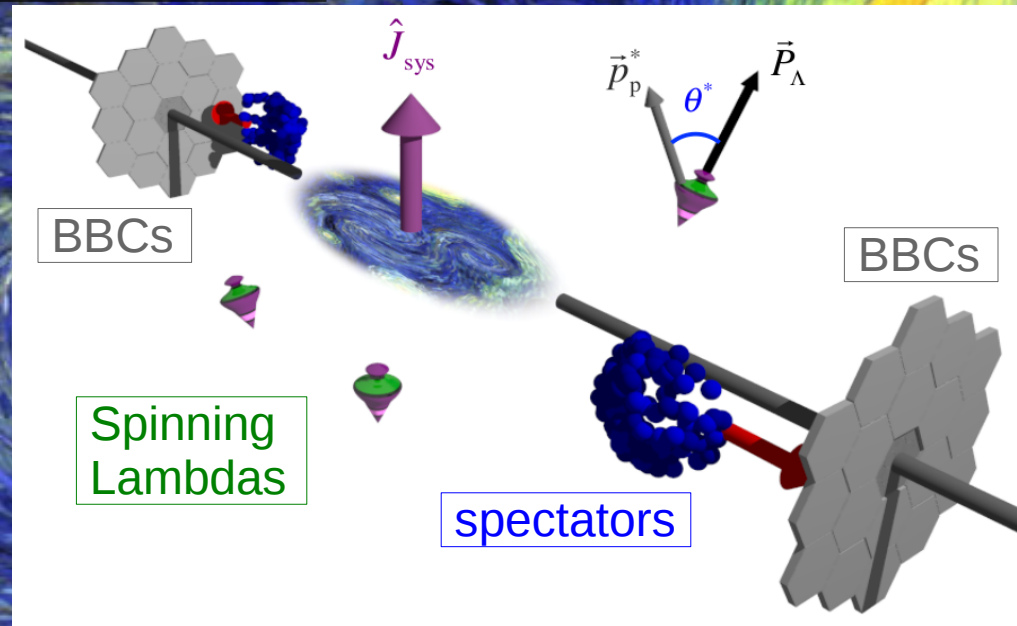
$$M = \chi \omega / \gamma$$

- γ = gyromagnetic ratio,
 χ = magnetic susceptibility



How to quantify the effect (I)

- Lambdas are “self-analyzing”
- Reveal polarization by preferentially emitting daughter proton in spin direction



Λ s with Polarization \vec{P} follow the distribution:

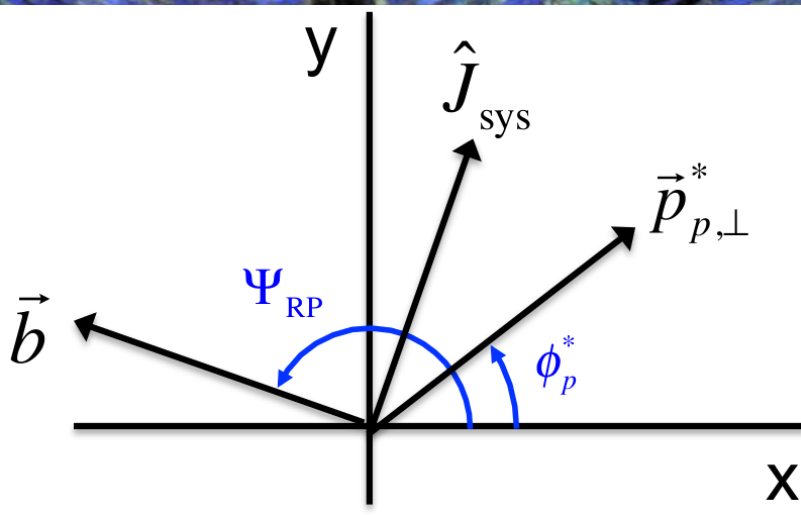
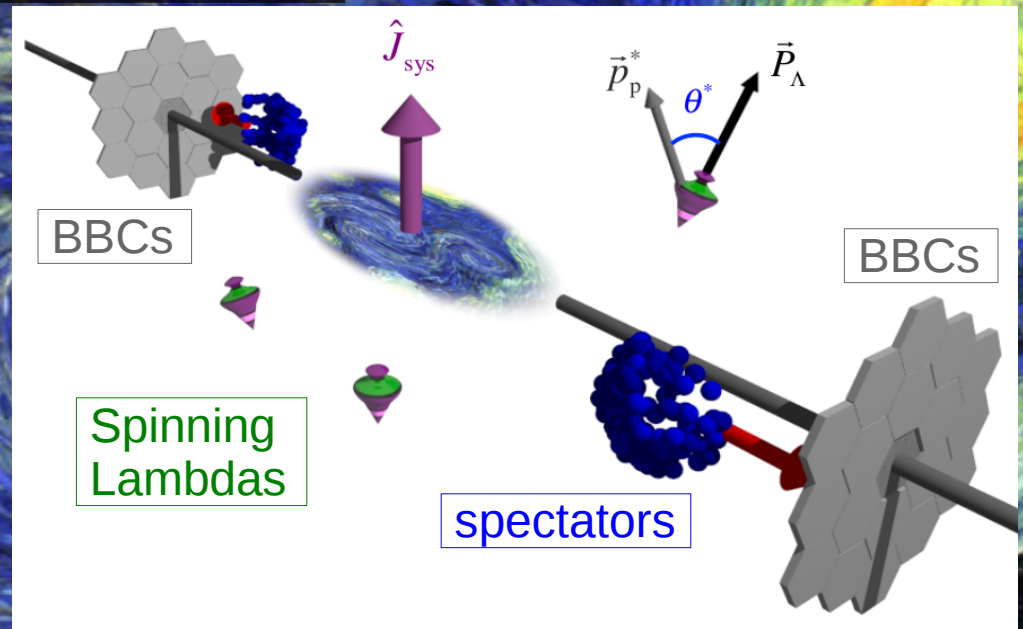
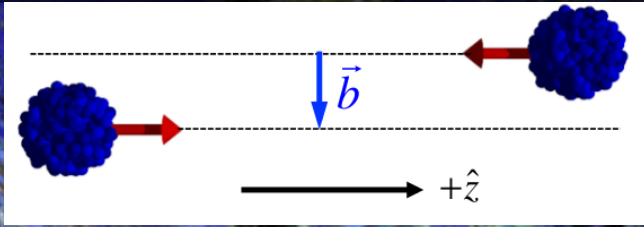
$$\frac{dN}{d\Omega^*} = \frac{1}{4\pi} (1 + \alpha \vec{P} \cdot \hat{p}_p^*) = \frac{1}{4\pi} (1 + \alpha P \cos \theta^*)$$

$$\alpha = 0.642 \pm 0.013 \quad [\text{measured}]$$

\hat{p}_p^* is the daughter proton momentum direction *in the Λ frame* (note that this is opposite for $\bar{\Lambda}$)

$$0 < |\vec{P}| < 1: \quad \vec{P} = \frac{3}{\alpha} \overline{\hat{p}_p^*}$$

How to quantify the effect (II)



Symmetry: $|\eta| < 1, 0 < \varphi < 2\pi \rightarrow \|\hat{L}\|$

Statistics-limited experiment: we report acceptance-integrated polarization, $P_{ave} \equiv \int d\vec{\beta}_\Lambda \frac{dN}{d\beta_\Lambda} \vec{P}(\vec{\beta}_\Lambda) \cdot \hat{L}$

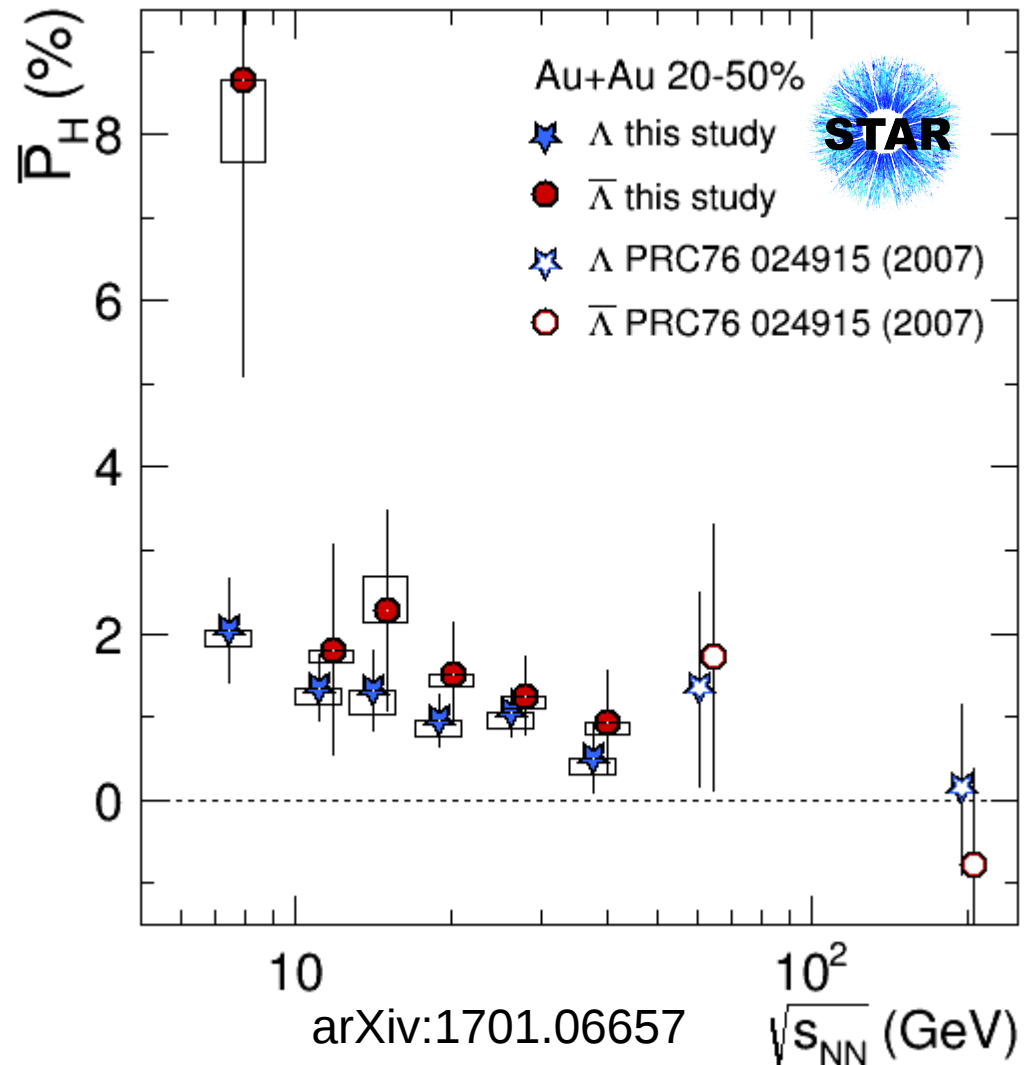
$P_{AVE} = \frac{8}{\pi\alpha} \frac{\langle \sin(\varphi_{\hat{b}} - \varphi_p^*) \rangle}{R_{EP}^{(1)}}$ ** where the average is performed over events and Λ s

$R_{EP}^{(1)}$ is the first-order event plane resolution and $\varphi_{\hat{b}}$ is the impact parameter angle

** if $v_1 \cdot y > 0$ in BBCs $\varphi_{\hat{b}} = \Psi_{EP}$, if $v_1 \cdot y < 0$ in BBCs $\varphi_{\hat{b}} = \Psi_{EP} + \pi$

Global polarization measure

- Measured Lambda and Anti-Lambda polarization
- Includes results from previous STAR null result (2007)
- $\bar{P}_H(\Lambda)$ and $\bar{P}_H(\bar{\Lambda}) > 0$ implies positive vorticity
- $\bar{P}_H(\bar{\Lambda}) > \bar{P}_H(\Lambda)$ would imply magnetic coupling



arXiv:1701.06657

$\sqrt{s_{NN}}$ (GeV)

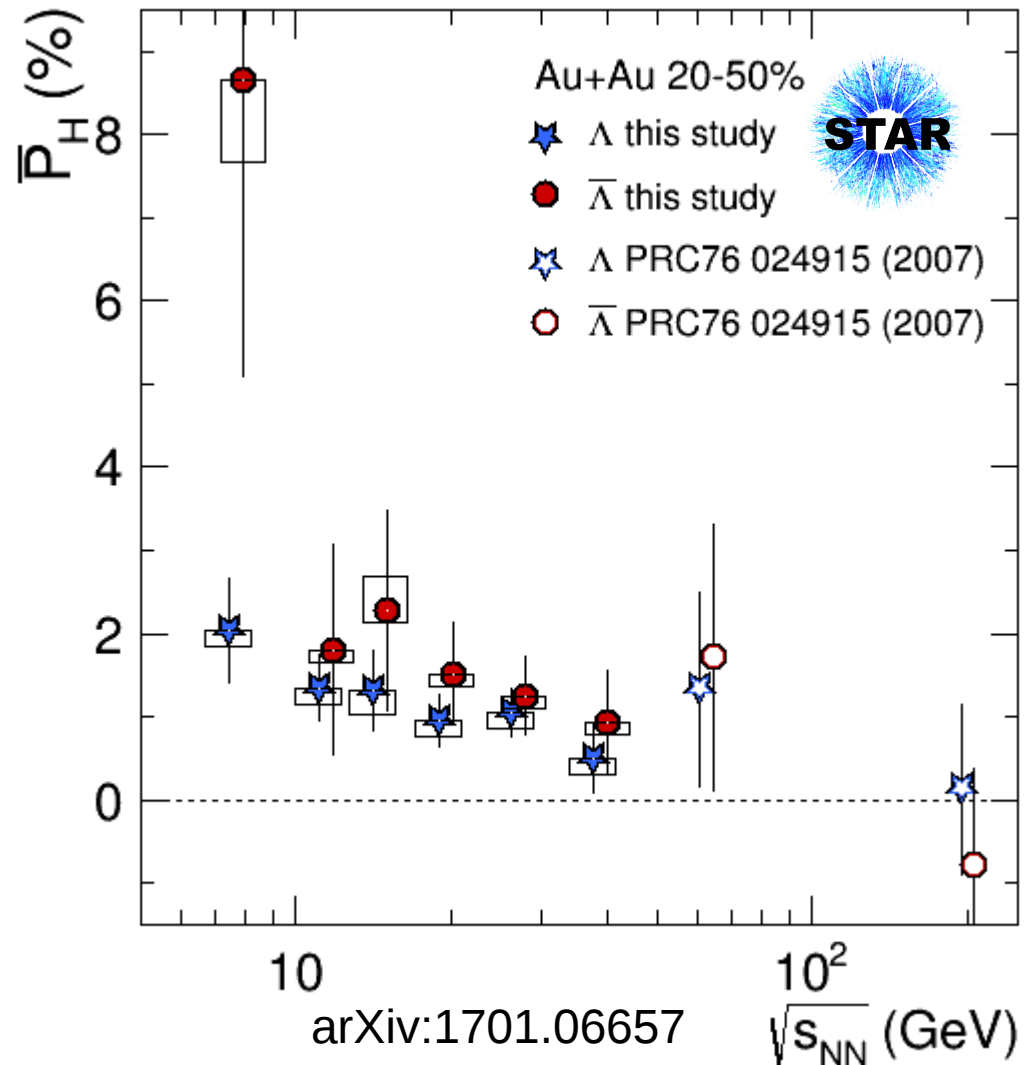
Global polarization measure

- Measured Lambda and Anti-

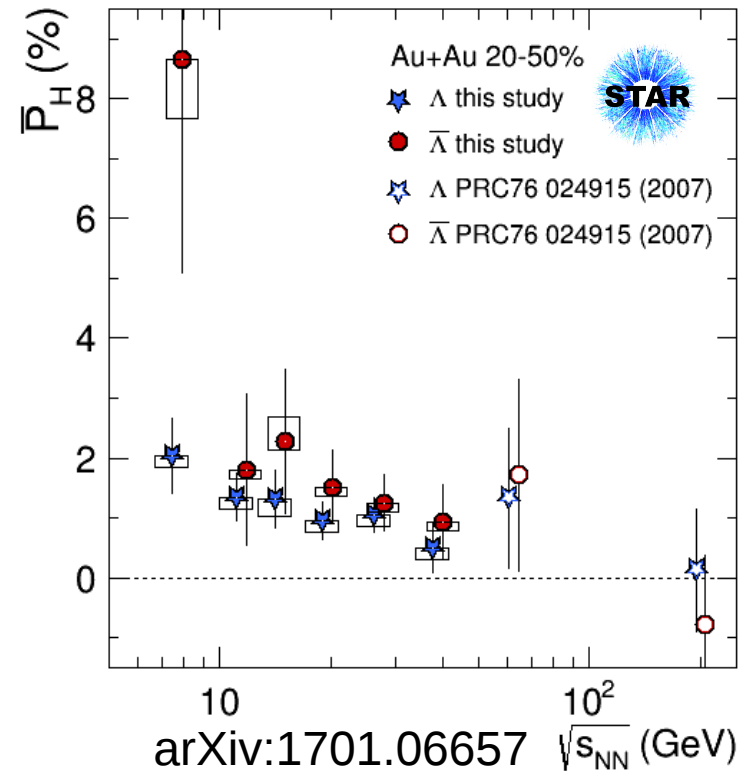
We can study more
fundamental properties
of the system

previous STAR null result
(2007)

- $\bar{P}_H(\Lambda)$ and $\bar{P}_H(\bar{\Lambda}) > 0$
implies positive vorticity
- $\bar{P}_H(\bar{\Lambda}) > \bar{P}_H(\Lambda)$ would
imply magnetic coupling



Vortical and Magnetic Contributions



- Magneto-hydro equilibrium **interpretation**

$$P \sim \exp\left(-E/T + \mu_B B/T + \vec{\omega} \cdot \vec{S}/T + \vec{\mu} \cdot \vec{B}/T\right) \quad **$$

- for small polarization:

$$P_{\Lambda} \approx \frac{1}{2} \frac{\omega}{T} + \frac{\mu_{\Lambda} B}{T} \quad P_{\bar{\Lambda}} \approx \frac{1}{2} \frac{\omega}{T} + \frac{\mu_{\Lambda} B}{T}$$

- vorticity from addition:

$$\frac{\omega}{T} = P_{\bar{\Lambda}} + P_{\Lambda}$$

- B from the difference:

$$\frac{B}{T} = \frac{1}{2\mu_{\Lambda}} (P_{\bar{\Lambda}} - P_{\Lambda})$$

$$** \quad \hbar = k_B = 1$$

But even with topological cuts, significant feeddown from Σ^0 , $\Xi^{0/-}$, $\Sigma^{*\pm/0}$...

... which themselves will be polarized...

Accounting for polarized feeddown

$$\begin{pmatrix} \frac{\omega}{T} \\ \frac{B}{T} \end{pmatrix} = \begin{bmatrix} \frac{2}{3} \sum_R \left(f_{\Lambda R} C_{\Lambda R} - \frac{1}{3} f_{\Sigma^0 R} C_{\Sigma^0 R} \right) S_R (S_R + 1) & \frac{2}{3} \sum_R \left(f_{\Lambda R} C_{\Lambda R} - \frac{1}{3} f_{\Sigma^0 R} C_{\Sigma^0 R} \right) (S_R + 1) \mu_R \\ \frac{2}{3} \sum_{\bar{R}} \left(f_{\bar{\Lambda} \bar{R}} C_{\bar{\Lambda} \bar{R}} - \frac{1}{3} f_{\bar{\Sigma}^0 \bar{R}} C_{\bar{\Sigma}^0 \bar{R}} \right) S_{\bar{R}} (S_{\bar{R}} + 1) & \frac{2}{3} \sum_{\bar{R}} \left(f_{\bar{\Lambda} \bar{R}} C_{\bar{\Lambda} \bar{R}} - \frac{1}{3} f_{\bar{\Sigma}^0 \bar{R}} C_{\bar{\Sigma}^0 \bar{R}} \right) (S_{\bar{R}} + 1) \mu_{\bar{R}} \end{bmatrix}^{-1} \begin{pmatrix} P_{\Lambda}^{\text{meas}} \\ P_{\bar{\Lambda}}^{\text{meas}} \end{pmatrix}^{**}$$

– $f_{\Lambda R}$ = fraction of Λ s that originate from parent $R \rightarrow \Lambda$  **From THERMUS**

– $C_{\Lambda R}$ = coefficient of spin transfer from parent R to daughter Λ

– S_R = parent particle spin

– μ_R is the magnetic moment of particle R

– overlines denote antiparticles

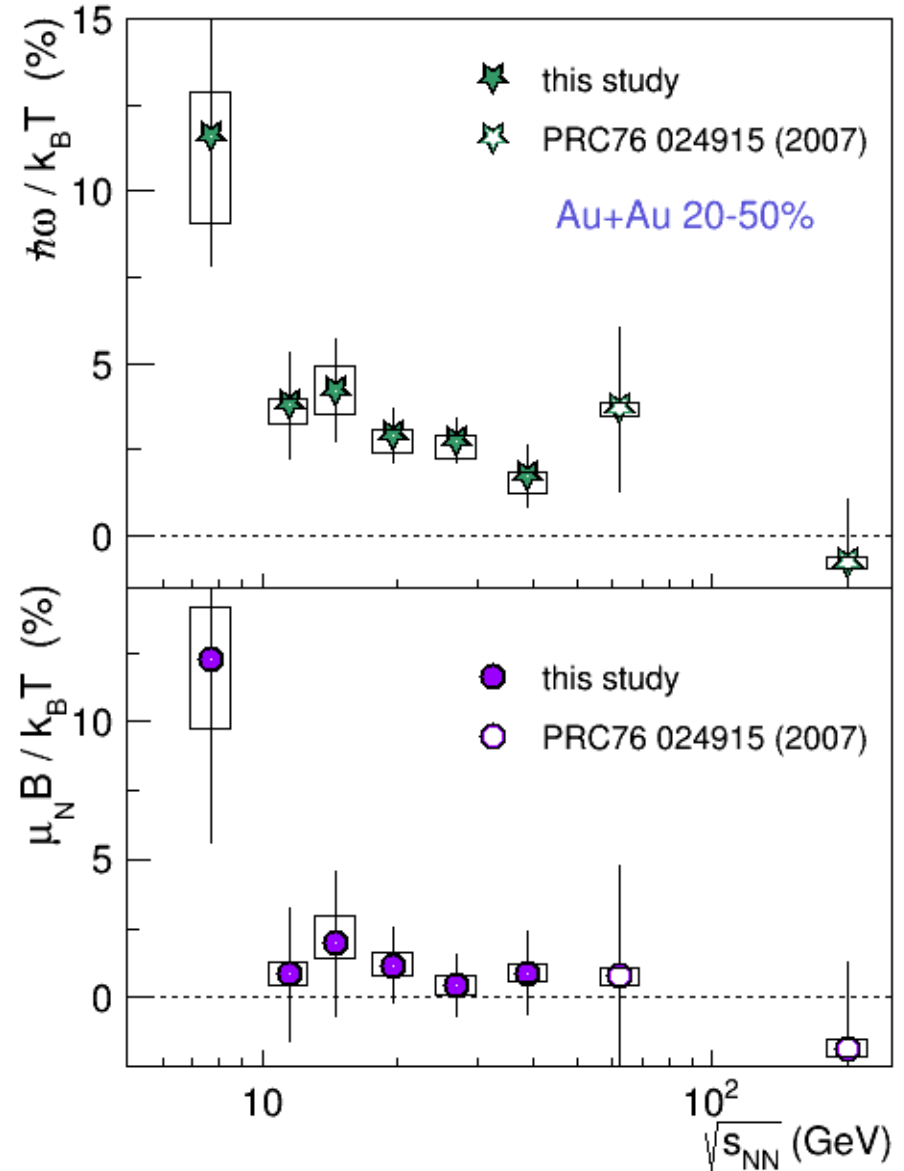
| Decay | C |
|--|----------|
| parity-conserving: $1/2^+ \rightarrow 1/2^+ 0^-$ | $-1/3$ |
| parity-conserving: $1/2^- \rightarrow 1/2^+ 0^-$ | 1 |
| parity-conserving: $3/2^+ \rightarrow 1/2^+ 0^-$ | $1/3$ |
| parity-conserving: $3/2^- \rightarrow 1/2^+ 0^-$ | $-1/5$ |
| $\Xi^0 \rightarrow \Lambda + \pi^0$ | $+0.900$ |
| $\Xi^- \rightarrow \Lambda + \pi^-$ | $+0.927$ |
| $\Sigma^0 \rightarrow \Lambda + \gamma$ | $-1/3$ |

** $\hbar = k_B = 1$

TABLE I. Polarization transfer factors C (see eq. (31)) for

Extracted Physical Parameters

- Significant vorticity signal
 - Hints at falling with energy, despite increasing $J_{\text{collision}}$
 - 6σ average for 7.7-39 GeV
 - $P_{\Lambda_{\text{primary}}} = \frac{\omega}{2T} \sim 5\%$
- Magnetic field
 - $\mu_N =$ nuclear magneton
 - positive value, 2σ average for 7.7-39 GeV



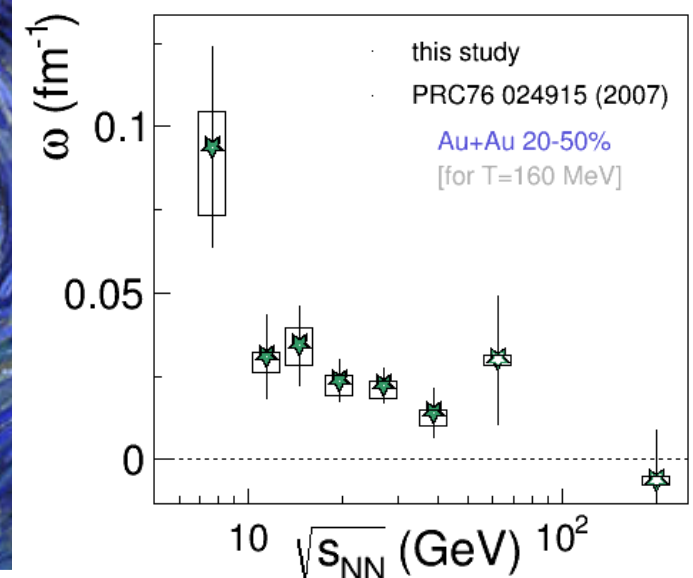
Vorticity ~ theory expectation

- Thermal vorticity:

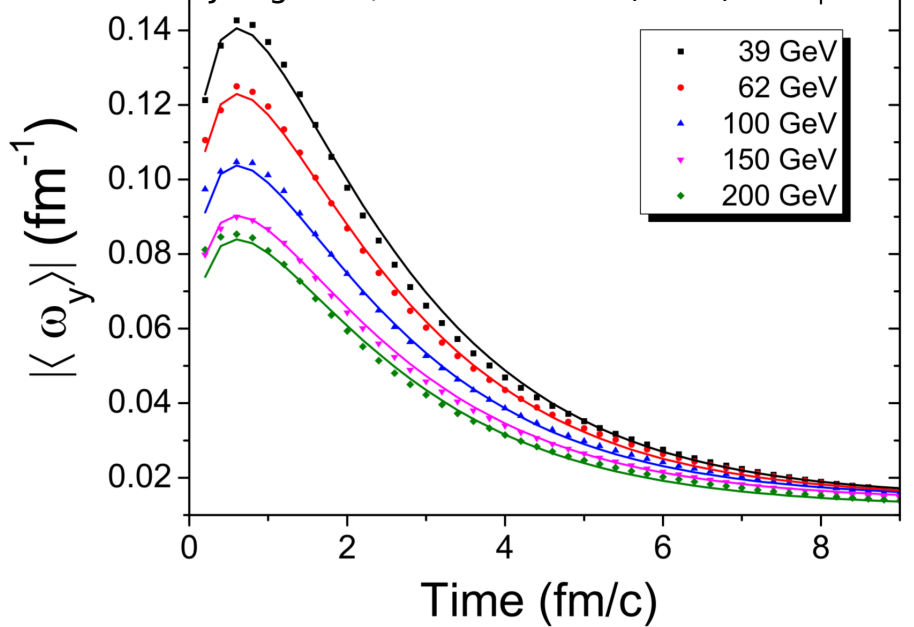
$$\frac{\omega}{T} \approx 2 - 10\%$$

$$\omega \approx 0.02 - 0.09 \text{ fm}^{-1} \quad (T_{\text{assumed}} = 160 \text{ MeV})$$

- Magnitude, \sqrt{s} -dep. in range of transport & 3D viscous hydro calculations with rotation



Jiang et al, PRC94 044910 (2016)



Csernai et al, PRC90 021904(R) (2014)

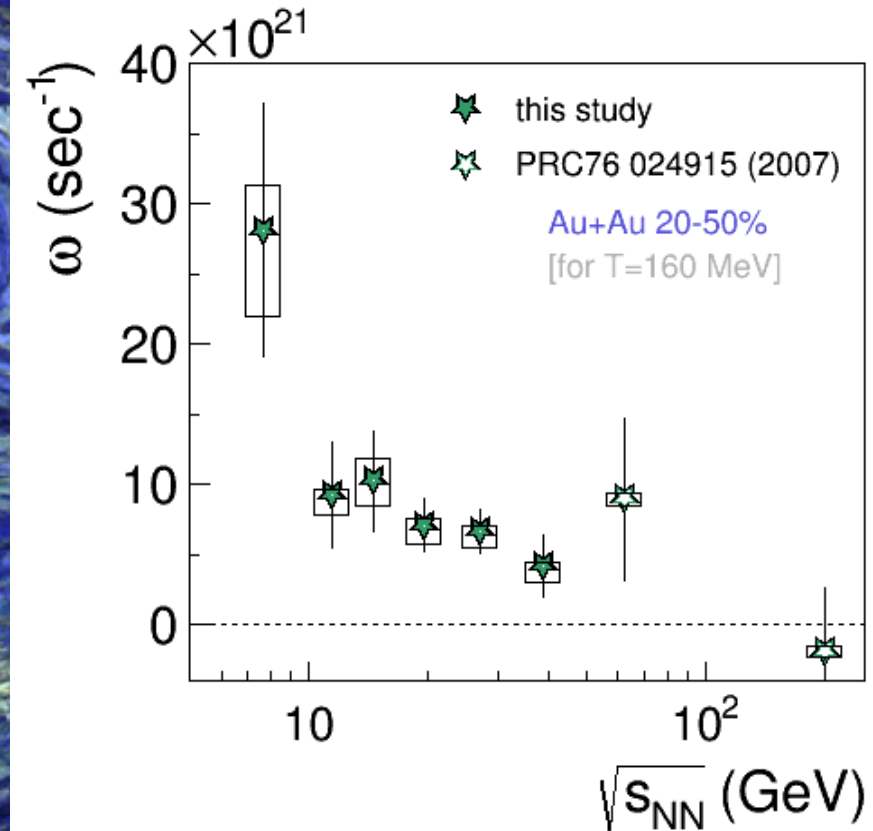
TABLE I. Time dependence of average vorticity projected to the reaction plane for heavy-ion reactions at the NICA energy of $\sqrt{s_{NN}} = 4.65 + 4.65 \text{ GeV}$.

| t (fm/c) | Vorticity (classical) (c/fm) | Thermal vorticity (relativistic) (1) |
|---------------|------------------------------------|--|
| 0.17 | 0.1345 | 0.0847 |
| 1.02 | 0.1238 | 0.0975 |
| 1.86 | 0.1079 | 0.0846 |
| 2.71 | 0.0924 | 0.0886 |
| 3.56 | 0.0773 | 0.0739 |

Vorticity comparison

- Solar subsurface flow: $\omega \sim 10^{-6} \text{ s}^{-1}$
- Ocean flows: $\omega \sim 10^{-5} \text{ s}^{-1}$
- Terrestrial atmosphere: $\omega \sim 10^{-4} \text{ s}^{-1}$
- “Collar” of Jupiter’s Great Red Spot :
 $\omega \sim 10^{-4} \text{ s}^{-1}$
- Core of supercell tornado : $\omega \sim 10^{-1} \text{ s}^{-1}$

- Max vorticity in bulk superfluid He-II:
 $\omega \sim 150 \text{ s}^{-1}$
– R. Donnelly, Ann. Rev. Fluid Mech. 25, 325 (1993)
- Max vorticity in nanodroplets of
superfluid He-II: 10^6 s^{-1}
– Shomroni et al, Science 345 (2014) 903



RHIC produces the least viscous fluid.
RHIC produces the most vortical fluid!

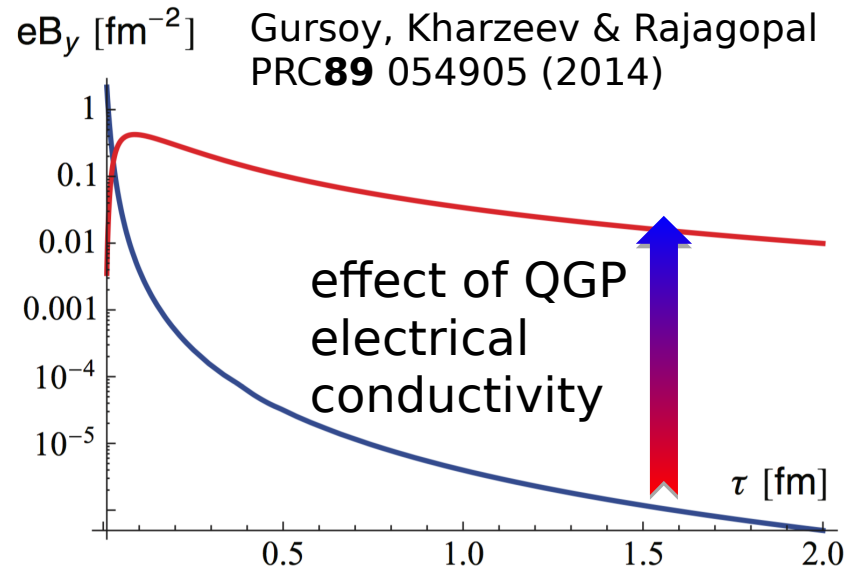
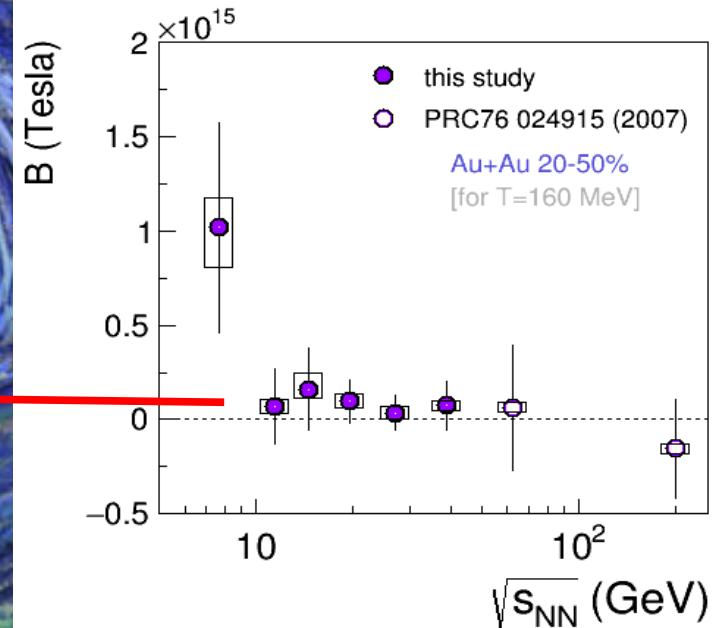
B-Field ~ theory expectation

Magnetic field:

- Expected sign

$$B \sim 10^{14} \text{ Tesla}$$
$$eB \sim 1 m_{\pi}^2 \sim 0.5 \text{ fm}^{-2}$$

- Magnitude at high end of theory expectation (expectations vary by orders of magnitude)
- But... consistent with zero
 - A definitive statement requires more statistics/better EP determination



Summary I

- Non-central heavy ion collisions create QGP with high **vorticity**
 - generated* by early **shear viscosity** (closely related to **initial conditions**), *persists* through low viscosity
 - fundamental feature of *any* fluid, unmeasured until now
 - an incomplete characterization of QGP
 - relevance for other hydro-based conclusions?
- Huge and rapidly-changing **B-field** in non-central collisions
 - not directly measured
 - theoretical predictions vary by orders of magnitude
 - sensitive to electrical conductivity, early dynamics
- **Both of these extreme conditions must be established & understood to put recent claims of chiral effects on firm ground**

Summary II

- **Global hyperon polarization**: unique probe of vorticity & B-field
 - non-exotic, non-chiral
 - quantitative input to calibrate chiral phenomena
- STAR has made the **first observation** of global Λ polarization
 - statistics- & resolution-limited: 1-5 σ effect for any given $\sqrt{s_{NN}}$
 - $\sim 6\sigma$ effect on average
- **Interpretation** in magnetic-vortical model:
 - clear vortical component of right sign, magnitude for $\sqrt{s_{NN}} < 30$ GeV
 - magnetic component of right sign, magnitude *hinted at*, but consistent with zero at each $\sqrt{s_{NN}}$
- **BES-II: Statistics & upgrades** [Chi Yang 02/07 18:10] will allow characterization & model discrimination



END