

Jet Reconstruction at STAR

Elena Bruna, for the STAR Collaboration
Yale University



RHIC-AGS users meeting, BNL June 8th 2010

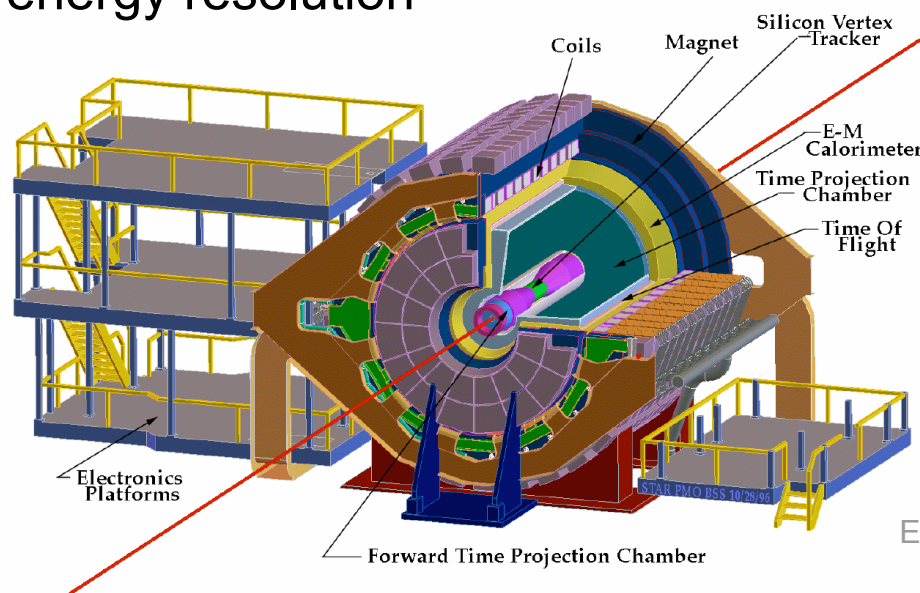


Outline

- Jet measurements in p+p: jets are “calibrated” pQCD probes
 - X-section
 - Jet energy profile and comparison to PYTHIA and NLO
- Jet measurements in d+Au: control experiment
 - Cold Nuclear Matter Effects
- Jet measurements in Au+Au: towards a consistent picture of jet quenching
 - Background characterization: the crucial issue
 - Jet R_{AA} , Jet-hadron correlations, di-jets, jet fragmentation

Jets at STAR

- TPC tracks for charged particles
- Barrel EMC for neutral energy
- $\Delta\phi=2\pi$ of TPC and BEMC
- $-1 \leq \eta \leq 1$
- Unless stated otherwise, data are corrected for detector eff. and jet energy resolution



Data Sets:

- p+p Run 2006
- d+Au Run 2008
- Au+Au Run 2007

Triggers:

- Min Bias (MB): Au+Au
- Jet-Patch (JP) in EMC
 $E_T > 8 \text{ GeV}$ in $\Delta\eta \times \Delta\phi = 1 \times 1$
- High Tower (HT) in EMC
 $E_T > 5.4 \text{ GeV}$ in one tower
 $\Delta\eta \times \Delta\phi = 0.05 \times 0.05$

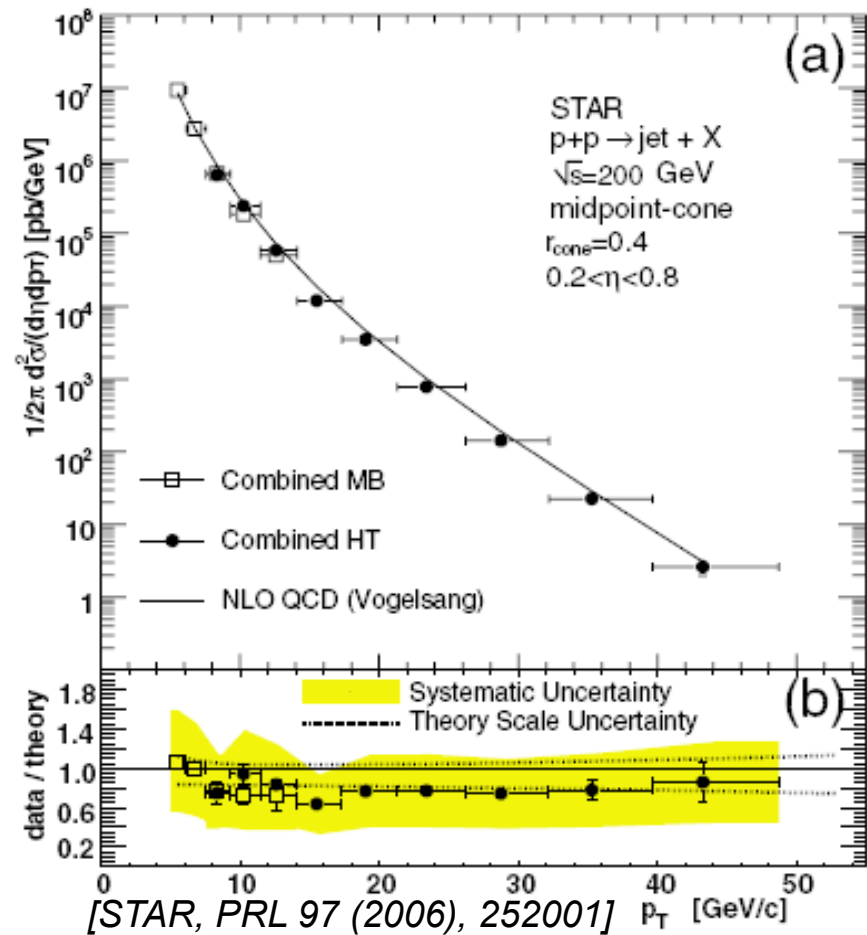
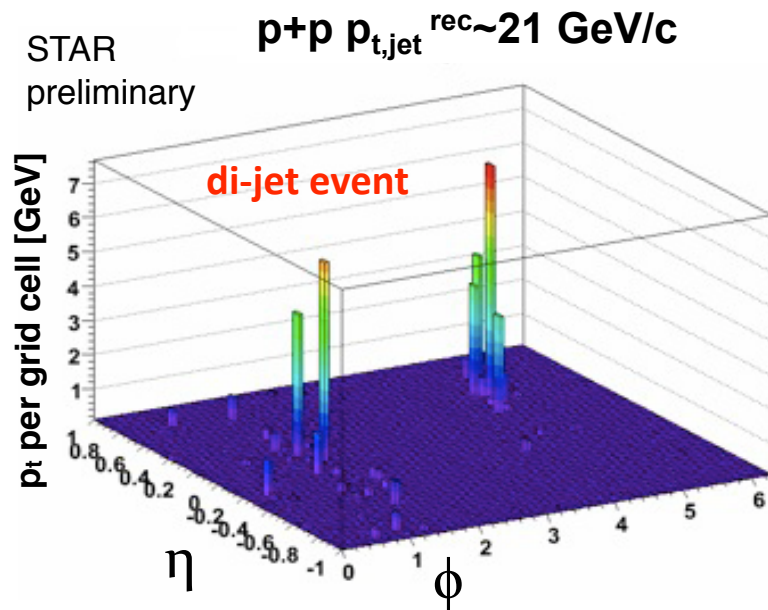
Jet Algorithms:

- k_T , Anti- k_T
- R= resolution parameter. R=0.2, 0.4, 0.7

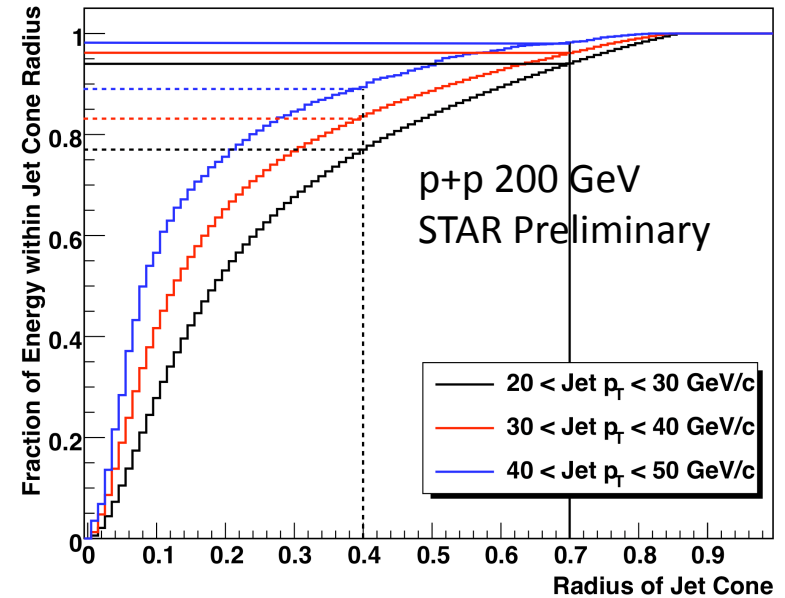
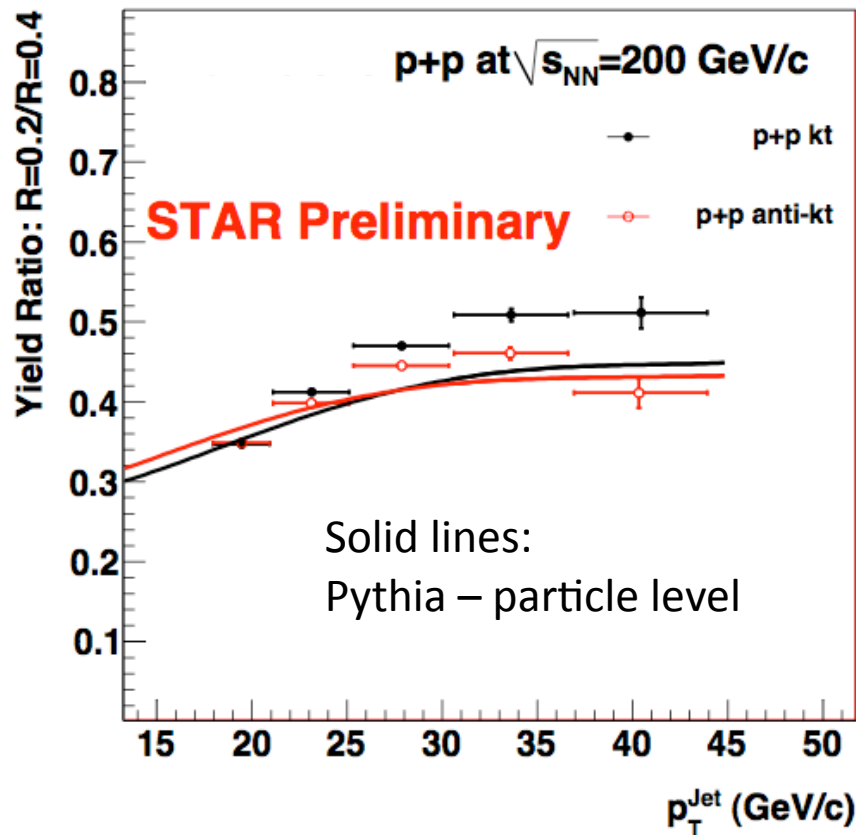
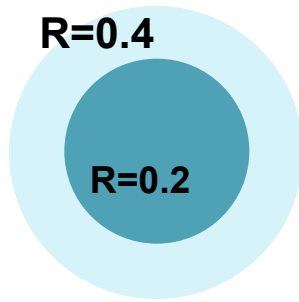
Jets are “calibrated” probes

Jet cross section in p+p well described by pQCD

Jets in p+p are “calibrated” probes, good reference for Au+Au

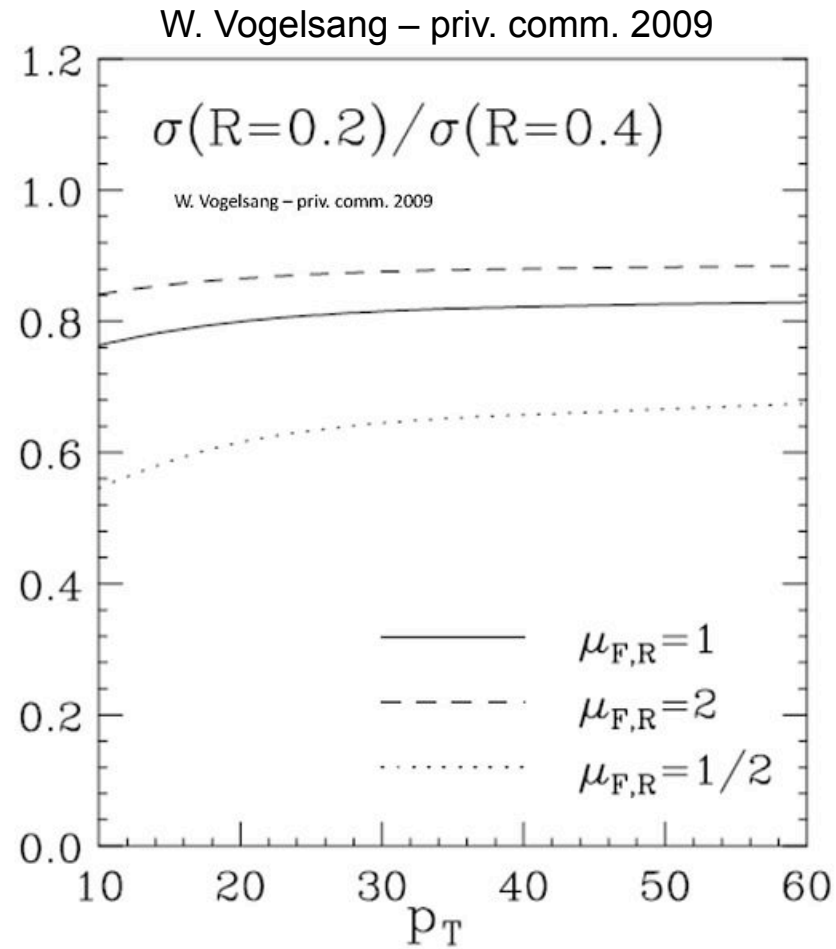


Jet energy profile in p+p

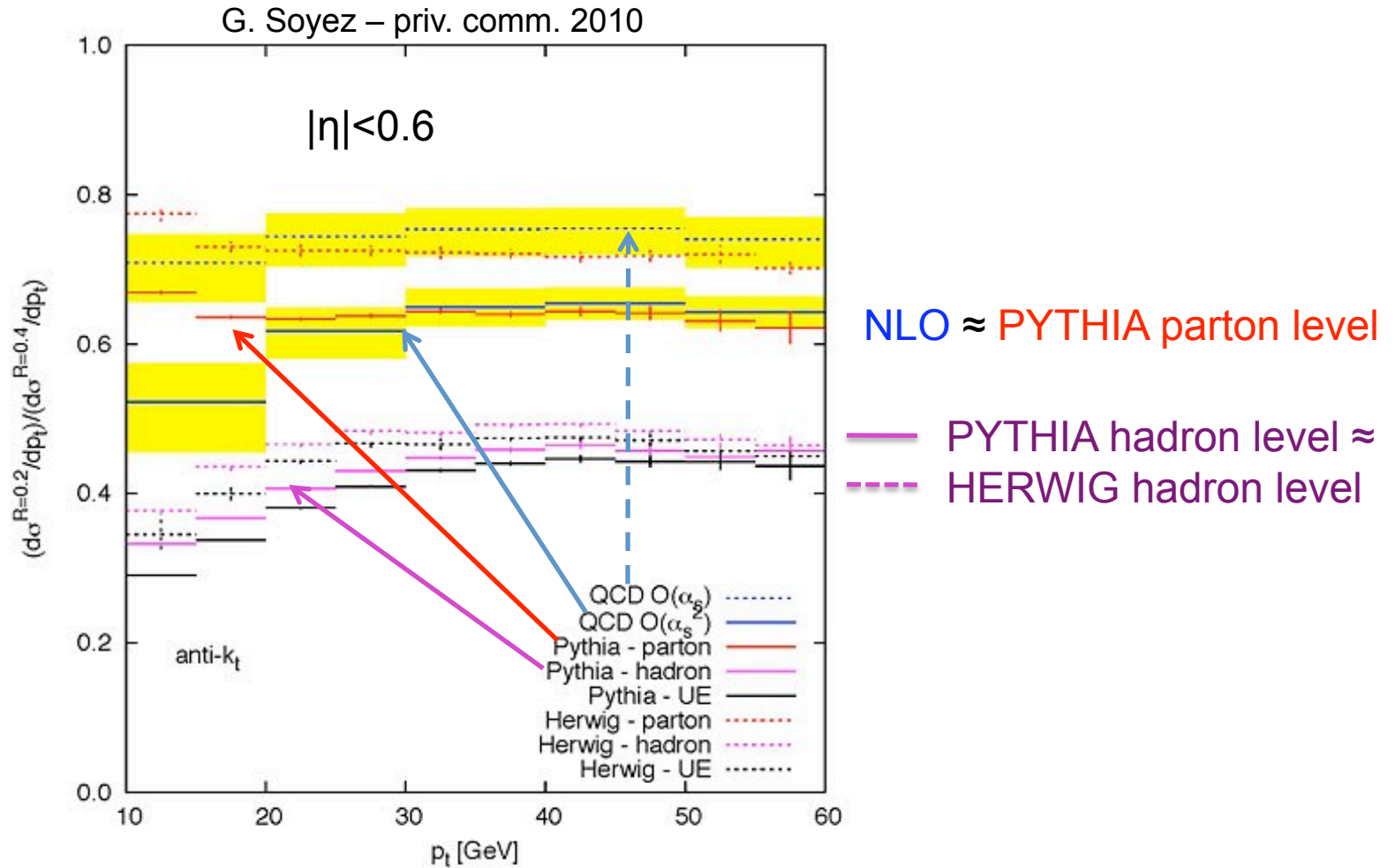


- jets more collimated with increasing p_T
- PYTHIA (fragmentation + hadronization) describes the data

$\sigma(R=0.2)/\sigma(R=0.4) : \text{NLO}$

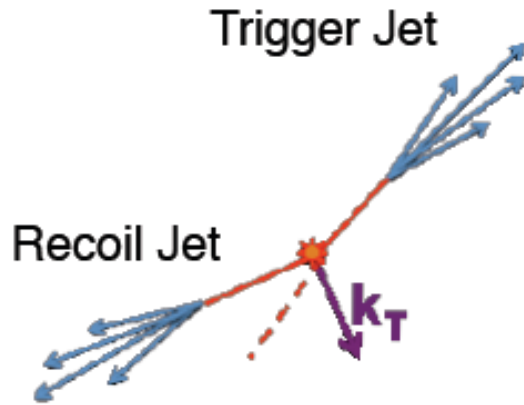


$\sigma(R=0.2)/\sigma(R=0.4) : \text{NLO}$



Hadronization broadens the jet

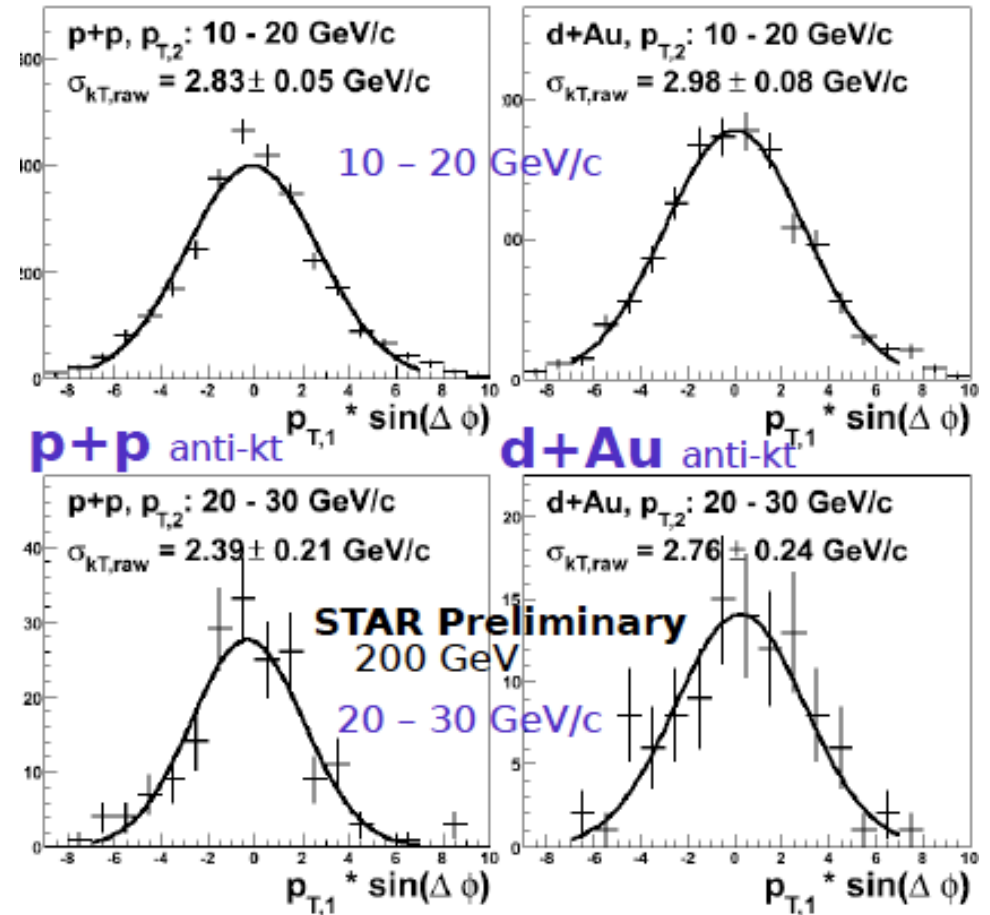
Jets in d+Au



$$k_T = P_{T,1} * \sin(\Delta\phi)$$

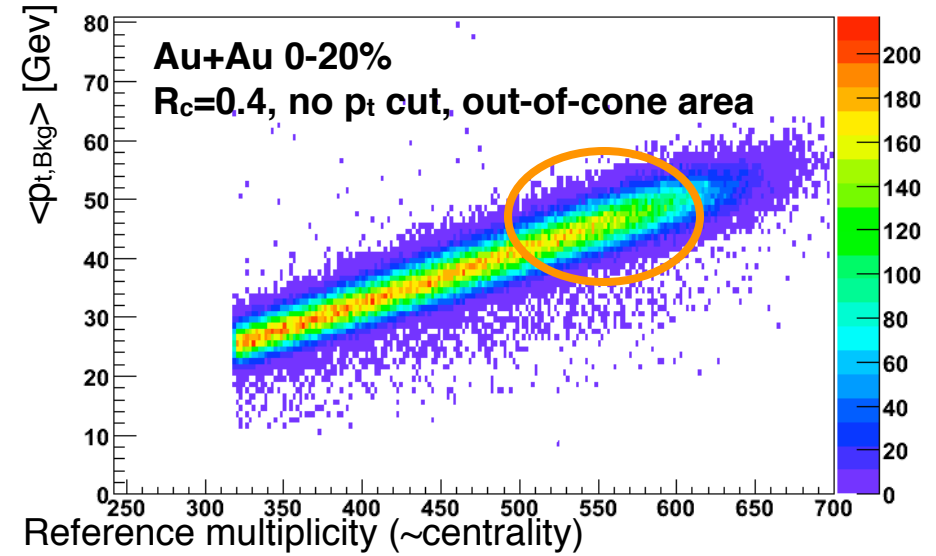
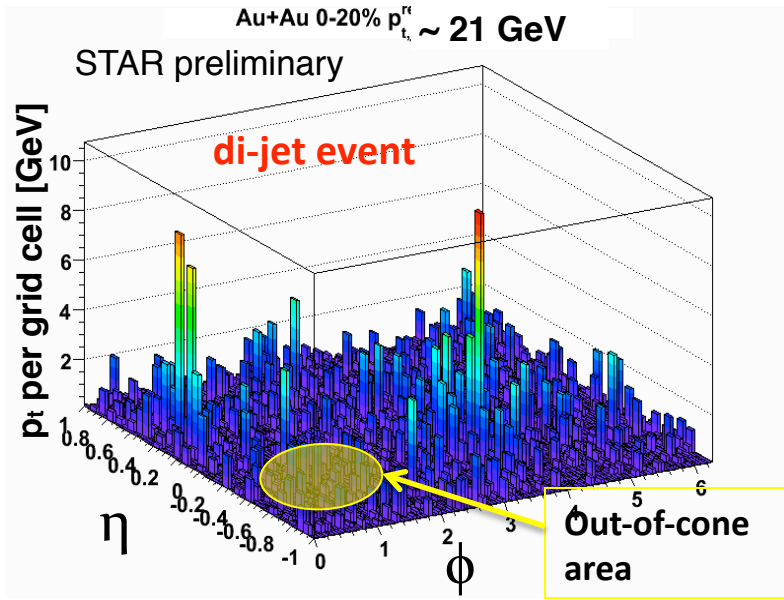
$$\sigma_{k_T, \text{raw}} (\text{p+p}) = 2.8 \pm 0.1 \text{ GeV/c}$$

$$\sigma_{k_T, \text{raw}} (\text{d+Au}) = 3.0 \pm 0.1 \text{ GeV/c}$$



Cold Nuclear Matter effect on jet k_T broadening is small

Jet reconstruction in Au+Au



$$\mathbf{p}_T^{\text{Meas}} \sim \mathbf{p}_T^{\text{Jet}} + \mathbf{p}_{T,\text{Bkg}}$$

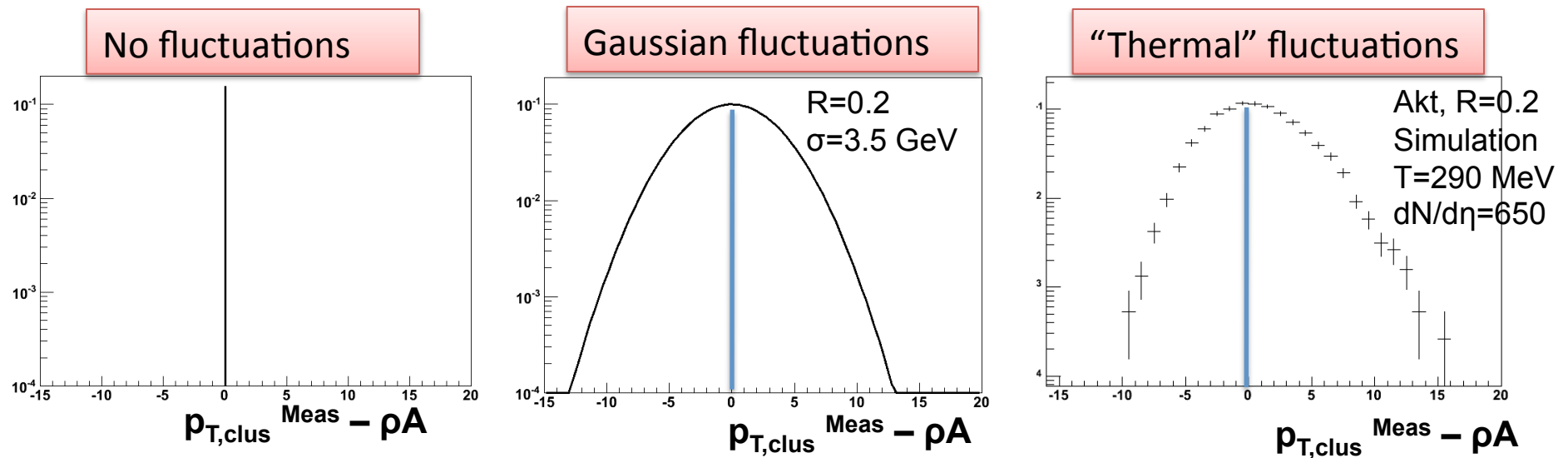
- $p_{T,\text{Bkg}}$ fluctuates around $\langle p_{T,\text{Bkg}} \rangle = \rho A = \text{mean } p_T \text{ in out-of-cone area}$
- Fake jets: = random association of uncorrelated soft particles (i.e. not due to hard scattering)
- Region-to-region background fluctuations described by f :

$$\frac{dN^{\text{Meas}}}{dp_T} = \frac{dN^{\text{Jet}}}{dp_T} \otimes f$$

Assessing background fluctuations

$$f(p_{T,\text{clus}}^{\text{Meas}} - \rho A)$$

$p_{T,\text{clus}}$ for only background jets

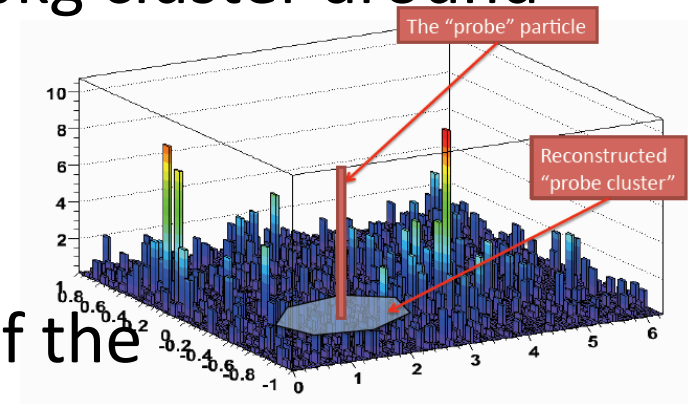


How to characterize the full shape of the bkg fluctuations?

Approaches to assess bkg fluctuations

1) Embed particles in Au+Au events, run the jet finder, extract the distribution of p_T of the bkg cluster around the probe particle.

» Study as a function of the probe p_T

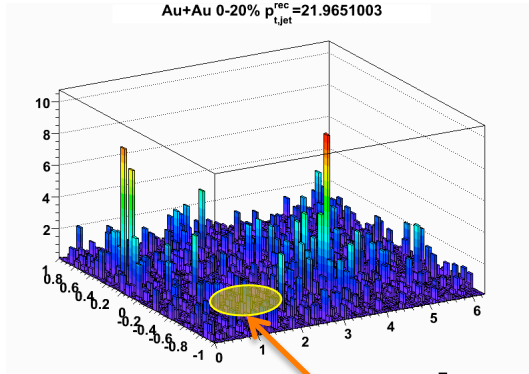


2) Derive a mathematical description of the fluctuations assuming statistical independent (thermal) particle emission. Assess the validity of this assumption on bkg jets in data

» Statistical bkg description: Lower estimate, no additional correlation

As an example, look in more detail at the second approach

Background fluctuations on Thermal model

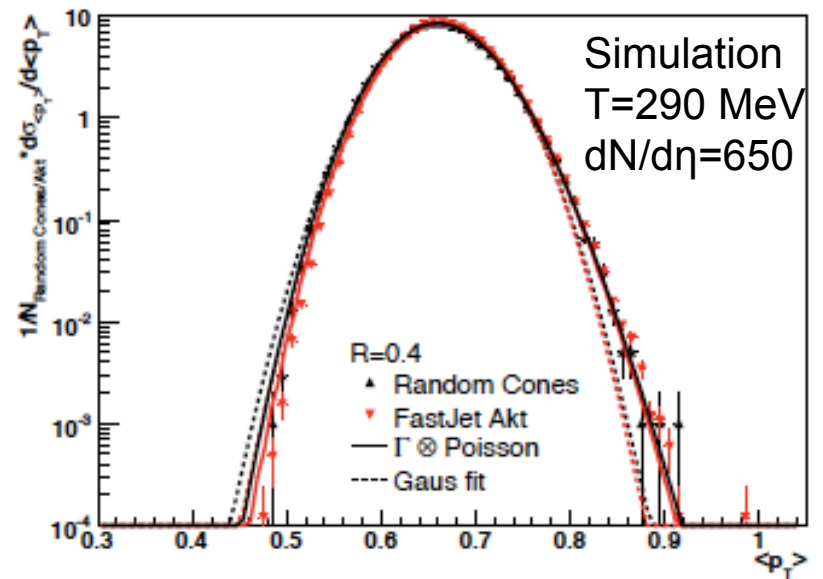
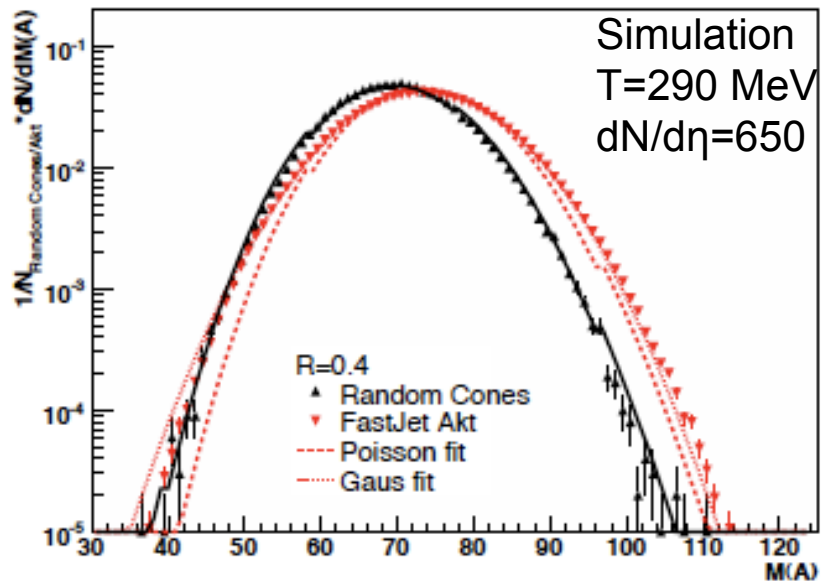


Background fluctuation distribution in a given area A in (η, ϕ) :

$$F(p_T; A) = F_M(A) \otimes F_{\langle p_T \rangle}(A) \quad \text{M.Tannenbaum PLB 498 2001}$$

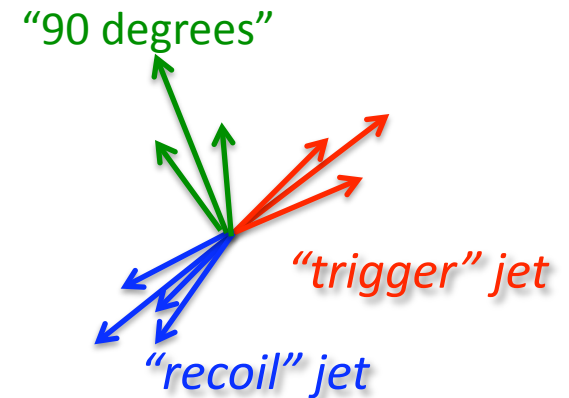
- $M(A)$ = particle multiplicity in a given $A \rightarrow F_M(A)$ **Poisson**

- $\langle p_T \rangle$ = mean p_T in a given area $\rightarrow F_{\langle p_T \rangle}(A)$ **Gamma**

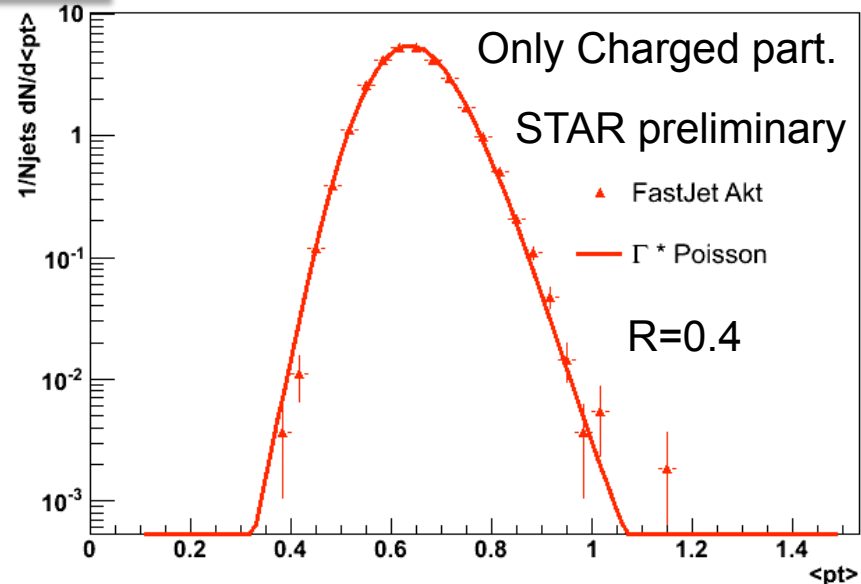
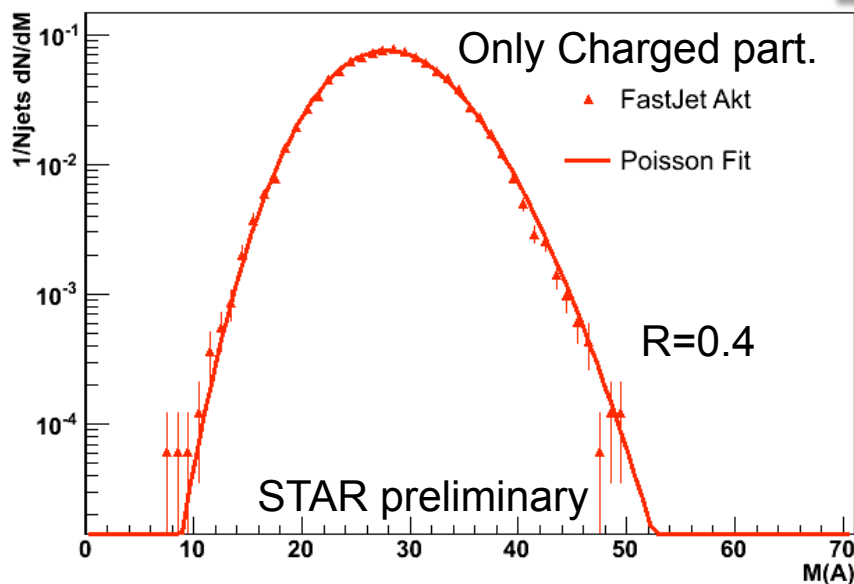


Background fluctuations on Au+Au data

HT 90° Anti-kt jets with $p_T^{\text{Meas}} - \rho A < 0$ (i.e. bkg jets)
 Narrow area: $0.45 < \text{Akt area} < 0.55$ ($\approx \pi R^2$)



R=0.4



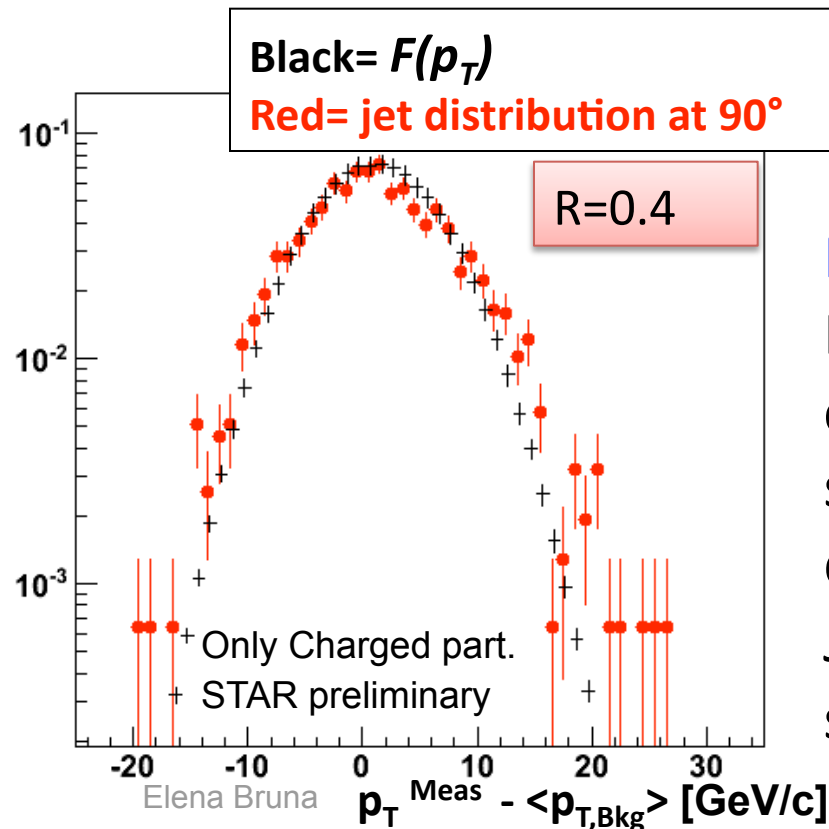
$M(A)$ and $\langle p_T \rangle$ distribution well described by statistical functions

Fit parameters fixed from data

Extracting the Bkg fluctuations

- Extract $F_M(A)$ and $F_{\langle p_T \rangle}(A)$ from M and $\langle p_T \rangle$ distributions
- Fold them into $F(p_T; A) = F_M(A) \otimes F_{\langle p_T \rangle}(A)$
- Extract $pt(\text{bkg jet}) \approx M \times \langle p_T \rangle$
- Use $F(p_T)$ to **unfold** bkg fluctuations from measured jet spectrum

Left hand side
(bkg jets):
Described by
statistical
function



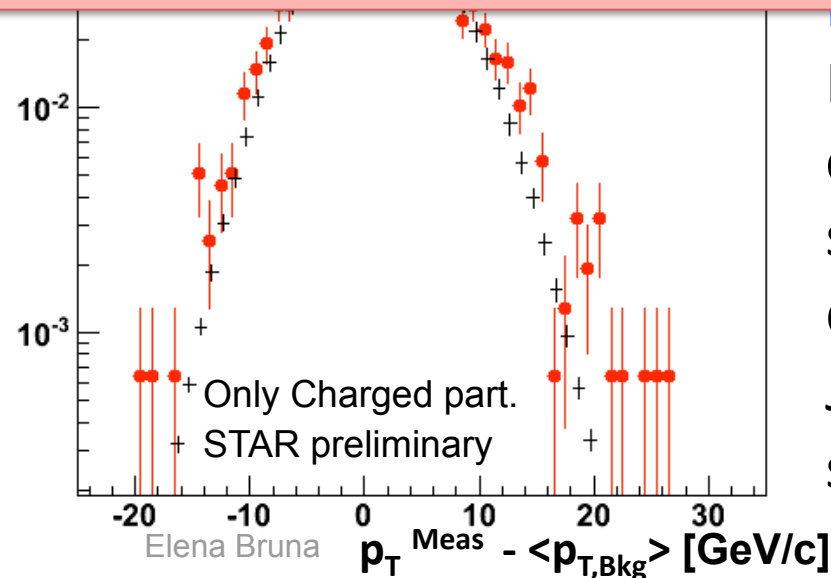
Right hand side:
Excess of jets
compared to
statistical
description.
Jets from 2nd hard
scattering?

Extracting the Bkg fluctuations

- Extract $F_M(A)$ and $F_{\langle p_T \rangle}(A)$ from M and $\langle p_T \rangle$ distributions
- Fold them into $F(p_T; A) = F_M(A) \otimes F_{\langle p_T \rangle}(A)$
- Extract $pt(\text{bkg jet}) \approx M \times \langle p_T \rangle$
- Use $F(p_T)$ to **unfold** bkg fluctuations from measured jet spectrum

Looks promising, part of an overall effort towards a systematical evaluation of background fluctuations and their uncertainties

Left hand side (bkg jets):
Described by statistical function



Right hand side:
Excess of jets compared to statistical description.
Jets from 2nd hard scattering?

Expected results

for unbiased jet reconstruction -

Jet energy fully recovered even in case of quenching
Jet is a hard process, scales as N_{bin}

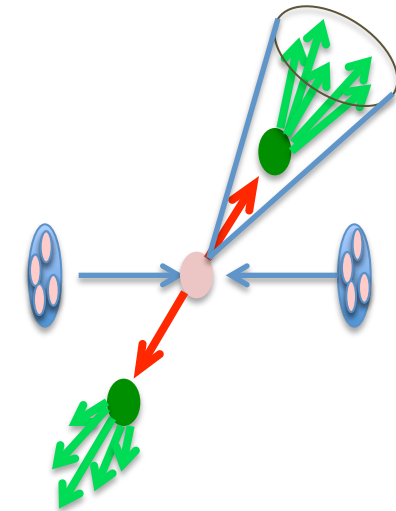


Inclusive spectra:

- $R_{AA}^{\text{jet}} = 1$

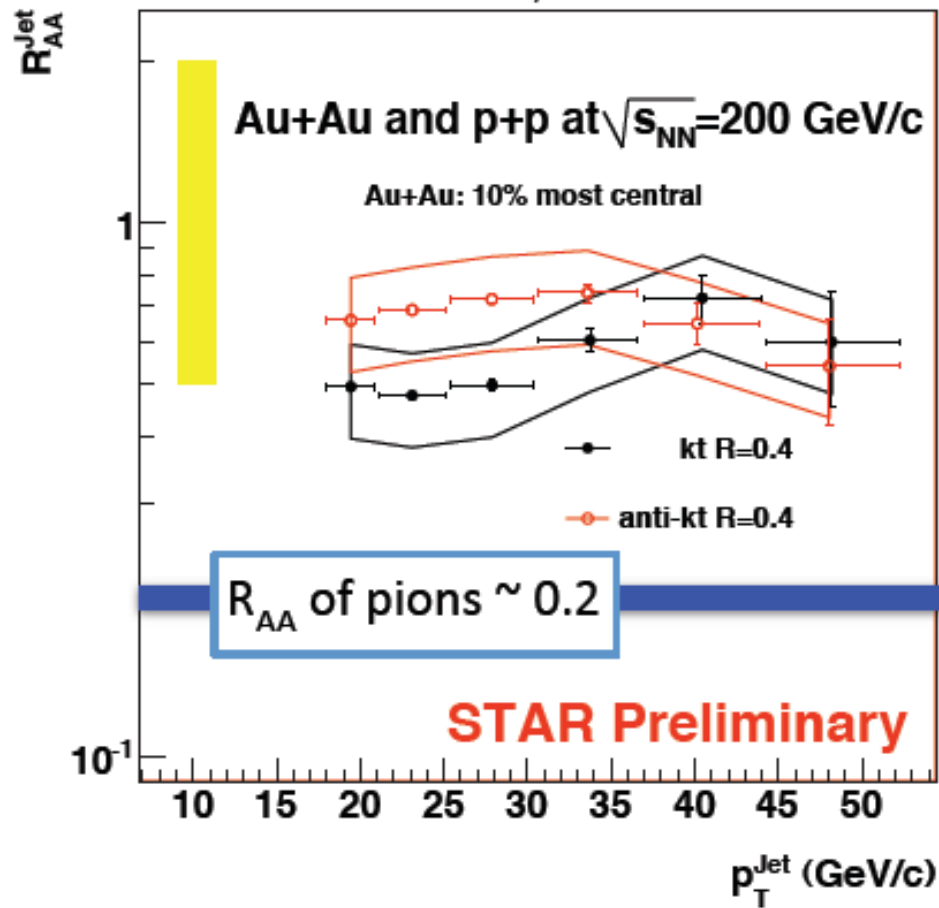
Di-jet analyses:

- Recoil spectra Au+Au same as p+p
- Modified fragmentation in case of dense medium



Wiedemann, Sapeta arXiv:0707.3494

Jet inclusive measurements: R_{AA}^{jet}

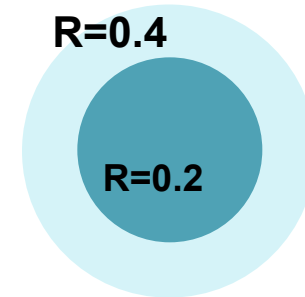
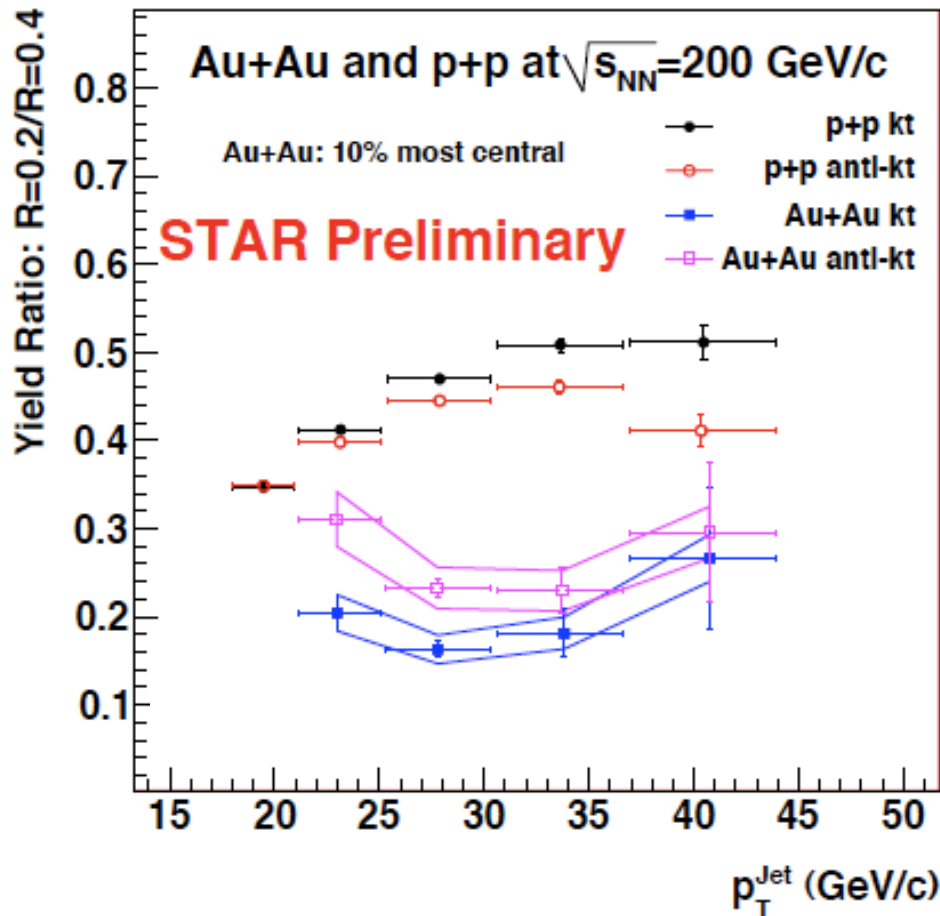


$$R_{AA}^{\text{jet}} < 1$$

$R_{AA}^{\text{jet}} > R_{AA}$ for single hadron ($R=0.4$)

Full energy NOT recovered, jet broadened OR Absorption?

Broadening or absorption? Look at Jet energy profile: 0.2 vs 0.4



p+p:

- jets more collimated with increasing p_T
- PYTHIA describes the data

Au+Au:

- ratio lower than p+p

Jet Energy profile: 0.2 vs 0.4

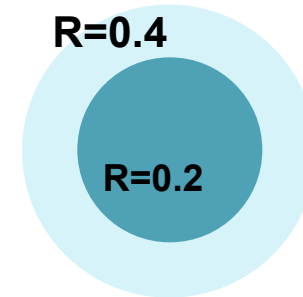
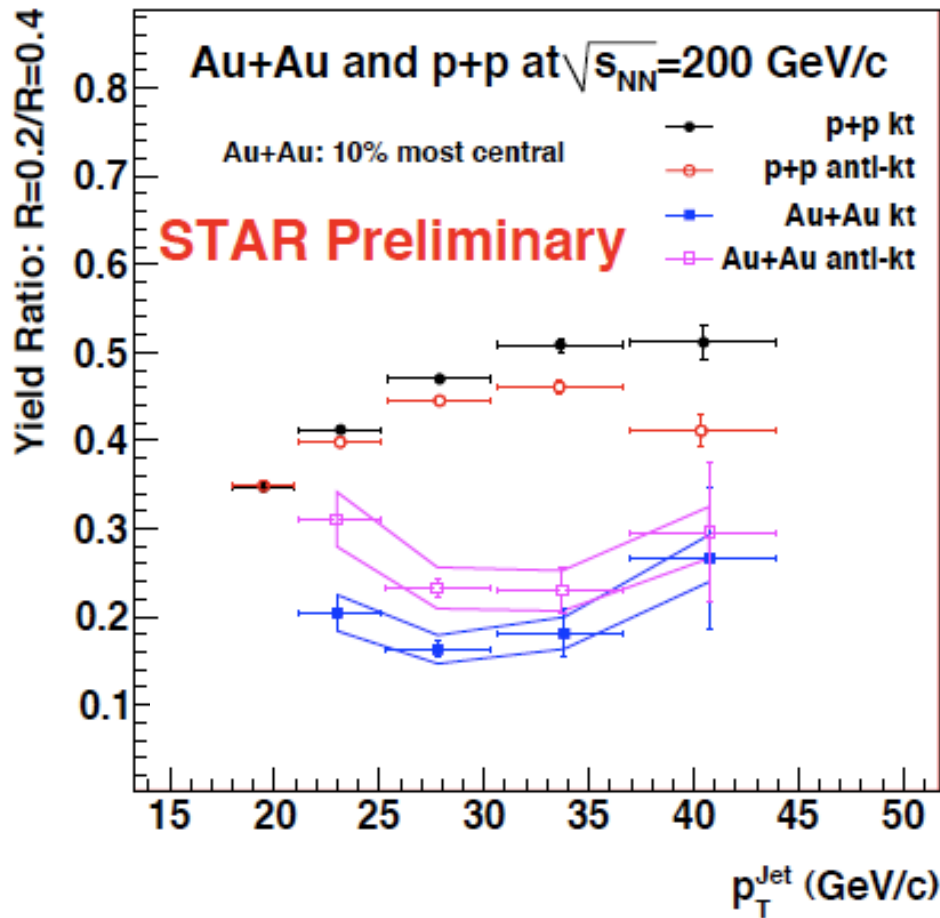
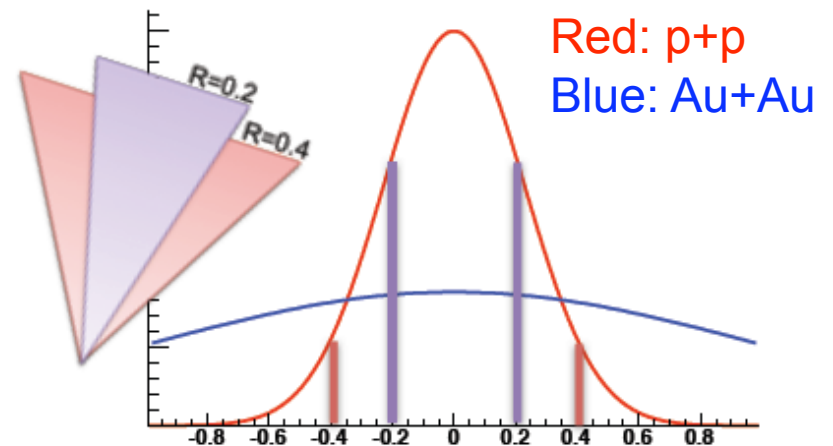
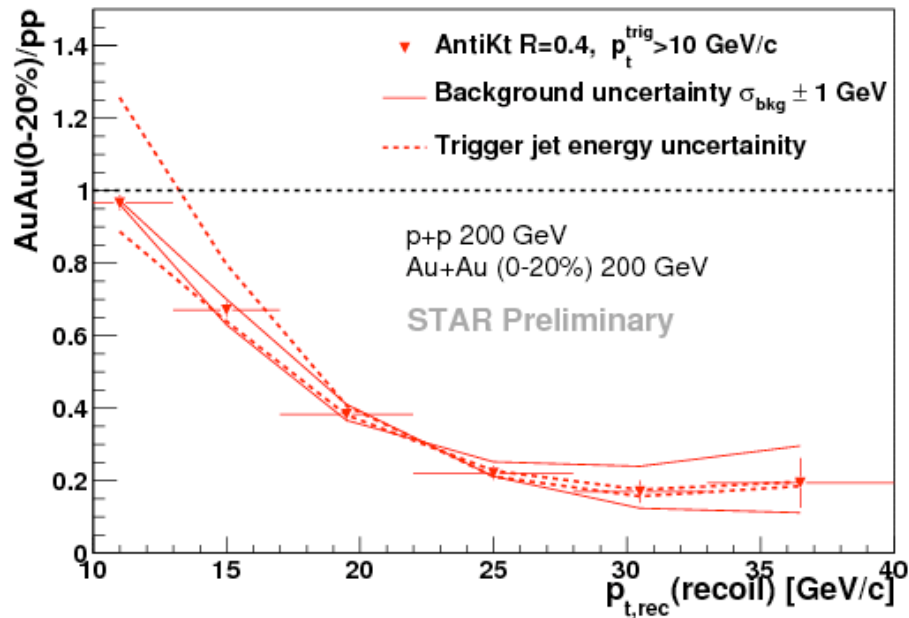


Illustration: Gaussian 1D profile



di-jet measurements



Trigger jet: Anti-kt R=0.4,
 $p_{t,cut} > 2 \text{ GeV}/c$, $p_{t,rec}^{jet} > 10 \text{ GeV}/c$

$p_{T,cut}$ allows similar trigger jet
 population in p+p and Au+Au

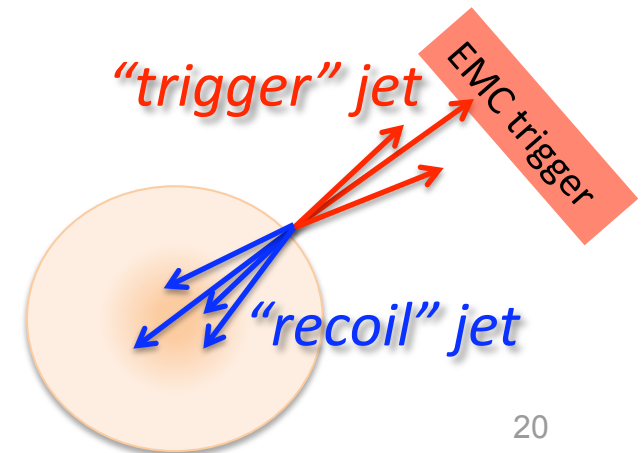
Recoil jets measured per
 trigger jet \rightarrow coincidence rate

Significant suppression of recoil jets

Extreme path-length of recoil jets

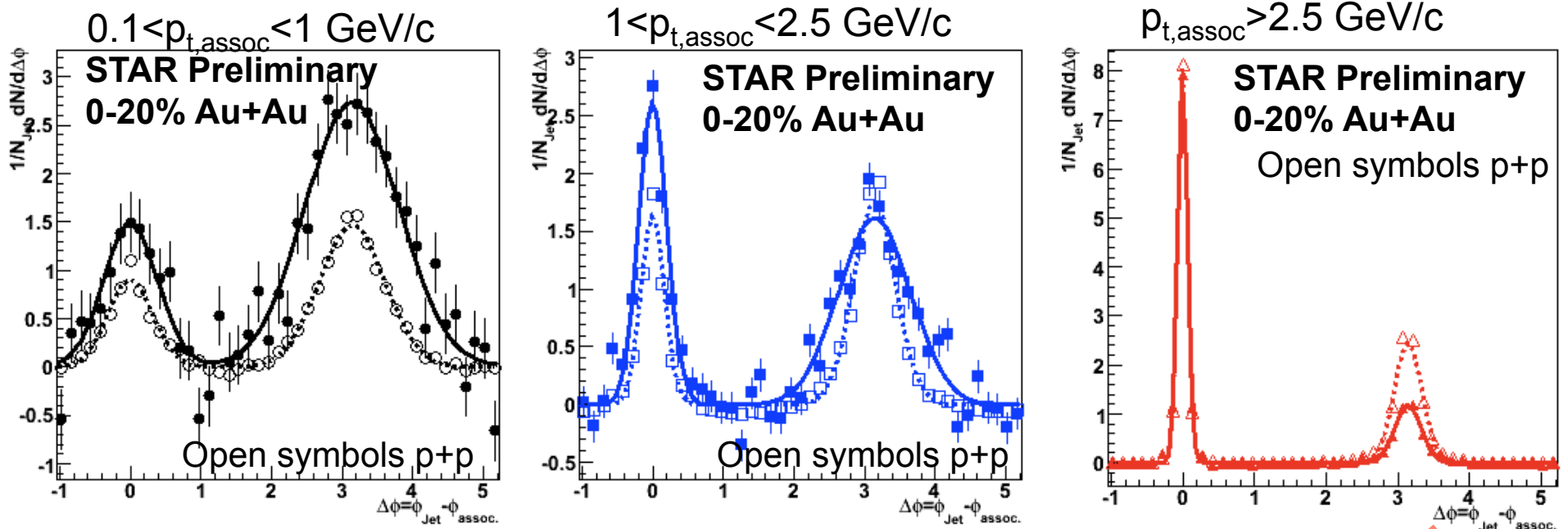
Indicates broadening:

- Energy shifts to larger cone radii (>0.4) or
- Some Jets “absorbed” in the limit



Jet-Hadron correlations

Trigger jet: Anti-kt R=0.4,
 $p_{t,cut} > 2 \text{ GeV}/c$, $p_{t,rec}^{jet} > 20 \text{ GeV}/c$



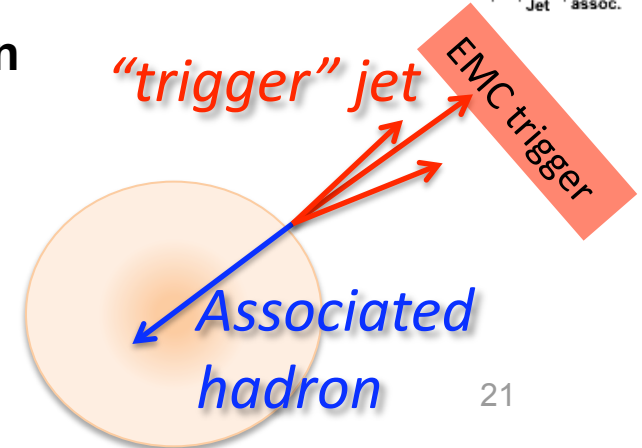
flat bkg subtraction by ZYAM - jet v2 under investigation

See A. Ohlson's poster on jet v2 studies

Significant broadening on the recoil side

Observed modification of hadron p_T
 distribution in jets

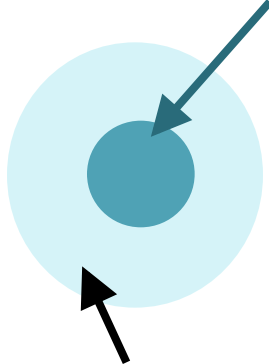
Elena Bruna



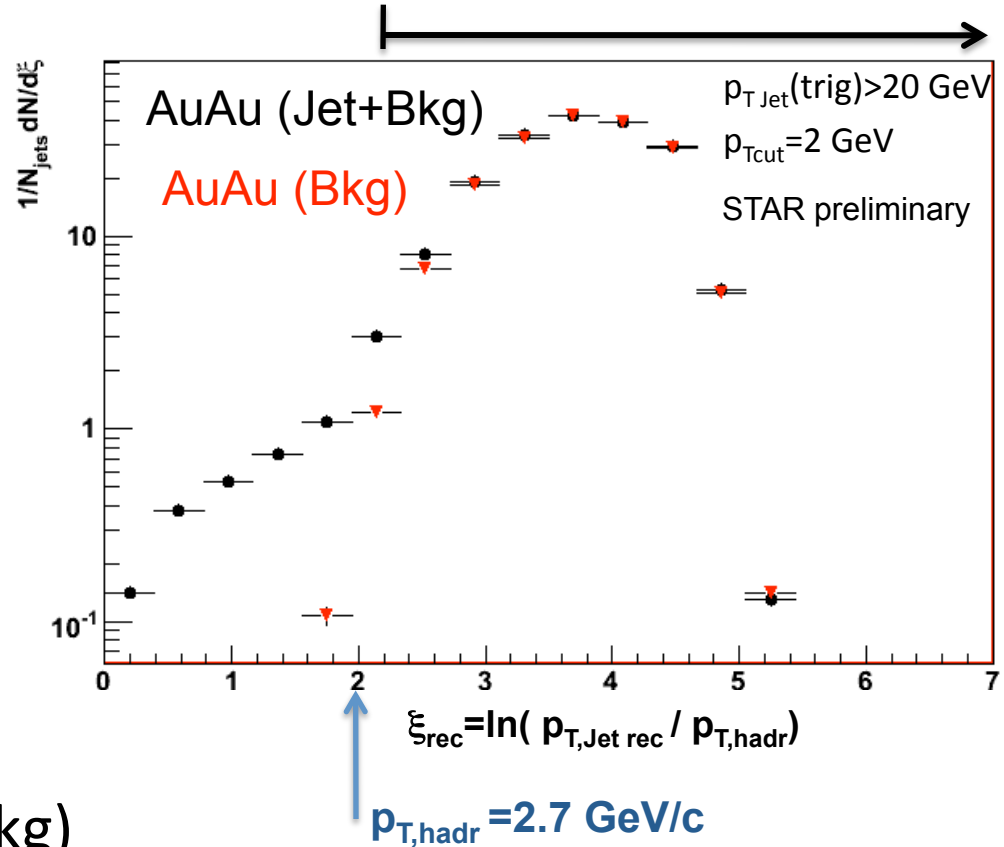
Jet fragmentation

large uncertainties due to background
(further systematic evaluation needed)

Jet energy determined in $R=0.4$



Charged particle ξ : $R=0.7$

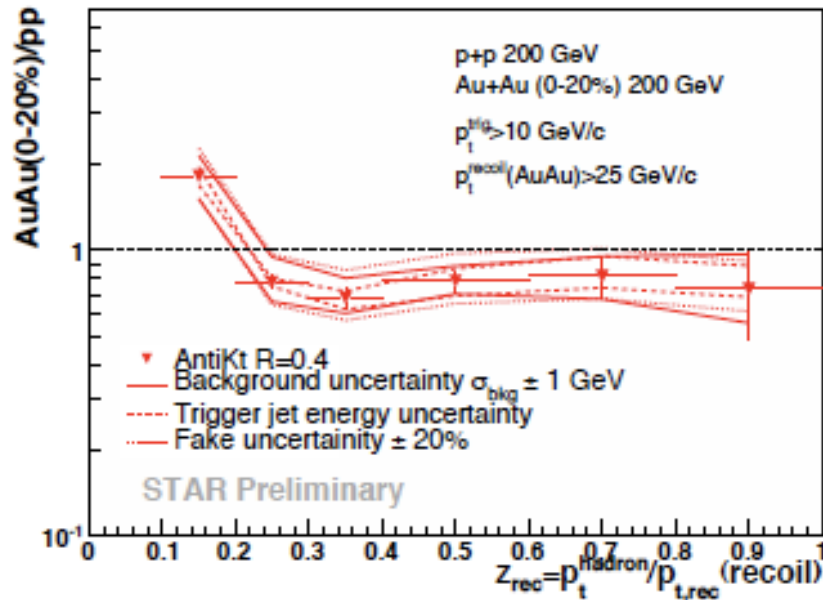


AuAu: $\xi(\text{Jet}) = \xi(\text{Jet+Bkg}) - \xi(\text{bkg})$

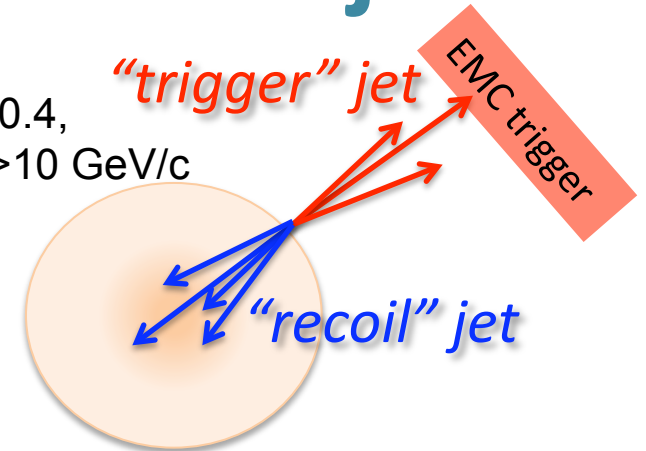
Bkg estimated from charged particle spectra out of jet cones

Bkg dominates at low p_T

di-jets: fragmentation of recoil jets



Trigger jet: Anti-kt R=0.4,
 $p_{t,cut} > 2 \text{ GeV}/c$, $p_{t,rec}^{jet} > 10 \text{ GeV}/c$



No apparent modification of z of recoil jets, would imply non-interacting jets, **but:**

If Jet broadening:

$$p_{T,jet}^{AuAu} (R=0.4) = p_{T,jet}^{pp} (R=0.4) \rightarrow p_{T,parton}^{AuAu} > p_{T,parton}^{pp}$$

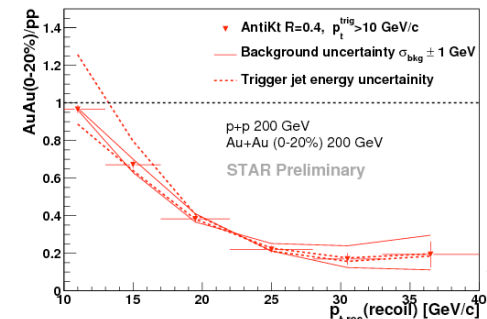
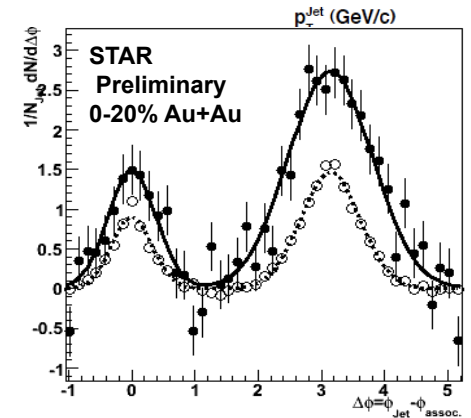
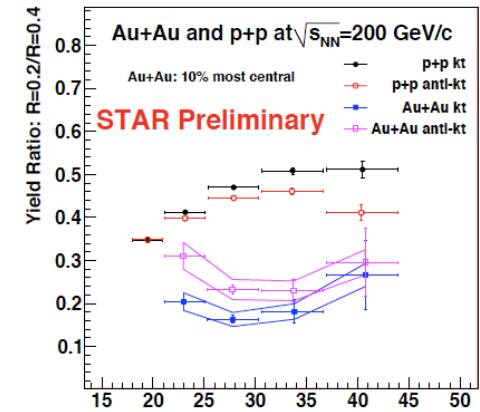
$\rightarrow z(Au)$ harder than $z(pp)$ in absence of modification.

$z(Au) \approx z(pp) \rightarrow$ in presence of jet broadening suggests that $z(Au)$ is actually softened

Crucial: better determine the jet energy

Summary

- Jet reference measurements in p+p and d+Au under control
 - Background characterization:
 - the most serious issue – current focus
 - Inclusive jet results in Au+Au:
 - Jet suppression at high- p_T ($R_{AA} < 1$)
 - Broadening of jet profile from $R=0.2$ to $R=0.4$
 - Jet-Hadron correlation results:
 - Broadening and softening of recoil side
 - di-jet results in Au+Au:
 - Recoil jets suppressed in Au+Au
 - No significant modification of measured z
- Artifact of broadening!



Backup slides

Experimental setup for pp and AuAu

Trigger setup with the STAR e.m. calorimeter (EMC):

- Min Bias Trigger: Beam-Beam-Counter (BBC) coincidence
- High Tower Trigger (HT): MB + tower 0.05×0.05 ($\eta \times \phi$) with $E_t > 5.4$ GeV
- Jet Patch Trigger (JP): MB + Jet-Patch ($\eta \times \phi = 1 \times 1$) above threshold ($E_T > 8$ GeV)

Data Set analyzed:

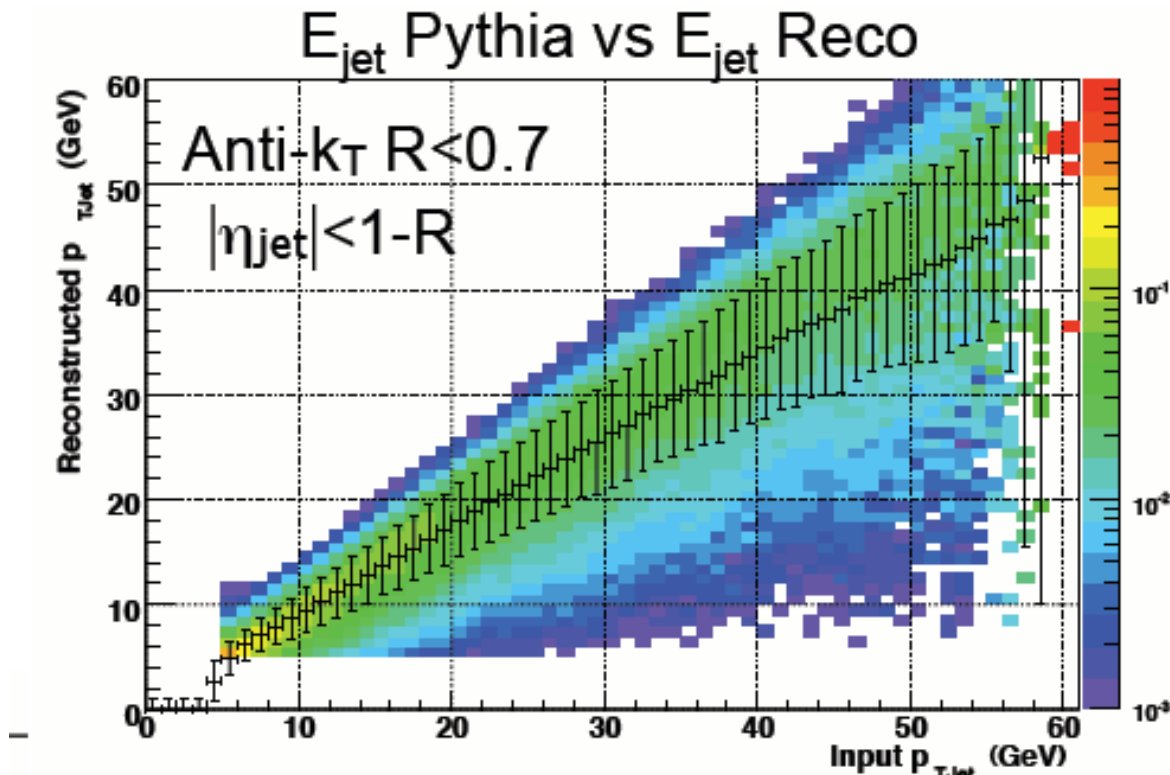
- pp (2006): HT trigger events, JP trigger events
- AuAu (2007): HT trigger events, 0-20% central; : MB trigger, 0-10%

Jet Finder Algorithm: Anti-kT (from FastJet package)

- $R=0.4$, $|h_{\text{jet}}| < 1-R$
- charged particle p_T (TPC), $0.1 < p_T < 20$ GeV/c
- neutral tower E_t 0.05×0.05 ($\eta \times \phi$) (EMC)
 - Hadronic correction
 - Electron correction for double counting

Jets in p+p @ STAR

Jet Energy Resolution – the jet energy scale



(1) Reconstructed Jet pT on average smaller than the Input (PYTHIA) jet pT

(2) The reconstructed jet pT is smeared

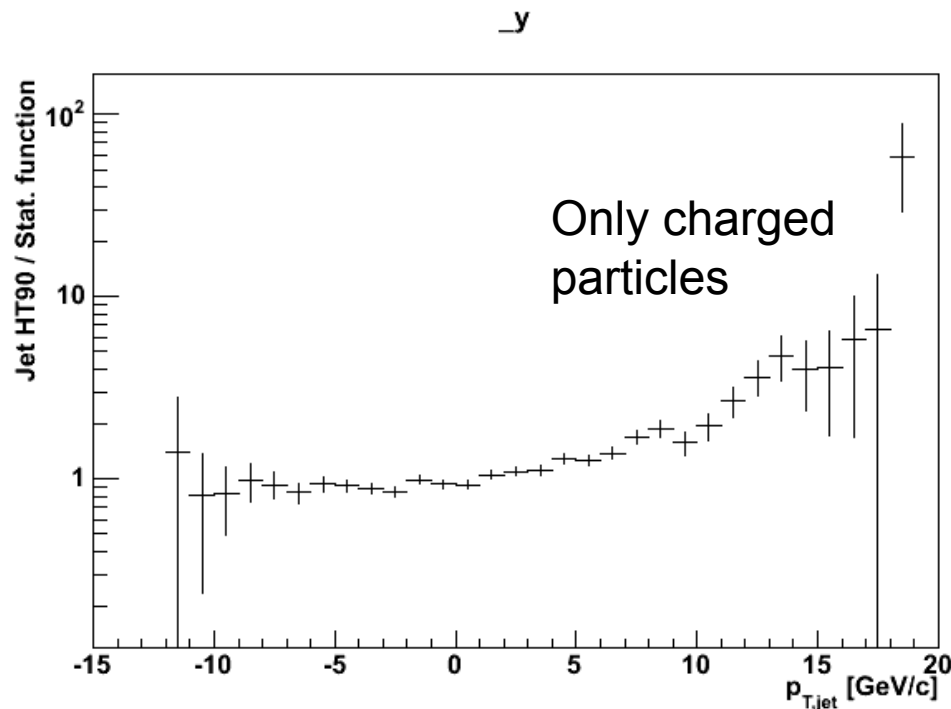
Need to know (1) and (2) to correct the measured jet pT back to the “true” jet pT

Background fluctuations

- Extract $F_M(A)$ and $F_{\langle p_T \rangle}(A)$ from M and $\langle p_T \rangle$ distributions
- Fold them into $F(p_T; A) = F_M(A) \otimes F_{\langle p_T \rangle}(A)$

R=0.4

Left hand side:
Described by
statistical
function

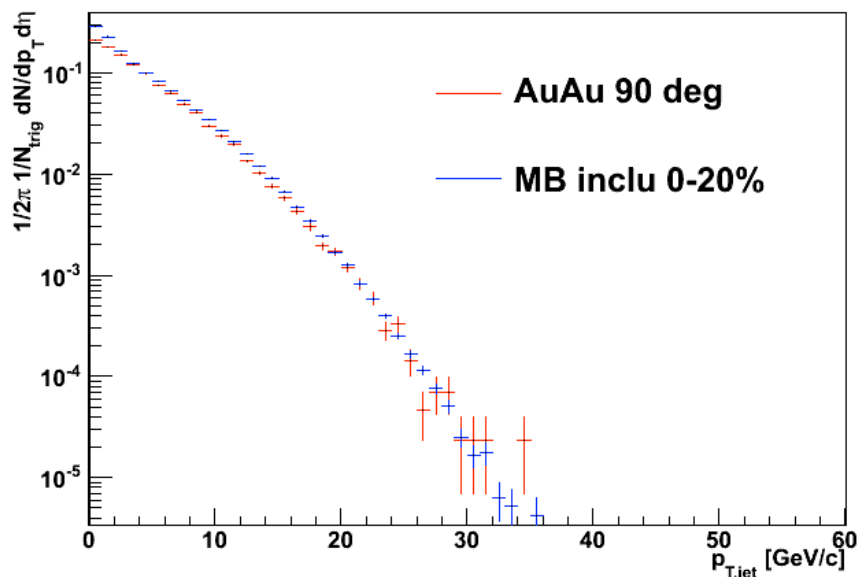


Right hand side:
Excess of jets
compared to
statistical
description.
Jets from 2nd HS?

In qualitative agreement with Mateusz's fake rate estimate extracted from an independent analysis

Background jets in HT Au+Au

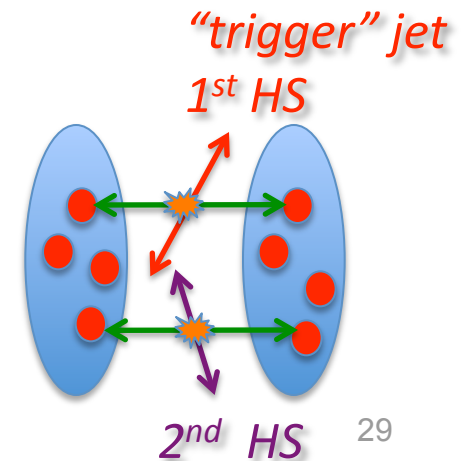
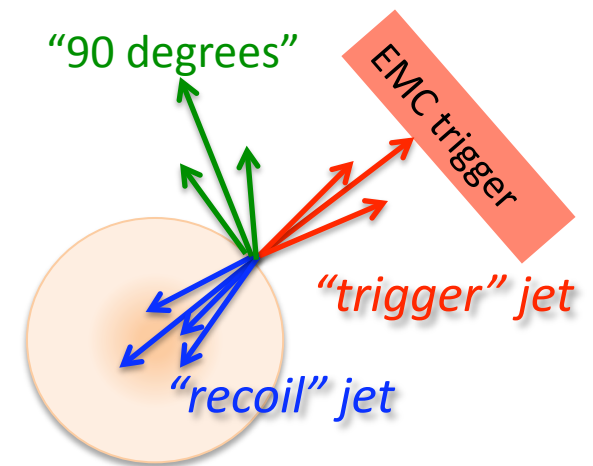
Jet spectrum at 90° (di-jet analysis) = fake jets + 2^{nd} hard scattering



MB inclu (0-20%) → per event normalization
 HT 90° (0-20%) → per trigger jet normalization

HT spectrum at $90^\circ \approx$ MB inclusive spectrum:

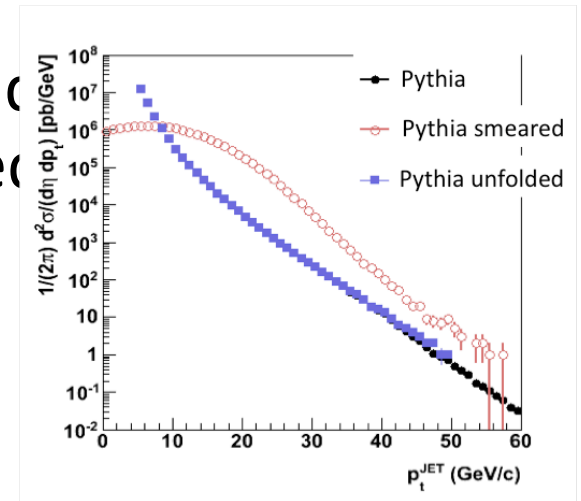
- not negligible 2^{nd} HS contribution at 90°



Background correction

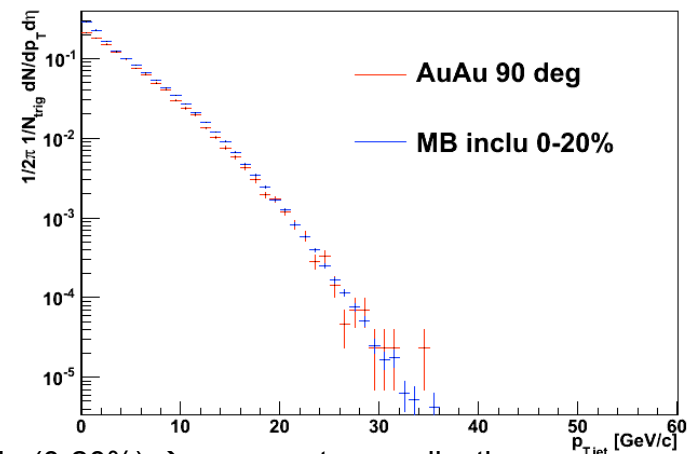
- Inclusive MB spectrum: **bkg fluctuations** and **fake jets (upward fluctuations)** are corrected via statistical method (“unfolding”)

CAVEAT: the fluctuations under the “signal” jet have to be the same as under the “fake” jet



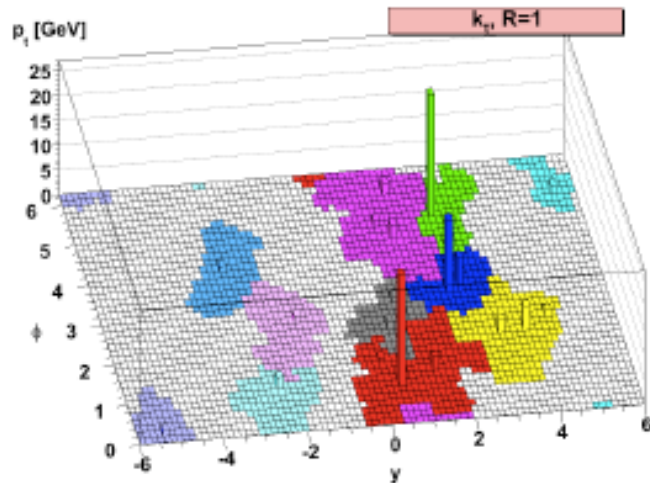
- HT recoil spectrum: (1) di-jets + (2) fake jets + (3) additional hard scattering

→ “Unfolding” accounts for fluctuations and fake jets.
 → Need to subtract the 90° spectrum (w.r.t. trigger jet) to remove the additional hard scattering spectrum

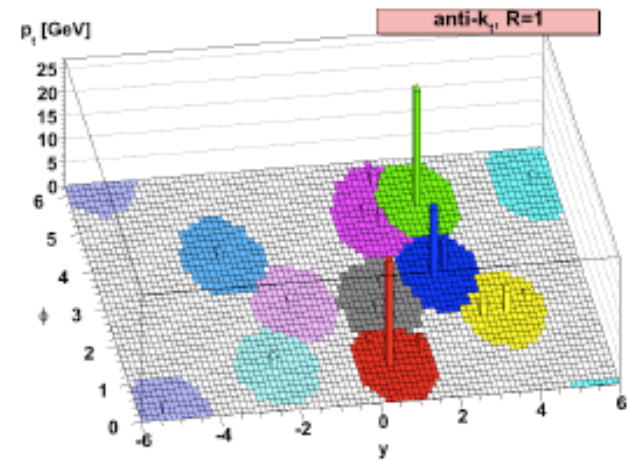


MB inclu (0-20%) → per event normalization
 HT 90° (0-20%) → per trigger jet normalization

Recombination algorithms

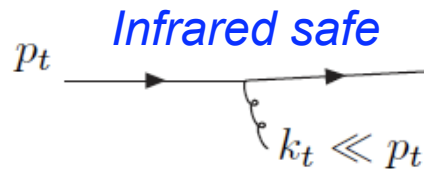


FastJet M. Cacciari, G. Salam,
G. Soyez 0802.1188



$$d_{ij} = \min(k_{Ti}^p, k_{Tj}^p) (\Delta\phi_{ij}^2 + \Delta\eta_{ij}^2) / R^2$$

- Recombination algorithms:



- Seedless - ALL particles are clustered into “jets”
- \mathbf{k}_T : from pairs of low- p_T particles. $p=1$
 - Not bound to a circular structure
- **Anti- \mathbf{k}_T** : from pairs of high- p_T particles. $p=-1$
 - Circular shape, radius $\sim R$ resolution parameter