

# Dihadron Correlations Relative to the Event Plane in 200 GeV Au+Au Collisions from STAR

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for the STAR Collaboration

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UNIVERSITY

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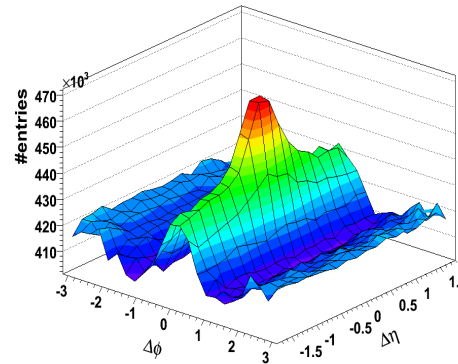




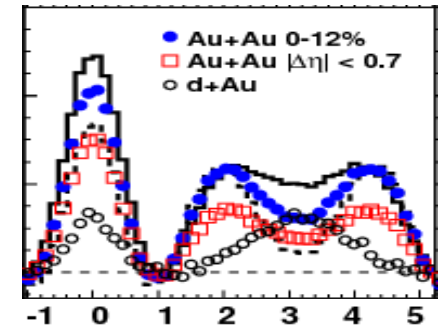
# Physics Motivations

- Novel phenomena:
  - The near-side ridge
  - The away-side cone

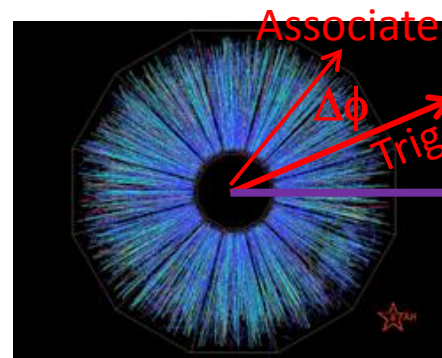
STAR, PRC80 (2009)



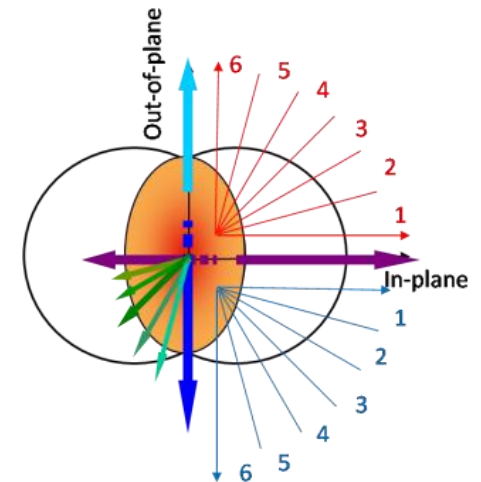
STAR, PRC82 (2010)



- Investigate their behaviors relative to the reaction plane.

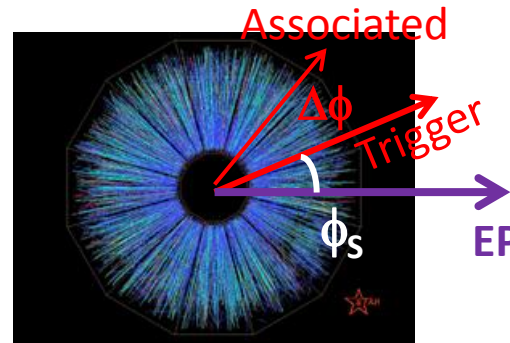
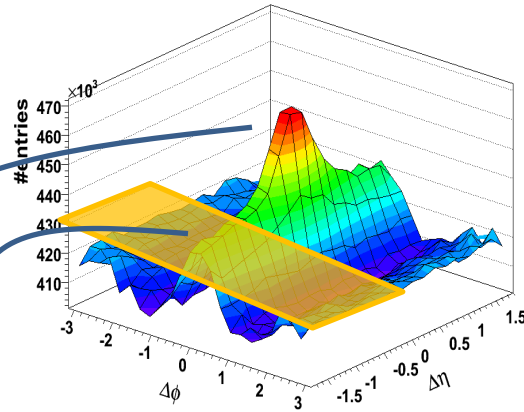


STAR, arXiv:1010.0690

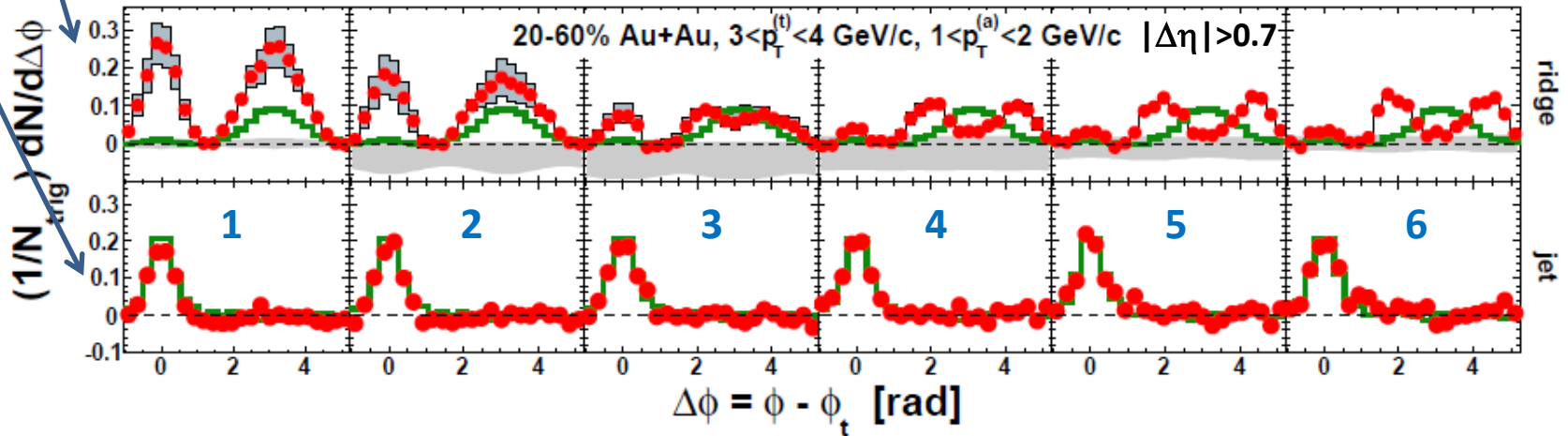
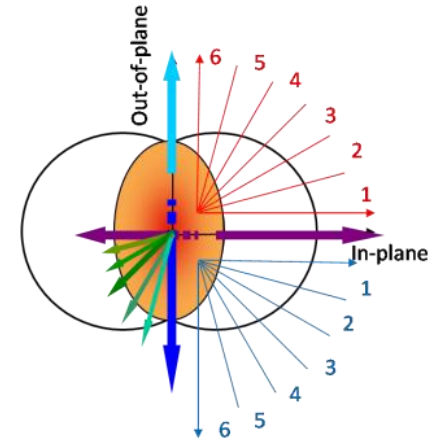




# Dihadron correlations w.r.t. EP



STAR, arXiv:1010.0690v1

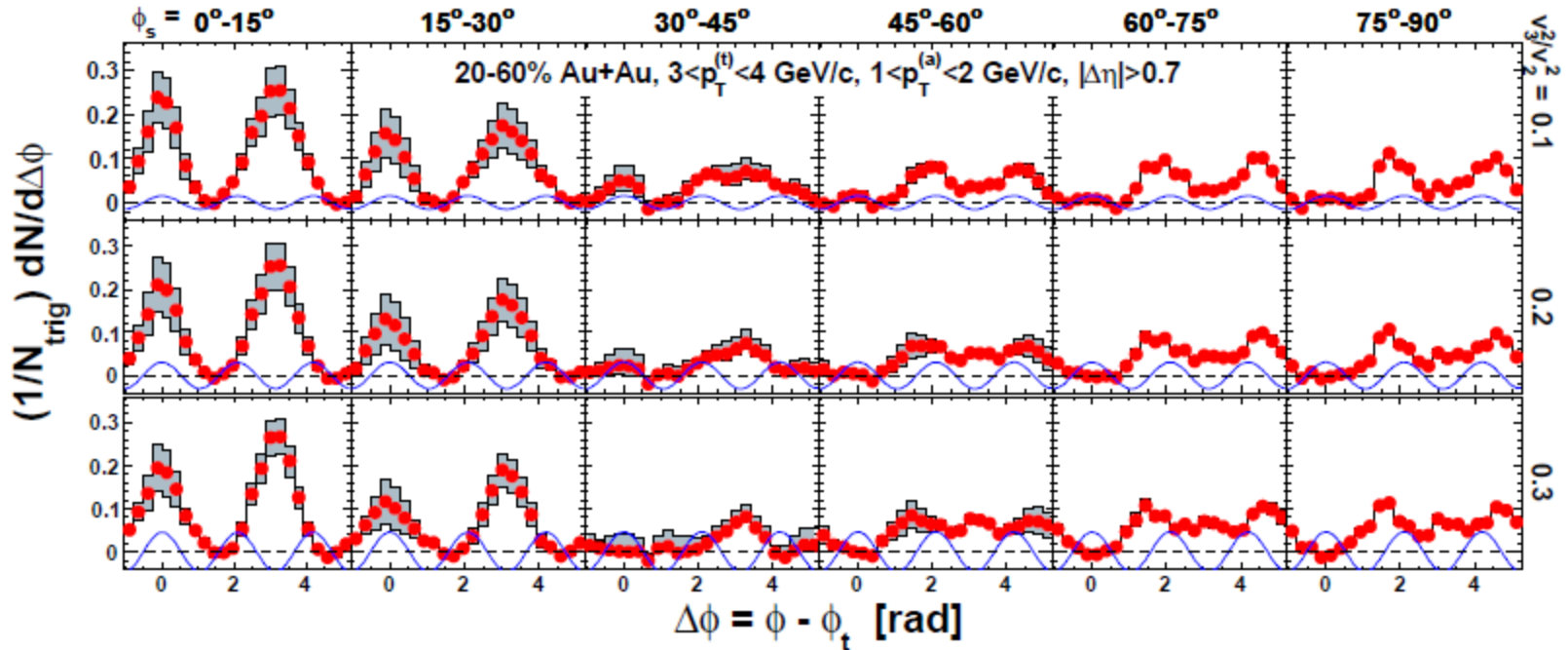


- Jet-like correlations independent of  $\phi_s$ .
- Strong variations of large- $\Delta\eta$  correlations with  $\phi_s$ .
- No  $v_3$  correction at the time. Only estimated the  $v_3$  effect.



# Estimated $v_3$ effect

In arXiv:1010.0690v1

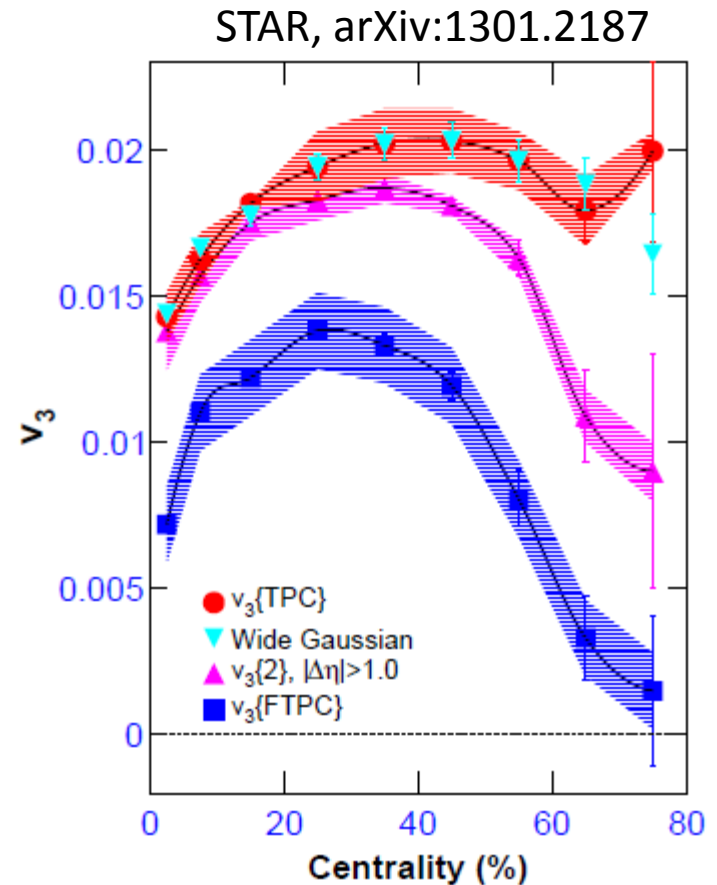


- $V_3$  effect does not change with  $\phi_s$ .
- $V_3$  does not account entirely for the observed ridge or double-peak away-side.



# What's new?

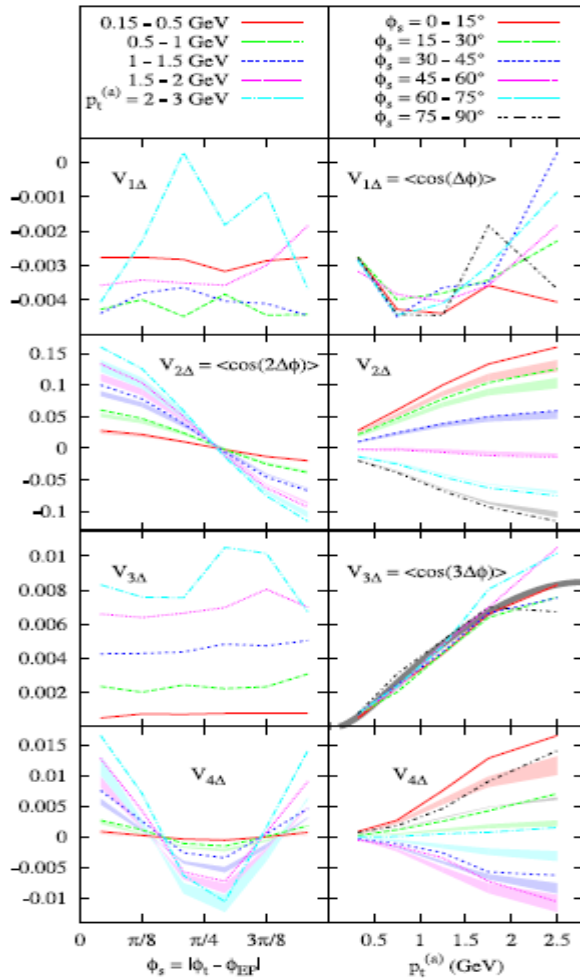
- Better understanding of  $v_n$ , both theoretically & experimentally.
- Experimental measurements of  $v_n$
- Subtraction of  $v_3$
- Further exploration of the limits of possible  $v_n$  effects



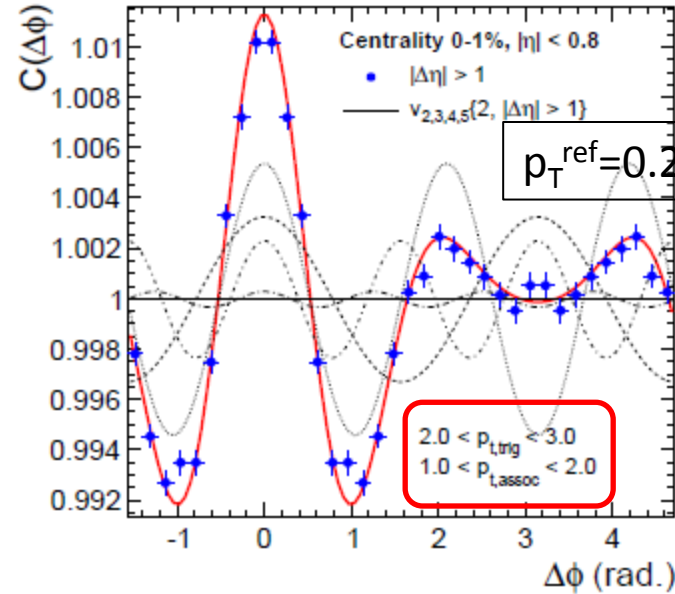


Word of caution: With non-vanishing odd harmonics, nothing really prevents people from fitting everything to  $v_n$ . Fine in itself, but dangerous if people subsequently take it as entirely flow.

Luzum, PLB 696 (2011)



ALICE, PRL 107 (2011)

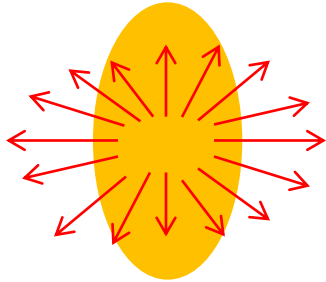


If  $p_T^{assoc} = p_T^{ref}$ , then  
 “flow”  $v_n(p_T^{trig})v_n(p_T^{assoc}) = \text{trig-assoc}$   
 dihadron correlation  
 $\rightarrow \text{signal} = \text{data} - \text{data} = 0$ .

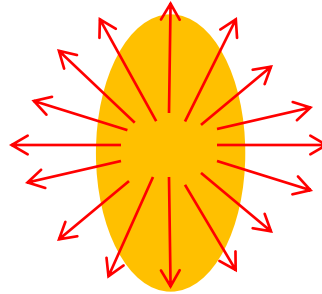
The real question is what's in  $v_n$ ?



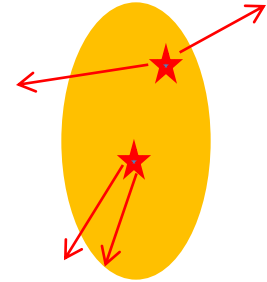
# What is in $v_n$ ?



Flow due to hydrodynamic pressure



Anisotropy due to pathlength-dep. energy loss

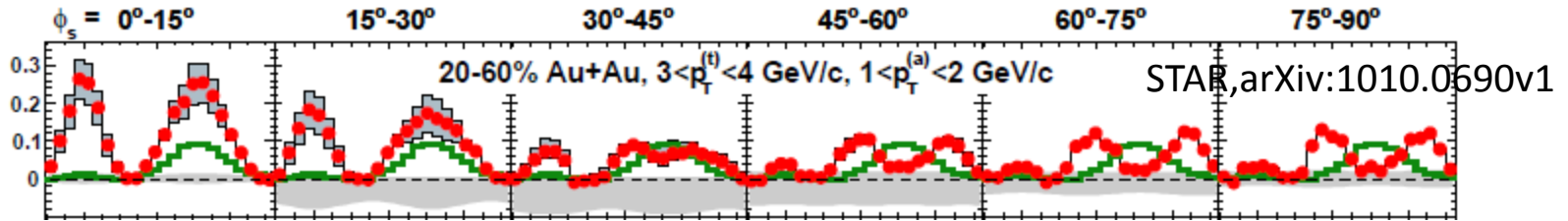


Nonflow correlations

- Flow  $\rightarrow$  factorization (with caveats); Factorization  $\rightarrow$  ~~flow~~
- Fourier components do not give further insights.
- The real challenge is to separate flow and nonflow in  $v_n$ .



# Update: revised $v_2$ syst. uncertainty



$$v_2 = (v_2\{2\} + v_2\{4\})/2 \quad v_4\{\psi_2\} = 1.15v_2^2$$

$$\frac{dN}{d\Delta\phi} = B \left[ 1 + 2v_2^{(a)}v_2^{(t,R)} \cos(2\Delta\phi) + 2v_4^{(a)}\{\psi_2\}v_4^{(t,R)}\{\psi_2\} \cos(4\Delta\phi) \right]$$

Lower bound:  $v_2\{4\}$  from 4-particle cumulant

Upper bound:  $v_2\{2, \text{Away-side}\}$ , good if only even harmonics

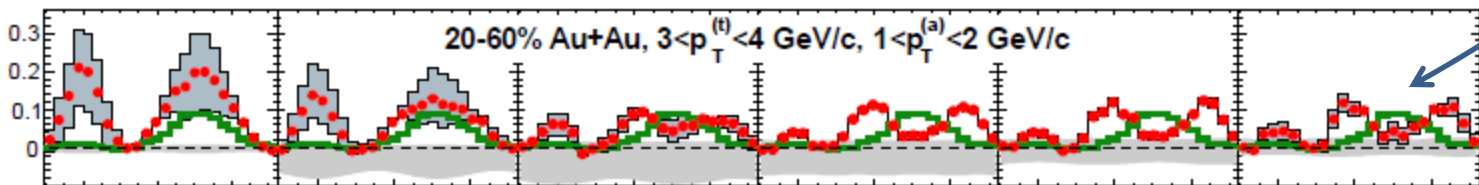


$v_2^{\max\{2, \eta_{\text{gap}}=0.7\}}$  with a reference particle  $0.15 < p_T < 2 \text{ GeV}/c$



$$v_n\{2\}(p_T) = \frac{V_n\{p_T\text{-ref}, \eta_{\text{gap}}=0.7\}}{\sqrt{V_n\{\text{ref-ref}, \eta_{\text{gap}}=0.7\}}} \quad V_n = \langle \cos(n\Delta\phi) \rangle$$

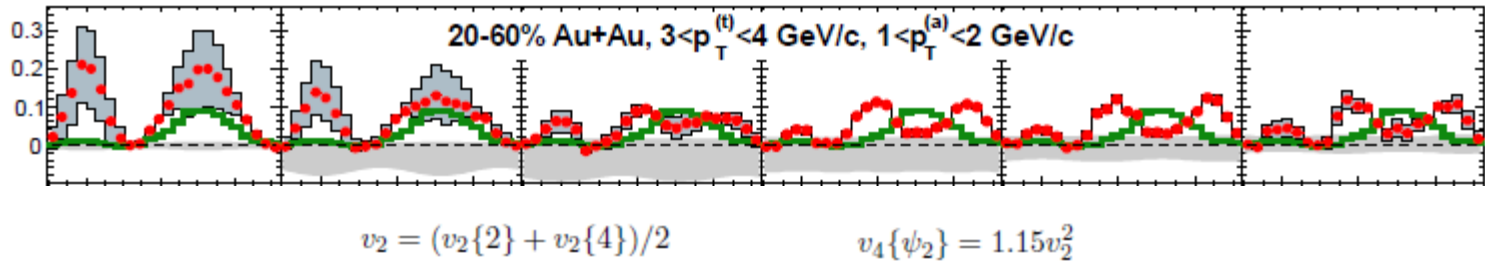
Syst. error small because  $v_2^{(a)}$  &  $v_2^{(t,R)}$  anticorrelated







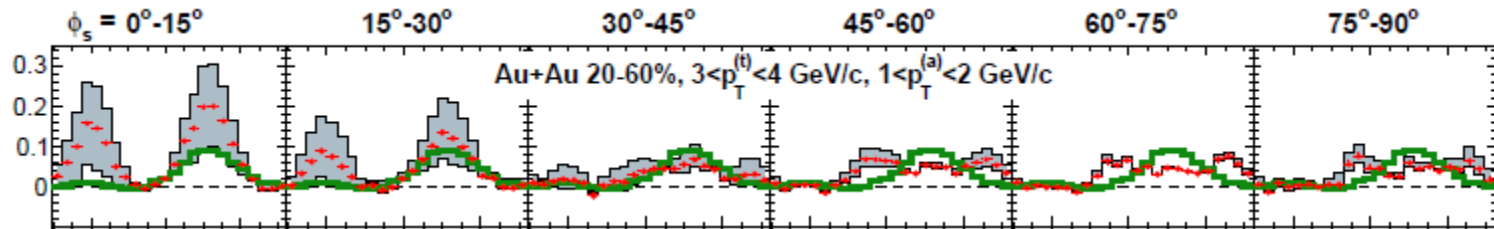
# Update: $v_3$ subtraction



$$\frac{dN}{d\Delta\phi} = B \left[ 1 + 2v_2^{(a)}v_2^{(t,R)} \cos(2\Delta\phi) + 2v_4^{(a)}\{\psi_2\}v_4^{(t,R)}\{\psi_2\} \cos(4\Delta\phi) + 2v_3^{(a)}v_3^{(t)} \cos(3\Delta\phi) \right]$$

$v_3\{2, \eta_{\text{gap}}=0.7\}$  with a reference particle

$$v_n\{2\}(p_T) = \frac{V_n\{p_T\text{-ref}, \eta_{\text{gap}}=0.7\}}{\sqrt{V_n\{\text{ref-ref}, \eta_{\text{gap}}=0.7\}}}$$

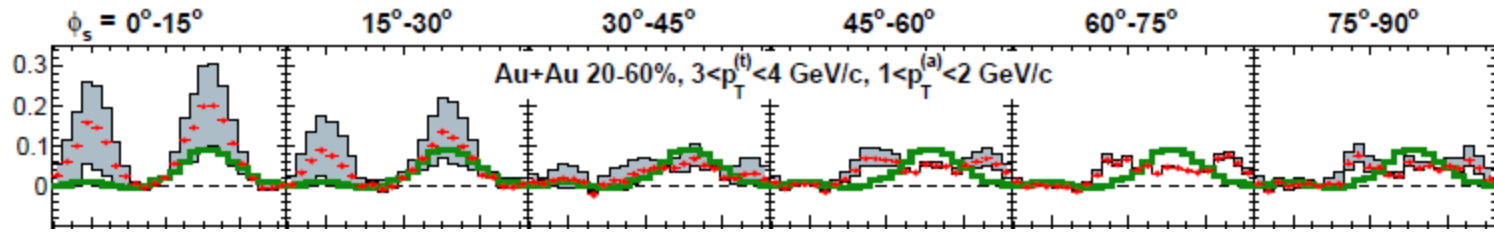


Testing the limits of effect of  $v_n$  subtraction:

- The subtracted  $v_3$  is upper bound, may contain nonflow contributions.
- Residual ridge remains on near side; away side double-peak persists.



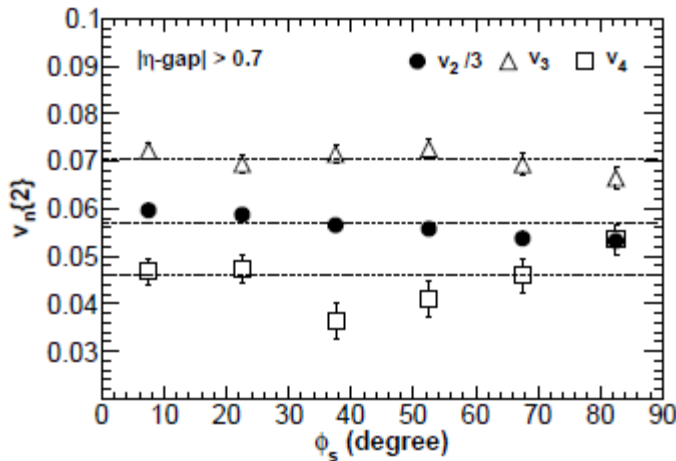
# Exploring other $v_n$ limits



$$v_2 = (v_2\{2\} + v_2\{4\})/2$$

$$v_3\{2, \eta_{\text{gap}}=0.7\}$$

$$v_4\{\psi_2\} = 1.15v_2^2$$



$$v_n\{pT-pT\}(\phi_s) = \sqrt{V_n\{pT-pT, \eta_{\text{gap}}=0.7\}(\phi_s)}$$

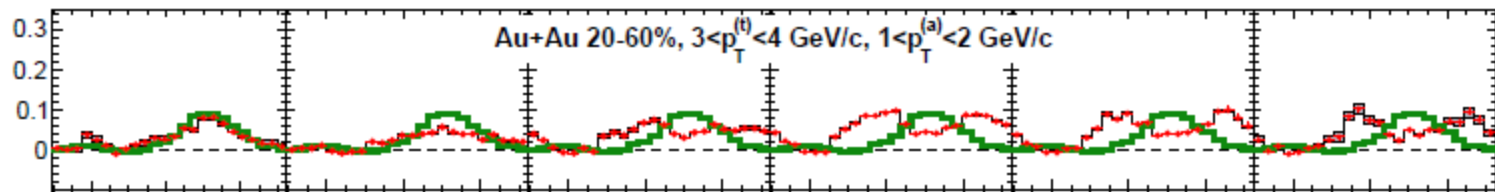


which again may contain  
(or even be dominated by) nonflow.

$v_4\{2, \eta_{\text{gap}}=0.7\}$  with a reference particle

$$V_4\{uc\} = v_4^{(t)}\{2\}v_4^{(a)}\{2\} - v_4^{(t)}\{\psi_2\}v_4^{(a)}\{\psi_2\}$$

$$\frac{dN}{d\Delta\phi} = B \left[ 1 + 2v_2^{(a)}v_2^{(t,R)} \cos(2\Delta\phi) + 2v_4^{(a)}\{\psi_2\}v_4^{(t,R)}\{\psi_2\} \cos(4\Delta\phi) + 2v_3^{(a)}v_3^{(t)} \cos(3\Delta\phi) + 2V_4\{uc\} \cos(4\Delta\phi) \right]$$

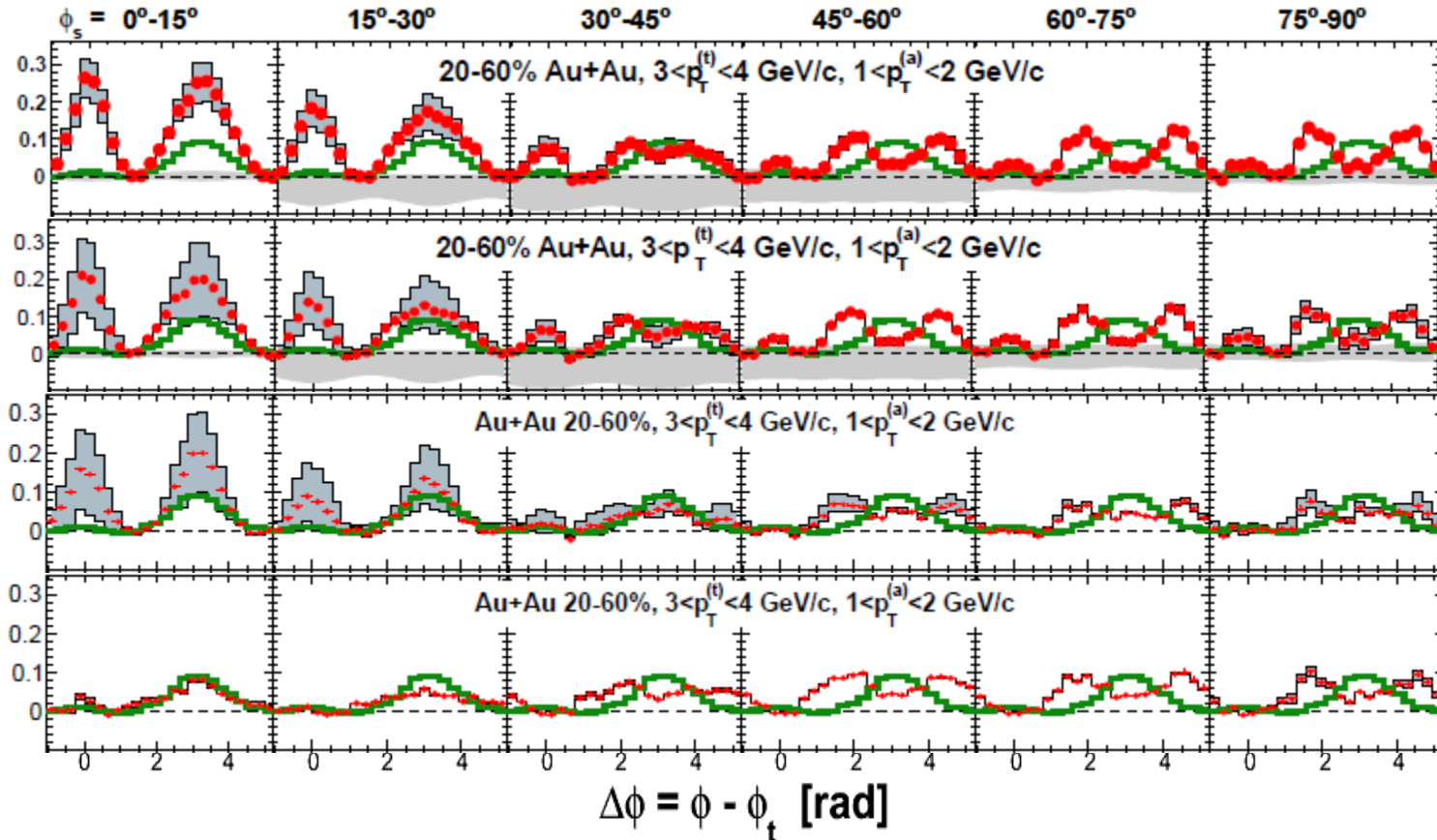


- The ridge is further reduced (maybe gone). Away-side double-peak persists.



# Summary of updates

Updates in red



arXiv:1010.0690  
 $v_2^{\max}\{2, AS\}$   
 $v_4\{\Psi_2\}=1.15v_2^2$

$v_2^{\max}\{2, \eta_{\text{gap}}=0.7\}$   
 $v_4\{\Psi_2\}=1.15v_2^2$

$v_2^{\max}\{2, \eta_{\text{gap}}=0.7\}$   
 $v_3\{2, \eta_{\text{gap}}=0.7\}$   
 $v_4\{\Psi_2\}=1.15v_2^2$

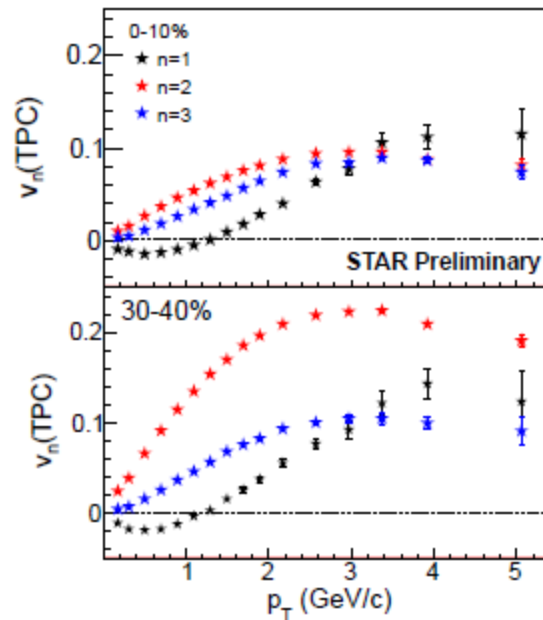
$v_2\{2\}(\phi_s)$   
 $v_3\{2, \eta_{\text{gap}}=0.7\}$   
 $v_4\{\Psi_2\}=1.15v_2^2$   
 $v_4\{\text{uncorr.}\}$



# The question of $v_1$

- In the  $p_T=1-2$  GeV/c region, directed flow fluctuation effect may be negligible.

Pandit (STAR), arXiv:1211.7162





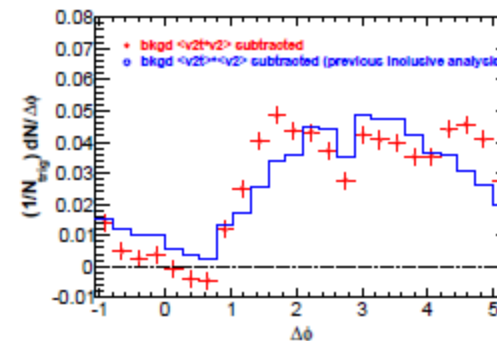
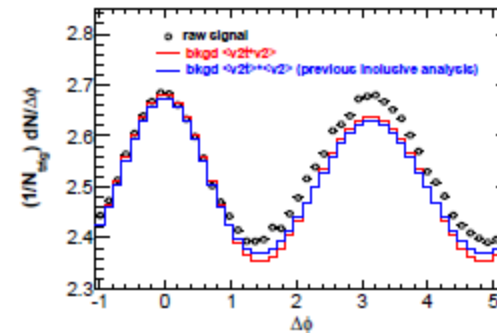
# Remarks and Summary

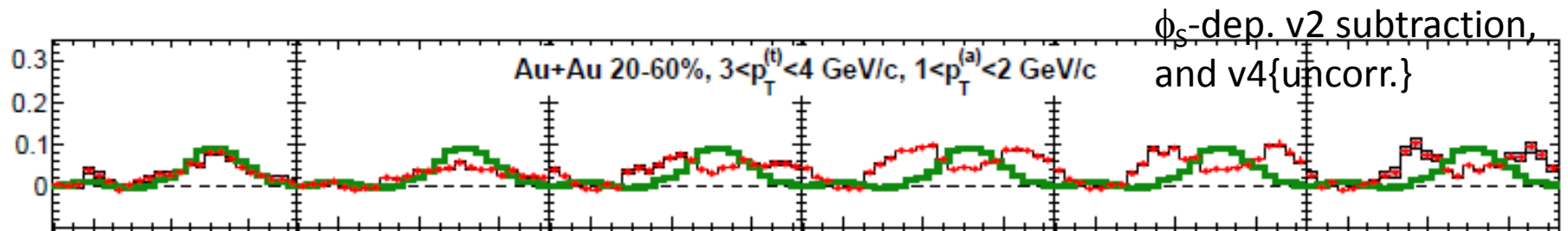
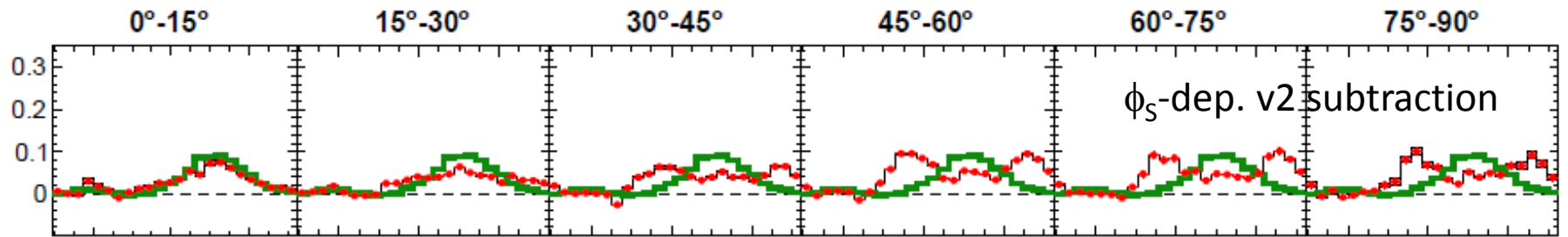
- Recent progress in theo. and exp. understanding of  $v_n$
- Improvement in dihadron correlation analysis in STAR
- We cannot conclude on the nature of the ridge just from two-particle correlations alone:
  - If including long-range correlation in  $v_n$ , then any ridge would be subtracted.
  - On the other hand, we cannot rule out ridge not being part of hydrodynamic response.
- Away-side broadening (and perhaps double-peak) seems robust against wide range of flow subtraction
- More work needed to understand nonflow contributions in  $v_n$



# Have to rethink about inclusive dihadron

- We have used so far  $\langle v^t\{2\} * v^a\{2\} \rangle = \langle v^t\{2\} \rangle * \langle v^a\{2\} \rangle$ . This is OK because fluctuations are already included in  $v\{2\}$ .
- However, if  $v\{2\}$  depends on slice, then  $\langle v^t\{2\}_{\text{slice}} * v^a\{2\}_{\text{slice}} \rangle \neq \langle v^t\{2\}_{\text{slice}} \rangle * \langle v^a\{2\}_{\text{slice}} \rangle$ .
- $\langle v^t\{2\}_{\text{slice}} * v^a\{2\}_{\text{slice}} \rangle = (v^t\{2\}_1 * v^a\{2\}_1 + v^t\{2\}_6 * v^a\{2\}_6) / 2$   
 $= (v^t\{2\}_1 * v^a\{2\}_1 + v^t\{2\}_6 * v^a\{2\}_1 - v^t\{2\}_6 * v^a\{2\}_1 + v^t\{2\}_6 * v^a\{2\}_6) / 2$   
 $= \langle v^t\{2\} \rangle * v^a\{2\}_1 - v^t\{2\}_6 * (v^a\{2\}_1 - v^a\{2\}_6) / 2$   
 $> \langle v^t\{2\} \rangle * v^a\{2\}_1$  which is the maximum.

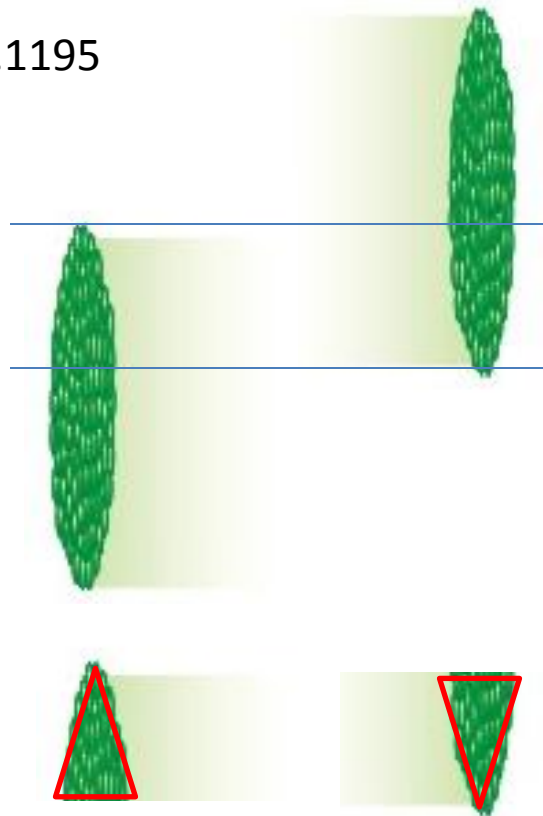
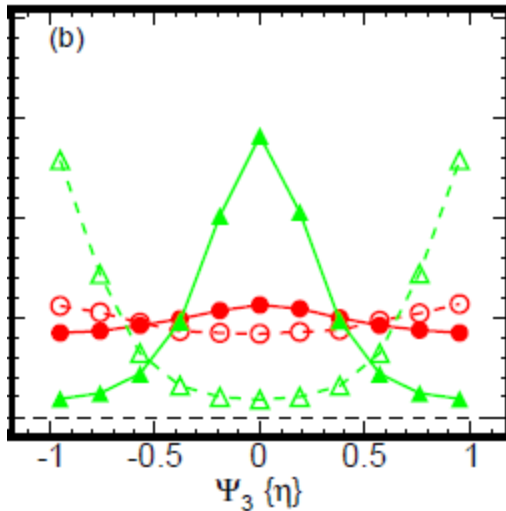




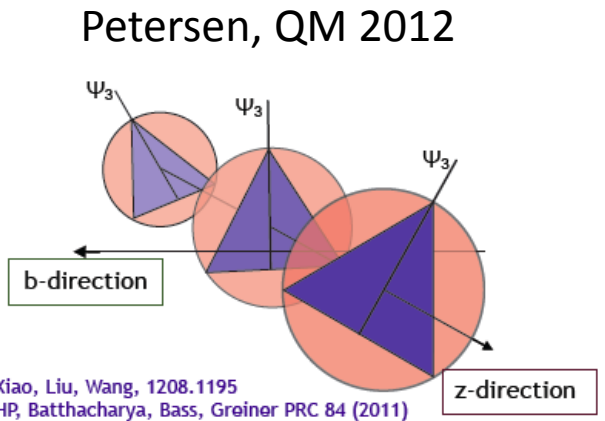


# Large $\Delta\eta$ to reduce nonflow?

Xiao et al. arXiv:1208.1195



Backward rapidity



Forward rapidity

Harmonic planes may decorrelate over  $\Delta\eta$