

CIPANP 2006

Conference on the
Intersections of Particle
and Nuclear Physics



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Global polarization measurements in Au+Au collisions

Global hyperon's polarization



Source: Large angular orbital momentum \vec{L} of the system in non central relativistic nuclear-nuclear collisions

Effect: transformation of the angular momentum \vec{L} into the particles spin

Method: \vec{L} is perpendicular to the reaction plane

└─► Correlations wrt the reaction plane

└─► Anisotropic flow technique can be applied

Analysis overview



Theory input:

Z.-T. Liang and X.-N. Wang	Phys. Rev. Lett. 94, 102301 (2005) [erratum: 039901(2006)]
Z.-T. Liang and X.-N. Wang	nucl-th/0411101
Sergei A. Voloshin	nucl-th/0410089

Measurement technique: Two particle correlations wrt reaction plane estimated from STAR Forward TPC ($2.7 < |\eta| < 3.9$)

Results: Lambda global polarization in Au+Au at 62 and 200 GeV

Systematics study: 2 different collision energies
Reversed Full Field vs Full Field data for 200GeV
Forward TPC event plane resolution: saturation in 200GeV
centrality cuts
different charges

Angular distribution for the global polarization

$$\frac{dN}{d \cos \theta^*} \sim 1 + \alpha_H P_H \cos \theta^*$$

$P_H(\vec{p}_\Lambda)$ hyperon polarization wrt reaction plane (**global polarization**)

α_H decay constant ($\alpha_\Lambda = 0.642$ for $\Lambda \rightarrow p \pi^-$)

θ^* angle between normal for the reaction plane and the hyperon's decay product 3-momentum in the hyperon's rest frame

Observables for the global polarization



Directly from the definition

$$P_H = \frac{3}{\alpha_H} \langle \cos \theta^* \rangle$$

Averaging over all reaction plane orientations and the hyperon's decay product 3-momentum directions in the hyperon's rest frame

Via azimuthal correlations [angles relation $\cos \theta^* = \sin \theta_p^* \sin(\phi_p^* - \Psi_{RP})$]

$$P_H = \frac{8}{\pi \alpha_H} \langle \sin(\phi_p^* - \Psi_{RP}) \rangle$$

ϕ_p^* decay product azimuthal angle
 Ψ_{RP} reaction plane angle

Similar to the observable used to define **directed flow** – **anisotropic flow technique!**

Lambda global polarization: measurement technique

$$P_{\Lambda} = \frac{8}{\pi \alpha_{\Lambda}^{-}} \frac{\langle \sin(\varphi_{p_{\Lambda}^*} - \Psi_{EP}^1) \rangle}{R_{EP}^1}$$

$\varphi_{p_{\Lambda}^*}$ - angle of the decayed proton in the Λ rest frame

Scalar product technique
(two particle correlations)

$$P_{\Lambda} = \frac{8}{\pi \alpha} \frac{\langle \sin \varphi_{p_{\Lambda}^*} X_{EP}^1 \rangle - \langle \cos \varphi_{p_{\Lambda}^*} Y_{EP}^1 \rangle}{R_{EP}^1}$$

$Q_{EP}^1 = (X_{EP}^1, Y_{EP}^1)$ - **1st order event plane vector (from Forward TPC)**

R_{EP}^1 - **Forward TPC event plane resolution:**
from **two particle correlations**

(Forward TPC[East-West] to suppress non-flow from momentum conservation)
or **mixed harmonic**

(need more statistics, but efficiently suppress non-flow)

Acceptance corrections for the global polarization



Experimentally measured value:

(already integrated over Ψ_{RP} , “good” reaction plane determination assumed)

$$P_{\Lambda}^{\text{exp}} = \frac{4}{\pi} \int \frac{d\Omega^*}{4\pi} A(\vec{p}_{\Lambda}, \vec{p}_p^*) \sin\theta_p^* P_{\Lambda}(\vec{p}_{\Lambda})$$

Perfect acceptance: $A(\vec{p}_{\Lambda}, \vec{p}_p^*) \equiv 1$ $\frac{4}{\pi} \int \frac{d\Omega^*}{4\pi} \sin\theta_p^* = 1$

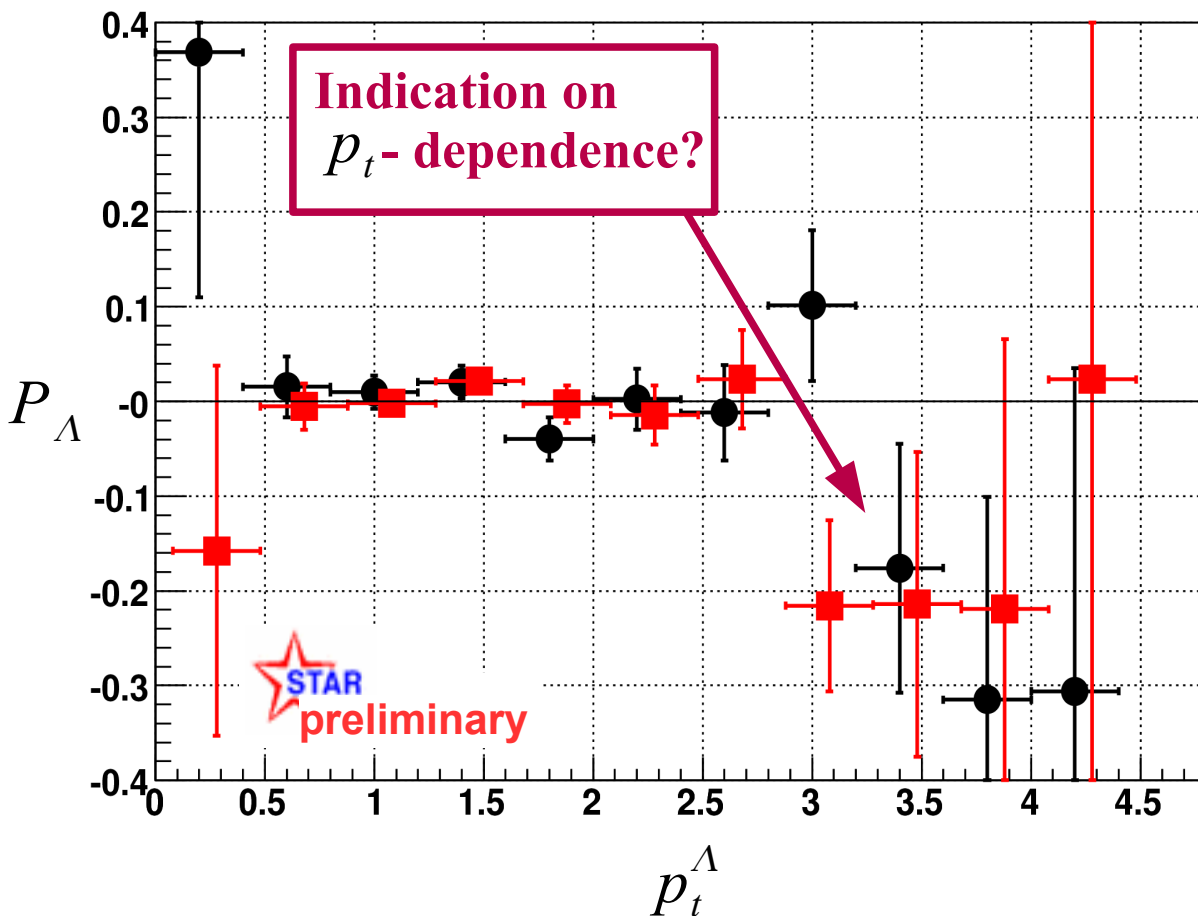
If global polarization independent of $\eta_{\Lambda}, \phi_{\Lambda}$ within STAR acceptance

one have to correct the results on $\frac{4}{\pi} \int \frac{d\Omega^*}{4\pi} A(\vec{p}_{\Lambda}, \vec{p}_p^*) \sin\theta_p^*$

Results are not yet corrected on Λ reconstruction acceptance

Lambda global polarization: **transverse momentum dependence**

RHIC Run IV data



AuAu@200GeV (20-70%)

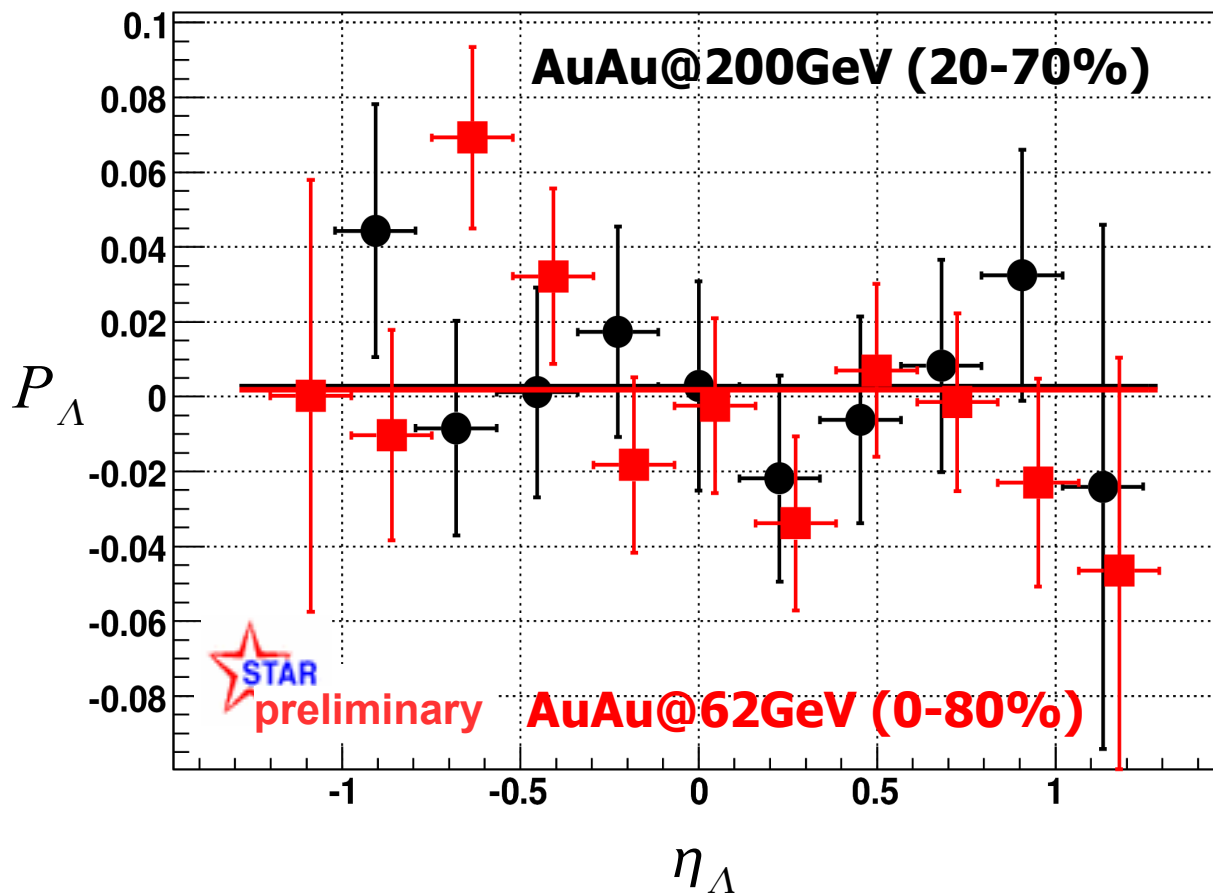
AuAu@62GeV (0-80%)

Global polarization is zero for small Lambda p_t

No theory curves on p_t dependence for the moment

Lambda global polarization: pseudo-rapidity dependence

RHIC Run IV data



Line fit for AuAu@200GeV

$$P_\Lambda = (2.6 \pm 9.5) \times 10^{-3}$$

line fit for AuAu@62GeV

$$P_\Lambda = (1.9 \pm 8.0) \times 10^{-3}$$

Available theory value

$$P_\Lambda = -0.3$$

Z.-T. Liang and X.-N. Wang
PRL94, 102301 (2005)

Conclusion

- The **Lambda global polarization** has been measured in **Au+Au** collisions at the center of mass energies **62 and 200 GeV** with the **STAR detector** at RHIC
- An **upper limit for the Lambda global polarization** is obtained:

$$|P_{\Lambda}| \leq 10^{-2}$$

This value is far below the one **discussed in the recent theoretical papers:**

$$P_{\Lambda}^{theor} = -0.3$$

- The **reason for this significant discrepancy is not clear** now and there are still extensive **theoretical discussion** on this subject. As it was found later by the original authors the **predicted value of $P_{\Lambda}^{theor} = -0.3$ could be incorrect** due to inapplicability of the approximations used and the correct estimation for RHIC energies requires **more realistic theoretical calculations** (see **Phys. Rev. Lett. 96, 039901 (2005)** for details).