

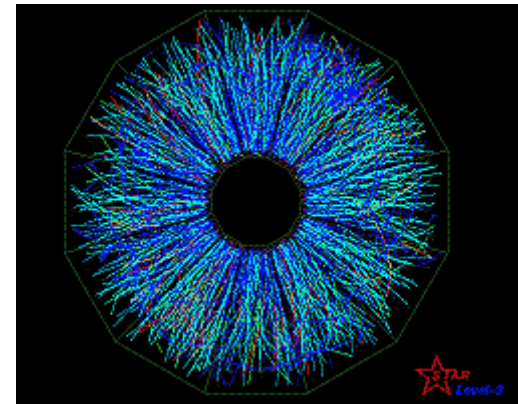
Double Helicity Asymmetries of Forward Neutral Pions from $\sqrt{s} = 510$ GeV pp Collisions at STAR

Christopher Dilks
for the STAR Collaboration

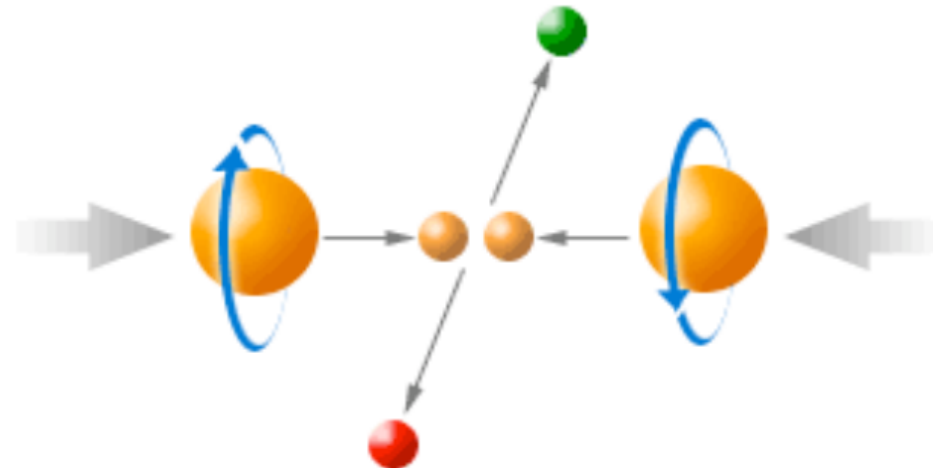
PENNSSTATE



Spin2014
*The 21st International
Symposium on Spin Physics*
Oct. 20-24, 2014
Peking University,
Beijing, China



- Current Status of Gluon Polarization
- Double Helicity Asymmetry – A_{LL}
- Forward EM Calorimetry at STAR
- Luminosity Detectors at STAR
- Relative Luminosity and A_{LL} Systematics
- π^0 Event Selection
- Measurement of Forward π^0 A_{LL}

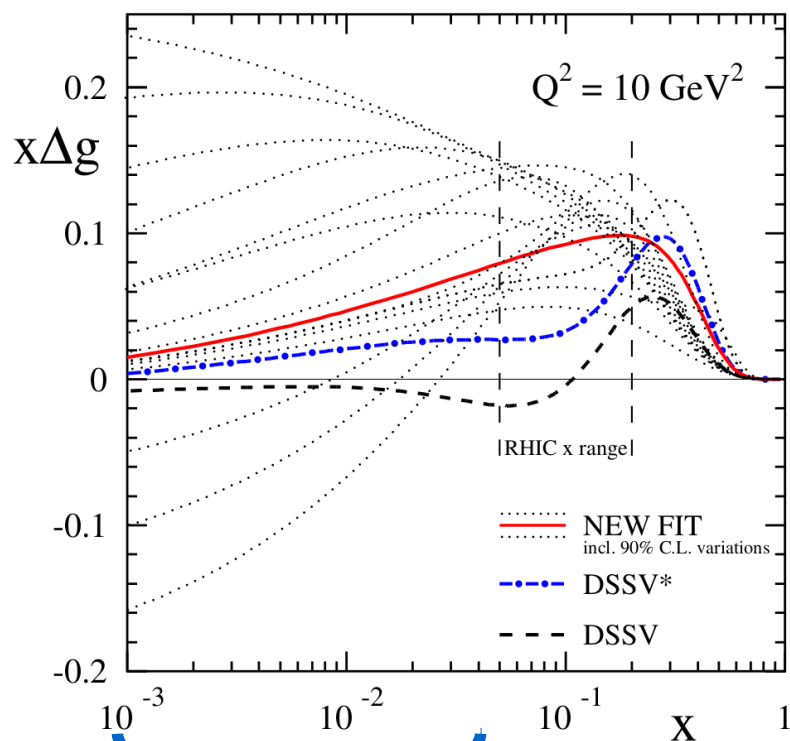


Gluon Polarization $\Delta g(x)$

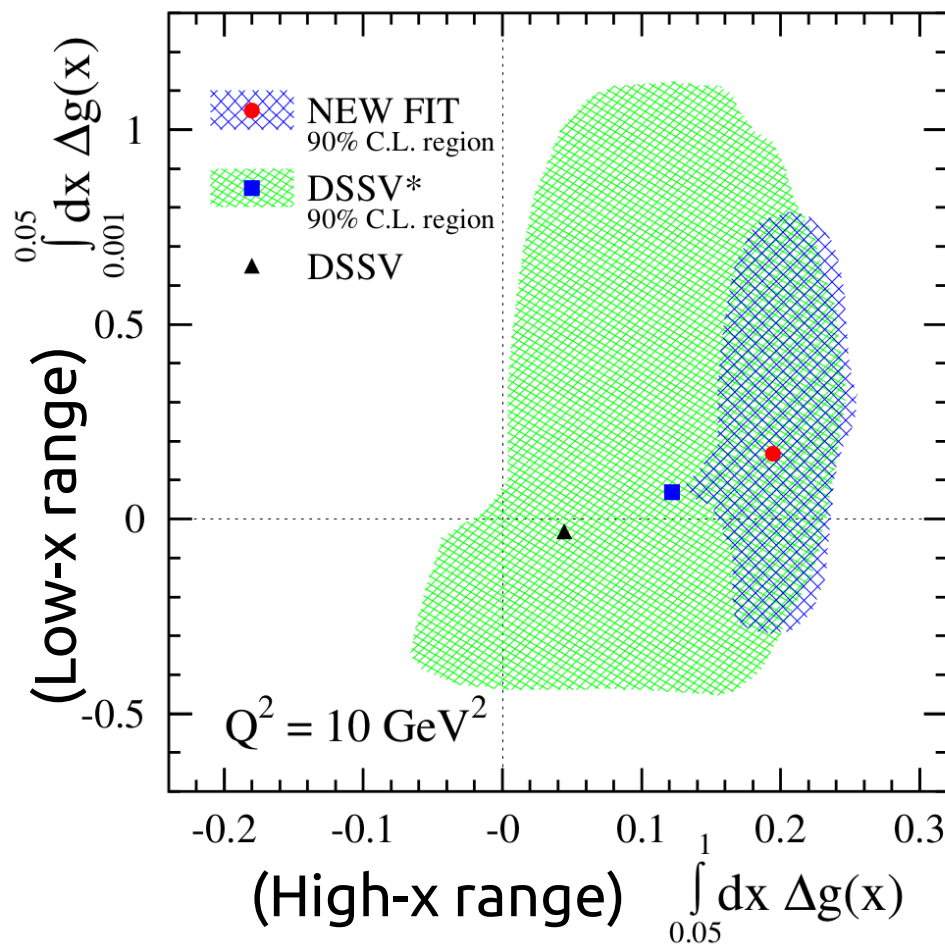


Proton Spin Sum: $S_p = \frac{1}{2} = \frac{1}{2} \Delta \Sigma + \Delta G + L_q + L_g$

- ◆ $\Delta \Sigma \sim 0.3$
- ◆ $L_q, L_g \sim ?$
- ◆ ΔG – status shown



low-x poorly constrained;
accessible via *forward* observables



Accessing Δg by Measuring A_{LL}



Colliding proton helicities known for each bunch crossing (9.4 MHz at STAR)



$$A_{LL} = \frac{1}{P_a P_b} \frac{(\sigma^{++} + \sigma^{--}) - (\sigma^{+-} + \sigma^{-+})}{(\sigma^{++} + \sigma^{--}) + (\sigma^{+-} + \sigma^{-+})} \propto \frac{\Delta f_1 \Delta f_2}{f_1 f_2}$$

Beam Polarizations

(Measured by RHIC polarimetry group)

$f_i = \text{PDF}$

$\Delta f_i = \text{polarized PDF}$

Re-express cross-section: $\sigma^{\pm\pm} = \frac{N^{\pm\pm}}{L^{\pm\pm}}$

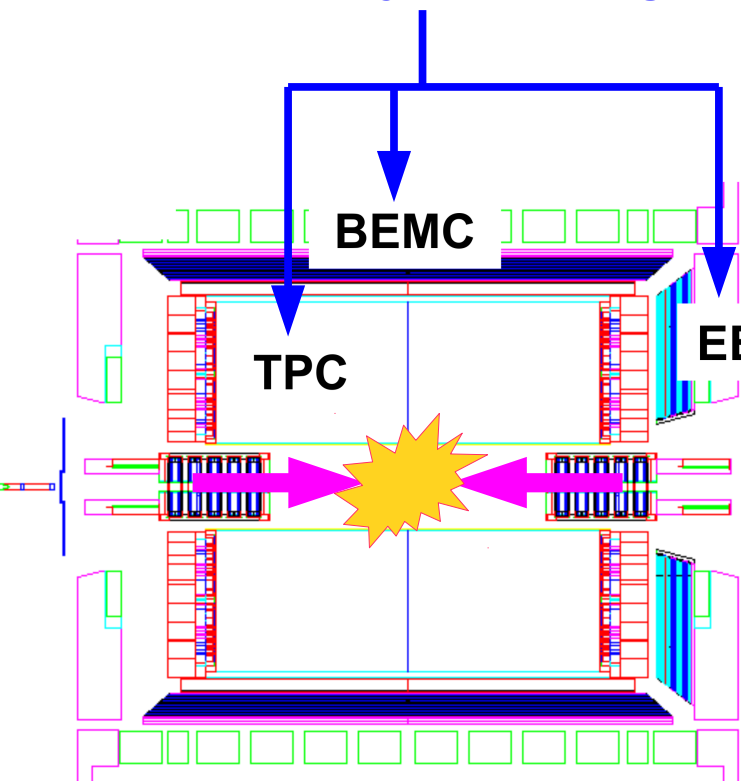
Relative Luminosity: $R_3 = \frac{L^{++} + L^{--}}{L^{+-} + L^{-+}}$ → Measured using STAR luminosity detectors

$$A_{LL} = \frac{1}{P_a P_b} \frac{(N^{++} + N^{--}) - R_3 \cdot (N^{+-} + N^{-+})}{(N^{++} + N^{--}) + R_3 \cdot (N^{+-} + N^{-+})}$$

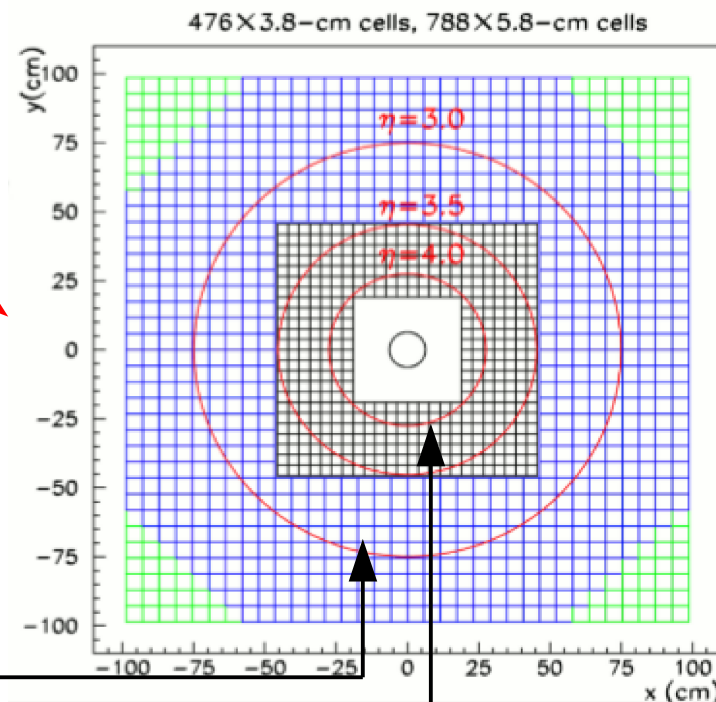
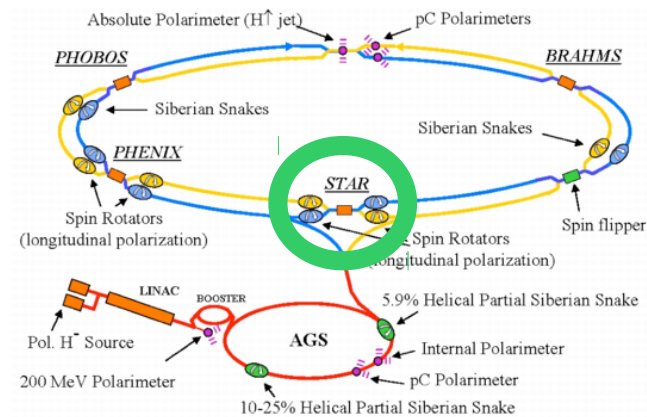
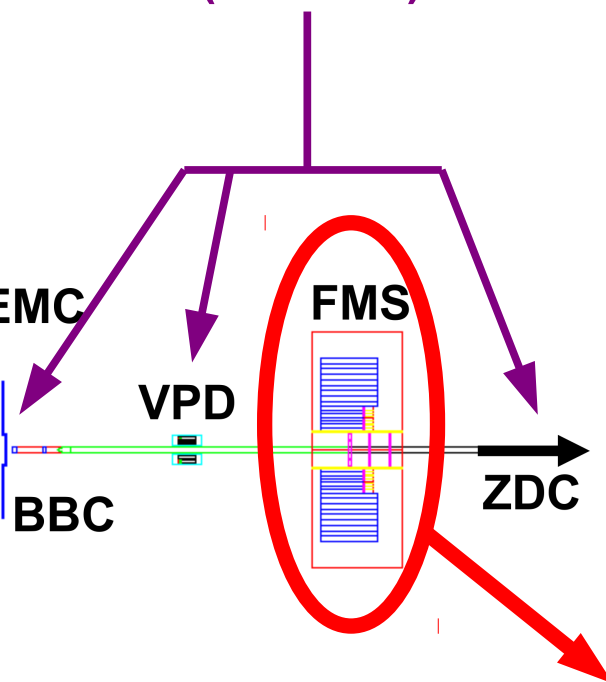
Forward EM Calorimetry at STAR



Central and Mid-rapidity Calorimetry & Tracking



Luminosity Detectors (Scalers)



PRIMARY FOCUS:

FMS – Forward Meson Spectrometer

- Forward pseudorapidity: $2.5 < \eta < 4$
- 1,264 **Lead-glass cells** coupled to photomultiplier tubes
 - Large (5.8 x 5.8 cm) outer cells (blue)
 - Small (3.8 x 3.8 cm) inner cells (black)
- Observes $\pi^0 \rightarrow \gamma + \gamma$ as 2 cluster events
- Forward observables \rightarrow access to **low-x gluons**

Measuring Relative Luminosity at STAR



3 Luminosity Detectors at STAR:

- Beam Beam Counter (**BBC**) – not used in this analysis
- Vertex Position Detector (**VPD**)
- Zero Degree Calorimeter (**ZDC**)

$$R_3 = \frac{L^{++} + L^{--}}{L^{+-} + L^{-+}}$$

They are “**Scalers**”: for each bunch crossing, they **count** whether or not a “hit” was observed

- Scalers are placed symmetrically on both sides of the interaction point
- A hit on one side is called a “**single count**”
- A hit on both sides within a time window is called a “**coincidence count**”

VPD

$$4.2 < |\eta| < 5.1$$

5.7 m from Interaction Point

Hits: mostly charged particles and photons from pion decays



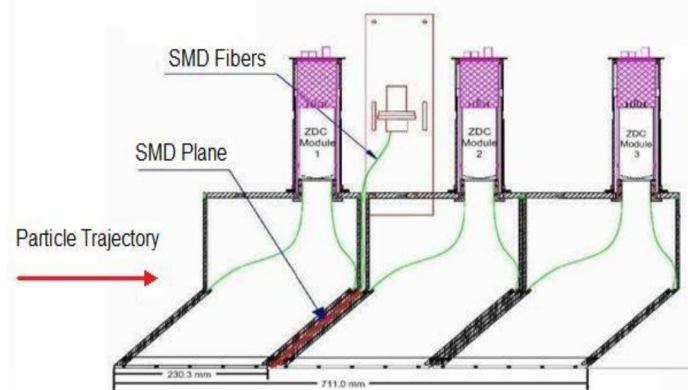
ZDC

$$6.5 < |\eta| < 7.5$$

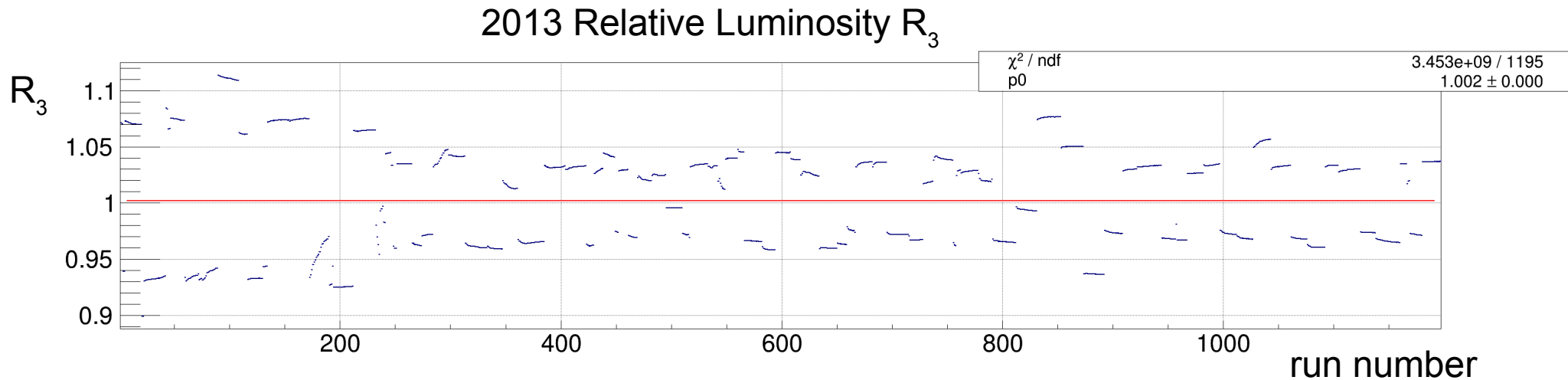
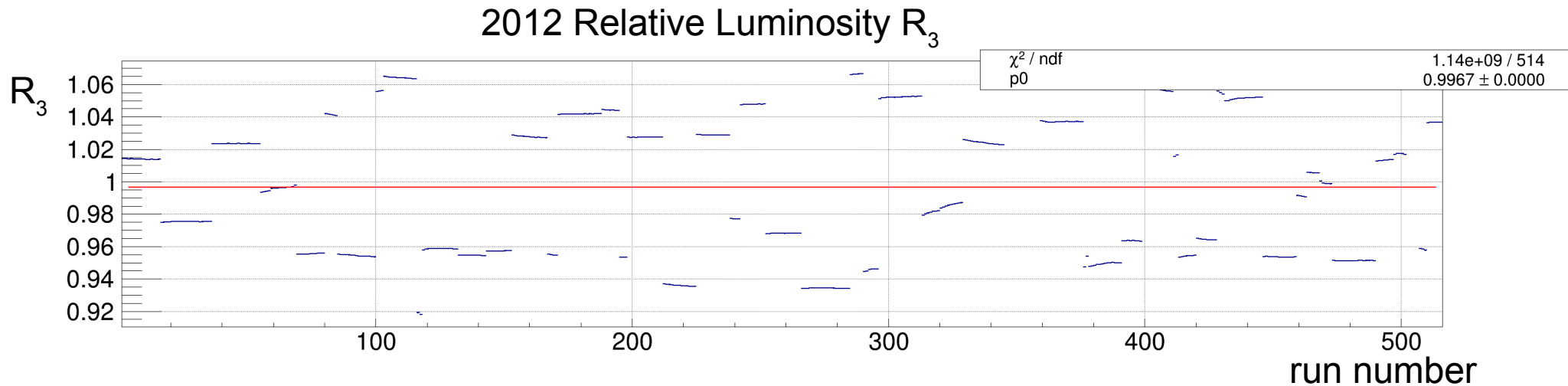
18 m from Interaction Point

Hits: mostly neutrons and some neutral kaons;
photons only in 1st module

(charged particles are swept away by magnets)



Relative Luminosity Measurements



- Measured with VPD, averaging over both singles sides and coincidences
- Cross-checked with other STAR scalers (ZDC, singles, coincidences)

For each run (~30 min.), $R \sim 1 \pm 0.04$

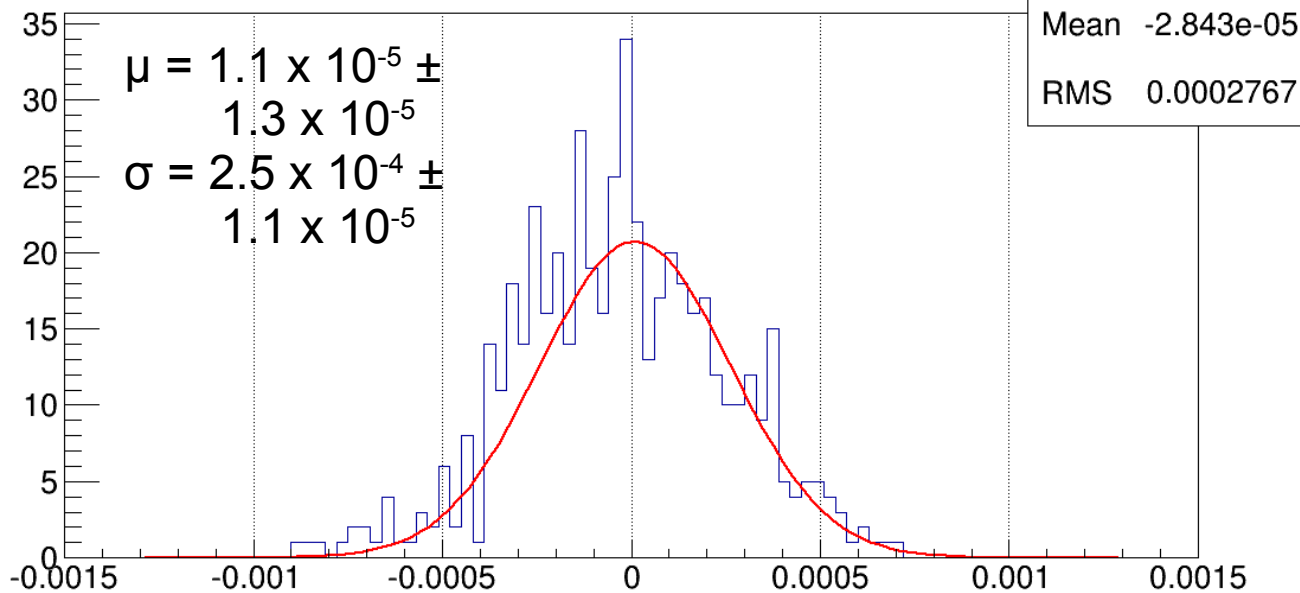
Typical statistical uncertainty $\sim 4 \times 10^{-5}$

$$R_3 = \frac{L^{++} + L^{--}}{L^{+-} + L^{-+}}$$

Relative Luminosity $\rightarrow \pi^0 A_{LL}$ Systematic

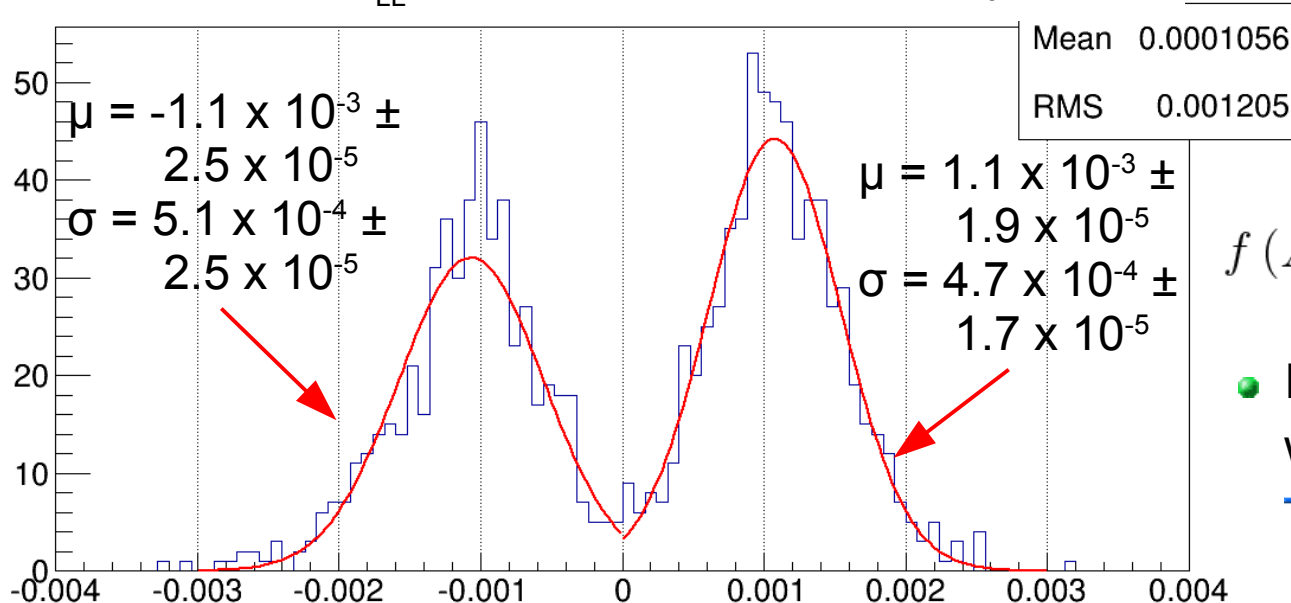


2012 Run ZDC A_{LL} Distribution (relative lum. by VPD)



- Measured A_{LL} in ZDC scaler system using VPD coincidences as a relative luminosity
 → Denoted as “**Scaler A_{LL}** ”
- Distribution of this Scaler A_{LL} is shown on the left
 → 1 entry = 1 STAR run (~30 min)
- Red Lines indicate Gaussian fit results, defined with fit parameters c , μ , and σ

2013 Run ZDC A_{LL} Distribution (relative lum. by VPD)



Fit Function $f(A_{LL})$:

$$f(A_{LL}) = c \cdot \exp \left[-\frac{1}{2} \left(\frac{A_{LL} - \mu}{\sigma} \right)^2 \right]$$

- In the 2013 Run, this Scaler A_{LL} was correlated with spin pattern
 → The two peaks are fit with two separate Gaussians

Relative Luminosity $\rightarrow \pi^0 A_{LL}$ Systematic



- Measurement of Scaler A_{LL} + its uncertainty = $\pi^0 A_{LL}$ **shift systematic uncertainty**
 - “Shift” denotes a constant bias on A_{LL}
 - Scaler A_{LL} measurement is taken to be the overall mean of the distribution
 - For Scaler A_{LL} uncertainty, we use the fit parameter σ
 - \rightarrow For the 2013 run, the σ of the wider peak is used
 - The overall $\pi^0 A_{LL}$ systematic is computed as:

$$\pi^0 A_{LL} \text{ Systematic} = \text{Scaler } A_{LL} \text{ “}\sigma\text{”} + | \text{Scaler } A_{LL} \text{ Mean} |$$

	A_{LL} Shift Systematic Uncertainty
2012 Run	2.8×10^{-4}
2013 Run	6.2×10^{-4}

Combining 2012 and 2013 Runs' Systematics:

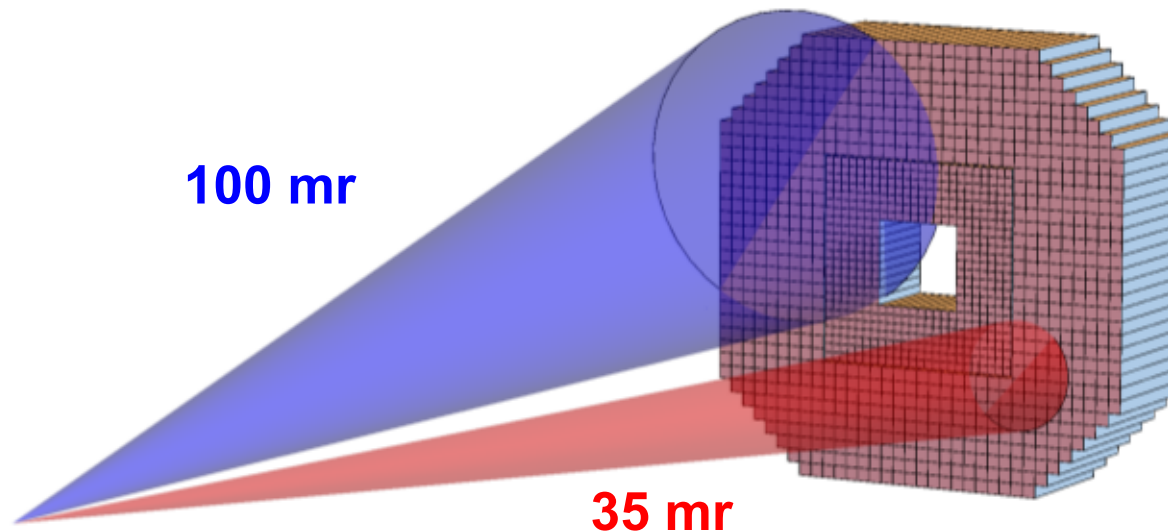
- For each p_T (or $E_{\gamma\gamma}$) bin: weighted average of 2012 & 2013 systematics based on π^0 statistics

π^0 Event Selection



- Full azimuth: $-\pi \leq \varphi < \pi$
- FMS Pseudorapidity: $2.5 \leq \eta < 4$
- Transverse Momentum Ranges:
 - 2012 Run: $2.5 \leq p_T < 10 \text{ GeV}/c$
 - 2013 Run: $2.0 \leq p_T < 10 \text{ GeV}/c$
- Di-photon Energy Range: $30 \leq E_{\gamma\gamma} < 100 \text{ GeV}$
- Energy Sharing: $Z = |E_1 - E_2| / E_{\gamma\gamma} < 0.8$
- Mass Cut: Dependent on $E_{\gamma\gamma}$ (see invariant mass slide)
- 2-photon Isolation Cone: **35 mr** and **100 mr** analyzed
 - Isolation cone versus inclusive \rightarrow See next slide

Different low p_T cutoff to account for trigger threshold adjustment

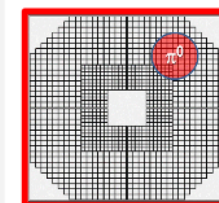
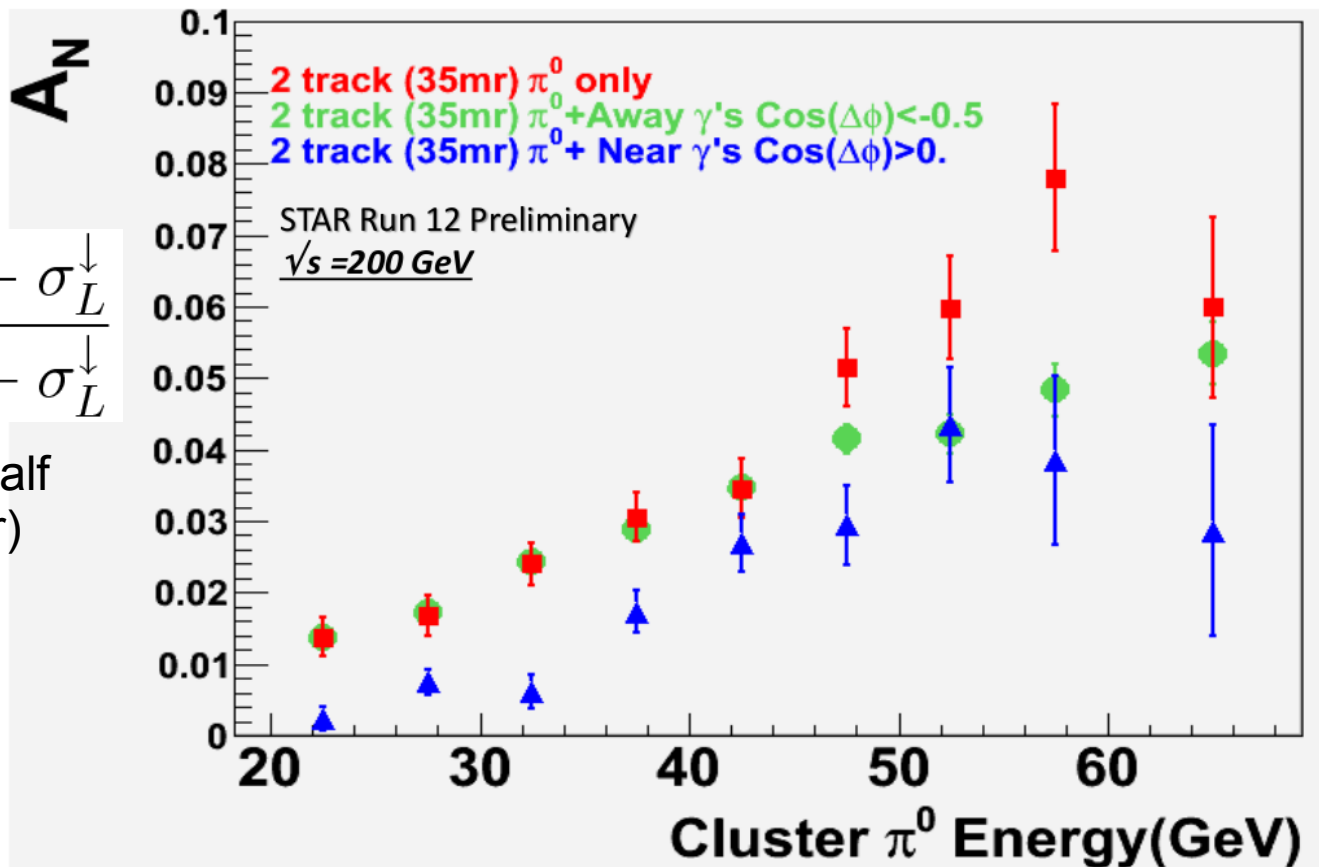


Motivating π^0 Isolation Cones

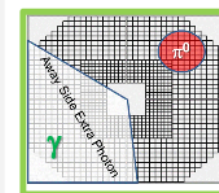


A_N vs. Energy, averaged over pseudo-rapidity.

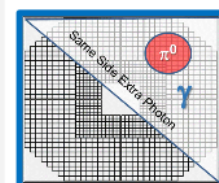
Compare 3 selection criterion based on photon energy outside the cone (all with 35mR cone and no soft E cut)



most isolated π^0 s



least isolated π^0 s



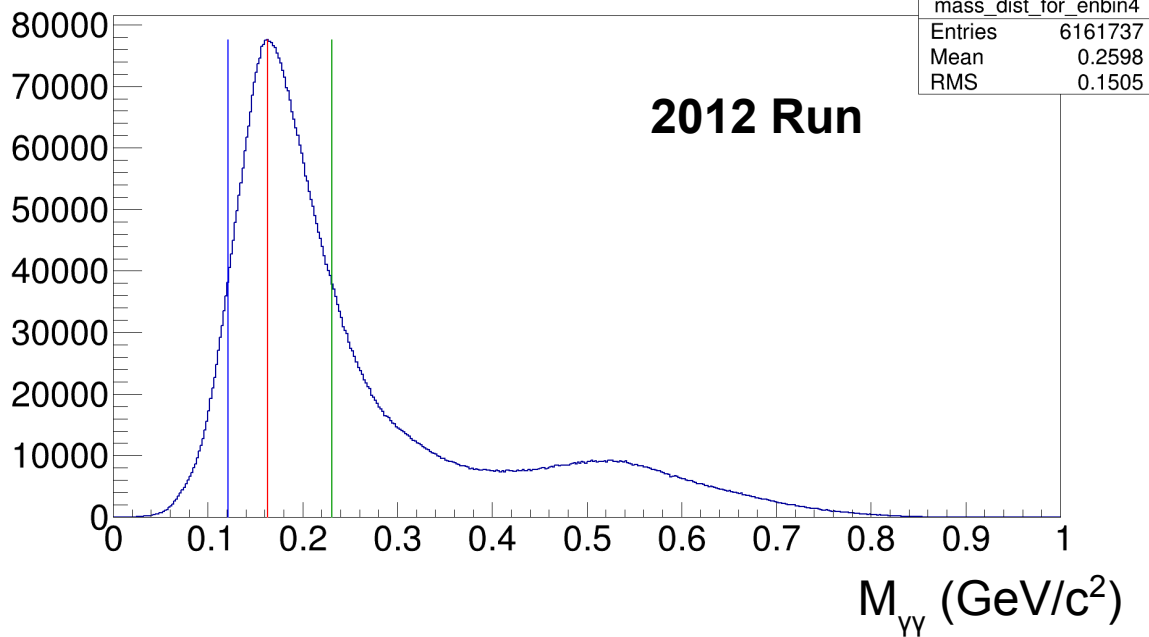
16

- More *isolated* π^0 s have *higher* transverse single spin asymmetry A_N
- We applied similar isolation cuts for $\pi^0 A_{LL}$, motivated by the dependence of A_N on π^0 isolation
 - Goal: verify A_{LL} is *NOT* dependent on π^0 isolation; inclusive π^0 to be explored after Spin2014
 - See Yuxi Pan's Spin2014 presentation for more on “isolated” vs. “inclusive” A_N

Invariant Mass for 2-photon Events



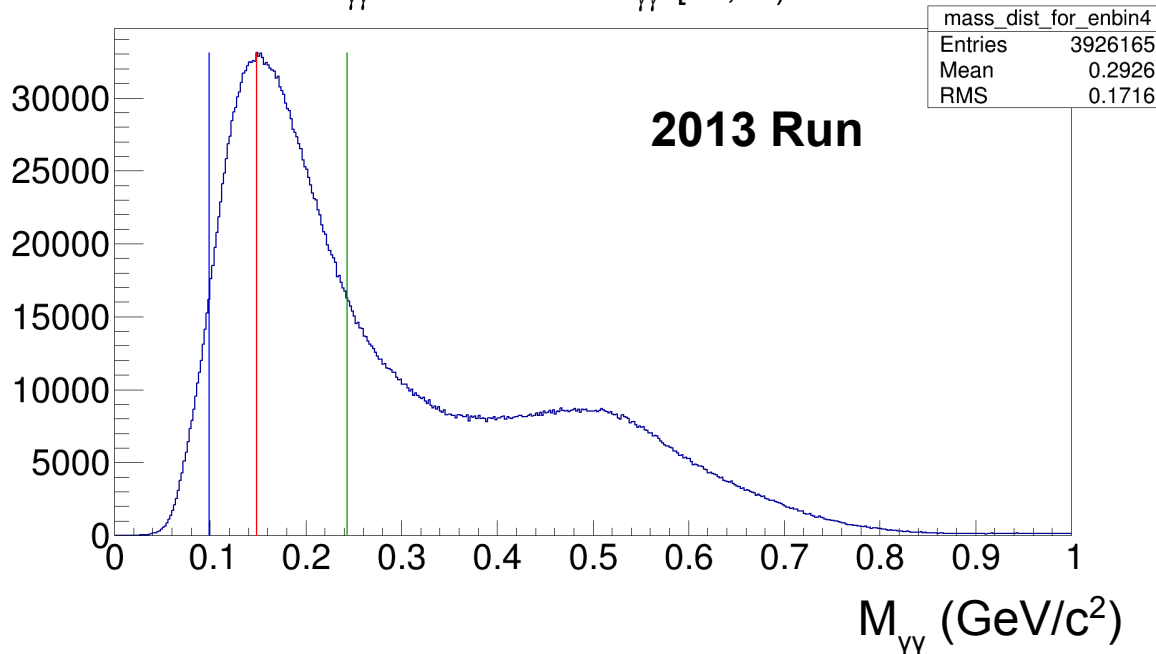
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [40,50)$ GeV



2012 Run

- Trigger thresholds adjusted in 2013 run to increase sensitivity to π^0 s in $2 < p_T < 3$ GeV/c region
- π^0 mass peak resolution decreases as Energy ($E_{\gamma\gamma}$) increases
- Mass peak smears toward higher mass as $E_{\gamma\gamma}$ increases
- $E_{\gamma\gamma}$ -dependent mass cut for π^0 candidates (FWHM of peak)

$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [40,50)$ GeV



2013 Run

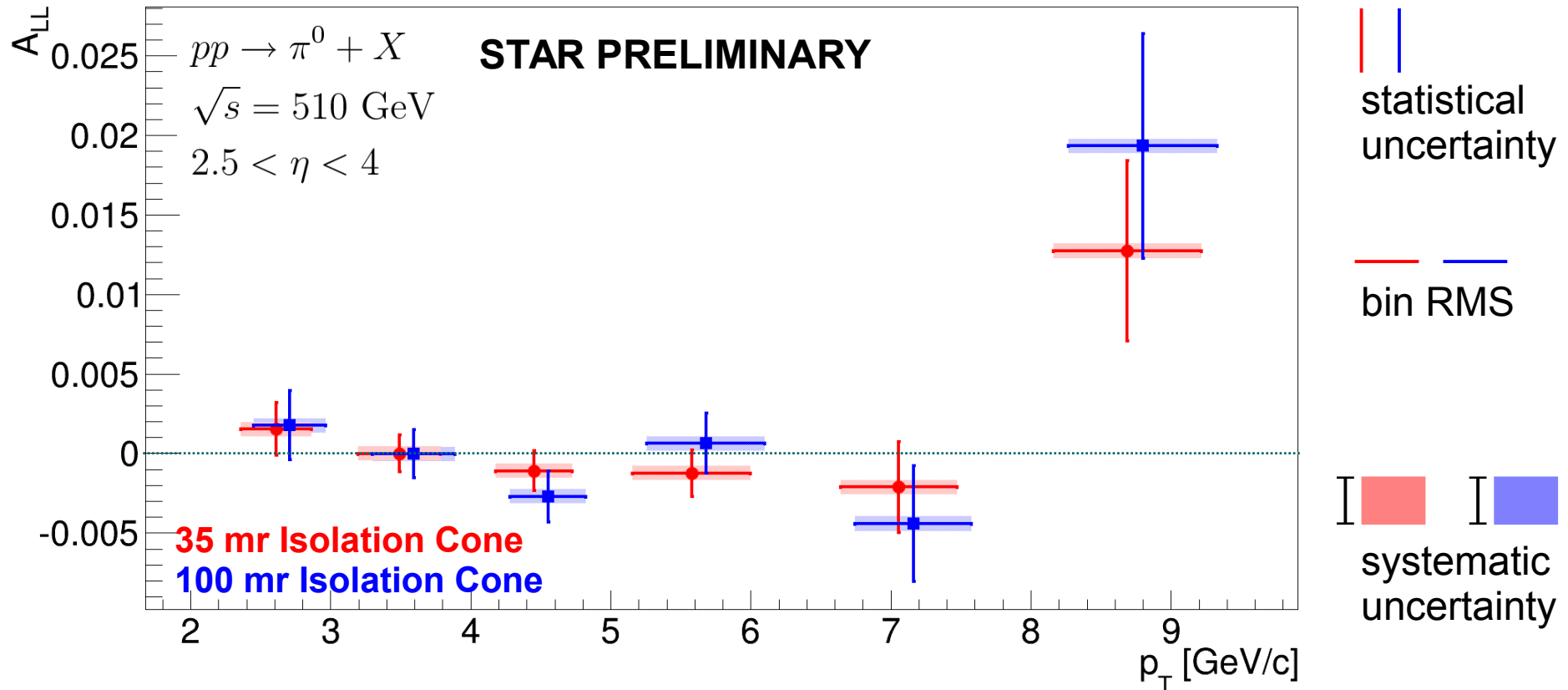
Red Line – mass peak
Blue & Green lines set at FWHM

$$m_{\pi^0} \approx 135 \text{ MeV}/c^2$$

Forward π^0 A_{LL} Measurement – p_T -Dependence



π^0 Double Helicity Asymmetry A_{LL} vs. p_T



35 mr Constant Fit Result: $A_{LL} = -2.5 \times 10^{-4} \pm 6.5 \times 10^{-4}$
 $\chi^2 / \text{NDF} = 7.8 / 5$

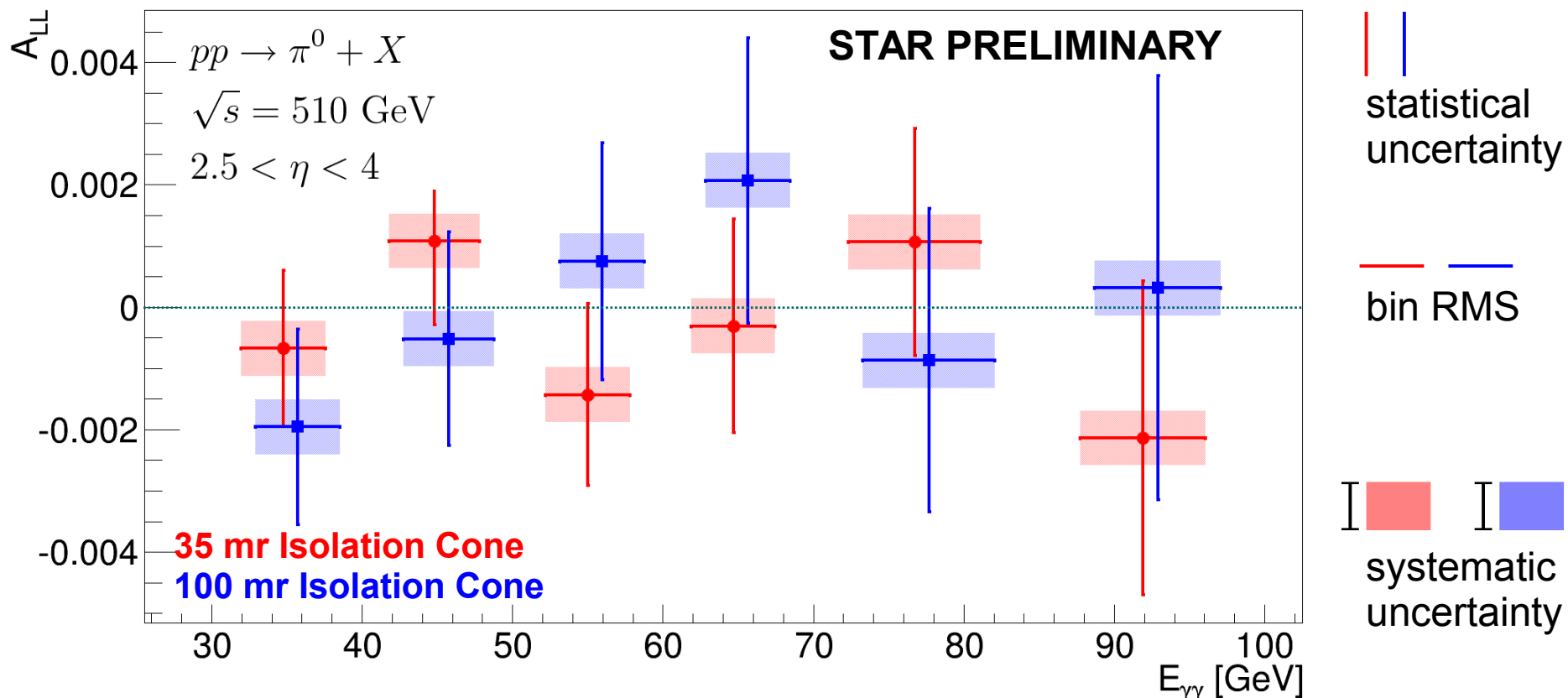
100 mr Constant Fit Result: $A_{LL} = -3.3 \times 10^{-4} \pm 8.4 \times 10^{-4}$
 $\chi^2 / \text{NDF} = 12.5 / 5$

* 100 mr points are offset by $p_T + 0.1$ GeV/c for visibility

Forward π^0 A_{LL} Measurement – $E_{\gamma\gamma}$ -Dependence



π^0 Double Helicity Asymmetry A_{LL} vs. $E_{\gamma\gamma}$



35 mr Constant Fit Result: $A_{LL} = -2.5 \times 10^{-4} \pm 6.5 \times 10^{-4}$
 $\chi^2 / \text{NDF} = 2.7 / 5$

100 mr Constant Fit Result: $A_{LL} = -3.3 \times 10^{-4} \pm 8.4 \times 10^{-4}$
 $\chi^2 / \text{NDF} = 2.5 / 5$

* 100 mr points are offset by $E_{\gamma\gamma} + 1$ GeV for visibility

- ▶ Forward ($2.5 \leq \eta < 4$) $\pi^0 A_{LL}$ measurement consistent with zero
 - Independence of A_{LL} on π^0 isolation verified (cf. large dependence of A_N on π^0 isolation)

- ▶ Other systematic uncertainties are still under consideration
 - Trigger Bias – likely sub-dominant
 - Transverse spin component – likely negligible for A_{LL}

- ▶ Inclusive analysis coming soon!

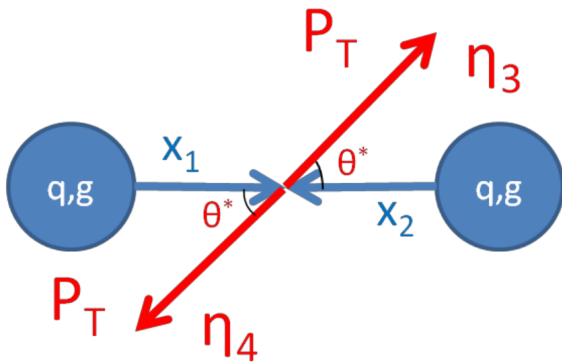
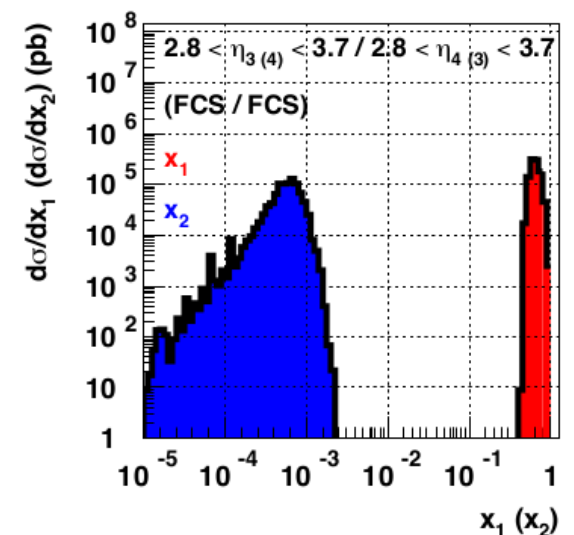
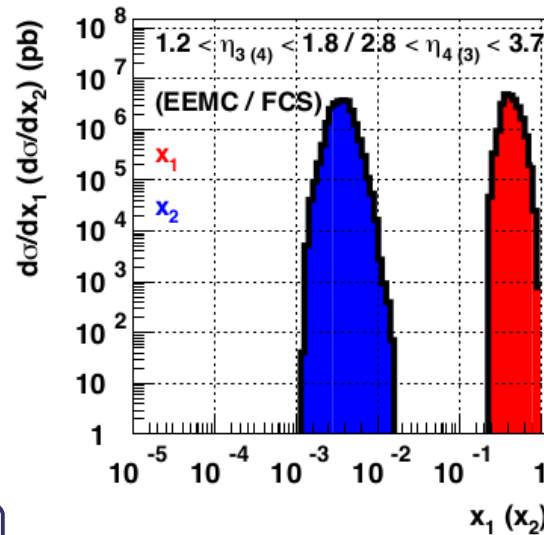
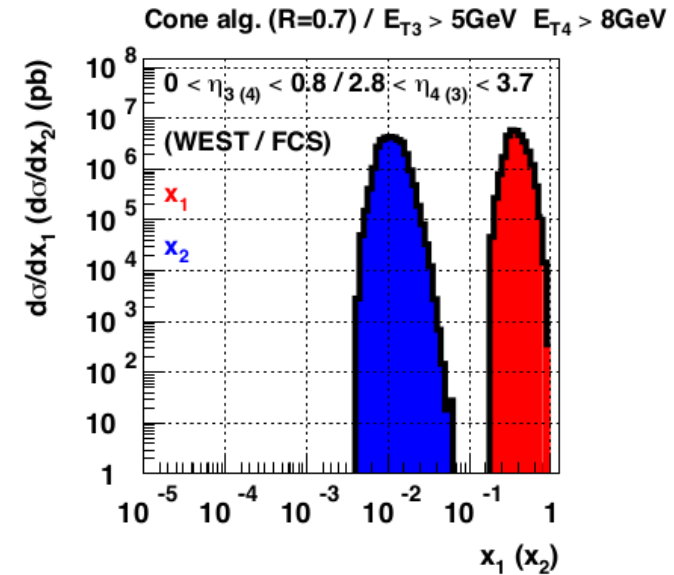
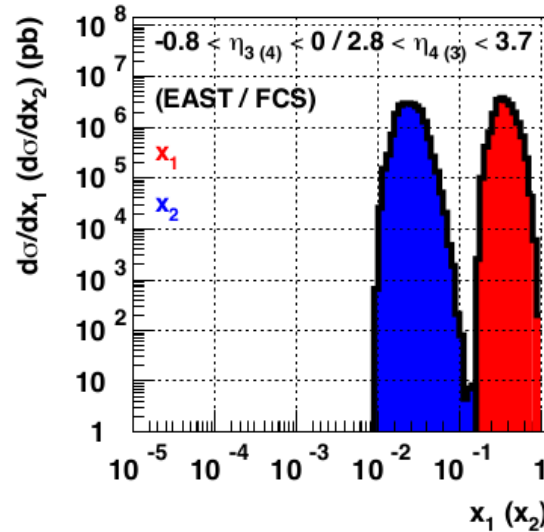
backup

Outlook: Accessing low-x $\Delta g(x)$ via Di-jets



- Forward hadrons from hard q , soft g processes
- Dijet Kinematics \rightarrow access to gluon $x \leq 10^{-3}$
- Lowest-x processes accessible in future FCS (Forward Calorimetry System; $2.8 < \eta < 3.7$)

$$\sqrt{s} = 500 \text{ GeV}$$



$$x_1 = \frac{p_T}{\sqrt{s}} (e^{\eta_3} + e^{\eta_4})$$

$$x_2 = \frac{p_T}{\sqrt{s}} (e^{-\eta_3} + e^{-\eta_4})$$

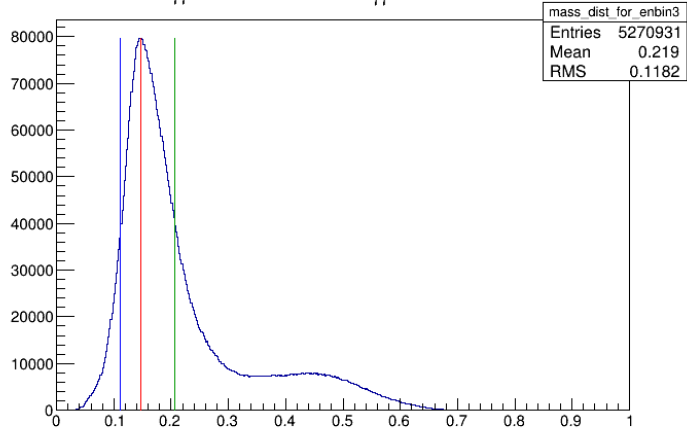
(leading-order x_1 and x_2 equations)

Surrow – arXiv: 1407.4176

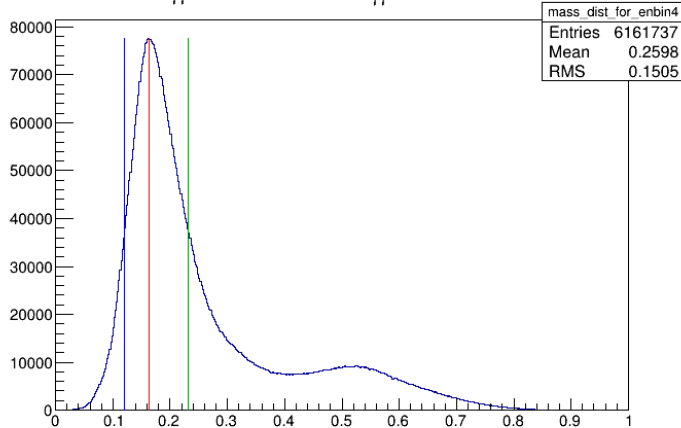
Energy-Dependent π_0 Mass Cuts – 2012 Run



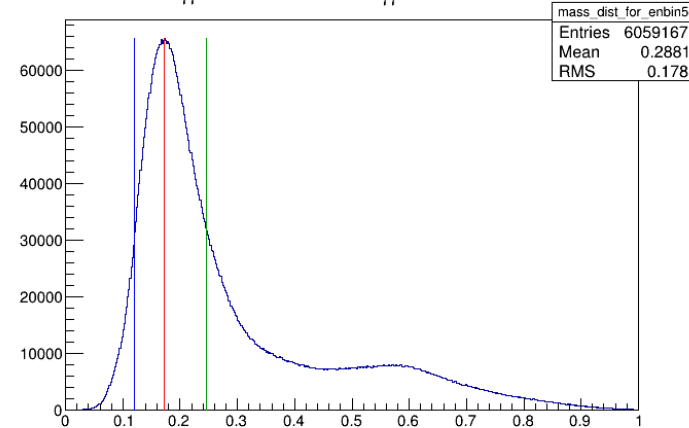
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [30,40)$ GeV



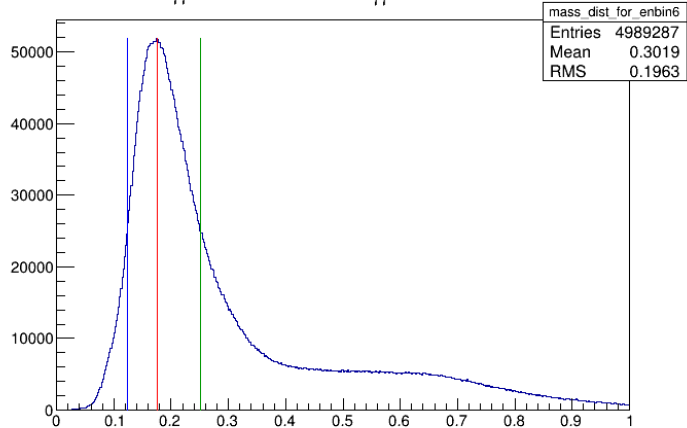
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [40,50)$ GeV



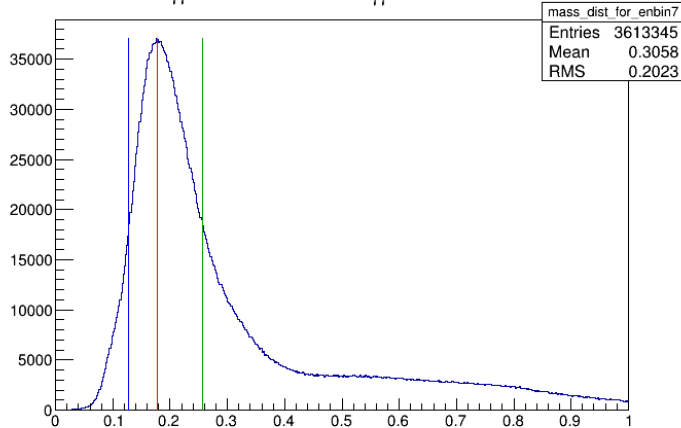
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [50,60)$ GeV



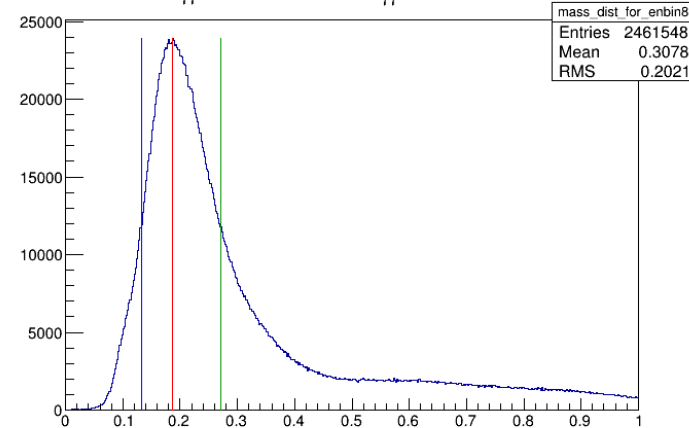
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [60,70)$ GeV



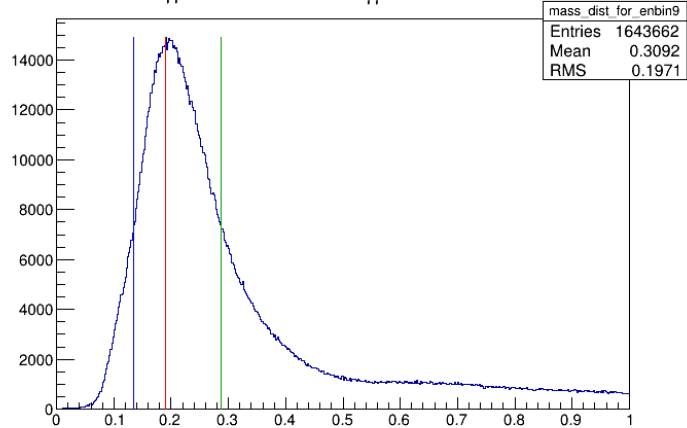
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [70,80)$ GeV



$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [80,90)$ GeV



$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [90,100)$ GeV



Vertical Lines Legend

M low bound

M max bin

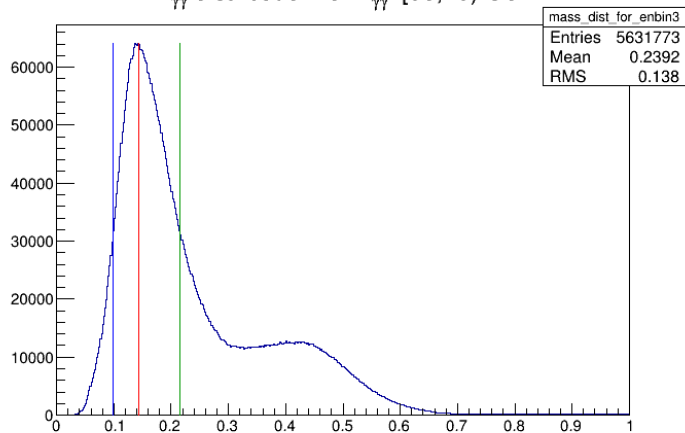
M high bound

Bounds are set at the full width at half max of the π^0 mass peak for each 10 GeV $E_{\gamma\gamma}$ bin

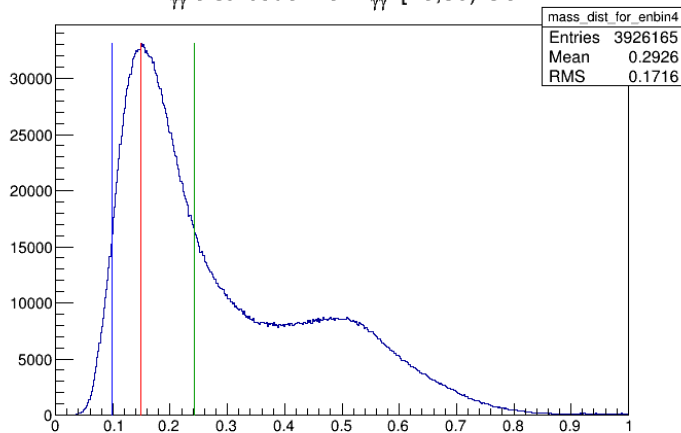
Energy-Dependent π_0 Mass Cuts – 2013 Run



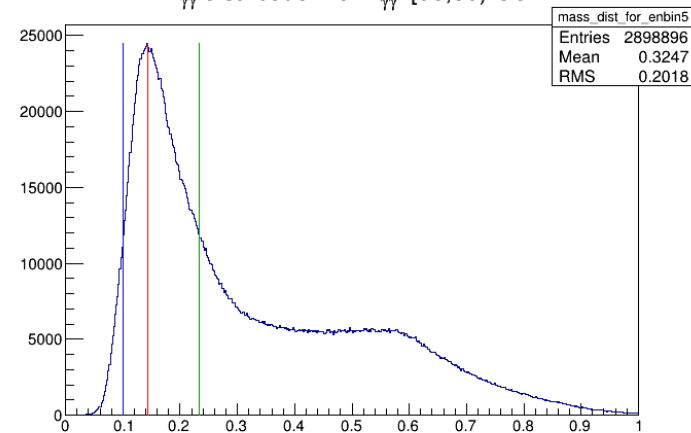
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [30,40)$ GeV



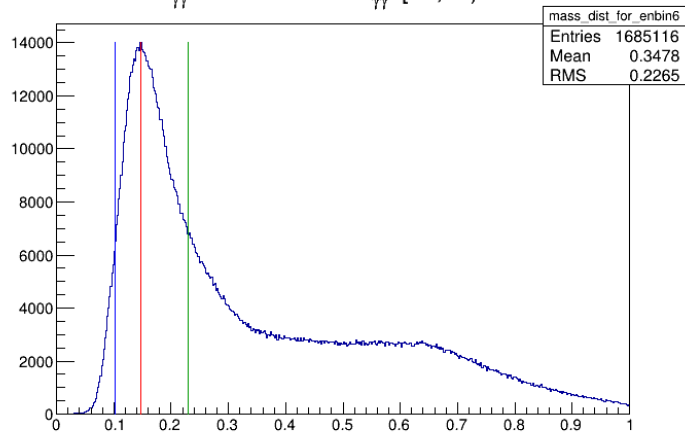
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [40,50)$ GeV



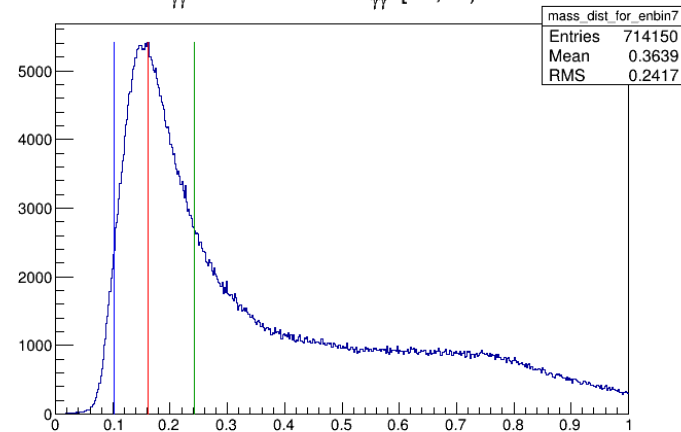
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [50,60)$ GeV



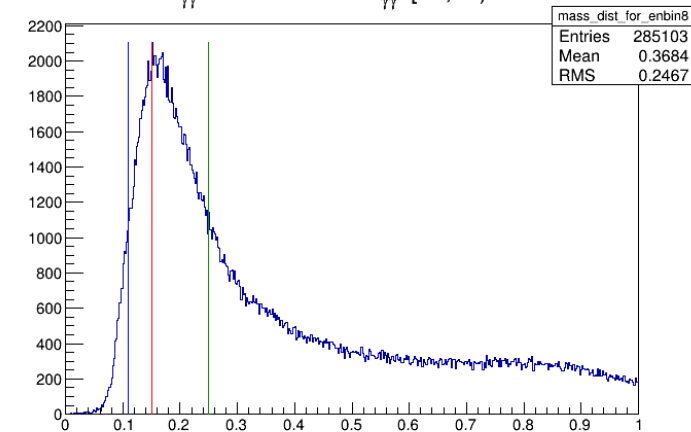
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [60,70)$ GeV



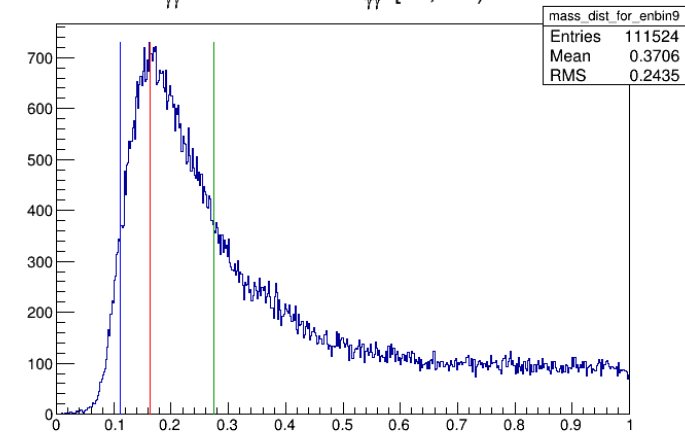
$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [70,80)$ GeV



$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [80,90)$ GeV



$M_{\gamma\gamma}$ distribution for $E_{\gamma\gamma} \in [90,100)$ GeV



Vertical Lines Legend

M low bound

M max bin

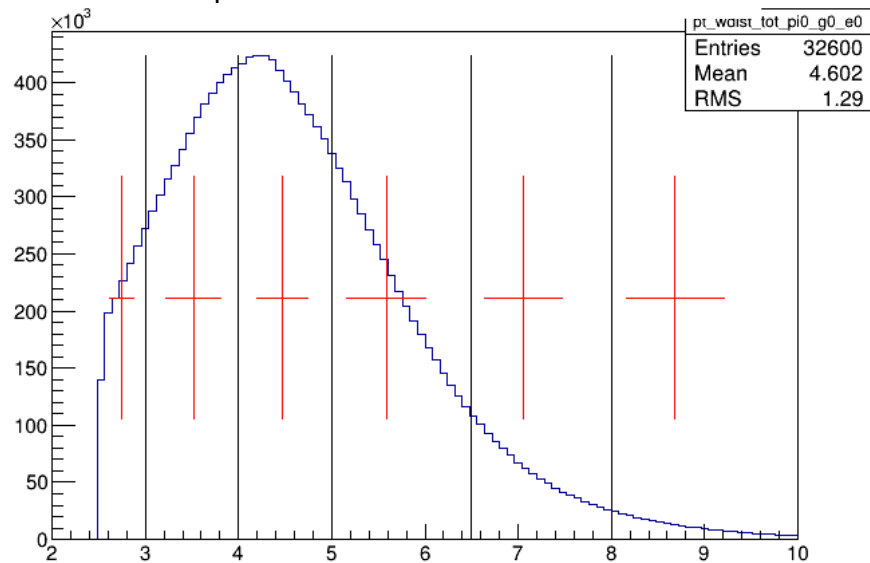
M high bound

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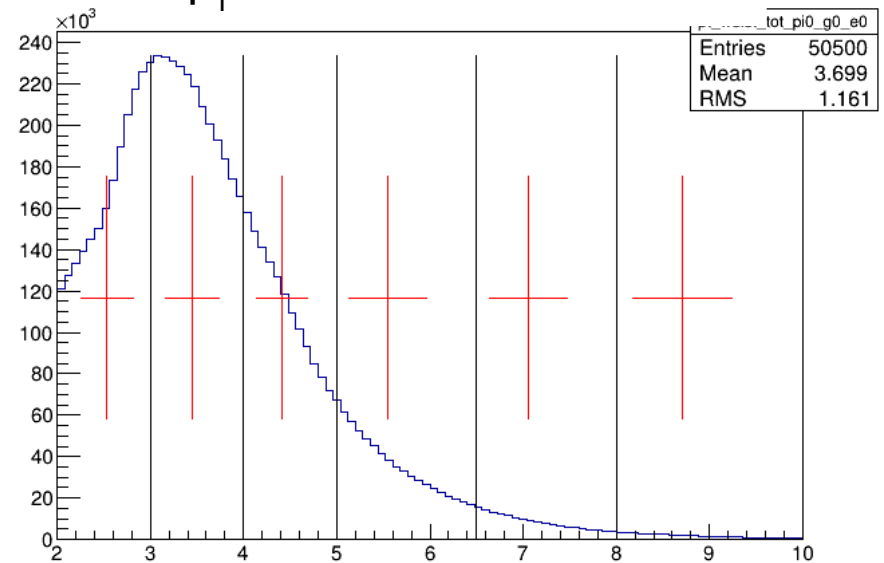
π^0 p_T Distributions



π^0 p_T distribution for 2012 run



π^0 p_T distribution for 2013 run



For above plots:

Black vertical lines are p_T bin boundaries; red lines indicate p_T bin means & RMSs

Trigger thresholds adjusted in 2013 to increase sensitivity in $2 < p_T < 3$ GeV/c region

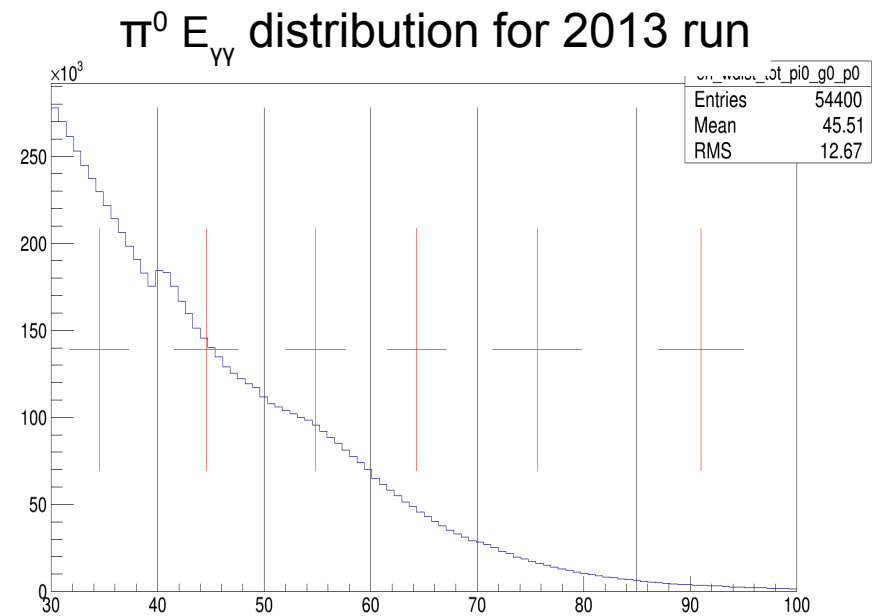
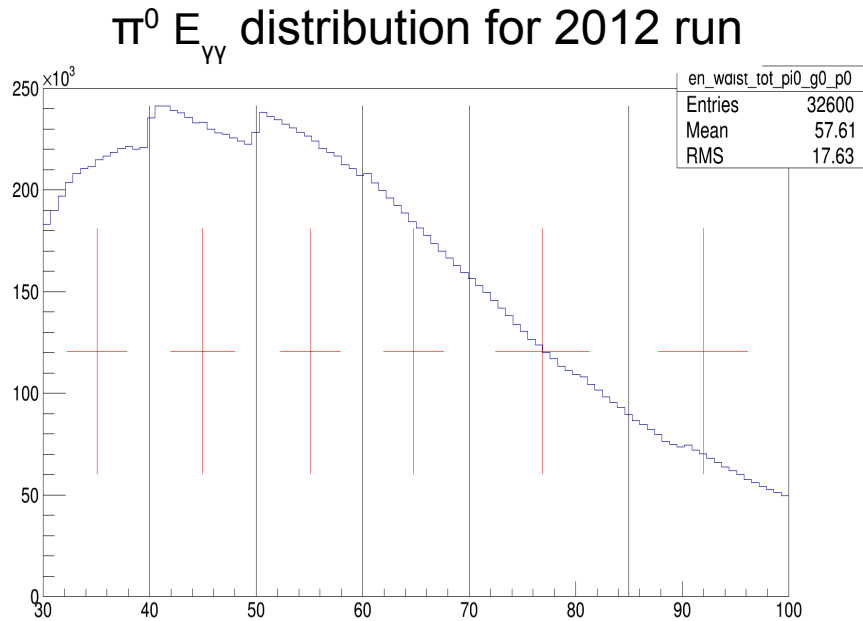
2012 Run Cut:

$$2.5 \leq p_T < 10 \text{ GeV/c}$$

2013 Run Cut:

$$2.0 \leq p_T < 10 \text{ GeV/c}$$

$\pi^0 E_{\gamma\gamma}$ Distributions



For above plots:

Black vertical lines are $E_{\gamma\gamma}$ bin boundaries; red lines indicate $E_{\gamma\gamma}$ bin means & RMSs

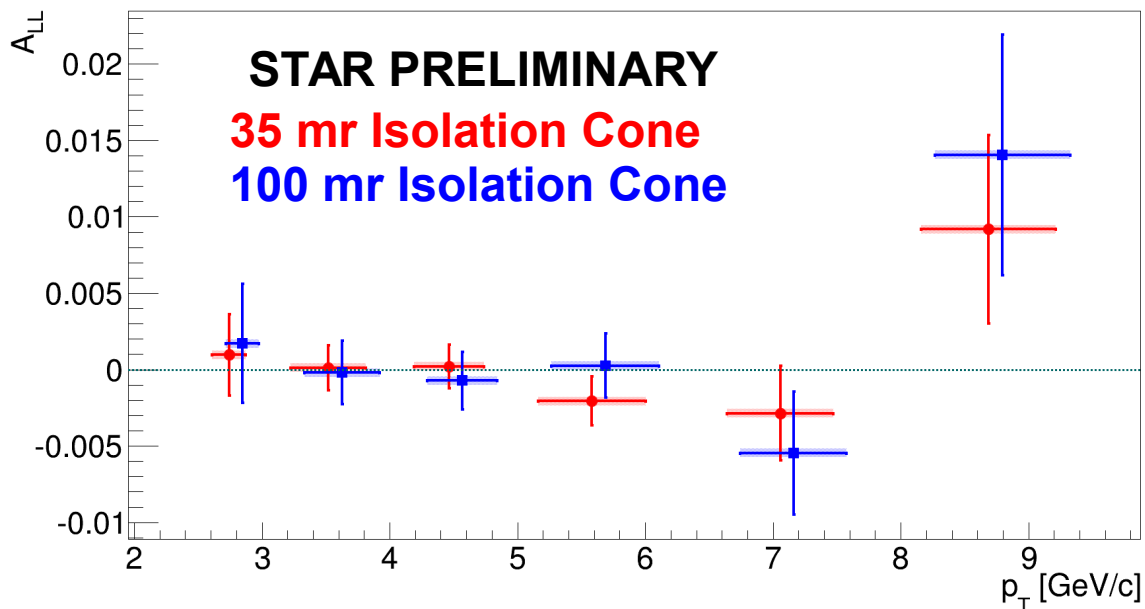
2012 and 2013 Run Cut:

$$30 \leq E_{\gamma\gamma} < 100 \text{ GeV}$$

Forward π^0 A_{LL} Measurement for 2012 vs. 2013



π^0 Double Helicity Asymmetry A_{LL} vs. p_T **2012 Run**



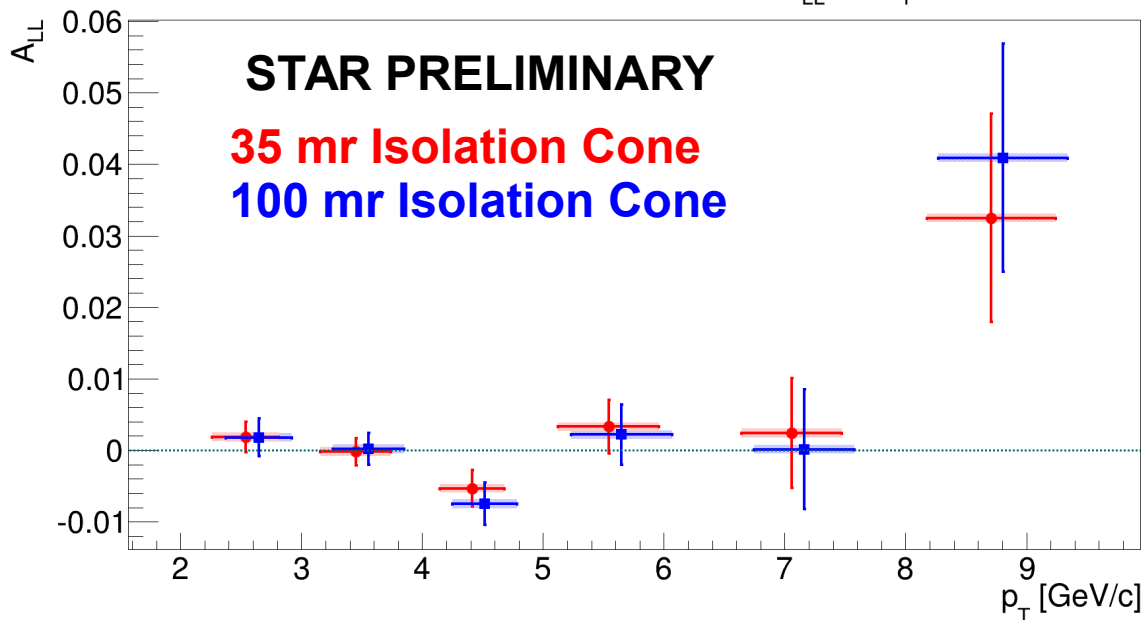
p_T Dependence

— | —
 statistical
 uncertainty

— —
 bin RMS

I I
 systematic
 uncertainty

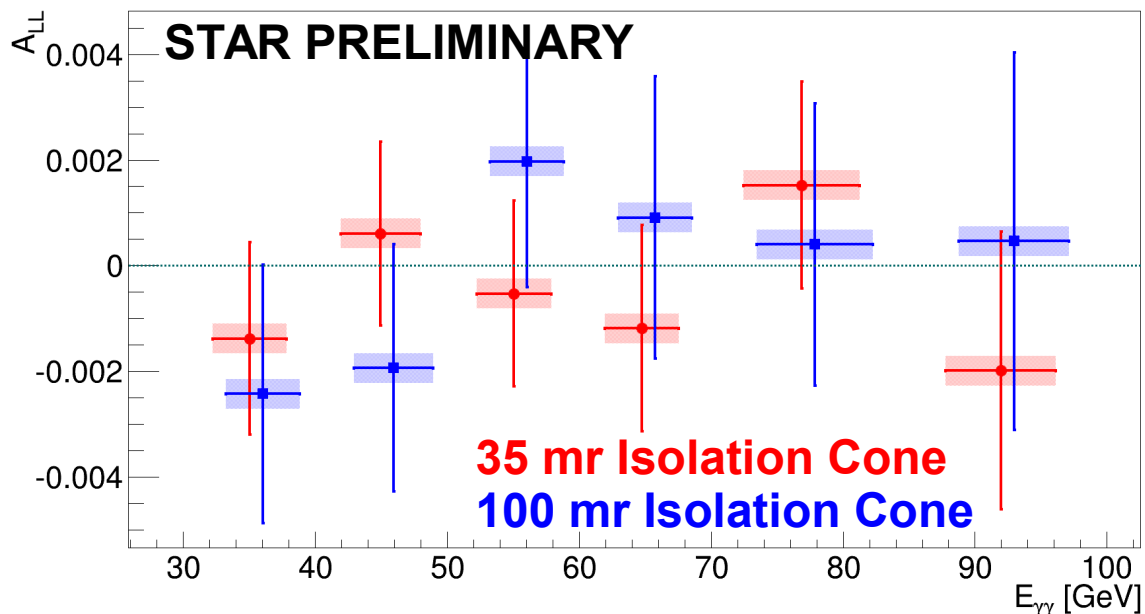
π^0 Double Helicity Asymmetry A_{LL} vs. p_T **2013 Run**



Forward π^0 A_{LL} Measurement for 2012 vs. 2013



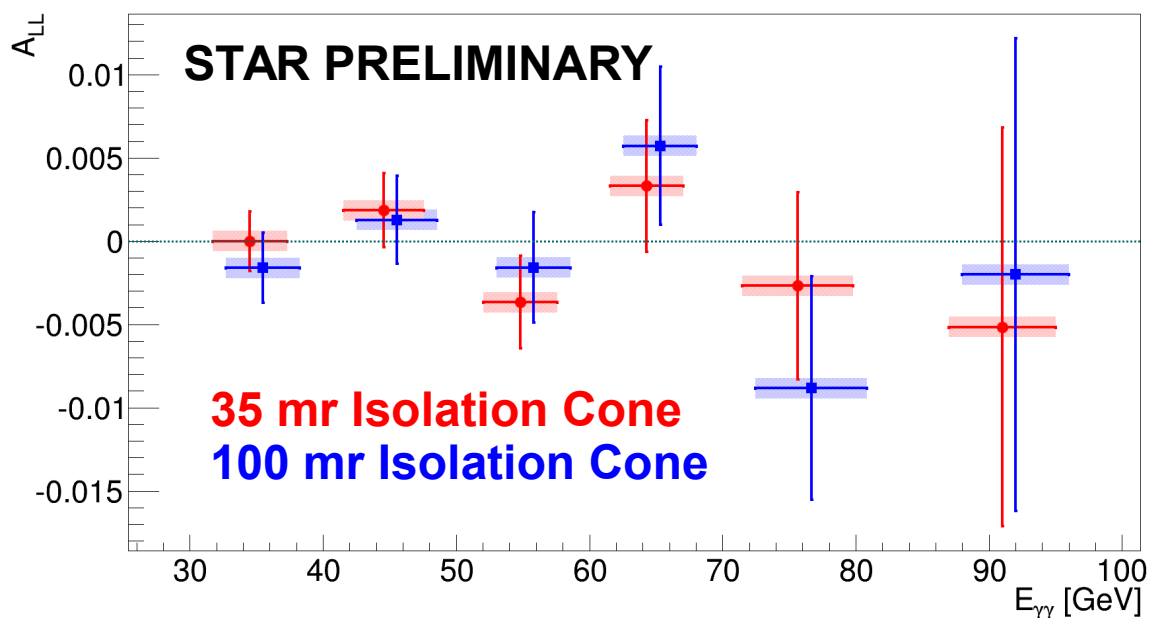
π^0 Double Helicity Asymmetry A_{LL} vs. $E_{\gamma\gamma}$ **2012 Run**



$E_{\gamma\gamma}$ Dependence

statistical uncertainty

π^0 Double Helicity Asymmetry A_{LL} vs. $E_{\gamma\gamma}$ **2013 Run**



bin RMS

systematic uncertainty

Combining Data to Measure A_{LL}



- STAR takes data in ~30 minute periods, called **runs**
 - Combine runs via **maximum likelihood method** (MLM)

$$\text{MLM value: } \bar{A}_{LL} = \frac{\sum_i P_a^{(i)} P_b^{(i)} \left[N_{++}^{(i)} + N_{--}^{(i)} - R_3^{(i)} \left(N_{+-}^{(i)} + N_{-+}^{(i)} \right) \right]}{\sum_i \left(P_a^{(i)} P_b^{(i)} \right)^2 \left[N_{++}^{(i)} + N_{--}^{(i)} + R_3^{(i)} \left(N_{+-}^{(i)} + N_{-+}^{(i)} \right) \right]}$$

(sums over runs)

$$\text{Statistical Uncertainty: } \delta_{\bar{A}_{LL}}^{stat} \approx \frac{1}{\langle P_a \rangle \langle P_b \rangle \sqrt{N_{tot}}}$$

Need 3 coincident measurements:

h-dependent yields ← **calorimetry** (viz. FMS)

Relative Luminosity ← **scaler detectors** (BBC, ZDC, VPD)

Beam Polarizations ← **RHIC polarimetry** (~55% +/- 5%)