



HP2024
NAGASAKI



Probing hadronization with the charge correlator ratio in p+p and Ru+Ru/Zr+Zr collisions at STAR

Youqi Song, Yale University (youqi.song@yale.edu)

12th international conference on hard and electromagnetic probes of high-energy nuclear collisions

Nagasaki, Japan

9/25/2024



Supported in part by
U.S. DEPARTMENT OF
ENERGY

Office of
Science

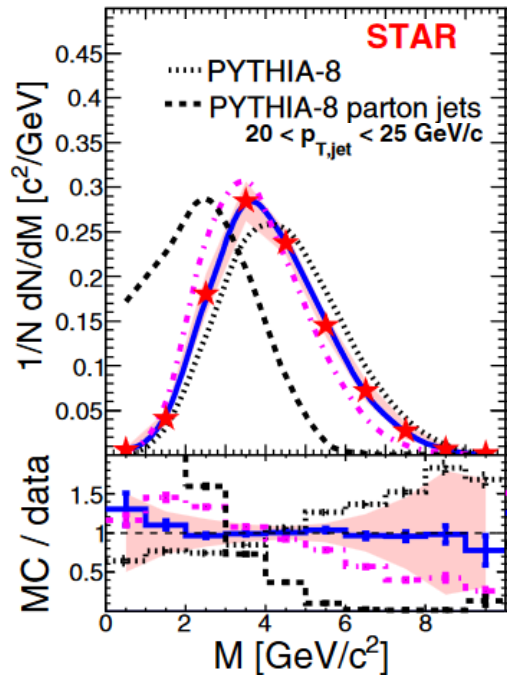
Motivation: Understand jet substructures



- Hadronization is important for many jet substructure measurements

Jet mass:

STAR. PRD 104, 052007(2021)

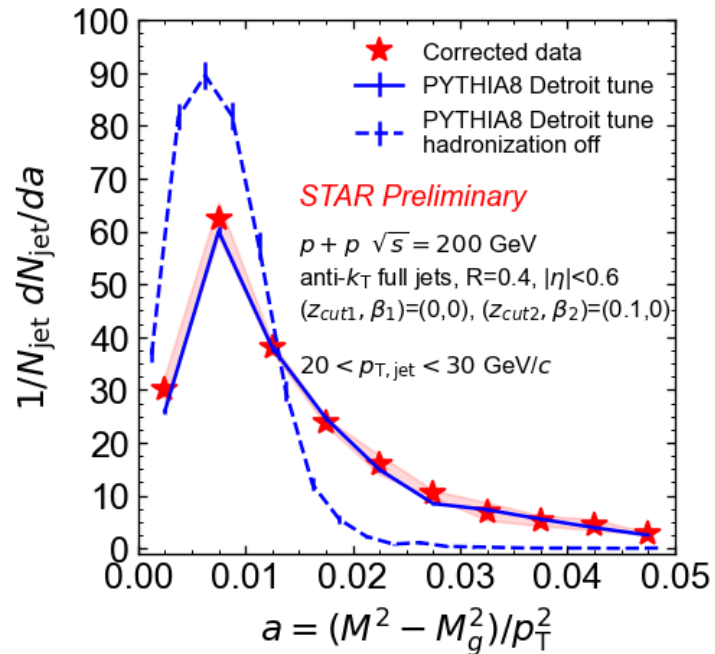


- Distributions shifted due to hadronization

CollinearDrop jet mass:

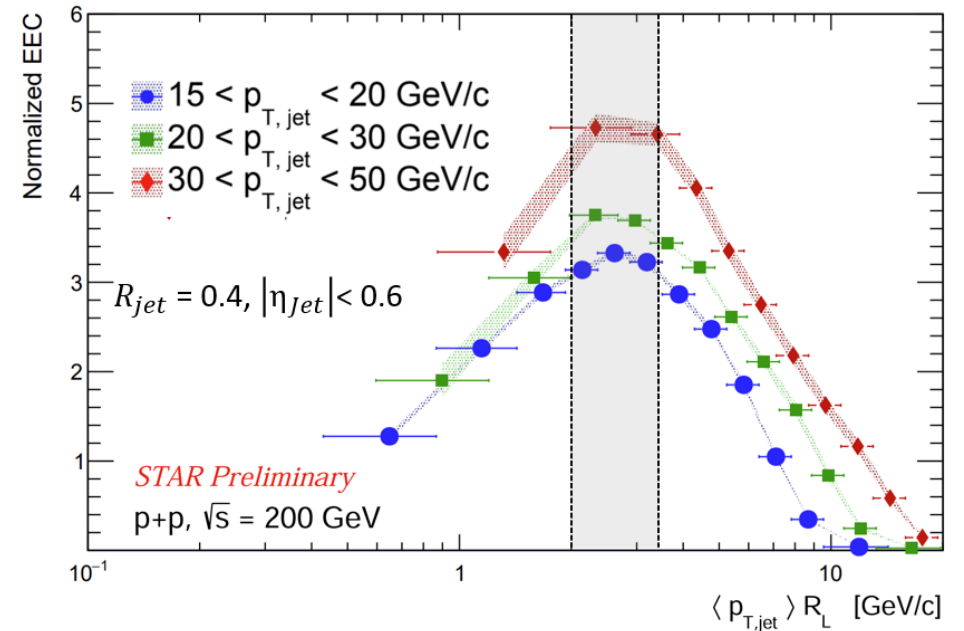
STAR. arXiv:2307.07718

See theory talk by Yang-Ting Chien @ 3:20pm on 9/23



Energy correlators:

See STAR talk by Andrew Tamis @ 10:50am on 9/24



- Turnover location related to confinement scale

Motivation: Study hadronization



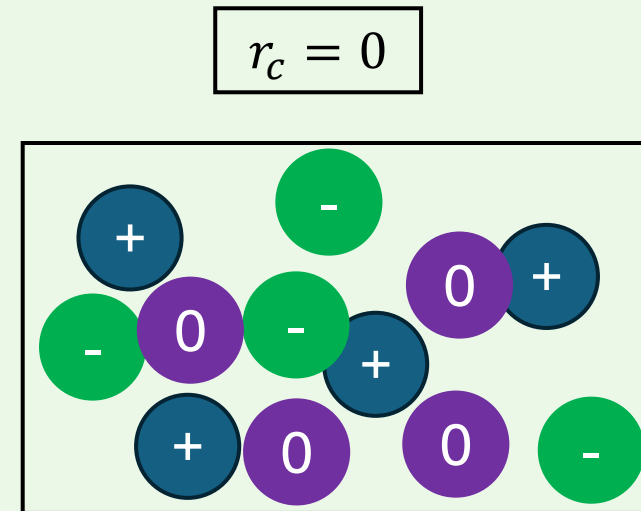
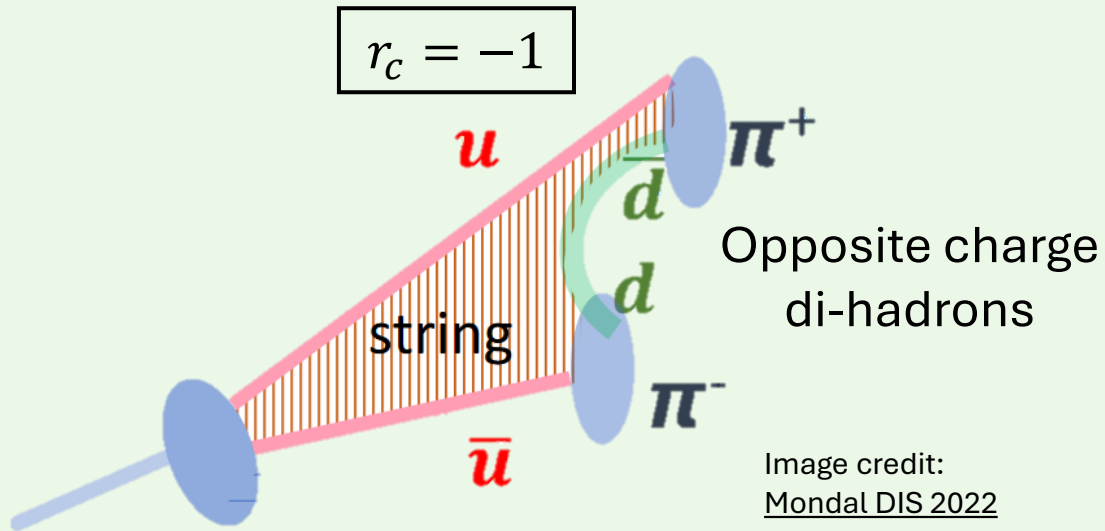
$$r_c = \frac{\text{same} - \text{opposite}}{\text{same} + \text{opposite}}$$

- Definition of the **charge correlator ratio** r_c : [Chien et al. PRD 105 051502 \(2022\)](#)

$$r_c(X) = \frac{d\sigma_{h_1 h_2}/dX - d\sigma_{h_1 \bar{h}_2}/dX}{d\sigma_{h_1 h_2}/dX + d\sigma_{h_1 \bar{h}_2}/dX}$$

$h_1 h_2$: same charge leading di-hadrons,
 $h_1 \bar{h}_2$: opposite charge leading di-hadrons

- Lund **string fragmentation**: expect charge correlation between leading di-hadrons in jets
- Infinite bath** with no net charge: expect no charge correlation among pairs



Motivation: Study hadronization

$$r_c = \frac{\text{same} - \text{opposite}}{\text{same} + \text{opposite}}$$



- Definition of the **charge correlator ratio** r_c : [Chien et al. PRD 105 051502 \(2022\)](#)

$$r_c(X) = \frac{d\sigma_{h_1 h_2}/dX - d\sigma_{h_1 \bar{h}_2}/dX}{d\sigma_{h_1 h_2}/dX + d\sigma_{h_1 \bar{h}_2}/dX}$$

$h_1 h_2$: same charge leading di-hadrons,
 $h_1 \bar{h}_2$: opposite charge leading di-hadrons

- In vacuum, probe for contribution of **string-like fragmentation**

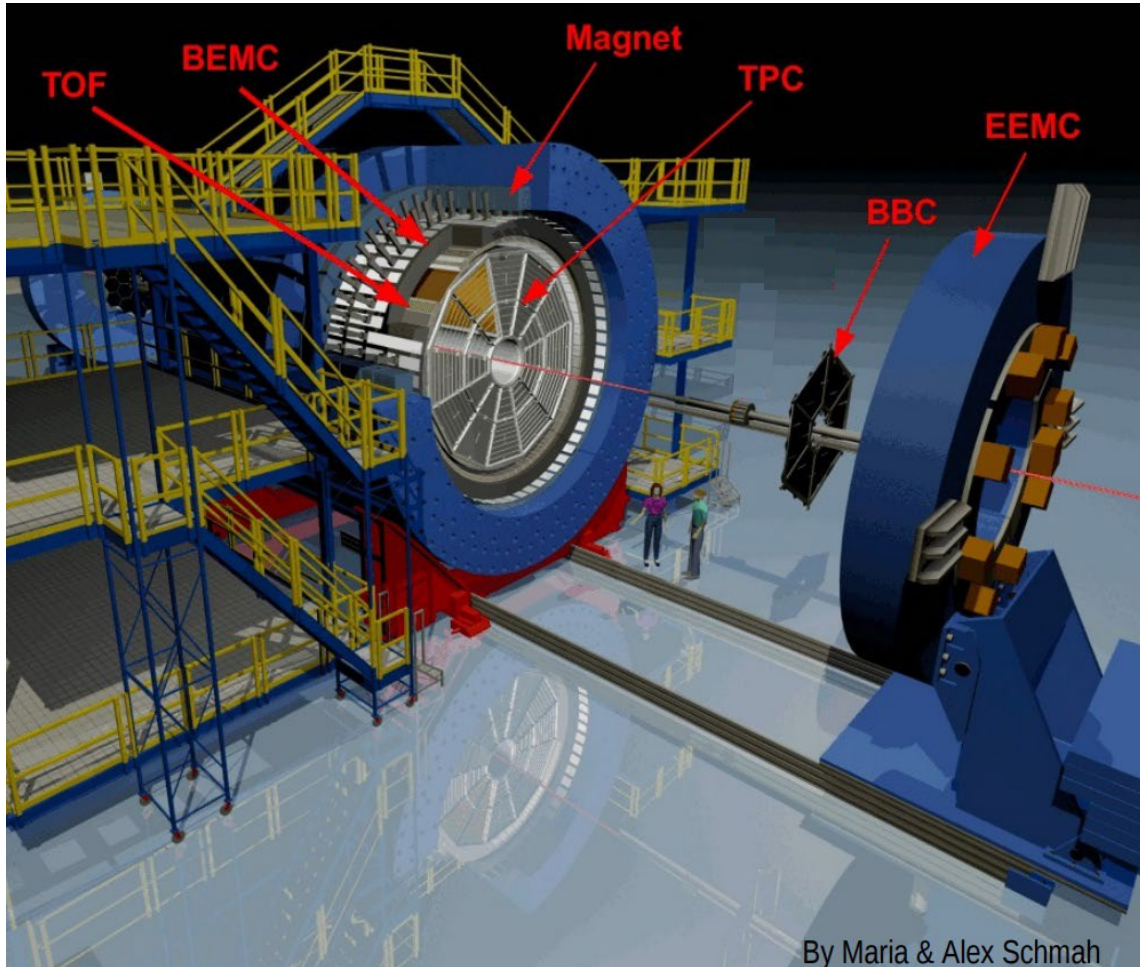
→ measured in e+p collisions at HERA ([Mondal, DIS 2022](#)) and
in **p+p collisions at STAR**

- In heavy ions, probe for potential **modification to hadronization** due to the presence of the QGP [Chien et al., HP 2023](#)

→ measurement **ongoing in Ru+Ru and Zr+Zr collisions at STAR**

Focus of this
talk today

The STAR detector



Important subdetectors for **200 GeV p+p** collisions data-taking during 2012 RHIC run

- **TPC** (Time Projection Chamber)
 - For **charged** particle track reconstruction
 - $|\eta| < 1$, full azimuthal coverage
- **BEMC** (Barrel ElectroMagnetic Calorimeter)
 - For **neutral** energy measurement and triggering
 - $|\eta| < 1$, full azimuthal coverage

How to measure r_c



- Find jets → anti- k_T full jets with $R = 0.4$ from 200 GeV p+p
- Count the number of **leading** and **subleading** hadron **track** pairs that have the same (opposite) electric charge (see backup for details) → Slightly modified definition from Chien et al. but comparison with MC models is still meaningful!
- Correct for detector effects (see backup for details)

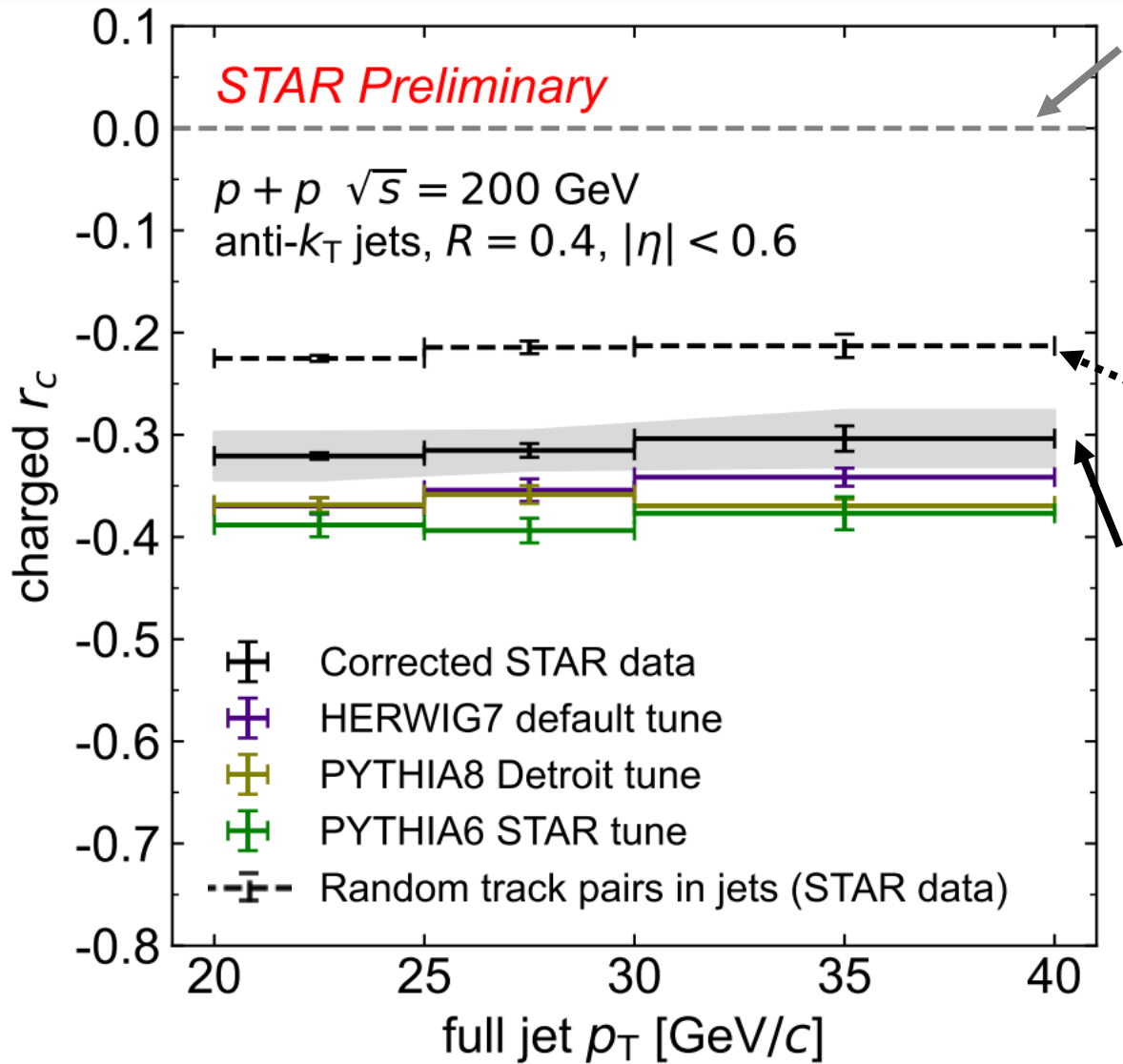
$$r_c(X) = \frac{d\sigma_{h_1 h_2}/dX - d\sigma_{h_1 \bar{h}_2}/dX}{d\sigma_{h_1 h_2}/dX + d\sigma_{h_1 \bar{h}_2}/dX}$$

$h_1 h_2$: same charge leading **track** pairs,
 $h_1 \bar{h}_2$: opposite charge leading **track** pairs
 X : any jet observable, e.g., jet p_T

Result in p+p



$$r_c = \frac{\text{same} - \text{opposite}}{\text{same} + \text{opposite}}$$

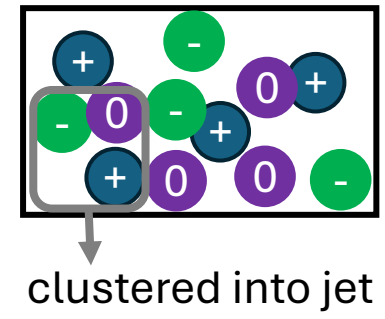


Random pairs in an uncorrelated (infinite) bath with no net charge: $r_c = 0$

Data show a preference of opposite sign pairs over same sign pairs, in:

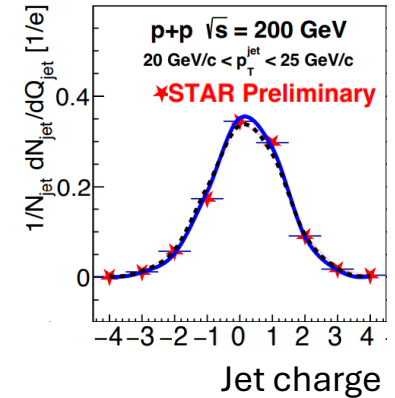
- pair of **random track pairs in jet**;

influenced by jet charge ~ 0 on average: $r_c \approx -0.2$



- **leading track pairs in jet.**

additional correlation from fragmentation: $r_c \approx -0.3$

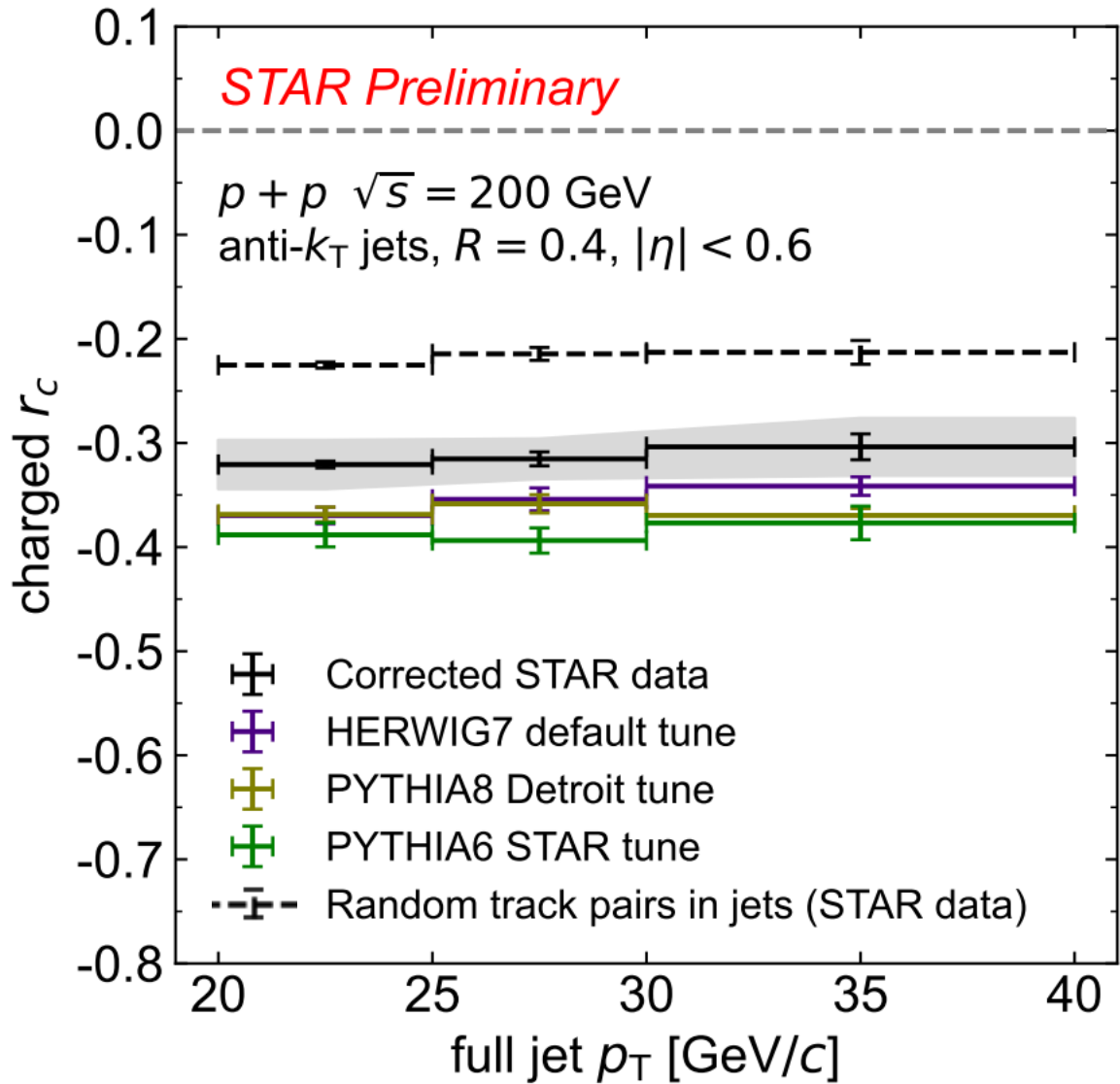


PYTHIA6 Perugia + STAR tune: [Skands, PRD 82, 074018 \(2010\)](#)
 J. K. Adkins, PhD thesis (Kentucky U., 2015)
 PYTHIA8 Detroit tune: [Aguilar et al. PRD 105, 016011\(2022\)](#)
 HERWIG7: [Bellm, et al. EPJC 76, 196 \(2016\)](#)

Result in p+p



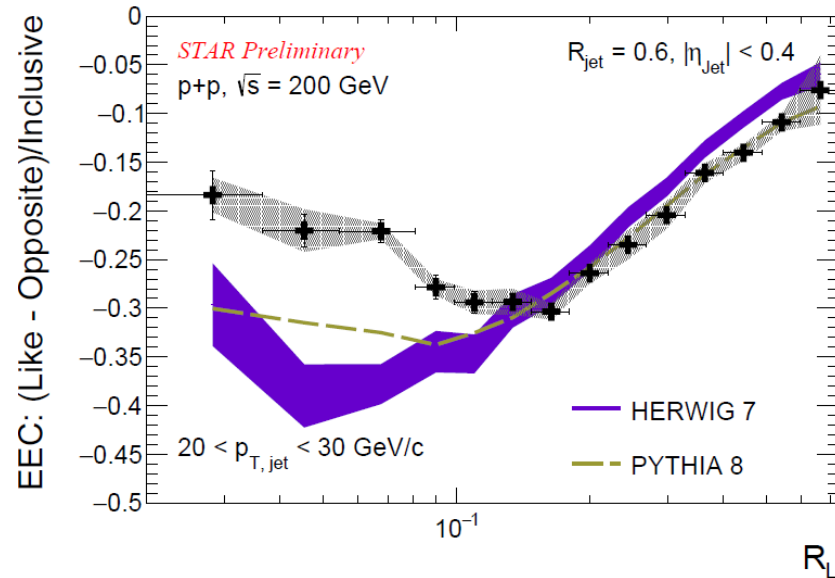
$$r_c = \frac{\text{same} - \text{opposite}}{\text{same} + \text{opposite}}$$



No dependence on jet p_T in 20-40 GeV/c

Models based on Lund string fragmentation and cluster hadronization both **underpredict** r_c in data.

- Same trend observed in charged EEC



Talk by
 Andrew
 Tamis @
 10:50am,
 9/24

What else affects r_c ?

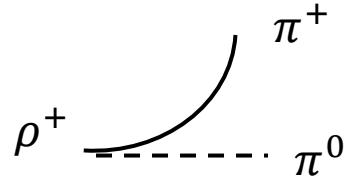
$$r_c = \frac{\text{same} - \text{opposite}}{\text{same} + \text{opposite}}$$



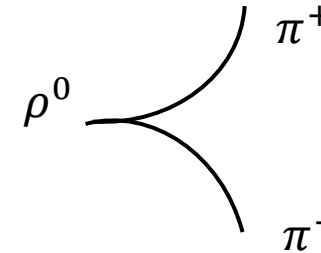
- Where does a π^+ **leading** track in jet come from?

	PYTHIA8	HERWIG7
fragmentation	(Di)quarks: 47%	Cluster: 29%
$\rho(770)^+$	21%	23%
$\rho(770)^0$	16%	17%

- How do resonances affect r_c ?



Sign-preserving decays
maintain r_c from fragmentation



Neutral resonance decays
can bring r_c down

- PYTHIA vs HERWIG
 - Similar r_c predictions
 - Different contributions from fragmentation vs decays. **Effect of different hadronization mechanism?**

Moving to heavy ions

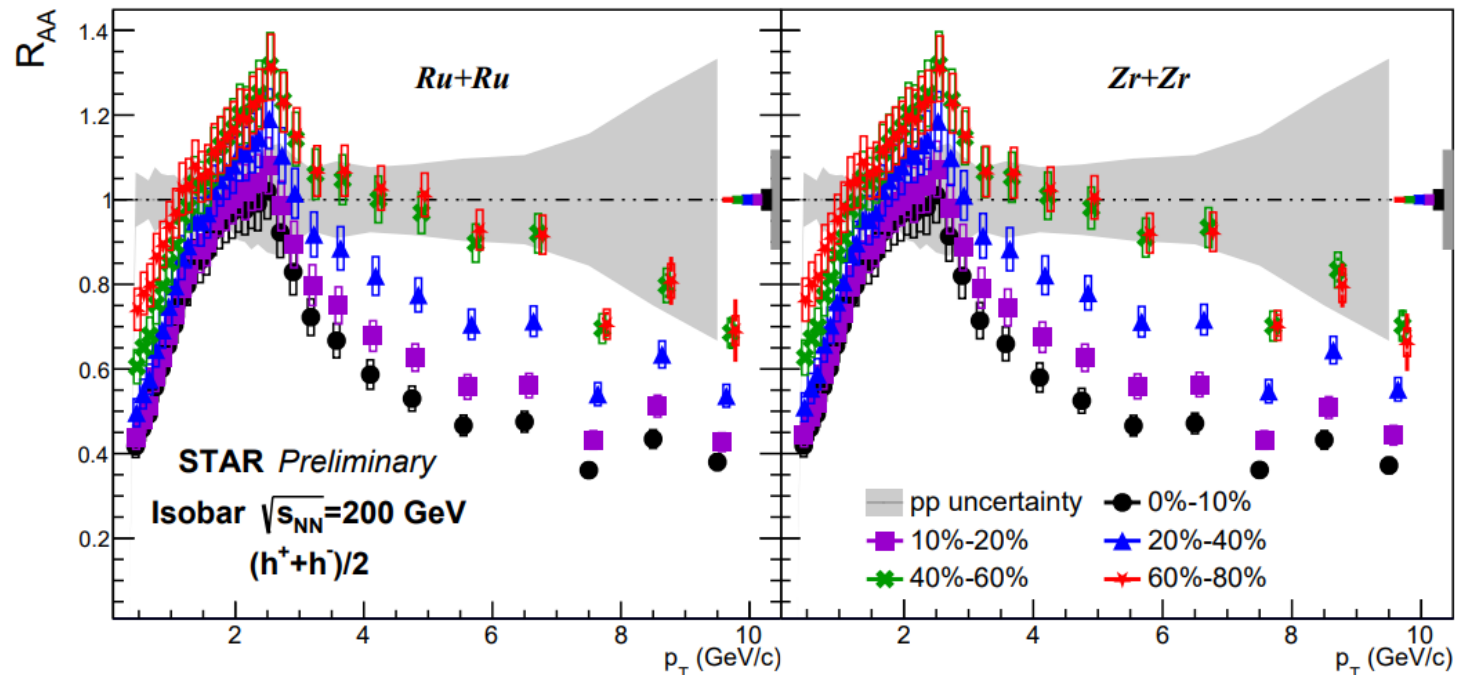


Isobar collisions: Ru+Ru and Zr+Zr, $A = 96$, $\sqrt{s_{NN}} = 200$ GeV

In central events, observed **jet quenching**

→ next step: study modification to **jet substructure**

→ **medium-sized** collision systems → background easier to control than in Au+Au



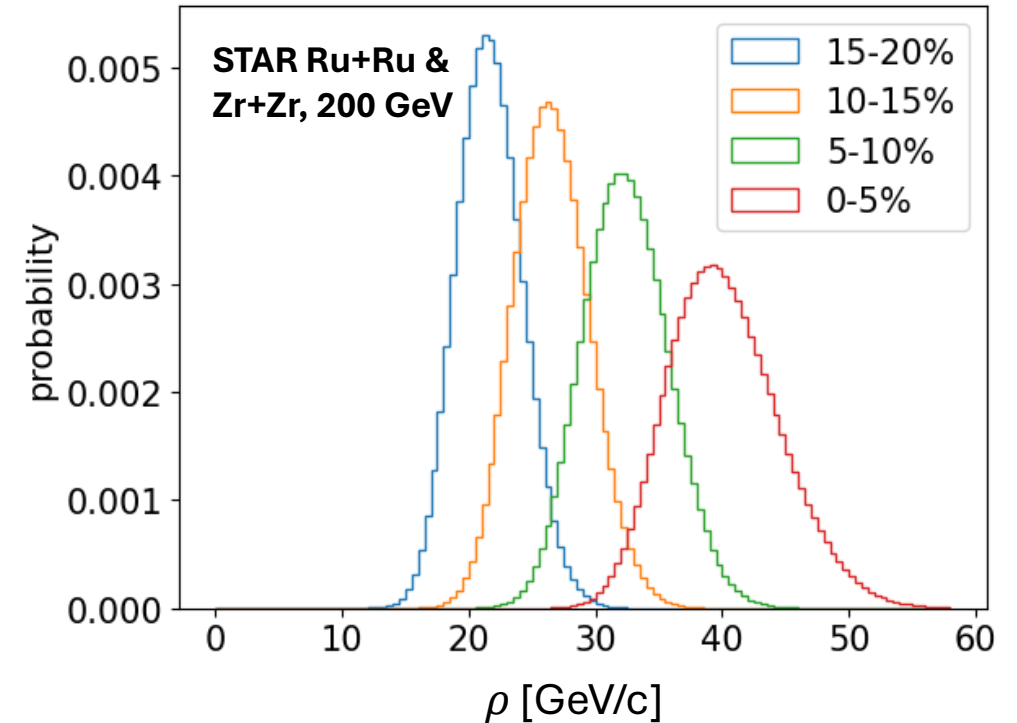
Moving to heavy ions



To remove combinatorial jets, could do leading track p_T selection, but that introduces a **fragmentation bias**

Instead **impose a strict cut** of $p_T - \rho A > 20$ GeV/c

- Background subtracted p_T **over 10σ more than fluctuations** \rightarrow significantly reduce combinatorial background
 - Width $\sigma(\rho) \sim 4.4$ GeV/c in 0-5%
 $\rightarrow \sigma(\rho A) \lesssim 2$ GeV/c

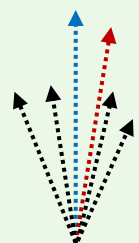




How to measure r_c in heavy ions: background subtraction

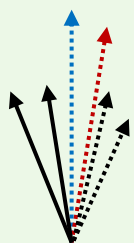
$$\begin{aligned} r_c(\text{raw}) &= \text{Prob}(\text{comb}) \times r_c(\text{comb}) \\ &+ \text{Prob}(\text{BB}) \times r_c(\text{BB}) \\ &+ \text{Prob}(\text{SB}) \times r_c(\text{SB}) \\ &+ \text{Prob}(\text{SS}) \times r_c(\text{SS}) \end{aligned}$$

Types of background contribution to r_c



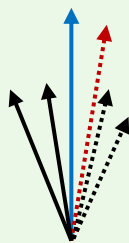
combinatorial jet
(comb)

Legend:
background track
signal track ———
leading track ■
subleading track ■



jets from fragmentation,

but leading track from BKG, and subleading from BKG **(BB)**



but one of leading and subleading from BKG, the other a signal particle **(SB)**

Embed PYTHIA jets into isobar events. There are caveats to this study!

- enhanced S/B
- no effect from jet quenching
- no background-jet correlation from flow

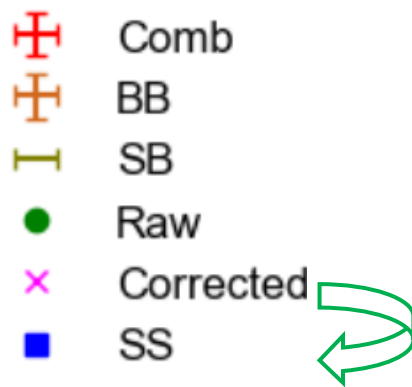
→ proof of principle where **Prob factors are known** and r_c for each term **can be easily modeled**



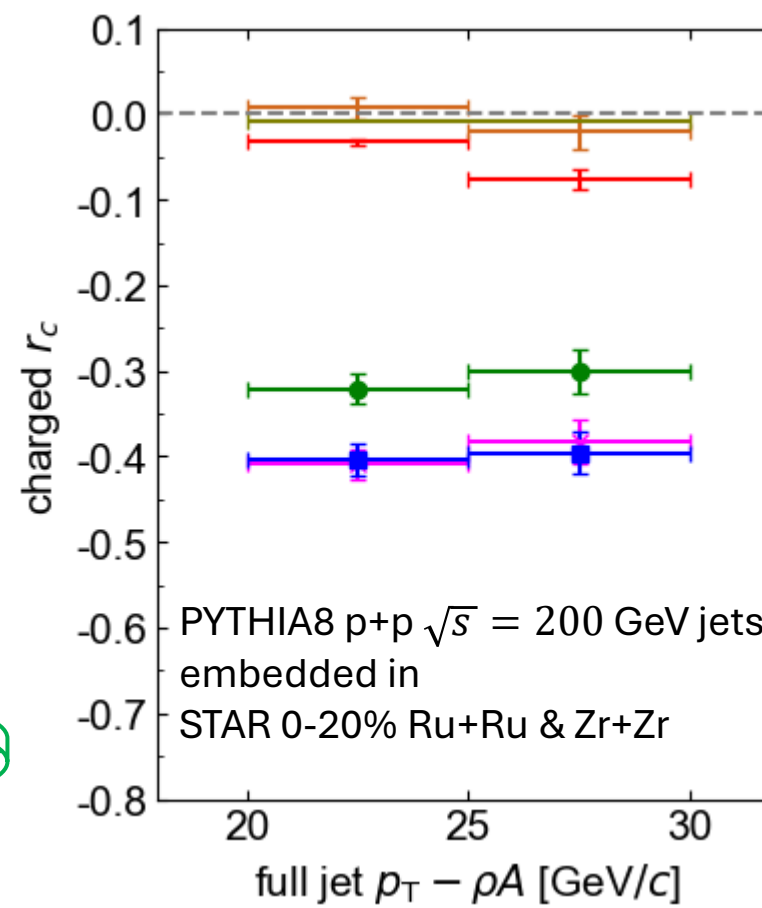
How to measure r_c in heavy ions:

background subtraction experiment

- PYTHIA jets + 0-20% isobar event \rightarrow **embedded jets**
- Background subtraction: $p_T - \rho A > 20$ GeV/c
- Roughly, $r_c(\text{comb}) = r_c(\text{BB}) = r_c(\text{SB}) \sim 0$, with small deviations from:
 - **comb** = combinatorial + real jets in isobar events
 - **BB** = 2 background particles + isobar jets overlapping with PYTHIA jets
- Remove all background contributions to r_c and compare result
 - Good agreement between **corrected** and **embedded matched (SS)**



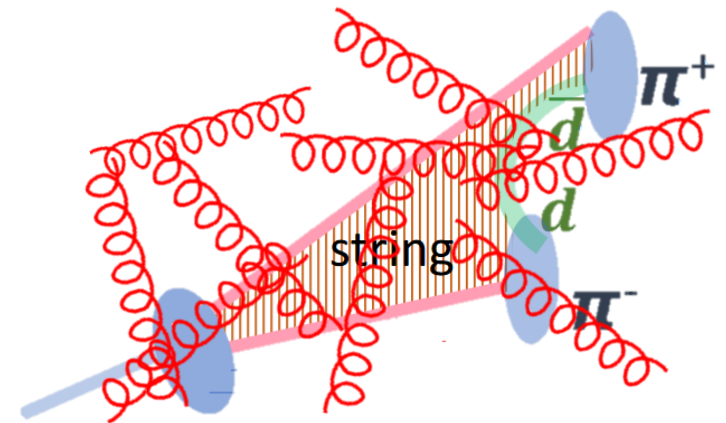
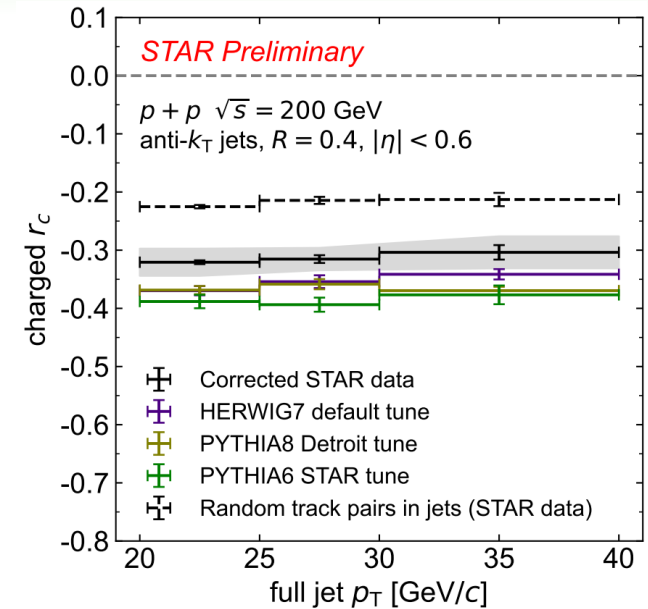
$$\begin{aligned}
 r_c(\text{raw}) &= \text{Prob}(\text{comb}) \times r_c(\text{comb}) \\
 &+ \text{Prob}(\text{BB}) \times r_c(\text{BB}) \\
 &+ \text{Prob}(\text{SB}) \times r_c(\text{SB}) \\
 &+ \text{Prob}(\text{SS}) \times r_c(\text{SS})
 \end{aligned}$$



Conclusions & outlook



- First measurement of r_c in hadron collisions, looking for evidence of **string-like fragmentation**
 - In **p+p** 200 GeV at STAR, data show a **weaker correlation** between leading and subleading particles in jet than models
- How to better **disentangle models**?
 - r_c as a function of $(k_T, t_f, z...)$, for identified particles?
→ ongoing effort at STAR
 - r_c at the future EIC! [Chien et al. PRD 105 051502 \(2022\)](#)
- Ongoing measurement in heavy ion collisions, probing for **potential modification of hadronization** due to QGP
 - Background subtraction experimented with **isobar** embedding at STAR, good **closure** shown
 - Stay tuned for results!

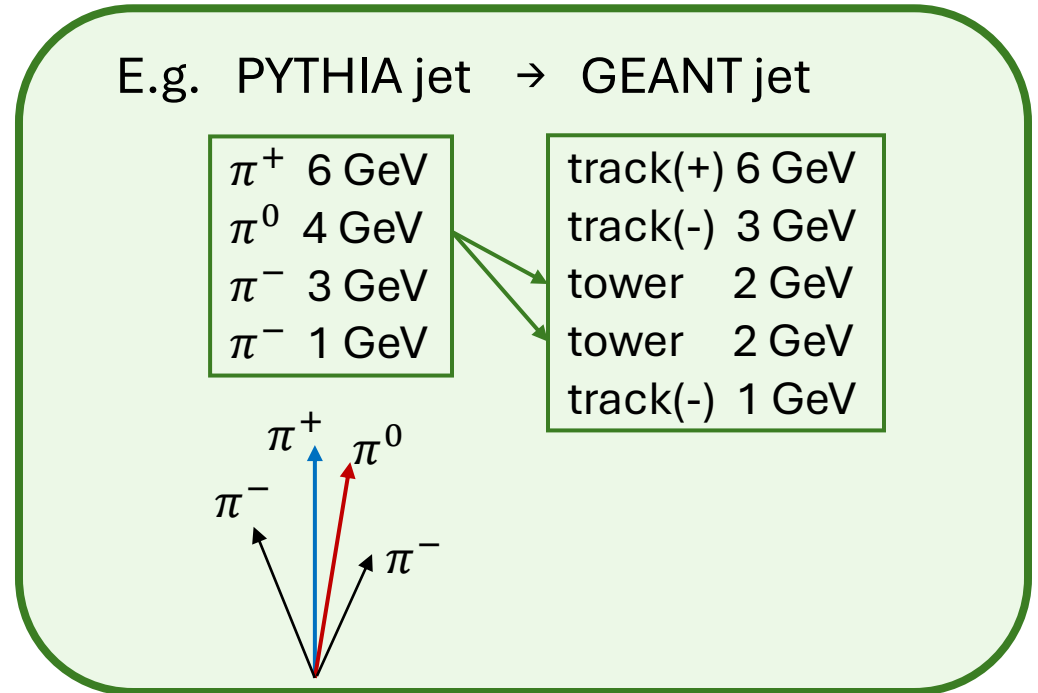


Backup

How to measure r_c : Revisiting the definition

- Find jets \longrightarrow anti- k_T full jets with $R = 0.4$ from 200 GeV pp collisions
- For each jet, examine the **leading** and **subleading** constituent pairs
- Count the number of constituent pairs that have the same (opposite) electric charge
 - What if the **leading constituent is neutral**?
 - Definition by [Chien et al. PRD 105 051502 \(2022\)](#) :
 - Don't consider these jets
 - But we may not easily identify them experimentally

$$r_c(X) = \frac{d\sigma_{h_1 h_2}/dX - d\sigma_{h_1 \bar{h}_2}/dX}{d\sigma_{h_1 h_2}/dX + d\sigma_{h_1 \bar{h}_2}/dX}$$



where

$h_1 h_2$: same charge leading di-hadrons,

$h_1 \bar{h}_2$: opposite charge leading di-hadrons

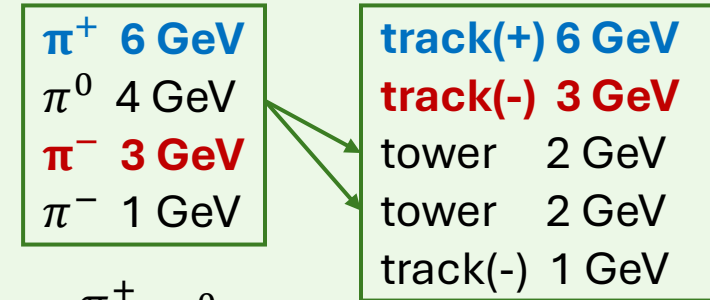
X : any jet observable, e.g., jet p_T

How to measure r_c : Revisiting the definition

- Find jets
- For each jet, examine the **leading** and **subleading track** pairs
- Count the number of **track** pairs that have the same (opposite) electric charge
- Correct for detector effects
- Slightly modified the definition from Chien et al. but comparison with MC models is still meaningful!

$$r_c(X) = \frac{d\sigma_{h_1 h_2}/dX - d\sigma_{h_1 \bar{h}_2}/dX}{d\sigma_{h_1 h_2}/dX + d\sigma_{h_1 \bar{h}_2}/dX}$$

E.g. PYTHIA jet \rightarrow GEANT jet



where

$h_1 h_2$: same charge leading di-**tracks**,

$h_1 \bar{h}_2$: opposite charge leading di-**tracks**

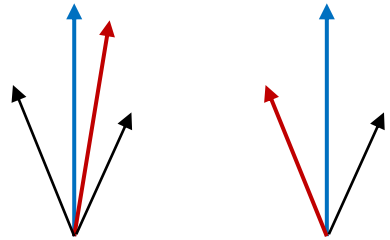
X : any jet observable, e.g., jet p_T

How to measure r_c : Correcting for detector effects

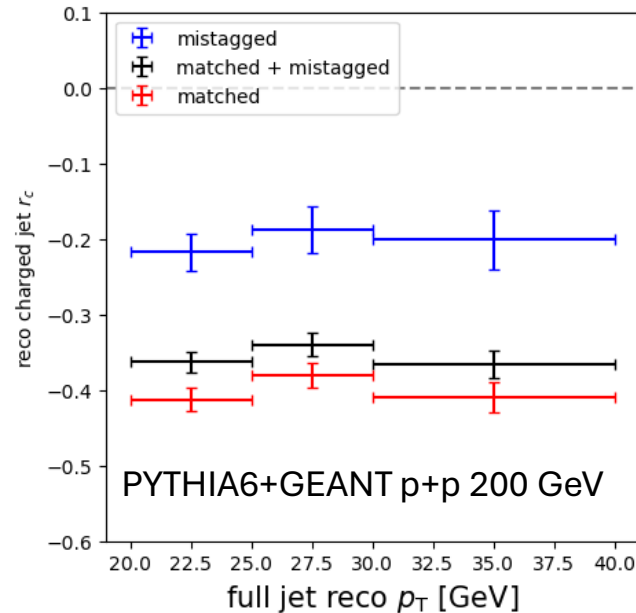
- mistagged subtraction** to account for incorrectly identifying tracks that are not leading/subleading

Tracking inefficiency \rightarrow mistagged correlation

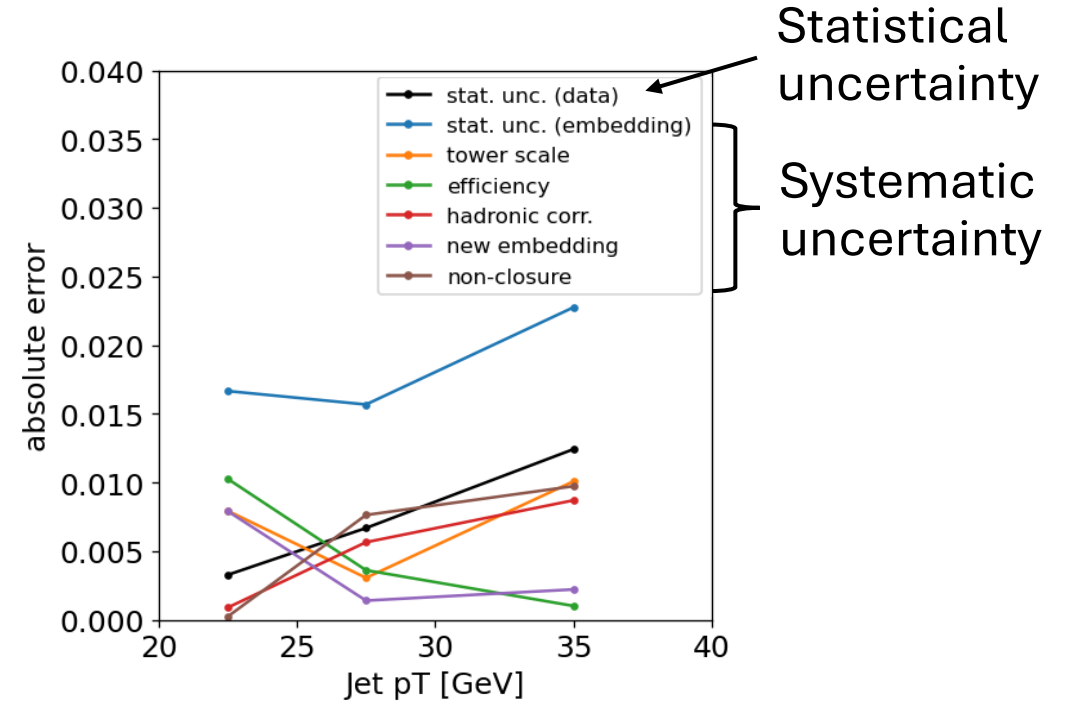
PYTHIA \rightarrow GEANT



Mistagged example



- bin-by-bin p_T correction to jet energy scale: next slide

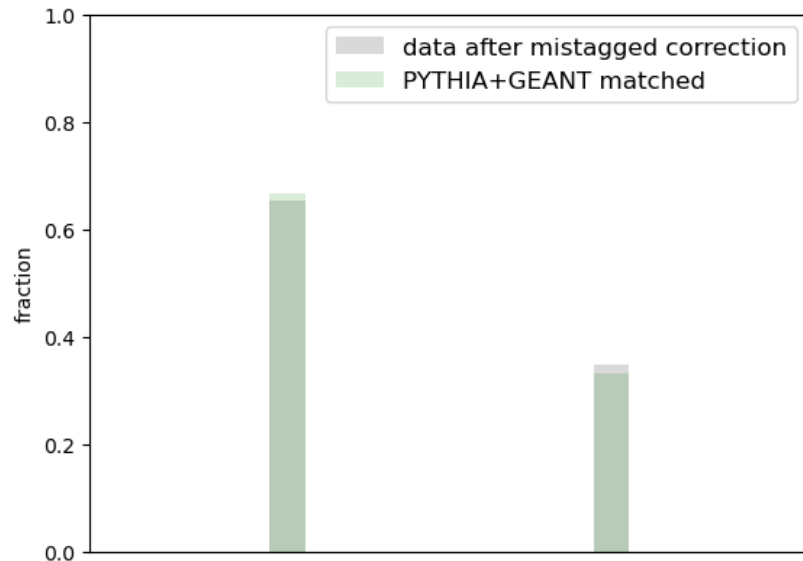


How to measure r_c : Correcting for detector effects

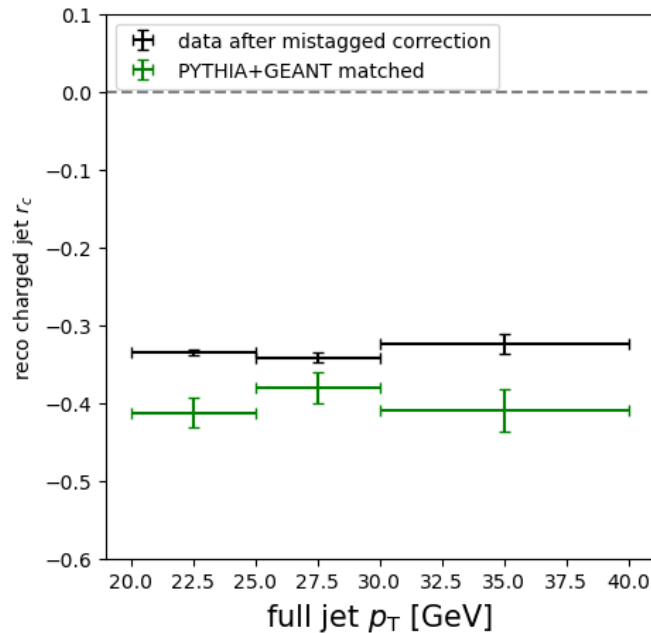
2 Bin-by-bin p_T correction to jet energy scale

- For each detector-level p_T bin, reweight the charge sign distribution in embedding, to match data after mistagged correction.

- This means, if we weight the opposite pair jets down (0.94) and the same sign jets up (1.13) in PYTHIA+GEANT, then we can get the PYTHIA+GEANT r_c to match data (after mistagged subtraction).



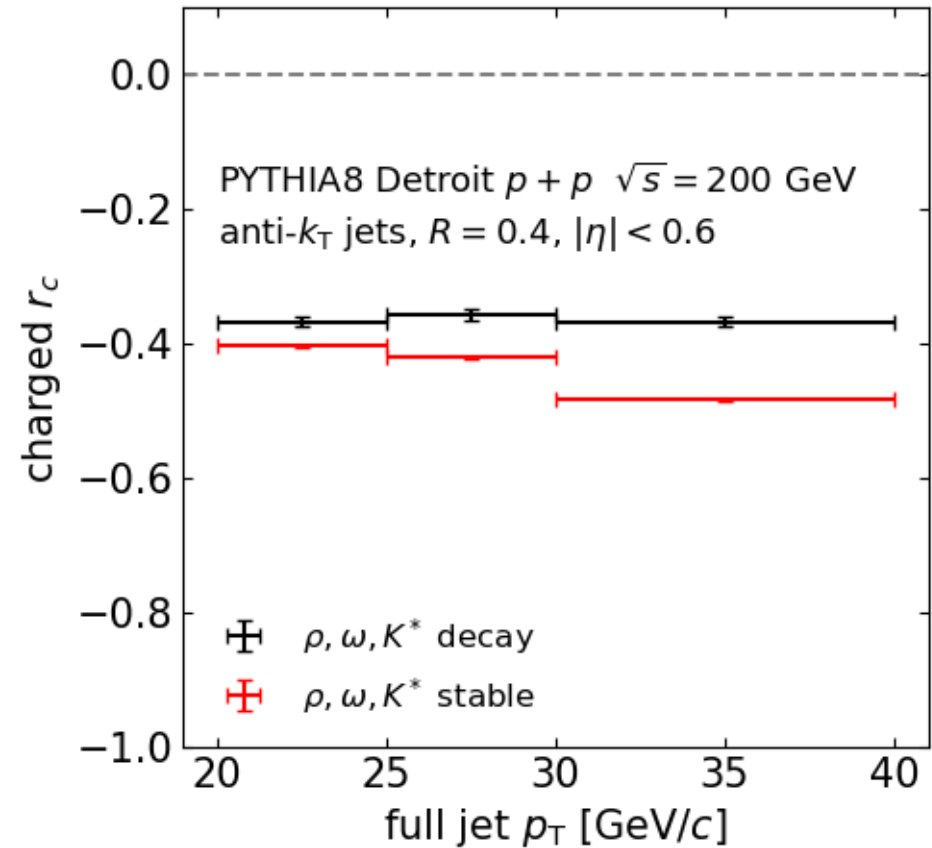
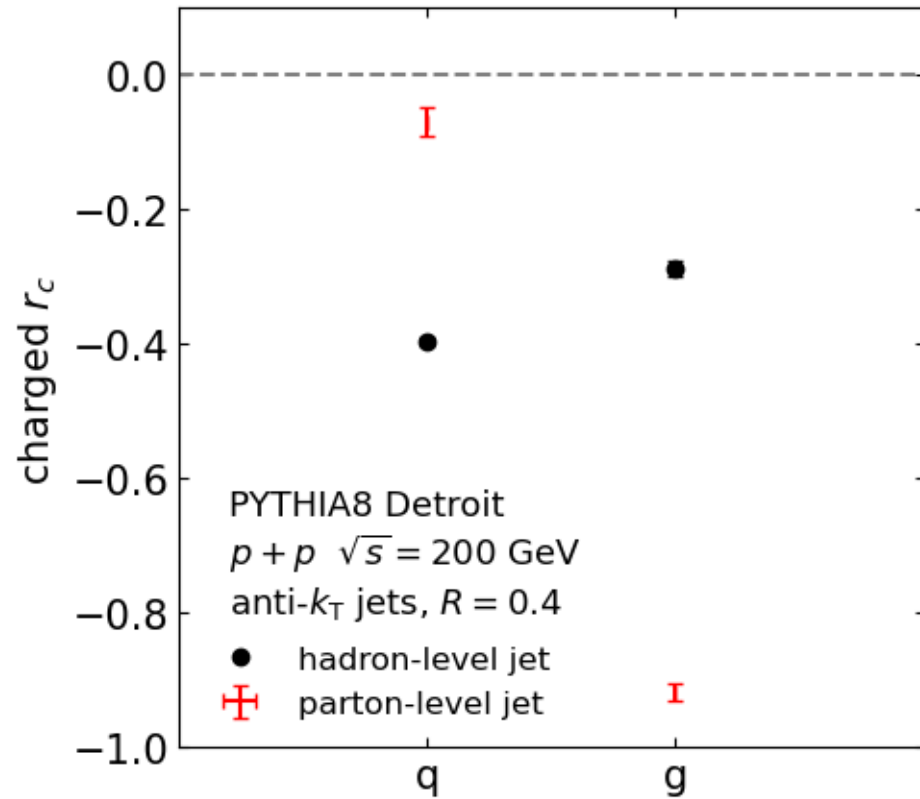
Leading dihadrons are opposite sign
 Example: $20 < p_{T, reco} < 25$ GeV
 Reweights = [0.94, 1.13]



- Since jets are matched between PYTHIA and PYTHIA+GEANT, the reweights automatically carry onto the PYTHIA jets too. This matching essentially serves the role of a response matrix, since it also contains the information such as the truth jet p_T distribution given a reconstructed p_T .

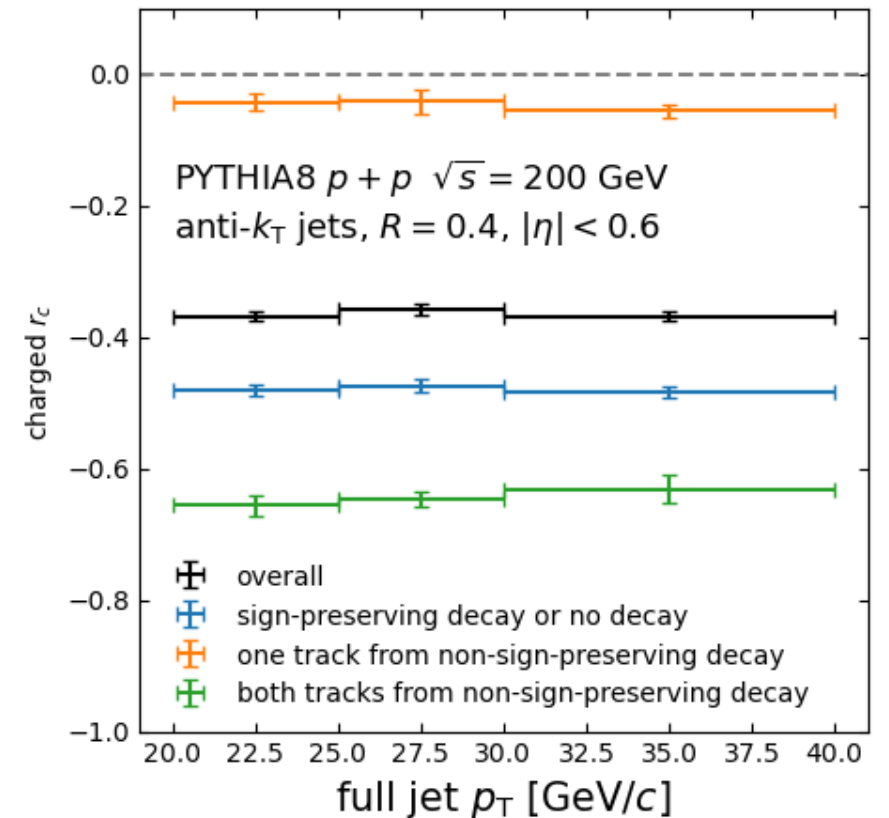
Decays

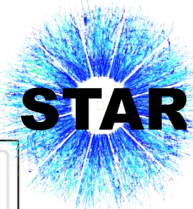
- Resonance decays affect r_c , but the effect is small compared to hadronization



Decays

- In PYTHIA8, for leading tracks in jets, 47% of them come from resonance decays
 - Some of these decays preserve charge signs
 - $\rho^+(770) \rightarrow \pi^+\pi^0$
 - $K^*(892)^+ \rightarrow K^+\pi^0$
 - $\Delta^+ \rightarrow p\pi^0$
 - 26% of them come from non-sign-preserving decays

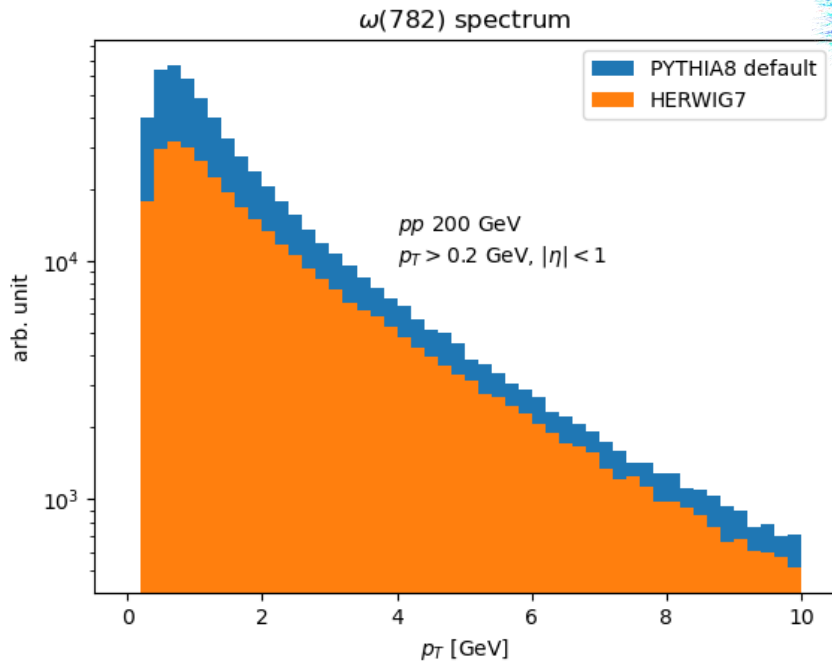




Resonances

• Where does a π^+ **leading** track in jet come from?

	PYTHIA8	HERWIG7	Decays
	(Di)quarks: 47%	Cluster: 29%	-
213	$\rho(770)^+$ 21%	23%	$\pi^+\pi^0, \sim 100\%$
113	$\rho(770)^0$ 16%	17%	$\pi^+\pi^-, \sim 100\%$
223	$\omega(782)$ 9%	3%	$\pi^+\pi^-\pi^0, 89\%$



• Where does a π^+ **subleading** track in jet come from?

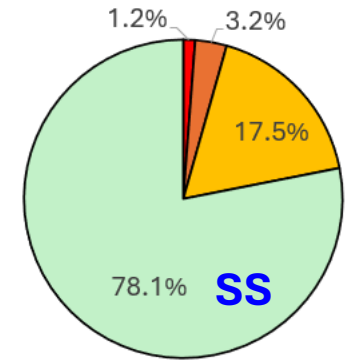
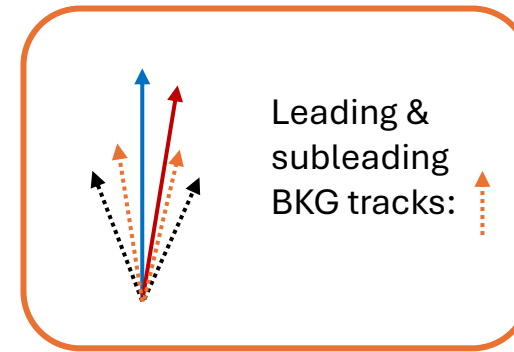
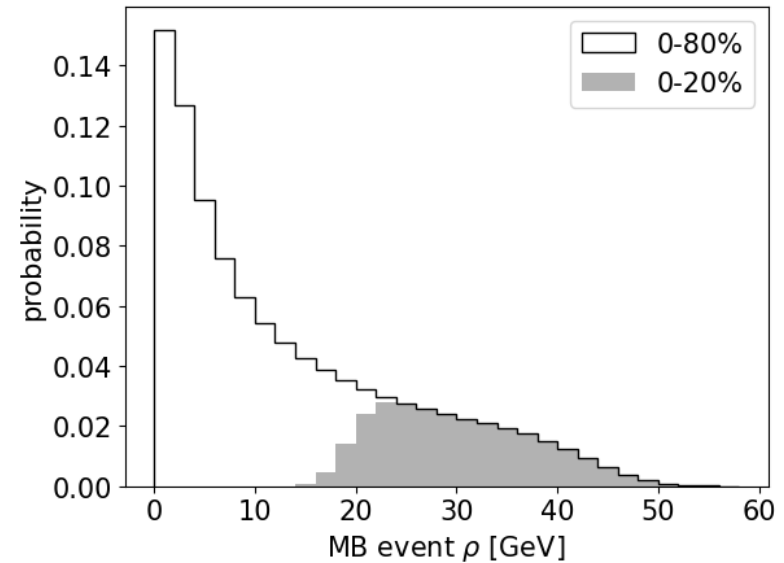
	PYTHIA8	HERWIG7
	(Di)quarks: 40%	Cluster: 22%
$\rho(770)^+$	19%	22%
$\rho(770)^0$	18%	18%
$\omega(782)$	13%	4%
$K^*(892)^+$	3%	4%
$K^*(892)^0$	2%	2%

- Probability $< 1e-7$ in PYTHIA8 but $> 1\%$ in HERWIG: 3% $f_2(1270)$, 2% $a_2^+(1320)$, 1% $a_0^+(980)$
- Not “seen” by PYTHIA8 (off by default) but $> 1\%$ in HERWIG: 2% $b_1^+(1235)$, 1% $a_2^0(1320)$, 1% $\rho^+(1700)$
 - a pseudovector multiplet with $L=1, S=0, J=1$;
 - a scalar multiplet with $L=1, S=1, J=0$;
 - a pseudovector multiplet with $L=1, S=1, J=1$;
 - a tensor multiplet with $L=1, S=1, J=2$.

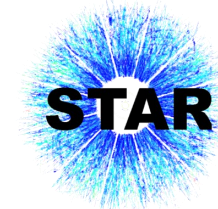
How to measure r_c in heavy ions: background subtraction experiment

Embedded jets breakdown:

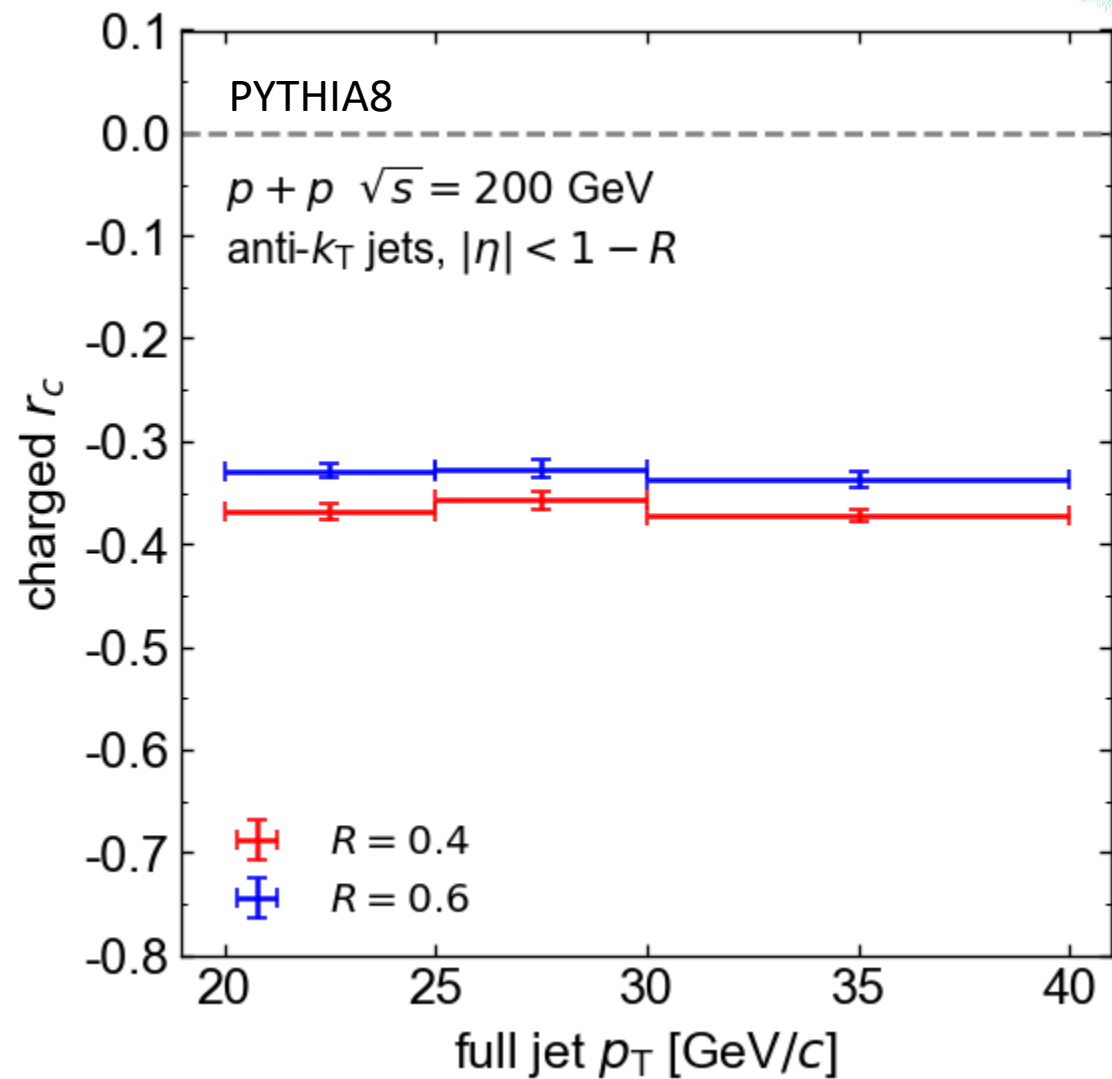
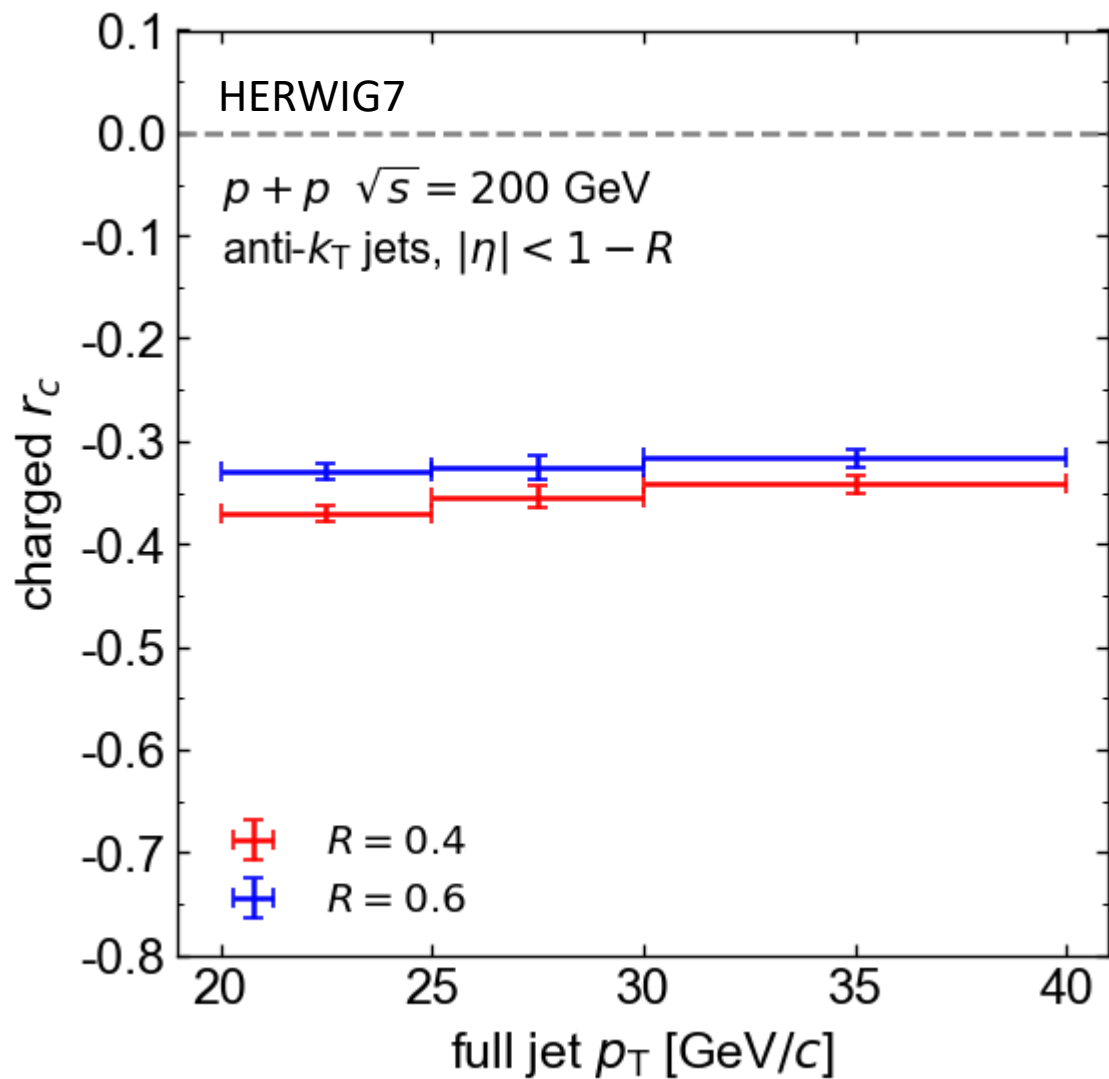
- **comb**: jets not matched to PYTHIA jets within $\Delta R = 0.4$
 - may contain real jets in isobar events. To take care of them more carefully, need to do event mixing
 - for this study, obtain $r_c(\text{comb})$ from MB events **without embedding**
- **BB**: matched jets whose leading and subleading tracks both unmatched to PYTHIA leading and subleading
 - with embedding jets, obtain $r_c(\text{BB})$ between the leading and subleading **background tracks**, even if there are PYTHIA jet tracks that have higher p_T
- **SB**: should have no correlation in this study. For this study, $r_c(\text{SB})$ can be obtained by finding jets in MB events and excluding the leading dijets



$$\begin{aligned}
 r_c(\text{raw}) &= \text{Prob}(\text{comb}) \times r_c(\text{comb}) \\
 &+ \text{Prob}(\text{BB}) \times r_c(\text{BB}) \\
 &+ \text{Prob}(\text{SB}) \times r_c(\text{SB}) \\
 &+ \text{Prob}(\text{SS}) \times r_c(\text{SS})
 \end{aligned}$$

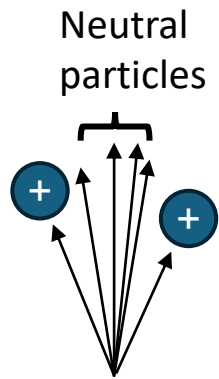


Jet radius dependence



Jet radius dependence

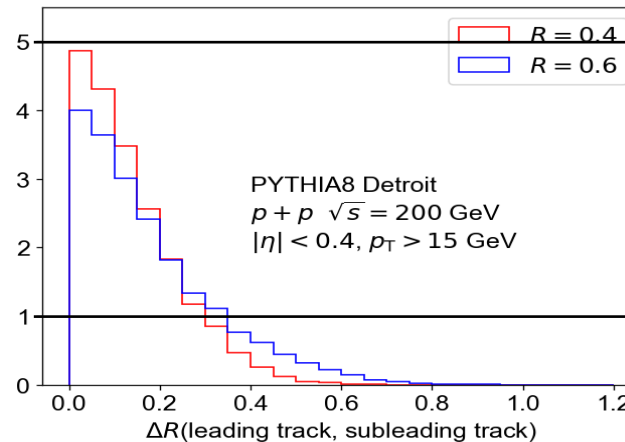
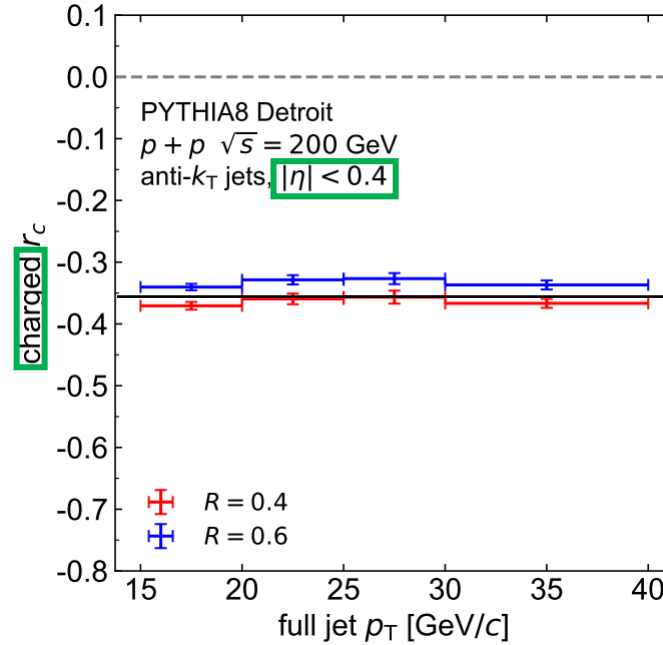
- r_c is less negative with larger jet $R \rightarrow$ likely that “background” track pairs are included with larger R
- Potentially introduce a jet neutral energy fraction requirement to reduce this effect
 - Fragmentation bias? Or does this bring us closer to the “original definition”?



Example of a jet with a large R and large neutral core



Definition used in our measurement



Original definition as proposed by Chien et al. PRD 105 051502 (2022)

