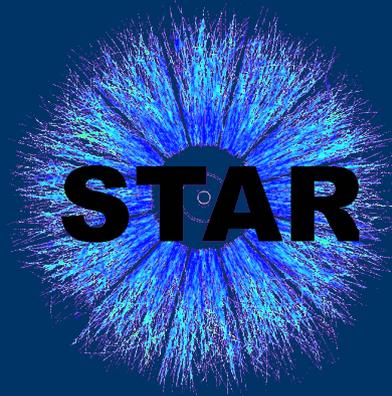


# Jets studies with STAR at RHIC

jet algorithms, jet shapes, jets in AA

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**Nuclear Physics Institute ASCR  
Czech Republic**



**6th International Workshop High- $p_T$  physics at LHC 2011**

**4-7 April 2011, Utrecht, Netherlands**

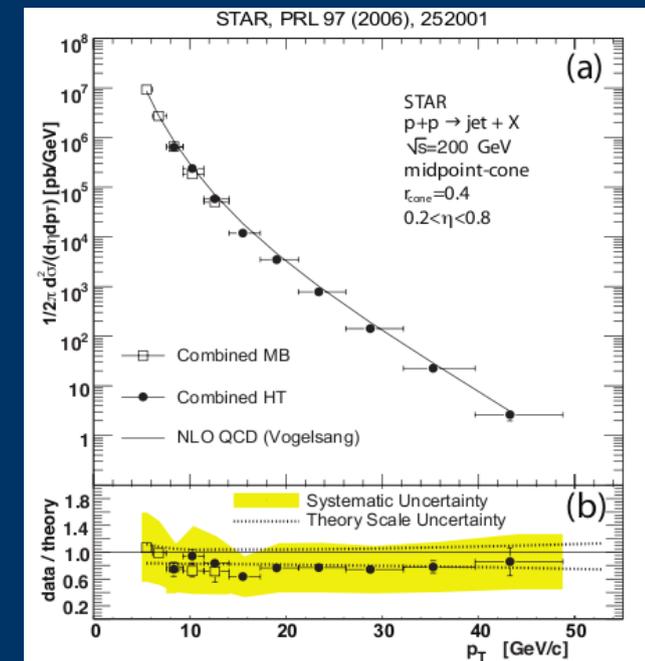
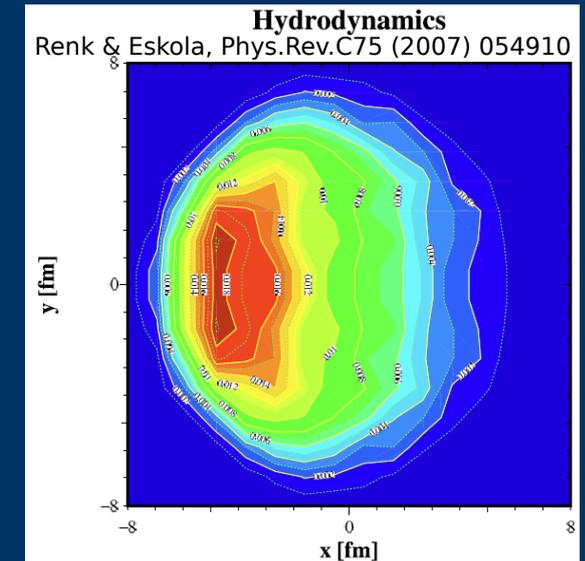
# Full jet reconstruction

## high- $p_T$ hadron spectra and correlations:

- established jet quenching phenomena
- limited discrimination power due to:
  - fragmentation biases
  - bias towards least interacting jets (surface)

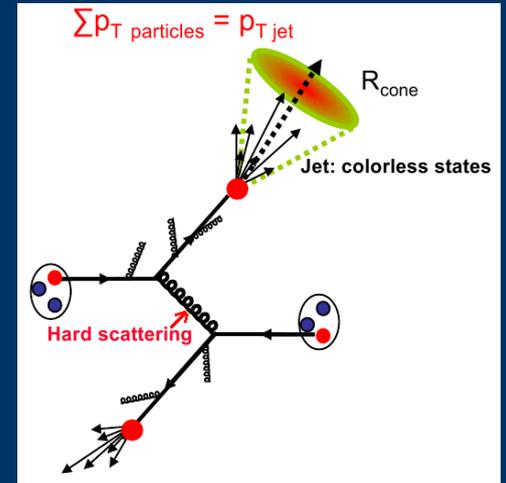
## study the quenching directly with jets:

- access the partonic kinematics
- study energy flow, not individual hadrons
- well calibrated probe (pQCD)
- unbiased jet reconstruction: expecting  $R_{AA}=1$  (caveats: nPDF, medium-induced jet broadening)

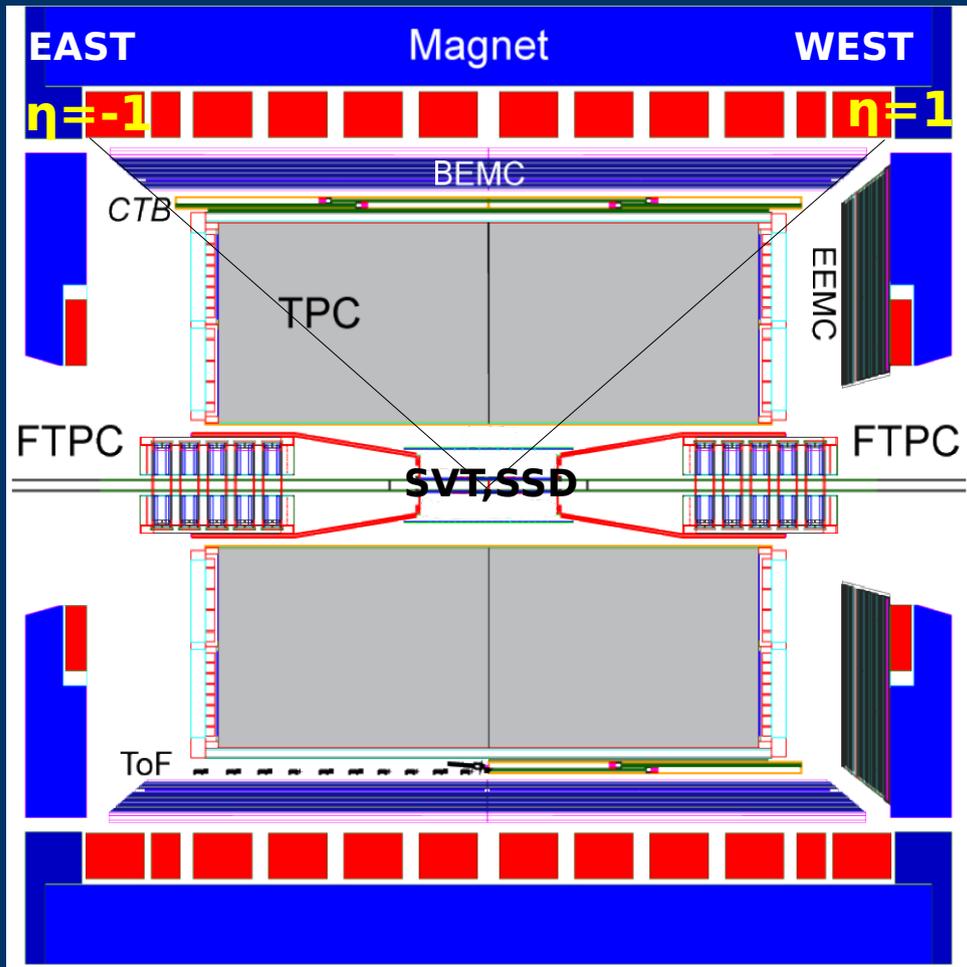


# Outline

- jet reconstruction in STAR
- initial state: jet spectra in d+Au
- background fluctuations & jet spectra in Au+Au
- jet shapes
- di-jet and jet-hadron correlations



# STAR experiment at RHIC



solenoidal magnetic field 0.5 T

## detectors used ( $|\eta| < 1$ , $\Phi: 2\pi$ ):

- Time Projection Chamber: tracking
- Barrel EM Calorimeter (BEMC):
  - neutral energy (towers  $0.05 \times 0.05$ )
  - trigger

$$p_{T, \text{track/tower}} > 0.2 \text{ GeV}/c$$

“100% hadronic correction”: subtract matched track  $p_T$  off tower  $E_T$ : avoid double-counting (MIP, electrons, hadronic showers)

centrality selection – charged multiplicity:  
Au+Au:  $|\eta| < 0.5$ , d+Au:  $-4 < \eta < -2.5$

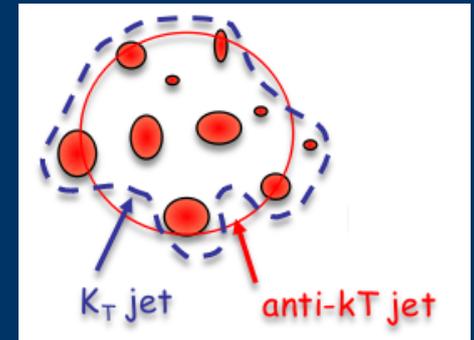
**data used:** 200 GeV p+p (2006), Au+Au (2007), d+Au (2007/2008)

# Jet reconstruction

## recombination algorithms - FastJet package

Cacciari, Salam and Soyez, JHEP0804 (2008) 005.

- $k_T$ , anti- $k_T$ : different sensitivity to background
- R: resolution parameter: 0.2 or 0.4
- recombination: E scheme with massless particles



## analysis procedure:

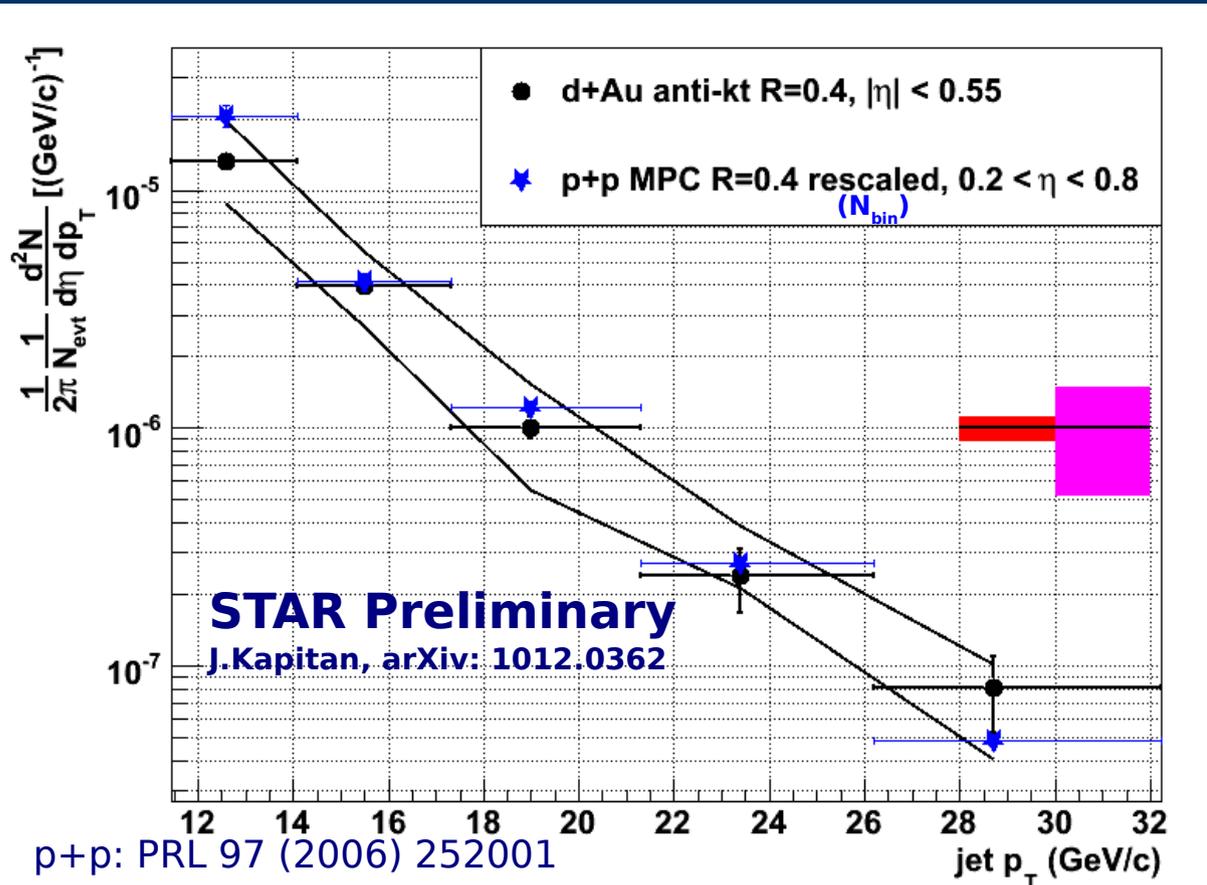
1. define jets ( $k_T$ , anti- $k_T$ ), active area A
2. estimate background density from  $k_T$  jets:  $\rho = \text{median}\{p_T/A\}$
3. subtract the background:  $p_{T,\text{jet,true}} = p_{T,\text{jet,observed}} - \rho * A$
4. correct for background fluctuations
5. correct for detector effects (jet  $p_T$  shift & resolution)

## jet reconstruction uncertainties:

- Jet Energy Scale (BEMC calibration, TPC tracking efficiency): leading uncertainty in p+p, d+Au
- background fluctuations: leading uncertainty in Au+Au

# Initial state: p+p & d+Au

- 10M 0-20% most central events,  $\eta$ -dependent background subtraction
- bg. fluctuations & detector effects corrected via Pythia jets embedding



**black error band:** d+Au JES uncertainty (TPC: 10%, BEMC: 5%)

**red box:**  $\langle N_{bin} \rangle$  12% unc.

**magenta box:** p+p total systematic uncertainty (including jet energy scale)

note

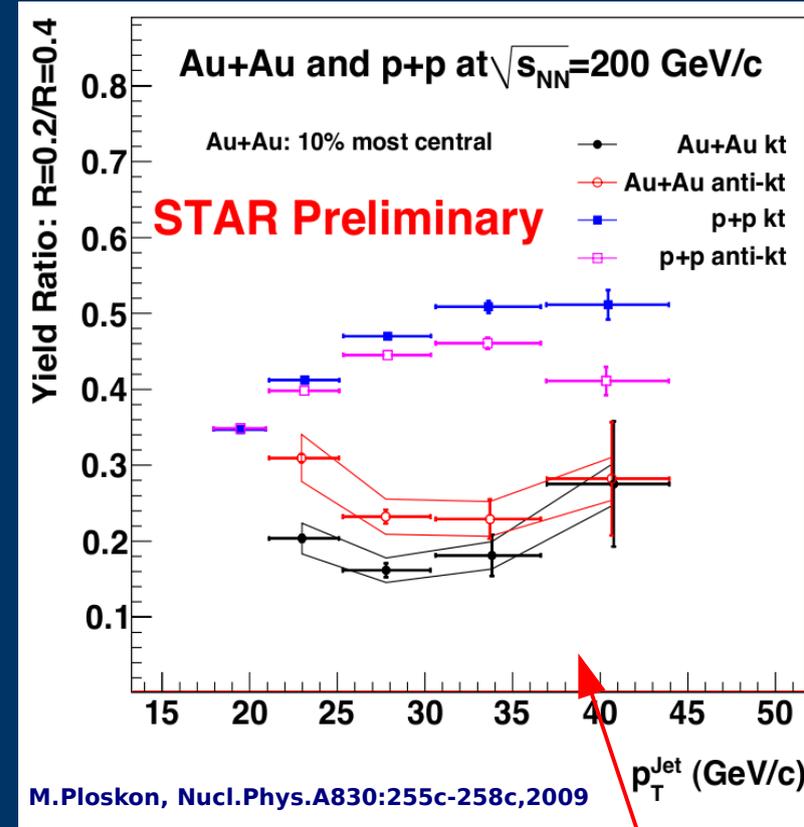
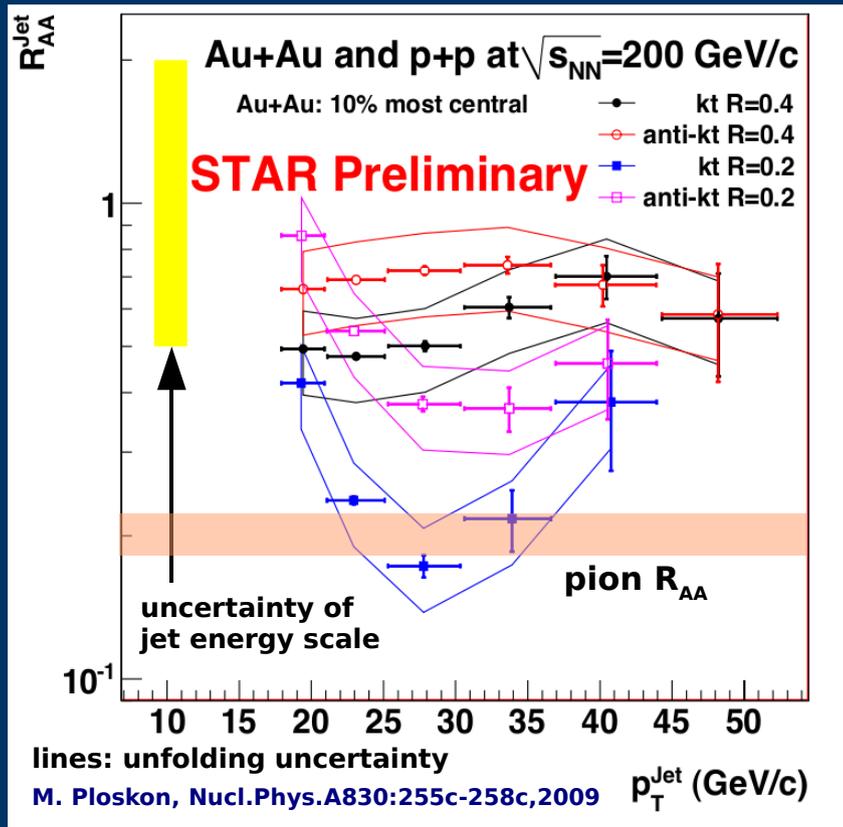
- different  $\eta$  range
- different jet algorithm

towards jet  $R_{dAu}$ :

- decrease syst. uncertainties
- extend to higher  $p_T$

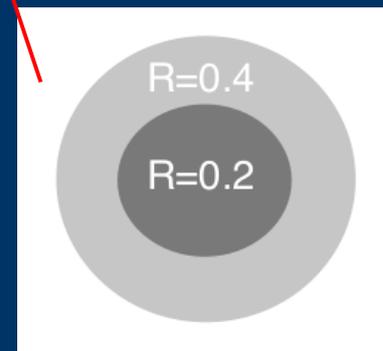
**→ no significant deviation from  $N_{bin}$  scaled p+p**

# Jet spectra: Au+Au vs. p+p



- **$R=0.4$  jet  $R_{AA}$  compatible with 1**
- **consistent with jet broadening from  $R=0.2$  to  $R=0.4$**

$R > 0.4$  difficult to measure due to bg. fluctuations  
 → di-jet and jet-hadron correlations (last part of the talk)



# Background fluctuations

current results: Gaussian parametrization based on Pythia embedding

this presentation:

- is Gaussian model appropriate?
- we know there's jet quenching: how does fragmentation (and its modification) influence jet reconstruction in presence of background?
- assess background fluctuations with various fragmentation scenarios

embedding studies with real (central) Au+Au events:

1. determine background density with  $k_T$  algorithm:  $\rho = \text{median}\{p_T/A\}$
2. embed a “jet” (various options) and run anti- $k_T$  jet finder
3. find a cluster containing the embedded jet ( $> 50\%$  of its energy)

**quantify response to background via:**

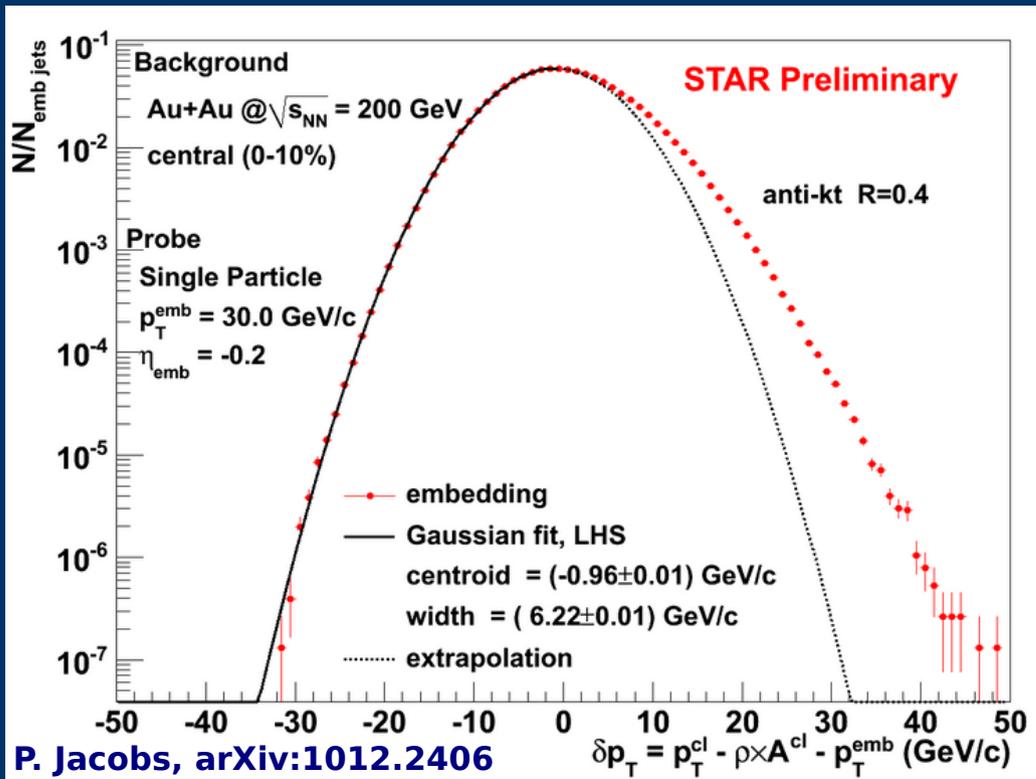
$$\delta p_T = p_T^{cluster} - \rho \cdot A^{cluster} - p_T^{emb}$$

identical to  $\Delta p_T$  in arXiv:1010.1759 (Cacciari, Rojo, Salam, Soyez)

# Example of $\delta p_T$ distribution

embedding single particle with  $p_T = 30$  GeV/c,  $\eta = -0.2$

same jet embedded into 8M events:



**what does  $\delta p_T$  depend on?**

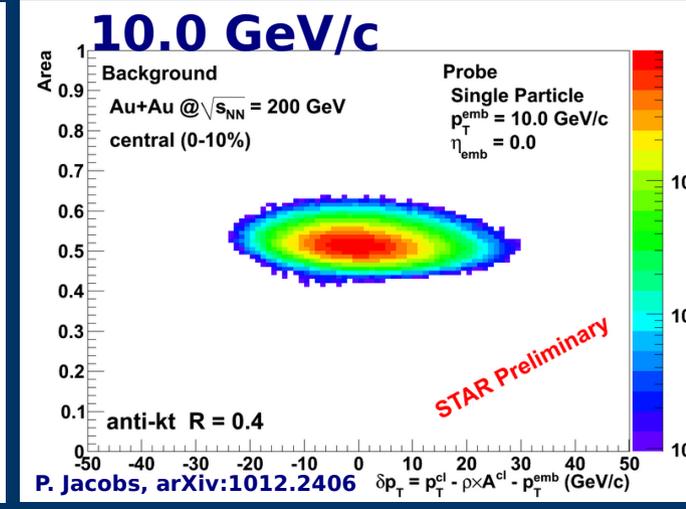
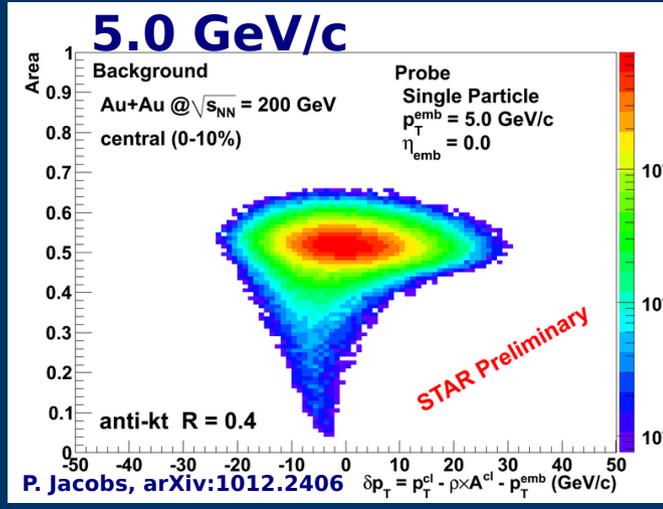
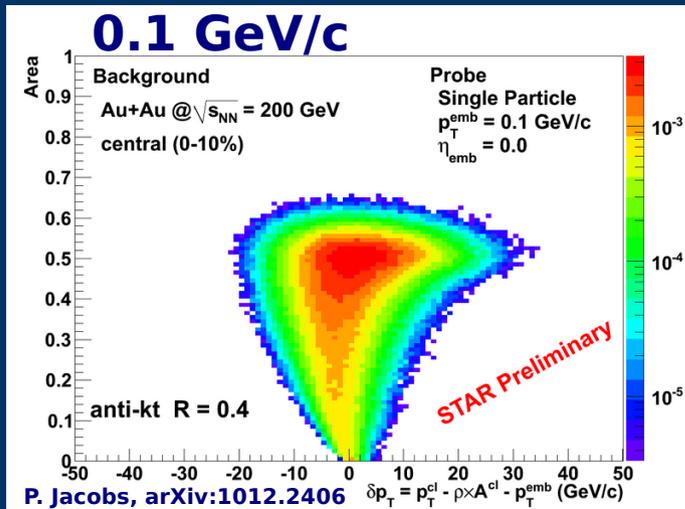
- jet area A
- jet  $p_T$
- jet fragmentation pattern

following studies:  
for R=0.4 jets...

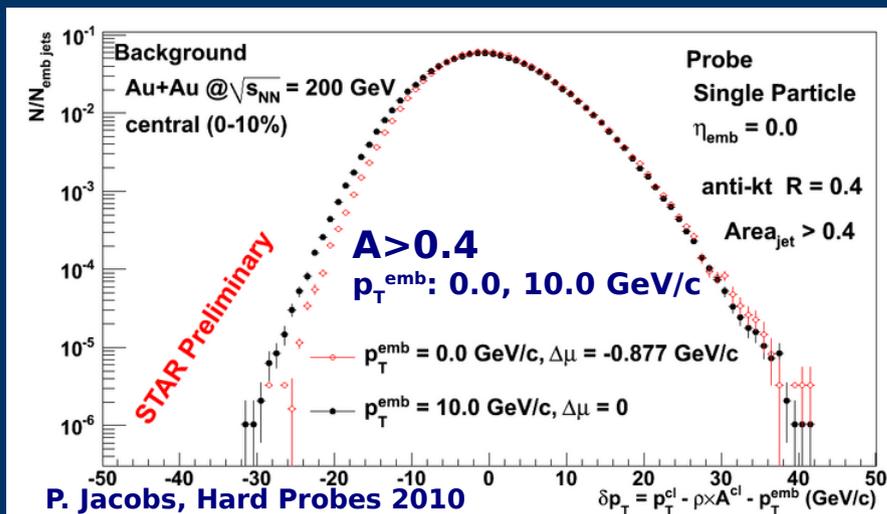
- response over 40 GeV and 5 orders of magnitude
- Gaussian fit to LHS good, non-Gaussian tail in RHS!

# Dependence on jet area

anti- $k_T$  clustering: area distributions for various  $p_T^{\text{emb}}$



area distribution for low  $p_T$  probes very broad  $\rightarrow$  constrain the area:

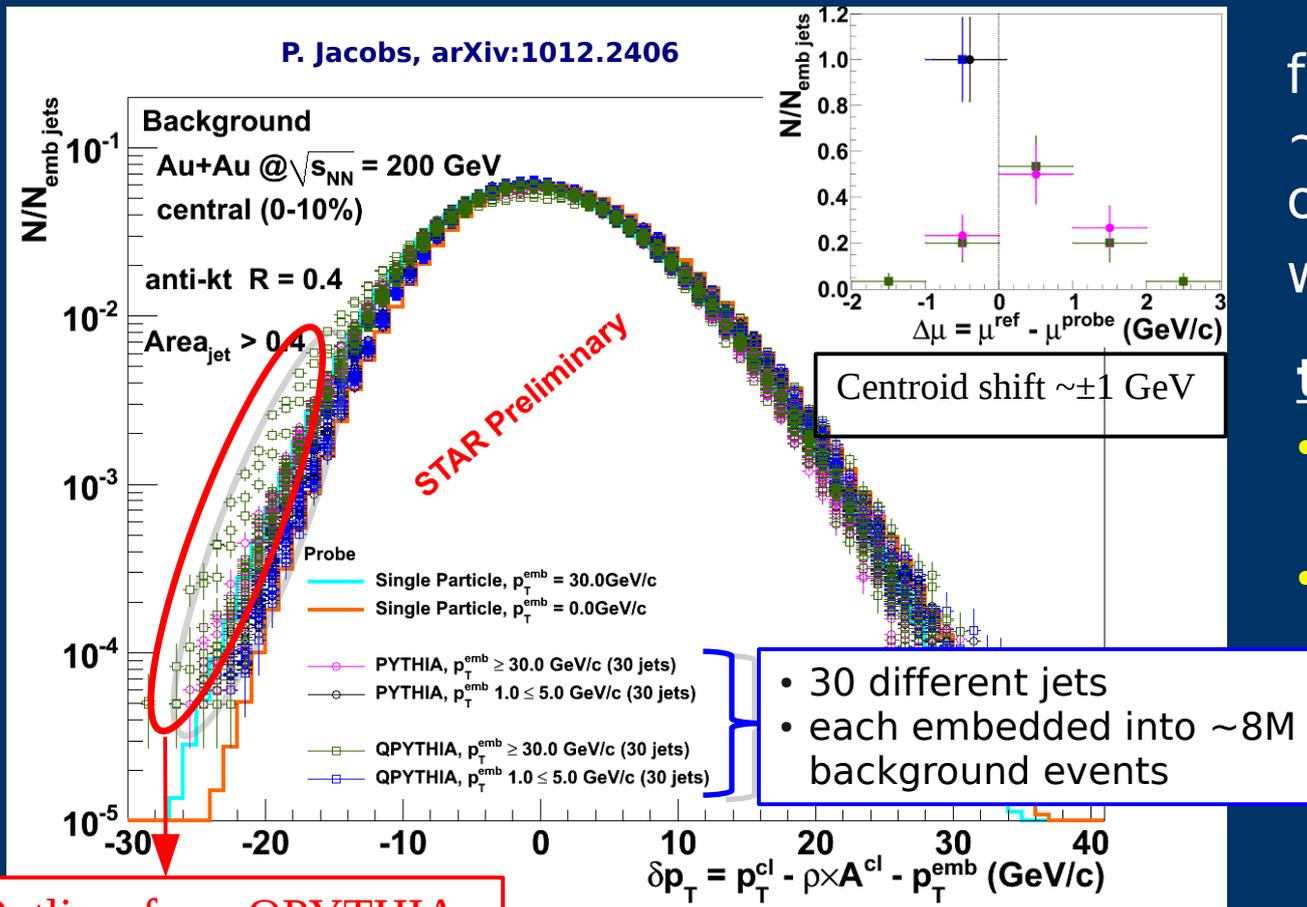


fixed area:  $\delta p_T$  varies little with  $p_T^{\text{emb}}$

**indication that specific jet structure is unimportant!**

$\rightarrow$  verify this with Pythia, QPythia...

# $\delta p_T$ : sensitivity to fragmentation



fluctuation distribution  
~universal: independent of  $p_T^{emb}$ , fragmentation within factor 2 at 30 GeV/c

## to do:

- fully characterize  $\delta p_T$  distribution
- implement in unfolding

## Outliers from QPYTHIA:

- 2 out of 30 jets
- physics or modeling?

negligible effect for final correction: it's for  $\delta p_T < 0$

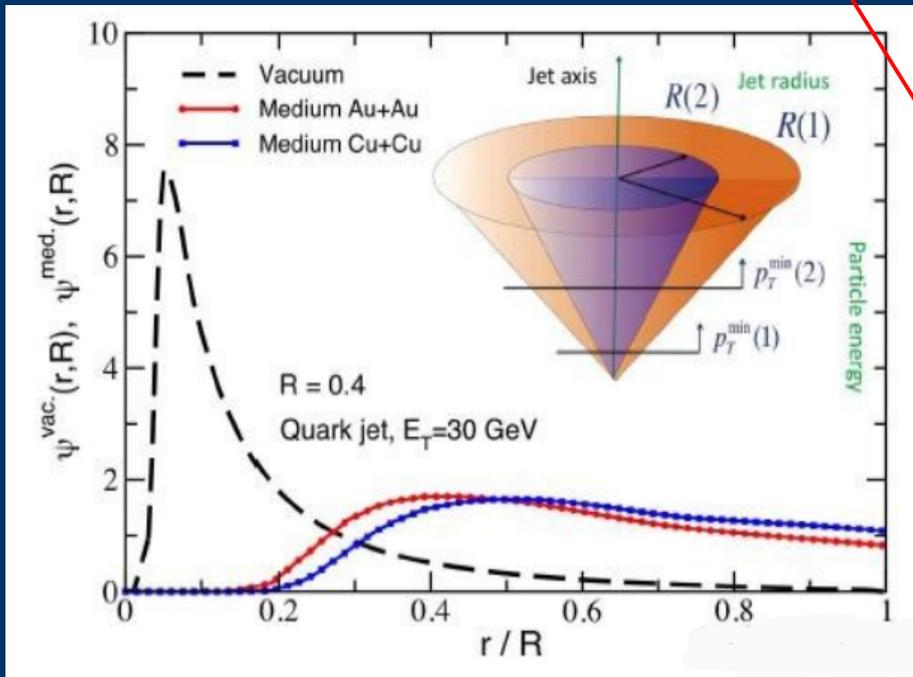
**Irresolution due to background fluctuations  
~independent of fragmentation pattern!**

# Jet shapes

- elementary particle collisions: jets getting narrower at high  $p_T$
- modification of jet structure in HI collisions -> changes in jet shape!

differential jet shape:

$$\psi(r) = \frac{1}{N_{jets}} \int_{p_T^{\min}}^{p_T^{\max}} dp_{Tjet} \int_0^{p_T^{\max}} dp_T(r) \left( \frac{1}{p_{Tjet}} \frac{dp_T(r)}{dr} \right) \frac{d^2 N}{dp_{Tjet} dp_T(r)}$$



I. Vitev, B. W. Zhang, Phys.Rev.Lett.104 (2010), 132001

ring at radius  $r$ , width  $dr$   
 $A$ : jet area

in the presence of background:

$$\frac{1}{P_{Tjet}^{signal}} \frac{dp_T^{signal}}{dr} = \frac{dp_T^{cluster} / dr - 2\pi\rho r}{P_{Tjet} - \rho A}$$

**Ring  $P_T$** 
**Jet  $P_T$**

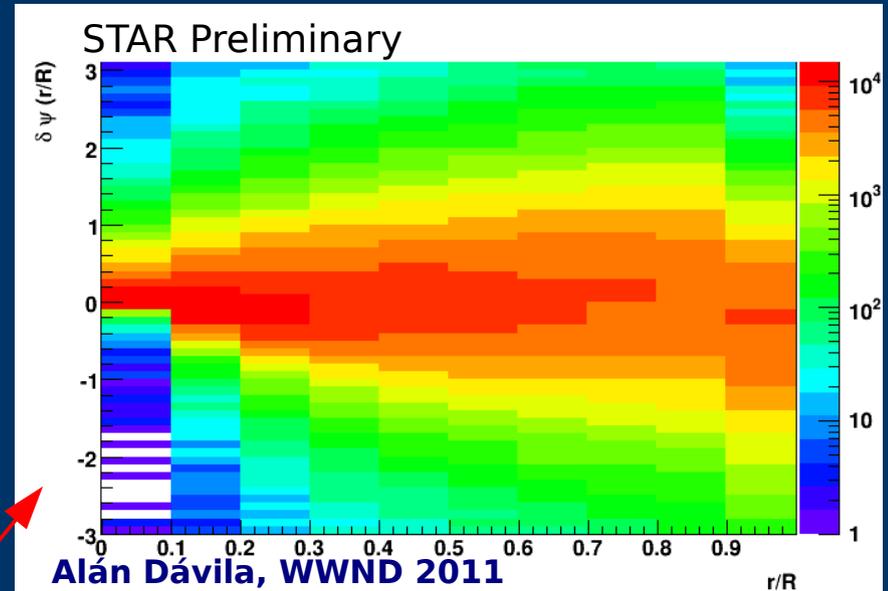
# Jet shapes distortion: embedding

- Au+Au central events (0-10%)
- embed 30 GeV/c pion as a probe
- anti- $k_T$  algorithm ( $R=0.6$ )
- analyze the cluster containing the probe
- area cut:  $\pi R^2 < A < \pi R^2 + 0.05$
- only charged particles

jet shape obtained from this cluster:  
pure background

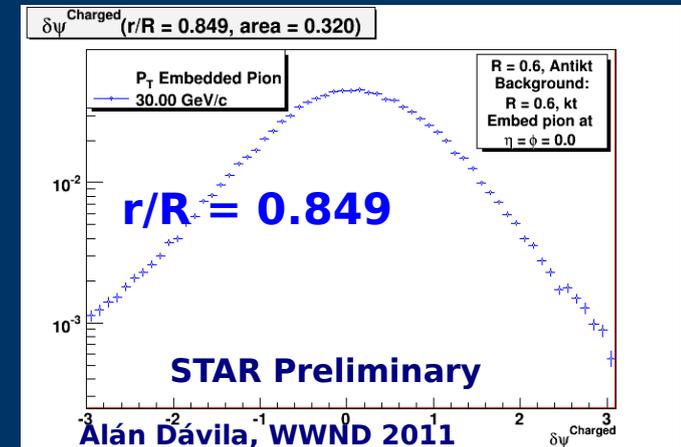
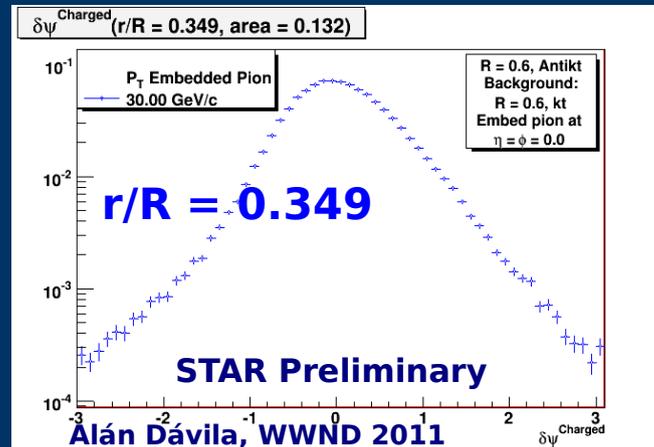
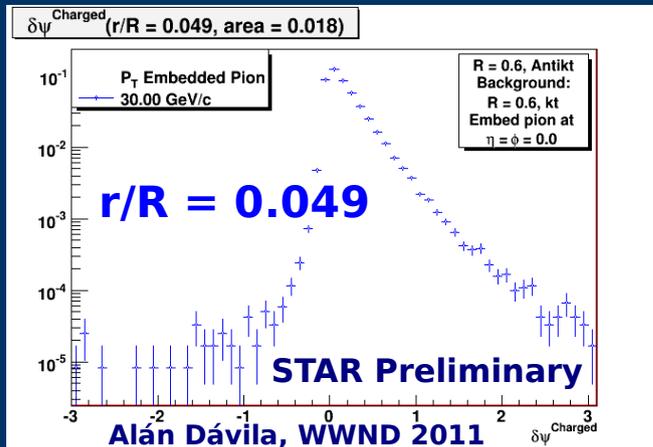
$$\delta(\psi) = \psi_{\text{signal+Background}} - \psi_{\text{signal}}$$
$$\psi_{\text{signal}} = 0$$
$$\delta(\psi) = \frac{dp_T^{\text{cluster}} / dr - 2\pi\rho r}{p_T^{\text{cluster}} - \rho A}$$

$\rho$ : from  $k_T$  algorithm,  $R=0.6$



ring area increases with  $r/R$   
so does the fluctuation width...

# Dependence on $r/R$



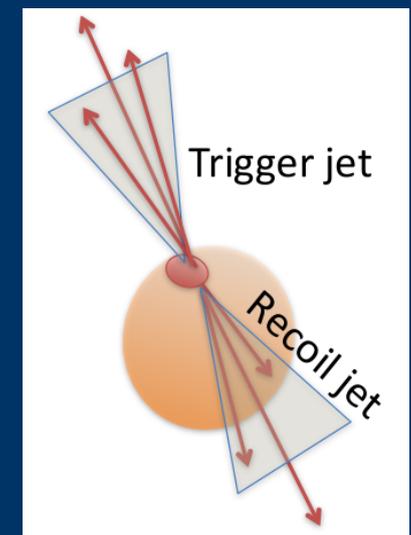
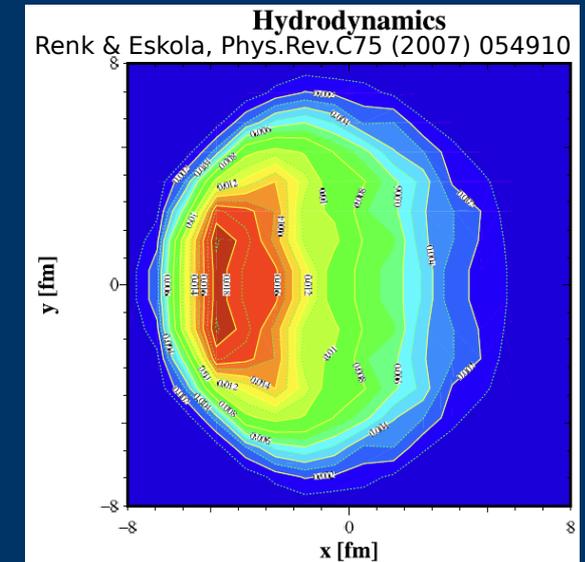
- dependence of fluctuations on  $r$ : expected from ring area dependence on  $r$
- study in progress: variable  $r$  bins  $\rightarrow$  same area rings

## Stay tuned:

- $\rightarrow$  checks of (in-)dependence on fragmentation
- $\rightarrow$  unfolding of jet shapes from real data coming soon...

# Jet-triggered correlations

- use highly biased jet sample: jets containing BEMC tower with  $E_T > 5.4$  GeV
  - strong surface bias
  - idea: maximize recoil jet medium path length
  - trigger jets reconstructed with  $p_{T,\text{cut}} = 2$  GeV/c to achieve similar jet energy scale in p+p, Au+Au
  - trigger jet energy uncertainty:  $\pm 2$  GeV
- **di-jet correlations (away side)**  
→ **jet-hadron correlations (near+away side)**



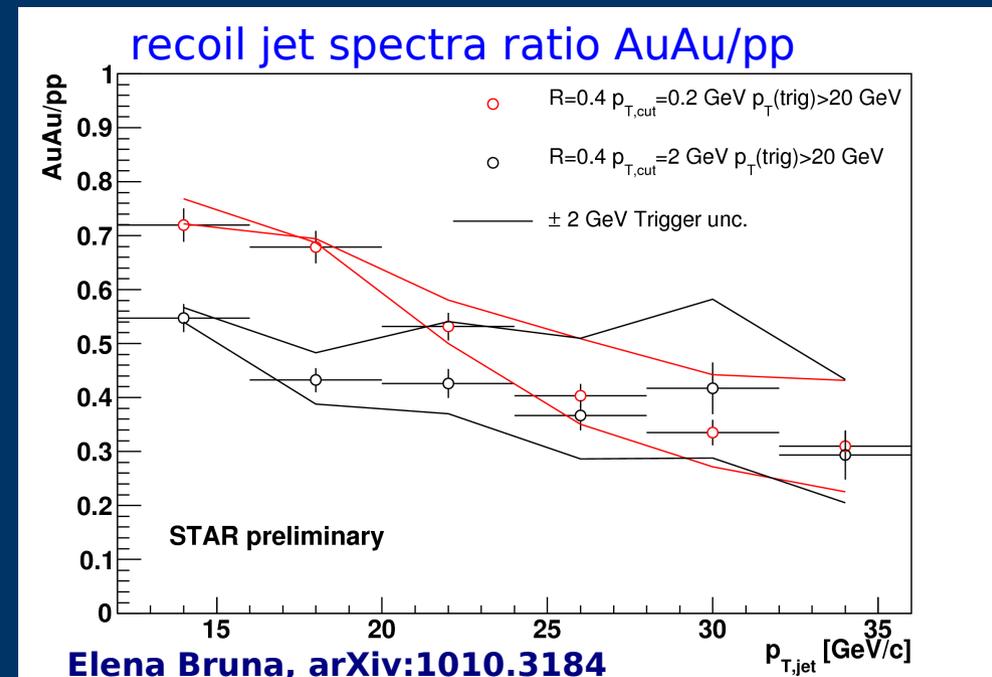
# Di-jet correlations

- trigger jet:  $p_T > 20$  GeV/c
- look for away-side jet modification:
- construct ratio of AuAu/pp spectra of the recoil jets
- test for 2 different  $p_{T,cut}$  values for recoil jets

Gaussian unfolding of away-jets:

$p_{T,cut} = 0.2$  GeV/c:  $\sigma = 6.5$  GeV

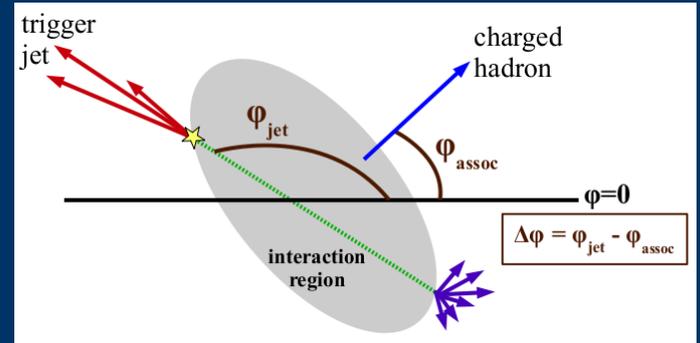
$p_{T,cut} = 2$  GeV/c:  $\sigma = 1.5$  GeV



→ suggestive of energy profile broadening beyond  $R=0.4$

# Jet-hadron correlations

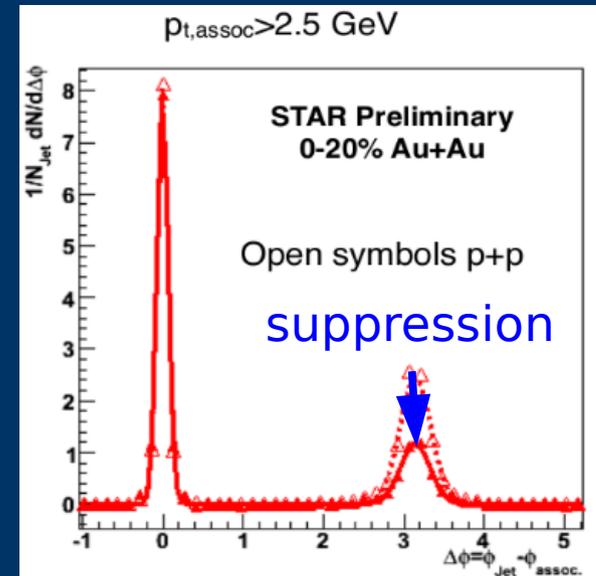
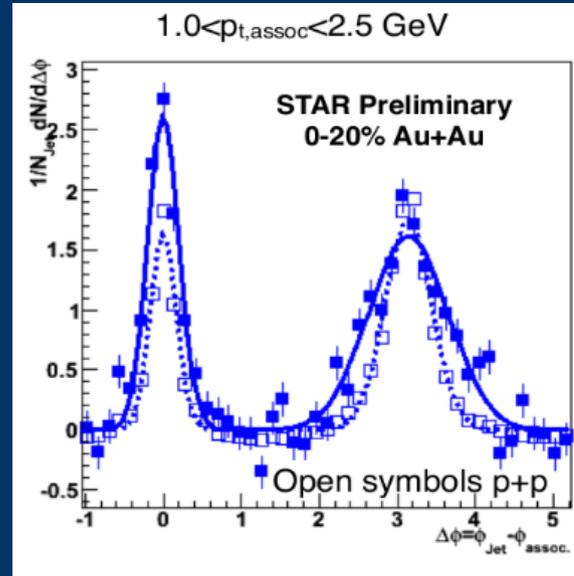
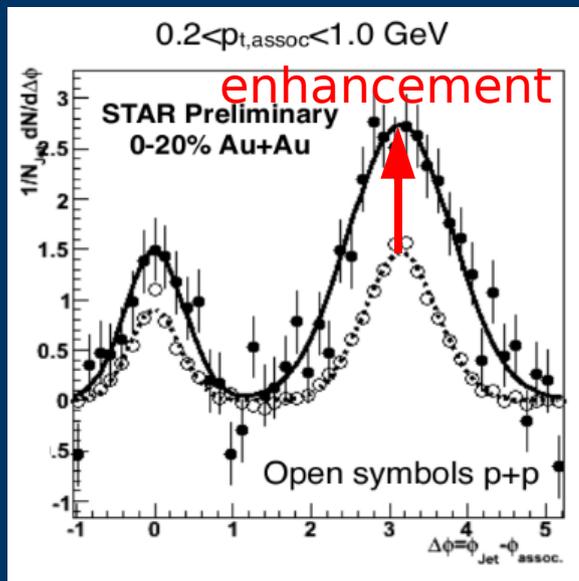
- azimuthal correlations of charged hadrons with respect to HT (trigger) jet axis
- increased kinematic reach compared to di-hadron correlations



initial results – **flat background subtraction**,  $p_{T,\text{jet}} > 20 \text{ GeV}/c$ :

(J.Putschke, RHIC AGS Users Meeting 2009)

**softening & broadening!**



# Background model: jet $v_2$ , ZYAM

- ZYAM is known to overestimate background level in the presence of broad peaks (central collisions, low  $p_{T,assoc}$ )
- jet  $v_2$  *a-priori* unknown (analysis in progress)

in the following, background estimated by fitting (ZYAM used for comparison):

$$2 \text{ Gaus} + B * (1 + 2 * v_2^{assoc} * v_2^{jet} * \cos(2\Delta\phi))$$


$$(v_2\{2\} + v_2\{4\})/2$$

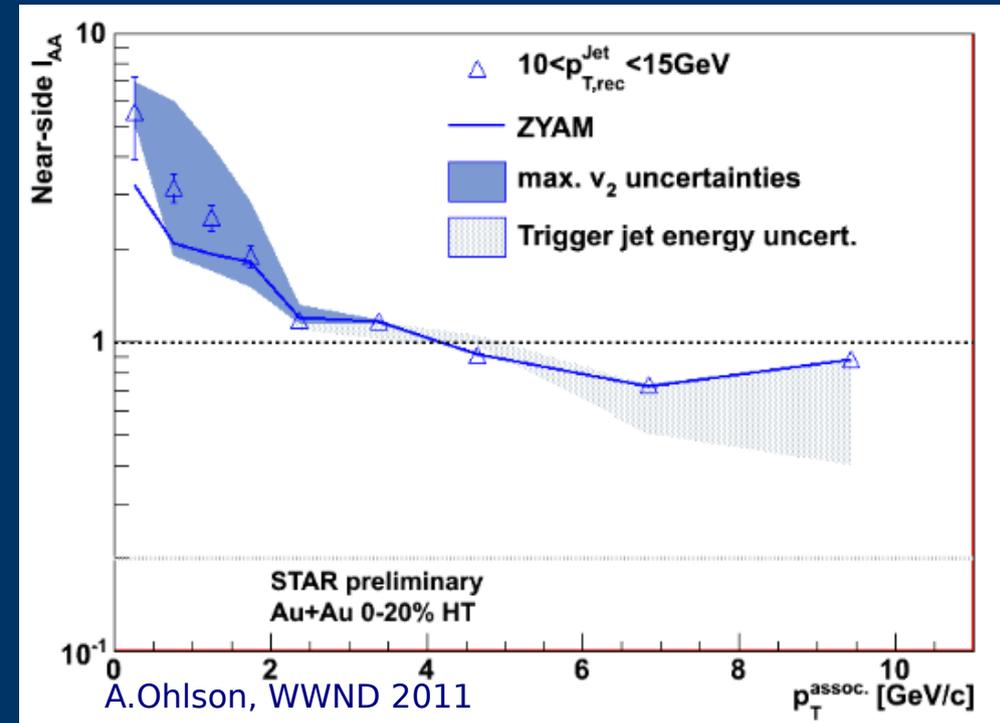
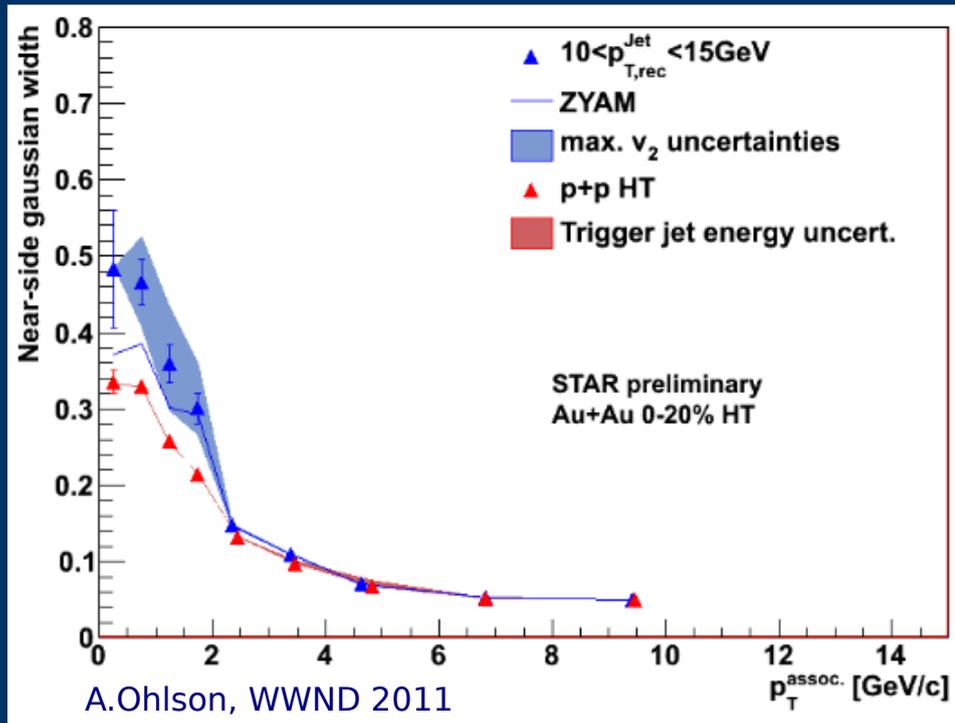

$$v_2\{2\} (p_T = 6 \text{ GeV}/c)$$

maximum  $v_2$  uncertainties:

no  $v_2$

nominal  $v_2 + 50\% v_2^{jet} * v_2^{assoc}\{2\}$

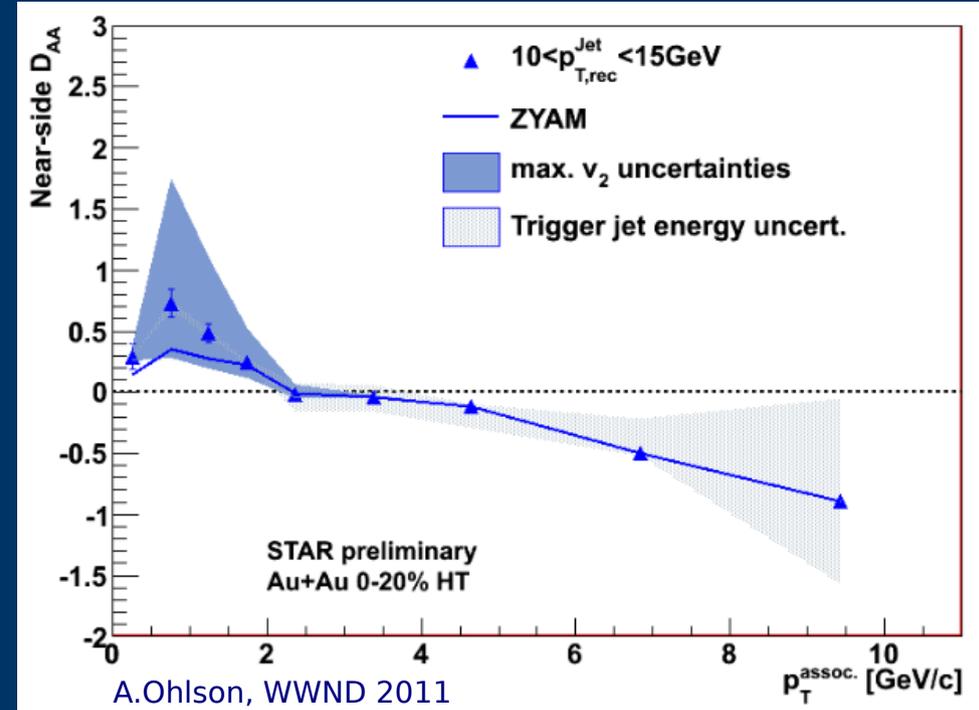
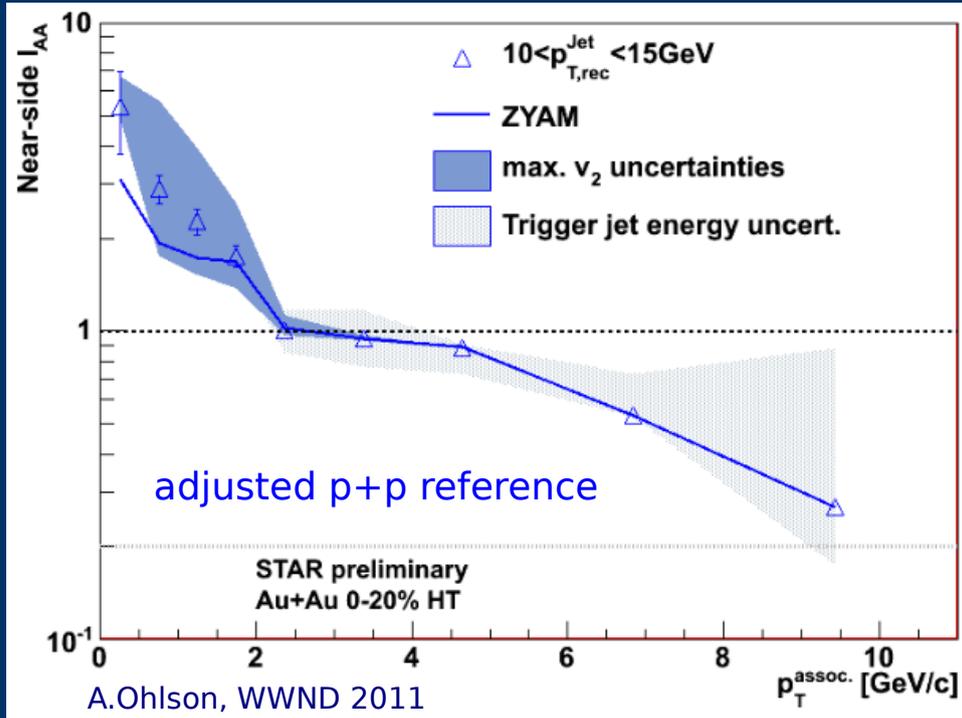
# Nearside: Gaussian width, $I_{AA}$



**broadening & softening on the nearside:**  
 → unsubtracted background (ridge,  $v_3$ )?  
 → jet modification (energy loss)?

let's assume there is energy loss on the nearside: from  $I_{AA}$  there is  $\sim 2\text{GeV}$  excess “charged” energy in Au+Au  $\rightarrow$  adjust the p+p reference:  $+ 2\text{GeV} * 3/2$

# Nearside energy balance: $D_{AA}$



$$D_{AA}(p_T^{assoc}) = Y_{AA}(p_T^{assoc}) \cdot p_{T,AA}^{assoc} - Y_{pp}(p_T^{assoc}) \cdot p_{T,pp}^{assoc}$$

$$\Delta B = \int dp_T^{assoc} D_{AA}(p_T^{assoc})$$

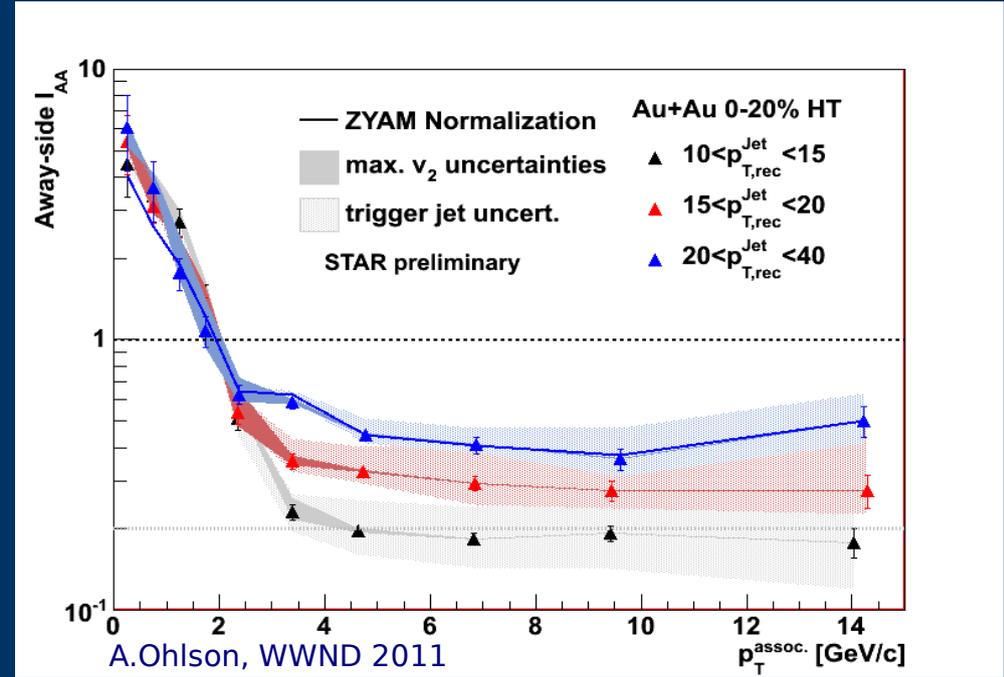
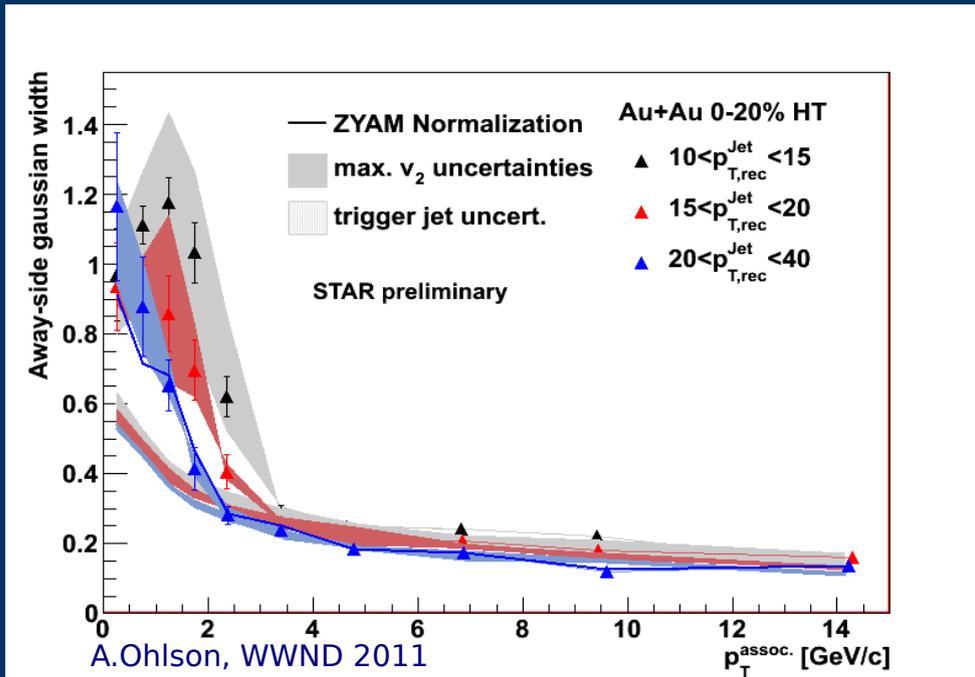
$\Delta B$ : is low- $p_T$  enhancement compensated by suppression at high  $p_T$ ?

before p+p energy shift:  $\Delta B \sim 1.6$  GeV

after p+p energy shift:  $\Delta B = 0.4 \pm 0.2$  (stat) GeV

**indication of energy loss even for HT trigger jets**

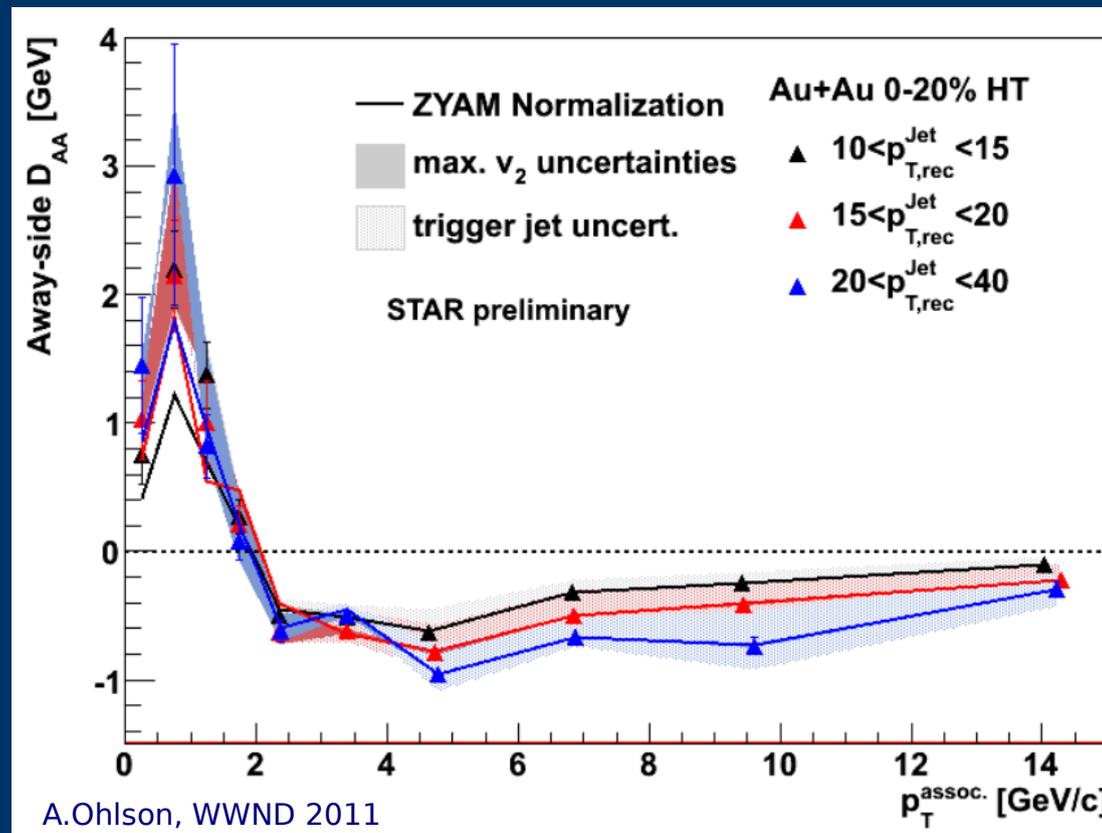
# Awayside Gaussian width & $I_{AA}$



- significant broadening and softening of awayside peak
- less modification of jets with higher  $p_T$

# Awayside energy balance: $D_{AA}$

$$D_{AA}(p_T^{assoc}) = Y_{AA}(p_T^{assoc}) \cdot p_{T,AA}^{assoc} - Y_{pp}(p_T^{assoc}) \cdot p_{T,pp}^{assoc}$$



- significant compensation of low  $p_T$  enhancement and high  $p_T$  suppression: **jet quenching in action**

# Conclusions

## **d+Au jet spectrum:**

- no significant Cold Nuclear Matter effects observed

## **Au+Au jet spectrum:**

- $R = 0.4$  jet  $R_{AA}$  compatible with 1
- consistent with jet broadening from  $R=0.2$  to  $R=0.4$

## **background fluctuations:**

### → $\delta p_T$ :

- non-Gaussian tails
- largely independent of fragmentation pattern of the probe

### → **jet shapes:**

- studies in progress, stay tuned!

**di-jet suppression** suggestive of away-side broadening

## **jet-hadron correlations:**

- softening, broadening and  $p_T$  redistribution observed
- HT trigger jet energy loss?

*Thank you!*



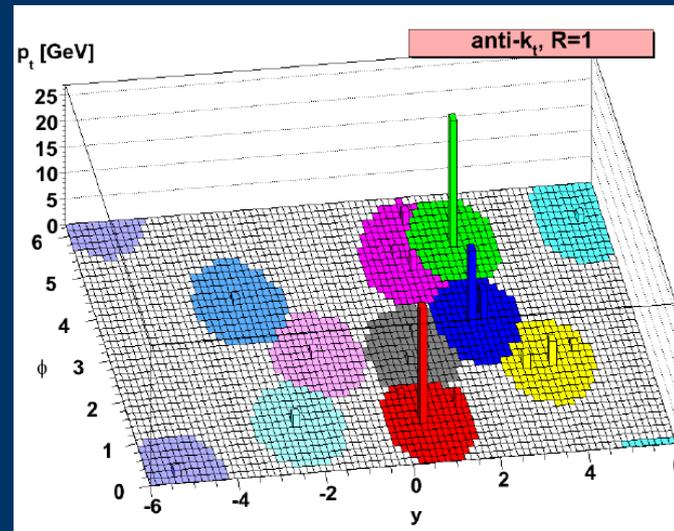
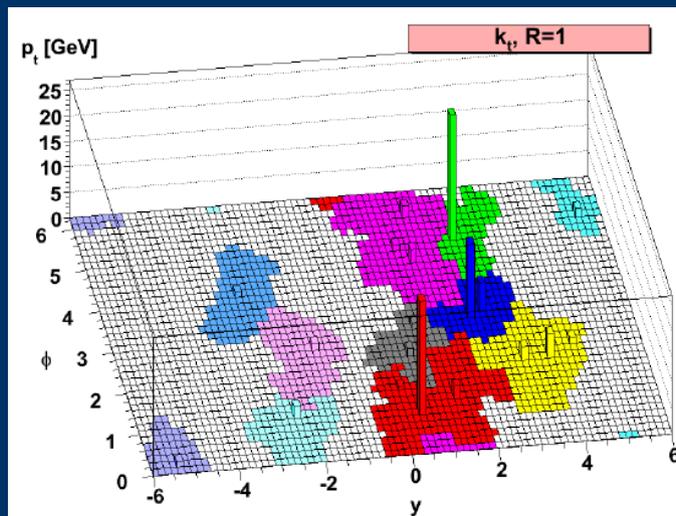
# *Backup*

# Algorithms details

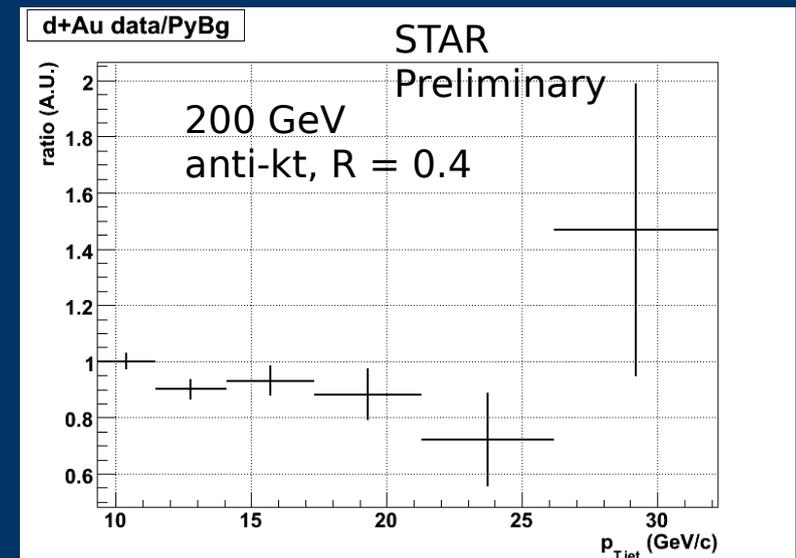
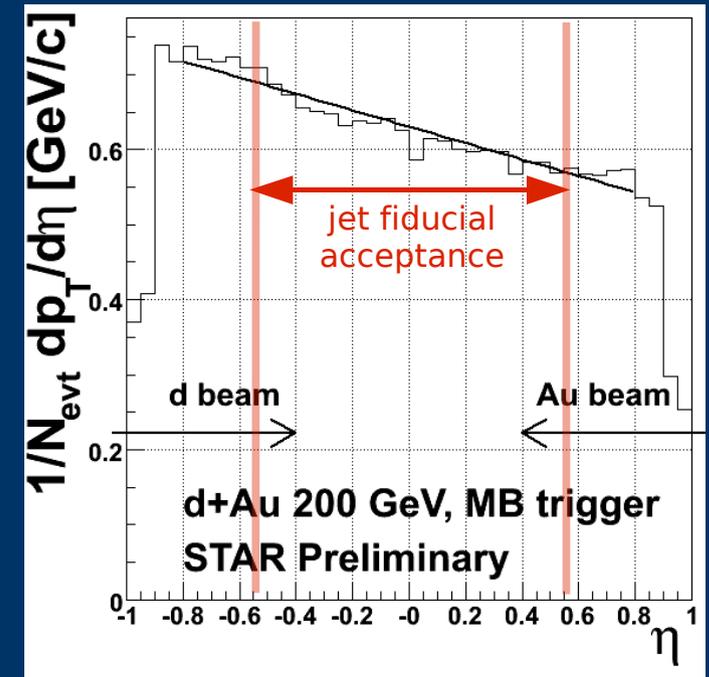
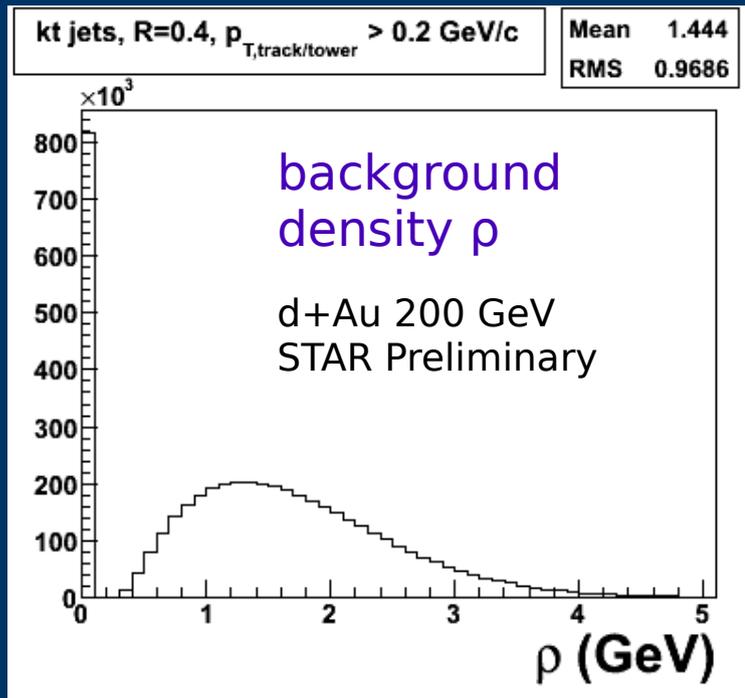
## recombination algorithms - Fastjet package

Cacciari, Salam and Soyez, JHEP0804 (2008) 005.

- $d_{ij} = \min(p_{Ti}^n, p_{Tj}^n) (\Delta\eta^2 + \Delta\phi^2)/R^2$ ,  $d_i = p_{Ti}^n$
- $\min(d_i, d_{ij})$ :  $d_i \rightarrow$  new jet,  $d_{ij} \rightarrow$  merge  $i, j$
- $n=2$ : kt,  $n=-2$ : anti-kt
- $R$ : resolution parameter
- recombination: E scheme with massless particles



# dAu details



# Jet cross section & relation to p+p

## compare to STAR p+p jet cross section:

- Mid Point Cone algorithm
- $R = 0.4$

## number of binary collision scaling:

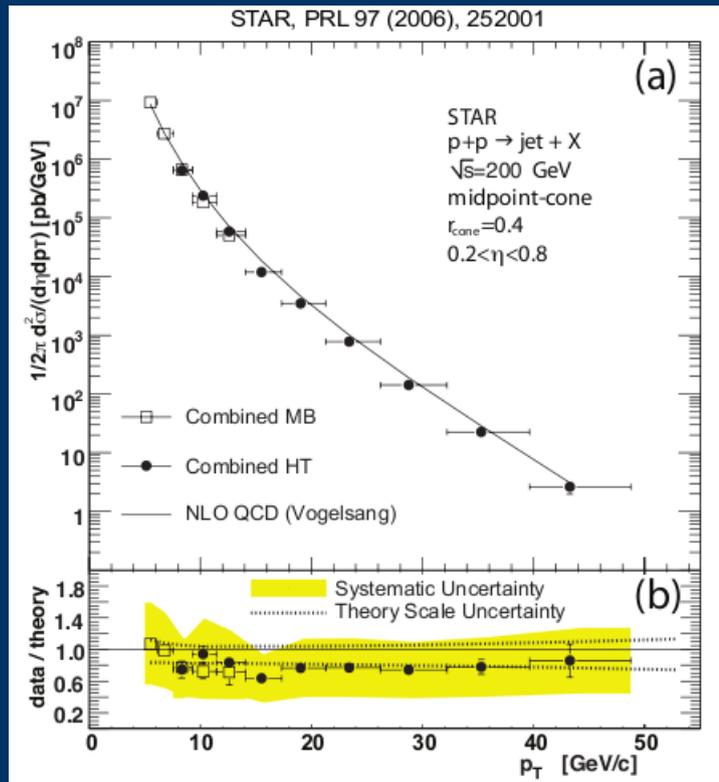
if there are no nuclear effects, hard processes scale according to  $\langle N_{\text{bin}} \rangle$

for 20% most central run 8 d+Au collisions,  $\langle N_{\text{bin}} \rangle = 14.6 \pm 1.7$  from MC Glauber

d+Au: jet yield normalised per event rescaling p+p to this level:

$$Y_{\text{jet,p+p (d+Au level)}} = \sigma_{\text{jet,p+p}} / \sigma_{\text{inel,p+p}} * \langle N_{\text{bin}} \rangle$$

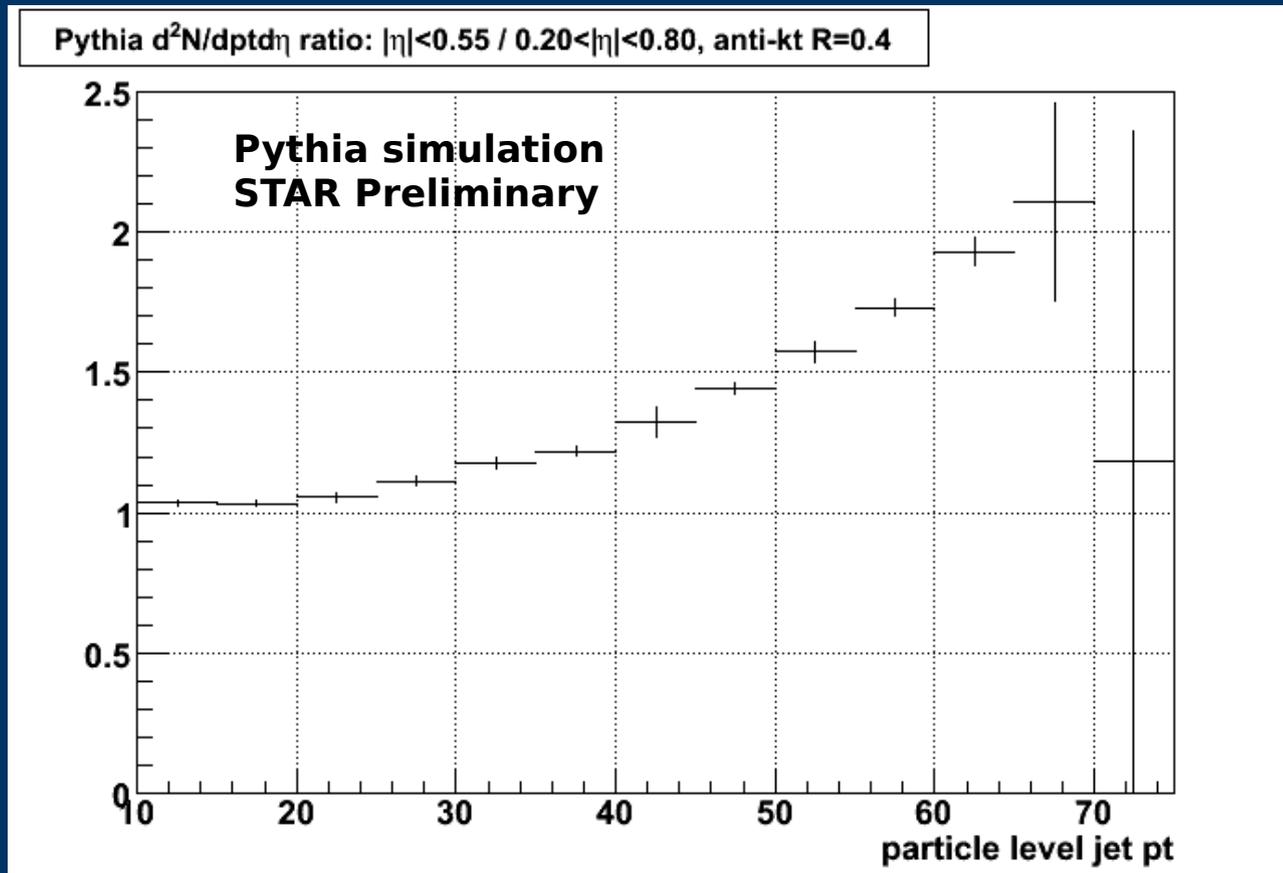
$\sigma_{\text{inel,p+p}} = 42 \text{ mb}$  is p+p inelastic cross section



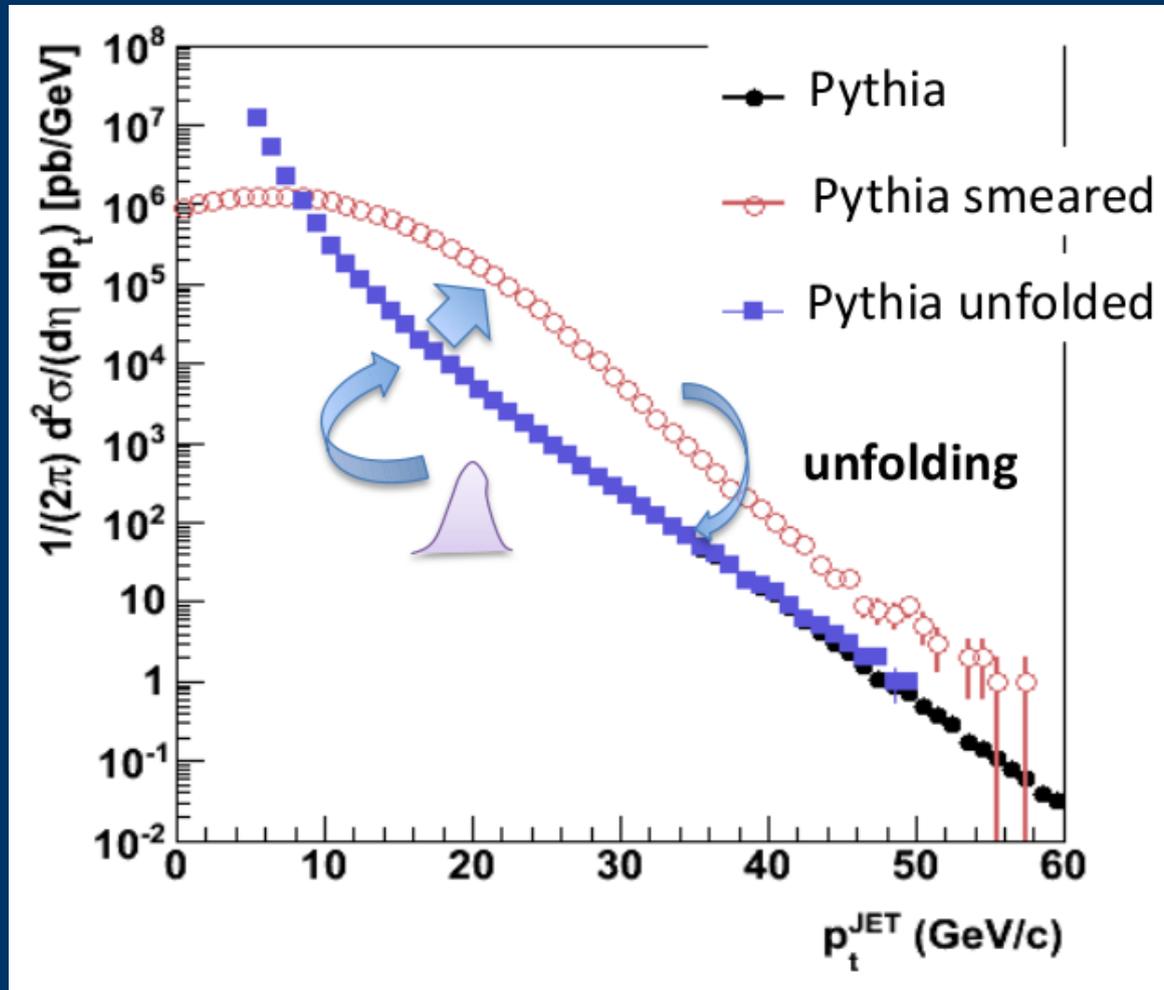
# Pseudorapidity acceptance

jet  $dN/d\eta$  not flat: focusing towards  $\eta=0$  for high jet  $p_T$

$|\eta|<0.55$  vs  $0.2<|\eta|<0.8$ : 50% effect at 50 GeV/c, negligible below 20 GeV/c:



# Jet spectra - unfolding



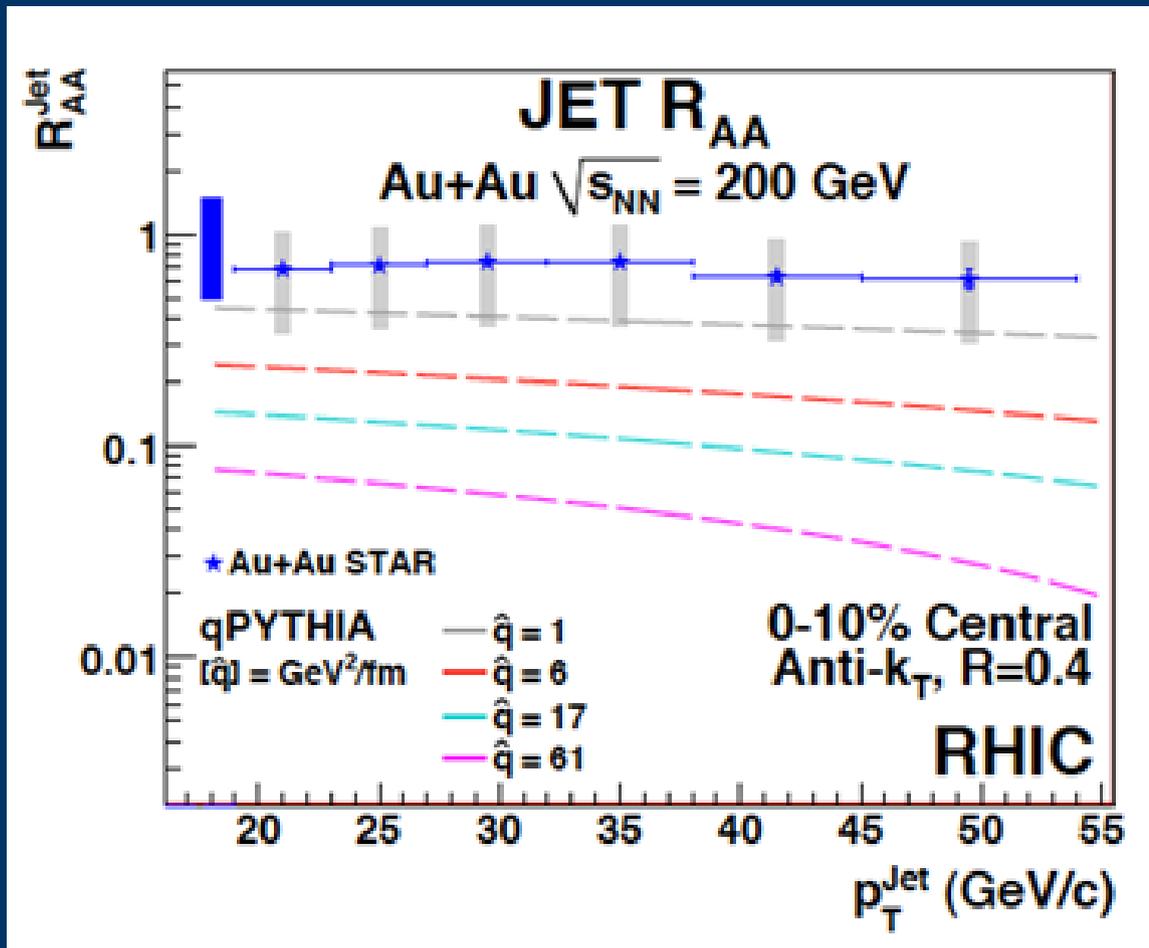
Gaussian widths -  
smearing/unfolding  
from Pythia  
embedding:

R=0.4: 6.8 GeV

R=0.2: 3.7 GeV

systematic  
uncertainty  
(bands):  $\pm 1$  GeV

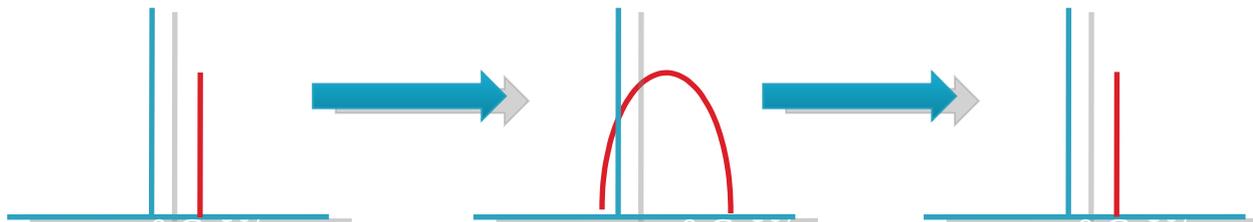
# AuAu jets & theory



QPYTHIA...

# False Jets

- Definition: Residual contribution of correlated background to the distribution of true jets after background subtraction
- Note 1: the  $p_T$  irresolution caused by the background non-uniformities introduces false hard component to the reconstructed spectra (**low  $p_T$  objects are smeared and populate higher  $p_T$  bins**)
- Note 2: **ideal unfolding** procedure and complete knowledge of the background should **revert the process** -> retract the background objects from the  $p_T$  spectrum **leaving out only the true population** of energy flow from hard scatterings
  - **Ideal de-convolution case: NO FALSE JETS**
- False jet yield is nothing but an estimate of how much of the residual background correlations are contaminating the reported jet yield -> **precision of the unfolding matrix crucial(!)**



# Simple background model: uncorrelated particle emission

M. Tannenbaum  
Phys. Lett. B498 (2001) 29

Inclusive single particle distribution:

$$\frac{d\sigma}{dp_T} = b^2 p_T^{p-1} e^{-bp_T}$$

$E_T$  fluctuations in finite acceptance via  $n$ -fold convolution:

$$F_n(\delta p_T) = \frac{b}{\Gamma(np)} \cdot \left[ b \left( \delta p_T + \frac{np}{b} \right) \right]^{np-1} \cdot e^{-b(\delta p_T + \frac{np}{b})}$$

- No hard scattering
- No correlations
- Two parameters:  $np, b$ 
  - $\langle p_T \rangle = 2 \text{ GeV}/b \sim 500 \text{ MeV}$
  - $n \sim 740/2 \sim 370$  “sources”

Simple uncorrelated-emission model  
can account for the bulk of  
background fluctuations (!)

